

# Capstone Project-2

## Seoul Bike Sharing Demand Prediction

**By :- Viral Bhatu Shewale**

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## Problem Statement:

- Currently, Rental bikes are introduced in many urban cities for the enhancement of mobility comfort.
- It is important to make the rental bike available and accessible to the public at the right time as it lessens the waiting time and provides the city with a stable supply of rental bikes.
- The goal of the project is to build an ML model that is able to predict the demand for rental bikes in the city of Seoul.



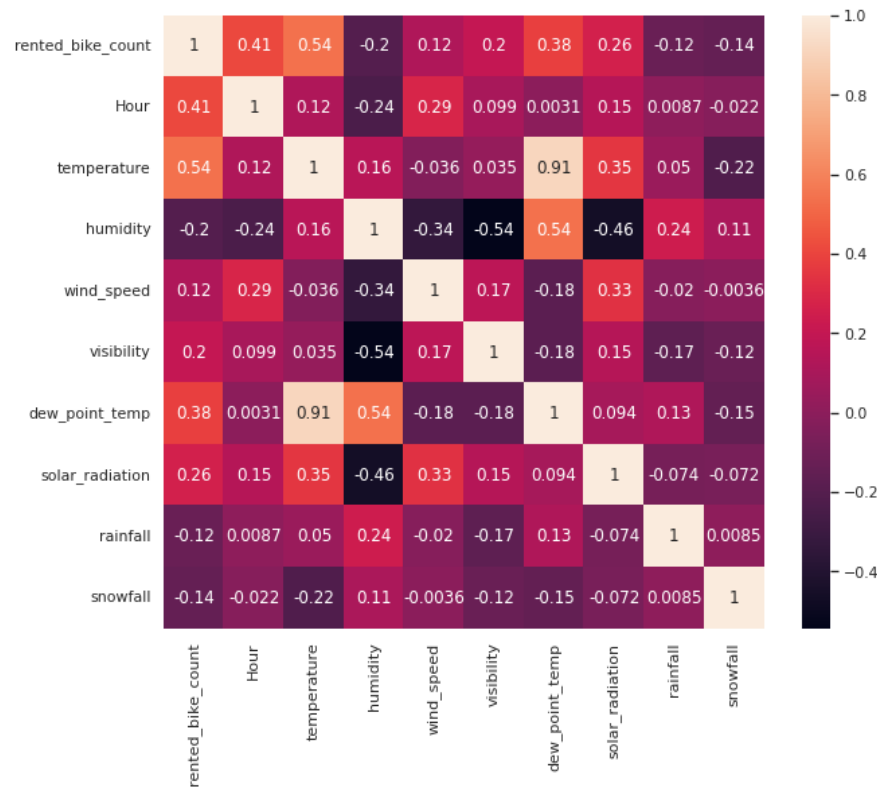
# Data Summary:

There are **8760** rows and **14** columns (Attribute) in the dataset.

- Date: year-month-day
- Rented Bike count - Count of bikes rented at each hour
- Hour - Hour of the day
- Temperature-Temperature in Celsius
- Humidity - %
- Wind speed - m/s
- Visibility - 10m
- Dew point temperature - Celsius
- Solar radiation - MJ/m2
- Rainfall - mm
- Snowfall - cm
- Seasons - Winter, Spring, Summer, Autumn
- Holiday - Holiday/No holiday
- Functional Day – No Func(Non-Functional Hours), Fun(Functional hours)

# Feature Engineering:

- The correlation matrix shows that **dew point temperature** and **temperature** are highly correlated(0.91). Hence we can drop the column from the dataset since it will not increase the accuracy of prediction and will only increase the model complexity.
- There are **no missing values** in the dataset.

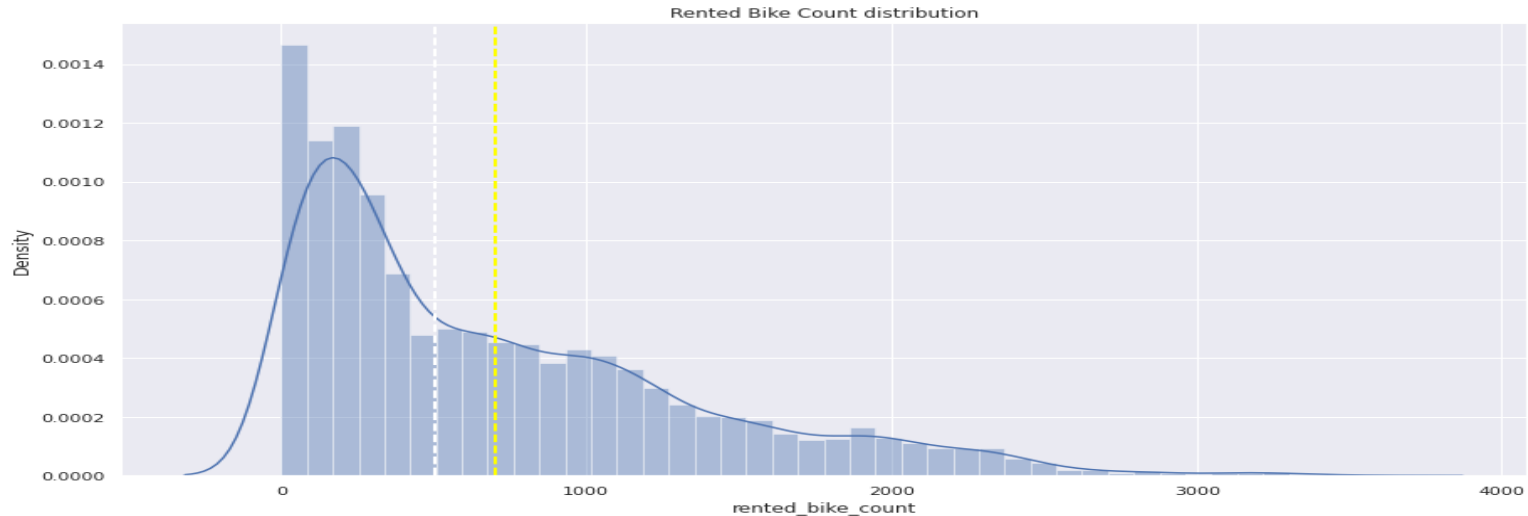


# Exploratory Data Analysis:

## Distribution of Dependent variable: -

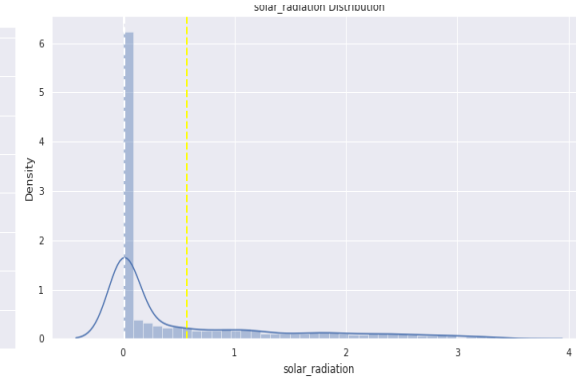
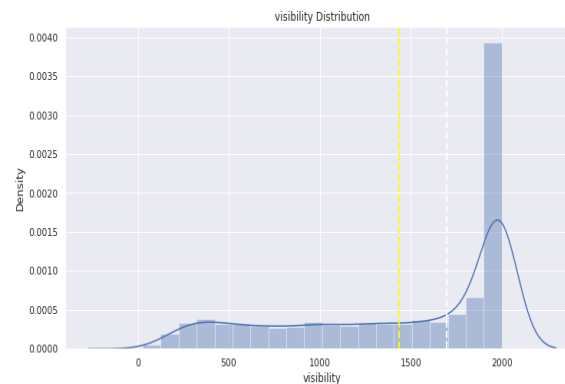
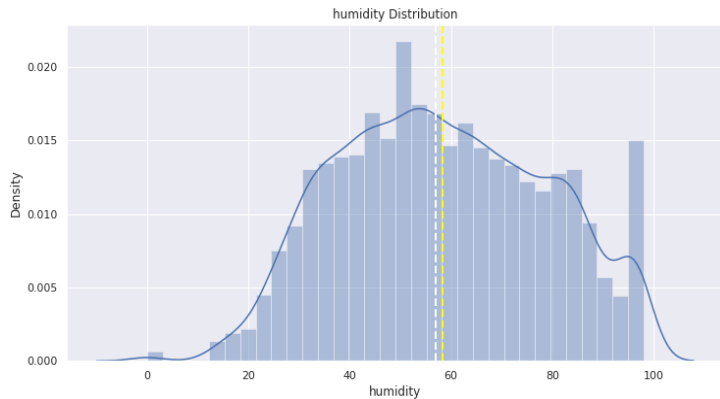
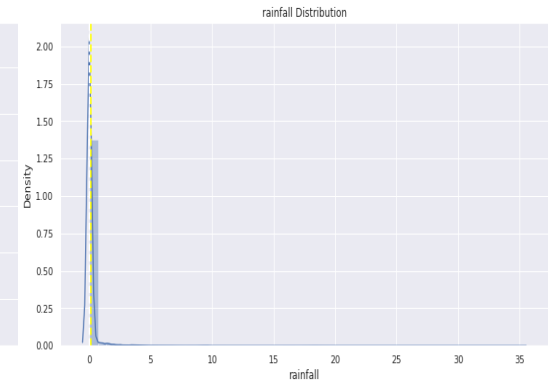
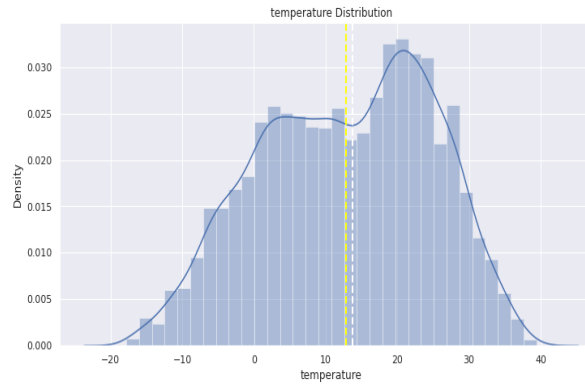
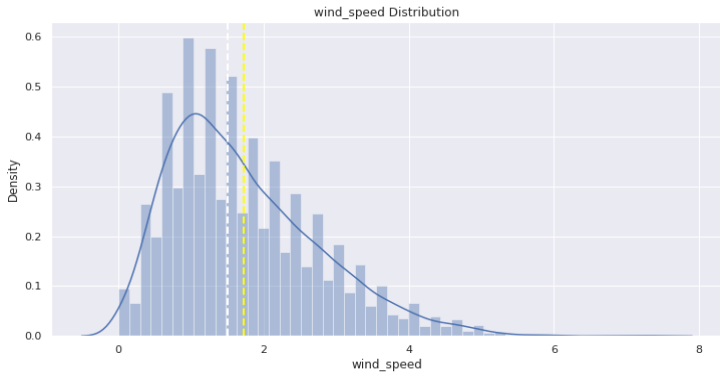
- As we can see **rented bike count** (Dependent variable) is positively skewed.

## Rented bike count distribution: -      **mean** (yellow line) & **median** (white line)



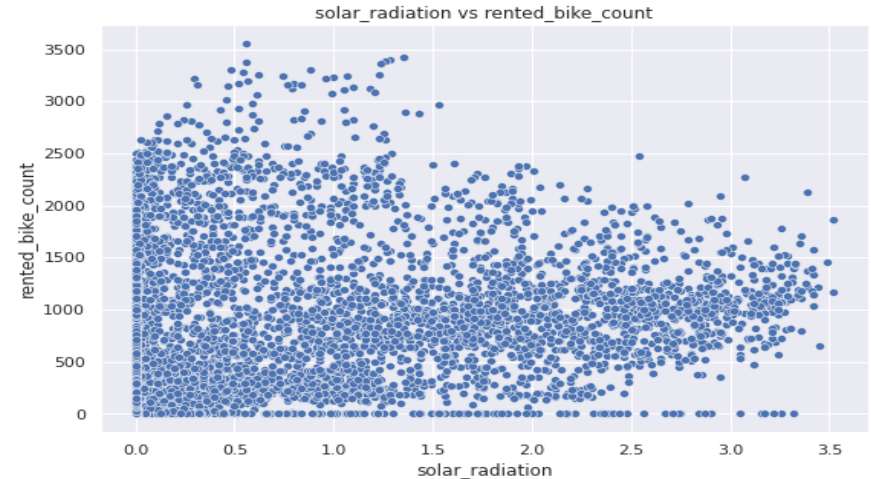
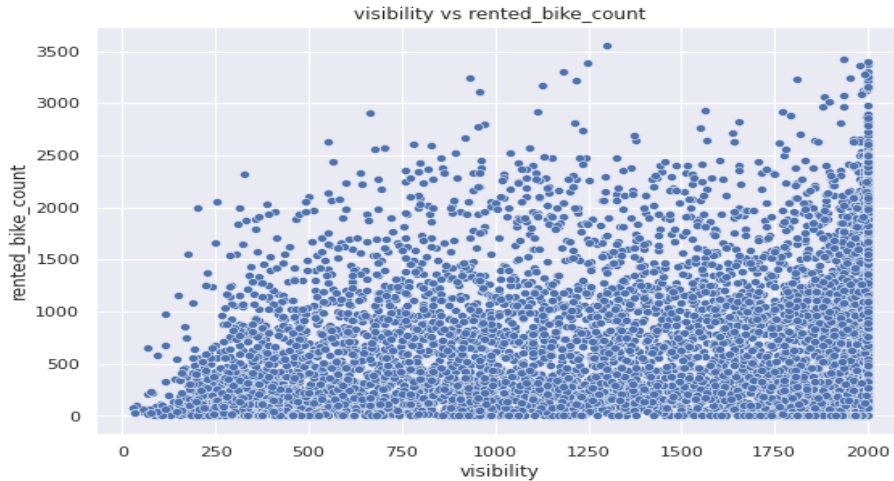
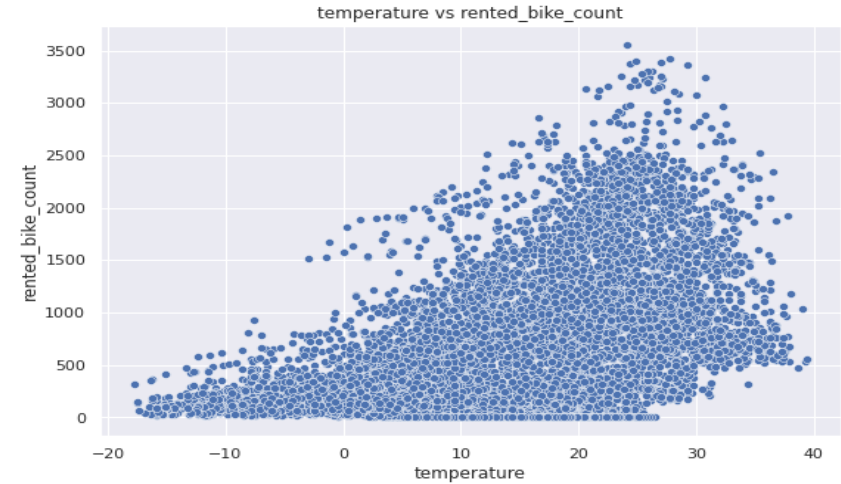
## Distribution of Attributes: -

- **Normally distributed attributes:-** temperature and humidity
- **Positively skewed attributes:-** solar radiation, snowfall, rainfall and wind.
- **Negatively skewed attributes:-** visibility



# Relation between Continuous variable and Dependent variable (EDA):

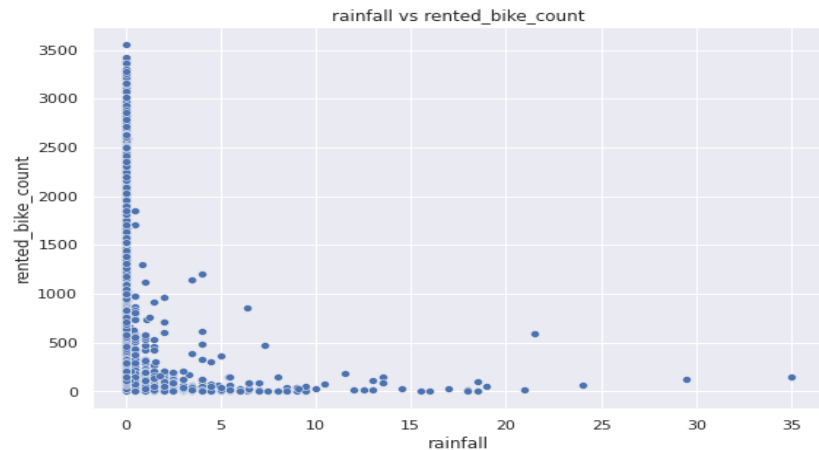
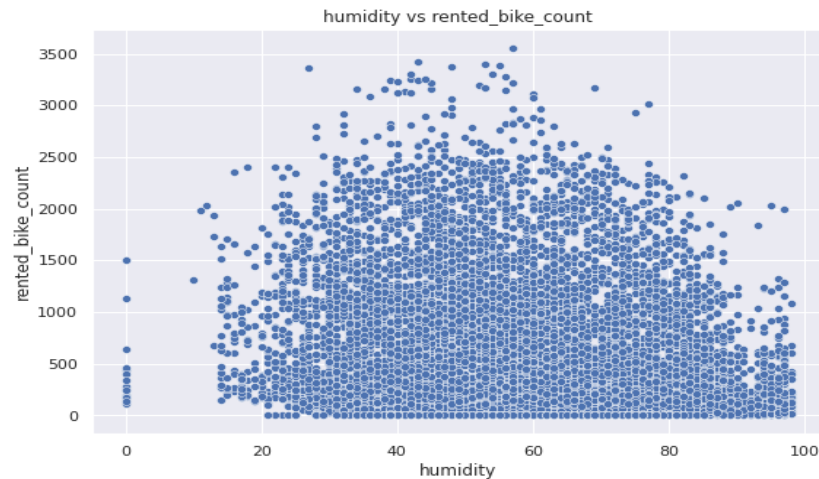
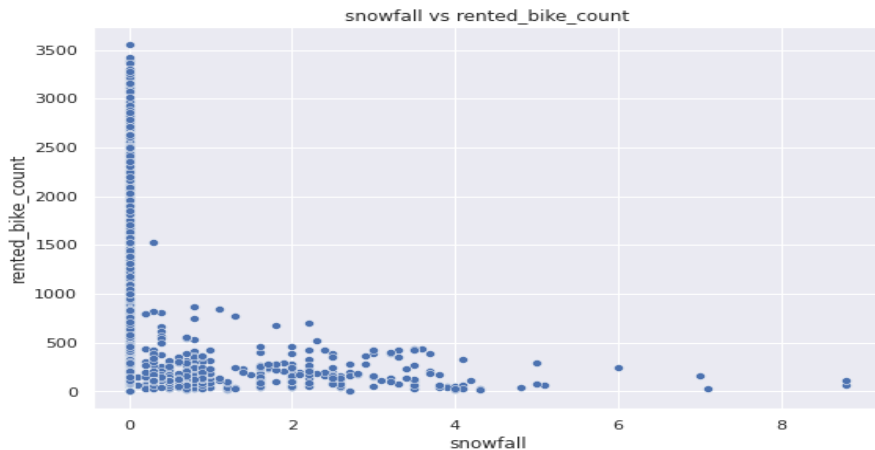
- The temperature and visibility are **positively correlated** with the dependent variable (rented bike count).
- The demand for the rental bike is less for a day with low temperature and less visibility.
- Higher the solar-radiation lower the rental bike demand.





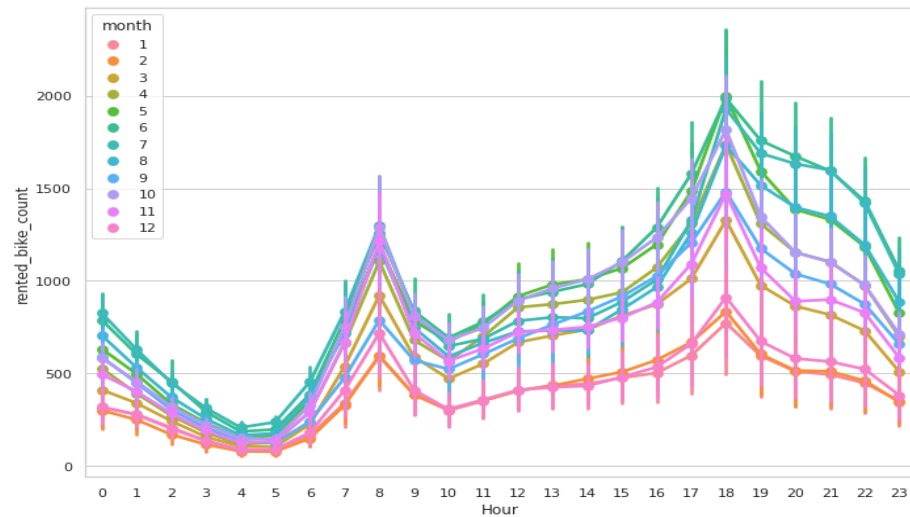
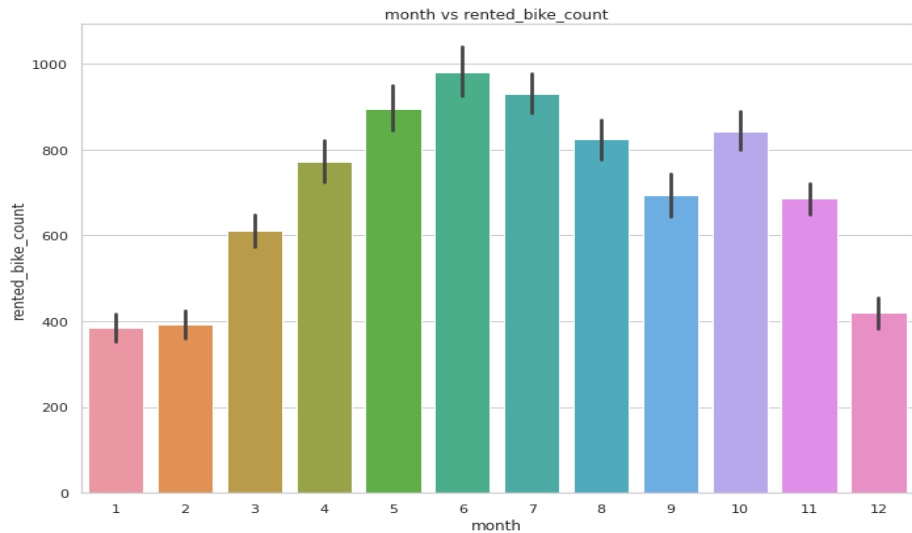
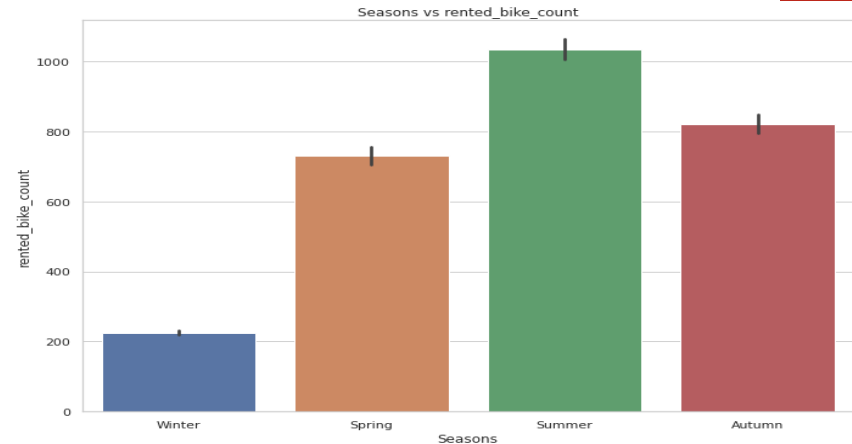
# Relation between Continuous variable and Dependent variable (EDA):

- Snowfall, Rainfall and humidity are **negatively correlated** with Rented bike count.
- The demand for the rental bike is typically lower when there is rainfall and snowfall.
- Higher humidity lowers the rental bike demand.



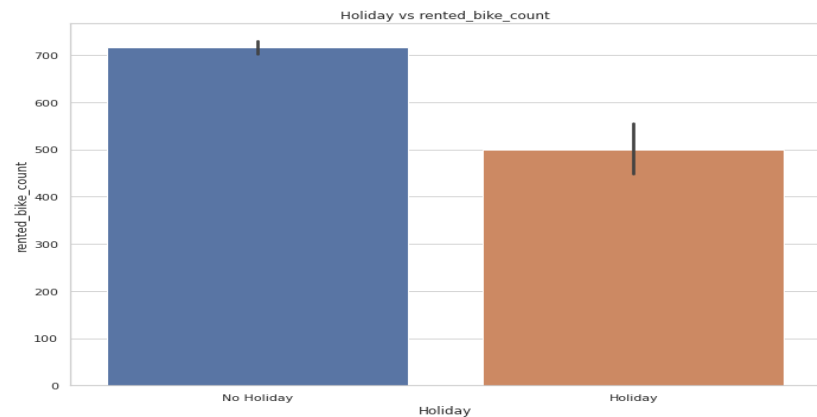
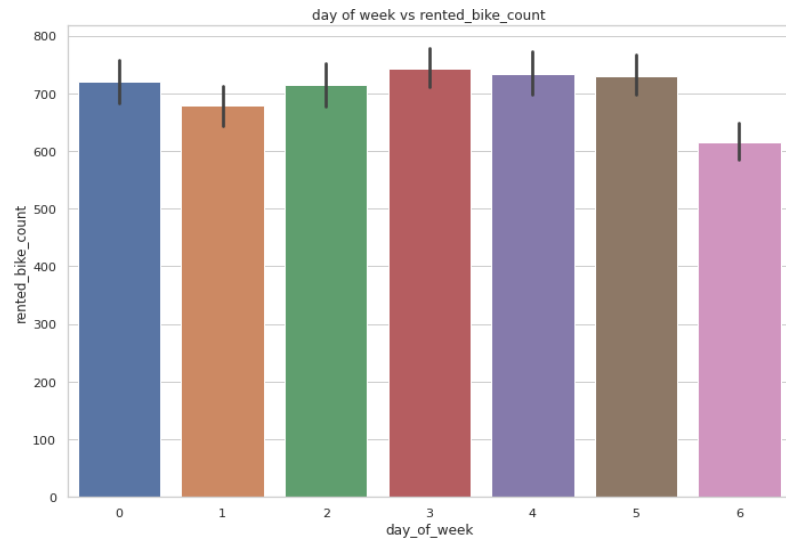
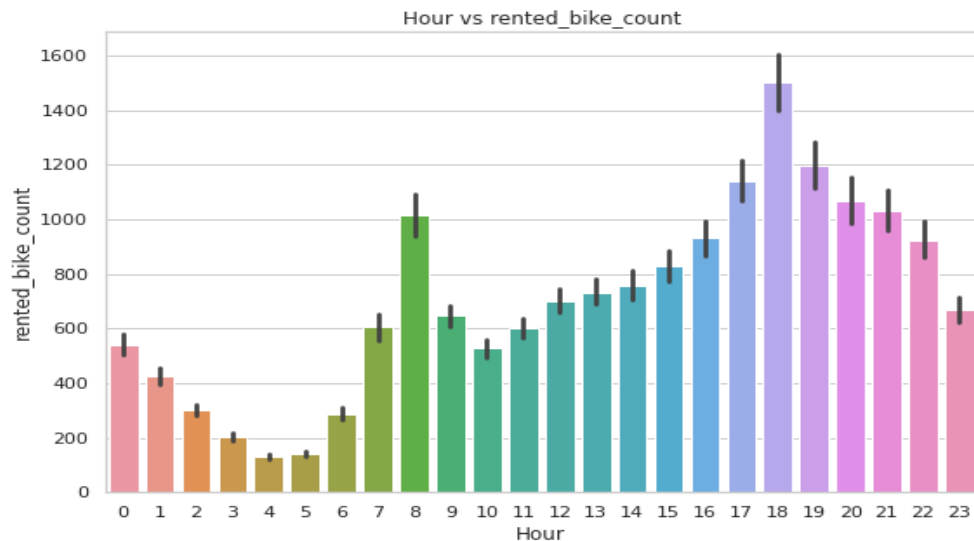
# Relation between Categorical variable and Dependent variable (EDA):

- In the **Summer** season (May, June and July) demand for the rental bike is at its peak.
- In the **Winter** season (Dec, Jan, Feb) the rental bike demand is low.



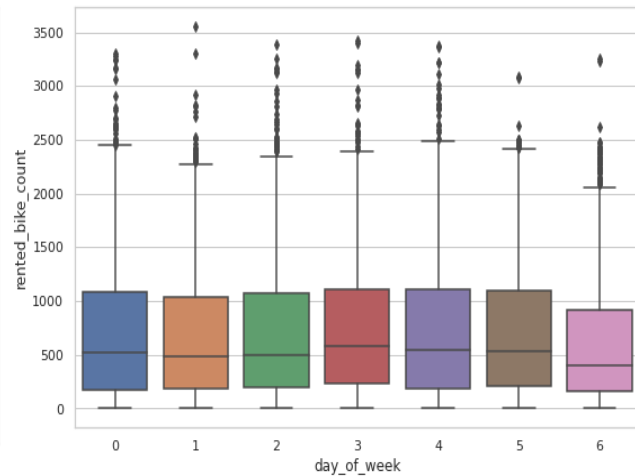
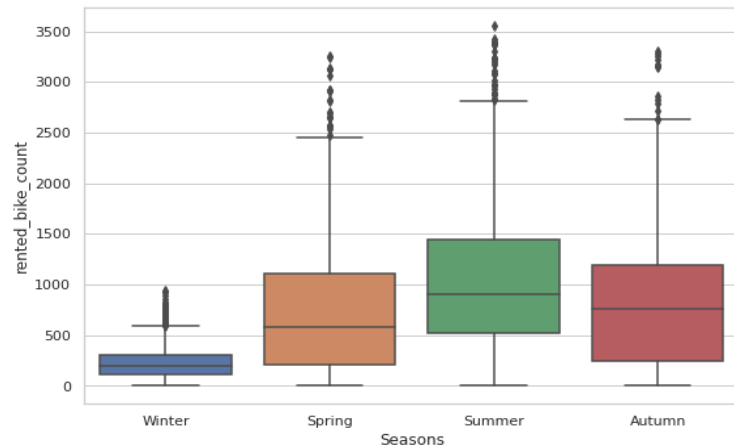
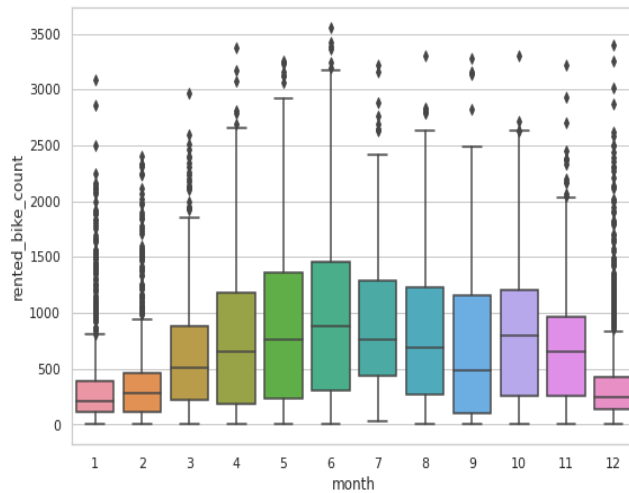
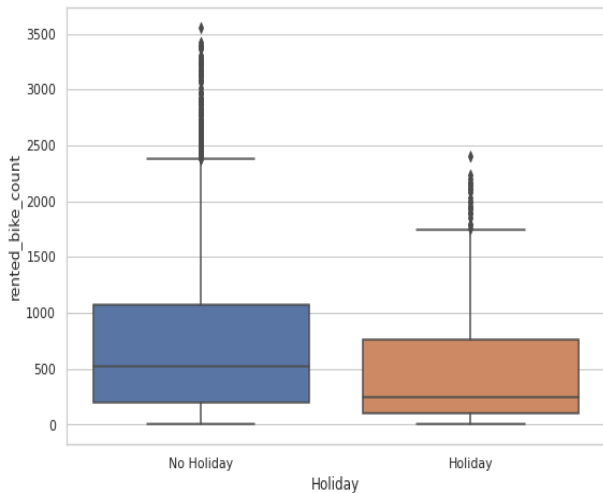
## Relation between Categorical variable and Dependent variable (EDA):

- The rented bike count on average was constant from Monday to Saturday. Demand was lower on Sunday (weekend) and holidays.
- which means the majority of clients are **working professionals**.
- There is a surge in demand for rental bike count during rush hours (4 pm to 9 pm).



# Checking for Outliers:

- As we can see, there are some outliers present in the dataset.
- We have to consider them at the time of model building. We didn't drop them because if we do so, we may lose out important trends/patterns in the data.



# Modelling Approach:

- We are working on a dataset which contains outliers. Hence we have to choose a model which is less sensitive to outliers.
- A dataset with many categorical independent variables which are not linearly related to a dependent variable. Hence it is not advisable to use linear models to make predictions. We can use tree models instead.
- **List of Machine Learning algorithms which are less sensitive to outliers:**
  - Decision Tree
  - Random Forest
  - XG Boost
- Choose the model with the highest accuracy for deployment.

# Modelling Approach:

- Choice of a split is taken as K-fold cross-validation, with  $k=5$ , because of the computational power available and to reduce overfitting.
- Evaluation metrics MAE is robust to outliers and chooses a model that can generalize the results for all points, including outliers.

$$\text{MAE} = \frac{\sum_{i=1}^n |y_i - x_i|}{n}$$

where  $N$  is the number of data points,  $y(i)$  is the  $i$ -th measurement, and  $x(i)$  is its corresponding prediction.

- Hyperparameter tuning to prevent overfitting and the best parameters are chosen using GridsearchCV.

# Decision Tree:

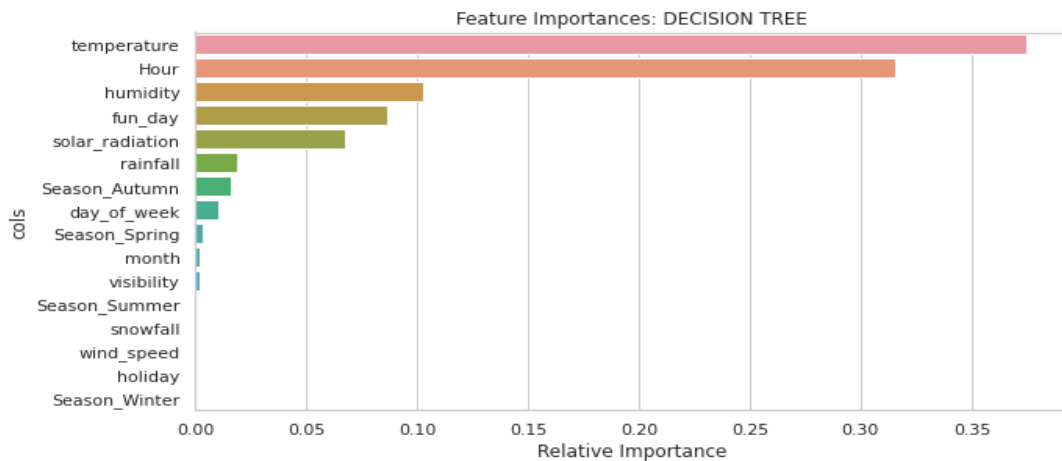
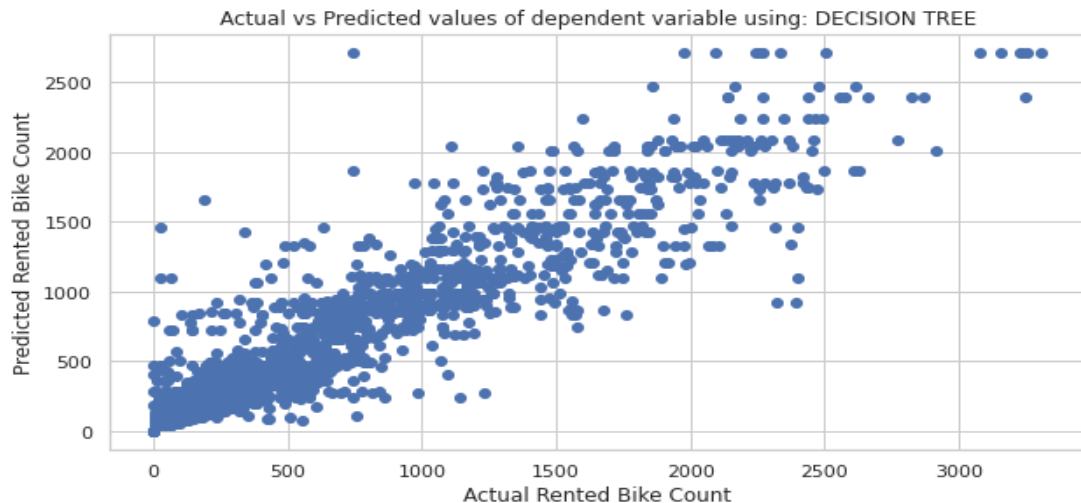
## Parameters: -

- $\text{max\_depth} = 18$
- $\text{min\_sample\_leaf} = 30$

## Evaluation metrics: -

- $\text{MAE} = 165.71$
- $\text{R2\_test} = 0.8386$
- Adjusted R2 for test = 0.8371

**Adjusted R Square** is roughly the same as **R Square** meaning the model is quite robust.



# Random Forest:

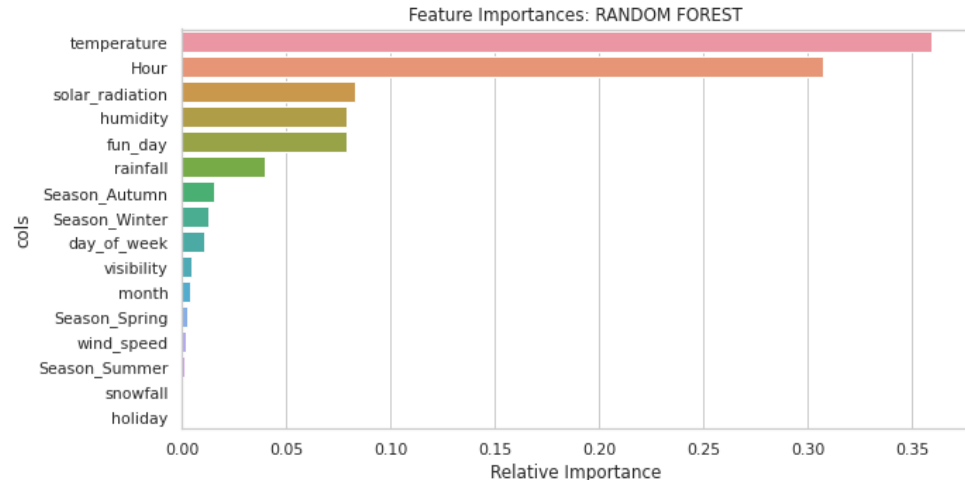
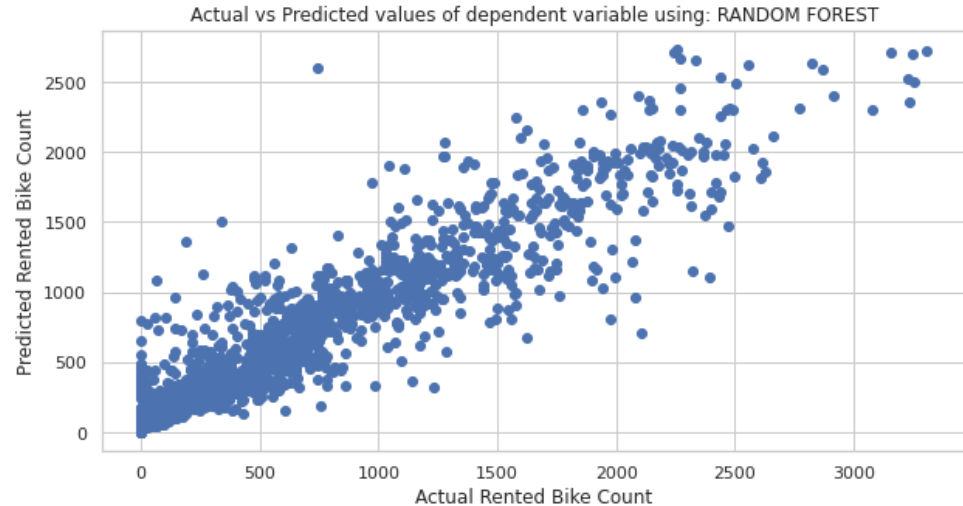
## Parameters: -

- $n\_estimators = 500$
- $min\_sample\_leaf = 20$

## Evaluation metrics: -

- $MAE = 157.62$
- $R^2_{test} = 0.856$
- Adjusted  $R^2$  for test = 0.8550

**Adjusted R Square** is roughly the same as **R Square** meaning the model is quite robust.





# XG Boost:

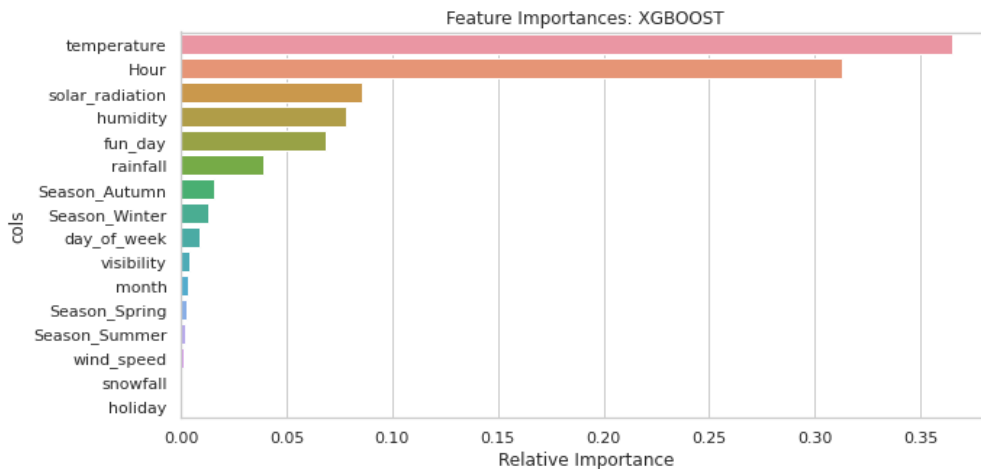
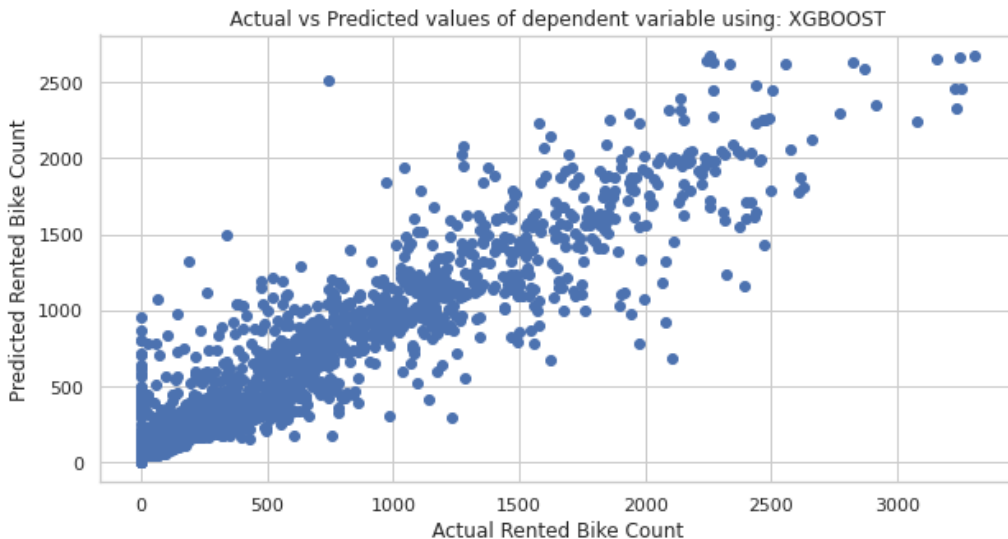
## Parameters: -

- $n\_estimators = 500$
- $min\_sample\_leaf = 25$

## Evaluation metrics: -

- $MAE = 167.105$
- $R2\_test = 0.8874$
- Adjusted R2 for test = 0.8550

**Adjusted R Square** is roughly the same as **R Square** meaning the model is quite robust.



## Model Comparison:

- The **XG Boost** model has the **lowest MAE** compared to others.

Sl. No.	Regression Model	test_MAE	train_MAE	Train R2 Score (%)	Test R2 Score (%)
1	Decision Tree	165.71218660977652	154.09613067576998	86.09009686242055	83.86768563110701
2	Random Forests	157.62253922081365	138.47699424532254	88.84561534385928	85.63540395467903
3	XG Boost	144.9873499474637	124.15145121783988	91.49361689298823	88.48309856060598

- **Lower the MAE better in model performance.**

## Conclusion:

- The demand for rental bikes was **highest in the summer** season and **lowest in the winter** season.
- **May-July are peak months** to rent a bike. Dec-Feb is the least preferred month for bike renting.
- The rental bike demand was more on a weekday than on weekends. The majority of **clients belong to the working class**.
- The **temperature of 20-30 Degrees**, evening time 4 pm- 8 pm and the **humidity between 40%-60%** are the most favourable parameters where the Bike demand is at its peak.
- **Temperature, humidity, hour of day, solar radiation and functional day** are major driving factors for the bike rent demand.
- The **XG Boost** model has the **lowest test MAE**. A low MAE value indicates that the simulated and observed data are close to each other and show better accuracy. Thus **lower MAE is better for model performance**. (XG Boost model with an **accuracy of 88.48%**)