

### **Example 1:**

Consider the Post-office of a small town. There is only Mr. McPhee working in the post office. It has been observed that the rate at which a letter arrives for postage follows geometric distribution with parameter 0.73. McPhee is able to stamp the letters correctly with probability 0.8. Obtain the measures of effectiveness, assuming that the situation is modeled as a \$Geo/Geo/1\$ queue.

### **Solution:**

In order to obtain the measures of effectiveness, we follow the steps as shown below:

- Open the page where the experimentation is to be performed
- Feed the data as shown:

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**Discrete time single server - infinite capacity model**

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Start

Reset

Arrival Probability(p) :

Departure Probability (q) :

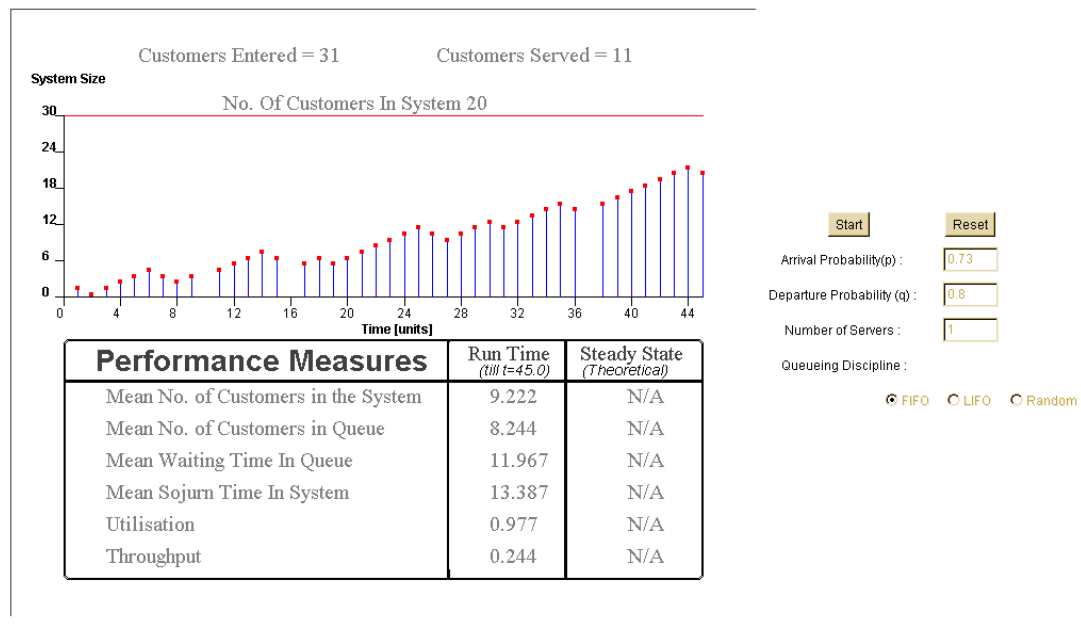
Number of Servers :

Queueing Discipline :  
☒ FIFO ☐ LIFO ☐ Random

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- Next, click on the **‘Start’** button to obtain the desired measures of effectiveness

### Discrete time single server - infinite capacity model



### Example 2:

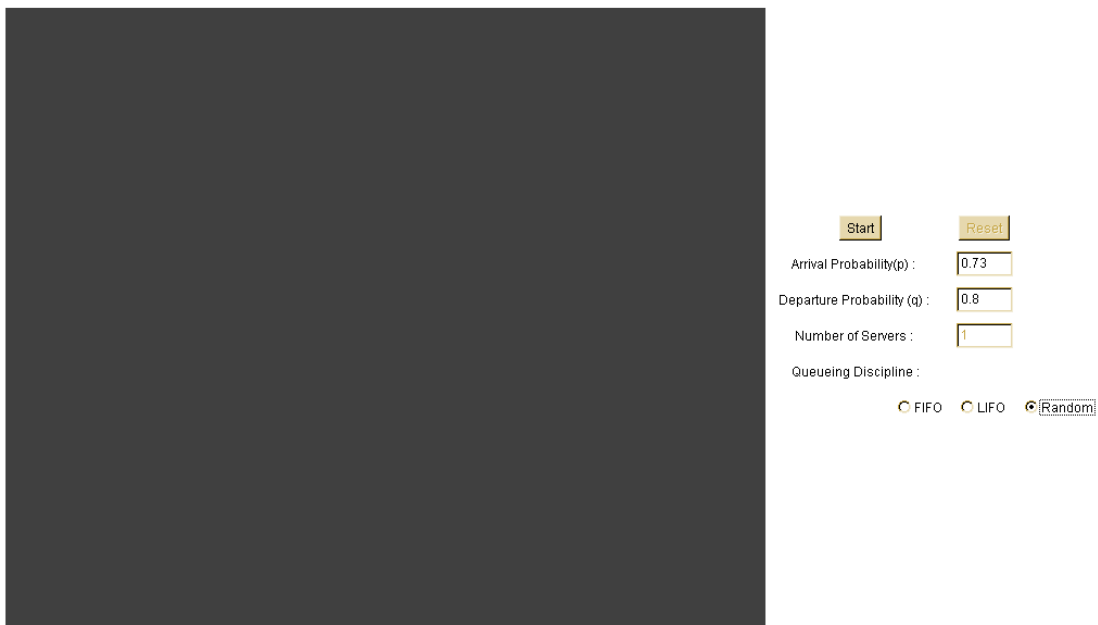
Consider the Post-office of a small town. There is only Mr. McPhee working in the post office. It has been observed that the rate at which a letter arrives for postage follows geometric distribution with parameter 0.73. McPhee is able to stamp the letters, in a random order, correctly with probability 0.8. Obtain the measures of effectiveness, assuming that the situation is modeled as a  $\text{Geo}/\text{Geo}/1$  queue.

### Solution:

In order to obtain the measures of effectiveness, we follow the steps as shown below:

- Open the page where the experimentation is to be performed
- Feed the data as shown:

### Discrete time single server - infinite capacity model



- Next, click on the ‘Start’ button to obtain the desired measures of effectiveness

### Discrete time single server - infinite capacity model

