Review - 3

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Sudoku Solver

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<u>TITLE</u>

Program to solve Sudoku Problems

PROBLEM STATEMENT

Hard sudoku problems are difficult to solve. However, with a help of a computer program even hard problems can be easily solved.

DETAILED REQUIREMENTS

- Knowledge of Python
- Understanding of Sudoku solving algorithm
- Understanding of tkinter library to implement graphical user interface to take input and display output.

SOFTWARE TOOLS USED

- Visual Studio Code
- Git
- GitHub
- Python 3.11
- Tkinter library

PROPOSED SOLUTION

Rules to solve a sudoku puzzle:

- Sudoku is played on a 9x9 grid divided into 3x3 boxes called regions.
- The goal is to fill the grid with digits from 1 to 9, ensuring that each row, each column, and each region contains all the digits from 1 to 9 exactly once.
- Initially, some cells in the grid are pre-filled with numbers (clues), and the player's task is to fill in the remaining empty cells.
- The puzzle is solved when all cells are filled, and the three rules mentioned above are satisfied.
- When filling the empty cells, each number must be unique within its row, column, and region.

PROPOSED SOLUTION

Constraint Propagation:

- Constraint propagation is a deduction-based technique used to reduce the solution space by applying constraints to eliminate possibilities and reveal new values.
- It involves iteratively applying logical rules and constraints to deduce information about the puzzle.
- In the context of Sudoku, constraint propagation looks at the known numbers and uses the constraints imposed by those numbers to narrow down possible values for empty cells.
- Techniques like Naked Single (a cell has only one possible value) and Hidden Single (a number appears only once in a row, column, or box) are examples of constraint propagation strategies used in Sudoku.
- Constraint propagation aims to fill in as many cells as possible without resorting to exhaustive search

TOTAL HOUR & WORKS

This project will require around 30 days. 15 days for one person.

<u>DESIGN</u>

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 the constraints imposed by those numbers to narrow down possible values for empty
 cells.
- Techniques like Naked Single (a cell has only one possible value) and Hidden Single (a number appears only once in a row, column, or box) are examples of constraint propagation strategies used in Sudoku.
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IMPLEMENTATION

is_valid(board, row, col, num):

This function checks if placing a number (`num`) at a specific cell (`row`, `col`) on the Sudoku board is a valid move.

find_empty_cell(board):

This function finds the first empty cell (cell with value 0) on the Sudoku board.

solve_sudoku(board):

This function uses constraint propagation and a simple backtracking approach (without recursion) to solve the Sudoku puzzle.

constraint_propagation(board):

This function uses constraint propagation to iteratively solve the Sudoku puzzle without backtracking.

```
import tkinter as tk
     def is_valid(board, row, col, num):
         for i in range(9):
             if board[row][i] == num or board[i][col] == num:
                 return False
         start_row, start_col = 3 * (row // 3), 3 * (col // 3)
         for i in range(3):
             for j in range(3):
                 if board[start_row + i][start_col + j] == num:
11
                     return False
13
14
         return True
15
     def find_empty_cell(board):
         for i in range(9):
17
             for j in range(9):
18
                 if board[i][j] == 0:
19
                     return i, j
20
21
         return None
```

```
def solve_sudoku(board):
24
         empty_cell = find_empty_cell(board)
         if not empty_cell:
26
             return True
27
28
         row, col = empty_cell
29
         for num in range(1, 10):
             if is_valid(board, row, col, num):
30
                  board[row][col] = num
31
                 if solve_sudoku(board):
32
33
                      return True
34
                  board[row][col] = 0
35
36
         return False
```

```
def constraint_propagation(board):
    changed = True
   while changed:
        changed = False
        for row in range(9):
            for col in range(9):
               if board[row][col] == 0:
                    possibilities = set(range(1, 10))
                    possibilities -= set(board[row][j] for j in range(9))
                    possibilities -= set(board[i][col] for i in range(9))
                    start row, start col = 3 * (row // 3), 3 * (col // 3)
                    possibilities -= set(board[start row + i][start col + j] for i in range(3) for j in range(3))
                   if len(possibilities) == 1:
                        board[row][col] = possibilities.pop()
                        changed = True
    return board
def solve button handler():
   input board = []
   for i in range(9):
        row = []
        for j in range(9):
            cell_value = int(cell_entries[i][j].get())
            row.append(cell value)
        input board.append(row)
```

```
constraint_propagation(input_board)
         if solve_sudoku(input_board):
             for i in range(9):
                 for j in range(9):
                     cell_entries[i][j].delete(0, tk.END)
                     cell_entries[i][j].insert(0, str(input_board[i][j]))
70
71
     def create_entry_cells(root):
         cell_entries = []
         for i in range(9):
             row entries = []
             for j in range(9):
                 entry = tk.Entry(root, width=2, font=("Arial", 16), justify="center")
                 entry.grid(row=i, column=j, padx=2, pady=2)
78
                 row_entries.append(entry)
             cell_entries.append(row_entries)
         return cell_entries
```

```
82
      def highlight_boxes(cell_entries):
          for i in range(9):
              for j in range(9):
                  entry = cell_entries[i][j]
                  entry row, entry col = i // 3, j // 3
                  if entry_row % 2 == entry_col % 2:
                      entry.config(bg="#DDDDDDD")
                  else:
 90
                      entry.config(bg="white")
      if __name__ == "__main__":
          root = tk.Tk()
          root.title("Sudoku Solver")
          cell entries = create entry cells(root)
          highlight_boxes(cell_entries)
          solve button = tk.Button(root, text="Solve Sudoku", command=solve button handler)
100
          solve button.grid(row=9, column=0, columnspan=9, padx=10, pady=10)
101
102
          root.mainloop()
103
```

OUTPUT SCREENS

Ø S	Sudokı	ı Solve	er	- 0			×				
3	0	0	8	0	1	0	0	2			
2	0	1	0	3	0	6	0	4			
0	0	0	2	0	4	0	0	0			
8	0	9	0	0	0	1	0	6			
0	6	0	0	0	0	0	5	0			
7	0	2	0	0	0	4	0	9			
0	0	0	5	0	9	0	0	0			
9	0	4	0	8	0	7	0	5			
6	0	0	1	0	7	0	0	3			
	Solve Sudoku										

Ø 5	Sudokı	ı Solve	er		- 0			×			
3	4	6	8	9	1	5	7	2			
2	9	1	7	3	5	6	8	4			
5	7	8	2	6	4	3	9	1			
8	5	9	4	7	3	1	2	6			
4	6	3	9	1	2	8	5	7			
7	1	2	6	5	8	4	3	9			
1	3	7	5	4	9	2	6	8			
9	2	4	3	8	6	7	1	5			
6	8	5	1	2	7	9	4	3			
	Solve Sudoku										

INPUT

OUTPUT

