

STATS 3DA3

Homework Assignment 6

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Question 1

```
import pandas as pd
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
from sklearn.preprocessing import StandardScaler
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression
from sklearn import metrics
from mlxtend.feature_selection import ExhaustiveFeatureSelector as EFS
from mlxtend.feature_selection import SequentialFeatureSelector as SFS
from mlxtend.plotting import plot SequentialFeatureSelector as plot_sfs
from sklearn.model_selection import train_test_split, cross_val_score
from sklearn.metrics import mean_squared_error, confusion_matrix, classification_report
from sklearn.tree import DecisionTreeClassifier, DecisionTreeRegressor, plot_tree
```

```
from patsy import dmatrices, dmatrix
from sklearn.preprocessing import StandardScaler
from sklearn.model_selection import train_test_split
from sklearn import metrics
from sklearn.linear_model import LogisticRegression
from sklearn.linear_model import LinearRegression
from sklearn.metrics import confusion_matrix, classification_report, roc_curve, roc_auc_score
import statsmodels.api as sm
```

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
import requests
import re
```

```

from sklearn import neighbors
from sklearn.preprocessing import scale
from sklearn.model_selection import train_test_split
from sklearn import metrics

```

```

import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import neighbors
from sklearn.preprocessing import scale
from sklearn.model_selection import train_test_split
from sklearn import metrics

```

```

df = pd.read_csv('kidney_disease.csv')
df = df.drop(['id'], axis = 1)
df.head()

```

	age	bp	sg	al	su	rbc	pc	pcc	ba	bgr	...	pcv	wc	rc
0	48.0	80.0	1.020	1.0	0.0	NaN	normal	notpresent	notpresent	121.0	...	44.0	7800.0	5.2
1	7.0	50.0	1.020	4.0	0.0	NaN	normal	notpresent	notpresent	NaN	...	38.0	6000.0	Na
2	62.0	80.0	1.010	2.0	3.0	normal	normal	notpresent	notpresent	423.0	...	31.0	7500.0	Na
3	48.0	70.0	1.005	4.0	0.0	normal	abnormal	present	notpresent	117.0	...	32.0	6700.0	3.9
4	51.0	80.0	1.010	2.0	0.0	normal	normal	notpresent	notpresent	106.0	...	35.0	7300.0	4.6

```

print(df.shape)
print(df.dtypes)

```

```

(400, 25)

```

```

age          float64

```

```

bp          float64

```

sg	float64
al	float64
su	float64
rbc	object
pc	object
pcc	object
ba	object
bgr	float64
bu	float64
sc	float64
sod	float64
pot	float64
hemo	float64
pcv	float64
wc	float64
rc	float64
htn	object
dm	object
cad	object
appet	object
pe	object
ane	object
classification	object
dtype:	object

#Comment

This Chronic Kidney Disease data set has 400 observations and 25 different variable columns. The dataset has a mix of float64 variables and object variables along with one int64 variable. The target variable is the final variable titled 'ckd' which represent 'chronic kidney disease'. This variable has two entries: 'chronic kidney disease (ckd) or not chornic kidney diseas (notckd)'. In, in this project we will be attempting to predict people with chronic kidney disease using a subset of variables that we have been given in the dataframe.

Question 2

```
#convert select columns to categorical
columns_to_convert = ['al','su','rbc','pc','pcc','ba','htn','dm','cad','appet','pe','ane','cla

for col in columns_to_convert:
    df[col] = pd.Categorical(df[col])
```

```
print(df.dtypes)
```

age	float64
bp	float64
sg	float64
al	category
su	category
rbc	category
pc	category
pcc	category
ba	category
bgr	float64
bu	float64
sc	float64
sod	float64
pot	float64
hemo	float64
pcv	float64
wc	float64
rc	float64
htn	category
dm	category
cad	category
appet	category

```

pe                category
ane               category
classification    category
dtype: object

```

```

#now we scale the non categorical variables
num_col = df.select_dtypes(include=['float64','int64']).columns
print(num_col)
scaler=StandardScaler()
df[num_col] = scaler.fit_transform(df[num_col])

```

```

Index(['age', 'bp', 'sg', 'bgr', 'bu', 'sc', 'sod', 'pot', 'hemo', 'pcv', 'wc',
      'rc'],
      dtype='object')

```

```
df.head(5)
```

	age	bp	sg	al	su	rbc	pc	pcc	ba	bgr	...
0	-0.203139	0.258373	0.454071	1.0	0.0	NaN	normal	notpresent	notpresent	-0.341498	...
1	-2.594124	-1.936857	0.454071	4.0	0.0	NaN	normal	notpresent	notpresent	NaN	...
2	0.613295	0.258373	-1.297699	2.0	3.0	normal	normal	notpresent	notpresent	3.473064	...
3	-0.203139	-0.473370	-2.173584	4.0	0.0	normal	abnormal	present	notpresent	-0.392022	...
4	-0.028189	0.258373	-1.297699	2.0	0.0	normal	normal	notpresent	notpresent	-0.530963	...

Comment: We converted the nominal variables to categorical variables and also scaled the numerical variables to have a mean of 0 and standard deviation 1.

Question 3

```

for col in columns_to_convert:
    print(df[col].value_counts(normalize = True, dropna = True))

```

```

al
0.0    0.562147
1.0    0.124294
2.0    0.121469
3.0    0.121469
4.0    0.067797
5.0    0.002825
Name: proportion, dtype: float64

su
0.0    0.826211
2.0    0.051282
3.0    0.039886
1.0    0.037037
4.0    0.037037
5.0    0.008547
Name: proportion, dtype: float64

rbc
normal      0.810484
abnormal    0.189516
Name: proportion, dtype: float64

pc
normal      0.773134
abnormal    0.226866
Name: proportion, dtype: float64

pcc
notpresent  0.893939
present     0.106061
Name: proportion, dtype: float64

ba
notpresent  0.944444
present     0.055556
Name: proportion, dtype: float64

```

```

htn
no      0.630653
yes     0.369347
Name: proportion, dtype: float64
dm
no      0.648241
yes     0.336683
\tno    0.007538
\tyes   0.005025
yes     0.002513
Name: proportion, dtype: float64
cad
no      0.909548
yes     0.085427
\tno    0.005025
Name: proportion, dtype: float64
appet
good    0.794486
poor    0.205514
Name: proportion, dtype: float64
pe
no      0.809524
yes     0.190476
Name: proportion, dtype: float64
ane
no      0.849624
yes     0.150376
Name: proportion, dtype: float64
classification
ckd      0.625
notckd   0.375
Name: proportion, dtype: float64

```



```
df.describe()
```

	age	bp	sg	bgr	bu	sc	sod
count	3.910000e+02	3.880000e+02	3.530000e+02	3.560000e+02	3.810000e+02	383.000000	3.130000
mean	9.994847e-17	-2.380684e-16	2.415443e-15	-1.796316e-16	-3.729883e-17	0.000000	2.270100
std	1.001281e+00	1.001291e+00	1.001419e+00	1.001407e+00	1.001315e+00	1.001308	1.001600
min	-2.885708e+00	-1.936857e+00	-2.173584e+00	-1.591967e+00	-1.108830e+00	-0.466102	-1.280000
25%	-5.530393e-01	-4.733701e-01	-1.297699e+00	-6.193803e-01	-6.032459e-01	-0.378897	-2.433300
50%	2.050779e-01	2.583733e-01	4.540705e-01	-3.414983e-01	-3.058433e-01	-0.309133	4.534600
75%	7.590867e-01	2.583733e-01	4.540705e-01	1.890038e-01	1.700008e-01	-0.047519	4.302500
max	2.246163e+00	7.575807e+00	1.329955e+00	4.319341e+00	6.613723e+00	12.719271	2.451000

```
df.shape
```

```
(400, 25)
```

```
df.dtypes
```

age	float64
bp	float64
sg	float64
al	category
su	category
rbc	category
pc	category
pcc	category
ba	category
bgr	float64
bu	float64
sc	float64
sod	float64

```

pot                float64
hemo               float64
pcv               float64
wc               float64
rc               float64
htn              category
dm              category
cad              category
appet           category
pe              category
ane             category
classification    category
dtype: object

```

```
df['classification'].value_counts()
```

```

classification
ckd          250
notckd       150
Name: count, dtype: int64

```

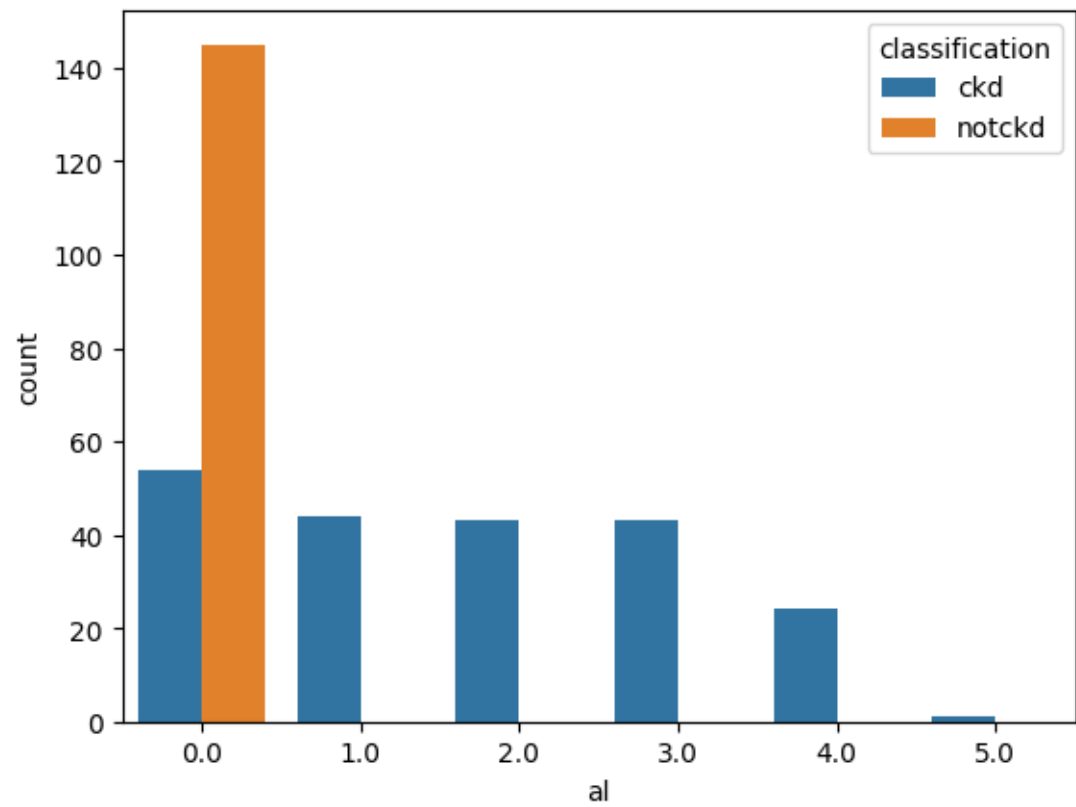
Comment: The dataset has 400 observation counts and 25 variables. There are 12 numerical (float64) variables and 13 categorical variables. Each numerical variable has a normal distribution with mean 0 and standard deviation 1. 250 out of 400 patients have 'chronic kidney disease' while 150 out of 400 patients don't have 'chronic kidney disease'. The features or variables in this data frame include age, blood pressure, specific gravity, albumin, sugar, red blood cells, pus cell, pus cell clumps, bacteria, blood glucose random, blood urea, serum creatinine, sodium, potassium, hemoglobin, packed cell volume, white blood cell count, red blood cell count, hypertension, diabetes mellitus, coronary artery disease, appetite, pedal edema, and anemia.

Question 4

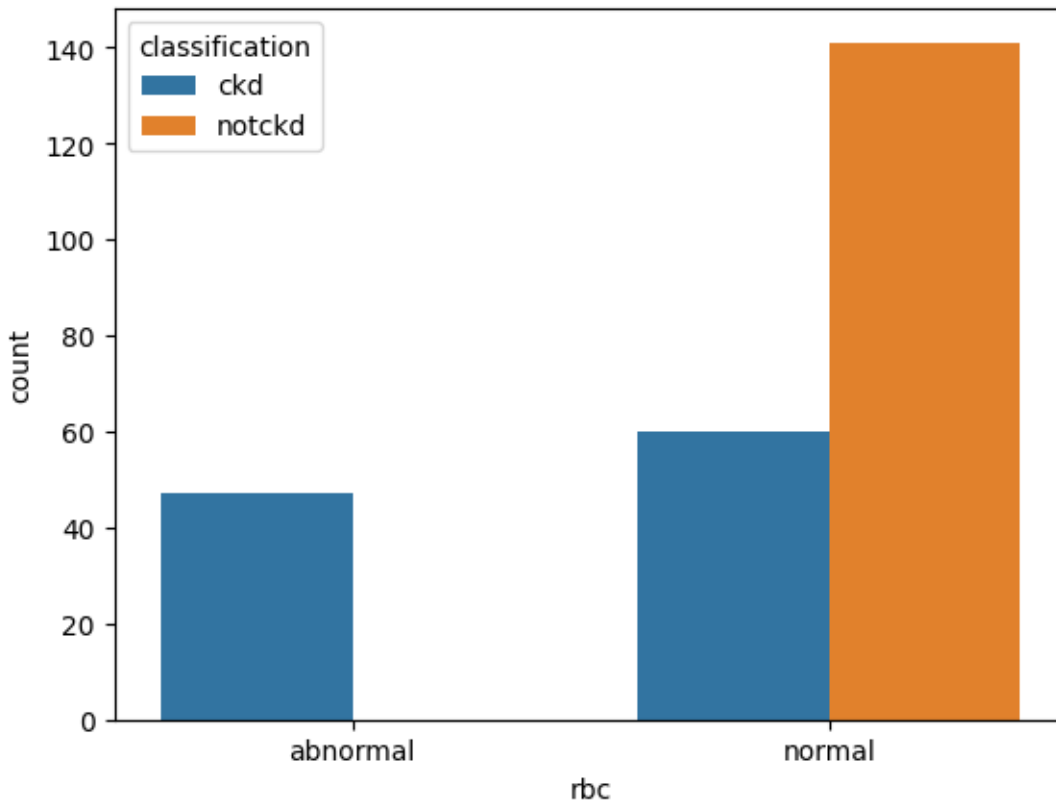
```
#lets view correlation between only numerical variables using a heat map
plt.figure(figsize=(10, 8))
sns.heatmap(df.drop(['al', 'su', 'rbc', 'pc', 'pcc', 'ba', 'htn', 'dm', 'cad', 'appet', 'pe', 'ane', 'class
plt.show()
```



```
sns.countplot(x='al', hue='classification', data=df)
plt.show()
```



```
sns.countplot(x='rbc', hue='classification', data=df)  
plt.show()
```



Comment: From the correlation heatmap, we see that 'pcv' (packed cell volume) and 'hemo' (hemoglobin content) are highly correlated. Thus, if one of these variables is significant in predicting chronic kidney disease (ckd) then it is likely that the other is also significant as well. From our barplots, we see people with 0 'al' (albumin content) do not have ckd ('chronic kidney disease') but people with albumin content in a category other than 0 do. This might imply the 'al' variable is significant in predicting patients with 'ckd'. Finally, from the other barplot, we see that there are patients with 'ckd' with both abnormal and normal rbc (red blood cell) content. However, the people without 'ckd' all had normal red blood cell content. This could imply that 'rbc' could be significant in predicting ckd but further analysis is required.

Question 5

```
print(df.isnull().sum())
```

age

9

bp	12
sg	47
al	46
su	49
rbc	152
pc	65
pcc	4
ba	4
bgr	44
bu	19
sc	17
sod	87
pot	88
hemo	52
pcv	71
wc	106
rc	131
htn	2
dm	2
cad	2
appet	1
pe	1
ane	1
classification	0

dtype: int64

```
df = df.dropna()
df.shape
```

(158, 25)

Comment: We decided to drop any observations that had a missing value to make the classification

techniques simpler in the sense that we will not have to deal with missing values when implementing algorithms later.

Question 6

```
df.describe()
```

	age	bp	sg	bgr	bu	sc	sod	pot
count	158.000000	158.000000	158.000000	158.000000	158.000000	158.000000	158.000000	158.000000
mean	-0.111973	-0.176968	0.431896	-0.210871	-0.096156	-0.154151	0.126957	0.002968
std	0.904623	0.817751	0.963292	0.820255	0.939701	0.536766	0.720683	1.090181
min	-2.652441	-1.936857	-2.173584	-0.985679	-0.940302	-0.466102	-2.552778	-0.667102
25%	-0.713410	-1.205114	0.454071	-0.644642	-0.623073	-0.413779	-0.243334	-0.290783
50%	-0.057347	0.258373	0.454071	-0.410969	-0.355410	-0.344015	0.141573	-0.039904
75%	0.496661	0.258373	1.329955	-0.205715	-0.152185	-0.256810	0.622708	0.085536
max	1.837946	2.453604	1.329955	4.319341	4.987923	2.115162	1.200069	13.288071

Comment:

Using `df.describe()` we can see that there are definitely outliers in certain variables since some variables have 'max' values that are 1.25 times greater than the 75% quartile. However, because our data set has 12 categorical variables (out of 24 excluding the target variable) it would not make sense to drop a whole row of observations based on an outlier in one variable. The categorical variables don't have outliers because the max value is just another category. Thus, we choose not to drop any outliers for this project.

Question 7

lets explore the subgroup of all the numerical variables

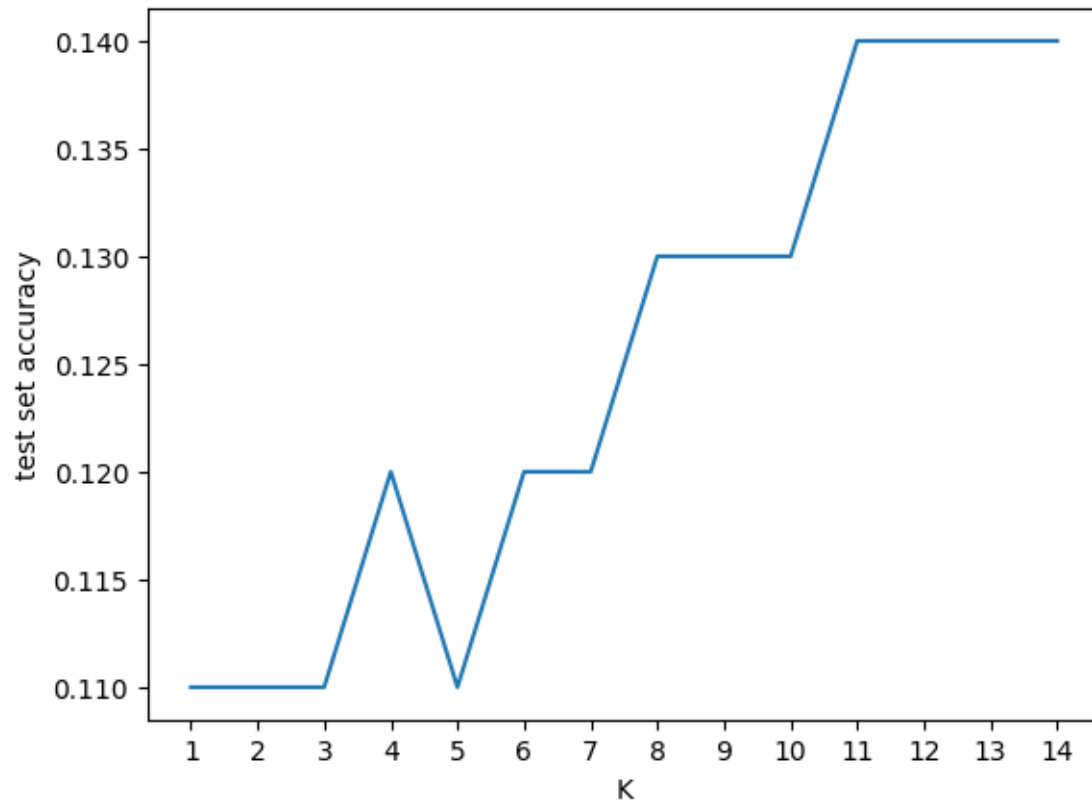
```
x_SP = df[['age', 'bp', 'sg', 'bgr', 'bu', 'sc', 'sod', 'pot', 'hemo', 'pcv', 'wc', 'rc']]
y_SP = df['classification']
y_SP = y_SP.astype('category').cat.codes
```

```
x_SP_train, x_SP_test, y_SP_train, y_SP_test = train_test_split(
    x_SP,
    y_SP,
    test_size=0.5,
    random_state=0
)
```

```
k_range = range(1, 15)
scores_r = []

for k in k_range:
    knn_r = neighbors.KNeighborsRegressor(n_neighbors=k)
    knn_r.fit(x_SP_train, y_SP_train)
    y_r_pred = knn_r.predict(x_SP_test)
    scores_r.append(round(np.sqrt(metrics.mean_squared_error(y_SP_test, y_r_pred)), 2))
```

```
plt.plot(k_range, scores_r)
plt.xlabel('K')
plt.ylabel('test set accuracy')
plt.xticks(range(1,15))
plt.show()
```

Comment: We see that we get low test accuracies and the most optimal k is 14. This is problematic because we only have two classes for (ckd and notckd). This means that we must look at the categorical variables for further analysis and a more accurate prediction.

Question 8

```
X = df.drop(columns=['classification']) # Replace 'target_column' with the name of your target
y = df['classification']
y = y.astype('category').cat.codes
cat = ['al', 'su', 'rbc', 'pc', 'pcc', 'ba', 'htn', 'dm', 'cad', 'appet', 'pe', 'ane']

for col in cat:
    X[col] = pd.Categorical(X[col]).codes
```

```
# Set the random seed for reproducibility
random_seed = 1

# Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.3, random_state=random_s
```

Question 9

Comment: Considering our dataframe has an equal mixture of numerical and categorical variables, We are going to use Decision Tree and logistic regression techniques for this project. Other techniques seem to require only numerical variables which would not be appropriate for this data set.

Question 10

Logistic regression is a classification model, where the target variable is categorical and has only two possible outcomes, typically labeled as 0 and 1 (or in this case ckd or notckd). The logistic regression model uses covariates to predicts the probability that a given observation belongs to a particular category based on one or more predictor variables (or independent variables).

A decision tree is classification that is a a tree-like structure where internal nodes represent features, branches represent decision rules, and leaf nodes represent outcomes. It use various criteria to split the data at each internal node and splitting should maximize the homogeneity of the target variable within each node.

Question 11 and 12

Note: To enhance the performance of the decision tree, we will decide to prune the tree (i.e calculate the most optimal number of nodes and then use that for our decision tree)

```
y[:4]
```

```
3      0
9      0
11     0
14     0
```

```
dtype: int8
```

```
model = sm.Logit(y_train, X_train).fit()
```

```
Warning: Maximum number of iterations has been exceeded.
```

```
Current function value: 0.000000
```

```
Iterations: 35
```

```
c:\Users\vishu\OneDrive\Desktop\STATS 3DA3\.venv\Lib\site-packages\statsmodels\discrete\discrete
```

```
warnings.warn(msg, category=PerfectSeparationWarning)
```

```
c:\Users\vishu\OneDrive\Desktop\STATS 3DA3\.venv\Lib\site-packages\statsmodels\base\model.py:6
```

```
warnings.warn("Maximum Likelihood optimization failed to "
```

```
model.summary()
```

Dep. Variable:	y	No. Observations:	110
Model:	Logit	Df Residuals:	86
Method:	MLE	Df Model:	23
Date:	Thu, 18 Apr 2024	Pseudo R-squ.:	1.000
Time:	21:19:22	Log-Likelihood:	-8.8060e-09
converged:	False	LL-Null:	-64.455
Covariance Type:	nonrobust	LLR p-value:	1.012e-16

	coef	std err	z	P > z 	[0.025	0.975]
age	-2.4304	3.41e+05	-7.13e-06	1.000	-6.68e+05	6.68e+05
bp	0.2227	3.74e+05	5.96e-07	1.000	-7.33e+05	7.33e+05
sg	5.4044	9.87e+05	5.47e-06	1.000	-1.93e+06	1.93e+06
al	-10.7318	8.46e+06	-1.27e-06	1.000	-1.66e+07	1.66e+07
su	0.0702	7.77e+06	9.03e-09	1.000	-1.52e+07	1.52e+07
rbc	16.3612	1.74e+07	9.42e-07	1.000	-3.4e+07	3.4e+07
pc	17.5684	4.54e+07	3.87e-07	1.000	-8.9e+07	8.9e+07
pcc	2.9733	4.96e+07	5.99e-08	1.000	-9.73e+07	9.73e+07
ba	6.8591	2.35e+07	2.91e-07	1.000	-4.61e+07	4.61e+07
bgr	4.3407	1.49e+06	2.91e-06	1.000	-2.92e+06	2.92e+06
bu	10.0970	1.75e+06	5.75e-06	1.000	-3.44e+06	3.44e+06
sc	-12.6277	4.33e+06	-2.92e-06	1.000	-8.48e+06	8.48e+06
sod	3.3881	7.04e+05	4.81e-06	1.000	-1.38e+06	1.38e+06
pot	0.9606	8.02e+05	1.2e-06	1.000	-1.57e+06	1.57e+06
hemo	4.4768	5.33e+05	8.4e-06	1.000	-1.04e+06	1.04e+06
pcv	1.6459	4.92e+05	3.35e-06	1.000	-9.64e+05	9.64e+05
wc	-2.5923	5.64e+05	-4.59e-06	1.000	-1.11e+06	1.11e+06
rc	0.8854	5.06e+05	1.75e-06	1.000	-9.91e+05	9.91e+05
htn	-9.5349	3.4e+07	-2.81e-07	1.000	-6.66e+07	6.66e+07
dm	-5.1430	2.2e+07	-2.34e-07	1.000	-4.31e+07	4.31e+07
cad	3.7101	8.57e+07	4.33e-08	1.000	-1.68e+08	1.68e+08
appet	-8.7439	2.99e+07	-2.92e-07	1.000	-5.86e+07	5.86e+07
pe	2.3549	3.33e+07	7.07e-08	1.000	-6.53e+07	6.53e+07
ane	5.3480	3.35e+07	1.6e-07	1.000	-6.57e+07	6.57e+07

Complete Separation: The results show that there is complete separation or perfect prediction. In this case the Maximum Likelihood Estimator does not exist and the parameters are not identified.

```
def_log = LogisticRegression()
```

```
def_log.fit(X_train, y_train)
```

```
LogisticRegression()
```

```
pred_prob = def_log.predict_proba(X_test)
pred_prob
hf = pd.DataFrame(
    data = {'prob0': pred_prob[:,1], 'y_test': y_test}
)
hf.head()
```

	prob0	y_test
248	0.071801	0
84	0.002258	0
383	0.992023	1
263	0.988554	1
48	0.091381	0

```
hf['y_test_pred'] = hf.prob0.map(lambda x: 1 if x>0.5 else 0)
cm = confusion_matrix(hf.y_test, hf.y_test_pred)
print('Confusion Matrix : \n', cm)
```

Confusion Matrix :

```
[[13  0]
```

```
[ 0 35]]
```

```
print(classification_report(hf.y_test, hf.y_test_pred))
```

```
precision    recall  f1-score   support
```

0	1.00	1.00	1.00	13
1	1.00	1.00	1.00	35
accuracy				1.00 48
macro avg				1.00 1.00 1.00 48
weighted avg				1.00 1.00 1.00 48

```
##decision tree
```

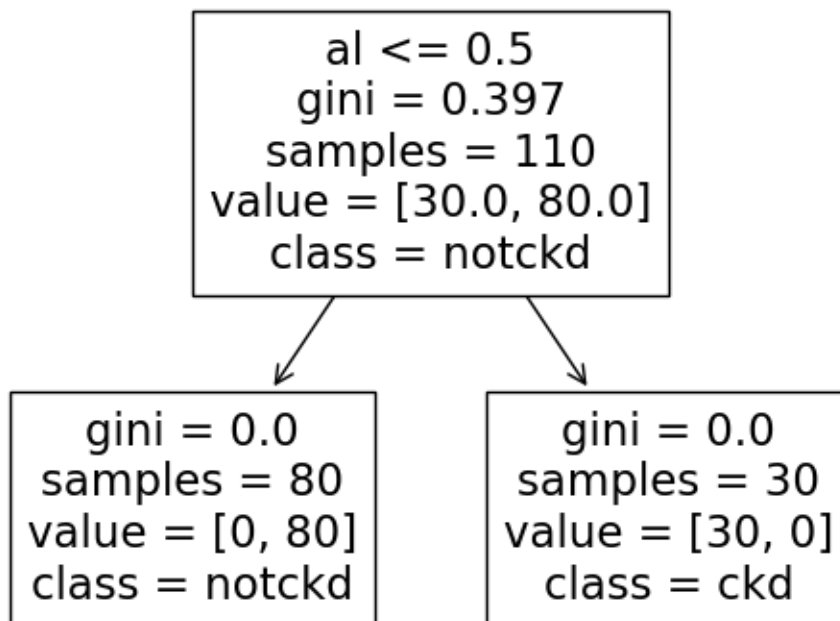
```
cs_dt = DecisionTreeClassifier(
    max_depth = 10,
    random_state=0
)
```

```
cs_dt.fit(X_train, y_train)
```

```
DecisionTreeClassifier(max_depth=10, random_state=0)
```

```
plot_tree(
    cs_dt,
    max_depth= 2,
    feature_names = X_train.columns.tolist(),
    class_names=['ckd', 'notckd']
)
```

```
[Text(0.5, 0.75, 'a1 <= 0.5\ngini = 0.397\nsamples = 110\nvalue = [30.0, 80.0]\nclass = notckd',
Text(0.25, 0.25, 'gini = 0.0\nsamples = 80\nvalue = [0, 80]\nclass = notckd'),
Text(0.75, 0.25, 'gini = 0.0\nsamples = 30\nvalue = [30, 0]\nclass = ckd')]
```



```

pred = cs_dt.predict(X_test)
pred[:5]

cm = pd.DataFrame(confusion_matrix(y_test, pred), index=['No', 'Yes'], columns=['No', 'Yes'])
cm.index.name = 'True'
cm.columns.name = 'Predicted'
cm

```

	Predicted	
True	No	Yes
	12	1
Yes	0	35

```
print(classification_report(y_test, pred))
```

```

              precision    recall  f1-score   support

0               1.00      0.92      0.96         13

```

1	0.97	1.00	0.99	35
accuracy			0.98	48
macro avg	0.99	0.96	0.97	48
weighted avg	0.98	0.98	0.98	48

```

path = cs_dt.cost_complexity_pruning_path(
    X_train,
    y_train
)
ccp_alphas, impurities = path.ccp_alphas, path.impurities
clfs = [] # save fitted trees with different alphas
for ccp_alpha in ccp_alphas:
    clf = DecisionTreeClassifier(
        random_state=0,
        ccp_alpha=ccp_alpha
    )
    clf.fit(X_train, y_train)
    clfs.append(clf)
depth = [clf.tree_.max_depth for clf in clfs]
depth

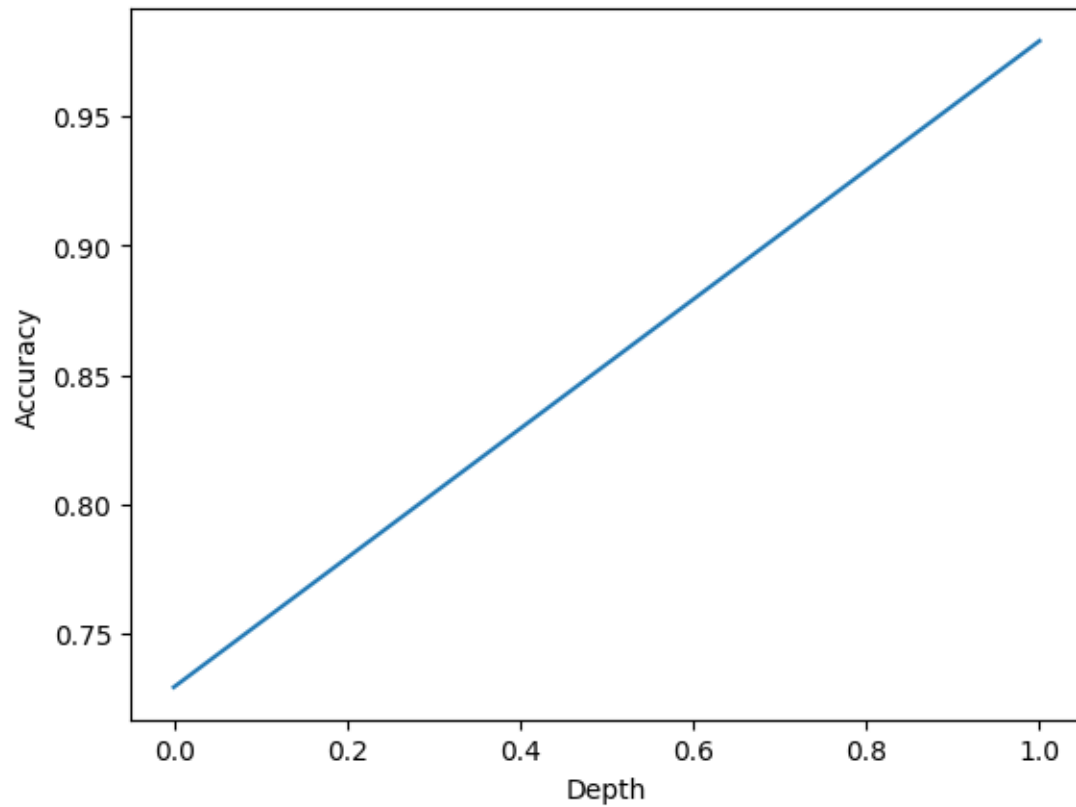
```

[1, 0]

```

test_score = [clf.score(X_test, y_test) for clf in clfs]
plt.plot(depth, test_score)
plt.xlabel('Depth')
plt.ylabel('Accuracy')
plt.show()

```

```
X_train.shape
```

```
(110, 24)
```

```
cs_dt_best = DecisionTreeClassifier(  
    max_depth = 1,  
    random_state=0  
)  
cs_dt_best.fit(X, y)
```

```
DecisionTreeClassifier(max_depth=1, random_state=0)
```

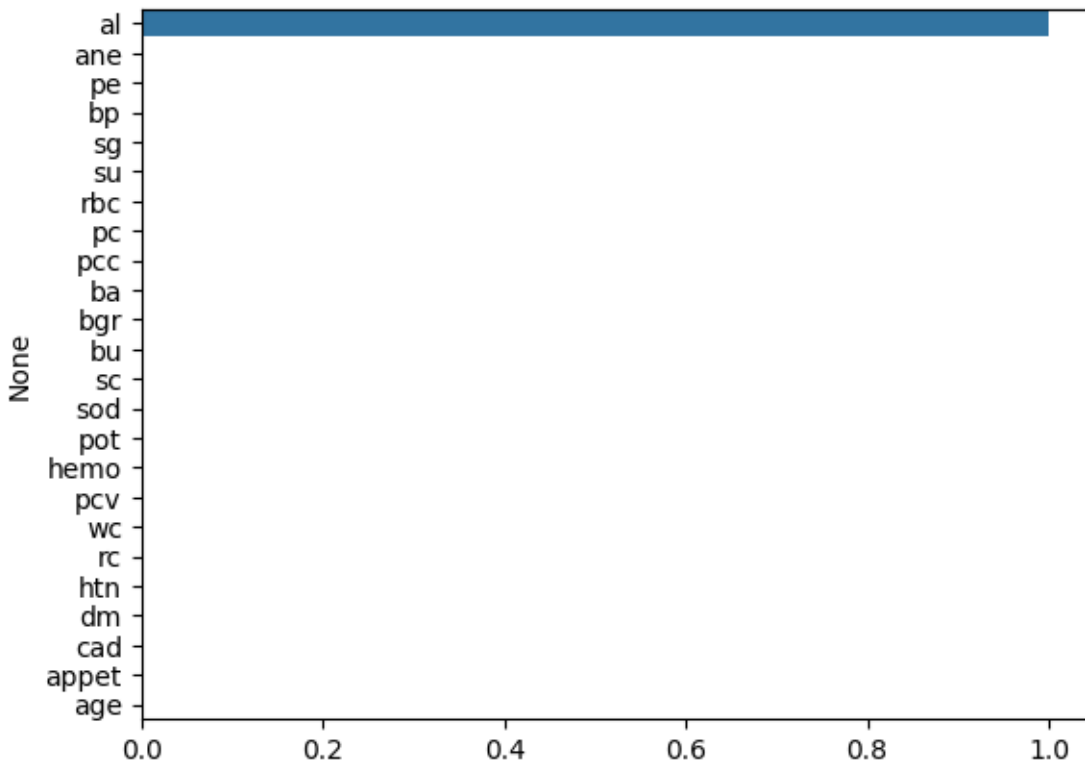
```
pred1 = cs_dt_best.predict(X_test)  
pred1[:5]  
cm1 = pd.DataFrame(confusion_matrix(y_test, pred), index=['ckd', 'notckd'], columns=['No', 'Yes'])  
cm1.index.name = 'True'
```

```
cm.columns.name = 'Predicted'
cm1
```

	No	Yes
True		
ckd	12	1
notckd	0	35

```
fea_imp = cs_dt_best.feature_importances_
sorted_indices = fea_imp.argsort()[::-1]
sorted_feature_names = X_train.columns[sorted_indices]
sorted_importances = fea_imp[sorted_indices]
```

```
sns.barplot(x = sorted_importances, y = sorted_feature_names)
plt.show()
```



Comment: our findings show that our logistic regression is 100% accurate in predicting patients with chronic kidney disease on the test set while the decision tree was 97.9% accurate $(12 + 35)/48$. Also, our decision tree showed that albumin content is the sole variable that can accurately predict people with ckd. Moreover, people who have albumin content in the 0 category do not have ckd while people with an albumin content in a category other than 0 are predicted to have ckd.

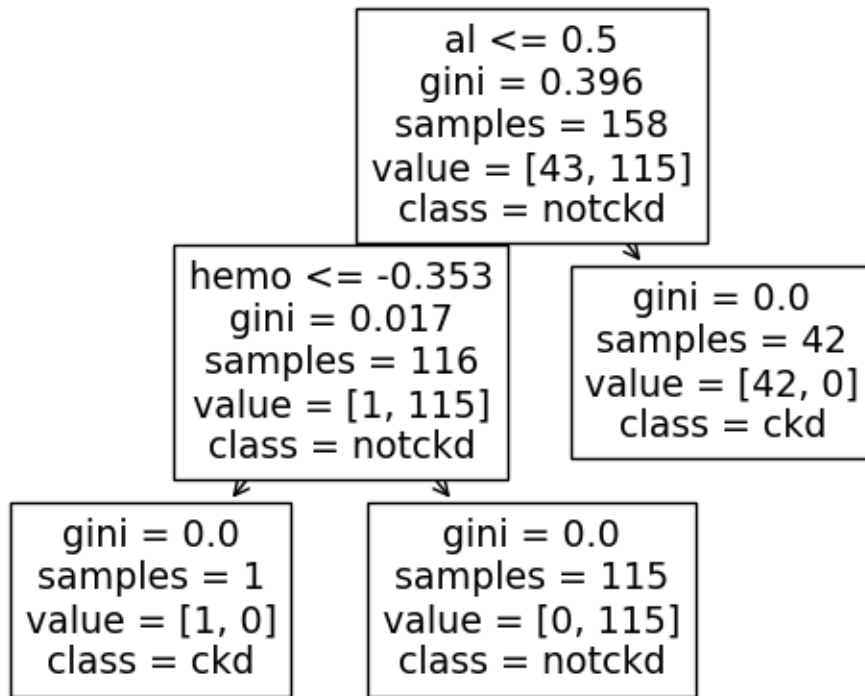
Question 13

```
#decision tree on the entire data set
decision_tree = DecisionTreeClassifier(
    max_depth = 10,
    random_state=0
)
decision_tree.fit(X, y)
```

```
DecisionTreeClassifier(max_depth=10, random_state=0)
```

```
plot_tree(
    decision_tree,
    max_depth= 10,
    feature_names = X_train.columns.tolist(),
    class_names=['ckd', 'notckd']
)
```

```
[Text(0.6, 0.8333333333333334, 'al <= 0.5\n'gini = 0.396\n'samples = 158\n'value = [43, 115]\n'clas
Text(0.4, 0.5, 'hemo <= -0.353\n'gini = 0.017\n'samples = 116\n'value = [1, 115]\n'nclass = notckd'
Text(0.2, 0.16666666666666666, 'gini = 0.0\n'samples = 1\n'value = [1, 0]\n'nclass = ckd'),
Text(0.6, 0.16666666666666666, 'gini = 0.0\n'samples = 115\n'value = [0, 115]\n'nclass = notckd')
Text(0.8, 0.5, 'gini = 0.0\n'samples = 42\n'value = [42, 0]\n'nclass = ckd')]
```



By retraining the model on all the available data, we see that our decision tree shows that both albumin and hemoglobin are significant in predicting a patient with coronary artery disease. This is in contrast to our original decision where only albumin content seemed to be used for prediction. Here, that this model is 100% accurate because it predicts that there was one other patient with albumin content in category 0 but but also had hemoglobin content less than -0.353 (standardized) which placed them as diagnosed with ckd. Thus, this decision tree is more accurate.

Question 14

Comment: From the decision tree above, it seems as though albumin and hemoglobin are significant in predicting if a patient has ckd or not. Lets use these two columns, remove the missing values, and then improve our logistic regression model to see if we can obtain a significant model.

Question 16

```
h = df[['al','hemo']] # Replace 'target_column' with the name of your target variable
g = df['classification']
```

```

g = g.astype('category').cat.codes
cat = ['a1']

for col in cat:
    X[col] = pd.Categorical(X[col]).codes

# Set the random seed for reproducibility
random_seed = 1

# Split the data into training and testing sets
h_train, h_test, g_train, g_test = train_test_split(h, g, test_size=0.3, random_state=random_s

model1 = sm.Logit(g_train, h_train).fit()

```

Warning: Maximum number of iterations has been exceeded.

Current function value: 0.000000

Iterations: 35

```

c:\Users\vishu\OneDrive\Desktop\STATS 3DA3\.venv\Lib\site-packages\statsmodels\discrete\discrete
warnings.warn(msg, category=PerfectSeparationWarning)
c:\Users\vishu\OneDrive\Desktop\STATS 3DA3\.venv\Lib\site-packages\statsmodels\discrete\discrete
warnings.warn(msg, category=PerfectSeparationWarning)
c:\Users\vishu\OneDrive\Desktop\STATS 3DA3\.venv\Lib\site-packages\statsmodels\discrete\discrete
warnings.warn(msg, category=PerfectSeparationWarning)
c:\Users\vishu\OneDrive\Desktop\STATS 3DA3\.venv\Lib\site-packages\statsmodels\discrete\discrete
warnings.warn(msg, category=PerfectSeparationWarning)
c:\Users\vishu\OneDrive\Desktop\STATS 3DA3\.venv\Lib\site-packages\statsmodels\base\model.py:6
warnings.warn("Maximum Likelihood optimization failed to "

```

```
model1.summary()
```

Dep. Variable:	y	No. Observations:	110
Model:	Logit	Df Residuals:	108
Method:	MLE	Df Model:	1
Date:	Thu, 18 Apr 2024	Pseudo R-squ.:	1.000
Time:	21:19:25	Log-Likelihood:	-6.3524e-09
converged:	False	LL-Null:	-64.455
Covariance Type:	nonrobust	LLR p-value:	7.098e-30

	coef	std err	z	P> z	[0.025	0.975]
al	-25.7662	8.6e+04	-0.000	1.000	-1.69e+05	1.68e+05
hemo	120.3078	7.79e+04	0.002	0.999	-1.53e+05	1.53e+05

Complete Separation: The results show that there is complete separation or perfect prediction.

In this case the Maximum Likelihood Estimator does not exist and the parameters are not identified.

Comment: We have thus improved the logistic regression classifier since we are getting a model with a perfect prediction but we have also gotten rid of all but two variables. Hence, by the principle of parsimony, this model should be used and is more significant.