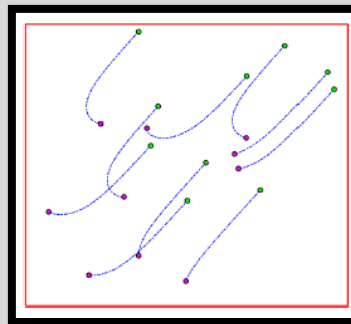
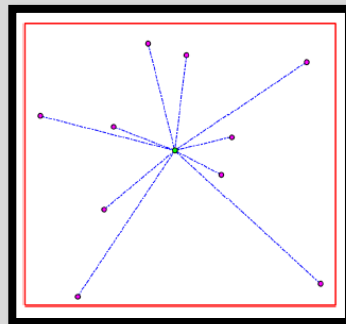


Control of Multiple Robots

- **Problem: Coordinating multiple distributed behaviors across a network with more than one decision maker.**
- **Simplification: Making teams of robots assemble desired geometric formations.**
- **Solution: Formation Control**
 - Reaching Decentralized Agreement
 - Weighted Protocols

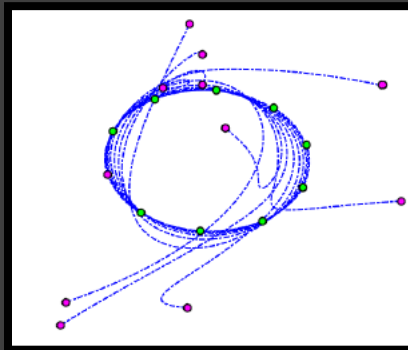
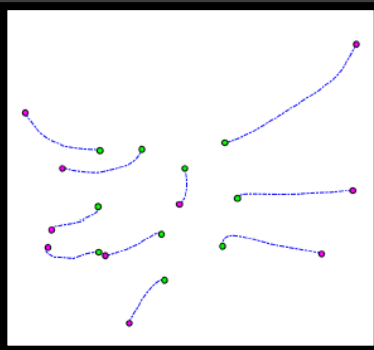


- Algorithms Local
 - Robots Actions – Measurable Information
- Rendezvous Problem
 - A prior agreed upon meeting location.
 - Evaluate total error.
- $\dot{x}_i = -\sum_{(j,i) \in E} (x_i - x_j)$
 - Node Level Dynamics
 - Linear
 - Relative Position Difference between Adjacent Robots
- Node-Level Dynamics
 - $\dot{x} = -Lx$
 - where, L is a varying $N \times N$ dimensional matrix.
 - Consensus Equation
 - Reaching an agreed point.
 - Otherwise, common heading.
 - Information Exchange Network
 - Measurable & Scalable
- Rendezvous Design means Collisions.

Formation Control

Reaching Decentralized Agreement

- Rendezvous Problem
 - Producing Robot Motions
 - Evolution of Network Structure
- Cyclic Pursuit Control & Formation Control
- Robot's must remain Distant



Weighted Protocols

- Symmetric, Pairwise Performance Cost between Robots
- 'Fish' Analogy

$$w_{ij} = \frac{1}{\|x_i - x_j\|}$$

- *Formation Control Protocol*
- *Connectivity Maintenance*
- Rich & Diverse Multi-Robot Response – Assembling a Shape
- Modifications for Spread Arrangement or Covering of an Area.
- Formation Control

$$w_{ij} = \frac{1 - \frac{\delta}{\|x_i - x_j\|}}{(\Delta - \|x_i - x_j\|)^3}$$

Applications

- Factory Floor
- Emergency Response and Rescue
- Homecare
- Natural Resource Monitoring