

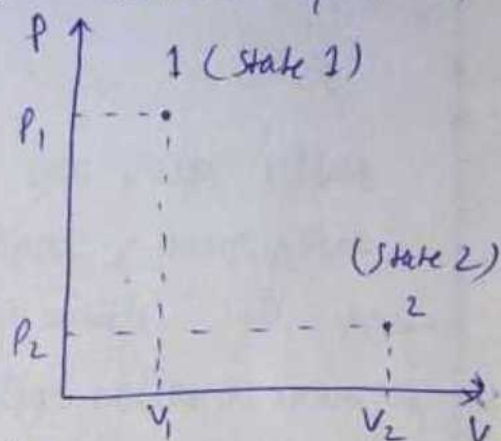
Thermodynamic State, Path, Process & Cycle:

The physical condition of a thermodynamic system at any time is known as thermodynamic state of system, it is described by a set of thermodynamic properties.

Ex: 5 kg of gas is kept at a pressure of 5 MPa & temp. of 350 K.

The state of the system is described by thermodyn. co-ordinates on property diagram.

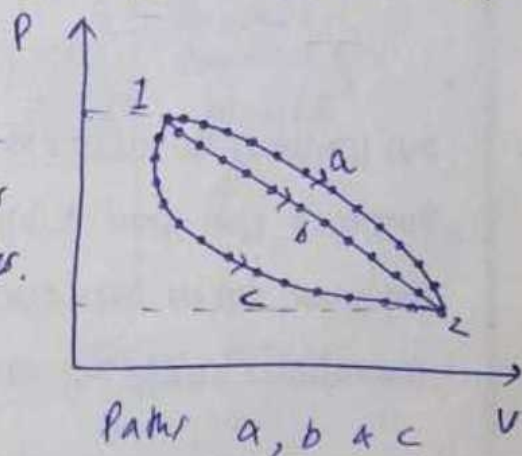
Any operation; in which at least one of the properties of system changes is known as change of state.



The locus of the infinite intermediate states, during a change of state is known as thermodyn. Path.

If during a change of state; the path is completely specified; it is known as a thermodynamic process.

Ex: Process 1a2
 " 1b2
 " 1c2

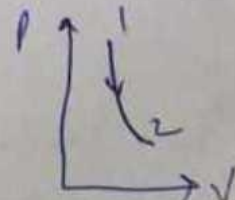
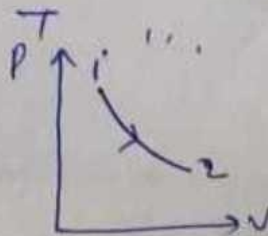
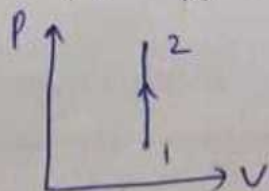
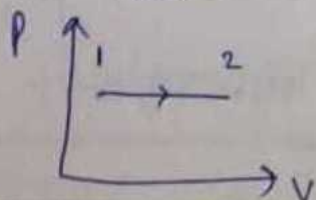


An isobaric process is a const. P process.

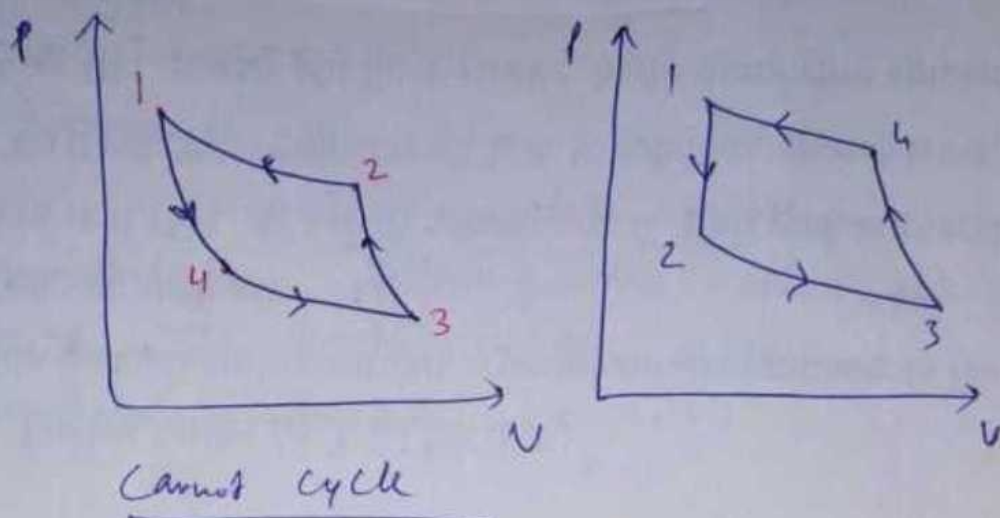
" isochoric " " " " V " "

" Adiabatic " is " " Heat " (No heat flow)

" isotherm " " " " T " "

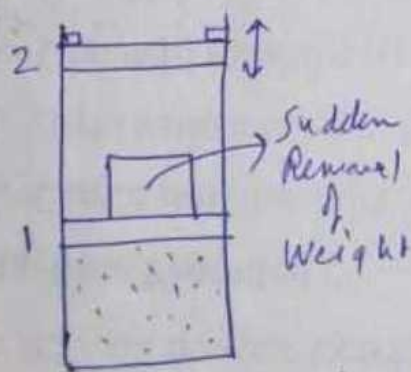


A thermodynamic cycle is a series of thermodynamic processes such that the final state is coinciding with the initial state.

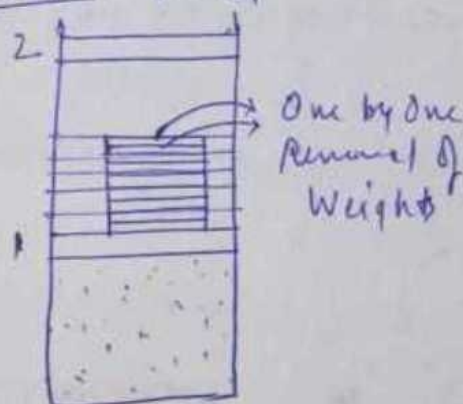


QUASI-STATIC PROCESS
is known as a
QUASI: Almost

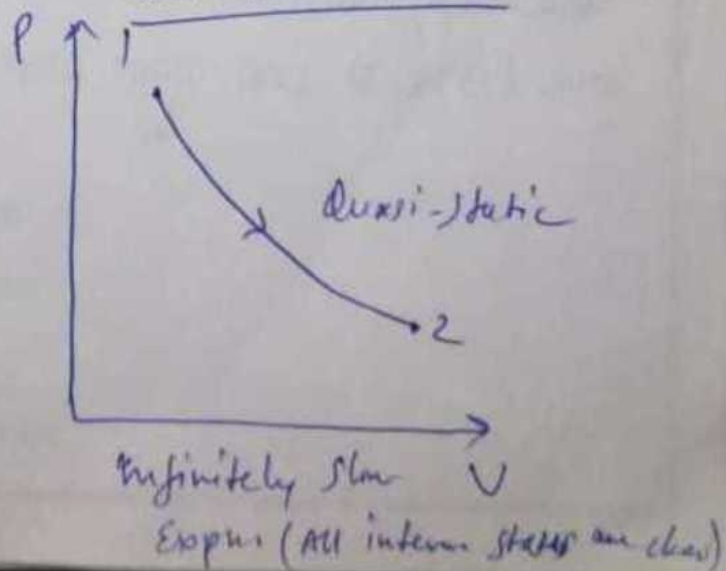
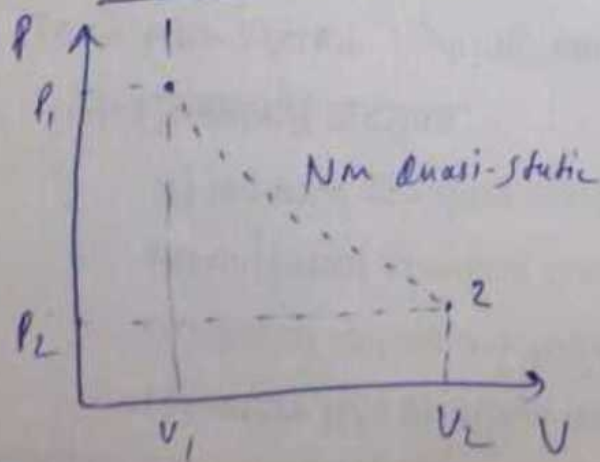
An infinitely slow process
is known as a Quasi-static process,
Static: Fixed



Not Quasi-Static Process



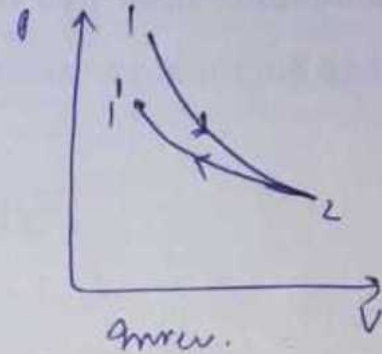
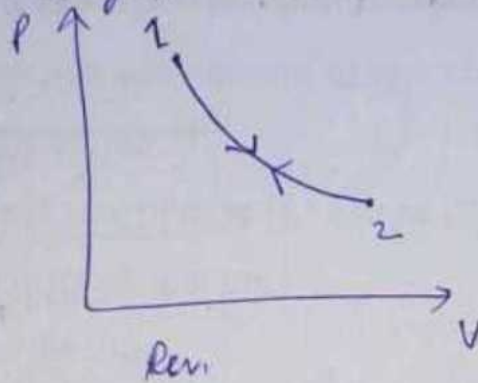
Quasi-Static Process



A quasi-static process is represented by a continuous line on property diagrams & non-quasi-static by a dashed line.

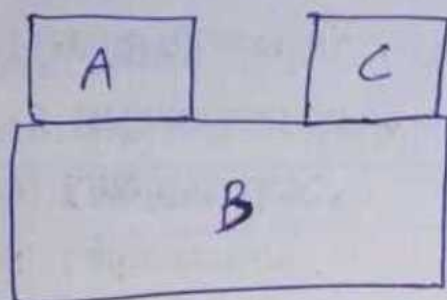
Reversible & Irreversible processes

A process is said to be reversible; if it can be reversed in direction; following the same path; without leaving any change in the system as well as surroundings, otherwise irreversible.



- Ex:
- A frictionless quasi-static expansion or compression of a gas is a rev. process.
 - Ideal flow through a nozzle, turbine etc. irreversible.

Zeroth Law of Thermodynamics : If a body A is in thermal equilibrium with body B & body B is in thermal equilibrium with body C ; then Body A & Body C will be in thermal equilibrium, without even in direct contact.



$$T_A = T_B$$

$$T_B = T_C$$

$$\Rightarrow \boxed{T_A = T_C}$$

Zeroth law is the basis of Thermometry i.e. the science of temp. measurement.

• R.H. Fowler gave Zeroth law in 1931. (VERY NEW)

Temperature Measurement (Thermometry)

Temperature difference is the driving potential ; which causes the heat transfer.

✗ $\theta(T)$ is ^{generally} also said as the degree of hotness or coldness of any body.

Temperature is the measure of the mean K.E. of the molecules of any ~~object~~ system.

Unlike other properties like Mass, Volume, length etc. of the system ; temperature is not directly seen or measured. But temperature is measured in the form of some physical characteristic of the

material, which varies with temperature in a predictable & repeatable way. Now the change in this property is taken as an indication of the change in temperature.

The device, which is used to measure temp., is known as a thermometer; the physical property; which changes with r. to temp. in a predictable & repeatable way, is known as thermometric property & the material is known as thermometric material.

Ex: (1) In Mercury in Glass thermometer; Hg is thermo. material; expansion in the length of Hg column is ^{used as} the thermometric property.

(2) In case of thermistor (Resistance thermometer); A metal like Pt etc. is thermo material & Resistance acts as a thermometric property.

$$R_t = R_0 (1 + \alpha \cdot t)$$

R_0 = Resist. at 0°C ; α = const (dependent on Metal)
 R_t = " " $t^\circ\text{C}$

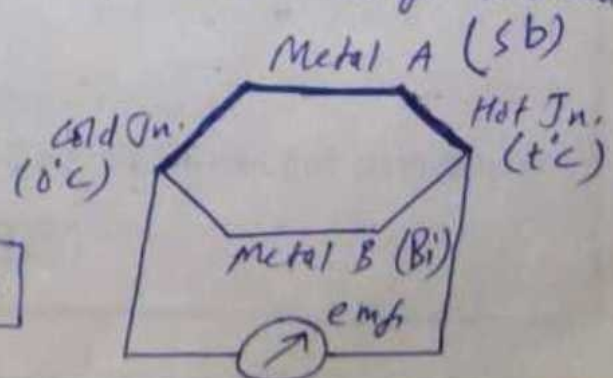
(3) In case of a thermocouple; Bimetallic joint acts as thermometric material & the emf induced is the property.

$$\text{emf} \propto t$$

when $t = 0^\circ\text{C}$

$$\text{emf} = 0$$

Pt-Rh



After 1954, Only single Reference Point i.e., triple point of water (273.16 K) is used for calibration of the thermometer.

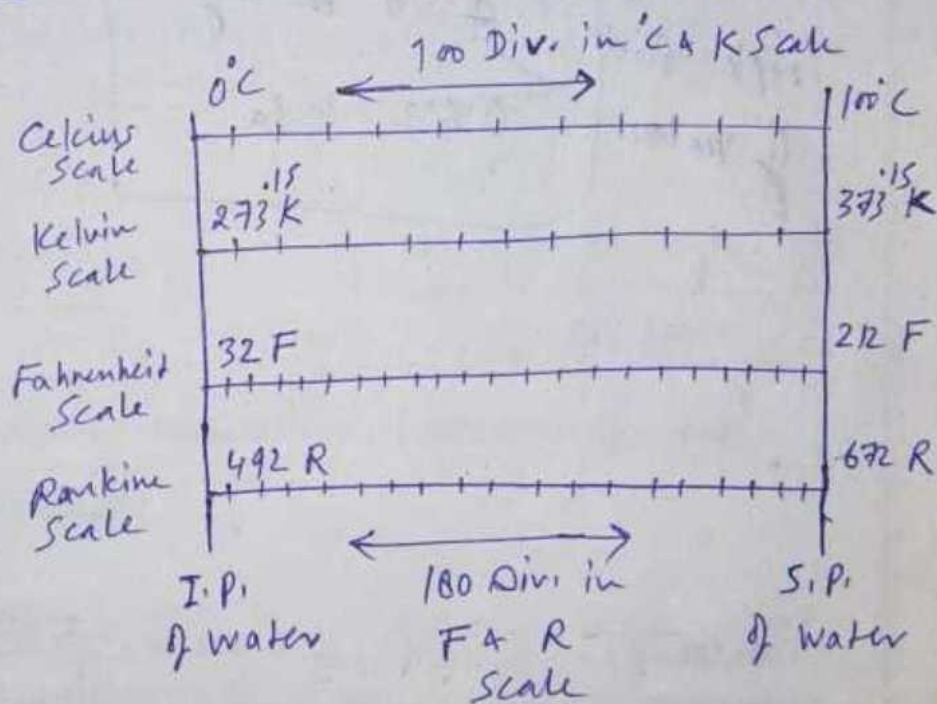
Triple Point: At which; all the 3 phases, viz.: solid, liquid & gas co-exist in equilibrium, e.g. for water (0.01°C or 273.16 K)

$$\Rightarrow T_{tp} = a \cdot X_{tp} \Rightarrow a = \frac{T_{tp}}{X_{tp}}$$

Now $T = a \cdot X$

$$\Rightarrow T = \frac{T_{tp} \cdot X}{X_{tp}}$$

Temperature Scales



From the eqn

$$\frac{T - T_i}{T_s - T_i} = C$$

$$\frac{C - 0}{100 - 0} = \frac{K - 273.15}{373.15 - 273.15} = \frac{F - 32}{212 - 32} = \frac{R - 492}{672 - 492}$$

$$\boxed{\frac{C}{5} = \frac{K - 273.15}{5} = \frac{F - 32}{9} = \frac{R - 492}{9}} \quad \checkmark \checkmark$$

Note: All the thermometers will give the same reading at the calibration points i.e. reference points (T.F.P. & S.F.P. of water); but it is not necessary that they will give the same reading in between these reference points; that's why temp. scales are said to be ARBITRARY in nature.

Prob: A new temp. scale in $^{\circ}N$ is devised with F.P. at $100^{\circ}N$ & B.P. at $400^{\circ}N$; Establish a correlation between $^{\circ}C$ & $^{\circ}N$.

Sol: $^{\circ}C$: $100 = a \cdot x_s + b$; $0 = a \cdot x_i + b$
 $\Rightarrow b = -a \cdot x_i$

$$100 = a \cdot x_s - a \cdot x_i$$

$$a = \frac{100}{(x_s - x_i)} ; b = -\frac{100 \cdot x_i}{(x_s - x_i)}$$

$^{\circ}N$: $400 = a \cdot x_s + b$; $100 = a \cdot x_i + b$

$$T_c = \frac{100 \cdot x_s}{(x_s - x_i)} - \frac{100 x_i}{(x_s - x_i)} = \frac{100 (x - x_i)}{(x_s - x_i)} \quad \text{--- (1)}$$

$$a (x_s - x_i) = 300 \Rightarrow a = \frac{300}{(x_s - x_i)}$$

$$b = 100 - \frac{300 \cdot x_i}{(x_s - x_i)} = \frac{100 x_s - 100 x_i - 300 x_i}{(x_s - x_i)}$$

$$b = \frac{100 x_s - 400 x_i}{(x_s - x_i)}$$

$$T_N = \frac{300 \cdot x}{(x_s - x_i)} + \frac{100 x_s - 400 x_i}{(x_s - x_i)}$$

$$T_N = \frac{300 (x - x_i)}{(x_s - x_i)} + 100$$

from eq. (1) : $T_N = 3 T_c + 100$

Ans