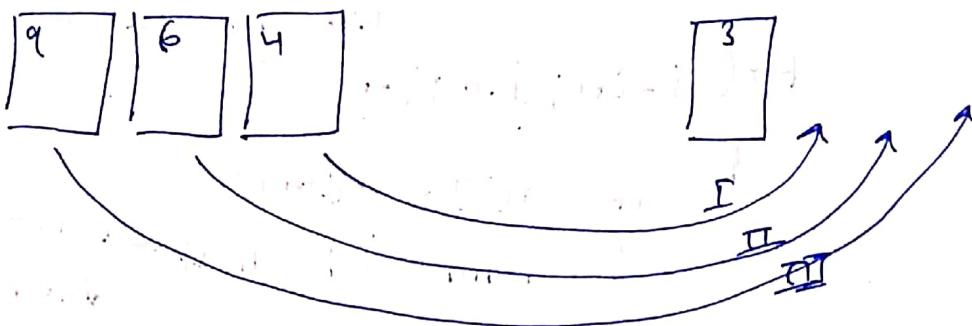


SORTING Algos

Selection Sort

left = unsorted right = sorted



finding min and
put to right hand

sorted list is ready

$$\Rightarrow \boxed{2 \ 7 \ 4 \ 1 \ 5 \ 3}$$

↑
find min

⇒ Now swap it with index [0] element

$$\Rightarrow \boxed{1 \ 7 \ 4 \ 2 \ 5 \ 3}$$

⇒ find min

⇒ Now swap it with index [1] element

$$\Rightarrow \boxed{1 \ 2 \ 4 \ 7 \ 5 \ 3}$$

$$\Rightarrow \boxed{1 \ 2 \ 3 \ 4 \ 5 \ 7}$$

$T = O(n^2)$

void SelectionSort(int A[], int n)

{

 for(i=0; i<n-1; i++) // we need to do $n-2$ passes

 int imin = i; // init position elements from i
 // till n-1 are candidates

 for(j=i+1; j<n; j++)

{

 if (A[j] < A[imin])

 imin = j; // update index of
 // minimum element

 3

3

 int temp = A[i];

 A[i] = A[imin];

 A[imin] = temp;

3

3

BUBBLE SORT

2 | 7 | 4 | 5 | 3

1 | 2 | 7 | 4 | 5 | 3

2) 2 | 4 | 7 | 5 | 3

4)

2 | 4 | 5 | 7 | 3

2 | 4 | 5 | 3 | 7

7 is at his appropriate position

Time Complexity :-

$$\begin{aligned} T(n) &= (n-1) \times (n-1) \times C \\ &= Cn^2 - 2Cn + 1 \\ &= O(n^2) \end{aligned}$$

Best case = $O(n)$

Average case = $O(n^2)$

Worst = $O(n^2)$

Bubble sort (A, n)

{ for $k \leftarrow 1$ to $n-1$

{ flag $\leftarrow 0$

for $i \leftarrow 0$ to $n-k-1$

{ if ($A[i] > A[i+1]$

{ swap [$A[i], A[i+1]$];

flag $\leftarrow 1$;

} if (flag == 0) break;

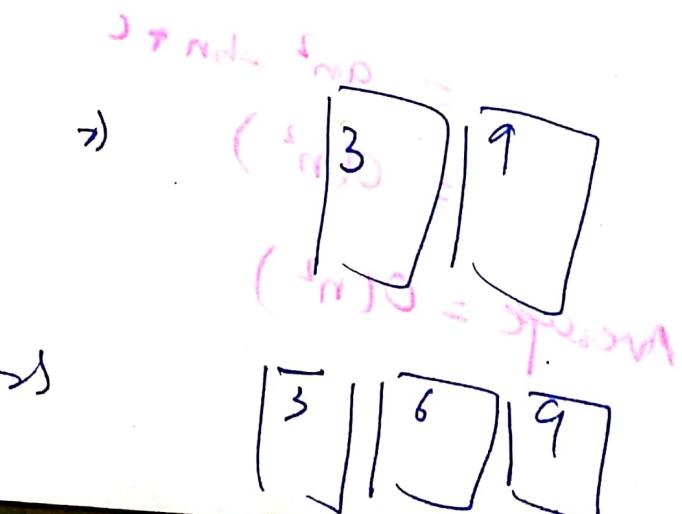
} if (flag == 0) break;

}

Insertion Sort



Now

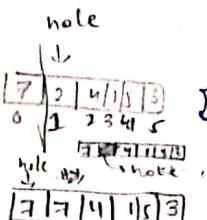


(5)

MAGIC SORT

we have to put it at right position in right hand

sorted array 1, 2, 3, 4, 5



InsertionSort(A, n)

if A[0] is already sorted

for i ← 1 to n-1

{

 value ← A[i]

 hole ← i

 while (hole > 0 & A[hole-1] > value)

 {

 A[hole] ← A[hole-1]

 hole ← hole - 1;

 }

 A[hole] ← value

} c₃ (n-1) times

i	value	hole
1	2	1
2	2	0
2	4	2
3	4	1
3	1	2

Worst Case 5, 4, 3, 2, 1

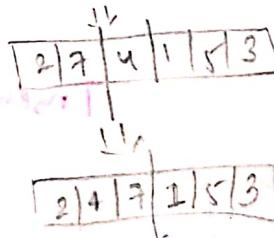
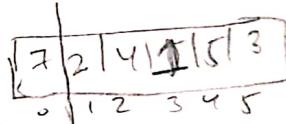
$$T_n = (c_1 + c_3)(n-1) + (1+2+3+\dots+n-1)c_2$$

$$= (c_1 + c_3)(n-1) + \frac{n(n-1)}{2}c_2$$

$$= an^2 + bn + c$$

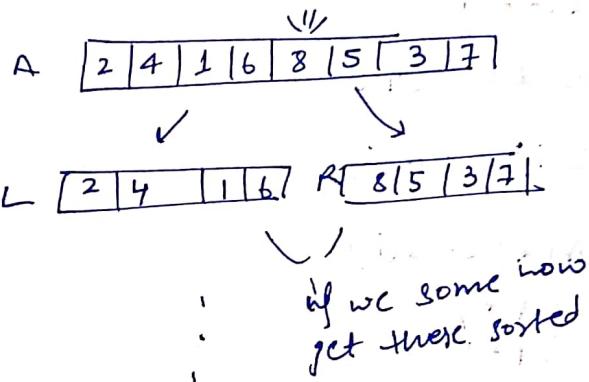
$$= O(n^2)$$

Average = $O(n^2)$



MERGE SORT $T(n \log n)$

Break Problem into subproblem



Merge Sort (A)

```

    {
        n ← length(A)
        if (n < 2) return
        c1
        mid ← n/2
        Left[] ← array of size (mid)      ] visiting element
        Right[] ← array of size (n-mid)
        for (i=0; i< mid-1)
            Left[i] ← A[i]
        for (i=mid to n-1)
            Right[i-mid] ← A[i]           ] filling with element
    }

```

 $T(n/2) \leftarrow \text{mergeSort}(Left)$ $T(n/2) \leftarrow \text{mergeSort}(Right)$ $C_{n+1} \leftarrow \text{merge}(Left, Right, A)$

Merge (L, R, A) // there are 3 arrays

```
{ nL ← length(L) } finding length
nR ← length(R)
i ← j ← k ← 0; } initialize to zero
while (i < nL & j < nR)
{ if (L[i] ≤ R[j])
{ A[k] ← L[i];
k++; i++;
}
else
{ A[k++] ← R[j];
j++;
}
}
while ((i < nL) & (j < nR))
{ A[k] ← L[i]; i++; k++;
}
while (j < nR)
{ A[k++] ← R[j++]; }
```

comparing
+ till
while
condition
is true

Adding
remaining
elements
to
array

(p_1, p_2, \dots, p_n) → $S(p)$
 $(q_1, q_2, \dots, q_m) \rightarrow S(q)$
 $(r_1, r_2, \dots, r_n) \rightarrow p + q$

MERGE SORT Programme

```
# include <iostream>
# include <cstdlib.h> // for free function
using namespace std;
void Merge ( int *A, int *L, int leftrant, int *R, int rcount );
void Mergesort( int *A , int n );
int main( )
{
    int A[ ] = { 6, 2, 3, 1, 9, 10, 15, 13, 12, 17 };
    int n = . size of (A) / sizeof (A[0]);
    Mergesort (A, n);
    for (int i=0; i<n; i++) cout << A[i] << " ";
    return 0;
}
```

```
void Merge Sort ( int *A , int n )
{
    int mid, *L, *R ;
    if (n<2) return ;
    mid = n/2;
    L = new int [mid];
    R = new int [n-mid];
    or
    L = (int*) malloc (mid * sizeof (int));
    R = (int*) malloc ((n-mid)* sizeof (int));
    for (i=0; i<mid; i++) L[i] = A[i];
    for (i=mid; i<n; i++) R[i-mid] = A[i];
```

(4)

```
MergeSort ( L , mid ) ;  
MergeSort ( R , n - mid ) ;  
Merge ( A , L , mid , R , n - mid ) ;  
free ( L ) ; free ( R ) ;  
}
```

```
void Merge ( int *A , int L , int LC , int *R , int RC )  
{  
    int i = 0 , j = 0 , k = 0 ;  
    while ( i < LC && j < RC )  
    {  
        if ( L [ i ] < R [ j ] ) A [ k ++ ] = L [ i ++ ] ;  
        else A [ k ++ ] = R [ j ++ ] ;  
    }  
    while ( i < LC ) A [ k ++ ] = L [ i ++ ] ;  
    while ( j < RC ) A [ k ++ ] = R [ j ++ ] ;  
}
```

(4)

(5)

Properties

- (i) Divide and Conquer Problem
 - (ii) Recursive algorithm preserves the relative order of elements it comes first
 - (iii) Stable means example order of elements also preserved
 - (iv) Not - Inplace Algo extra space take order keys
 $\Theta(n) \text{ or } O(n)$ [Induct]
 - (v) $T = O(n \log n)$ sorted $\Rightarrow \{1, 2, 3\}$ can also come first
but order is preserved.
- Answer $O(n \log n)$

$$T(n) = \begin{cases} c & \text{if } n=1 \\ 2T(n/2) + (c_2 + c_3)n + (c_4 + c_5) & \text{or} \\ 2T(n/2) + cn + c' & \text{if } n>1 \\ & \text{or} \\ & 2T(n/2) + cn \end{cases}$$

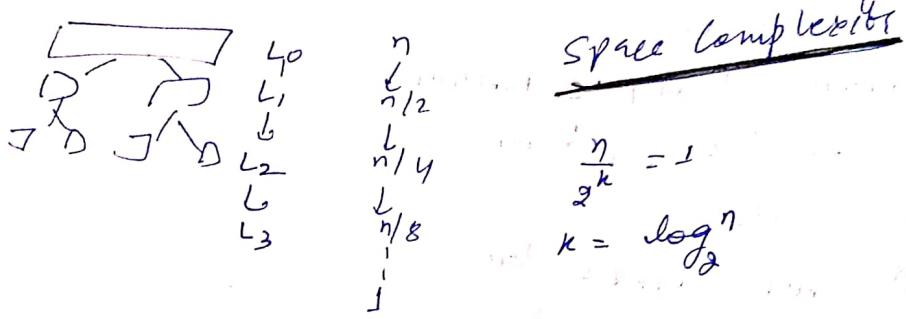
$$T(n) = 2 \left[2T\left(\frac{n}{4}\right) + cn/2 \right] + cn$$

$$\begin{aligned} T(n) &= 4T(n/4) + cn \\ &= 8T(n/8) + 3cn \\ &= 16T(n/16) + 4cn \\ &\quad \vdots \\ &= \boxed{2^K T(n/2^K) + K \cdot cn} \end{aligned}$$

$$\Rightarrow \frac{n}{2^K} = 1 \Rightarrow 2^K = n$$

$$K = \log_2 n$$

$$= 2^{\log_2 n} (T(1)) + \log_2 n cn \Rightarrow n(c + cn \log n) \Rightarrow O(n \log n)$$



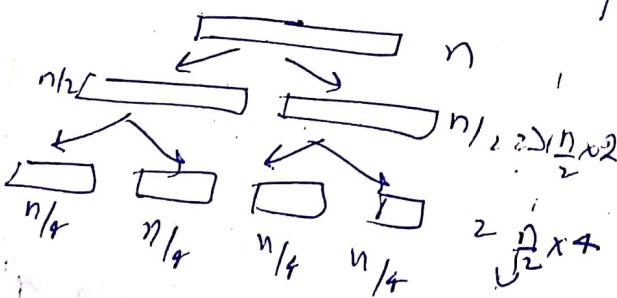
if we do not clear extra memory for left and right $= n \log n = \Theta(n \log n)$

if we delete ~~area~~ in each call

$$\begin{aligned}
 &= n + \frac{n}{2} + \frac{n}{4} \\
 &= n \left[\underbrace{\frac{1}{2} + \frac{1}{4} + \dots}_{\text{taken to } \infty} \right] \\
 &= \frac{1}{1 - \frac{1}{2}} = 2
 \end{aligned}$$

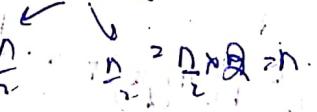
space complexity $= \Theta(n)$

If we don't clear memory then



so memory use = n_k , k times
 $\Rightarrow n \cdot \log n$

if we clear



$n \cdot n^2 \cdot n^3 \cdot \dots \cdot n^k$

so each time, it takes n memory but previous memory is deleted
 $\Theta(n)$ in complexity

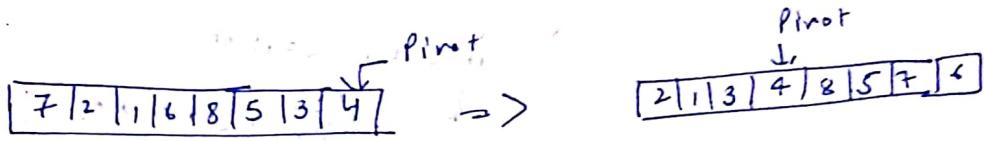
(5)

Quick Sort

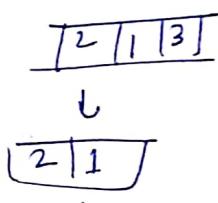
$T = O(n \log n) \rightarrow$ Average case running time

$O(n^2) \rightarrow$ worst case

but In place so benefit in space complexity



steps
We have to arrange elements in partition side.
lesser than pivot on one side
and bigger than pivot on other side.



↓
[2 | 1]
↓
[] one element
stop recursion

Quick Sort ($A, start, end$) $T(n)$

```

if (start >= end) return; // if start >= end, do nothing
Pindex ← Partition (A, start, end); // do check
                                         // if start < end, do partition
                                         // return example
                                         // T(n) = an + b
                                         // sets
                                         // true then return
QuickSort (A, start, Pindex - 1); → T(n/2)
QuickSort (A, Pindex + 1, end); → T(n/2)
  
```

worst case when array
is already sorted

$$T(n) = T(n-1) + C \cdot n$$

To make probability low
we use randomize function

$$T(n) = 2 \cdot T(n/2) + an + b + c$$

$$T(n) = 2^n \cdot T(1) + an$$

Time complexity

```

    ↓ pivot = A[start, end]
    [ 7 | 2 | 1 | 6 | 8 | 5 | 3 | 4 ]
    ↑
    partIndex = int Partition (int *A, int start, int end)
    {
        int pivot = A[end];
        int partIndex = start;
        for (int i = start; i < end; i++)
        {
            if (A[i] <= pivot)
            {
                swap (A[i], A[partIndex]);
                partIndex++;
            }
        }
        swap (A[partIndex], A[end]);
        return partIndex;
    }

```

In this auxiliary array is not created like in merge Insertion Sort

iii Divide and Conquer

(i) Recursive algo

(iii) Not stable

(iv) $T = n \log n$

worst $\Theta(n^2)$

ex

$(1,2) (4,5) (2,3) (4,1) (5,2)$

Sort by X coordinate

$(1,2) (2,3) (4,0) (4,3) (5,2)$

$(4,3) (4,5)$

Randomize Partition (A , start, end)

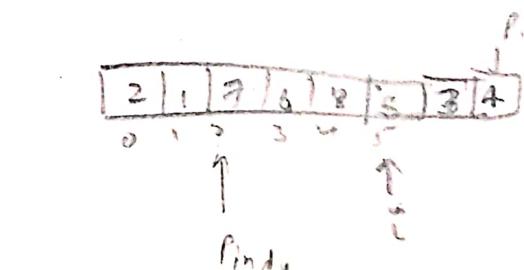
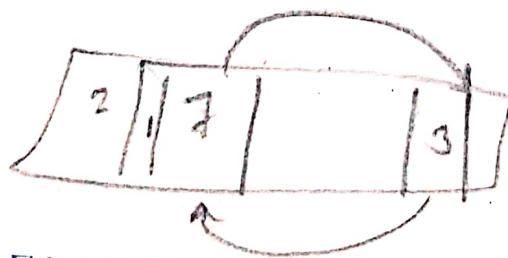
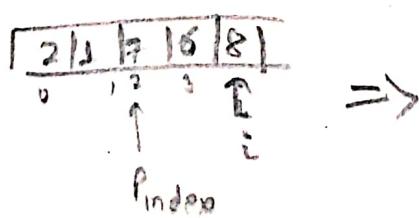
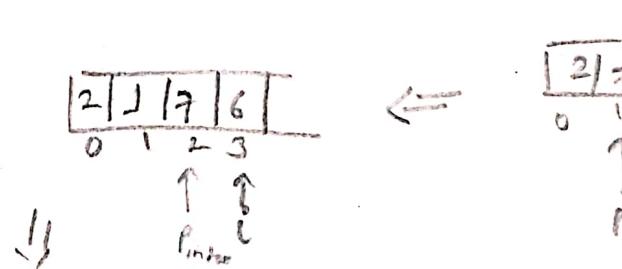
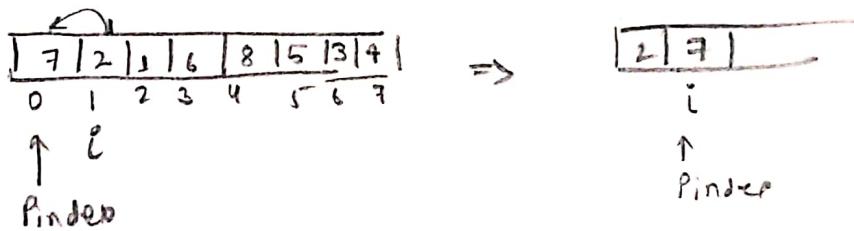
```

ze Partition (A, start, end)
Pivot_Index ← Random (start, end);
swap ( A [PivotIndex], A [end] );
partition (A, start, end)

```

3

now Instead of calling Partition in quick sort we call Randomize function. so that probability of worst case become low



Data Structures

uses → English Dictionary

City Map → position of landmarks, lane marks

Daily cash In, cash out called cashbook

A data structure is a way to store and organize data in a computer, so that it can be used efficiently.

We talk about data structures as

(i) Mathematical / Logical models
or

Abstract data types (ADT)

Ex  TV: we know it receives signals, play audio / video but we do not concern about what circuit is used, how it is embedded

Ex List → store data number elements
Read, modify elements

Array is concrete implementation

ADT → defines data and operations, but no implementation

2) Implementation :- ex. Linklist

ADT

List as collection of objects of same times
real world utility

basic

array :- store, modify and access elements

ex

```
int a[10];
A[i]=2;
Print A[i];
```

this is static list

is note

Now creating dynamic list

which is data structure.

which is more efficient
in memory

2 1 7	7 3 0 6	1 0
204	217	217

so

struct node {

int data; // 4 bytes

node *next; // 4 bytes

2 | 4 | 6 | 7 |

5 ↗

Insertion

2 | 4 | 5 | 6 | 7 |

deletion

2 | X | 5 | 6 | 7 |
↓ ↓ ↓

Complexity :-

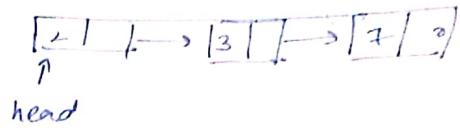
accessing = $O(1)$

Insertion:

Time \propto size of array
(n)

Deletion = $O(n)$

chart :-



* pointer takes 4 bytes
in 4-bit system

Complexity :- Time \propto size of list
 (n)
 $O(n)$

Insertion :-

Traversal $\rightarrow O(n)$

then $O(1)$

If in head then $O(1)$
Deletion :- So finally $O(n)$

at head then $O(1)$

at head then $O(n)$

Access = $O(n)$

Memory requirement :-

Array

Fixed size
 $7 \times 4 = 28$ bytes
 $n = 7[0-6]$

Linklist

dynamic size

$8 \times 4 = 32$ bytes $D \neq D \neq D$

Access time

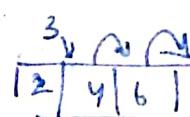
$O(1)$

$O(n)$

Cost of Inserting

at beginning

$O(n)$



constant

at end

$O(1)$

$O(1)$ if array is not full
at i^{th} position

$O(n)$

$O(n)$

$O(n)$

(B) (C)

if array if full then we have to make a new array and copying all the elements of previous array in new array so $O(n)$ is complexity

Easy to use. → Array is easy to use
not easy to use

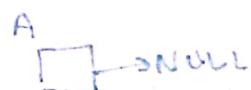
Implementation of Linklist

C → struct node {
 struct node *link;
 int data;}

C++ struct node {
 node *link;
 int data;}

Node *A;

A = NULL; // List is empty



// To create a node

node *temp = (node*) malloc (sizeof(node));

node *temp = new node(); // C++

(*temp).data = 2; // C++ temp->data = 2;

(*temp).link = NULL; // C++ temp->link = NULL;

A = temp;

Inserting node at beginning.

Struct node {

 int data;

} Node * head;

Struct node * head;

int main()

{
 head = NULL;

 printf("Enter numbers");

 int n, i; int x;

 scanf("%d", &n);

 for(i=0; i<n; i++) {

 printf("Number");

 scanf("%d", &x);

 Insert(x);

 }

if we use struct;

then it will create as local variable and stored in stack we want in heap so that we can retain in last of programme. In stack after ending of function stack values are dismissed so we use node * temp = new node(); if head is not global

node * head = NULL;

if we want to refer to
Insert(), head, data

g

head = Insert(head, data);
printf(head);

3. Insert at middle of list + \rightarrow head

Insert(int x)

{

 Node * temp = (Node *) malloc(sizeof(Node));

 temp->data = x;

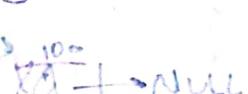
 temp->next = NULL;

 if (head == NULL) {

 head = temp;
 temp->next = head;

 } else {
 temp->next = head;

 head = temp;



head

temp

temp

temp

nth position

```

void Print() {
    node* temp = head;
    while(temp != null) {
        cout << Pointf("1.%d", temp->data);
        temp = temp->next;
    }
    cout << endl;
}

```

print (node* head)

3 2 3 3

traversal

node* Insert (node* head, int data)

```

{
    node* temp = new node();
    temp->data = data;
    temp->next = null;
    if (*pointerToHead == null)
        *pointerToHead = temp;
    else
        temp->next = *pointerToHead;
    *pointerToHead = temp;
}

return head;

```

3 3 3 3

void Insert (node* pointerToHead, int x)

```

{
    node* temp = new node();
    temp->data = x;
    temp->next = null;
    if (*pointerToHead == null)
        *pointerToHead = temp;
    else
        temp->next = *pointerToHead;
    *pointerToHead = temp;
}


```

3 2 3 3 3

Insering a node at. n^{th} position

```
struct node { int data;  
    node * next; };
```

```
struct node * head;
```

```
int head main () {
```

```
    head = NULL;
```

```
    Insert (2,1); // 2
```

```
    Insert (3,2); // 2,3
```

```
    Insert (4,1); // 4,2,3
```

```
    Insert (5,2); // 4,5,2,3
```

```
    printf();
```

```
}
```

```
void Repeat Insert ( int data, int n ) {
```

```
{
```

```
    node * temp1 = new struct node();  
    temp1 -> data = data;  
    temp1 -> next = NULL;
```

```
    if (n == 1) {
```

```
        temp1 -> next = head;
```

```
        head = temp1;
```

```
        return;
```

```
}
```

```
node * temp = head;
```

```
for (i=0; i<n-2; i++)
```

```
{ temp = temp -> next; }
```

```
}
```

Runtime
free size

fixed size

On complete
time



→ store information about
functions called, variables
→ functions to store local variables
→ Global for entire life
→ time of programme
→ Instruction to be
executed

creating
node

inserting at
beginning

traversal

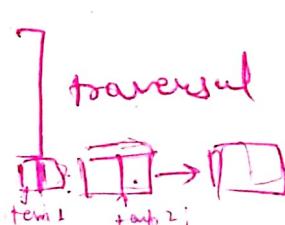
(1)
(2)

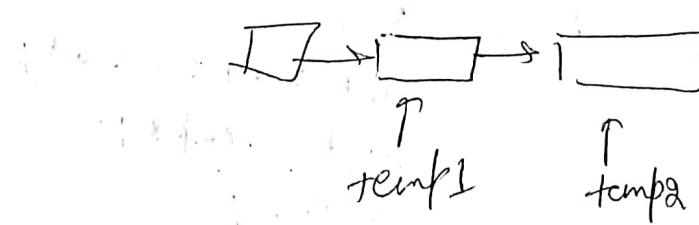
```
temp1->next = temp1->next;  
temp1 = temp1->next;
```

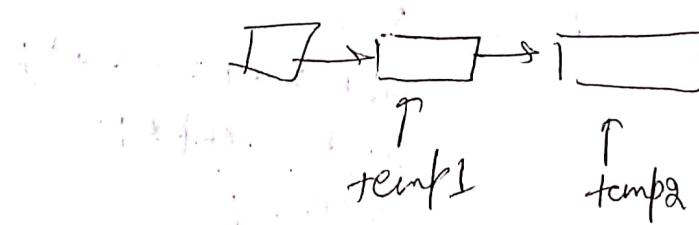
3

4. Delete a node at n^{th} position:

```
void del (int n)  
{  
    struct node *temp1 = head;  
    if (n == 1)  
    {  
        head = temp1->next;  
        free (temp1);  
        return;  
    }  
    int i = 0;  
    for (i = 0; i < n - 2; i++)  
        temp1 = temp1->next;  
    node *temp2 = temp1->next;  
    temp1->next = temp2->next;  
    free (temp2);  
}
```

] traversal


to print 3 steps | 

to print 3 steps | 

5. Insert

6. Delete

7. Print

Reverse Linklist using Iterative method.

node* reverse (Node *head)

{
 node *previous, *current, *next;
 * previous = null;
 * current = head;

 while (*current != null)

 {
 next = current->next;
 current->next = previous;
 previous = current;
 current = next;

 }
 head = previous;
 return head;

}

2 | 6 | 5 | 4

Reverse Using Recursion

// Normal Print via Recursion

void print (node *P)

{
 if (P == NULL) // Exit condition

{
 return;

3.

 printf ("%d", P->data); // Print data

 print (P->next); // Recursive call

Print (head)

2 4 recursion

// 2, 4, 5, 6

Reverse Print (head)

2 //

recursion

// 4, 5, 6, 2

3.

4.

5.

6.

7.

8.

9.

10.

11.

12.

13.

14.

15.

16.

17.

18.

19.

20.

21.

22.

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```

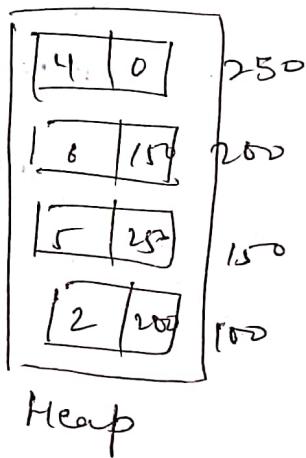
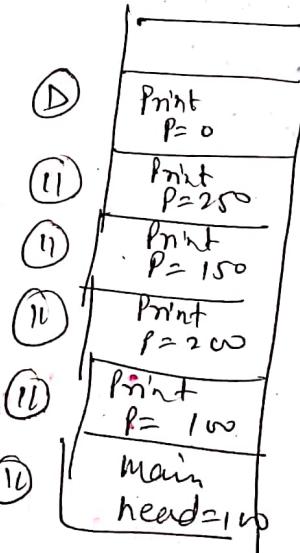
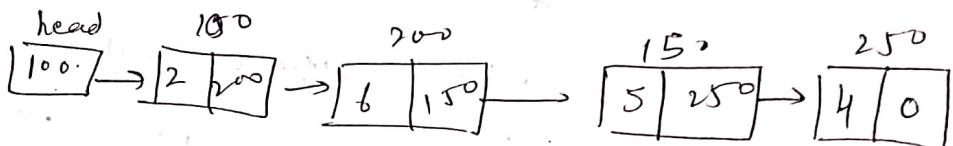
void ReversePrint( node *p)
{
    if( p==NULL) return;
    Print( p->next);
    printf( "%d.%d", p->data);
}

```

```

main()
↓
RP(100)
↓
RP(200)
↓
RP(150) → RP(250)
↓
RP(NULL)

```



Normal stack

P7, P6, P5

for normal traversal use iterative approach because in Recursion lots of functions are called and they are stored in stack.

Now Reverse the Linklist

```
void Reverse (struct *P)
```

```
{ If (p->next == NULL)
```

```
    head = P;
```

```
    return;
```

```
}
```

```
Reverse (p->next);
```

Struct node *q = p->next ;] or we can do
 $p->\text{next} = q ;$
 $q-\text{next} = P ;$
 $p-\text{next} = \text{NULL} ;$

```
}
```

Doubly Linklist

```
struct node {
```

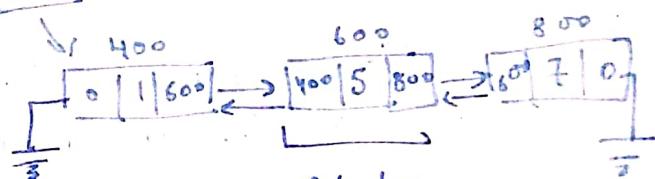
```
    int data;
```

```
    node *next;
```

```
    node *prev;
```

```
}
```

head
400



12 bytes
of memory
(4+4+4)

```
struct node *getnewnode(int x)
```

```
{ struct node *temp = new node();
```

```
temp->data = x;
```

```
temp->next = NULL;
```

```
temp->prev = NULL;
```

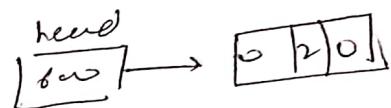
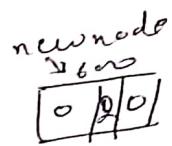
```
return temp;
```

```
}
```

```

// Inserting at head;
void InsertAthead (int x)
{
    node * newnode = GetnewNode (x);
    if (head == NULL)
    {
        head = newnode;
        return;
    }
    head->prev = newnode;
    newnode->next = head;
    head = newnode;
}

```



STACK

we talk about STACK as ADT

means parameters and operations not implementation.

ex:-

① Stack of disks = dinner plates

② Tower of Hawaii



LIFO

Last In First Out

STACK :- A list with restriction that insertion and deletion can be performed only from one end, called the top

operations:-

- | | | |
|----------------|--|----------------------------------|
| (i) Push(x); | // inserting element | Constant
time
or
$O(1)$ |
| (ii) Pop | // removing element | |
| (iii) Top() | // returns the element on stack | |
| (iv) IsEmpty() | // check whether stack is empty or not | |

~~if array is empty or stack is empty~~

Push(x)

```
{ top ← top + 1;  
A[top] = x;
```

}

Pop()

```
{ top ← top - 1;
```

Top()

```
{ return A[top];
```

}

IsEmpty()

```
{ if (top == -1)  
    { return true;  
    }  
    else false;
```

Programme :

```
#include <cs.h>
#define MaxSize 10
int A[Max];
int Top = -1;
void Push (int x) {
    if (Top == Max-1)
        {
            printf ("Stack overflow");
            return;
        }
    A[++Top] = x;
}
void Pop () {
    if (Top == -1)
        printf ("stack is empty");
    else
        Top--;
}
int Top ()
{
    return A[Top];
}
void print ()
{
    int i;
    printf ("\nstack");
    for (i=0; i<Top; i++)
        printf (" %d", A[i]);
    printf ("\n");
}
int main ()
{
    Push(2); Push(5); Push(10); print(); Pop(); print();
}
```

Stack using Linklist :

```
struct node {
    int data; struct node *link;
}
```

```
struct node *top = NULL;
```

```
void push (int x)
```

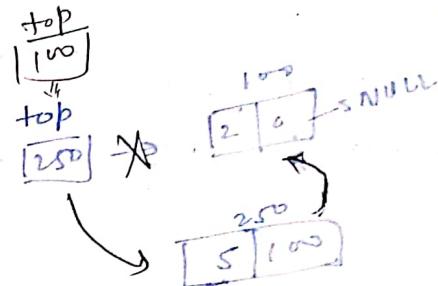
```
{ node *temp = new node();
  temp->data = x;
  temp->link = top;
  top = temp;
```

```
}
```

```
void Pop()
```

```
{ struct Node *temp;
  if (top == NULL) return;
  temp = top;
  top = top->link;
  free (temp);
```

```
}
```



used in reversal of string (Linklist)



In C++ class Stack

```
{ private char A[10];
  int top;
```

```
public:
    void Push (int x);
    void Pop();
```

```
int Top(); bool IsEmpty();
```

void Reverse (char c[], int n) {
 char s[n];
 stack <char> s;
 for (int i=0; i<n; i++) {
 s.push (c[i]);
 }
 for (int i=n-1; i>=0; i--) {
 c[i] = s.pop();
 }
 }

$O(n)$ = Time
 $O(n)$ = Space
 for this function

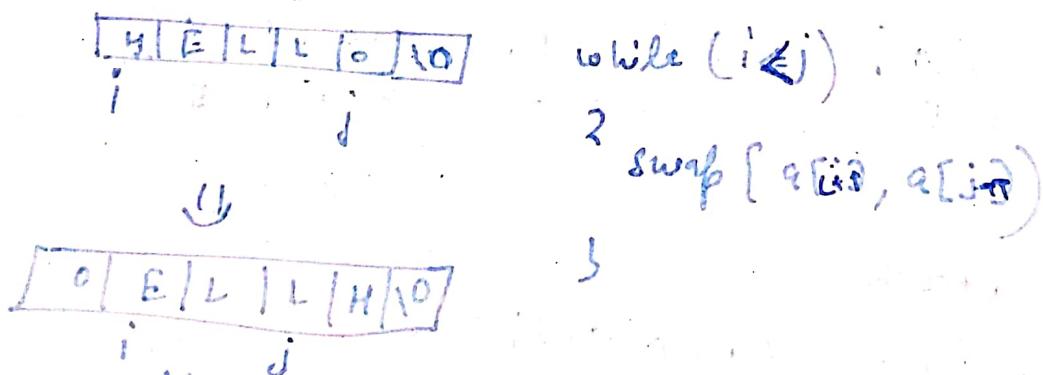
3

```

int main () {
    char c[51];
    gets(c);
    reverse (c, strlen(c));
    printf ("output = %s", c);
}
  
```

3

Another method for Reverse is Swapping



space complexity = $O(1)$

time complexity = $O(n)$

Stack using linked list

Struct node {

int data;

node *

};
extern node *top;

void push (int x)

{ node *temp = new node();

temp->data = x;

temp->next = top;

top = temp;

}

void Pop()

{

struct Node *temp;

if (top == NULL) return;

temp = top;

top = top->next;

free (temp);

}

Used in reversal of string

HELLO \Rightarrow OLEL

H E L L O

In C++ class STACK

{

private:

char arr[100];

int top;

public:

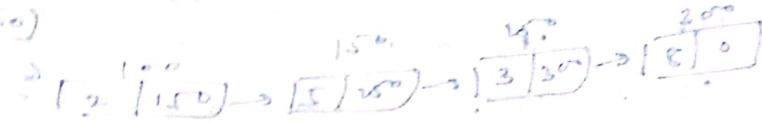
void push (int x);

void pop();

int top() { return arr[top]; }

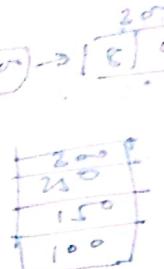
Link list

head (100)



To push all references

- 1 node->temp = head;
- 2 while (temp != null)
- 3 s.push (temp);
temp = temp->next;



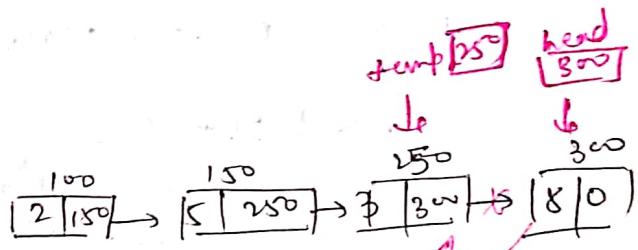
stack struct Node *s;

struct node {

int data;
node *next;

popping

- 1 node->temp = s.top();
head = temp;
- 2 s.pop();
while (!s.empty())
- 3 temp->next = s.top();
s.pop();
temp = temp->next;
- 4 temp->next = NULL;

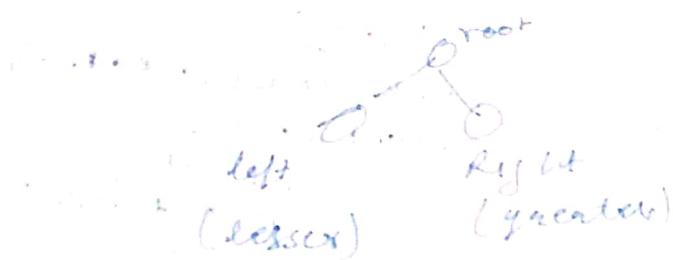
void Reverse ()

```

{
    if (head == NULL) return;
    stack < struct node * > s;
    // To push all references
    temp = s.top(); head = temp;
    // popping function
}
  
```

BINARY SEARCH TREE (Implementation)

A binary tree in which for each node value of all the nodes in left subtree is lesser or equal and value of all the nodes in right subtree is greater.



~~Proj 1~~ #include <iostream>

struct Bstnode {

int data;

Bstnode * left;

Bstnode * right;

}

Bstnode * root;

Bstnode * getnewnode (int data)

{

Bstnode * newnode = new Bstnode();

newnode->data = data;

newnode->left = newnode->right = null;

return newnode;

}

* getdata (int data)

for (root; root != null;)

if (root->data == data)

(19)

```

Bstnode * nodeInsert (Bstnode * root, int data)
{
    if (root == null)
        { root = getnewnode (data); }

    else if (data < root->data)
        { root->left = Insert (root->left, data); }

    else
        { root->right = Insert (root->right, data); }

    return root;
}

Bool search (Bstnode * root, int data)
{
    if (root == null) return false;

    else if (root->data == data) return true;

    else if (data < root->data)
        return search (root->left, data);

    else
        return search (root->right, data);
}

```

11 Revision.

```
int findmin (Bst *root)
{
    if (root == null)
        return -1;
}
```

```
int main()
{

```

```
    Bstnode *root = null;
```

```
    root = Insert (root, 15);
```

```
    root = Insert (root, 14);
```

```
    root = Insert (root, 3);
```

```
    int n;
```

```
    cout << "n:" << n;
```

```
    if (search (root, n) == true) cout << "found";
```

```
    else
```

```
        cout << "not found";
```

```
}
```

```
}
```

finding min and max

11 Iterative Solution

```
int findmin (Bst *root)
```

```

{
    if (root == null)
        return -1;
}
```

```
    cout << "entry";
```

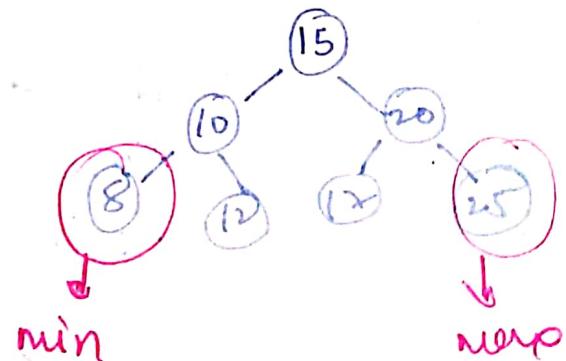
```
    return -1;
}
```

```
while (root->left != null)
```

```

{
    root = root->left;
}
```

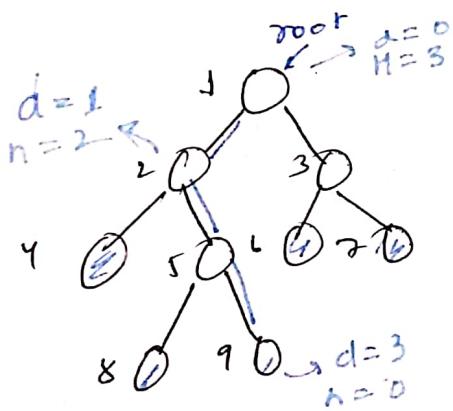
```
return root->data;
```



II Revision.

```
int findmin (bst * root)
{
    if (root == null)
        1 print empty
        return -1
    2
    3
    4
    5
    else if (root->left == null)
        1
        2 return root->data
    3
    4
    5
    else
        1 return findmin (root->left)
    2
    3
```

Height of Binary Tree



Height = number of edges in longest path from root to leaf node

Height of tree = height of root

if node = 1 then height is zero

Depth of a node = no. of edges in path from root to that node

DPS

FindHeight (root)

1 if (root is null)

2 return -1;

3 leftHeight <- findHeight (root.left);

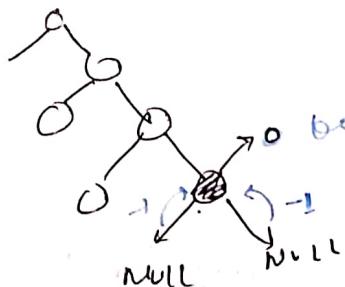
rightHeight <- findHeight (root.right);

return max (leftHeight, rightHeight) + 1;

if you want to count no. of nodes then return 0 ;

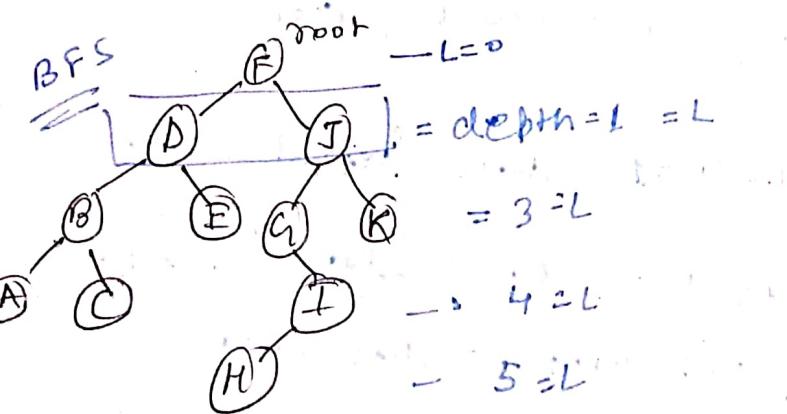
5

return max (FindH (root.left), FH (root.right)) + 1;



because height
of left node is zero so we have
to return -1 at null;

B Traversal → Pathway, Breadth-first and
depth first traversal

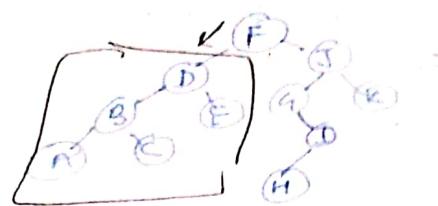


BFS

F D J B E G K A C I H

called level order traversal

DPS



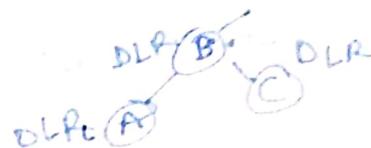
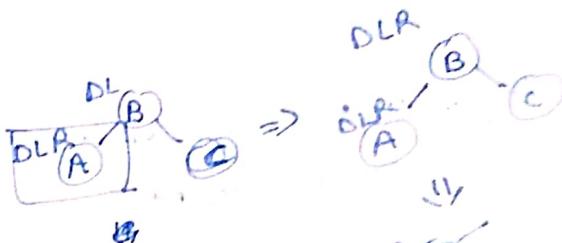
DFS
if we move toward left then
we have to go all child of
left then right comes and vice versa

orders → Data left right
 (root) < left > (right)
 (left) < root > (right)
 (left) (right) < root >

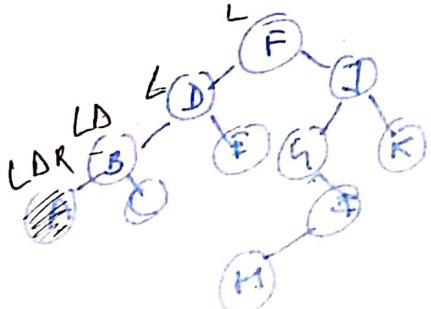
preorder
Inorder
postorder

preorder (D, L, R)

F, D, B, A, C, E, I, G, H, J, K



Inorder (L, D, R)



Post order (LRD)

A, G, B, E, D, H, I, G, K, J, F

A, B, C, D, E, F, G, H, I, J, K

It gives sorted list

↑ If height of tree is n then time complexity is O(n)

↑ If data is sorted then time complexity is O(n)

↑ If data is sorted then time complexity is O(n)

↑ If data is sorted then time complexity is O(n)

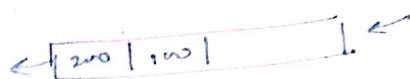
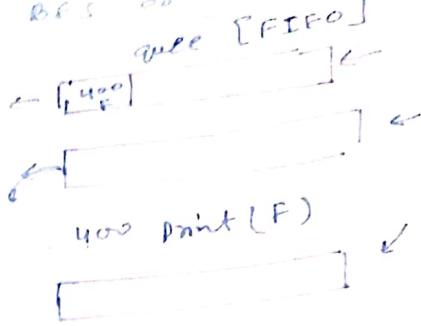
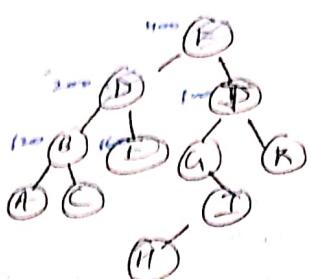
↑ If data is sorted then time complexity is O(n)

↑ If data is sorted then time complexity is O(n)

↑ If data is sorted then time complexity is O(n)

Time complexity \propto no. of nodes

Programme for Bst in level order traversal
use [FIFO]



```
#include <iostream>
```

```
#include <queue>
```

```
struct node {  
    char data;  
    node *left;  
    node *right;
```

```
void levelorder(node *root)
```

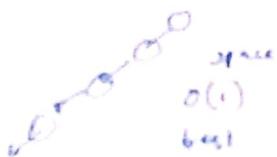
```
{  
    if (root == NULL) return;  
    queue<Node*> Q;  
    while (!Q.empty())  
    {  
        node *current = Q.front();  
        cout << current->data << " ";  
        if (current->left != NULL)  
            Q.push(current->left);  
        if (current->right != NULL)  
            Q.push(current->right);  
    }  
}
```

```
Q.pop();
```

Time complexity \propto no. of nodes.

$$= O(n)$$

Space complexity \propto rate of growth of extra memory used with input size.



space \propto ~~add~~ $O(n)$
worstAvg

DFS \Rightarrow Pre, Post, Inorder

Time complexity \propto $O(n)$
 \propto nodes

```

void Preorder( Node *root )
{
    if( root == NULL ) return;
    cout << root->data;
    Preorder( root->left );
    Preorder( root->right );
}
  
```

Space complexity
 $= O(n)$
↓
height of tree
worst case: $O(\log n)$

```

void Inorder( Node *root )
{
    if( root == NULL ) return;
    Inorder( root->left );
    cout << root->data;
    Inorder( root->right );
}
  
```

```
void postorder( node * root )  
{  
    if (root == NULL) return;  
    Postorder( root->left );  
    Postorder( root->right );  
    cout << root->data;  
}
```

Check if T is not "B" or not
int c we use int instead of bool because there is
no bool in c;
bool IsBinarySearchTree(node * root)

```
{  
    if (root == NULL) return true;  
    if (IsSubtreeless( root->left, root->data )  
        && IsSubtreegreater( root->right, root->data ))  
        {  
            if (IsBinarySearchTree( root->left ))  
                && IsBinarySearchTree( root->right ))  
                    return true;  
    }  
}
```

The function returns
false if either
of the two conditions
is violated.

}

bool IsSubtreeless(node * root, int value).

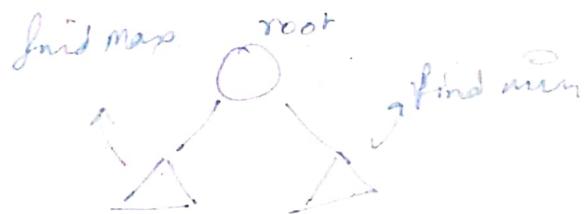
```
{  
    if (root == NULL) return true;  
    if (root->data <= value)  
        {  
            if (IsSubtreeless( root->left, value ))  
                && IsSubtreeless( root->right, value ));  
        }  
}
```

return true;
else
return false;

3

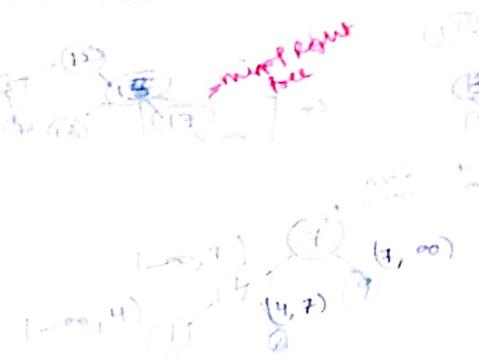
Solution 2

other than find less or greater we can
find max of left of subtree and compare
with root if max of left of subtree is less than
root then all elements are lesser than root
and same similar case with right (Bihdon)



Solution 3

```
bool IsBSTUtil (Node* root, int min, int max)  
{  
    if (root == NULL) return true;  
    if ((root->data) > min & root->data < max)  
        if (IsBSTUtil (root->left, min, root->data))  
            if (IsBSTUtil (root->right, root->data, max))  
                return true;  
            else  
                return false;  
    }
```



bool Is Binary Tree(node → root)

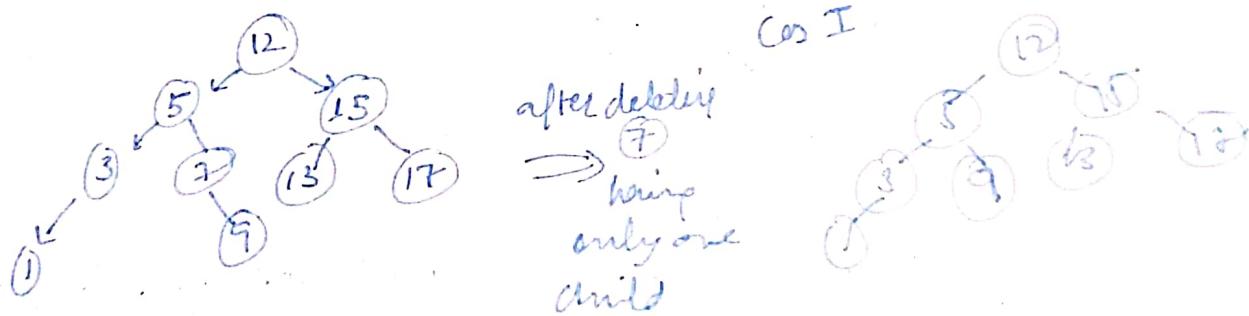
 I
 return IsBUTUtil(root, Int min, Int max);

 S

solution

Print tree in Inorder, if it is in sorted order then it is B Search Tree else no

Deleting a node from BT

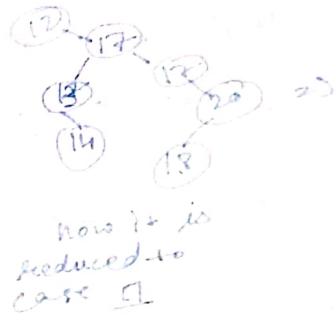
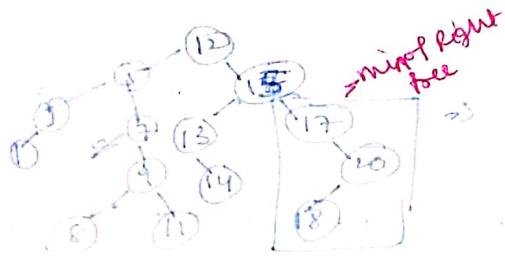


Case II having 2 children

like ⑤

Case III deleting left node

like ①, ⑨, ⑬ & ⑭ is not so complicated



case II → find the min of right subtree, copy the value to targeted node ; Delete duplicate from right subtree.

or

we can get max of left subtree

Code

```
#include <iostream>
```

```
struct node {
```

3

```
    node * find_min( node *root )
```

```
    {
```

```
        while( root->left != NULL ) root = root->left;
```

```
        return root;
```

5

```
};
```

```
struct node * Delete ( struct node *root , int data )
```

```
{
```

```
    if ( root == NULL ) return root;
```

```
    else if ( data < root->data )
```

```
        root->left = Delete ( root->left , data );
```

`else if (data > root->data)`
 `root = right -> Delete (root);`

? delete root ?.

`root = NULL;`

3

else if (root->left == NULL)

$$\text{strict mode + fenv} = \text{root } 3$$

foot : \cong root \rightarrow right;

delete + emp;

۱۰۷

else if ($\text{root} \rightarrow \text{right} = \text{NULL}$)

? strict node->temp = fact;

Root := Root \rightarrow left;

delete Temp;

3

else

3. 1

Struct "node" of type = Findmin (root-right);

root \rightarrow data = temp \rightarrow data;

Root \rightarrow right = Delete ($\text{root} \rightarrow \text{right}$)

tribe → ch.

5 return root : 3

```

// Inserting node
node * Insert (node * root, char data)
{
    1 if (root == NULL)
        2     { root = new node();
            root -> data = data;
            root -> left = NULL;
            root -> right = NULL;
        }
    3 else if (data <= root -> data)
        4         { root -> left = Insert (root -> left, data);
        }
    5 else
        6         { root -> right = Insert (root -> right, data);
        }
    7
    return root;
}

```

int main () {

```

    node * root = NULL;
    root = Insert (root, 5);
    root = Insert (root, 10);
    root = Insert (root, 3);
    root = Insert (root, 4);
    root = Insert (root, 11);

```

// Deleting

```

    root = Delete (root, 5);

```

```

    cout << "Inorder : ";

```

```

    Inorder (root);
}

```

35

finding successor in Inorder
with complexity $O(1)$

Node * Find(node * root, int data)

```
    if (root == null) return null;
    if (root->data == data) return root;
    else if (root->data < data) return Find(root->right, data);
    else if (root->data > data) return Find(root->left, data);
```

Node * findmin(node * root)

```
    if (root == null) return null;
    while (root->left != null)
        root = root->left;
    return root;
```

Node * successor (node * current, int data)

```
    node * current = Find(root, data);
    if (current == null) return null;
    if (current->right != null) {
        // case 1 Node has right subtree
        if (current->right != null) {
            return Findmin(current->right);
        }
    }
    // case 2 no right subtree
```

use {
 strict mode of successor = null;
 ...
 ancestor = root;

while (ancestor != null & current)

```
{  
    if (current->data < ancestor->data)  
        ...  
    ...  
}
```

$\leftarrow \text{if } m$

so far this is
ancestor = ancestor + 1; so far this is
the deepest node for which current node is left

ancestor = ancestor + 1
ancestor = ancestor - 1

ancestor = ancestor - 1

ancestor = ancestor - 1

ancestor = ancestor - 1

ancestor = ancestor - 1

ancestor = ancestor - 1

ancestor = ancestor - 1

Graphs

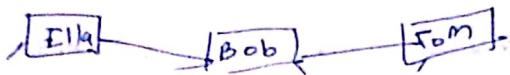
Non linear data structure



if n nodes
then (n^2) edges
one edge for
each parent child
relationship.

no rules for connections

→ Tree is special type of graph.



Graph :- A graph 'G' is an ordered pair of set 'V' of vertices and a set 'E' of edges

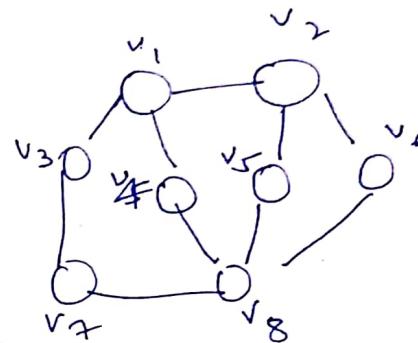
$$G = (V, E)$$

ordered pair :

$$(a, b) \neq (b, a) \text{ if } a \neq b$$

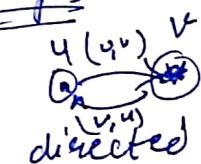
unordered pair

$$\{a, b\} = \{b, a\}$$

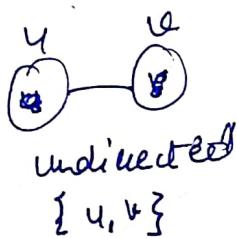


$$V = \{v_1, v_2, v_3, v_4, v_5, v_6, v_7, v_8\}$$

Edges

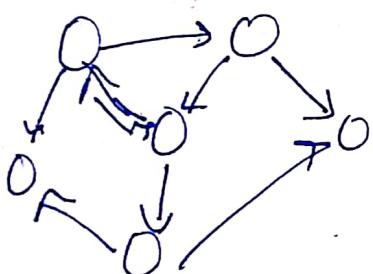


directed

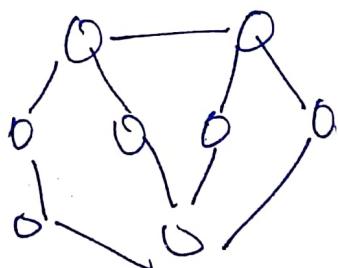


undirected

$$E = \{\{v_1, v_2\}, \{v, v_3\}, \{v, v_4\}, \\ \{v_2, v_5\}, \{v_2, v_6\}, \{v_3, v_5\}, \\ \{v_4, v_8\}, \{v_7, v_8\}, \\ \{v_3, v_8\}, \{v_6, v_8\}\}$$

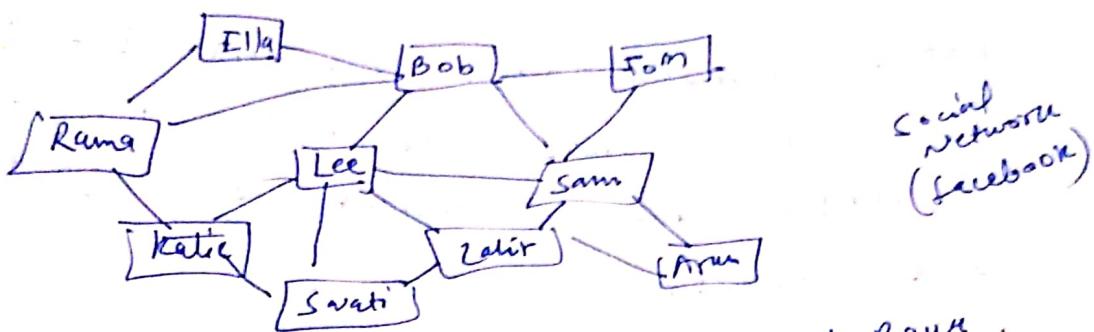


a directed graph
or
Digraph



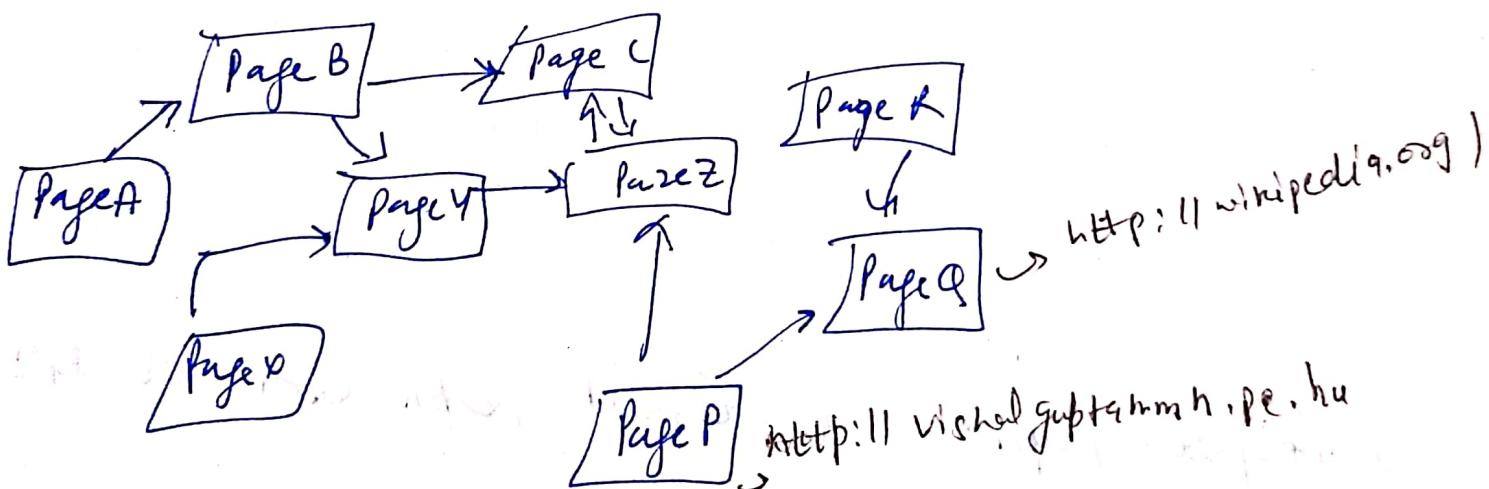
undirected graph

facebook
(social network)



ex we have to suggest friend to Rama
so we can go to → Tom, Sam, Lee, Swati

In algorithm we say find all nodes having length of
~~shortest~~ shortest path from Rama equal to 2



World Wide Web

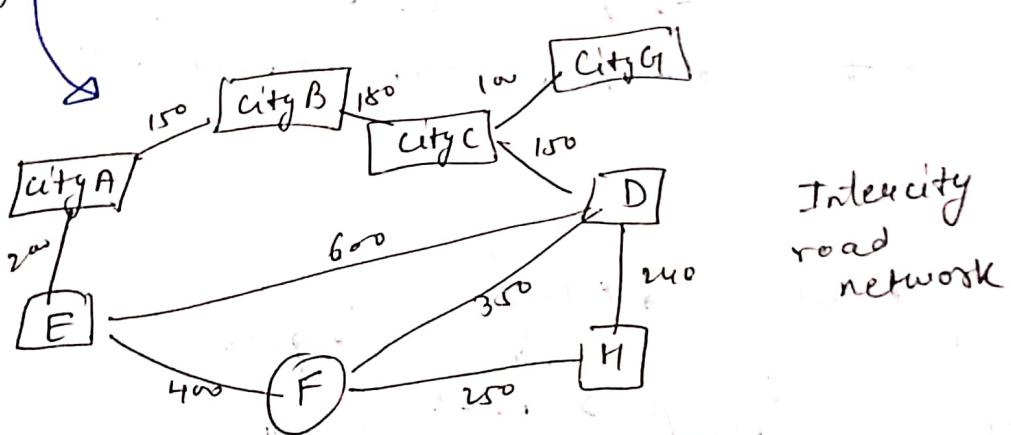
my page has link to Page Q but Page Q does not have link to my page so it is problem of directed graph

Properties of GRAPH

eg search engines use programmes called web crawling that systematically browses the whole wide web to collect and store data about web pages to provide quick and accurate results against search queries.

web-crawling is Graph Traversal

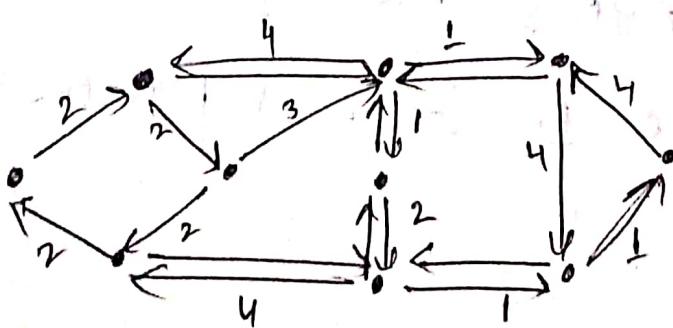
Weighted and Unweighted graph



Unweighted graph :- a weighted graph with all edges

having weight = 1 unit

eg social network



Intra city road network

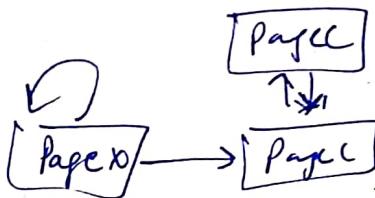
eg of directed weighted graph

Properties of GRAPH

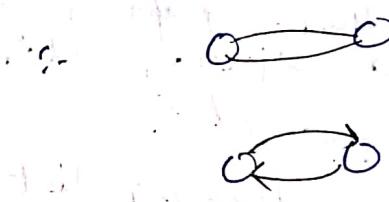
special Edges

self loop :- 8 8

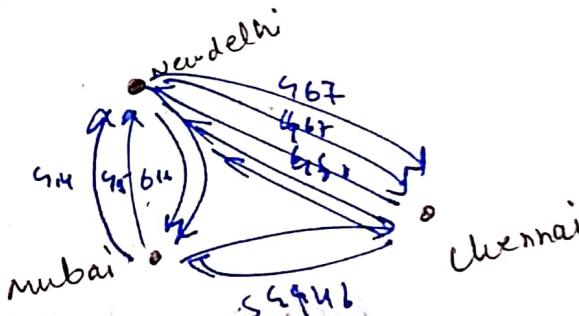
why we have self loop : if we have same source and destination



Multi Edge



e.g. flight route b/w cities



root for each flight

If a graph have no self loops and multi edge then it is called as simple graph

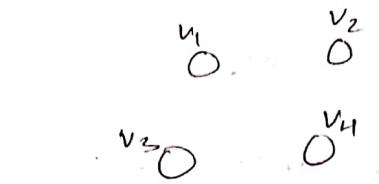
... simple path \rightarrow walk.

Number of edges :-
[if no self loop and
multiedges]

If $|V| = n$

then

$0 \leq |E| \leq (n-1)n$, if directed



$$V = \{v_1, v_2, v_3, v_4\}$$

$$\min E = \{\emptyset\}$$

$$\max E (\text{directed}) : - \begin{array}{c} v_1 \\ \searrow \\ v_2 \end{array} \quad \begin{array}{c} v_3 \\ \swarrow \\ v_4 \end{array}$$

$$0 \leq |E| \leq \frac{n(n-1)}{2}, \text{ if undirected}$$

$$4 \times 3 = 12$$

Dense \rightarrow too many edges means near to max no. of edges then graph is called dense graph.
ex adjacency matrix

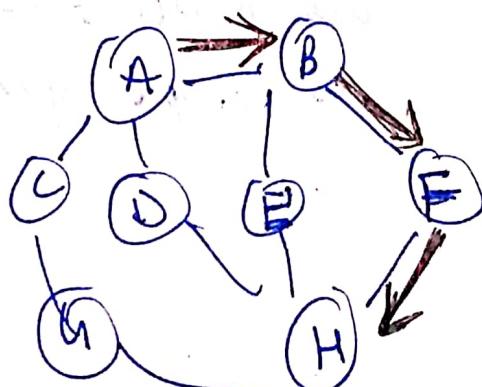
Sparse :- too few edges.

ex adjacency list

Path :- a sequence of vertices where each adjacent pair is connected by an edge.
Walk

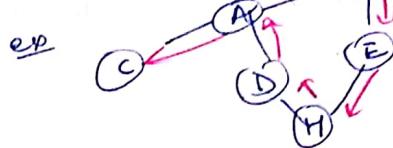
Simple path :- a path in which no vertices (and thus no edges) are repeated.

ex $\langle A, B, F, H \rangle$



We can say simple path + Walk.

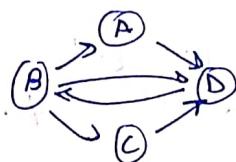
Trail :- a walk in which no edges are repeated



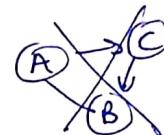
Strongly Connected Graph :-

If there is a path from any vertex to any other vertex

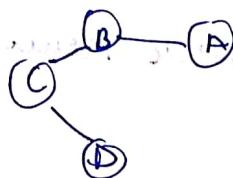
ex



strongly connected



weakly connected

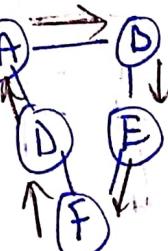


Directed graph so it is called
as connected
not strongly connected

Closed Walk :- starts and ends at same vertex.

Simple Cycle :- no repetition other than start and end or cycle.

starts and ends

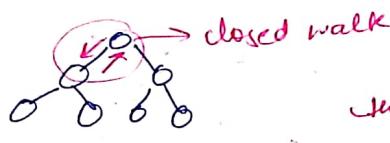


struct Edge

```
{  
    char * startvertex;  
    ...  
    > endvertex;
```

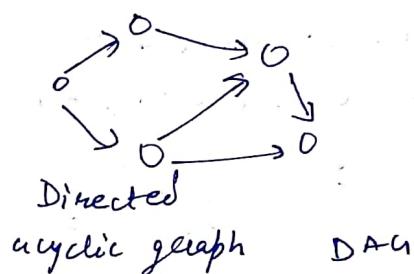
In

Ayclic graph :- a graph with no cycle



undirected
acyclic graph

there is no simple cycle in
tree



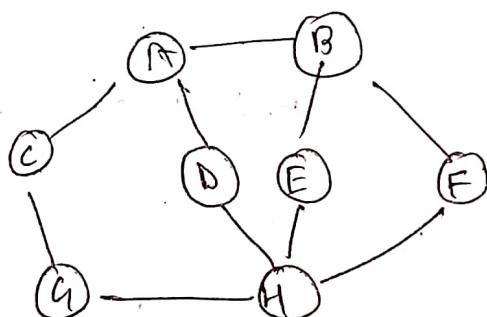
Directed
acyclic graph DAG

GRAPH Representation.

To store graph on Computer Memory we make
two lists i) for vertices
ii) for edges

vertexlist
A
B
C
D
E
F
G
H

Edge list
(A B)
(A C)
(A D)
(B E)
(B F)
(C G)
(D H)
(E H)
(F H)
(G H)



this is undirected graph so we
do not need to make
entry of GA or AC

we use dynamic list. In C++ like vector and ArrayList in Java

struct Edge

{

char * startvertex;

char * endvertex;

};

or

class Edge

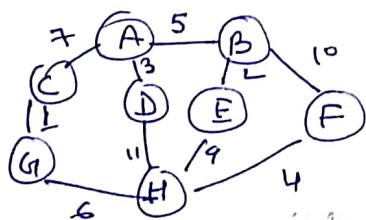
{

string startvertex;

string endvertex;

};

If.



class Edge {

string startvertex;

string endvertex;

int weight;

}

string vertex_list [max_size]

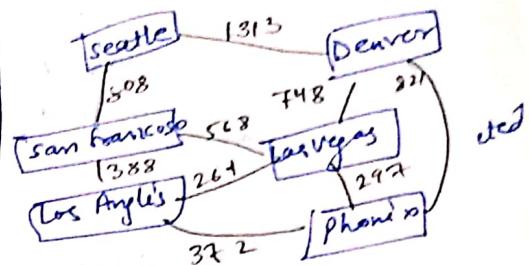
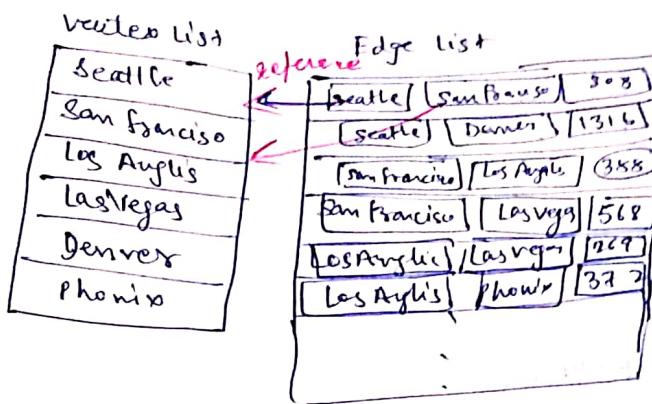
Edge edge_list [max_size];

Edge List		
A	B	5
A	C	7
A	D	3
B	E	2

Time Complexity: - Rate of growth of time taken with size of input or data

Space Complexity: Rate of growth of memory consumed with size of input or data

Time Complexity :-

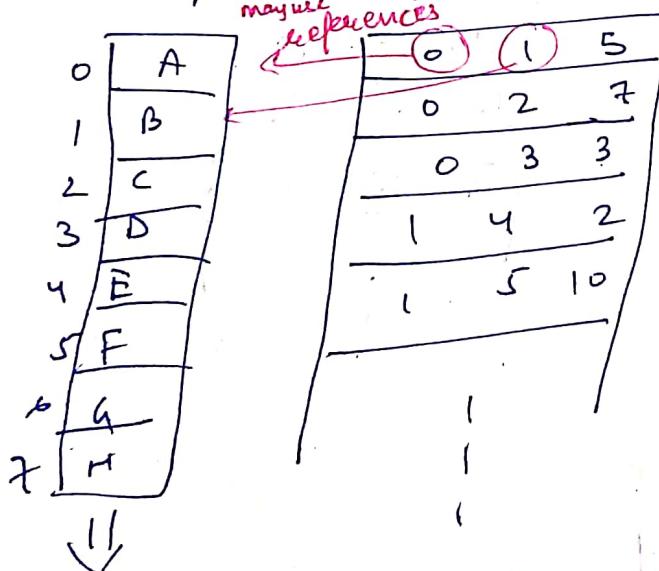


Intercity road network

$O(\text{no. of vertices})$ if length is constant like A, B, C in previous couple

Reference helps to save memory

may use references



$O(|E|)$

Memory usage ↑

$$\text{Space} = O(|V| + |E|)$$

class Edge

```

    {
        int startVertex;
        int endVertex;
        int weight;
    }
  
```

Time Complexity :-

operation \rightarrow how much time will you take to find all nodes adjacent to a given node?

Solⁿ we have linear search over edge list

$$\text{Runtime} \propto O(|E|)$$

Operation \rightarrow find whether two given nodes are connected or not?

Solⁿ

Linear search so

$$O(|E|)$$

If $|V| = n$
then $O(|E|) \leq n(n-1)$ if directed.

$\frac{n(n-1)}{2}$ if undirected

v	E
10	00
100	000
1000	0000

$O(|E|)$ or $O(|V| \times |V|)$ \rightarrow costly.

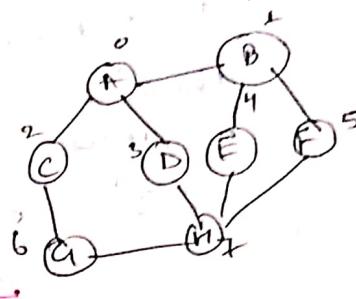
$O(|V|) \rightarrow O(K)$

it is not efficient
so we store it in 2D Array

memory is high now $\Rightarrow O(V^2)$
 transpose matrix is good when graph is dense

vertex list	
0	A
1	B
2	C
3	D
4	E
5	F
6	G
7	H
8	I

		adjacency Matrix							
		0	1	2	3	4	5	6	7
0	1	0	1	1	0	0	0	0	0
1	2	1	0	0	0	1	1	0	0
2	3	1	0	0	0	0	1	0	0
3	4	1	0	0	0	0	0	1	0
4	5	0	1	0	0	1	0	0	1
5	6	0	1	0	0	0	0	1	0
6	7	0	0	1	0	0	0	0	1
7	8	0	0	0	1	1	1	1	0



$$A_{ij} = A_{ji}$$

operation

find adjacent nodes

Time cost

$$O(V) + O(V) \Rightarrow O(V)$$

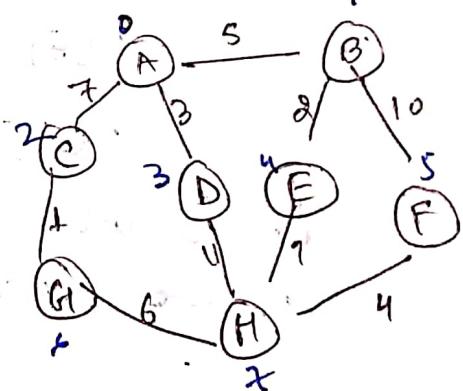
best $\Rightarrow O(1)$

find if two
nodes are
connected
or
not

$$O(1) + O(V) = O(V)$$

use hash table
to avoid this

		0	1	2	3	4	5	6	7
0	1	∞	5	7	3	∞	∞	∞	∞
1	2	5	∞	∞	∞	2	10	∞	∞
2	3	7	∞	∞	∞	∞	1	∞	∞
3	4	3	∞	∞	∞	∞	∞	8	11
4	5	∞	2	∞	∞	∞	∞	∞	9
5	6	∞	10	∞	∞	∞	∞	∞	4
6	7	∞	∞	1	∞	∞	∞	∞	6
7	8	∞	∞	∞	6	11	9	4	∞



Memory is high now $\Rightarrow O(V^2)$

Adjacency matrix is good when graph is dense
otherwise there is wastage of memory
and Most world example graph are sparse

Adjacency List Representation is better solution

TIME COMPLEXITY

ex

n prime?
2
3
5
7
11

Ram
for i=2 to n-1
if i divides n
n is not prime

Sugan
for i=2 to \sqrt{n}
if i divides n
n is not prime

	$(n-2)$ times division	$(\sqrt{n}-1)$ divisions
$n=11$	9 ms	$(3-1) = 2$ ms
$n=101$	99 ms	9 ms
$n=1000003$ $= 10^6 + 3$	$\approx 10^6 \text{ ms} = 10^3 \text{ sec}$ $= 16.66 \text{ min}$	$(\sqrt{10^6+3} - 1)$ $\approx 10^3 \text{ ms} = 1 \text{ sec.}$

$$n = 10^{19} \Rightarrow 10^{10} \text{ ms} \Rightarrow 10^7 \text{ sec}$$

$\approx 1115 \text{ days}$

$$\approx 10^5 \text{ ms} = 10^8 \text{ sec}$$

$= 1.66 \text{ min}$

$$T \propto n \text{ so } O(n)$$

$$T \propto \sqrt{n}$$

$$\therefore O(\sqrt{n})$$

fastest algorithm

Paton

Running time depends on :-

- (1) Single vs multi processor
- (2) Read/Write speed to memory
- (3) 32 bit or 64 bit architecture
- (4) Input to algorithm

When calculate we only consider of Input

* rate of growth of time with respect to Input

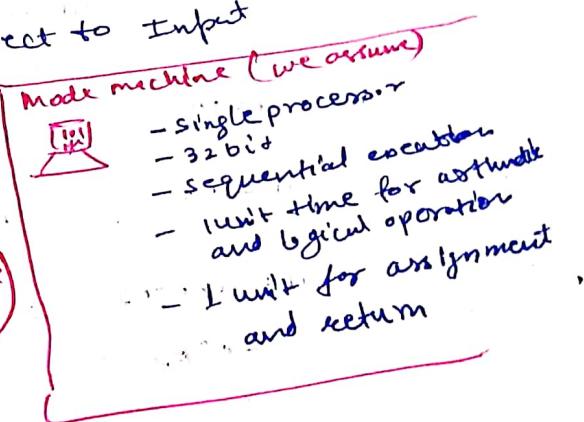
$\text{Sum}(a, b)$

```

    {
        return a + b;
    }

```

$T = 2$ (irrespective
of input)



$\text{Sum}(A, n)$

```

    {
        + total = 0
        2 for (i=0 to n-1)
            3     total = total + A[i]
        4 return total
    }

```

Cost	no. of times
1 (c_1)	1
2 (c_2)	$n+1$
2 (c_3)	n
1 (c_4)	1

3

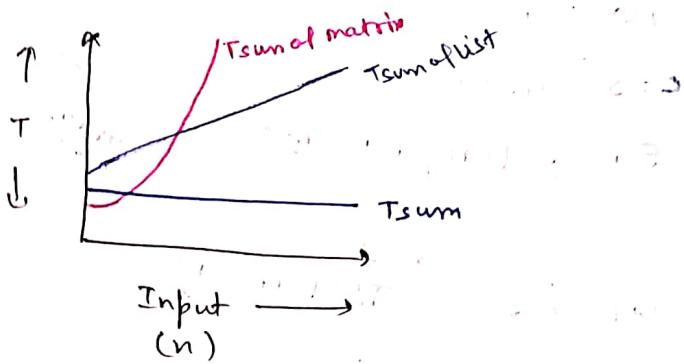
$$\begin{aligned}
 T_{\text{sum}} &= 1 + 2(n+1) + 2n + 1 \\
 &= 4n + 4
 \end{aligned}$$

$$T(n) = cn + c \quad O(n)$$

(3)

(5)

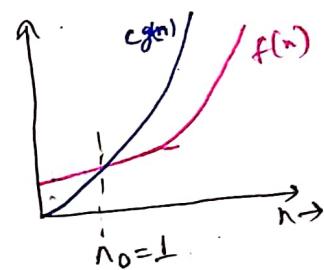
$$T_{\text{sum of Matrix}} = an^2 + bn + c \in \Theta(n^2)$$



Asymptotic notations

O - "big-oh" notation [it gives upper bound]

$O(g(n)) = \{ f(n) : \text{there exist constants } c \text{ and } n_0$
 $f(n) \leq cg(n), \text{ for } n \geq n_0 \}$



Ex $f(n) = 5n^2 + 2n + 1 = O(n^2)$

$$g(n) = n^2$$

$$c = 8[5+2+1], f(n) \leq 8n^2, n \geq 1$$

$$n_0 = 1$$

Ω - Omega notation

$\Omega(g(n)) = \{ f(n) : \text{there exist constants } c \text{ and } n_0$

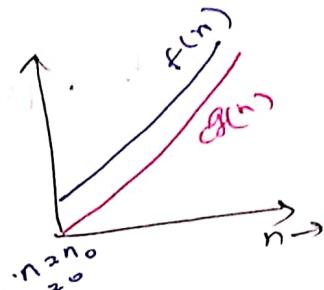
$c g(n) \leq f(n), \text{ for } n \geq n_0 \}$

(5)

ex $f(n) = 5n^2 + 2n + 1$
 $g(n) = n^2$

$c = 5 \quad n_0 = 0$

$5n^2 \leq f(n), \forall n \geq 0$



Θ - Theta notation (tight bound)

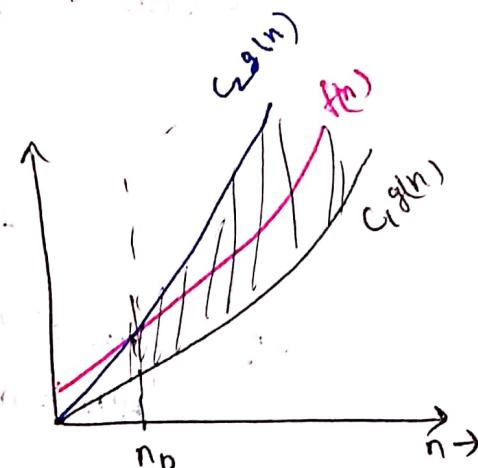
$\Theta(g(n)) = \{ f(n) : \text{there exist constants } c_1, c_2 \text{ and } n_0 \text{ such that } c_1 g(n) \leq f(n) \leq c_2 g(n) \text{ for } n \geq n_0 \}$

ex $f(n) = 5n^2 + 2n + 1$
 $g(n) = n^2$

$c_1 = 5 \quad c_2 = 8, n_0 = 1$

$5n^2 \leq f(n) \leq 8n^2 \text{ for } n \geq 1$

$\text{so } \Theta(n^2)$



We analyze time complexity for

- ① very large input size
- ② worst case scenario

$$T(n) = n^3 + 3n^2 + 4n + 2 \\ \approx n^3 \quad (n \rightarrow \infty) \\ O(n^3)$$

int a;
a = 5;
a++;

O(1)

for (i=0; i<n; i++)
{
 }
 3

O(n)

for ()
 {
 for ()
 {
 }
 3
 }
 3
O(n^2)

$$T(n) = T(n-1) + 3 \quad \text{if } n > 0$$

$$T(0) = 1$$

$$\begin{aligned} T(n) &= T(n-1) + 3 \\ &= T(n-2) + 1 \\ &= T(n-3) + 9 \\ &= T(n-k) + 3^k \end{aligned}$$

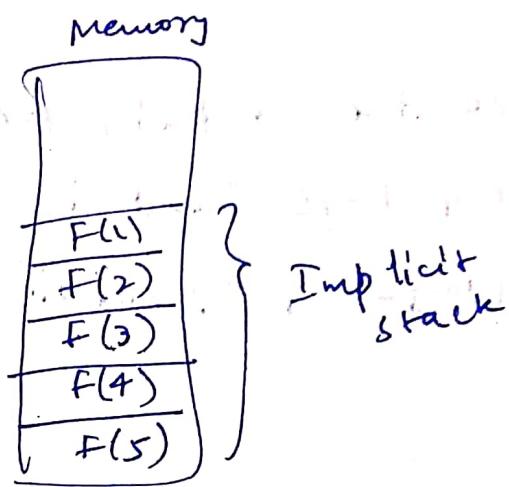
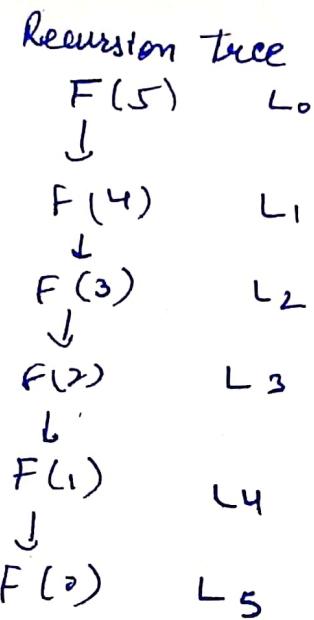
$$n-k=0 \Rightarrow k=n$$

$$\begin{aligned} T(n) &= T(0) + 3^n \\ &= 3n + 1 \Rightarrow O(n) \end{aligned}$$

for factorial

F(n)
{
 if n == 0
 return 1
 else
 n * f(n-1)}

3.



max depth = 5

Space required \propto input n
 $O(n)$

HASHTABLE IMPLEMENTATION

```
#include <iostream>
#include <map>
#include <string.h>
using namespace std;
int main()
{
    map<string, string> phonebook;
    int n;
    cin >> n;
    string name, phone;

    for (int i=0; i<n; i++)
    {
        cin >> name >> phone;
        phonebook[name] = phone;
    }

    map<string, string>::iterator it;
    string query;
    while (cin >> query)
    {
        it = phonebook.find(query);
        if (it != phonebook.end())
        {
            cout << it->first << "=" << it->second << '\n';
        }
        else
        {
            cout << "not found";
        }
    }
}
```

Vishal Gupta

Android Developer

Android Developer with over 10 year of software and web development experience, including Health Care, Taxi, E-commerce, Crypto Trading type applications. Understanding of Android software development life cycle. Dedicated to continuously developing and adopting new technologies to maximize development efficiency and produce innovative applications.



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28-07-1995
GitHub
<https://github.com/vishalguptahmh>
LinkedIn
<https://www.linkedin.com/in/vishalguptahmh/>

Education

05-2013 - 05-2017
DIT University, Dehradun
B-Tech in Computer Science CGPA-
7.89

Certificates

Certified Information Security Specialist V2.0(15dec13 - 01Jan14)
'Core java & Advance Java' at RCPL
(28Jan15 - 12Sep15)
Cambridge English Entry level certificate in ESOL International
National Youth summit (Vision 2k35)
(12Apr2014)

Experience

06-2018 - present	Talentopedia Android Developer	Talentopedia Working on Product with latest technologies and still in Development Phase. https://play.google.com/store/apps/details?id=com.moodie&hl=en
01-2017 - 06-2018	Charpixel Technologies Android Developer	KidCircle E-commerce Android application where parents can track their children schedules and kids extracurricular activities and suggest activities that are convenient to them https://play.google.com/store/apps/details?id=com.product.kidcircle

Roles and Responsibilities:
1)Building Complete App from Scratch
2)Kid Activity' Booking Flow.
3)Integration of Google Payment Gateway

Medrexa : Social networking app for health users and professionals. It also provides free health data sharing and health data management service. It gives significant opportunity to health users to follow and get connected with the best health professionals.
<https://play.google.com/store/apps/details?id=com.medrexa.user&hl=en>
<https://play.google.com/store/apps/details?id=com.medrexa.professional&hl=en>

Roles and Responsibilities:
1) Integration Of APIs with the help of retrofit,dagger2.
2)Creating A feature of Tasks assigned to Doctors.
3)Building and Editing of Profile Section.
4)Editing of onGoing Appointment.

Taxi-App: It is an application which is similar to uber or ola. I developed Driver part of Taxi App. It includes Accept/Reject/Cancel Request, starts the trip, ends the Trip, payment gateways, Location tracking. (It is part of company product)
https://drive.google.com/open?id=0B5kUF-_o9QNpLWFKb0V5cEdhakk

Roles and Responsibilities:
1)Develop Driver part of Taxi App
2)Integration of APIs using retrofit,dagger2.
3)Drawing a path on Map from pickup to drop point.
4)Building the process of Accepting and Rejecting of Bookings.

Cryptongy: Trade your Crypto coins and tokens in your preferred exchange. It includes customized watch list, views your wallet, or put buy and sell limit orders. Use the power of conditional orders to configure stop loss, trailer stop loss, and profit limit, you may also set alerts on the Crypto prices.
<https://apkpure.com/cryptongy/crypto.soft.cryptongy>

Roles and Responsibilities:
1)Create and developed the app in MVP
2)Store Data using Realm Database
3)Integration of Bittrex and Binnace Socket APIs.

GITHUB : Android Frequently used Stuffs
<https://github.com/vishalguptahmh/AndroidCheatSheet>

05-2016 - 07-2016	PHP Developer Editsoft Solutions <ul style="list-style-type: none">• Learned the basics of PHP development• Learned the basics of GIT• Implementation of Google and Facebook Login• Learned to complete the project with in the strict time line
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