

A Course Material on

Surveying II



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QUALITY CERTIFICATE

This is to certify that the e-course material

Subject Code : CE6304

Scubject : Surveying II

Class : II Year Civil

Being prepared by me and it meets the knowledge requirement of the university curriculum.

Signature of the Author

Name:

Designation:

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CE6404

SURVEYING II

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OBJECTIVES:

- This subject deals with geodetic measurements and Control Survey methodology and its adjustments. The student is also exposed to the Modern Surveying.

UNIT I CONTROL SURVEYING

9

Horizontal and vertical control – Methods – specifications – triangulation- baseline – instruments and accessories – corrections – satellite stations – reduction to centre- trigonometrical levelling – single and reciprocal observations – traversing – Gale's table.

UNIT II SURVEY ADJUSTMENT

9

Errors Sources- precautions and corrections – classification of errors – true and most probable Values- weighed observations – method of equal shifts –principle of least squares -0 normal Equation – correlates- level nets- adjustment of simple triangulation networks.

UNIT III TOTAL STATION SURVEYING

9

Basic Principle – Classifications -Electro-optical system: Measuring principle, Working Principle, Sources of Error, Infrared and Laser Total Station instruments, Microwave system: Measuring principle, working principle, Sources of Error, Microwave Total Station instruments. Comparision between Electro-optical and Microwave system. Care and maintenance of Total Station instruments. Modern positioning systems – Traversing and Trilateration.

UNIT IV GPS SURVEYING

9

Basic Concepts - Different segments - space, control and user segments - satellite configuration - signal structure - Orbit determination and representation - Anti Spoofing and Selective Availability - Task of control segment – Hand Held and Geodetic receivers –data processing - Traversing and Triangulation.

UNIT V ADVANCED TOPICS IN SURVEYING

9

Route Surveying - Reconnaissance - Route surveys for highways, railways and waterways - Simple curves Compound and reverse curves - Setting out Methods Transition curves - Functions and requirements - Setting out by offsets and angles - Vertical curves - Sight distances-hydrographic surveying - Tides - MSL - Sounding methods - Three-point problem - Strength of fix - Sextants and station pointer- Astronomical Surveying – field observations and determination of Azimuth by altitude and hour angle methods – fundamentals of Photogrammetry and Remote Sensing

TOTAL: 45 PERIODS

OUTCOMES:

On completion of this course students shall be able to understand the advantages of electronic surveying over conventional surveying methods

- Understand the working principle of GPS, its components, signal structure, and error sources
- Understand various GPS surveying methods and processing techniques used in GPS
- observations

TEXT BOOKS:

1. James M. Anderson and Edward M. Mikhail, "Surveying, Theory and Practice", 7th Edition, McGraw Hill, 2001.
2. Bannister and S. Raymond, "Surveying", 7th Edition, Longman 2004.
3. Laurila, S.H. "Electronic Surveying in Practice", John Wiley and Sons Inc, 1993

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1. Alfred Leick, "GPS satellite surveying", John Wiley & Sons Inc., 3rd Edition, 2004.
2. Guocheng Xu, "GPS Theory, Algorithms and Applications", Springer - Berlin, 2003.
3. Satheesh Gopi, rasathishkumar, N. madhu, "Advanced Surveying, Total Station GPS and Remote Sensing" Pearson education , 2007

TABLE OF CONTENTS

S.NO	TOPICS	PAGE NO
1	CHAPTER 1(CONTROL SURVEYING)	
1.1	HORIZONTAL CONTROLS & ITS METHODS	1
1.2	VERTICAL CONTROL & ITS METHODS	1
1.3	CLASSIFICATION OF TRIANGULATION SYSTEM	5
1.3.1	FIRST ORDER OR PRIMARY TRIANGULATION	5
1.3.2	SECONDARY ORDER OR SECONDARY TRIANGULATION	6
1.3.3	THIRD ORDER OR TERTIARY TRIANGULATION	7
2	CHAPTER 2 SURVEY ADJUSTMENTS	
2.1	TYPES OF ERROR	9
2.2	THE LAW OF ACCIDENTAL ERRORS	10
2.3	PRINCIPLES OF LEAST SQUARES	10
2.4	LAW OF WEIGHTS	10
2.5	DISTRIBUTION OF ERROR OF THE FIELD MEASUREMENT	12
3	CHAPTER 3 TOTAL STATION	
3.1	BASIC PRINCIPLE	13
3.2	CLASSIFICATION OF TOTAL STATIONS	14
3.2.1	LASER DISTANCE MEASUREMENT	16
3.2.2	ELECTRO- OPTICAL SYSTEM	
3.3	FEATURES OF TOTAL STATIONS	22
3.5	SOFTWARE APPLICATIONS	27
3.6	SOURCES OF ERROR FOR TOTAL STATIONS	31
	CHAPTER 4 GPS SURVEYING	
4.1	INTRODUCTION	40
4.2	SEGMENTS OF GPS	40
4.3	SPACE SEGMENT	41
4.4	OBSERVATION PRINCIPLE AND SIGNAL STRUCTURE	43

4.5	STRUCTURE OF THE GPS NAVIGATION DATA	45
4.6	CONTROL SEGMENT	46
4.7	GROUND CONTROL SEGMENT	48
4.8	USER SEGMENT	48
4.9	BASIC CONCEPT OF GPS RECEIVER AND ITS COMPONENTS	48
4.10	CLASSIFICATION OF GPS RECEIVERS	52
4.11	ACCURACY	60
4.12	DIFFERENTIAL THEORY	61
4.13	DIFFERENTIAL GPS	62
	CHAPTER 5 ADVANCED TOPICS IN SURVEYING	
5.1	INTRODUCTION	63
5.2	PHOTOGRAMMETRIC SURVEYING	63
5.3	PRINCIPLES BEHIND TERRESTRIAL PHOTOGRAMMETRY	64
5.4	MEAN SEA LEVEL? EXPLAIN WHY IT IS USED AS DATUM.	83
5.5	5.5 ASTRONOMICAL SURVEYING	83
5.5.1	CO-ALTITUDE OR ZENITH DISTANCE (Z) AND AZIMUTH (A).	84

CHAPTER 1 CONTROL SURVEYING

1.1 HORIZONTAL CONTROLS & ITS METHODS

The horizontal control consists of reference marks of known plan position, from which salient points of designed structures may be set out. For large structures primary and secondary control points are used. The primary control points are triangulation stations. The secondary control points are reference to the primary control stations.

Reference Grid

Reference grids are used for accurate setting out of works of large magnitude. The following types of reference grids are used:

1. Survey Grid
2. Site Grid
3. Structural Grid
4. Secondary Grid

Survey grid is one which is drawn on a survey plan, from the original traverse. Original traverse stations form the control points of the grid. The site grid used by the designer is the one with the help of which actual setting out is done. As far as possible the site grid should be actually the survey grid. All the design points are related in terms of site grid coordinates. The structural grid is used when the structural components of the building are large in numbers and are so positioned that these components cannot be set out from the site grid with sufficient accuracy. The structural grid is set out from the site grid points. The secondary grid is established inside the structure, to establish internal details of the building, which are otherwise not visible directly from the structural grid.

1.2 VERTICAL CONTROL & ITS METHODS:

The vertical control consists of establishment of reference marks of known height relative to some special datum. All levels at the site are normally reduced to the nearby bench mark, usually known as master bench mark.

The setting of points in the vertical direction is usually done with the help of following rods:

1. Boning rods and travelers
2. Sight Rails
3. Slope rails or batter boards
4. Profile boards

A boning rod consist of an upright pole having a horizontal board at its top, forming a

'T' shaped rod. Boning rods are made in set of three, and many consist of three 'T' shaped rods, each of equal size and shape, or two rods identical to each other and a third one consisting of longer rod with a detachable or movable 'T' piece. The third one is called traveling rod or traveler.

Sight Rails:

A sight rail consist of horizontal cross piece nailed to a single upright or pair of uprights driven into the ground. The upper edge of the cross piece is set to a convenient height above the required plane of the structure, and should be above the ground to enable a man to conveniently align his eyes with the upper edge. A stepped sight rail or double sight rail is used in highly undulating or falling ground. Slope rails or Batter boards:

These are used for controlling the side slopes in embankment and in cuttings. These consist of two vertical poles with a sloping board nailed near their top. The slope rails define a plane parallel to the proposed slope of the embankment, but at suitable vertical distance above it. Travelers are used to control the slope during filling operation.

Profile boards:

These are similar to sight rails, but are used to define the corners, or sides of a building. A profile board is erected near each corner peg. Each unit of profile board consists of two verticals, one horizontal board and two cross boards. Nails or saw cuts are placed at the top of the profile boards to define the width of foundation and the line of the outside of the wall

An instrument was set up at P and the angle of elevation to a vane 4 m above the foot of the staff held at Q was $9^\circ 30'$. The horizontal distance between P and Q was known to be 2000 metres. Determine the R.L. of the staff station Q given that the R.L. of the instrument axis was 2650.38.

Solution:

Height of vane above the instrument axis

$$= D \tan = 2000 \tan 9^\circ 30'$$

$$= 334.68 \text{ m}$$

Correction for curvature and refraction

$$C = 0.06735 D^2 \text{ m, when } D \text{ is in km}$$

$$= 0.2694 \quad 0.27 \text{ m (+ ve)}$$

Height of vane above the instrument axis

$$= 334.68 + 0.27 = 334.95$$

$$\text{R.L. fo vane} = 334.95 + 2650.38 = 2985.33 \text{ m}$$

$$\text{R.L. of Q} = 2985.33 - 4 = 2981.33 \text{ m}$$

An instrument was set up at P and the angle of depression to a vane 2 m above the foot of the staff held at Q was $5^\circ 36'$. The horizontal distance between P and Q was known to be 3000 metres. Determine the R.L. of the staff station Q given that staff reading on a B.M. of elevation 436.050 was 2.865 metres.

Solution:

The difference in elevation between the vane and the instrument axis

$$= D \tan$$

$$= 3000 \tan 5^\circ 36' = 294.153$$

Combined correction due to curvature and refraction

$$C = 0.06735 D^2 \text{ metres , when D is in km}$$

$$= 0.606 \text{ m.}$$

Since the observed angle is negative, the combined correction due to curvature and refraction is subtractive.

Difference in elevation between the vane and the instrument axis

$$= 294.153 - 0.606 = 293.547 = h.$$

$$\text{R.L. of instrument axis} = 436.050 + 2.865 = 438.915$$

$$\text{R.L. of the vane} = \text{R.L. of instrument axis} - h$$

$$= 438.915 - 293.547 = 145.368$$

$$\text{R.L. of Q} = 145.368 - 2$$

$$= 143.368 \text{ m.}$$

In order to ascertain the elevation of the top (Q) of the signal on a hill, observations were made from two instrument stations P and R at a horizontal distance 100 metres apart, the

station P and R being in the line with Q. The angles of elevation of Q at P and R were $28^\circ 42'$ and $18^\circ 6'$ respectively. The staff reading upon the bench mark of elevation 287.28 were respectively 2.870 and 3.750 when the instrument was at P and at R, the telescope being horizontal. Determine the elevation of the foot of the signal if the height of the signal above its base is 3 metres.

Solution:

$$\begin{aligned}\text{Elevation of instrument axis at P} &= \text{R.L. of B.M.} + \text{Staff reading} \\ &= 287.28 + 2.870 = 290.15 \text{ m}\end{aligned}$$

$$\begin{aligned}\text{Elevation of instrument axis at R} &= \text{R.L. of B.M.} + \text{staff reading} \\ &= 287.28 + 3.750 = 291.03 \text{ m}\end{aligned}$$

Difference in level of the instrument axes at the two stations

$$S = 291.03 - 290.15 = 0.88 \text{ m.}$$

$$-- = 28^\circ 42' \text{ and } --- = 18^\circ 6'$$

$$s \cot --- = 0.88 \cot 18^\circ 6' = 2.69 \text{ m}$$

$$= 152.1 \text{ m.}$$

$$h-- = D \tan -- = 152.1 \tan 28^\circ 42' = 83.272 \text{ m}$$

R.L. of foot of signal = R.L. of inst. aixs at P + h-- - ht. of signal

$$\begin{aligned}&= 290.15 + 83.272 - 3 = 370.422 \text{ m.} \\ \text{Check : } (b + D) &= 100 + 152.1 \text{ m} = 252.1 \text{ m} \\ h-- &= (b + D) \tan -- = 252.1 \times \tan 18^\circ 6' \\ &= 82.399 \text{ m}\end{aligned}$$

R.L. of foot of signal = R.L. of inst. axis at R + h--+ ht. of signal

$$= 291.03 + 82.399 - 3 = 370.429 \text{ m.}$$

1.3 CLASSIFICATION OF TRIANGULATION SYSTEM:

The basis of the classification of triangulation figures is the accuracy with which the length and azimuth of a line of the triangulation are determined. Triangulation systems of different accuracies depend on the extent and the purpose of the survey. The accepted grades of triangulation are:

1. First order or Primary Triangulation
2. Second order or Secondary Triangulation
3. Third order or Tertiary Triangulation

1.3.1 FIRST ORDER OR PRIMARY TRIANGULATION:

The first order triangulation is of the highest order and is employed either to determine the earth's figure or to furnish the most precise control points to which secondary triangulation may be connected. The primary triangulation system embraces the vast area (usually the whole of the country). Every precaution is taken in making linear and angular measurements and in performing the reductions. The following are the general specifications of the primary triangulation:

- | | |
|---|-------------------------------|
| 1. Average triangle closure | : Less than 1 second |
| 2. Maximum triangle closure | : Not more than 3 seconds |
| 3. Length of base line | : 5 to 15 kilometers |
| 4. Length of the sides of triangles | : 30 to 150 kilometers |
| 5. Actual error of base | : 1 in 300,000 |
| 6. Probable error of base | : 1 in 1,000,000 |
| 7. Discrepancy between two
measures of a section | : 10 mm kilometers |
| 8. Probable error or computed distance | : 1 in 60,000 to 1 in 250,000 |
| 9. Probable error in astronomic azimuth | : 0.5 seconds |

1.3.2 SECONDARY ORDER OR SECONDARY TRIANGULATION

The secondary triangulation consists of a number of points fixed within the framework of primary triangulation. The stations are fixed at close intervals so that the sizes of the

triangles formed are smaller than the primary triangulation. The instruments and methods used are not of the same utmost refinement. The general specifications of the secondary triangulation are:

1. Average triangle closure : 3 sec
2. Maximum triangle closure : 8 sec
3. Length of base line : 1.5 to 5 km
4. Length of sides of triangles : 8 to 65 km
5. Actual error of base : 1 in 150,000
6. Probable error of base : 1 in 500,000
7. Discrepancy between two measures of a section : 20 mm kilometers
8. Probable error or computed distance : 1 in 20,000 to 1 in 50,000
9. Probable error in astronomic azimuth : 2.0 sec

1.3.3 THIRD ORDER OR TERTIARY TRIANGULATION:

The third-order triangulation consists of a number of points fixed within the framework of secondary triangulation, and forms the immediate control for detailed engineering and other surveys. The sizes of the triangles are small and instrument with moderate precision may be used. The specifications for a third-order triangulation are as follows:

1. Average triangle closure : 6 sec
2. Maximum triangle closure : 12 sec
3. Length of base line : 0.5 to 3 km
4. Length of sides of triangles : 1.5 to 10 km
5. Actual error of base : 1 in 75,0000
6. Probable error of base : 1 in 250,000
7. Discrepancy between two Measures of a section : 25 mm kilometers
8. Probable error or computed distance : 1 in 5,000 to 1 in 20,000
9. Probable error in astronomic Azimuth: 5 sec.

Explain the factors to be considered while selecting base line.

The measurement of base line forms the most important part of the triangulation operations. The base line is laid down with great accuracy of measurement and alignment as it forms the basis for the computations of triangulation system. The length of the base line depends upon the grades of the triangulation. Apart from main base line, several other check bases are also measured at some suitable intervals. In India, ten bases were used, the lengths of the nine bases vary from 6.4 to 7.8 miles and that of the tenth base is 1.7 miles.

Selection of Site for Base Line. Since the accuracy in the measurement of the base line depends upon the site conditions, the following points should be taken into consideration while selecting the site:

1. The site should be fairly level. If, however, the ground is sloping, the slope should be uniform and gentle. Undulating ground should, if possible be avoided.
2. The site should be free from obstructions throughout the whole of the length. The line clearing should be cheap in both labour and compensation.

3. The extremities of the base should be intervisible at ground level.
4. The ground should be reasonably firm and smooth. Water gaps should be few, and if possible not wider than the length of the long wire or tape.
5. The site should suit extension to primary triangulation. This is an important factor since the error in extension is likely to exceed the error in measurement.

In a flat and open country, there is ample choice in the selection of the site and the base may be so selected that it suits the triangulation stations. In rough country, however, the choice is limited and it may sometimes be necessary to select some of the triangulation stations that are suitable for the base line site.

Standards of Length. The ultimate standard to which all modern national standards are referred is the international meter established by the Bureau International der Poids at Measures and kept at the Pavilion de Breteuil, Sevres, with copies allotted to various national surveys. The meter is marked on three platinum- iridium bars kept under standard conditions. One great disadvantage of the standard of length that are made of metal are that they are subject to very small secular change in their dimensions. Accordingly, the meter has now been standardized in terms of wavelength of cadmium light.

CHAPTER 2

SURVEY ADJUSTMENTS

2.1 TYPES OF ERROR

Errors of measurement are of three kinds: (i) mistakes, (ii) systematic errors, and (iii) accidental errors.

(i) Mistakes. Mistakes are errors that arise from inattention, inexperience, carelessness and poor judgment or confusion in the mind of the observer. If mistake is undetected, it produces a serious effect on the final result. Hence every value to be recorded in the field must be checked by some independent field observation.

(ii) Systematic Error. A systematic error is an error that under the same conditions will always be of the same size and sign. A systematic error always follows some definite mathematical or physical law, and a correction can be determined and applied. Such errors are of constant character and are regarded as positive or negative according as they make the result too great or too small. Their effect is therefore, cumulative.

If undetected, systematic errors are very serious. Therefore:

(1) All the surveying equipments must be designed and used so that whenever possible systematic errors will be automatically eliminated and (2) all systematic errors that cannot be surely eliminated by this means must be evaluated and their relationship to the conditions that cause them must be determined. For example, in ordinary levelling, the levelling instrument must first be adjusted so that the line of sight is as nearly horizontal as possible when bubble is centered. Also the horizontal lengths for back sight and foresight from each instrument position should be kept as nearly equal as possible. In precise levelling, every day, the actual error of the instrument must be determined by careful peg test, the length of each sight is measured by stadia and a correction to the result is applied.

(iii) Accidental Error. Accidental errors are those which remain after mistakes and systematic errors have been eliminated and are caused by a combination of reasons beyond the ability of the observer to control. They tend sometimes in one direction and some times in the other, i.e., they are equally likely to make the apparent result too large or too small.

An accidental error of a single determination is the difference between (1) the true value of the quantity and (2) a determination that is free from mistakes and systematic errors. Accidental error represents limit of precision in the determination of a value. They obey the laws of chance and therefore, must be handled according to the mathematical laws of probability.

The theory of errors that is discussed in this chapter deals only with the accidental errors after all the known errors are eliminated and accounted for.

2.2 THE LAW OF ACCIDENTAL ERRORS

Investigations of observations of various types show that accidental errors follow a definite law, the law of probability. This law defines the occurrence of errors and can be expressed in the form of equation which is used to compute the probable value or the probable precision of a quantity. The most important features of accidental errors which usually occur are:

- (i) Small errors tend to be more frequent than the large ones; that is they are the most probable.
- (ii) Positive and negative errors of the same size happen with equal frequency ; that is, they are equally probable.
- (iii) Large errors occur infrequently and are impossible.

2.3 PRINCIPLES OF LEAST SQUARES

It is found from the probability equation that the most probable values of a series of errors arising from observations of equal weight are those for which the sum of the squares is a minimum. The fundamental law of least squares is derived from this. According to the principle of least squares, the most probable value of an observed quantity available from a given set of observations is the one for which the sum of the squares of the residual errors is a minimum. When a quantity is being deduced from a series of observations, the residual errors will be the difference between the adopted value and the several observed values,

Let V_1, V_2, V_3 etc. be the observed values $x =$
most probable value

2.4 LAW OF WEIGHTS

From the method of least squares the following laws of weights are established:

- (i) The weight of the arithmetic mean of the measurements of unit weight is equal to the number of observations.

For example, let an angle A be measured six times, the following being the values:

A	Weight	A	Weight
$30^\circ 20' 8''$	1	$30^\circ 20' 10''$	1
$30^\circ 20' 10''$	1	$30^\circ 20' 9''$	1
$30^\circ 20' 7''$	1	$30^\circ 20' 10''$	1

Arithmetic mean

$$= 30^\circ 20' + 1/6 (8'' + 10'' + 7'' + 10'' + 9'' + 10'')$$

$$= 30^\circ 20' 9''.$$

Weight of arithmetic mean = number of observations = 6.

(2) The weight of the weighted arithmetic mean is equal to the sum of the individual weights.

For example, let an angle A be measured six times, the following being the values :

A	Weight	A	Weight
$30^\circ 20' 8''$	2	$30^\circ 20' 10''$	3
$30^\circ 20' 10''$	3	$30^\circ 20' 9''$	4
$30^\circ 20' 6''$	2	$30^\circ 20' 10''$	2

$$\text{Sum of weights} = 2 + 3 + 2 + 3 + 4 + 2 = 16$$

$$\begin{aligned}\text{Arithmetic mean} &= 30^\circ 20' + \frac{1}{16}(8''X_2 + 10''X_3 + 7''X_2 + 10''X_3 + 9''X_4 + 10''X_2) \\ &= 30^\circ 20' 9''.\end{aligned}$$

Weight of arithmetic mean = 16.

(3) The weight of algebraic sum of two or more quantities is equal to the reciprocals of the individual weights.

For Example angle A = $30^\circ 20' 8''$, Weight 2
B = $15^\circ 20' 8''$, Weight 3

Weight of A + B =

(4) If a quantity of given weight is multiplied by a factor, the weight of the result is obtained by dividing its given weight by the square of the factor.

(5) If a quantity of given weight is divided by a factor, the weight of the result is obtained by multiplying its given weight by the square of the factor.

(6) If a equation is multiplied by its own weight, the weight of the resulting equation is equal to the reciprocal of the weight of the equation.

(7) The weight of the equation remains unchanged, if all the signs of the equation are changed or if the equation is added or subtracted from a constant.

2.5 DISTRIBUTION OF ERROR OF THE FIELD MEASUREMENT.

Whenever observations are made in the field, it is always necessary to check for the closing error, if any. The closing error should be distributed to the observed quantities. For examples, the sum of the angles measured at a central angle should be 360° , the error should be distributed to the observed angles after giving proper weight age to the observations. The following rules should be applied for the distribution of errors:

(1) The correction to be applied to an observation is inversely proportional to the weight of the observation.

(2) The correction to be applied to an observation is directly proportional to the square of the probable error.

(3) In case of line of levels, the correction to be applied is proportional to the length.

The following are the three angles α , β and y observed at a station P closing the horizon, along with their probable errors of measurement. Determine their corrected values.

Solution.

$$\alpha = 78^\circ 12' 12'' \pm 2''$$

$$\beta = 136^\circ 48' 30'' \pm 4''$$

$$y = 144^\circ 59' 08'' \pm 5''$$

$$\text{Sum of the three angles} = 359^\circ 59' 50''$$

$$\text{Discrepancy} = 10''$$

Hence each angle is to be increased, and the error of $10''$ is to be distributed in proportion to the square of the probable error.

Let c_1 , c_2 and c_3 be the correction to be applied to the angles α , β and y respectively.

$$c_1 : c_2 : c_3 = (2)^2 : (4)^2 : (5)^2 = 4 : 16 : 25 \quad \dots (1)$$

$$\text{Also, } c_1 + c_2 + c_3 = 10'' \quad \dots (2)$$

$$\text{From (1), } c_2 = 16/4 c_1 = 4c_1$$

$$\text{And } c_3 = 25/4 c_1$$

Substituting these values of c_2 and c_3 in (2), we get $c_1 +$

$$4c_1 + 25/4 c_1 = 10''$$

$$\text{or } c_1 (1 + 4 + 25/4) = 10''$$

$$c_1 = 10 \times 4/45 = 0''.89$$

$$c_2 = 4c_1 = 3''.36$$

$$\text{And } c_3 = 25/4 c_1 = 5''.55$$

Check: $c_1 + c_2 + c_3 = 0.^{\circ}89 + 3.^{\circ}.56 + 5.^{\circ}.55 = 10^{\circ}$

Hence the corrected angles are

$$= 78^\circ 12' 12'' + 0''.89 = 78^\circ 12' 12''.89$$

$$= 136^\circ 48' 30'' + 3''.56 = 136^\circ 48' 33''.56$$

and

$$y = 144^\circ 59' 08'' + 5''.55 = 144^\circ 59' 13''.55$$

$$\text{Sum} \quad \text{-----} \quad = 360^\circ 00' 00'' + 00$$

An angle A was measured by different persons and the following are the values

:

Angle		Number of measurements
65° 30' 10''	...	2
65° 29' 50''	...	3
65° 30' 00''	...	3
65° 30' 20''	...	4
65° 30' 10''	...	3

Find the most probable value of the angle.

Solution.

As stated earlier, the most probable value of an angle is equal to its weighted arithmetic mean.

$$65^\circ 30' 10'' \times 2 = 131^\circ 00' 20''$$

$$65^\circ 29' 50'' \times 3 = 196^\circ 29' 30''$$

$$65^\circ 30' 00'' \times 3 = 196^\circ 30' 00''$$

$$65^\circ 30' 20'' \times 4 = 262^\circ 01' 20''$$

$$65^\circ 30' 10'' \times 3 = 196^\circ 30' 30''$$

$$\begin{aligned} \text{Sum} &= 982^\circ 31' 40'' \\ \text{weight} &= 2 + 3 + 3 + 4 + 3 = 15 \end{aligned}$$

Weighted arithmetic mean

$$= 982^\circ 31' 40''$$

$$\text{-----} = 65^\circ 30' 6''.67$$

Hence most probable value of the angle = $65^\circ 30' 6''.67$

The telescope of a theodolite is fitted with stadia wires. It is required to find the most probable values of the constants C and K of tacheometer. The staff was kept vertical at three points in the field and with of sight horizontal the staff intercepts observed was as follows.

Distance of staff from tacheometer D(m)	Staff intercept S(m)
150	1.495
200	2.000
250	2.505

Solution:

The distance equation is

$$D = KS + C$$

The observation equations are

$$150 = 1.495 K + C$$

$$200 = 2.000 K + C$$

$$250 = 2.505 K + C$$

If K and C are the most probable values, then the error of observations are:

$$150 - 1.495 K - C$$

$$200 - 2.000 K - C$$

$$250 - 2.505 K - C$$

By the theory of least squares

$$(150 - 1.495 K - C)^2 + (200 - 2.000 K - C)^2 + (250 - 505 K - C)^2 = \text{minimum---(i)}$$

For normal equation in K,

Differentiating equation (i) w.r.t. K,

$$2(-1.495)(150 - 1.495 K - C) + 2(-2.000)(200 - 2.000 K - C)$$

$$+ 2(-2.505)(250 - 505 K - C) = 0$$

$$208.41667 - 2.085 K - C = 0 \quad \text{----- (2)}$$

Normal equation in C

Differentiating equation (i) w.r.t. C,

$$2(-1.0)(150 - 1.495 K - C) + 2(-1.0)(200 - 2.000 K - C)$$

$$+ 2(-1.0)(250 - 505 K - C) = 0$$

$$200 - 2 K - C = 0 \quad \text{----- (3)}$$

On solving Equations (2) and (3)

$$K = 99.0196$$

$$C = 1.9608$$

The distance equation is:

$$D = 99.0196 S + 1.9608$$

The following angles were measured at a station O as to close the horizon.

$$\angle AOB = 83^\circ 42' 28".75 \quad \text{weight 3}$$

$$\angle BOC = 102^\circ 15' 43".26 \quad \text{weight 2}$$

$$\angle COD = 94^\circ 38' 27".22 \quad \text{weight 4}$$

$$\angle DOA = 79^\circ 23' 23".77 \quad \text{weight 2}$$

Adjust the angles by method of Correlates.

Solution:

$$\angle AOB = 83^\circ 42' 28".75 \quad \text{Weight 3}$$

$$\angle BOC = 102^\circ 15' 43".26 \quad \text{Weight 2}$$

$$\angle COD = 94^\circ 38' 27".22 \quad \text{Weight 4}$$

$$\angle DOA = 79^\circ 23' 23".77 \quad \text{Weight 2}$$

$$\text{Sum} = 360^\circ 00' 03".00$$

$$\text{Hence, the total correction } E = 360^\circ - (360^\circ 0' 3")$$

$$= -3"$$

Let e_1, e_2, e_3 and e_4 be the individual corrections to the four angles respectively. Then by the condition equation, we get

$$e_1 + e_2 + e_3 + e_4 = -3" \quad \text{----- (1)}$$

Also, from the least square principle, $\Sigma(w e^2) = \text{a minimum}$

$$3e_1^2 + 2e_2^2 + 4e_3^2 + 2e_4^2 = \text{a minimum} \quad \text{----- (2)}$$

Differentiating (1) and (2), we get

$$\delta e_1 + \delta e_2 + \delta e_3 + \delta e_4 = 0 \quad \text{----- (3)}$$

$$\begin{array}{lll}
 \text{BOC} & = 102^\circ 15' 43".26 - 0".95 & = 102^\circ 15' 42".31 \\
 \text{COD} & = 94^\circ 38' 27".22 - 0".47 & = 94^\circ 38' 26".75 \\
 \text{DOA} & = 79^\circ 23' 23".77 - 0".95 & = 79^\circ 23' 22".82 \\
 \\[10pt]
 & & \hline \\
 & & 360^\circ 00' 00".00
 \end{array}$$

The following round of angles was observed from central station to surrounding station of a triangulation survey.

$$\begin{array}{ll}
 \mathbf{A} = 93^\circ 43' 22" & \text{weight 3} \\
 \mathbf{B} = 74^\circ 32' 39" & \text{weight 2} \\
 \mathbf{C} = 101^\circ 13' 44" & \text{weight 2} \\
 \mathbf{D} = 90^\circ 29' 50" & \text{weight 3}
 \end{array}$$

In addition, one angle $\overline{(A+B)}$ was measured separately as combined angle with a mean value of $168^\circ 16' 06"$ (wt 2).

Determine the most probable values of the angles A, B, C and D.

Solution:

$$A + B + C + D = 359^\circ 59' 35".$$

$$\begin{aligned}
 \text{Total correction E} &= 360^\circ - (359^\circ 59' 35") \\
 &= + 25"
 \end{aligned}$$

$$\text{Similarly, } \overline{(A+B)} = (A+B)$$

$$\begin{aligned}
 \text{Hence correction E}' &= A + B - \overline{(A+B)} \\
 &= 168^\circ 16' 01" - 168^\circ 16' 06" \\
 &= -5"
 \end{aligned}$$

Let e_1, e_2, e_3, e_4 and e_5 be the individual corrections to A, B, C, D respectively. Then by the condition equation, we get

$$e_1 + e_2 + e_3 + e_4 = -25" \quad \text{----- (1a)}$$

$$e_5 - e_1 - e_2 = -5" \quad \text{----- (1b)}$$

Also, from the least square principle, $\Sigma(w e^2) = \text{a minimum}$

$$3e_1^2 + 2e_2^2 + 2e_3^2 + 3e_4^2 + 2e_5^2 = \text{a minimum} \quad \text{----- (2)}$$

Differentiating (1a) (1b) and (2), we get

$$\delta e_1 + \delta e_2 + \delta e_3 + \delta e_4 = 0 \quad \text{----- (3a)}$$

$$\delta e_5 - \delta e_1 - \delta e_2 = 0 \quad \text{----- (3b)}$$

$$\begin{array}{lll}
 \text{BOC} & = 102^\circ 15' 43".26 - 0".95 & = 102^\circ 15' 42".31 \\
 \text{COD} & = 94^\circ 38' 27".22 - 0".47 & = 94^\circ 38' 26".75 \\
 \text{DOA} & = 79^\circ 23' 23".77 - 0".95 & = 79^\circ 23' 22".82 \\
 \\
 & & \hline \\
 & & 360^\circ 00' 00".00
 \end{array}$$

The following round of angles was observed from central station to surrounding station of a triangulation survey.

A = 93°43'22"	weight 3
B = 74°32'39"	weight 2
C = 101°13'44"	weight 2
D = 90°29'50"	weight 3

In addition, one angle $\overline{(A+B)}$ was measured separately as comb angle with a mean value of $168^\circ 16' 06"$ (wt 2).

Determine the most probable values of the angles A, B, C and D.

Solution:

$$A + B + C + D = 359^\circ 59' 35".$$

$$\begin{aligned}
 \text{Total correction } E &= 360^\circ - (359^\circ 59' 35") \\
 &= +25"
 \end{aligned}$$

$$\text{Similarly, } \overline{(A+B)} = (A+B)$$

$$\begin{aligned}
 \text{Hence correction } E' &= A + B - \overline{(A+B)} \\
 &= 168^\circ 16' 01" - 168^\circ 16' 06" \\
 &= -5"
 \end{aligned}$$

Let e_1, e_2, e_3, e_4 and e_5 be the individual corrections to A, B, C, D respectively. Then by the condition equation, we get

$$e_1 + e_2 + e_3 + e_4 = -25" \quad \dots \quad (1(a))$$

$$e_5 - e_1 - e_2 = -5" \quad \dots \quad (1(b))$$

Also, from the least square principle, $\Sigma(we^2)$ = a minimum

$$3e_1^2 + 2e_2^2 + 2e_3^2 + 3e_4^2 + 2e_5^2 = \text{a minimum} \quad \dots \quad (2)$$

Differentiating (1a) (1b) and (2), we get

$$\delta e_1 + \delta e_2 + \delta e_3 + \delta e_4 = 0 \quad \dots \quad (3a)$$

$$\delta e_5 - \delta e_1 - \delta e_2 = 0 \quad \dots \quad (3b)$$

$$3e_1\delta e_1 + 2e_2\delta e_2 + 2e_3\delta e_3 + 3e_4\delta e_4 + 2e_5\delta e_5 = 0 \quad \text{----- (4)}$$

Multiplying equation (3a) by $-\lambda_1$, (3b) by $-\lambda_2$ and adding it to (3), we get

$$\begin{aligned} \delta e_1(3e_1 - \lambda_1 + \lambda_2) + \delta e_2(2e_2 - \lambda_1 + \lambda_2) + \delta e_3(2e_3 - \lambda_1) + \delta e_4(3e_4 - \lambda_1) \\ + \delta e_5(-\lambda_2 + 2e_5) = 0 \quad \text{----- (5)} \end{aligned}$$

Since the coefficients of $\delta e_1, \delta e_2, \delta e_3, \delta e_4$ etc. must vanish independently, we

$$\text{have } -\lambda_1 + \lambda_2 + 3e_1 = 0 \quad \text{or} \quad e_1 = \frac{\lambda_1}{3} - \frac{\lambda_2}{3}$$

$$-\lambda_1 + \lambda_2 + 2e_2 = 0 \quad \text{or} \quad e_2 = \frac{\lambda_1}{2} - \frac{\lambda_2}{2}$$

$$-\lambda_2 + 2e_3 = 0 \quad \text{or} \quad e_3 = \frac{\lambda_1}{2} \quad \text{----- (6)}$$

$$-\lambda_1 + 3e_4 = 0 \quad \text{or} \quad e_4 = \frac{\lambda_1}{3}$$

$$-\lambda_2 + 2e_5 = 0 \quad \text{or} \quad e_5 = -\frac{\lambda_2}{2}$$

Substituting these values of e_1, e_2, e_3, e_4 and e_5 in Equations (1a) and (1b)

$$\frac{\lambda_1}{3} - \frac{\lambda_2}{3} + \frac{\lambda_1}{2} - \frac{\lambda_2}{2} + \frac{\lambda_1}{2} + \frac{\lambda_1}{3} = 25 \quad \text{from (1a)}$$

$$\text{or} \quad 5\frac{\lambda_1}{3} - \frac{5}{6}\lambda_2 = 25$$

$$\frac{\lambda_1}{3} - \frac{1}{6}\lambda_2 = 5 \quad \text{----- (I)}$$

$$\frac{\lambda_2}{2} - \frac{\lambda_1}{3} + \frac{\lambda_2}{3} - \frac{\lambda_1}{2} + \frac{\lambda_2}{32} = -5 \quad \text{from (1b)}$$

$$4\frac{\lambda_2}{3} - \frac{5}{6}\lambda_1 = -5 \quad \text{----- (II)}$$

Solving (I) and (II) simultaneously, we get

$$\lambda_1 = +\frac{210}{11}$$

$$\lambda_2 = +\frac{90}{11}$$

$$\text{Hence} \quad e_1 = \frac{1}{3} \cdot \frac{210}{11} - \frac{1}{3} \cdot \frac{90}{11} = +\frac{40''}{11} = +3''.64$$

S

3

$$e_2 = \frac{1}{2} \cdot \frac{210}{11} - \frac{1}{2} \cdot \frac{90}{11} = +\frac{60''}{11} = +5''.45$$

$$e_3 = \frac{1}{2} \cdot \frac{210}{11} = +\frac{105''}{11} = +9''.55$$

$$e_4 = \frac{1}{3} \cdot \frac{210}{11} = +\frac{70''}{11} = +6''.36$$

Total = +25".00

Also

$$e_5 = \frac{1}{2} \cdot \frac{90}{11} + 4''09.$$

Hence the corrected angles are

$$A = 93^\circ 43'22'' + 3''.64 = 93^\circ 43'25''.64$$

$$B = 74^\circ 32'39'' + 5''.45 = 74^\circ 32'44''.45$$

$$C = 103^\circ 13'44'' + 9''.55 = 101^\circ 13'53''.55$$

$$D = 90^\circ 29'50'' + 6''.36 = 90^\circ 29'56''.36$$

Sum = 360°00'00".00

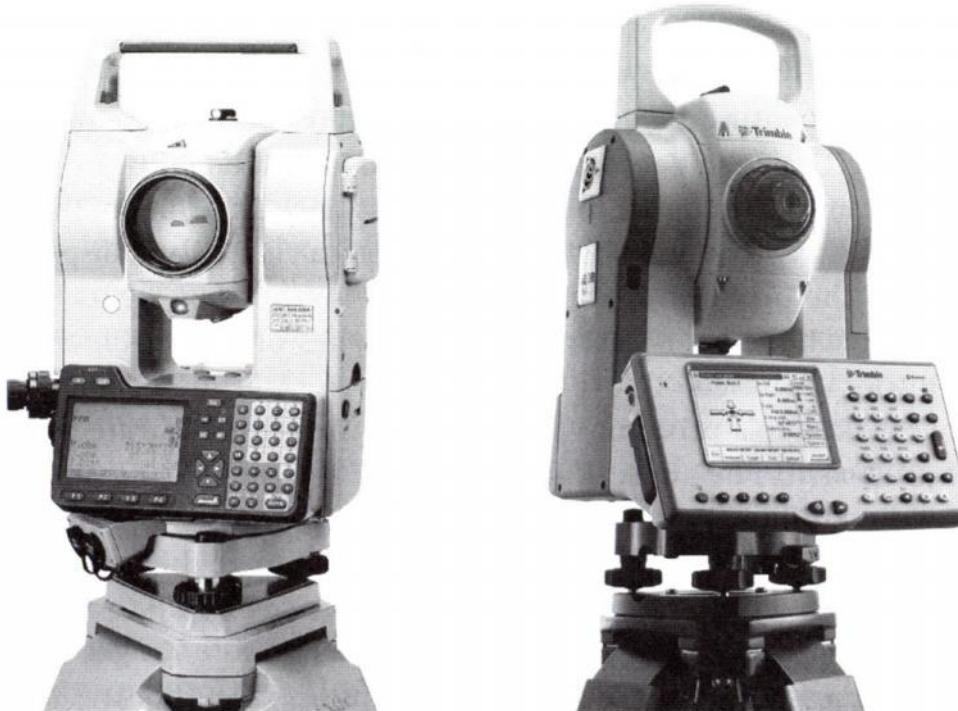
CHAPTER 3

TOTAL STATION

3.1 BASIC PRINCIPLE

Although taping and theodolites are used regularly on site – total stations are also used extensively in surveying, civil engineering and construction because they can measure both distances and angles.

A typical total station is shown in the figure below



Sokkia 030R

Trimble 3600DR

Fig 3.1 Total Station

Because the instrument combines both angle and distance measurement in the same unit, it is known as an integrated total station which can measure horizontal and vertical angles as well as slope distances.

Using the vertical angle, the total station can calculate the horizontal and vertical distance components of the measured slope distance.

As well as basic functions, total stations are able to perform a number of different survey tasks and associated calculations and can store large amounts of data.

As with the electronic theodolite, all the functions of a total station are controlled by its microprocessor, which is accessed through a keyboard and display.

To use the total station, it is set over one end of the line to be measured and some reflector is positioned at the other end such that the line of sight between the instrument and the reflector is unobstructed (as seen in the figure below).

-The reflector is a prism attached to a detail pole

-The telescope is aligned and pointed at the prism

-The measuring sequence is initiated and a signal is sent to the reflector and a part of this signal is returned to the total station

-This signal is then analysed to calculate the slope distance together with the horizontal and vertical angles.

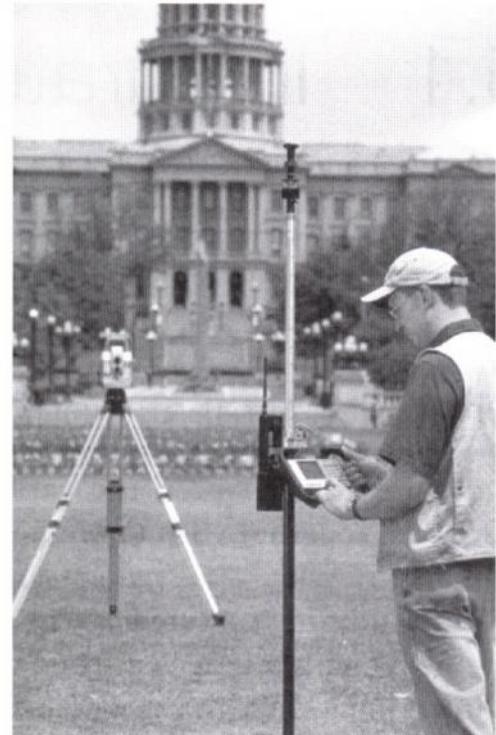
-Total stations can also be used without reflectors and the telescope is pointed at the point that needs to be measured

-Some instruments have motorised drivers and can use automatic target recognition to search and lock onto a prism – this is a fully automated process and does not require an operator.

-Some total stations can be controlled from the detail pole, enabling surveys to be conducted by one person



Measuring with a total station



Robotic total station

Fig 3.2 Measuring with a Total Station

Most total stations have a distance measuring range of up to a few kilometres, when using a prism, and a range of at least 100m in reflector less mode and an accuracy of 2-3mm at short ranges, which will decrease to about 4-5mm at 1km.

Although angles and distances can be measured and used separately, the most common applications for total stations occur when these are combined to define position in control surveys.

As well as the total station, site surveying is increasingly being carried out using GPS equipment. Some predictions have been made that this trend will continue, and in the long run GPS methods may replace other methods.

Although the use of GPS is increasing, total stations are one of the predominant instruments used on site for surveying and will be for some time.

Developments in both technologies will find a point where devices can be made that complement both methods.

3.2 CLASSIFICATION OF TOTAL STATIONS

3.2.1 ELECTRO- OPTICAL SYSTEM

3.2.1.1 DISTANCE MEASUREMENT

When a distance is measured with a total station, an electromagnetic wave or pulse is used for the measurement – this is propagated through the atmosphere from the instrument to reflector or target and back during the measurement.

Distances are measured using two methods: the phase shift method, and the pulsed laser method.

This technique uses continuous electromagnetic waves for distance measurement although these are complex in nature, electromagnetic waves can be represented in their simplest form as periodic waves.

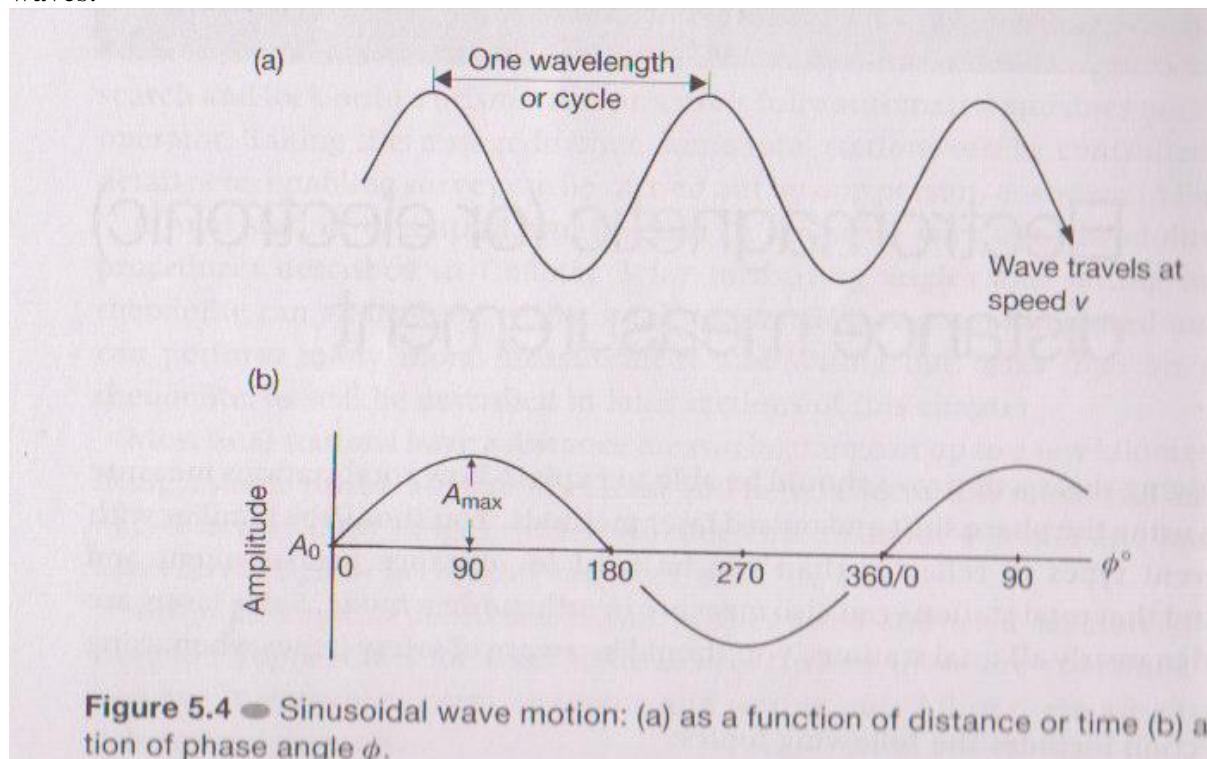


Figure 5.4 Sinusoidal wave motion: (a) as a function of distance or time (b) as a function of phase angle ϕ .

Fig 3.3 Sinusoidal wave motion

The wave completes a cycle when moving between identical points on the wave and the number of times in one second the wave completes the cycle is called the frequency of the wave. The speed of the wave is then used to estimate the distance.

3.2.2 LASER DISTANCE MEASUREMENT

In many total stations, distances are obtained by measuring the time taken for a pulse of laser radiation to travel from the instrument to a prism (or target) and back. As in the

phase shift method, the pulses are derived from an infrared or visible laser diode and they are transmitted through the telescope towards the remote end of the distance being measured, where they are reflected and returned to the instrument.

Since the velocity v of the pulses can be accurately determined, the distance D can be obtained using $2D = vt$, where t is the time taken for a single pulse to travel from instrument – target – instrument.

This is also known as the timed-pulse or time-of-flight measurement technique.

The *transit time* t is measured using electronic signal processing techniques. Although only a single pulse is necessary to obtain a distance, the accuracy obtained would be poor. To improve this, a large number of pulses (typically 20,000 every second) are analysed during each measurement to give a more accurate distance.

The pulse laser method is a much simpler approach to distance measurement than the phase shift method, which was originally developed about 50 years ago.

SLOPE AND HORIZONTAL DISTANCES

Both the phase shift and pulsed laser methods will measure a slope distance L from the total station along the line of sight to a reflector or target. For most surveys the horizontal distance D is required as well as the vertical component V of the slope distance.

Horizontal distance $D = L \cos z = L \sin V$

Vertical distance $= V = L \sin z = L \cos V$

Where V is the vertical angle and z is the zenith angle. As far as the user is concerned, these calculations are seldom done because the total station will either display D and V automatically or will display L first and then D and V after pressing buttons.

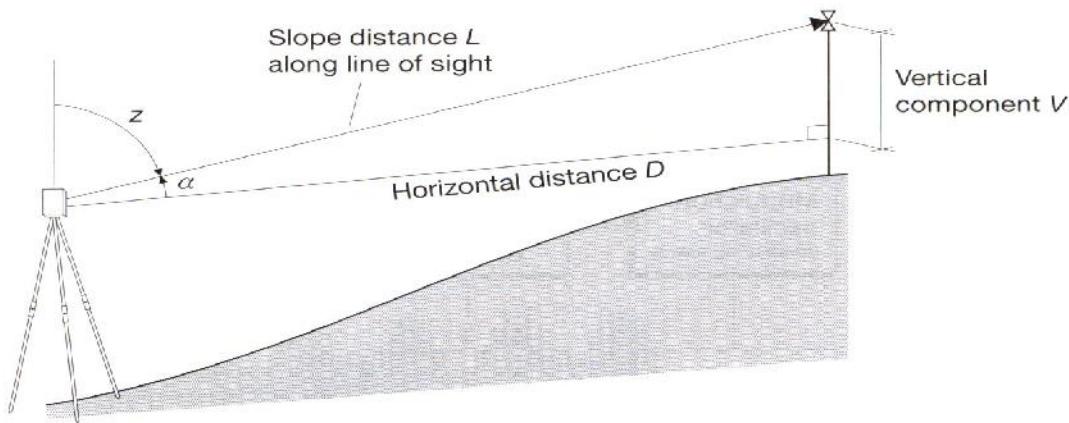


Fig 3.4 Slope and Distance Measured

How accuracy of distance measurement is specified

All total stations have a linear accuracy quoted in the form

$$\pm(a \text{ mm} + b \text{ ppm})$$

The constant a is independent of the length being measured and is made up of internal sources within the instrument that are normally beyond the control of the user. It is an estimate of the individual errors caused by such phenomena as unwanted phase shifts in electronic components, errors in phase and transit time measurements.

The systematic error b is proportional to the distance being measured, where 1 ppm (part per million) is equivalent to an additional error of 1mm for every kilometre measured.

Typical specifications for a total station vary from $\pm(2\text{mm} + 2\text{ppm})$ to $\pm(5\text{mm} + 5 \text{ pmm})$.

For example: $\pm(2\text{mm} + 2\text{ppm})$, at 100m the error in distance measurement will be

$\pm2\text{mm}$ but at 1.5km, the error will be $\pm(2\text{mm} + [2\text{mm}/\text{km} * 1.5\text{km}]) = \pm5\text{mm}$

Reflectors used in distance measurement

Since the waves or pulses transmitted by a total station are either visible or infrared, a plane mirror could be used to reflect them. This would require a very accurate alignment of the mirror, because the transmitted wave or pulses have a narrow spread.

To get around this problem special mirror prisms are used as shown below.

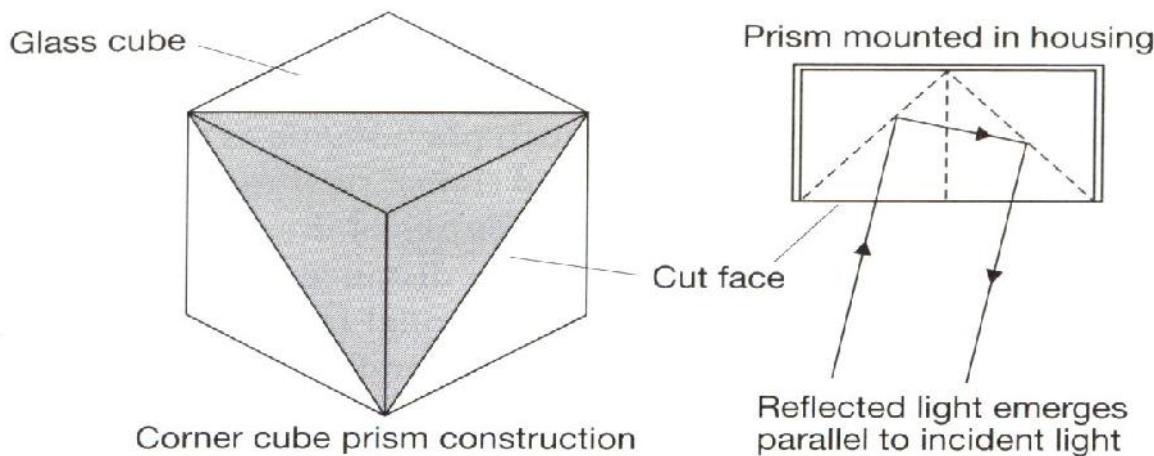


Fig 3.5 Reflector used in total station

3.3 FEATURES OF TOTAL STATIONS

Total stations are capable of measuring angles and distances simultaneously and combine an electronic theodolite with a distance measuring system and a microprocessor.

ANGLE MEASUREMENT

All the components of the electronic theodolite described in the previous lectures are found total stations.

The axis configuration is identical and comprises the vertical axis, the tilting axis and line of sight (or collimation). The other components include the tribatch with levelling footscrews, the keyboard with display and the telescope which is mounted on the standards and which rotates around the tilting axis.

Levelling is carried out in the same way as for a theodolite by adjusting to centralise a plate level or electronic bubble. The telescope can be transited and used in the face left (or face I) and face right (or face II) positions. Horizontal rotation of the total station about the vertical axis is controlled by a horizontal clamp and tangent screw and rotation of the telescope about the tilting axis.

The total station is used to measure angles in the same way as the electronic theodolite.

Distance measurement

All total stations will measure a slope distance which the onboard computer uses, together with the zenith angle recorded by the line of sight to calculate the horizontal distance.

For distances taken to a prism or reflecting foil, the most accurate is precise measurement.

For phase shift system, a typical specification for this is a measurement time of about 1-2s, an accuracy of (2mm + 2ppm) and a range of

3-5km to a single prism.

Although all manufacturers quote ranges of several kilometres to a single prism.

For those construction projects where long distances are required to be measured, GPS methods are used in preference to total stations. There is no standard difference at which the change from one to the other occurs, as this will depend on a number of factors, including the accuracy required and the site topography.

Rapid measurement reduces the measurement time to a prism to between 0.5 and 1's for both phase shift and pulsed systems, but the accuracy for both may degrade slightly.

Tracking measurements are taken extensively when setting out or for machine control, since readings are updated very quickly and vary in response to movements of the prism which is usually pole-mounted. In this mode, the distance measurement is repeated automatically at intervals of less than 0.5s.

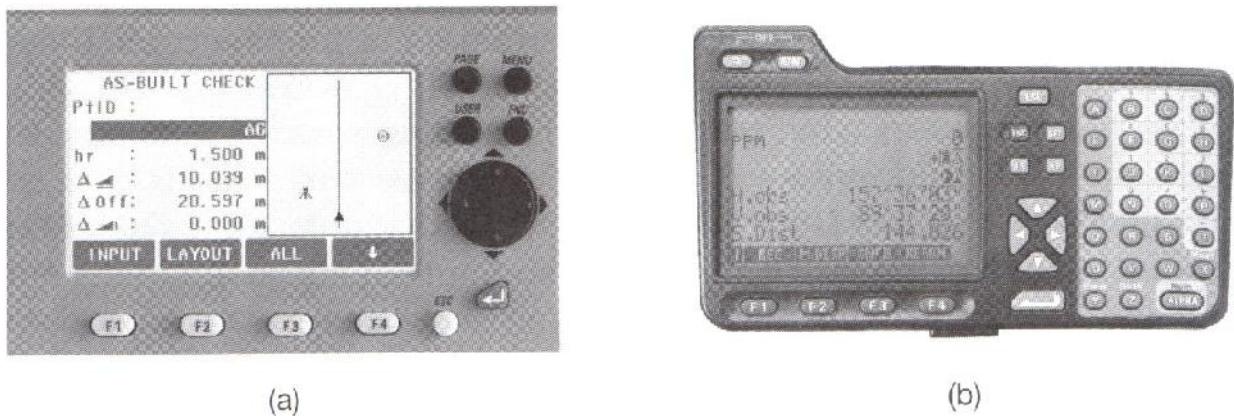
For reflector less measurements taken with a phase shift system, the range that can be obtained is about 100m, with a similar accuracy to that obtained when using a prism or foil.

3.4 KEYBOARD AND DISPLAY

A total station is activated through its control panel, which consists of a keyboard and multiple line LCD. A number of instruments have two control panels, one on each face, which makes them easier to use.

In addition to controlling the total station, the keyboard is often used to code data generated by the instrument – this code will be used to identify the object being measured.

On some total stations it is possible to detach the keyboard and interchange them with other total stations and with GPS receivers. This is called integrated surveying

**Fig 3.6 Key Board and Display**

3.5 SOFTWARE APPLICATIONS

The microprocessor built into the total station is a small computer and its main function is controlling the measurement of angles and distances. The LCD screen guides the operator while taking these measurements.

The built in computer can be used for the operator to carry out calibration checks on the instrument.

The software applications available on many total stations include the following:

Slope corrections and reduced levels

Horizontal circle orientation

Coordinate measurement

Traverse measurements

Resection (or free stationing)

Missing line measurement

Remote elevation measurement

areas

Setting out.

3.6 SOURCES OF ERROR FOR TOTAL STATIONS

3.6.1 CALIBRATION OF TOTAL STATIONS

To maintain the high level of accuracy offered by modern total stations, there is now much more emphasis on monitoring instrumental errors, and with this in mind, some construction sites require all instruments to be checked on a regular basis using procedures outlined in the quality manuals.

Some instrumental errors are eliminated by observing on two faces of the total station and averaging, but because one face measurements are the preferred method on site, it is important to determine the magnitude of instrumental errors and correct for them.

For total stations, instrumental errors are measured and corrected using electronic calibration procedures that are carried out at any time and can be applied to the instrument on site. These are preferred to the mechanical adjustments that used to be done in labs by technician.

Since calibration parameters can change because of mechanical shock, temperature changes and rough handling of what is a high-precision instrument, an electronic calibration should be carried out on a total station as follows:

Before using the instrument for the first time

After long storage periods

After rough or long transportation

After long periods of work

Following big changes in temperature

Regularly for precision surveys

Before each calibration, it is essential to allow the total station enough to reach the ambient temperature.

3.6.2 HORIZONTAL COLLIMATION (OR LINE OF SIGHT ERROR)

This axial error is caused when the line of sight is not perpendicular to the tilting axis. It affects all horizontal circle readings and increases with steep sightings, but this is eliminated by observing on two faces. For single face measurements,

an on-board calibration function is used to determine c , the deviation between the actual line of sight and a line perpendicular to the tilting axis. A correction is then applied automatically for this to all horizontal circle readings.

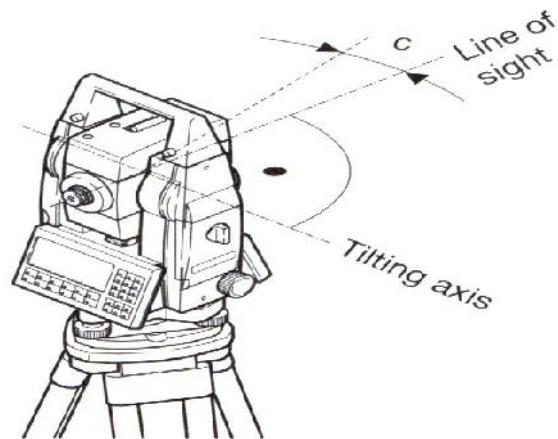


Fig 3.7 Line of Sight error

3.6.3 TILTING AXIS ERROR

This axial errors occur when the titling axis of the total station is not perpendicular to its vertical axis. This has no effect on sightings taken when the telescope is horizontal, but introduces errors into horizontal circle readings when the

telescope is tilted, especially for steep sightings. As with horizontal collimation error, this error is eliminated by two face measurements, or the tilting axis error a is measured in a calibration procedure and a correction applied for this to all horizontal circle readings – as before if a is too big, the instrument should be returned to the manufacture.

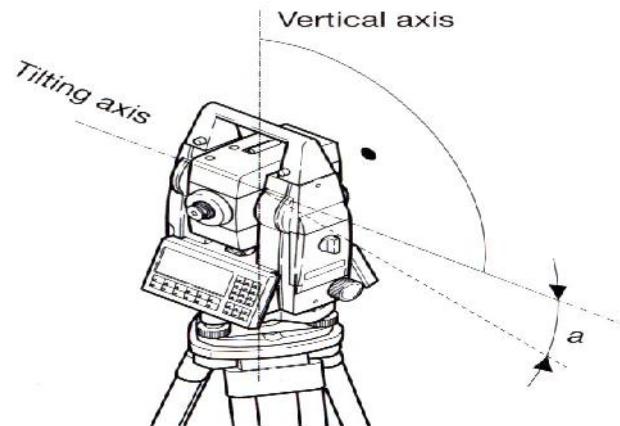


Fig tilting axis error

3.6.4 COMPENSATOR INDEX ERROR

Errors caused by not levelling a theodolite or total station carefully cannot be eliminated by taking face left and face right readings. If the total station is fitted with a compensator it will measure residual tilts of the instrument and will apply corrections to the horizontal and vertical angles for these.

However all compensators will have a longitudinal error l and traverse error t known as zero point errors. These are averaged using face left and face right readings but for single face readings must be determined by the calibration function of the total station.

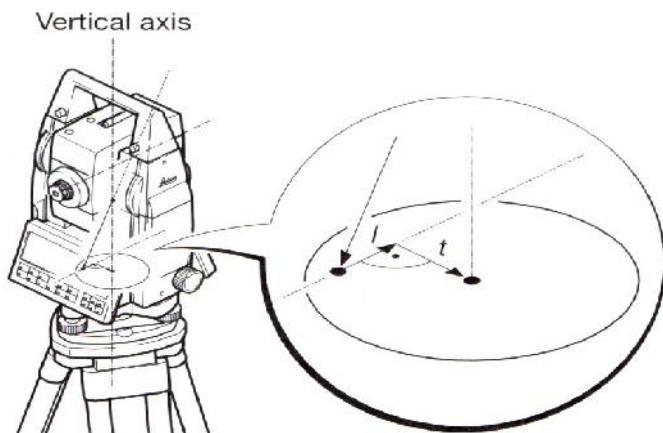
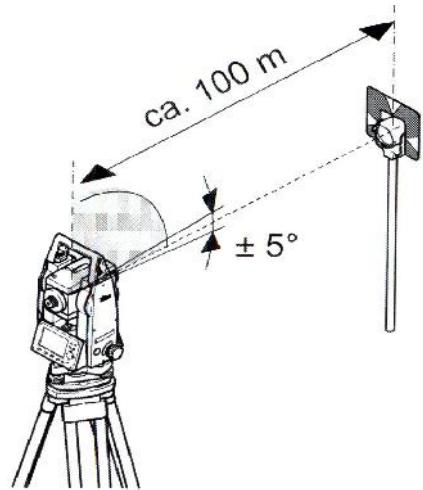


Fig 3.8 Compensator Index Error

A vertical collimation error exists on a total station if the 0° to 180° line in the vertical circle does not coincide with its vertical axis. This zero point error is present in all vertical circle readings and like the horizontal collimation error, it is eliminated by taking FL and FR readings or by determining i .

For all of the above total station errors (horizontal and vertical collimation, tilting axis and compensator) the total station is calibrated using an in built function. Here the function is activated and a measurement to a target is taken as shown below.



Following the first measurement the total station and the telescope are each rotated through 180° and the reading is repeated.

Any difference between the measured horizontal and vertical angles is then quantified as an instrumental error and applied to all subsequent readings automatically. The total station is thus calibrated and the procedure is the same for all of the above error type.

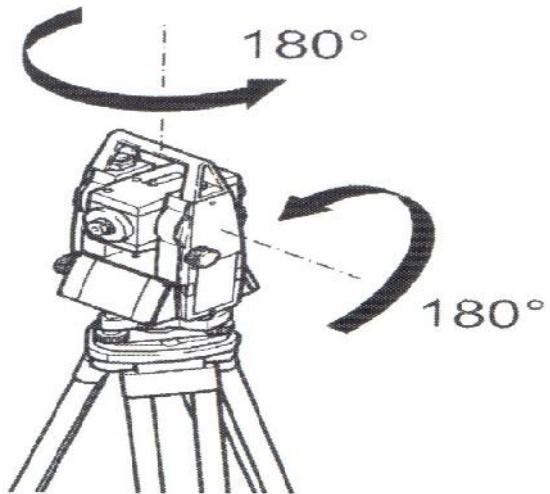


Fig 3.9 Compensator Index Error

CHAPTER 4

GPS SURVEYING

4.1 INTRODUCTION

Traditional methods of surveying and navigation resort to tedious field and astronomical observation for deriving positional and directional information. Diverse field conditions, seasonal variation and many unavoidable circumstances always bias the traditional field approach. However, due to rapid advancement in electronic systems, every aspect of human life is affected to a great deal. Field of surveying and navigation is tremendously benefited through electronic devices. Many of the critical situations in surveying/navigation are now easily and precisely solved in short time.

Astronomical observation of celestial bodies was one of the standard methods of obtaining coordinates of a position. This method is prone to visibility and weather condition and demands expert handling. Attempts have been made by USA since early 1960's to use space based artificial satellites. System TRANSIT was widely used for establishing a network of control points over large regions. Establishment of modern geocentric datum and its relation to local datum was successfully achieved through TRANSIT. Rapid improvements in higher frequency transmission and precise clock signals along with advanced stable satellite technology have been instrumental for the development of global positioning system.

The NAVSTAR GPS (Navigation System with Time and Ranging Global Positioning System) is a satellite based radio navigation system providing precise three-dimensional position, course and time information to suitably equipped user.

GPS has been under development in the USA since 1973. The US department of Defence as a worldwide navigation and positioning resource for military as well as civilian use for 24 hours and all weather conditions primarily developed it.

In its final configuration, NAVSTAR GPS consists of 21 satellites (plus 3 active spares) at an altitude of 20200 km above the earth's surface (Fig. 1). These satellites are so arranged in orbits to have atleast four satellites visible above the horizon anywhere on the earth, at any time of the day. GPS Satellites transmit at frequencies $L1=1575.42$ MHz and $L2=1227.6$ MHz modulated with two types of code viz. P-code and C/A code and with navigation message. Mainly two types of observable are of interest to the user. In pseudo ranging the distance between the satellite and the GPS receiver plus a small corrective

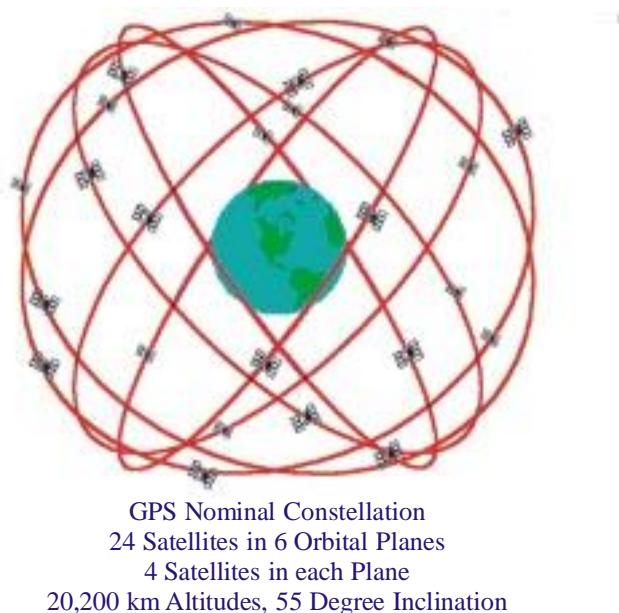


Fig 4.1 The Global Positioning System (GPS), 21-satellite configuration

term for receiver clock error is observed for positioning whereas in carrier phase techniques, the difference between the phase of the carrier signal transmitted by the satellite and the phase of the receiver oscillator at the epoch is observed to derive the precise information.

The GPS satellites act as reference points from which receivers on the ground detect their position. The fundamental navigation principle is based on the measurement of pseudoranges between the user and four satellites (Fig.

2). Ground stations precisely monitor the orbit of every satellite and by measuring the travel time of the signals transmitted from the satellite four distances between receiver and satellites will yield accurate position, direction and speed. Though three-range measurements are sufficient, the fourth observation is essential for solving clock synchronization error between receiver and satellite. Thus, the term “pseudoranges” is derived. The secret of GPS measurement is due to the ability of measuring carrier phases to about 1/100 of a cycle equaling to 2 to 3 mm in linear distance. Moreover the high frequency L1 and L2 carrier signal can easily penetrate the ionosphere to reduce its effect. Dual frequency observations are important for large station separation and for eliminating most of the error parameters.

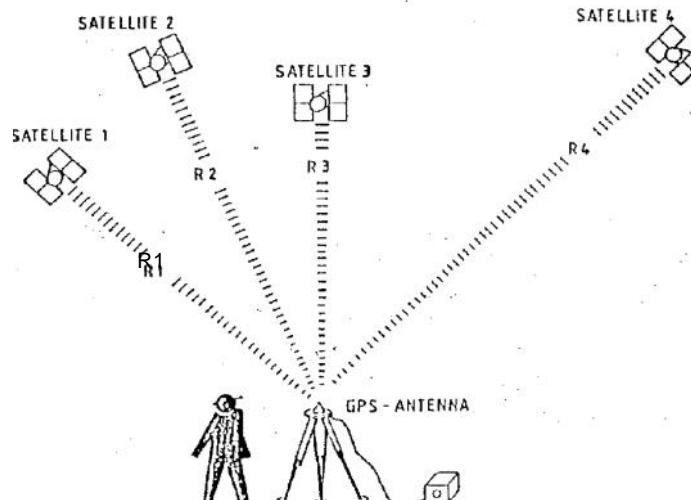


Figure 4.2: Basic principle of positioning with GPS

There has been significant progress in the design and miniaturization of stable clock. GPS satellite orbits are stable because of the high altitudes and no atmosphere drag. However, the impact of the sun and moon on GPS orbit though significant, can be computed completely and effect of solar radiation pressure on the orbit and tropospheric delay of the signal

have been now modeled to a great extent from past experience to obtain precise information for various applications.

Comparison of main characteristics of TRANSIT and GPS reveal technological advancement in the field of space based positioning system (Table1).

Table 1. TRANSIT vs GPS

Details	TRANSIT	GPS
Orbit Altitude	1000 Km	20,200 Km
Orbital Period	105 Min	12 Hours
Frequencies	150 MHz 400 MHz	1575 MHz 1228 MHz
Navigation data	2D : X, Y	4D : X,Y,Z, t velocity
Availability	15-20 minute per pass	Continuously
Accuracy	~ 30-40 meters (Depending on velocity)	~15m (Pcode/No. SA 0.1 Knots
Repeatability	—	~1.3 meters relative
Satellite	4-6	21-24
Geometry	Variable	Repeating
Satellite Clock	Quartz	Rubidium, Cesium

GPS has been designed to provide navigational accuracy of ± 10 m to ± 15 m. However, sub meter accuracy in differential mode has been achieved and it has been proved that broad varieties of problems in geodesy and geodynamics can be tackled through GPS.

Versatile use of GPS for a civilian need in following fields have been successfully practiced viz. navigation on land, sea, air, space, high precision kinematics survey on the ground, cadastral surveying, geodetic control network densification, high precision aircraft positioning, photogrammetry without ground control, monitoring deformations, hydrographic surveys, active control survey and many other similar jobs related to navigation and positioning,. The outcome of a typical GPS survey includes geocentric position accurate to 10 m and relative positions between receiver locations to centimeter level or better.

4.2 SEGMENTS OF GPS

For better understanding of GPS, we normally consider three major segments viz. space segment, Control segment and User segment. Space segment deals with GPS

satellites systems, Control segment describes ground based time and orbit control prediction and in User segment various types of existing GPS receiver and its application is dealt .

Table 2 gives a brief account of the function and of various segments along with input and output information.

Table 2. Functions of various segments of GPS

Segment	Input	Function	Output
Space	Navigation message	Generate and Transmit code and carrier	P-Code C/A Code L1,L2
Control	P-Code Observations Time	Produce GPS time predict ephemeris	Navigation message
User	Code observation Carrier phase observation	Navigation solution Surveying	Position velocity time

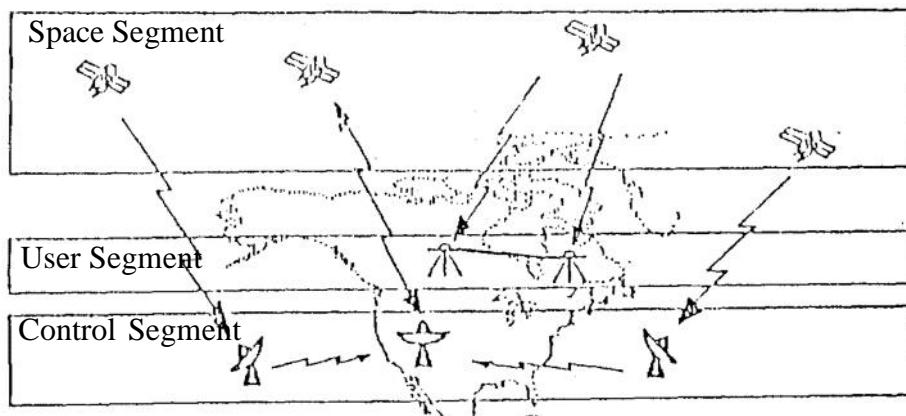


Figure 4.3: The Space, Control and User segments of GPS

GLONASS (Global Navigation & Surveying System) a similar system to GPS is being developed by former Soviet Union and it is considered to be a valuable complementary system to GPS for future application.

4.3 SPACE SEGMENT

Space segment will consist 21 GPS satellites with an addition of 3 active spares. These satellites are placed in almost six circular orbits with an inclination of 55 degree. Orbital

height of these satellites is about 20,200 km corresponding to about 26,600 km from the semi major axis. Orbital period is exactly 12 hours of sidereal time and this provides repeated satellite configuration every day advanced by four minutes with respect to universal time.

Final arrangement of 21 satellites constellation known as “Primary satellite constellation” is given in Fig. 4. There are six orbital planes A to F with a separation of 60 degrees at right ascension (crossing at equator). The position of a satellite within a particular orbit plane can be identified by argument of latitude or mean anomaly M for a given epoch.

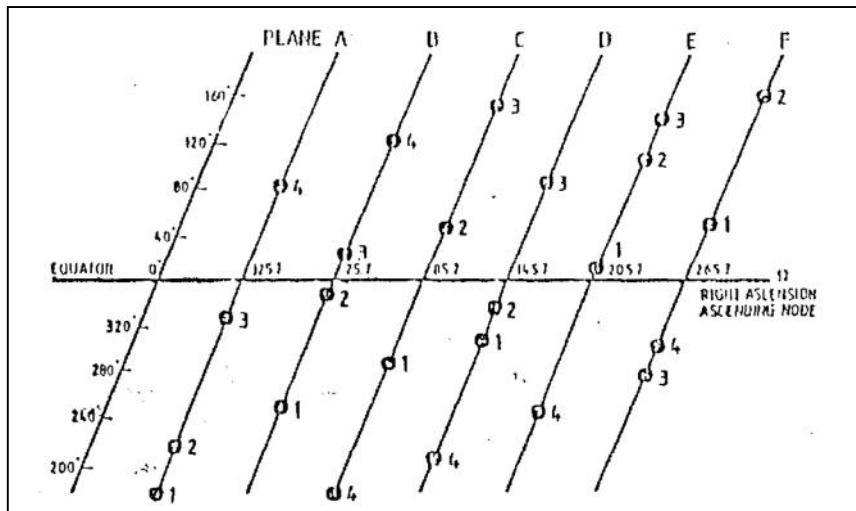


Figure 4. 4: Arrangement of satellites in full constellation

GPS satellites are broadly divided into three blocks: Block-I satellite pertains to development stage, Block II represents production satellite and Block IIR are replenishment/spare satellite.

Under Block-I, NAVSTAR 1 to 11 satellites were launched before 1978 to 1985 in two orbital planes of 63-degree inclination. Design life of these prototype test satellites was only five years but the operational period has been exceeded in most of the cases.

The first Block-II production satellite was launched in February 1989 using channel Douglas Delta 2 booster rocket. A total of 28 Block-II satellites are planned to support 21+3 satellite configuration. Block-II satellites have a designed lifetime of 5-7 years.

To sustain the GPS facility, the development of follow-up satellites under Block-II R has started. Twenty replenishment satellites will replace the current block-II satellite as and when necessary. These GPS satellites under Block-IR have additional ability to measure distances between satellites and will also compute ephemeris on board for real time

information gives a schematic view of Block-II satellite. Electrical power is generated through two solar panels covering a surface area of 7.2 square meter each. However, additional battery backup is provided to provide energy when the satellite moves into earth's shadow region. Each satellite weighs 845kg and has a propulsion system for positional stabilization and orbit maneuvers.

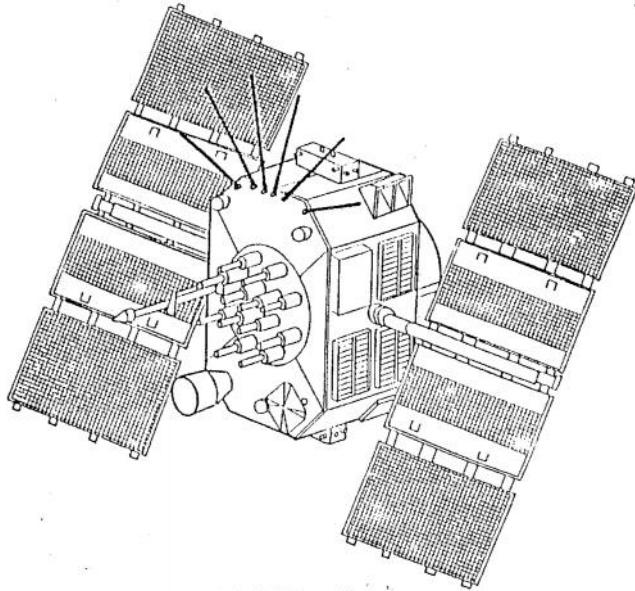


Fig 4.5 Schematic view of a Block II GPS satellite

GPS satellites have a very high performance frequency standard with an accuracy of between 1×10^{-12} to 1×10^{-13} and are thus capable of creating precise time base. Block-I satellites were partly equipped with only quartz oscillators but Block-II satellites have two cesium frequency standards and two rubidium frequency standards. Using fundamental frequency of 10.23 MHz, two carrier frequencies are generated to transmit signal codes.

4.4 OBSERVATION PRINCIPLE AND SIGNAL STRUCTURE

NAVSTAR GPS is a one-way ranging system i.e. signals are only transmitted by the satellite. Signal travel time between the satellite and the receiver is observed and the range distance is calculated through the knowledge of signal propagation velocity. One way ranging means that a clock reading at the transmitted antenna is compared with a clock reading at the receiver antenna. But since the two clocks are not strictly synchronized, the observed signal travel time is biased with systematic synchronization error. Biased ranges are known as pseudoranges. Simultaneous observations of four pseudoranges are necessary to determine X, Y, Z coordinates of user antenna and clock bias.

Real time positioning through GPS signals is possible by modulating carrier

frequency with Pseudorandom Noise (PRN) codes. These are sequence of binary values (zeros and ones or +1 and -1) having random character but identifiable distinctly. Thus pseudoranges are derived from travel time of an identified PRN signal code. Two different codes viz. P-code and C/A code are in use. P means precision or protected and C/A means clear/acquisition or coarse acquisition.

P- code has a frequency of 10.23 MHz. This refers to a sequence of 10.23 million binary digits or chips per second. This frequency is also referred to as the chipping rate of P-code. Wavelength corresponding to one chip is 29.30m. The P-code sequence is extremely long and repeats only after 266 days. Portions of seven days each are assigned to the various satellites. As a consequence, all satellite can transmit on the same frequency and can be identified by their unique one-week segment. This technique is also called as Code Division Multiple Access (CDMA). P-code is the primary code for navigation and is available on carrier frequencies L1 and L2.

The C/A code has a length of only one millisecond; its chipping rate is 1.023 MHz with corresponding wavelength of 300 meters. C/A code is only transmitted on L1 carrier.

GPS receiver normally has a copy of the code sequence for determining the signal propagation time. This code sequence is phase-shifted in time step- by-step and correlated with the received code signal until maximum correlation is achieved. The necessary phase-shift in the two sequences of codes is a measure of the signal travel time between the satellite and the receiver antennas. This technique can be explained as code phase observation.

For precise geodetic applications, the pseudoranges should be derived from phase measurements on the carrier signals because of much higher resolution. Problems of ambiguity determination are vital for such observations.

The third type of signal transmitted from a GPS satellite is the broadcast message sent at a rather slow rate of 50 bits per second (50 bps) and repeated every 30 seconds. Chip sequence of P-code and C/A code are separately combined with the stream of message bit by binary addition ie the same value for code and message chip gives 0 and different values result in 1.

The main features of all three signal types used in GPS observation viz carrier, code and data signals are given in Table 3.

GPS Satellite Signals

Atomic Clock (G, Rb) fundamental	10.23. MHz
L1 Carrier Signal	154 X 10.23 MHz
L1 Frequency	1575.42 MHz
L1 Wave length	19.05 Cm
L2 Carrier Signal	120 X 10.23 MHz

L2 Frequency	1227.60 MHz
L2 Wave Length	24.45 Cm
P-Code Frequency (Chipping Rate)	10.23 MHz (Mbps)
P-Code Wavelength	29.31 M
P-Code Period	267 days : 7
C/A-Code Frequency (Chipping Rate)	1.023 MHz (Mbps)
C/A-Code Wavelength	293.1 M
C/A-Code Cycle Length	1 Milisecond
Data Signal Frequency	50 bps
Data Signal Cycle Length	30 Seconds

The signal structure permits both the phase and the phase shift (Doppler effect) to be measured along with the direct signal propagation. The necessary bandwidth is achieved by phase modulation of the PRN code as illustrated in Fig. 6.

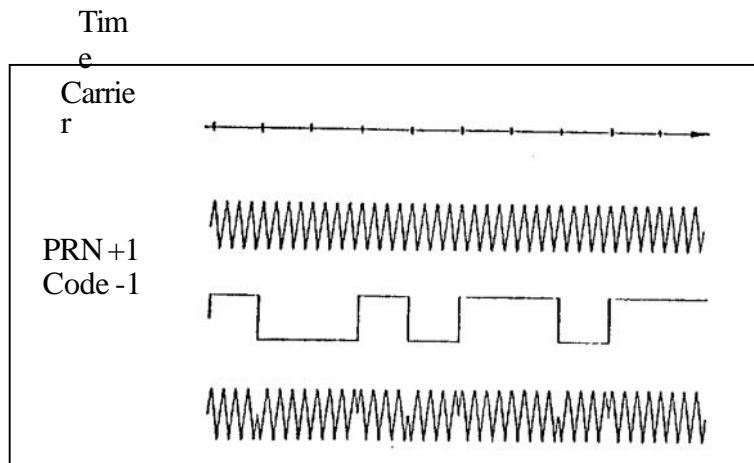


Fig 4.6 Generation of GPS Signals

4.5 STRUCTURE OF THE GPS NAVIGATION DATA

Structure of GPS navigation data (message) is shown in Fig. 7. The user has to decode the data signal to get access to the navigation data. For on line navigation purposes, the internal processor within the receiver does the decoding. Most of the manufacturers of GPS receiver provide decoding software for post processing purposes. With a bit rate of 50 bps and a cycle time of 30 seconds, the total information content of a navigation

data set is 1500 bits. The complete data frame is subdivided into five subframes of six-second duration comprising 300 bits of information. Each subframe contains the data words of 30 bits each. Six of these are control bits. The first two words of each subframe are the Telemetry Work (TLM) and the C/A-P-Code Hand over Work (HOW). The TLM work contains a synchronization pattern, which facilitates the access to the navigation data. Since GPS is a military navigation system of US, a limited access to the total system accuracy is made available to the civilian users. The service available to the civilians is called Standard Positioning System (SPS) while the service available to the authorized users is called the Precise Positioning Service (PPS). Under current policy the accuracy available to SPS users is 100m, 2D- RMS and for PPS users it is 10 to 20 meters in 3D. Additional limitation viz. Anti-Spoofing (AS), and Selective Availability (SA) was further imposed for civilian users. Under AS, only authorized users will have the means to get access to the P-code. By imposing SA condition, positional accuracy from Block-II satellite was randomly offset for SPS users. Since May 1, 2000 according to declaration of US President, SA is switched off for all users.

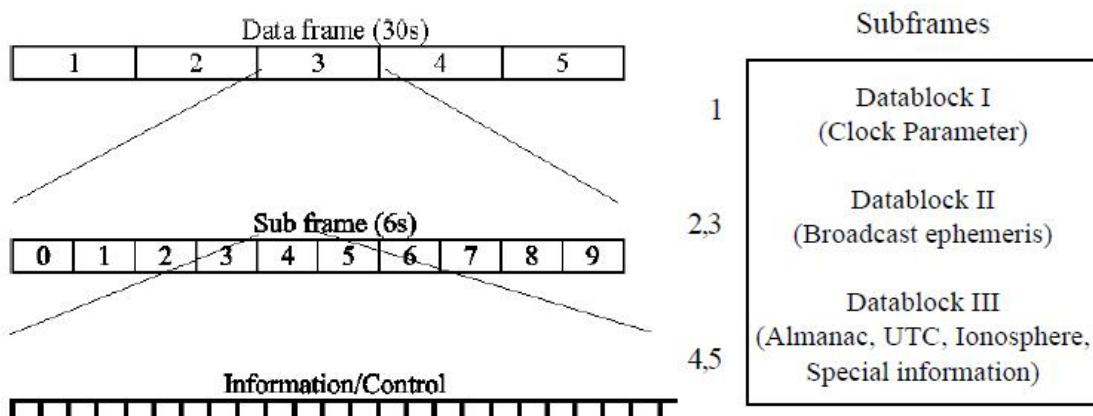


Fig 4.7 Data block

The navigation data record is divided into three data blocks:

- Data Block I appears in the first subframe and contains the clock coefficient/bias.
- Data Block II appears in the second and third subframe and contains all necessary parameters for the computation of the satellite coordinates.
- Data Block III appears in the fourth and fifth subframes and contains the almanac data with clock and ephemeris parameter for all available satellite of the GPS

system. This data block includes also ionospheric correction parameters and particular alphanumeric information for authorized users.

Unlike the first two blocks, the subframe four and five are not repeated every 30 seconds.

International Limitation of the System Accuracy

The GPS system time is defined by the cesium oscillator at a selected monitor station. However, no clock parameter are derived for this station. GPS time is indicated by a week number and the number of seconds since the beginning of the current week. GPS time thus varies between 0 at the beginning of a week to 6,04,800 at the end of the week. The initial GPS epoch is January 5, 1980 at 0 hours Universal Time. Hence, GPS week starts at Midnight (UT) between Saturday and Sunday. The GPS time is a continuous time scale and is defined by the main clock at the Master Control Station (MCS). The leap seconds is UTC time scale and the drift in the MCS clock indicate that GPS time and UTC are not identical. The difference is continuously monitored by the control segment and is broadcast to the users in the navigation message. Difference of about 7 seconds was observed in July, 1992.

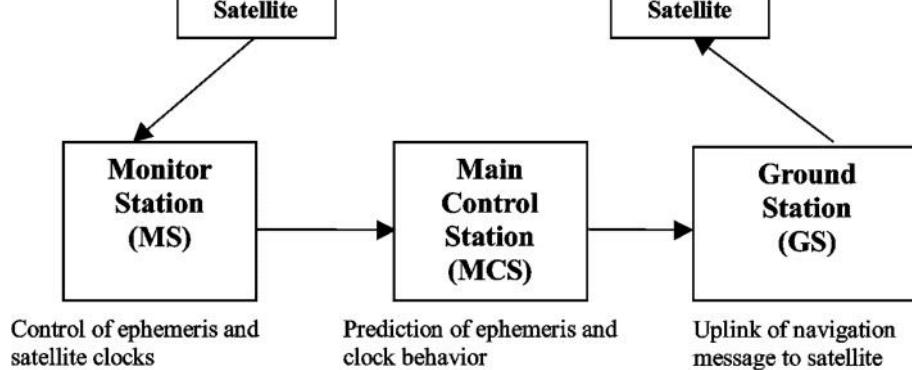


Figure 4.8 Data Flow in the determination of the broadcast ephemeris

GPS satellite is identified by two different numbering schemes. Based on launch sequence, SVN (Space Vehicle Number) or NAVSTAR number is allocated. PRN (Pseudo Random Noise) or SVID (Space Vehicle Identification) number is related to orbit arrangement and the particular PRN segment allocated to the individual satellite. Usually the GPS receiver displays PRN number.

4.6 CONTROL SEGMENT

Control segment is the vital link in GPS technology. Main functions of

the control segment.

- Monitoring and controlling the satellite system continuously
- Determine GPS system time
- Predict the satellite ephemeris and the behavior of each satellite clock.
- Update periodically the navigation message for each particular satellite.

For continuos monitoring and controlling GPS satellites a master control stations (MCS), several monitor stations (MS) and ground antennas (GA) are located around the world (Fig. 9). The operational control segment (OCS) consists of MCS near Colorado springs (USA), three MS and GA in Kwajaleian Ascension and Diego Garcia and two more MS at Colorado Spring and Hawaii.

4.7 GROUND CONTROL SEGMENT

The monitor station receives all visible satellite signals and determines their pseudoranges and then transmits the range data along with the local meteorological data via data link to the master control stations. MCS then precomputes satellite ephemeris and the behaviour of the satellite clocks and formulates the navigation data. The navigation message data are transmitted to the ground antennas and via S-band it links to the satellites in view. Fig. 9 shows this process schematically. Due to systematic global distribution of upload antennas, it is possible to have atleast three contacts per day between the control segment and each satellite.

4.8 USER SEGMENT

Appropriate GPS receivers are required to receive signal from GPS satellites for the purpose of navigation or positioning. Since, GPS is still in its development phase, many rapid advancements have completely eliminated bulky first generation user equipments and now miniature powerful models are frequently appearing in the market.

4.9 BASIC CONCEPT OF GPS RECEIVER AND ITS COMPONENTS

The main components of a GPS receiver are shown in Fig. 10. These are:

- Antenna with pre-amplifier
- RF section with signal identification and signal processing
- Micro-processor for receiver control, data sampling and data processing
- Precision oscillator

- Power supply
- User interface, command and display panel
- Memory, data storage

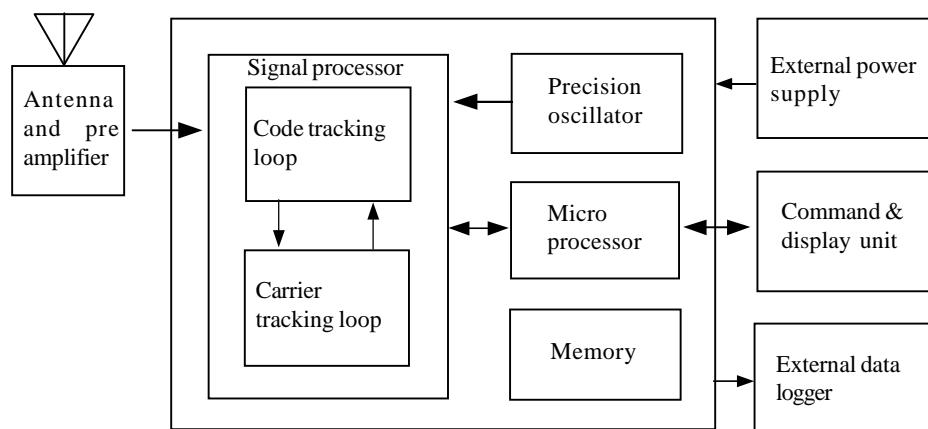
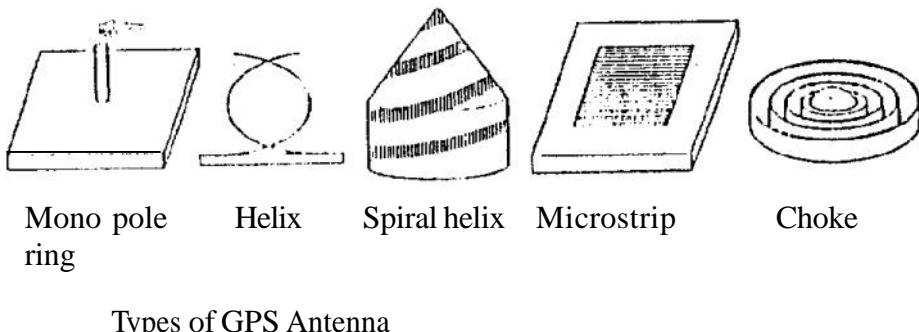


Fig 4.9 Major components of a GPS receiver

ANTENNA

Sensitive antenna of the GPS receiver detects the electromagnetic wave signal transmitted by GPS satellites and converts the wave energy to electric current] amplifies the signal strength and sends them to receiver electronics.

Several types of GPS antennas in use are mostly of following types (Fig.).



- Mono pole or dipole
- Quadrifilar helix (Volute)
- Spiral helix
- Microstrip (patch)
- Choke ring

Microstrip antennas are most frequently used because of its added advantage for airborne application, materialization of GPS receiver and easy construction. However, for geodetic needs, antennas are designed to receive both carrier frequencies L1 and L2. Also they are protected against multipath by extra ground planes or by using choke rings. A choke ring consists of strips of conductor which are concentric with the vertical axis of the antenna and connected to the ground plate which in turns reduces the multipath effect.

RF Section with Signal Identification and Processing

The incoming GPS signals are down converted to a lower frequency in the RS section and processed within one or more channels. Receiver channel is the primary electronic unit of a GPS receiver. A receiver may have one or more channels. In the parallel channel concept each channel is continuously monitoring one particular satellite. A minimum of four parallel channels is required to determine position and time. Modern receivers contain up to 12 channels for each frequency.

In the sequencing channel concept the channel switches from satellite to satellite at regular interval. A single channel receiver takes atleast four times of 30 seconds to establish first position fix, though some receiver types have a dedicated channel for reading the data signal. Now days in most of the cases fast sequencing channels with a switching rate of about one-second per satellite are used.

In multiplexing channel, sequencing at a very high speed between different satellites is achieved using one or both frequencies. The switching rate is synchronous with the navigation message of 50 bps or 20 milliseconds per bit. A complete sequence with four satellites is completed by 20 millisecond or after 40 millisecond for dual frequency receivers. The navigation message is continuous, hence first fix is achieved after about 30 seconds.

Though continuous tracking parallel channels are cheap and give good overall performance, GPS receivers based on multiplexing technology will soon be available at a cheaper price due to electronic boom.

Microprocessor

To control the operation of a GPS receiver, a microprocessor is essential for acquiring the signals, processing of the signal and the decoding of the broadcast message. Additional capabilities of computation of on-line position and velocity, conversion into a given local datum or the determination of waypoint information are also required. In future more and more user relevant software will be resident on miniaturized memory chips.

Precision Oscillator

A reference frequency in the receiver is generated by the precision oscillator. Normally, less expensive, low performance quartz oscillator is used in receivers since the precise clock information is obtained from the GPS satellites and the user clock error can be eliminated through double differencing technique when all participating receivers observe at exactly the same epoch. For navigation with two or three satellites only an external high precision oscillator is used.

Power Supply

First generation GPS receivers consumed very high power, but modern receivers are designed to consume as little energy as possible. Most receivers have an internal rechargeable Nickel-Cadmium battery in addition to an external power input. Caution of low battery signal prompts the user to ensure adequate arrangement of power supply.

Memory Capacity

For port processing purposes all data have to be stored on internal or external memory devices. Post processing is essential for multi station techniques applicable to geodetic and surveying problems. GPS observation for pseudoranges, phase data, time and navigation message data have to be recorded. Based on sampling rate, it amounts to about 1.5 Mbytes of data per hour for six satellites and 1 second data for dual frequency receivers. Modern receivers have internal memories of 5 Mbytes or more. Some receivers store the data on magnetic tape or on a floppy disk or hard-disk using external microcomputer connected through RS-232 port.

Most modern receivers have a keypad and a display for communication between the user and the receiver. The keypad is used to enter commands, external data like station number or antenna height or to select a menu operation. The display indicates computed coordinates, visible satellites, data quality indices and other suitable information. Current operation software packages are menu driven and very user friendly.

4.10 CLASSIFICATION OF GPS RECEIVERS

GPS receivers can be divided into various groups according to different criteria. In the early stages two basic technologies were used as the classification criteria viz. Code correlation receiver technology and sequencing receiver technology, which were equivalent to code dependent receivers and code free receivers. However, this kind of division is no longer justifiable since both techniques are implemented in present receivers.

Another classification of GPS receivers is based on acquisition of data types
e.g.

- C/A code receiver
- C/A code + L1 Carrier phase
- C/A code + L1 Carrier phase + L2 Carrier phase
- C/A code + p_code + L1, L2 Carrier phase
- L1 Carrier phase (not very common)
- L1, L2 Carrier phase (rarely used)

Based on technical realization of channel, the GPS receivers can be classified as:

- Multi-channel receiver
- Sequential receiver
- Multiplexing receiver

GPS receivers are even classified on the purpose as:

- Military receiver
- Civilian receiver
- Navigation receiver
- Timing receiver
- Geodetic receiver

For geodetic application it is essential to use the carrier phase data as observable. Use of L1 and L2 frequency is also essential along with P-code.

Examples of GPS Receiver

GPS receiver market is developing and expanding at a very high speed. Receivers are becoming powerful, cheap and smaller in size. It is not possible to give details of every make but description of some typical receivers given may be regarded as a basis for the evaluation of future search and study of GPS receivers.

Classical Receivers

Detailed description of code dependent T1 4100 GPS Navigator and code free Macrometer V1000 is given here:

T1 4100 GPS Navigator was manufactured by Texas Instrument in 1984. It was the first GPS receiver to provide C/A and P code and L1 and L2 carrier phase observations. It is a dual frequency multiplexing receiver and suitable for geodesist, surveyor and navigators. The observables through it are:

- P-Code pseudo ranges on L1 and L2
- C/A-Code pseudo ranges on L1
- Carrier phase on L1 and L2

The data are recorded by an external tape recorder on digital cassettes or are downloaded directly to an external microprocessor. A hand held control display unit (CDU) is used for communication between observer and the receiver. For navigational purposes the built in microprocessor provides position and velocity in real time every three seconds. T1 4100 is a bulky instrument weighing about 33 kg and can be packed in two transportation cases. It consumes 90 watts energy in operating mode of 22V - 32V. Generator use is recommended. The observation noise in P-Code is between 0.6 to 1 m, in C/A code it ranges between 6 to 10 m and for carrier phase it is between 2 to 3 m.

T1 4100 has been widely used in numerous scientific and applied GPS projects and is still in use. The main disadvantages of the T1 4100 compared to more modern GPS equipment's are

- Bulky size of the equipment
- High power consumption
- Difficult operation procedure
- Limitation of tracking four satellites simultaneously
- High noise level in phase measurements

Sensitivity of its antenna for multipath and phase centre variation if two receivers are connected to one antenna and tracking of seven satellites simultaneously is possible. For long distances and in scientific projects, T1 4100 is still regarded useful. However, due to imposition of restriction on P- code for civilian, T1 4100 during Anti Spoofing (AS) activation can only be used as a single frequency C/A code receiver.

The MACROMETER V 1000, a code free GPS receiver was introduced in 1982 and was the first receiver for geodetic applications. Precise results obtained through it has demonstrated the potential of highly accurate GPS phase observations. It is a single frequency receiver and tracks 6 satellites on

6 parallel channels. The complete system consists of three units viz.

- Receiver and recorder with power supply
- Antenna with large ground plane
- P 1000 processor

The processor is essential for providing the almanac data because the Macrometer V 1000 cannot decode the satellite messages and process the data. At pre determined epoches the phase differences between the received carrier signal and a reference signal from receiver oscillator is measured. A typical baseline accuracy reported for upto 100 km distance is about 1 to 2 ppm (Parts per million).

Macrometer II, a dual frequency version was introduced in 1985. Though it is comparable to Macrometer V 1000, its power consumption and weight are much less. Both systems require external ephemerides. Hence specialized operators of few companies are capable of using it and it is required to synchronize the clock of all the instruments proposed to be used for a particular observation session. To overcome above disadvantages, the dual frequency Macrometer II was further miniaturized and combined with a single frequency C/A code receiver with a brand name MINIMAC in 1986, thus becoming a code dependent receiver.

Examples of present Geodetic GPS Receivers

Few of the currently available GPS receivers that are used in geodesy surveying and precise navigation are described. Nearly all models started as single frequency C/A-Code receivers with four channels. Later L2 carrier phase was added and tracking capability was increased. Now a days all leading manufacturers have gone for code-less, non-sequencing L2 technique. WILD/ LEITZ (Heerbrugg, Switzerland) and MAGNAVOX (Torrance, California) have jointly developed WM 101 geodetic receiver in 1986. It is a four channel L1 C/A code receiver. Three of the channels sequentially track upto six satellites and the fourth channel, a house keeping channels, collects the satellite message and periodically calibrates the inter channel biases. C/A-code and reconstructed L1 carrier phase data are observed once per second.

The dual frequency WM 102 was marketed in 1988 with following key features:

- L1 reception with seven C/A code channel tracking upto six satellites simultaneously.
- L2 reception of up to six satellites with one sequencing P- code channel
- Modified sequencing technique for receiving L2 when P-code signals are encrypted.

The observations can be recorded on built in data cassettes or can be transferred on line to an external data logger in RS 232 or RS 422 interface. Communication between operator and receiver is established by alpha numerical control panel and display WM 101/102 has a large variety of receiver resident menu driven options and it is accompanied by comprehensive post processing software.

In 1991, WILD GPS system 200 was introduced. Its hardware comprises the Magnavox SR 299 dual frequency GPS sensor, the hand held CR 233 GPS controller and a Nicd battery. Plug in memory cards provide the recording medium. It can track 9 satellites simultaneously on L1 and L2. Reconstruction of carrier phase on L1 is through C/A code and on L2 through P-code. The receiver automatically switches to codeless L2 when P-code is encrypted. It consumes 8.5 watt through 12-volt power supply.

TRIMBLE NAVIGATION (Sunny vale, California) has been producing TRIMBLE 4000 series since 1985. The first generation receiver was a L1 C/ A code receiver with five parallel channels providing tracking of 5 satellites simultaneously. Further upgradation included increasing the number of channels upto twelve, L2 sequencing capability and P-code capability. TRIMBLE Geodetic Surveyor 4000 SSE is the most advanced model. When P-Code is available, it can perform following types of observations, viz.,

- Full cycle L1 and L2 phase measurements
- L1 and L2, P-Code measurements when AS is on and P-code is encrypted
- Full cycle L1 and L2 phase measurement
- Low noise L1, C/A code
- Cross-correlated Y-Code data

Observation noise of the carrier phase measurement when P-code is available is about \approx 0-2mm and of the P-code pseudoranges as low as \approx 2cm. Therefore, it is very suitable for fast ambiguity solution techniques with code/ carrier combinations.

ASHTECH (Sunnyvale, California) developed a GPS receiver with 12 parallel channels and pioneered current multi-channel technology. ASHTECH XII GPS receiver was introduced in 1988. It is capable of measuring pseudoranges, carrier phase and integrated doppler of up to 12 satellites on L1. The pseudoranges measurement are smoothed with integrated Doppler. Postion velociy, time and navigation informations are displayed on a keyboard with a 40-characters display. L2 option adds 12 physical L2 squaring type channels.

ASHTECH XII GPS receiver is a most advanced system, easy to handle and does not require initialization procedures. Measurements of all satellites in view are carried out

automatically. Data can be stored in the internal solid plate memory of 5 Mbytes capacity. The minimum sampling interval is 0.5 seconds. Like many other receivers it has following additional options viz.

- 1 ppm timing signal output
- Photogrammetric camera input
- Way point navigation
- Real time differential navigation and provision of port processing and vision planning software

In 1991, ASHTECH P-12 GPS receiver was marketed. It has 12 dedicated channels of L1, P-code and carrier and 12 dedicated channels of L2, P-code and carrier. It also has 12 L1, C/A code and carrier channels and 12 code less squaring L2 channels. Thus the receiver contains 48 channels and provides all possibilities of observations to all visible satellites. The signal to noise level for phase measurement on L2 is only slightly less than on L1 and significantly better than with code-less techniques. In cases of activated P-code encryption, the code less L2 option can be used.

TURBO ROGUE SNR-8000 is a portable receiver weighing around 4 kg, consumes 15-watt energy and is suitable for field use. It has 8 parallel channels on L1 and L2. It provides code and phase data on both frequencies

and has a codeless option. Full P-code tracking provides highest precision phase and pseudo ranges measurements, codeless tracking is automatic “full back” mode. The code less mode uses the fact that each carrier has identical modulation of P-code/Y-code and hence the L1 signal can be cross-correlated with the L2 signal. Results are the differential phase measurement (L1-L2) and the group delay measurement (P1-P2)

Accuracy specifications are :

P-Code pseudo range	1cm (5 minutes integration)	Codeless pseudo
range	10cm (5 minutes integration)	Carrier phase
	0.2 - 0.3 mm	

Codeless phase	0.2 - 0.7 mm
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One of the important features is that less than 1 cycle slip is expected for 100 satellite hours.

Navigation Receivers

Navigation receivers are rapidly picking up the market. In most cases a single C/A code sequencing or multiplexing channel is used. However, modules with four or five parallel channels are becoming increasingly popular. Position and velocity are derived from C/A code pseudoranges measurement and are displayed or downloaded to a personal computer. Usually neither raw data nor carrier phase information is available. Differential navigation is possible with some advanced models.

MAGELLAN NAV 1000 is a handheld GPS receiver and weighs only 850 grams. It was introduced in 1989 and later in 1990, NAV 1000 PRO model was launched. It is a single channel receiver and tracks 3 to 4 satellites with a 2.5 seconds update rate and has a RS 232 data port.

The follow up model in 1991 was NAV 5000 PRO. It is a 5-channel receiver tracking all visible satellites with a 1-second update rate. Differential navigation is possible. Carrier phase data can be used with an optional carrier phase module. The quadrifilar antenna is integrated to the receiver. Post processing of data is also possible using surveying receiver like ASHTECH XII located at a reference station. Relative accuracy is about 3 to 5 metres. This is in many cases sufficient for thematic purposes.

Many hand held navigation receivers are available with added features. The latest market situation can be obtained through journals like GPS world etc.

For most navigation purpose a single frequency C/A code receiver is sufficient. For accuracy requirements better than 50 to 100 meters, a differential option is essential. For requirement below 5 meters, the inclusion of carrier phase data is necessary. In high precision navigation the use of a pair of receivers with full geodetic capability is advisable. The main characteristics of multipurpose geodetic receiver are summarized in Table 4.

Table 4. Overview of geodetic dual-frequency GPS satellite receiver (1992)

Receiver	Channel		Code		Wavelength		Anti-spoofing
	L1	L2	L1	L2	L1	L2	
TI 4100	4	4	P	P			Single
MACROMET	6	6	-	-		/2	No influence
ASHTECH	12	12	C/A	-		/2	No influence
ASHTECH P	12	12	C/A,	P			Squaring
TRIMBLE	8-12	8-12	C/A	-		/2	No influence
TRIMBLE	9-12	9-12	C/A,	P			Codeless SSE
WM 102	7	1	C/A	P			Squaring
WILD GPS	9	9	C/A	p			Codeless
TURBO	8	8	C/A,	P			Codeless

Some of the important features for selecting a geodetic receiver are :

- Tracking of all satellites
- Both frequencies
- Full wavelength on L2
- Low phase noise-low code noise
- High sampling rate for L1 and L2
- High memory capacity

- Low power consumption
- Full operational capability under anti spoofing condition

Further, it is recommended to use dual frequency receiver to minimize ion-spherical influences and take advantages in ambiguity solution.

4.11 ACCURACY

In general, an SPS receiver can provide position information with an error of less than 25 meter and velocity information with an error less than 5 meters per second. Upto 2 May 2000 U.S Government has activated Selective Availability (SA) to maintain optimum military effectiveness. Selective Availability inserts random errors into the ephemeris information broadcast by the satellites, which reduces the SPS accuracy to around 100 meters.

For many applications, 100-meter accuracy is more than acceptable. For applications that require much greater accuracy, the effects of SA and environmentally produced errors can be overcome by using a technique called Differential GPS (DGPS), which increases overall accuracy.

4.12 DIFFERENTIAL THEORY

Differential positioning is technique that allows overcoming the effects of environmental errors and SA on the GPS signals to produce a highly accurate position fix. This is done by determining the amount of the positioning error and applying it to position fixes that were computed from collected data.

Typically, the horizontal accuracy of a single position fix from a GPS receiver is 15 meter RMS (root-mean Square) or better. If the distribution of fixes about the true position is circular normal with zero mean, an accuracy of 15 meters RMS implies that about 63% of the fixes obtained during a session are within 15 meters of the true position.

TYPES OF ERRORS

There are two types of positioning errors: correctable and non-correctable. Correctable errors are the errors that are essentially the same for two GPS receivers in the same area. Non-correctable errors cannot be correlated between two GPS receivers in the same area.

4.13 CORRECTABLE ERRORS

Sources of correctable errors include satellite clock, ephemeris data and ionosphere and tropospheric delay. If implemented, SA may also cause a correctable positioning error. Clock errors and ephemeris errors originate with the GPS satellite. A clock error is a slowly changing error that appears as a bias on the pseudorange measurement made by a receiver. An ephemeris error is a residual error in the data used by a receiver to locate a satellite in space.

Ionosphere delay errors and tropospheric delay errors are caused by atmospheric conditions. Ionospheric delay is caused by the density of electrons in the ionosphere along the signal path. A tropospheric delay is related to humidity, temperature, and altitude along the signal path. Usually, a tropospheric error is smaller than an ionospheric error.

Another correctable error is caused by SA which is used by U.S Department of Defence to introduce errors into Standard Positioning Service (SPS) GPS signals to degrade fix accuracy.

The amount of error and direction of the error at any given time does not change rapidly. Therefore, two GPS receivers that are sufficiently close together will observe the same fix error, and the size of the fix error can be determined.

NON-CORRECTABLE ERRORS

Non-correctable errors cannot be correlated between two GPS receivers that are located in the same general area. Sources of non-correctable errors include receiver noise, which is unavoidably inherent in any receiver, and multipath errors, which are environmental. Multi-path errors are caused by the receiver “seeing” reflections of signals that have bounced off of surrounding objects. The sub-meter antenna is multipath-resistant; its use is required when logging carrier phase data. Neither error can be eliminated with differential, but they can be reduced substantially with position fix averaging. The error sources and the approximate RMS error range are given in the Table.

Error Sources

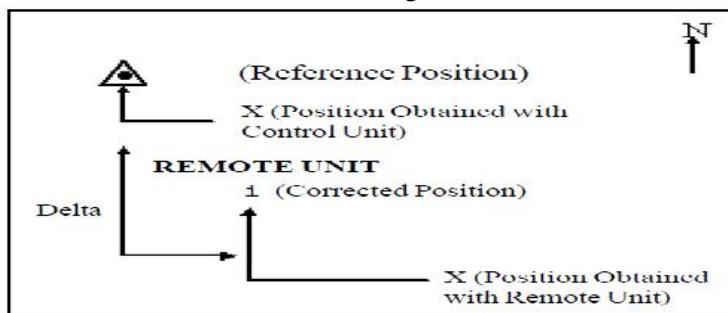
Error Source	Approx. Equivalent Range Error (RMS) in meters
Correctable with Differential	
Clock (Space Segment)	3.0
Ephemeris (Control Segment)	2.7
Ionospheric Delay (Atmosphere)	8.2
Tropospheric Delay (Atmosphere)	1.8
Selective Availability (if implemented)	27.4
Total	28.9

Non-Correctable with Differential	
Receiver Noise (Unit)	9.1
Multipath (Environmental)	3.0
Total	9.6
Total user Equivalent range error (all sources)	30.5
Navigational Accuracy (HDOP = 1.5)	45.8

4.13 DIFFERENTIAL GPS

Most DGPS techniques use a GPS receiver at a geodetic control site whose position is known. The receiver collects positioning information and calculates a position fix, which is then compared to the known co-ordinates. The difference between the known position and the acquired position of the control location is the positioning error.

Because the other GPS receivers in the area are assumed to be operating under similar conditions, it is assumed that the position fixes acquired by other receivers in the area (remote units) are subject to the same error, and that the correction computed for the control position should therefore be accurate for those receivers. The correction is communicated to the remote units by an operator at the control site with radio or cellular equipment. In post-processed differential, all units collect data for off-site processing; no corrections are determined in the field. The process of correcting the position error with differential mode is shown in the Figure .



The difference between the known position and acquired position at the control point is the DELTA correction. DELTA, which is always expressed in meters, is parallel to the surface of the earth. When expressed in local co- ordinate system, DELTA uses North-South axis (y) and an East-West axis (x) in 2D operation; an additional vertical axis (z) that is perpendicular to the y and x is used in 3D operation for altitude.

4.14 APPLICATIONS OF GPS

- z Providing Geodetic control.
- z Survey control for Photogrammetric control surveys and mapping.
- z Finding out location of offshore drilling.
- z Pipeline and Power line survey.

- z Navigation of civilian ships and planes.
- z Crustal movement studies.
- z Geophysical positioning, mineral exploration and mining.
- z Determination of a precise geoid using GPS data.
- z Estimating gravity anomalies using GPS.
- z Offshore positioning: shipping, offshore platforms, fishing boats etc.

CHAPTER 5

ADVANCED TOPICS IN SURVEYING

5.1 INTRODUCTION

Photogrammetry

- Introduction
- Terrestrial and aerial Photographs
- Stereoscopy
- Parallax
- Electromagnetic distance measurement
- Carrier waves
 - Principles - Instruments
- Trilateration

Hydrographic Surveying

- Tides
- MSL
- Sounding methods
- Location of soundings and methods
- Three point problem
- Strength of fix
- Sextants and station pointer
- River surveys
- Measurement of current and discharge

Cartography

- Cartographic concepts and techniques
- Cadastral surveying
 - Definition
 - Uses
 - Legal values
- Scales and accuracies.

5.2 PHOTOGRAMMETRIC SURVEYING?

Photogrammetric surveying or photogrammetry is the science and art of obtaining accurate measurements by use of photographs, for various purposes such as the construction of planimetric and topographic maps, classification of soils, interpretation of geology, acquisition of military intelligence and the preparation of composite pictures of the ground. The photographs are taken either from the air or from station on the ground. Terrestrial photogrammetry is that branch of photogrammetry wherein photographs are taken from a fixed position on or near the ground. Aerial photogrammetry is that branch of photogrammetry wherein the photographs are taken by a camera mounted in an aircraft flying over the area.

Mapping from aerial photographs is the best mapping procedures yet developed for large projects, and are invaluable for military intelligence. The major users of aerial mapping methods are the civilian and military mapping agencies of the Government.

The conception of using photographs for purposes of measurement appears to have originated with the experiments of Aime Laussedat of the Corps of the French Army, who in 1851 produced the first measuring camera. He developed the mathematical analysis of photographs as perspective projections, thereby increasing their application to topography. Aerial photography from balloons probably began about 1858. Almost concurrently (1858), but independently of Laussedat, Meydenbauer in Germany carried out the first experiments in making critical measurements of architectural details by the intersection method in the basis of two photographs of the building. The ground photography was perfected in Canada by Capt. Deville, then Surveyor General of Canada in 1888. In Germany, most of the progress on the theoretical side was due to Hauck.

In 1901, Pulfrich in Jena introduced the stereoscopic principle of measurement and designed the stereo comparator. The stereoaitograph was designed (1909) at the Zeiss workshops in Jena, and this opened a wide field of practical application. Scheimpflug, an Australian captain, developed the idea of double projector in 1898. He originated the theory of perspective transformation and incorporated its principles in the photoperspecto graph. He also gave the idea of radial triangulation. His work paved the way for the development of aerial surveying and aerial photogrammetry.

In 1875, Oscar Messter built the first aerial camera in Germany and J.W.Bagloy and A.Brock produced the first aerial cameras in U.S.A. In 1923, Bauersfeld designed the Zeiss stereoplanigraph. The optical industries of Germany, Switzerland, Italy and France, and later also those of the U.S.A and U.S.S.R. took up the manufacture and constant further development of the cameras and plotting instruments. In World War II, both the sides made extensive use of aerial photographs for their military operations. World War II gave rise to new developments of aerial photography techniques, such as the application of radio control to photoflight navigation, the new wide-angle lenses and devices to achieve true vertical photographs.

5.3 PRINCIPLES BEHIND TERRESTRIAL PHOTOGAMMTRY.

The principle of terrestrial photogrammetry was improved upon and perfected by Capt. Deville, then Surveyor General of Canada in 1888. In terrestrial photogrammetry, photographs are taken with the camera supported on the ground. The photographs are taken by means of a photo theodolite which is a combination of a camera and a theodolite. Maps are then compiled from the photographs.

The principle underlying the method of terrestrial photogrammetry is exactly similar to that of plane table surveying, i.e. if the directions of same objects photographed from two extremities of measured base are known, their position can be located by the intersection of two rays to the same object. However, the difference between this and plane tabling is that more details are at once obtained from the photographs and their subsequent plotting etc. is done by the office while in plane tabling all the detailing is done in the field itself.

Thus in Fig , A and B are the two stations at the ends of base AB. The arrows indicate the directions of horizontal pointing (in plan) of the camera. For each pair of pictures taken

from the two ends, the camera axis is kept parallel to each other. From economy and speed point of view, minimum number of photographs should be used to cover the whole area and to achieve this, it is essential to select the best positions of the camera stations. A thorough study of the area should be done from the existing maps, and a ground reconnaissance should be made. The selection of actual stations depends upon the size and ruggedness of the area to be

Surveyed. The camera should be directed downward rather than upward, and the stations should be at the higher points on the area.

The terrestrial photogrammetry can be divided into two branches:

- (i) Plane-table photogrammetry.
- (ii) Terrestrial stereo photogrammetry

The plane table photogrammetry consists essentially in taking a photograph of the area to be mapped from each of the two or three stations. The photograph perpendicularly may be oriented at any angle to the base, but usually from an acute angle with the latter. The main difficulty arises in the identifications of image points in a pair of photographs. In the case of homogeneous areas of sand or grass, identification becomes impossible. The principles of stereo photogrammetry, however, produced the remedy.

In terrestrial stereo photogrammetry, due to considerable improvement of accuracy obtained by the stereoscopic measurement of pairs of photographs, the camera base and the angles of intersection of the datum rays to the points to be measured can be considerably reduced since the camera axes at the two stations exhibit great similarity to each other. The image points which are parallactically displaced relative to each other in the two photographs are fused to a single spatial image by the stereoscopic measurement.
shore line survey?

The shore line surveys consist of:

- (i) Determination or delineation of shore lines,
- (ii) Location of shore details and prominent features to which soundings may be connected,
- (iii) Determination of low and high water lines for average spring tides,

The determination or delineation of shore lines is done by traversing along the shore and taking offsets to the water edge by tape, or stadia or plane table. If the river is narrow, both the banks may be located by running a single line of traverse on one bank. For wide rivers, however, transverse may be run along both the banks. The traverse should be

Connected at convenient intervals to check the work. Thus, the Fig. two traverses XY and X – Y -- along the two opposite shores may be checked by taking observations from A and B to the points C and D. When the instrument is at B, angles ABC and ABD can be measured. From the measured length of AB and the four angles, the length CD can be calculated. If this agrees with the measured length of CD, the work is checked. Sometimes, a triangulation net is run along a wide river. In sea shore survey, buoys anchored off the shore and light houses are used as reference points and are located by triangulation.

In the case of tidal water, it is necessary to locate the high and low water lines. The position of high water line may be determined roughly from shore deposits and marks on rocks. To determine the high water line accurately, the elevation of mean high water of ordinary spring tide is determined and the points are located on the shore at that elevation as in direct method of contouring. The low water line can also be determined similarly. However, since the limited time is available for the survey of low water line, it is usually located by interpolation from soundings.

Sounding and the methods employed in sounding.

The measurement of depth below the water surface is called sounding. This corresponds to the ordinary spirit leveling in land surveying where depths are measured below a horizontal line established by a level. Here, the horizontal line or the datum is the surface of water, the level of which continuously goes on changing with time. The object of making soundings is thus to determine the configuration of the sub aqueous source. As stated earlier, soundings are required for:

- (i) Making nautical charts for navigation;
- (ii) Measurement of areas subject to scour or silting and to ascertain the quantities of dredged material;
- (iii) Making sub-aqueous investigations to secure information needed for the construction, development and improvement of port facilities.

For most of the engineering works, soundings are taken from a small boat. The equipment needed for soundings are:

- | | |
|-------------------|-----------------------------|
| (i) Sounding boat | (ii) Sounding rods or poles |
| (iii) Lead lines | (iv) Sounding machine |

(v) Fathometer.

Sounding boat

A row-boat for sounding should be sufficiently roomy and stable. For quiet water, a flat bottom boat is more suitable, but for rough water round-bottomed boat is more suitable. For regular soundings, a row boat may be provided with a well through which sounds are taken. A sounding platform should be built for use in smaller boat. It should be extended far enough over the side to prevent the line from striking the boat. If the currents are strong, a motor or stream launch may be used with advantage.

Sounding rods or poles

A sounding rod is a pole of a sound straight-grained well seasoned tough timber usually 5 to 8 cm in diameter and 5 to 8 metres long. They are suitable for shallow and quiet waters. An arrow or lead shoe of sufficient weights fitted at the end. This helps in holding them upright in water. The lead or weight should be of sufficient area so that it may not sink in mud or sand. Between soundings it is turned end for end without removing it from the water. A pole of 6 m can be used to depths upto 4 meters.

Lead lines

A lead line or a sounding line is usually a length of a cord, or tiller rope of Indian hemp or braided flax or a brass chain with a sounding lead attached to the end. Due to prolonged use, a line of hemp or cotton is liable to get stretched. To graduate such a line, it is necessary to stretch it thoroughly when wet before it is graduated. The line should be kept dry when not in use. It should be soaked in water for about one hour before it is used for taking soundings. The length of the line should be tested frequently with a tape. For regular sounding, a chain of brass, steel or iron is preferred. Lead lines are usually used for depths over about 6 meters.

Sounding lead is a weight (made of lead) attached to the line. The weight is conical in shape and varies from 4 to 12 kg depending upon the depth of water and the strength of the current. The weight should be somewhat streamlined and should have an eye at the top for attaching the cord. It often has cup-shaped cavity at the bottom so that it may be armed with lead or tallow to pick up samples from the bottom. Where the bottom surface is soft, lead-filled pipe with a board at the top is used with the lead weight. The weight penetrates in the mud and stops where the board strikes the mud surface.

Suggested system of marking poles and lead lines

The U.S. Coast and Geodetic survey recommends the following system of marking the poles and the lead lines :

Poles : Make a small permanent notch at each half foot. Paint the entire pole white and the spaces between the 2- and 3-, the 7- and 8-and the 12- and 13-ft marks black. Point $\frac{1}{2}$ " red bands at the 5- and 10-ft marks, a $\frac{1}{2}$ " in black band at each of the other foot marks and $\frac{1}{4}$ " bands at the half foot marks. These bands are black where the pole is white and vice

versa.

Lead Lines : A lead line is marked in feet as follow :

Feet	Marks
2, 12, 22 etc	Red bunting
4, 14, 24 etc	White bunting
6, 16, 26 etc	Blue bunting
8, 18, 28 etc	Yellow bunting
10, 60, 110 etc	One strip of leather
20, 70, 120 etc	Two strips of leather
30, 80, 130 etc	Leather with two holes
40, 90, 140 etc	Leather with one holes
50	Star-shaped leather
100	Star-shaped leather with one hole

The intermediate odd feet (1,3,5,7,9 etc.) are marked by white seizing.

Sounding Machine

Where much of sounding is to done, a sounding machine as very useful. The sounding machine may either be hand driven or automatic. Fig.4.3. show a typical hand driven Weddele's sounding machine.

The lead weight is carried at the end of a flexible wire cord attached to the barrel and can lowered at any desired rate, the speed of the drum being controlled by means of a break. The readings are indicated in two dials—the outer dial showing the depth in feet and the inner showing tenths of a foot. A handle is used to raise the level which can be suspended at any height by means of a pulley and ratchet. The sounding machine is mounted in a sounding boat and can be used up to a maximum depth of 100 ft.

Fathometer: Echo-sounding

A Fathometer is used in ocean sounding where the depth of water is too much, and to make a continuous and accurate record of the depth of water below the boat or ship at which it is installed. It is an *echo-sounding* instrument in which water depths are obtained by determining the time required for the sound waves to travel from a point near the surface of the water to the bottom and back. It is adjusted to read depth on accordance with the velocity of sound in the type of water in which it is being used. A fathometer may indicate the depth visually or indicate graphically on a roll which continuously goes on revolving and provide a virtual profile of the lake or sea.

What are the components of echo sounding instrument? Briefly explain the advantages of echo sounding.

The main parts of an echo-sounding apparatus are:

1. Transmitting and receiving oscillators.
2. Recorder unit.
3. Transmitter / Power unit.

Figure illustrates the principle of echo-sounding. It consists in recording the interval of time between the emission of a sound impulse direct to the bottom of the sea and the reception of the wave or echo, reflected from the bottom. If the speed of sound in that water is v and the time interval between the transmitter and receiver is t , the depth h is given by

$$h = \frac{1}{2} vt \quad \dots$$

Due to the small distance between the receiver and the transmitter, a slight correction is necessary in shallow waters. The error between the true depth and the recorded depth can be calculated very easily by simple geometry. If the error is plotted against the recorded depth, the true depth can be easily known. The recording of the sounding is produced by the action of a small current passing through chemically impregnated paper from a rotating stylus to an anode plate. The stylus is fixed at one end of a radial arm which revolves at constant speed. The stylus makes a record on the paper at the instants when the sound impulse is transmitted and when the echo returns to the receiver.

Advantage of echo-sounding

Echo-sounding has the following advantages over the older method of lead line and rod:

1. It is more accurate as a truly vertical sounding is obtained. The speed of the vessel

does deviate it appreciably from the vertical. Under normal water conditions, in ports and harbors an accuracy of 7.5 cm may be obtained.

2. It can be used when a strong current is running and when the weather is unsuitable for the soundings to be taken with the lead line.

3. It is more sensitive than the lead line.

4. A record of the depth is plotted immediately and provides a continuous record of the bottom as the vessel moves forward.

5. The speed of sounding and plotting is increased.

6. The error due to estimation of water level in a choppy sea is reduced owing to the instability of the boat.

7. Rock underlying softer material is recorded and this valuable information is obtained more cheaply than would be the case where sub-marine borings are taken.

Making the soundings

If the depth is less than 25 m, the soundings can be taken when the boat is in motion. In the case of soundings with rod the leadsman stands in the bow and plunges the rod at a forward angle, depending on the speed of the boat, such that the rod is vertical when the boat reaches the point at which soundings is being recorded. The rod should be read very quickly. The nature of the bottom should also be recorded at intervals in the note-book.

If the sounding is taken with a lead, the leadsman stands in the bow of the boat and casts the lead forward at such a distances that the line will become vertical and will reach the bottom at a point where sounding is required. The lead is withdrawn from the water after the reading is taken. If the depth is great, the lead is not withdrawn from the water, but is lifted between the soundings.

The water surface, which is also the reference datum, changes continuously. It is, therefore, essential to take the readings of the tide gauges at regular interval so that the soundings can be reduced to a fixed datum. To co-relate each sounding with the gauge reading, it is essential to record the time at which each sounding is made.

What are the methods employed in locating soundings?

The soundings are located with reference to the shore traverse by observations made

(i) entirely from the boat, (ii) entirely from the shore or (iii) from both.

The following are the methods of location

1. By cross rope.

2. By range and time intervals.
3. By range and one angle from the shore.
4. By range and one angle from the boat.
5. By two angles from the shore.
6. By two angles from the boat.
7. By one angle from shore and one from boat.
8. By intersecting ranges.
9. By tacheometry.

Range.

A range or range line is the line on which soundings are taken. They are, in general, laid perpendicular to the shore line and parallel to each other if the shore is straight or are arranged radiating from a prominent object when the shore line is very irregular.

Shore signals.

Each range line is marked by means of signals erected at two points on it at a considerable distance apart. Signals can be constructed in a variety of ways. They should be readily seen and easily distinguished from each other. The most satisfactory and economic type of signal is a wooden tripod structure dressed with white and coloured signal of cloth. The position of the signals should be located very accurately since all the soundings are to be located with reference to these signals.

Location by Cross-Rope

This is the most accurate method of locating the soundings and may be used for rivers, narrow lakes and for harbours. It is also used to determine the quantity of materials removed by dredging the soundings being taken before and after the dredging work is done. A single wire or rope is stretched across the channel etc. as shown in Fig.4.6 and is marked by metal tags at appropriate known distance along the wire from a reference point or zero station on shore. The soundings are then taken by a weighted pole. The position of the pole during a sounding is given by the graduated rope or line.

In another method, specially used for harbours etc., a reel boat is used to stretch the rope. The zero end of the rope is attached to a spike or any other attachment on one shore. The rope is wound on a drum on the reel boat. The reel boat is then rowed across the line of sounding, thus unwinding the rope as it proceeds. When the reel boat reaches the other shore, its anchor is taken ashore and the rope is wound as tightly as possible. If anchoring is not possible, the reel is taken ashore and spiked down. Another boat, known as the sounding boat, then starts from the previous shore and soundings are taken against each tag of the rope. At the end of the soundings along that line, the reel boat is rowed back along the line thus winding in the rope. The work thus proceeds.

Location by Range and Time Intervals

In this method, the boat is kept in range with the two signals on the shore and is rowed along it at constant speed. Soundings are taken at different time intervals. Knowing the constant speed and the total time elapsed at the instant of sounding, the distance of the total point can be known along the range. The method is used when the width of channel is small and when great degree of accuracy is not required. However, the method is used in conjunction with other methods, in which case the first and the last soundings along a range are located by

angles from the shore and the intermediate soundings are located by interpolation according to time intervals.

Location by Range and One Angle from the Shore

In this method, the boat is ranged in line with the two shore signals and rowed along the ranges. The point where sounding is taken is fixed on the range by observation of the angle from the shore. As the boat proceeds along the shore, other soundings are also fixed by the observations of angles from the shore. Thus B is the instrument station, A₁ A₂ is the range along which the boat is rowed and 1, 2, 3 etc., are the angles measured at B from points 1, 2, 3 etc. The method is very accurate and very convenient for plotting. However, if the angle at the sounding point (say angle) is less than 30°, the fix becomes poor. The nearer the intersection angle () is to a right angle, the better. If the angle diminishes to about 30° a new instrument station must be chosen. The only defect of the method is that the surveyor does not have an immediate control in all the observation. If all the points are to be fixed by angular observations from the shore, a note-keeper will also be required along with the instrument man at shore since the observations and the recordings are to be done rapidly. Generally, the first and last soundings and every tenth sounding are fixed by angular observations and the intermediate points are fixed by time intervals. Thus the points with round mark are fixed by angular observations from the shore and the points with cross marks are fixed by time intervals. The arrows show the course of the boat, seaward and shoreward on alternate sections.

To fix a point by observations from the shore, the instrument man at B orients his line of sight towards a shore signal or any other prominent point (known on the plan) when the reading is zero. He then directs the telescope towards the leadsmen or the bow of the boat, and is kept continually pointing towards the boat as it moves. The surveyor on the boat holds a flag for a few seconds and on the fall of the flag, the sounding and the angle are observed simultaneously.

The angles are generally observed to the nearest 5 minutes. The time at which the flag falls is also recorded both by the instrument man as well as on the boat. In order to avoid acute intersections, the lines of soundings are previously drawn on the plan and suitable instrument stations are selected.

Location by Range and One Angle from the Boat.

The method is exactly similar to the previous one except that the angular fix is made by angular observation from the boat. The boat is kept in range with the two shore signals and is rowed along it. At the instant the sounding is taken, the angle, subtended at the point between the range and some prominent point B on the shore is measured with the help of sextant. The telescope is directed on the range signals, and the side object is brought into coincidence at the instant the sounding is taken. The accuracy and ease of plotting is the same as obtained in the previous method. Generally, the first and the last soundings, and some of the intermediate soundings are located by angular observations and the rest of the soundings are located by time intervals.

As compared to the previous methods, this method has the following advantages :

1. Since all the observations are taken from the boat, the surveyor has better control over the operations.
2. The mistakes in booking are reduced since the recorder books the readings directly as they are measured.

3. On important fixes, check may be obtained by measuring a second angle towards some other signal on the shore.

4. To obtain good intersections throughout, different shore objects may be used for reference to measure the angles.

Location by Two Angles from the Shore

In this method, a point is fixed independent of the range by angular observations from two points on the shore. The method is generally used to locate some isolated points. If this method is used on an extensive survey, the boat should be run on a series of approximate ranges. Two instruments and two instrument men are required. The position of instrument is selected in such a way that a strong fix is obtained. New instrument stations should be chosen when the intersection angle (γ) falls below 30° . Thus A and B are the two instrument stations. The distance d between them is very accurately measured. The instrument stations A and B are precisely connected to the ground traverse or triangulation, and their positions on plan are known. With both the plates clamped to zero, the instrument man at A bisects B ; similarly with both the plates clamped to zero, the instrument man at B bisects A. Both the instrument men then direct the line of sight of the telescope towards the leadsmen and continuously follow it as the boat moves. The surveyor on the boat holds a flag for a few seconds, and on the fall of the flag the sounding and the angles are observed simultaneously. The co-ordinates of the position P of the sounding may be computed from the relations:

The method has got the following advantages:

1. The preliminary work of setting out and erecting range signals is eliminated.

2. It is useful when there are strong currents due to which it is difficult to row the boat along the range line.

The method is, however, laborious and requires two instruments and two instrument.

Location by Two Angles from the Boat

In this method, the position of the boat can be located by the solution of the three-point problem by observing the two angles subtended at the boat by three suitable shore objects of known position. The three-shore points should be well-defined and clearly visible. Prominent natural objects such as church spire, lighthouse, flagstaff, buoys etc., are selected for this purpose. If such points are not available, range poles or shore signals may be taken. Thus A, B and C are the shore objects and P is the position of the boat from which the angles

and β are measured. Both the angles should be observed simultaneously with the help of two sextants, at the instant the sounding is taken. If both the angles are observed by surveyor alone, very little time should be lost in taking the observation. The angles on the circle are read afterwards. The method is used to take the soundings at isolated points. The surveyor has better control on the operations since the survey party is concentrated in one boat. If sufficient number of prominent points are available on the shore, preliminary work of setting out and erecting range signals is eliminated. The position of the boat is located by the solution of the three point problem either analytically or graphically.

Location by One Angle from the Shore and the other from the Boat

This method is the combination of methods 5 and 6 described above and is used to locate the isolated points where soundings are taken. Two points A and B are chosen on the

shore, one of the points (say A) is the instrument station where a theodolite is set up, and the other (say B) is a shore signal or any other prominent object. At the instant the sounding is taken at P, the angle θ at A is measured with the help of a sextant. Knowing the distance d between the two points A and B by ground survey, the position of P can be located by calculating the two co-ordinates x and y.

Location by Intersecting Ranges

This method is used when it is required to determine by periodical sounding at the same points, the rate at which silting or scouring is taking place. This is very essential on the harbors and reservoirs. The position of sounding is located by the intersection of two ranges, thus completely avoiding the angular observations. Suitable signals are erected at the shore. The boat is rowed along a range perpendicular to the shore and soundings are taken at the points in which inclined ranges intersect the range, as illustrated in Fig. 4.12. However, in order to avoid the confusion, a definite system of flagging the range poles is necessary. The position of the range poles is determined very accurately by ground survey.

Location by Tacheometric Observations

The method is very much useful in smooth waters. The position of the boat is located by tacheometric observations from the shore on a staff kept vertically on the boat. Observing the staff intercept s at the instant the sounding is taken, the horizontal distance between the instrument stations and the boat is calculated by

The direction of the boat (P) is established by observing the angle θ at the instrument station B with reference to any prominent object A. The transit station should be near the water level so that there will be no need to read vertical angles. The method is unsuitable when soundings are taken far from shore.

Explain reduction of soundings with a example.

The reduced soundings are the reduced levels of the sub-marine surface in terms of the adopted datum. When the soundings are taken, the depth of water is measured with reference to the existing water level at that time. If the gauge readings are also taken at the same time, the soundings can be reduced to a common unvarying datum. The datum most commonly adopted is the ‘mean level of low water of spring tides’ and is written either as

L.W.O.S.T. (low water, ordinary spring tides) or

M.L.W.S. (mean low water springs). For reducing the soundings, a correction equal to the difference of level between the actual water level (read by gauges) and the datum is applied to the observed soundings, as illustrated in the table given below :

Gauge Reading at L.W.O.S.T. = 3.0 m.

Time	Gauge (m)	Distance	Solution (m)	Correction	Reduced soundings (m)	Remarks

8.00 A.M.	3.5	10	2.5	-0.5	2.00	
		20	3.2		2.7	
		30	3.9		3.4	
		40	4.6		4.1	
8.10 A.M.	3.5	50	5.3	-0.5	4.8	
		60	5.4		4.9	
		70	5.1		4.6	
		80	4.7		4.2	
		90	3.6		3.1	
8.10 A.M.	3.5	100	2.1	-0.5	1.6	

What is three point problem ?How it can be solved ?

Given the three shore signals A, B and C, and the angles α and β subtended by AP, BP and CP at the boat P, it is required to plot the position of P

1. Mechanical Solution

(i) By Tracing Paper

Protract angles α and β between three radiating lines from any point on a piece of tracing paper. Plot the positions of signals A, B, C on the plan. Applying the tracing paper to the plan, move it about until all the three rays simultaneously pass through A, B and C. The apex of the angles is then the position of P which can be pricked through.

(ii) By Station Pointer :

The station pointer is a three-armed protractor and consists of a graduated circle with fixed arm and two movable arms to the either side of the fixed arm. All the three arms have beveled or fiducial edges. The fiducial edge of the central fixed arm corresponds to the zero of the circle. The fiducial edges of the two moving arms can be set to any desired reading and can be clamped in position. They are also provided with verniers and slow motion screws to

set the angle very precisely. To plot position of P, the movable arms are clamped to read the angles and very precisely. The station pointer is then moved on the plan till the three fiducial edges simultaneously touch A, B and C. The centre of the pointer then represents the position of P which can be recorded by a prick mark.

2. Graphical Solutions

(a) First Method :

Let a, b and c be the plotted positions of the shore signals A, B and C respectively and let and be the angles subtended at the boat. The point p of the boat position p can be obtained as under :

1. Join a and c.
2. At a, draw ad making an angle with ac. At c, draw cd making an angle with ca. Let both these lines meet at d.
3. Draw a circle passing through the points a, d and c.
4. Join d and b, and prolong it to meet the circle at the point p which is the required position of the boat.

Proof. From the properties of a circle,

$$apd = acd = \quad \text{and} \quad cpd = cad =$$

which is the required condition for the solution.

(b) Second Method :

Join ab and bc.

1. From a and b, draw lines ao1 and bo1 each making an angle ($90^\circ - \alpha$) with ab on the side towards p. Let them intersect at 01.
2. Similarly, from b and c, draw lines ===== each making an angle ($90^\circ - \beta$) with ab on the side towards p. Let them intersect at --.
3. With -- as the centre, draw a circle to pass through a and b. Similarly, with - as the centre draw a circle to pass through b and c. Let both the circles intersect each other at a point p. p is then the required position of the boat.

$$\text{Proof. } \text{ao1b} = 180^\circ - 2(90^\circ - \theta) = 2\theta$$

$$\text{apb} = \frac{1}{2} \text{ao1b} = \theta$$

$$\text{Similarly, } \text{bo2c} = 180^\circ - 2(90^\circ - \theta) = 2\theta$$

$$\text{And } \text{bpc} = \frac{1}{2} \text{bo2c} = \theta.$$

The above method is sometimes known as the method of two intersecting circles.

(c) Third Method :

1. Join ab and bc.
2. At a and c, erect perpendiculars ad and ce.
3. At b, draw a line bd subtending angle $(90^\circ - \theta)$ with ba, to meet the perpendicular through a in d.
4. Similarly, draw a line be subtending an angle $(90^\circ - \theta)$ with bc, to meet the perpendicular through c in e.
5. Join d and e.
6. Drop a perpendicular on de from b. The foot of the perpendicular (i.e. p) is then the required position of the boat.

9. What are tides? Explain its types and formation.

All celestial bodies exert a gravitational force on each other. These forces of attraction between earth and other celestial bodies (mainly moon and sun) cause periodical variations in the level of a water surface, commonly known as tides. There are several theories about the tides but none adequately explains all the phenomenon of tides. However, the commonly used theory is after Newton, and is known as the equilibrium theory. According to this theory, a force of attraction exists between two celestial bodies, acting in the straight line joining the centre of masses of the two bodies, and the magnitude of this force is proportional to the product of the masses of the bodies and is inversely proportional to the square of the distance between them. We shall apply this theory to the tides produced on earth due to the force of attraction between earth and moon. However, the following assumptions are made in the equilibrium theory :

1. The earth is covered all round by an ocean of uniform depth.
2. The ocean is capable of assuming instantaneously the equilibrium , required by the tide producing forces. This is possible if we neglect (i) inertia of water, (ii) viscosity of water, and (iii) force of attraction between parts of itself.

1. The Lunar Tides

(a) shows the earth and the moon, with their centres of masses O_1 and O_2 respectively. Since moon is very near to the earth, it is the major tide producing force. To start with, we will ignore the daily rotation of the earth on its axis. Both earth and moon attract each other, and the force of attraction would act along O_1O_2 . Let O be the common centre of gravity of earth and moon. The earth and moon revolve monthly about O , and due to this revolution their separate positions are maintained. The distribution of force is not uniform, but it is more for the points facing the moon and less for remote points. Due to the revolution of earth about the common centre of gravity O , centrifugal force of uniform intensity is exerted on all the particles of the earth. The direction of this centrifugal force is parallel to O_1O_2 and acts outward. Thus, the total force of attraction due to moon is counter-balanced by the total centrifugal force, and the earth maintains its position relative to the moon. However, since the force of attraction is not uniform, the resultant force will vary all along. The resultant forces are the tide producing forces. Assuming that water has no inertia and viscosity, the ocean enveloping the earth's surface will adjust itself to the unbalanced resultant forces, giving rise to the equilibrium. Thus, there are two lunar tides at A and B, and two low water

positions at C and D. The tide at A is called the superior lunar tide or tide of moon's upper transit, While tide at B is called inferior or antilunar tide.

Now let us consider the earth's rotation on its axis. Assuming the moon to remain stationary, the major axis of lunar tidal equilibrium figure would maintain a constant position. Due to rotation of earth about its axis from west to east, once in 24 hours, point A would occupy successive position C, B and D at intervals of 6 h. Thus, point A would experience regular variation in the level of water. It will experience high water (tide) at intervals of 12 h and low water midway between. This interval of 6 h variation is true only if moon is assumed stationary. However, in a lunation of 29.53 days the moon makes one revolution relative to sun from the new moon to new moon. This revolution is in the same direction as the diurnal rotation of earth, and hence there are 29.53 transits of moon across a meridian in 29.53 mean solar days. This is on the assumption that the moon does this revolution in a plane passing through the equator. Thus, the interval between successive transits of moon or any meridian will be 24 h, 50.5 m. Thus, the average interval between successive high waters would be about 12 h 25 m. The interval of 24 h 50.5 m between two successive transits of moon over a meridian is called the tidal day.

2. The Solar Tides

The phenomenon of production of tides due to force of attraction between earth and sun is similar to the lunar tides. Thus, there will be superior solar tide and an inferior or anti-solar tide. However, sun is at a large distance from the earth and hence the tide producing force due to sun is much less.

$$\text{Solar tide} = 0.458 \text{ Lunar tide.}$$

Combined effect : Spring and neap tides

$$\text{Solar tide} = 0.458 \text{ Lunar tide.}$$

Above equation shows that the solar tide force is less than half the lunar tide force. However, their combined effect is important, specially at the new moon when both the sun and moon have the same celestial longitude, they cross a meridian at the same instant.

Assuming that both the sun and moon lie in the same horizontal plane passing through the equator, the effects of both the tides are added, giving rise to maximum or spring tide of new moon. The term ‘spring’ does not refer to the season, but to the springing or waxing of the moon. After the new moon, the moon falls behind the sun and crosses each meridian 50 minutes later each day. In after 7 $\frac{1}{2}$ days, the difference between longitude of the moon and that of sun becomes 90° , and the moon is in quadrature. The crest of moon tide coincides with the trough of the solar tide, giving rise to the neap tide of the first quarter. During the neap tide, the high water level is below the average while the low water level is above the average. After about 15 days of the start of lunation, when full moon occurs, the difference between moon’s longitude and of sun’s longitude is 180° , and the moon is in opposition. However, the crests of both the tides coincide, giving rise to spring tide of full moon. In about 22 days after the start of lunation, the difference in longitudes of the moon and the sun becomes 270° and neap tide of third quarter is formed. Finally, when the moon reaches to its new moon position, after about 29 $\frac{1}{2}$ days of the previous new moon, both of them have the same celestial longitude and the spring tide of new moon is again formed making the beginning of another cycle of spring and neap tides.

4. Other Effects

The length of the tidal day, assumed to be 24 hours and 50.5 minutes is not constant because of (i) varying relative positions of the sun and moon, (ii) relative attraction of the sun and moon, (iii) ellipticity of the orbit of the moon (assumed circular earlier) and earth, (v) declination (or deviation from the plane of equator) of the sun and the moon, (v) effects of the land masses and (vi) deviation of the shape of the earth from the spheroid. Due to these, the high water at a place may not occur exactly at the moon’s upper or lower transit. The effect of varying relative positions of the sun and moon gives rise to what are known as priming of tide and lagging of tide.

At the new moon position, the crest of the composite tide is under the moon and normal tide is formed. For the positions of the moon between new moon and first quarter, the high water at any place occurs before the moon’s transit, the interval between successive high Water is less than the average of 12 hours 25 minutes and the tide is said to prime. For positions of moon between the first quarter and the full moon, the high water at any place occurs after the moon transits, the interval between successive high water is more than the average, and tide is said to lag. Similarly, between full moon and 3rd quarter position, the tide primes while between the 3rd quarter and full moon position, the tide lags. At first quarter, full moon and third quarter position of moon, normal tide occurs.

Due to the several assumptions made in the equilibrium theory, and due to several other factors affecting the magnitude and period of tides, close agreement between the results of the theory, and the actual field observations is not available. Due to obstruction of land masses, tide may be heaped up at some places. Due to inertia and viscosity of sea water,

equilibrium figure is not achieved instantaneously. Hence prediction of the tides at a place must be based largely on observations.

5.4 MEAN SEA LEVEL? EXPLAIN WHY IT IS USED AS DATUM.

For all important surveys, the datum selected is the mean sea level at a certain place. The mean sea level may be defined as the mean level of the sea, obtained by taking the mean of all the height of the tide, as measured at hourly intervals over some stated period covering a whole number of complete tides. The mean sea level, defined above shows appreciable variations from day to day, from month to month and from year to year. Hence the period for which observations should be taken depends upon the purpose for which levels are required. The daily changes in the level of sea may be more. The monthly changes are more or less periodic. The mean sea level in particular month may be low while it may be high in some other months. Mean sea level may also show appreciable variations in its annual values. Due to variations in the annual values and due to greater accuracy needed in modern geodetic levelling, it is essential to base the mean sea level on observations extending over a period of about 19 years. During this period, the moon's nodes complete one entire revolution. The height of mean sea level so determined is referred to the datum of tide gauge at which the observations are taken. The point or place at which these observations are taken is known as a tidal station. If the observations are taken on two stations, situated say at a distance of 200 to 500 kms on an open coast, one of the station is called primary tidal station while the other is called secondary tidal station. Both the stations may then be connected by a line of levels.

5.5 ASTRONOMICAL SURVEYING

Celestial Sphere.

The millions of stars that we see in the sky on a clear cloudless night are all at varying distances from us. Since we are concerned with their relative distance rather than their actual distance from the observer. It is exceedingly convenient to picture the stars as distributed over the surface of an imaginary spherical sky having its center at the position of the observer. This imaginary sphere on which the stars appear to lie or to be studded is known as the celestial sphere. The radius of the celestial sphere may be of any value – from a few thousand metres to a few thousand kilometers. Since the stars are very distant from us, the center of the earth may be taken as the center of the celestial sphere.

Zenith, Nadir and Celestial Horizon.

The Zenith (Z) is the point on the upper portion of the celestial sphere marked by plumb line above the observer. It is thus the point on the celestial sphere immediately above the observer's station.

The Nadir (Z') is the point on the lower portion of the celestial sphere marked by the plumb line below the observer. It is thus the point on the celestial sphere vertically below the observer's station.

Celestial Horizon. (True or Rational horizon or geocentric horizon): It is the great circle traced upon the celestial sphere by that plane which is perpendicular to the Zenith-Nadir line, and

which passes through the center of the earth. (Great circle is a section of a sphere when the cutting plane passes through the center of the sphere).

Terrestrial Poles and Equator, Celestial Poles and Equator.

The terrestrial poles are the two points in which the earth's axis of rotation meets the earth's sphere. The terrestrial equator is the great circle of the earth, the plane of which is at right angles to the axis of rotation. The two poles are equidistant from it.

If the earth's axis of rotation is produced indefinitely, it will meet the celestial sphere in two points called the north and south celestial poles (P and P'). The celestial equator is the great circle of the celestial sphere in which it is intersected by the plane of terrestrial equator.

5.5.1 CO-ALTITUDE OR ZENITH DISTANCE (Z) AND AZIMUTH (A).

It is the angular distance of heavenly body from the zenith. It is the complement or the altitude, i.e $z = (90^\circ - \text{zenith angle})$.

The azimuth of a heavenly body is the angle between the observer's meridian and the vertical circle passing through the body.

Determine the hour angle and declination of a star from the following data:

- | | | |
|--------------|---|---|
| (i) | Altitude of the star | $= 22^\circ 36'$ |
| (ii) | Azimuth of the star | $= 42^\circ \text{ W}$ |
| (iii) | Latitude of the place of observation | $= 40^\circ \text{ N.}$ |

Solution.

Since the azimuth of the star is 42° W , the star is in the western hemi-sphere.

In the astronomical ΔPZM , we have

$$\begin{aligned} \text{PZ} &= \text{co-latitude} = 90^\circ - 40^\circ = 50^\circ ; \\ \text{ZM} &= \text{co-altitude} = 90^\circ - 22^\circ 36' = 67^\circ 24' ; \\ \text{angle A} &= 42^\circ \end{aligned}$$

Knowing the two sides and the included angle, the third side can be calculated from the cosine formula

$$\begin{aligned} \text{Thus, } \cos \text{PM} &= \cos \text{PZ} \cdot \cos \text{ZM} + \sin \text{PZ} \cdot \sin \text{ZM} \cdot \cos \text{A} \\ &= \cos 50^\circ \cdot \cos 67^\circ 24' + \sin 50^\circ \cdot \sin 67^\circ 24' \cdot \cos 42^\circ \\ &= 0.24702 + 0.52556 = 0.77258 \\ \therefore \quad \text{PM} &= 39^\circ 25' \\ \therefore \quad \text{Declination of the star} &= \delta = 90^\circ - \text{PM} = 90^\circ - 39^\circ 25' = 50^\circ 35' \text{ N.} \end{aligned}$$

Similarly, knowing all the three sides, the hour angle H can be calculated from Eq. 1.2

$$\cos H = \frac{\cos ZM - \cos PZ \cdot \cos PM}{\sin PZ \cdot \sin PM} = \frac{\cos 67^\circ 24' - \cos 50^\circ \cdot \cos 39^\circ 25'}{\sin 50^\circ \cdot \sin 39^\circ 25'}$$

$$= \frac{0.38430 - 0.49659}{0.48640} = -0.23086$$

$$\therefore \cos(180^\circ - H) = 0.23086 \quad \therefore 180^\circ - H = 76^\circ 39'$$

$$\mathbf{H = 103^\circ 21'}$$

UNIT-I
2-Marks

1. Define Tacheometry:

- i. Tacheometry is a branch of angular surveying in which the horizontal and vertical distances (or) points are obtained by optional means as opposed to the ordinary slower process of measurements by chain (or) tape.

2. Define Tacheometer:

- i. It is an ordinary transit theodolite fitted with an extra lens called analytic lens. The purpose of fitting the analytic lens is to reduce the additive constant to zero.

3. Define Analytic lens:

- a. Analytic lens is an additional lens placed between the diaphragm and the objective at a fixed distance from the objective. This lens will be fitted in ordinary transit theodolite. After fitting this additional lens the telescope is called as external focusing analytic telescope. The purpose of fitting the analytic lens is to reduce the additive constant to zero.

5. Define Substance bar:

- a. A Substance bar is manufactured by Mr. Kern. The length of the substance bar is 2m (6ft)
- 6. for measurement of comparatively short distance in a traverse. A Substance bar may be used as a substance base. The length of the bar is made equal to the distance between the two targets.

7. What are the merits and demerits of movable hair method?

Merits:

- i. Long sights can be taken with greater accuracy than stadia method The error obtained is minimum

b. Demerits:

- i. The computations are not quicker Careful observation is essential

8. Fixed hair method:

- a. In this method, the stadia wires are fixed (or) fitted at constant distance apart.

9. Staff intercept:

- a. The difference of the reading corresponding to the top and bottom stadia wires.

10. Stadia intercept:

- a. The difference of the distance between the top and bottom cross hairs. In this method stadia interval is variable. The staff intercept is kept fixed

while the stadia

- b. interval is variable.

11. The tangential method:

- a. In this method, the stadia hairs are not for taking readings. The readings being taken against the horizontal cross hair.

12. What are the systems of tacheometry measurements?

- a. The stadia system The tangential system

- b. Measurement by means of special instrument.

13. What are the types of stadia system?

- a. Fixed hair method, Movable hair method

14. What is the principle of stadia method?

- a. The method is based on the principle that the ratio of the perpendicular to the base is constant to similar isosceles triangle.

UNIT - II

1. Permanent Bench mark:

These are established by different government departments like PWD, Railways, Irrigation etc., The RL of these points are determined with reference to G.T.S Benchmarks. Points on rocks, culvert, gate, pillars etc.

2. Temporary Bench mark:

These are established temporarily whenever required. These are generally chosen to close the day's work and to start the next days. Points on roofs, walls, basements etc

3. Arbitrary Bench Mark:

When the RL of some fixed Points are assumed, they are termed a arbitrary Bench mark

4. Extension of baseline:

The length of baseline is usually not greater than 10 to 20 km. As it is often not possible to select a favorable sight for a longer base. They usually practice is therefore to use short base & Extend it by means. Of forming well conditioned triangles.

5. Trigonometrical levelling:

Trigonometrical levelling is the process of determining the differences of elevation of the given station from observed vertical angles and known distance.

6. Axis Signal correction :

If the height of the signed is not the same as that of height of the instrument axis above the station, a correction known as the axis signal correction or eye & objective correction is to be applied.

7. Geodetic Surveying :

In this surveying, the shape of the earth is taken into account and all the lines lying in the surface are curved lines. It is used for area greater than 250km^2 . It is accurate. It is conducted by great geometrical survey of India.

8. Baseline :

The Base line is laid down with great accuracy of measurement & alignment as it forms the basis for the computations of triangulation system the length of the base line depends upon the grades of the triangulation.

9. Laplace Station :

At certain station, astronomical observations for azimuth & longitude are also made on the station is called Laplace station

10. Triangulation :

Triangulation is nothing but the system consists of not of interconnected triangles. In this method, knowing the length of one side and three angles, the length of other two sides of each triangle can be computed.

11. Signals :

A Signal any object such as a pole target erected at a station upon which a sight is taken by a observer at another station.

12. Satellite Station :

A subsidiary station is established as near the true or principal station as possible, the station so established is called a satellite station or eccentric station or false station.

13. Reduction to centre:

If the true station were occupied by computing the corrections and apply them algebraically to the observed values is generally known as reduction of centre.

14. Base net:

A series of triangles connecting the baseline to the main triangulation is called base net.

15. Bench marking :

It is a fined reference point of known elevation.

16. Types of Bench Mark:

Great Trigonometric survey Bench mark

Permanent Bench mark

Arbitrary Bench mark

Temporary Bench mark

17. Equipments used for base line measurement:

Marking stakes or tripod

Straining device

Supporting stakes or tripod

Steel tape

Six number of thermometer.

18. Methods used to measure baseline

Rigid bar method

Wheeler's method

Jaderin's method

Hunter's short base method

Tacheometric method

19. Two types of Trigonometrically leveling:

Plane Trigonometrical levelling

Geodetic Trigonometrical levelling

20. Apparatus used in Baseline:

Rigid Bars

Flexible apparatus

21. Corrections made while calculation of true length

Correction for absolute length

Correction for temperature

Correction for pull or tension

Correction for Sag

Correction for Slope

UNIT-III
2-Marks

1. Errors:

Mistakes (or) gross Errors
Systematic (or) Cumulative Errors
Accidental (or) Random Errors

2. Mistakes (or) Gauss Errors:

Depends upon the observer, a mistake cannot be corrected unless the observer get training. The mistakes are errors that arise from inattention, inexperience, carelessness and poor judgement of confusion in the mind of observer.

3. Systematic Errors:

The systematic error is an error that under the same conditions will always be of the same size and sign. It is simply due to the error in instrument. These errors may be regarded as positive or negative according with whether they make the result too small (or) too great. This effect is cumulative.

4. Accidental Errors:

The Accidental Errors are those which remain after mistakes and systematical errors have been eliminated and are caused by the combination of reasons beyond the ability of the observer to control.

5. Classification of Observer Quantity:

An observer quantity may be classified
as Independent Quantity
Conditioned Quantity

6. Independent Quantity:

It is the one whose value is independent of the values of other quantities. It bears no relation with any other quantity and hence change in the other quantities does not affect the value of this quantity. eg. R.L of B.M

7. Conditioned Quantity:

It is the one whose value is dependent upon the values of one (or) more quantities. Its values bear a rigid relation to some other quantities. It is also called “dependent quantities”.

8. Conditioned Equation:

The conditioned equation is the equation expressing the relation existing b/w the several dependent quantities. eg. In a ABC $A+B+C= 180$. It is a conditioned equation.

9. Observation:

An observation is a numerical value of the measured quantity and may be either direct (or) indirect.

10. Direct Observation:

A direct observation is the one made directly on the quantity being determined. Eg: Measurement of base line.

11. Indirect Observation:

An indirect observation is one in which the observed value is deduced from the measurement of some related quantities.

Eg: Measurement of Angle by repetition method.

12. Weight of an Observation:

The weight of an observation is a number giving an indication of its precision and trust worthiness, when making a comparison between several quantities of different worth.

If a certain observation of weight 4 it means that it is 4 times as much reliable as an observation of weight 1.

When two quantities (or) observations are assumed to be equally reliable, the observed values are said to be of equal weight (or) of unit weight.

13. Weighted Observations:

Observations are weighted when different weights are assigned to them. Eg: $A=30^{\circ}40'$ - wt 3
It means A is measured 3 times.

14. Observed value of a Quantity:

An observed value of a quantity is a value obtained when it is corrected for all the known errors. Observed value = Measured value \pm errors (or) corrections.

15. True value of Quantity:

It is the value which is absolute free from all the errors.

16. True Error:

A true error is the difference b/w the true value of the quantity and its observed value. True value = True value – observed value

The most probable value of the quantity is the value which is more likely to be the true value than any other value.

17. Most probable Errors:

It is defined as the quantity which added to and subtracted from the most probable value, fixes the limit within which it is an even chance the true value of the measured quantity must lie.

18. Residual Error:

It is diff b/w the most probable value of the quantity and its observed value. Residual Errors = most probable value – observed value

19. Observation Equation:

It is the relation b/w the observed quantity and its numerical value.

20. Normal Equation:

It is the equation which is formed by the multiplying each equation by the coefficient of the unknown, whose normal equation is to be formed out by adding the equation thus formed.

UNIT- IV 2-Marks

1. Celestial sphere :

It is an imaginary sphere on which the stars appear to lie or to be studded is known as the Celestial sphere.

2. Zenith (z) :

It is the point on the upper portion of the celestial sphere marked by plumb line above the observer. It is the point on the celestial sphere immediately above the observer's station.

3. Nadir (Z', or, N):

It is the point on the lower portion of the celestial sphere marked by plumb line below the observer. It is the point on the celestial sphere vertically below the observer's station.

4. Celestial Horizon:

It is also called true or Rational horizon or geocentric horizon. It is the great circle traced upon the celestial sphere by that plane which is perpendicular to the zenith –Nadir line and which passes through the centre of the earth.

5. The terrestrial poles and equator :

The terrestrial poles are the two points in which the earth's axis of rotation meets the earth's sphere.

The terrestrial equator is the great circle of the earth, the plane of which is at right angles to the axis of rotation. The two poles are equidistant from it.

6. The celestial poles and equator :

If the earth's axis of rotation is produced indefinitely, it will meet the celestial sphere in two points called the North & South celestial poles (P and

P').

The celestial equator is the great circle of the celestial sphere in which it is intersected by the plane or terrestrial equator.

7. Sensible horizon:

It is a circle in which a plane passing through the point of observation and tangential to the earth's surface intersects with celestial sphere. The line of sight of an accurately leveled telescope lies in this plane.

8. Visible horizon :

It is a circle of contact, with the earth, of the cone of visual rays passing through the point of observation.

9. Vertical circle :

A vertical circle of the celestial sphere is great circle passing through the zenith and nadir. They all cut the celestial horizon at right angles.

10. The Observers Meridian:

The meridian of any particular point is that circle which passes through the zenith and nadir of the point as well as through the poles.

11. Prime vertical:

It is the particular vertical circle which is at right angles to the meridian and which therefore passes through the east & west points of horizon.

12. Latitude (θ):

It is the angular distance of any place on the earth's surface north or south of the equator, and is measured on the meridian of the place. It is also defined as the angle between the zenith and the celestial equator.

13. The co-latitude :

The co-latitude of a place is the angular distance from the zenith to the pole. It is the complement of the latitude and equal to $(90^0 - \theta)$.

14. The longitude ():

The longitude of a place is the angle between a fixed reference meridian called the prime or first meridian and the meridian of the place.

15. The altitude (α):

The altitude of celestial or heavenly body (i.e., a sun or star) is its angular distance above the horizon, measured on the vertical circle passing through the body.

16. The co-altitude or zenith distance (z):

It is the angular distance of heavenly body from the zenith. It is the complement of the altitude.

17. The Azimuth:

The azimuth of a heavenly body is the angle between the observer's meridian and the vertical circle passing through the body.

18. The Declination:

The declination of a celestial body is angular distance from the plane of the equator, measured along the star's meridian generally called the declination circle. Declination varies from 0^0 to 90^0 , and is marked + or - according as the body is north or south of the equator.

19. Hour circle:

Hour circles are great circles passing through the north and south celestial poles. The declination circle of a heavenly body is thus its hour circle.

20. The hour angle:

The hour angle of a heavenly body is the angle between the observer's meridian and the declination circle passing through the body. The hour angle is always measured westwards.

1. Hydrographic Survey:

Hydrographic Survey is that branch of surveying which deals with the measurement of bodies of water. It is the art of delineating the submarine levels, contours and features of seas, gulfs, rivers and lakes.

2. Sounding :

The measurement of depth below the water surface is called sounding.

3. Tides:

All celestial bodies exert a gravitational force on each other. These forces of attraction between earth & other celestial bodies cause periodical variations in the level of water surface, known as tides.

4. Equilibrium Theory :

The earth is covered all around by the ocean of uniform depth. The ocean is capable of assuming the equilibrium.

5. Mean sea level :

Mean sea level may be defined as the mean level of the sea, obtained by taking the mean of all the height of the tide as measured at hourly intervals over some states period covering a whole number of complete tides.

6. Fathometer :

A fathometer is used for ocean sounding where the depth of water is too much and to make a continuous and accurate record of depth of water below the boat or ship at which it is installed.

7. Photographic Survey :

It is also called photogrammetry. It is a method of surveying in which plant or maps are prepared from photographs taken from Suitable camera station. It is divided into two.

Terrestrial photography
Aerial photography

8. Photo theodolite:

It is the combination of photo with theodolite and is used for taking photographs & measuring the angles which the vertical plane of collimation makes with the base line.

9. Stereoscopic pairs:

It means two photos are obtained for a Single object from two point one at each.

10. Parallax:

In normal binocular vision the apparent movement of a point viewed first with one eye and then the other is known a parallax.

11. Angle of Parallax:

It is the angle of convergence of the two rays of vision.

12. Stereoscopic fusion:

If a pair of photographs is taken of an object from two slightly different positions of the camera and then viewed by an apparatus which ensures that the left eye sees only the left-hand picture & right eye is directed to the right hand picture, the two separate images of the object will fuse together in the brain to provide the observer with spatial impression. This is known as a Stereoscopic fusion.

13. Stereo pair:

The pair of two such photographs is known as stereo pair. The effect of distortions exist in a single photograph may be eliminated through a large extend of stereo pairs.

14. Parallax bar:

A parallax bar used to measure difference of two points, consists of a bar which holds a fixed plate of transparent material near the left end and a movable plate to the right end.

15. Floating mark:

In parallax bar, when the two dots are viewed properly under a stereoscope they fuse into a single dot called floating mark.

16. Mosaics :

Such an assembly of getting series of overlapping photograph is called mosaic.

17. Types of EDM instrument :

Tellurimeter
Geodimeter
Distomats

18. Cartography :

It is the marking and study of maps in all their aspects. It is an important branch of graphics, since it is an extremely efficient way of manipulating, analyzing, & expressing ideas, forms & relationships that occur in two & three dimensional space.

19. Cadastral survey :

Cadastral means, “Registration concern Land Survey”. It is of one of based on national land survey based on land survey law.

20. Modulation :

Amplitude
modulation
Frequency
modulation

In amplitude modulation, the carrier wave has constant frequency & the modulating wave (the measurement wave) in formation is conveyed by the amplitude of the carrier wave. In the frequency modulation the carrier wave has constant amplitude, while the frequency varies in proportion to the amplitude of the modulation wave.

21. Methods of Measuring Velocity flow:

Surface float
Sub surface float
Velocity ropes
Picot tube method & Current meter mean.

Reg. No. :

Question Paper Code : 10222

B.E./B.Tech. DEGREE EXAMINATION, MAY/JUNE 2012.

Fourth Semester

Civil Engineering

CE 2254/101404/CE 45/CE 1254/080100021 — SURVEYING — II

(Common to PTCE 2254 — Surveying II for B.E. (Part-Time) Second Semester — Civil Engineering — Regulation 2009)

(Regulation 2008)

Time : Three hours

Maximum : 100 marks

Answer ALL questions.

PART A = $(10 \times 2 = 20$ marks)

1. What is a tacheometer?
 2. Enumerate the errors caused due to manipulation and sighting in tacheometric surveying.
 3. Triangulation networks for covering a large area are composed of any one or a combination of basic figures arranged as a series of chains or a connected centralized network. Enumerate any two such arrangements.
 4. List any four corrections that may be necessary when measuring the length of a baseline.
 5. Distinguish between the observed value and the most probable value of a quantity.
 6. What are normal equations?
 7. Define the Right Ascension (R.A.).
 8. Enumerate the properties of a spherical triangle.
 9. What is a fathometer?
 10. Differentiate between 'tilted photograph' and 'oblique photograph'.

PART B — (5 × 16 = 80 marks)

11. (a) (i) You are given a theodolite fitted with stadia hairs, the object glass of telescope being known to have a focal length of 230 mm and to be at a distance of 138 mm from the trunnion axis. You are told that the multiplying constant for the instrument is believed to be 180. The following Tacheometric readings are then taken from an instrument station A, the reduced level of which is 15.05 m. (10)

Instrument at	Height of Instrument (m)	Sight to	Vertical angle	Stadia Readings	Remarks
A	1.380	B	+ 30°	1.225/ 1.422/ 1.620	Staff held Vertical RL of B = 40.940 m
A	1.380	C	+ 45°	1.032/ 1.181/ 1.330	Staff held normal to line of sight

Find the distance AB, AC and Reduced level of C.

- (ii) Explain how you will obtain in the field, the constants of a tacheometer. (6)

Or

- (b) (i) The vertical angles to vanes fixed at 1 m and 3 m above the foot of staff held vertically at a station A were 03° 10' and 05° 24' respectively. Find the horizontal distance and the reduced level of A if the height of the instrument axis is 138.556 m above datum. (6)
- (ii) A tacheometer was set up at station A and the following readings were obtained on a vertically held staff. (10)

Instrument Station	Staff station	Vertical angle	Stadia hair readings	Remarks
A	B.M.	- 02°18'	3.225, 3.550, 3.875	R.L. of B.M. = 425.515 m
A	B	+08°36'	1.650, 2.515, 3.380	

Find the distance between A and B, R.L. of B.

12. (a) (i) A steel tape of nominal length 30 m was suspended between two supports to measure the length of a line. The measured length on a slope of 04°25' is 29.861 m. The mean temperature during measurement was 15° C and pull applied was 120 N. If standard length of the tape was 30.008 m at 27°C and the standard pull of 50 N, calculate the correct horizontal length. Take the weight of the tape as 0.16 N m^{-1} , its cross sectional area equal to 2.75 mm^2 coefficient of linear thermal expansion = 1.2×10^{-5} per degree Celsius and $E = 2.05 \times 10^5 \text{ N mm}^{-2}$. (12)
- (ii) Enumerate the points to be borne in mind while selecting the triangular stations. (4)

Or

- (b) (i) Two stations P and Q are 81 km apart. They are situated on either side of a sea. The instrument axis at P is 39 m above MSL. The elevation of Q is 207 m above MSL. Calculate the minimum height of the signal at Q. The coefficient of refraction is 0.08 and the mean radius of earth is 6370 km. (10)
- (ii) Briefly explain the following :
 (1) Satellite stations
 (2) Phase of a signal. (2 × 3 = 6)

13. (a) Some leveling were carried out with the following results.

	Rise or Fall	Weight
P to Q	+ 4.32 m	1
Q to R	+ 3.17 m	1
R to S	+ 2.59 m	1
S to P	- 10.04 m	1
Q to S	+ 5.68 m	2

The R.L. of P is known to be 131.31 m above datum. Determine the probable levels of other points. (16)

Or

- (b) (i) Explain in brief the difference between 'standard error' and 'Probable error'. (6)
- (ii) The following are the mean values observed in the measurement of three angles $\angle A$, $\angle B$ and $\angle C$ at a station.

$\angle A$	=	$76^\circ 42' 46.2''$	Weight 4
$\angle A + \angle B$	=	$134^\circ 36' 32.6''$	Weight 3
$\angle B + \angle C$	=	$185^\circ 35' 24.8''$	Weight 2
$\angle A + \angle B + \angle C$	=	$262^\circ 18' 10.4''$	Weight 1

Calculate the most probable value of each angle using normal equation. (10)

14. (a) (i) With the help of a sketch, explain the construction of an astronomical triangle. Obtain the relations existing amongst the spherical coordinates. (8)
- (ii) Find the GMT corresponding to the LMT $9^h 40^m 12^s$ A.M. at a place in longitude $42^\circ 36' W$. (4)
- (iii) Derive an expression for correction for refraction to be applied to the observed or apparent altitudes of the celestial bodies. (4)

Or

- (b) (i) The mean observed altitude of the sun, corrected for refraction, parallax and level was $36^\circ 14' 16.8''$ at a place in latitude $36^\circ 40' 30'' N$ and longitude $56^\circ 24' 12'' E$. The mean watch time of observation was $15^\circ 49^m 12.6^s$, the watch being known to be about 3^m fast on LMT. Find the watch error given the following :
 Declination of sun at the instant of observation = $+ 17^\circ 26' 42.1''$
 GMT of GAN = $11^\circ 56^m 22.8^s$ (8)

- (ii) Find the azimuth of the line QR from the following ex-meridian observations for azimuth.

Object	Face	Altitude Level	
		O	E
1 Q	L	—	—
2 Sun	L	5.4	4.6
3 Sun	R	5.2	4.8
4 R	R	—	—
Horizontal Circle		Vertical Circle	
A	B	C	D
1 $30^{\circ}12'20''$	$210^{\circ}12'10''$	—	—
2 $112^{\circ}20'30''$	$292^{\circ}20'20''$	$24^{\circ}30'20''$	$24^{\circ}30'40''$
3 $293^{\circ}40'40''$	$113^{\circ}40'30''$	$25^{\circ}00'00''$	$25^{\circ}01'00''$
4 $211^{\circ}50'30''$	$31^{\circ}50'20''$	—	—

Latitude of station Q = $36^{\circ}48'30''$ N

Longitude of station Q = $4^{\text{h}} 12^{\text{m}} 32^{\text{s}}$ E

Declination of the sun at GMN = $01^{\circ}32'16.8''$ N decreasing at $56.2''$ per hour

Mean of LMT of two observations = $4^{\text{h}} 15^{\text{m}} 30^{\text{s}}$ P.M. by watch

Watch running $4''$ slow at noon, gaining $0.8''$ per day

Value of level division = $15''$

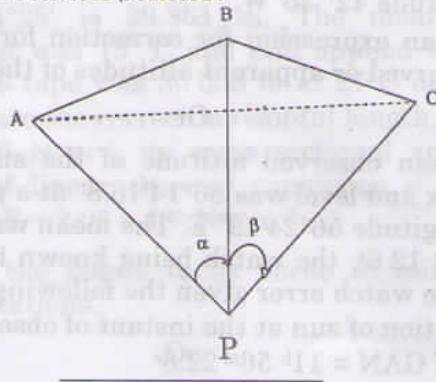
Correction for horizontal parallax = $8.76''$

Correction for refraction = $57'' \cot(\text{apparent altitude})$ (8)

15. (a) (i) With the help of suitable sketches, explain the following methods of locating soundings.
- (1) Location by range and one angle from the shore
 - (2) Location by two angles from the shore (2 × 4 = 8)
- (ii) A camera having focal length of 20 cm is used to take a vertical photograph of a terrain having an average elevation of 1500 m. What is the height above sea level at which an aircraft must fly in order to get the scale of 1 : 8000? (4)
- (iii) The scale of an aerial photograph is 1 cm = 100 m. The photograph size is 20 cm × 20 cm. Determine the number of photographs required to cover an area of 100 sq. km if the longitudinal overlap is 60% and the side lap is 30%. (4)

Or

- (b) (i) Explain the principle underlying "Electronic Distance Measurement". Write a note on errors in EDM. (8)
- (ii) Given the three shore signals A, B and C and the angles α and β subtended by AP, BP and CP at the boat P, it is required to plot the position of P (refer Figure below). How will you obtain the position of P using a Station pointer? (8)



Question Paper Code : 10222

B.E./B.Tech. DEGREE EXAMINATION, MAY/JUNE 2012.

Fourth Semester

Civil Engineering

CE 2254/101404/CE 45/CE 1254/080100021 — SURVEYING — II

(Common to PTCE 2254 — Surveying II for B.E. (Part-Time) Second Semester — Civil Engineering — Regulation 2009)

(Regulation 2008)

Time : Three hours

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Answer ALL questions.

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1. What is a tacheometer?
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PART B — (5 × 16 = 80 marks)

11. (a) (i) You are given a theodolite fitted with stadia hairs, the object glass of telescope being known to have a focal length of 230 mm and to be at a distance of 138 mm from the trunnion axis. You are told that the multiplying constant for the instrument is believed to be 180. The following Tacheometric readings are then taken from an instrument station A, the reduced level of which is 15.05 m. (10)

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Find the distance AB, AC and Reduced level of C.

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	Horizontal Circle		Vertical Circle	
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1	30°12'20"	210°12'10"	—	—
2	112°20'30"	292°20'20"	24°30'20"	24°30'40"
3	293°40'40"	113°40'30"	25°00'00"	25°01'00"
4	211°50'30"	31°50'20"	—	—

Latitude of station Q = 36°48'30" N

Longitude of station Q = 4° 12' 32" E

Declination of the sun at GMN = 01°32'16.8" N decreasing at 56.2" per hour

Mean of LMT of two observations = 4° 15' 30" P.M. by watch

Watch running 4" slow at noon, gaining 0.8" per day

Value of level division = 15"

Correction for horizontal parallax = 8.76"

Correction for refraction = 57" cot (apparent altitude) (8)

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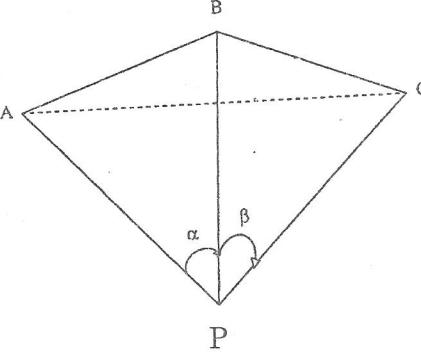
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Reg. No. :

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Question Paper Code: E3049

B.E./B.Tech. DEGREE EXAMINATION, APRIL/MAY 2010

Fourth Semester

Civil Engineering

CE2254 — SURVEYING – II

(Regulation 2008)

Time: Three hours

Maximum: 100 Marks

Answer ALL Questions

PART A — (10 × 2 = 20 marks)

1. Why is an anallactic lens provided in tacheometer?
2. What are the multiplying constant and additive constant of a tacheometer?
3. What is meant by phase of a signal?
4. What do you understand by eccentricity of signal?
5. Define conditioned quantity.
6. What is meant by weight of an observation?
7. What is equation of time?
8. Distinguish between latitude and co-latitude.
9. What do you understand by parallax?
10. Distinguish between crab and drift.

PART B — (5 × 16 = 80 Marks)

11. (a) (i) Derive the expressions for horizontal and vertical distance by fixed hair method when the line of sight is inclined and staff is held vertically. (8)
- (ii) Determine the gradient from a point P to a point Q from the following observations carried out with a tacheometer fitted with an anallactic lens.

Instrument station	Staff point	Bearing	Vertical angle	Staff readings
O	P	340°	+17°	0.760, 1.455, 2.170
O	Q	70°	+12°	0.655, 1.845, 3.150

Assume that the staff is held vertical and that the multiplying constant of the instrument is 100. (8)

Or

- (b) (i) Explain the objectives and theory of the anallactic lens. (8)
- (ii) The following are the observations taken by a theodolite.

Inst. station	Staff station	Target	Vertical angle	Staff reading	Remarks
A	BM	Lower	-12°	0.650	RL of the bench mark = 500.500 m
		Upper	-9°	2.550	
A	B	Lower	-6°	1.255	
		Upper	+4°	3.100	

Find out the R.L. of B and the distance between the BM and station B. (8)

12. (a) (i) What is meant by a satellite station and reduction to centre? Derive the expression for reducing the angles measured at the satellite station to centre. (8)
- (ii) The following observations were made on a satellite station S to determine angle BAC.

Line	Length	Line	Bearing
SA	9.500 m	SA	0° 00'00"
AB	2950 m	SB	78° 46' 00"
AC	3525 m	SC	100° 15' 00"

Calculate the angle BAC. (8)

Or

(b) (i) How do you determine the intervisibility of triangulation station? (7)

(ii) The elevation of two triangulation stations A and B, 150 km apart, are 250 m and 1050 m above MSL. The elevation of two peaks C and D on the profile between satellite stations are 300 m and 550 m respectively. The distance AC = 50 km and AD = 85 km. Design a suitable signal required at B, so that it is visible from the ground station A. (9)

13. (a) (i) What do you understand by the terms station adjustment and figure adjustment and also explain the method of adjustment by least squares. (8)

(ii) The angles of a triangle ABC recorded were as follows:

$$A = 77^\circ 14' 20'' \quad \text{weight 4}$$

$$B = 49^\circ 40' 35'' \quad \text{weight 3}$$

$$C = 53^\circ 04' 52'' \quad \text{weight 2}$$

Give the corrected values of the angles. (8)

Or

(b) (i) What is meant by weight of an observation and enumerate laws of weights giving examples. (8)

(ii) The following are the observed values of an angle.

Angle	weight
$18^\circ 09' 18''$	2
$18^\circ 09' 19''$	3
$18^\circ 09' 20''$	2

Determine probable error of observation of weight 3 and that of the weighted arithmetic mean. (8)

14. (a) (i) What is equation of time? Show that it vanishes four times a year. (8)

(ii) Determine the hour angle and declination of star from the following data :

$$\text{Altitude of the star} \quad 22^\circ 30'$$

$$\text{Altitude of the star} \quad 145^\circ \text{ E}$$

$$\text{Latitude of the observer } 49^\circ \text{ N.} \quad (8)$$

Or

- (b) (i) What are parallax and refraction and how do they affect the measurements of vertical angles in astronomical work? (8)
- (ii) If the GST of GMN is $13^{\text{h}} 29^{\text{m}} 28^{\text{s}}$, what will be the HA of the star of RA $22^{\text{h}} 19^{\text{m}} 20^{\text{s}}$ at a place in longitude $120^{\circ} 32' \text{W}$ at 2.10 A.M, GMT the same day. (8)
15. (a) Write in detail about the methods of locating soundings. (16)

Or

- (b) (i) Derive the parallax equation for determining the heights from a pair of vertical photographs. (8)
- (ii) Two ground points A and B appear on a pair of overlapping photographs which have been taken from a height of 3600 m above mean sea level. The base lines as measured on the two photographs are 89.5 and 90.5 mm respectively. The mean parallax bar readings for A and B are 29.32 and 30.82 mm. If the elevation of A above the mean sea level is 230.35 m, compute the elevation of B. (8)
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Reg. No. :

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Question Paper Code : 11209

B.E./B.Tech. DEGREE EXAMINATION, APRIL/MAY 2011

Fourth Semester

Civil Engineering

CE 2254 — SURVEYING — II

(Regulation 2008)

Time : Three hours

Maximum : 100 marks

Answer ALL questions

PART A — (10 × 2 = 20 marks)

1. Consider the horizontal distance equation $D = KS + C$. What are represented by K, S and C?
2. What is parallax? How it can be eliminated?
3. What is the objective of geodetic surveying?
4. What do you mean by a well-conditioned triangle?
5. Define weight of an observation.
6. Differentiate 'most probable error' from 'residual error'.
7. Distinguish between the 'Zenith' and the 'Nadir'.
8. Differentiate 'Tropic of Cancer' from 'Tropic of Capricorn'.
9. What do you mean by sounding?
10. Distinguish between 'terrestrial photogrammetry' and 'aerial photogrammetry'.

PART B — (5 × 16 = 80 marks)

11. (a) (i) A vane 3 m above the foot of a staff was sighted at a point 1200 m away from the instrument. The observed vertical angle was $-01^{\circ}30'$. The reduced level of the instrument station was 250.50 and the height of the instrument axis 1.5 m. Find the reduced level of the staff station. Apply the combined correction for curvature and refraction in finding the R.L. of the station. (4)
- (ii) Determine the gradient from a point A to a point B from the following observations made with a tacheometer fitted with an anallactic lens. The constant of the instrument was 100 and the staff was held vertically : (12)

Instrument station	Staff station	Bearing	Vertical angle	Staff readings
P	A	134°	$+10^{\circ}32'$	1.360, 1.915, 2.470
	B	224°	$+05^{\circ}06'$	1.065, 1.885, 2.705

Or

- (b) (i) Explain how you would compute the horizontal and vertical distances from the instrument station to the staff station in the tangential method of tacheometry. With the help of a schematic diagram, deduce the equations for the horizontal distance and the vertical distance when both the vertical angles measured are angles of elevation. (8)
- (ii) A theodolite was set up at a distance of 150 m from a tower. The angle of elevation to the top of the tower was $10^{\circ}08'$, while the angle of depression to the foot of the tower was $03^{\circ}12'$. The staff reading on the B.M. of R.L. 50.217 with the telescope horizontal was 0.880. Find the height of the tower and the reduced level of the top and foot of the tower. (8)
12. (a) (i) After measuring the length of a baseline, the correct length of the line is computed by applying various applicable corrections. Discuss the following corrections and provide expressions for determining them.
- (1) Correction for temperature
(2) Correction for pull
(3) Correction for sag $(3 \times 3 = 9)$
- (ii) From an eccentric station S, 12.25 m to the west of the main station B, the following angles were measured.
 $\angle BSC = 76^{\circ}25'32''$
 $\angle CSA = 54^{\circ}32'20''$
- The stations S and C are to the opposite sides of the line AB. Calculate the correct angle ABC if the length AB and BC are 5286.5 m and 4932.2 m respectively. (7)

Or

- (b) A steel tape 20 m long standardized at 55°F with a pull of 98.1 N was used for measuring a baseline. Find the correction per tape length, if the temperature at the time of measurement was 80°F and the pull exerted was 156.96 N. Weight of 1 cubic metre of steel = 77107 N. Weight of tape = 7.85 N and $E = 2.05 \times 10^5$ N/mm². Coefficient of linear expansion of tape per °F = 6.2×10^{-6} . (1)

13. (a) Find the most probable values of the angles A, B and C from the following observations at a station P.

$A = 38^\circ 25' 20''$	weight 1
$B = 32^\circ 36' 12''$	weight 1
$A + B = 71^\circ 01' 29''$	weight 2
$A + B + C = 119^\circ 10' 43''$	weight 1
$B + C = 80^\circ 45' 28''$	weight 2

(16)

Or

- (b) (i) Form the normal equations for x, y and z in the following equations of equal weight: (8)

$$\begin{aligned}3x + 3y + z - 4 &= 0 \\x + 2y + 2z - 6 &= 0 \\5x + y + 4z - 21 &= 0.\end{aligned}$$

- (ii) If the weights of the above equations are 2, 3 and 1 respectively, form the normal equations for x, y and z. (8)

14. (a) (i) Describe the Napier's rules of circular parts in obtaining the solution of right-angles spherical triangle. (8)
(ii) Find the shortest distance between two places A and B, given that the latitudes of A and B are 15°00' N and 12°06' N and their longitudes are 50°12' E and 54°00' E respectively. Find also the directions of B on the great circle route. Radius of earth = 6370 km. (8)

Or

- (b) (i) Write a detailed note :
(1) Sidereal time
(2) Solar Apparent Time $(2 \times 4 = 8)$
(ii) The following observations of the sun were taken for azimuth of a line in connection with a survey.

Meantime = 16 h 30 m

Mean hour angle between sun and referring object = $18^{\circ}20'30''$

Mean corrected altitude = $33^{\circ}35'10''$

Declination of the sun from Nautical Almanac = + $22^{\circ}05'36''$

Latitude of the place = $52^{\circ} 30' 20''$

Determine the azimuth of the line. (8)

15. (a) Describe the following methods of locating soundings.

- (i) By range and one angle from the shore
- (ii) By one angle from the shore and one angle from the boat
- (iii) By intersecting ranges
- (iv) By conning the survey vessel.

(4 × 4 =

Or

(b) (i) Explain the following :

- (1) Scale of a vertical photograph
- (2) Relief displacement on a vertical photograph. (2 × 4 = 8)
- (ii) A section line AB appears to be 10.16 cm on a photograph for which the focal length is 16 cm. The corresponding line measures 2.54 cm on a map which is to a scale 1/50,000. The terrain has an average elevation of 200 m above mean sea level. Calculate the flying altitude of the aircraft, above mean sea level, when the photograph was taken.

(8)