Program – 1:

AIM: To implement 8 puzzle problem using python

AlGORITHM:

1.State Representation: Represent the puzzle as a 3x3 grid, where each cell contains a number(1-8) and one single cell consists of empty space(0).

2.Node Representation: Each node in the search tree represents a state of puzzle. It contains the current state, the previous state(parent), the move that led to this state, and the cost(usually the sum of the path cost and a heuristic estimate).

3.Heuristic Function: Choose a heuristic function that estimates the cost from the current state to goal state. A common heuristic function for the 8-puzzle is the Manhattan distance, which is the sum of the horizontal and vertical distances of each tile to its correct position.

4.Priority Queue: Use a priority queue to store nodes during the search. Nodes are dequeued based on their total cost.

5.A\* Algorithm:

a. Initialize the priority queue with the initial state.

b. While the priority queue is not empty:

i. Dequeue the node with the lowest total cost.

ii. If the current state is the goal state, the solution is found.

iii. Generate succeesor states by moving the empty space in all possible directions.

iv. For the successor state: Calculate the cost(path cost + heuristic cost).

6.Solution Extraction: Once the goal state is reached, follow the parent pointers from the goal node to initial node to extract the sequence of moves that lead to the solution.

CODE:

# Importing the 'copy' for deepcopy method

import copy

# Importing the heap methods from the python

# library for the Priority Queue

from heapq import heappush, heappop

# This particular var can be changed to transform

# the program from 8 puzzle(n=3) into 15

# puzzle(n=4) and so on ...

n = 3

# bottom, left, top, right

rows = [ 1, 0, -1, 0 ]

cols = [ 0, -1, 0, 1 ]

# creating a class for the Priority Queue

class priorityQueue:

# Constructor for initializing a

# Priority Queue

def \_\_init\_\_(self):

self.heap = []

# Inserting a new key 'key'

def push(self, key):

heappush(self.heap, key)

# funct to remove the element that is minimum,

# from the Priority Queue

def pop(self):

return heappop(self.heap)

# funct to check if the Queue is empty or not

def empty(self):

if not self.heap:

return True

else:

return False

# structure of the node

class nodes:

def \_\_init\_\_(self, parent, mats, empty\_tile\_posi,

costs, levels):

# This will store the parent node to the

# current node And helps in tracing the

# path when the solution is visible

self.parent = parent

# Useful for Storing the matrix

self.mats = mats

# useful for Storing the position where the

# empty space tile is already existing in the matrix

self.empty\_tile\_posi = empty\_tile\_posi

# Store no. of misplaced tiles

self.costs = costs

# Store no. of moves so far

self.levels = levels

# This func is used in order to form the

# priority queue based on

# the costs var of objects

def \_\_lt\_\_(self, nxt):

return self.costs < nxt.costs

# method to calc. the no. of

# misplaced tiles, that is the no. of non-blank

# tiles not in their final posi

def calculateCosts(mats, final) -> int:

count = 0

for i in range(n):

for j in range(n):

if ((mats[i][j]) and

(mats[i][j] != final[i][j])):

count += 1

return count

def newNodes(mats, empty\_tile\_posi, new\_empty\_tile\_posi,

levels, parent, final) -> nodes:

# Copying data from the parent matrixes to the present matrixes

new\_mats = copy.deepcopy(mats)

# Moving the tile by 1 position

x1 = empty\_tile\_posi[0]

y1 = empty\_tile\_posi[1]

x2 = new\_empty\_tile\_posi[0]

y2 = new\_empty\_tile\_posi[1]

new\_mats[x1][y1], new\_mats[x2][y2] = new\_mats[x2][y2], new\_mats[x1][y1]

# Setting the no. of misplaced tiles

costs = calculateCosts(new\_mats, final)

new\_nodes = nodes(parent, new\_mats, new\_empty\_tile\_posi,

costs, levels)

return new\_nodes

# func to print the N by N matrix

def printMatsrix(mats):

for i in range(n):

for j in range(n):

print("%d " % (mats[i][j]), end = " ")

print()

# func to know if (x, y) is a valid or invalid

# matrix coordinates

def isSafe(x, y):

return x >= 0 and x < n and y >= 0 and y < n

# Printing the path from the root node to the final node

def printPath(root):

if root == None:

return

printPath(root.parent)

printMatsrix(root.mats)

print()

# method for solving N\*N - 1 puzzle algo

# by utilizing the Branch and Bound technique. empty\_tile\_posi is

# the blank tile position initially.

def solve(initial, empty\_tile\_posi, final):

# Creating a priority queue for storing the live

# nodes of the search tree

pq = priorityQueue()

# Creating the root node

costs = calculateCosts(initial, final)

root = nodes(None, initial,

empty\_tile\_posi, costs, 0)

# Adding root to the list of live nodes

pq.push(root)

# Discovering a live node with min. costs,

# and adding its children to the list of live

# nodes and finally deleting it from

# the list.

while not pq.empty():

# Finding a live node with min. estimatsed

# costs and deleting it form the list of the

# live nodes

minimum = pq.pop()

# If the min. is ans node

if minimum.costs == 0:

# Printing the path from the root to

# destination;

printPath(minimum)

return

# Generating all feasible children

for i in range(n):

new\_tile\_posi = [

minimum.empty\_tile\_posi[0] + rows[i],

minimum.empty\_tile\_posi[1] + cols[i], ]

if isSafe(new\_tile\_posi[0], new\_tile\_posi[1]):

# Creating a child node

child = newNodes(minimum.mats,

minimum.empty\_tile\_posi,

new\_tile\_posi,

minimum.levels + 1,

minimum, final,)

# Adding the child to the list of live nodes

pq.push(child)

# Main Code

# Initial configuration

# Value 0 is taken here as an empty space

initial = [ [ 1, 2, 3 ],

[ 5, 6, 0 ],

[ 7, 8, 4 ] ]

# Final configuration that can be solved

# Value 0 is taken as an empty space

final = [ [ 1, 2, 3 ],

[ 5, 8, 6 ],

[ 0, 7, 4 ] ]

# Blank tile coordinates in the

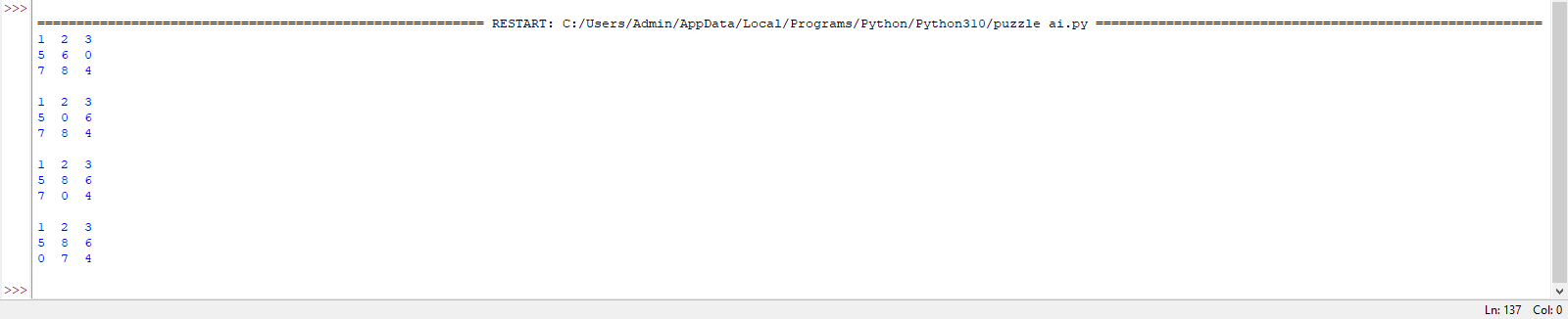
# initial configuration

empty\_tile\_posi = [ 1, 2 ]

# Method call for solving the puzzle

solve(initial, empty\_tile\_posi, final)

Output:



Result: The program to execute 8 puzzle program is successfully executed.

PROGRAM 2:

AIM: Write a python program to implement n – Queen Problem.

AlGORITHM:

Step 1:Board Representation: Represent the chessboard as an 8x8 grid, where each cell can be either empty or occupied by a queen.

Step 2: Place Queen Function: Implement a function that attempts to place a queen in a given row. This function should check if the placement is valid by ensuring that no other queens threaten the newly placed queen.

Step 3: Backtracking Algorithm: a. Start with an empty chessboard. b. For each row from 0 to 7: i. Call the "Place Queen" function for the current row. ii. If a valid placement is found, move to the next row. iii. If no valid placement is found, backtrack to the previous row and continue searching for valid placements. c. If a valid placement is found for all rows, a solution is found.

Step 4: Recursion and Backtracking: a. The "Place Queen" function:

i. Given a row, try placing a queen in each column of that row.

ii. Check if the placement is valid by ensuring that no other queens threaten the newly placed queen.

iii. If the placement is valid, mark the cell as occupied by a queen and move to the next row recursively.

iv. If no valid placement is found in the current row, backtrack by removing the queen from the cell and returning to the previous row.

Step 5: Solution Extraction: Once a solution is found, you can extract the positions of the queens on the board to visualize the solution.

CODE:

def is\_safe(board, row, col):

# Check if it's safe to place a queen at board[row][col]

# Check the column

for i in range(row):

if board[i][col] == 1:

return False

# Check upper left diagonal

for i, j in zip(range(row, -1, -1), range(col, -1, -1)):

if board[i][j] == 1:

return False

# Check upper right diagonal

for i, j in zip(range(row, -1, -1), range(col, len(board))):

if board[i][j] == 1:

return False

return True

def solve\_n\_queens\_util(board, row):

if row == len(board):

return True

for col in range(len(board)):

if is\_safe(board, row, col):

board[row][col] = 1

if solve\_n\_queens\_util(board, row + 1):

return True

board[row][col] = 0

return False

def solve\_n\_queens(n):

board = [[0] \* n for \_ in range(n)]

if not solve\_n\_queens\_util(board, 0):

print("No solution exists.")

for row in board:

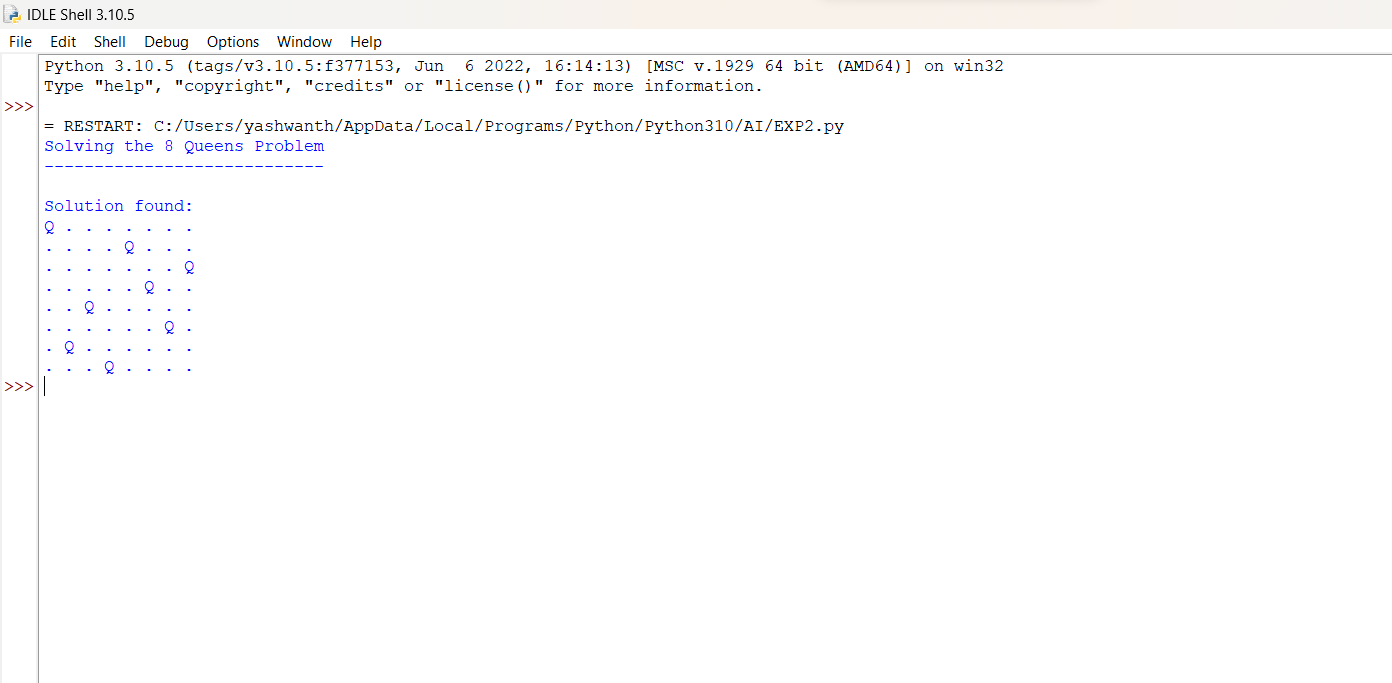
print(" ".join("Q" if cell == 1 else "." for cell in row))

if \_\_name\_\_ == "\_\_main\_\_":

n = 8 # Change this to the desired board size (e.g., 8 for 8-Queens)

solve\_n\_queens(n)

Output:



RESULT: python program for n queen problem is successfully executed.

PROGRAM 3:

AIM: Python program for water – jug – problem.

ALGORITHM:

STEP1:start the program

Step2:give the required commands for vacuum cleaner

Step3:Initialize two variables ***j1*** and ***j2*** to represent the current amount of water in each jug.

Step4:Set a target amount of water to measure out.

Step5:Create a list of possible actions, including filling a jug, emptying a jug, and pouring water from one jug to the other.

Step6: Create an empty set to keep track of visited states.

Step7:Create a stack to keep track of states to visit, and add the initial state to the stack.

PROGRAM:

class VacuumAgent:

def \_\_init\_\_(self):

self.location = 0 # 0 represents the left cell, and 1 represents the right cell

self.environment = ['Dirty', 'Dirty'] # Initial environment with two dirty cells

def sense(self):

return self.environment[self.location]

def clean(self):

self.environment[self.location] = 'Clean'

def move(self):

self.location = (self.location + 1) % 2 # Move to the other cell

def main():

vacuum = VacuumAgent()

for \_ in range(2):

print("Current location:", "Left" if vacuum.location == 0 else "Right")

status = vacuum.sense()

if status == 'Dirty':

print("Dirty cell found. Cleaning...")

vacuum.clean()

else:

print("Cell is clean.")

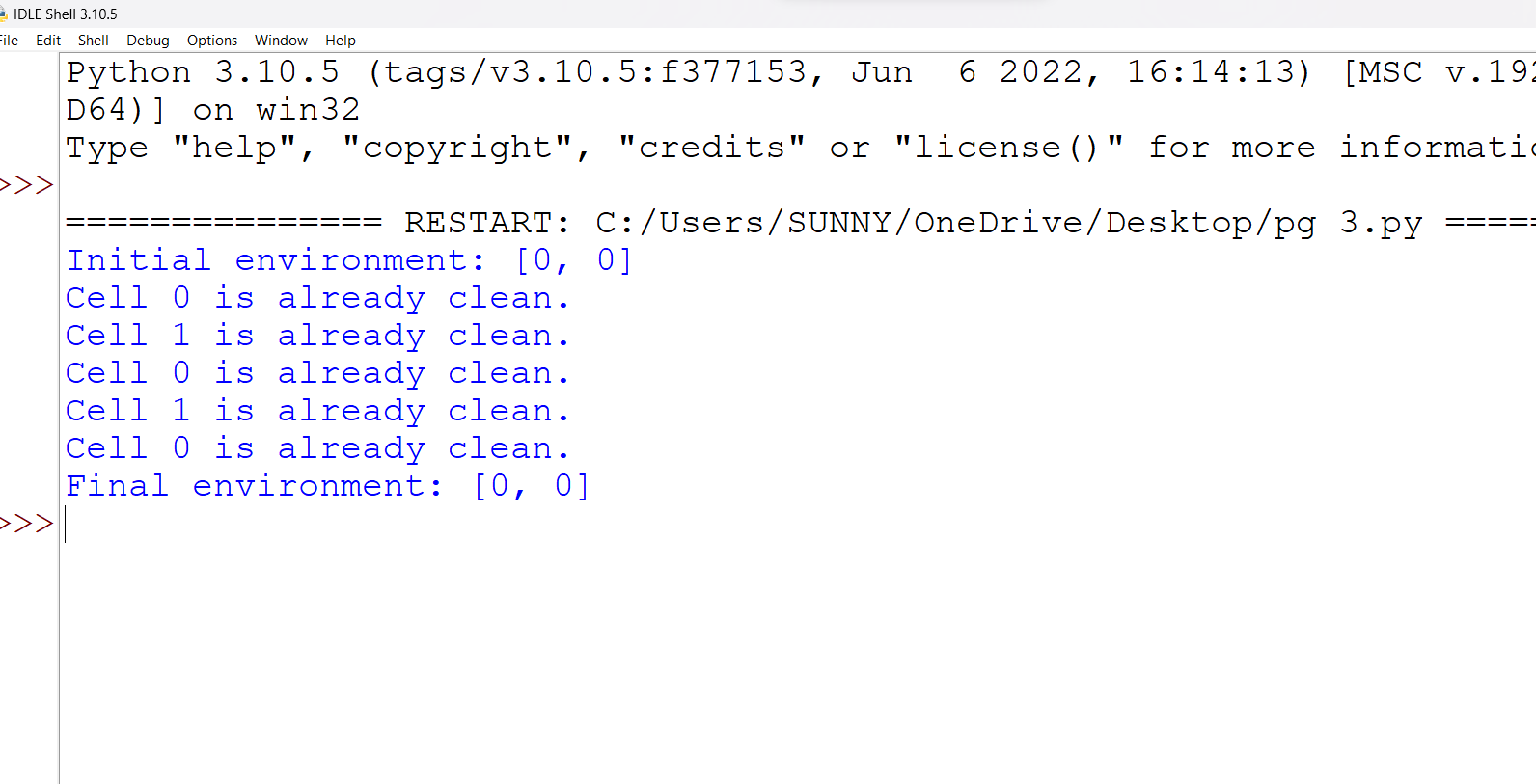
vacuum.move()

print("Moving to the next cell.\n")

if \_\_name\_\_ == "\_\_main\_\_":

main()

OUTPUT:



RESULT: python program for vaccum cleaner is successfully executed.

PROGRAM 4:

AIM: Cript-Arithmatic Problem

ALGORITHM:

STEP1:start the program

STEP 2:Generate all possible combinations of digit assignments for the letters involved.

STEP 3:For each combination, check if the equation holds true.

STEP 4:Print the combination that satisfies the equation.

STEP5:end the program.

CODE:

def solve\_criptarithmetic(puzzle):

words = puzzle.split()

unique\_letters = set("".join(words))

if len(unique\_letters) > 10:

print("There are more thswn 10 unique letters.Cannot solve.")

return

unique\_letters = list(unique\_letters)

for perm in generate\_permutations(range(10),len(unique\_letters)):

mapping = dict(zip(unique\_letters,perm))

if is\_valid\_solution(words,mapping):

return mapping

return None

def generate\_permutations(iterable,r):

pool = tuple(iterable)

n = len(pool)

indices = list(range(n))

cycles = list(range(n,n-r,-1))

yield tuple(pool[i] for i in indices[:r])

while n:

for i in reversed(range(r)):

cycles[i] -= 1

if cycles[i] == 0:

indices[i:] = indices[i+1:] + indices[i:i+1]

cycles[i] = n-i

else:

j = cycles[i]

indices[i],indices[-j] = indices[-j],indices[i]

yield tuple(pool[i] for i in indices[:r])

break

else:

return

def is\_valid\_solution(words,mapping):

values = []

for word in words:

value = 0

for char in word:

value = value \* 10 + mapping[char]

values.append(value)

return sum(values[:-1]) == values[-1]

if \_\_name\_\_ == "\_\_main\_\_":

puzzle = "SEND + MORE = MONEY"

solution = solve\_criptarithmetic(puzzle)

if solution:

print("Solution found,")

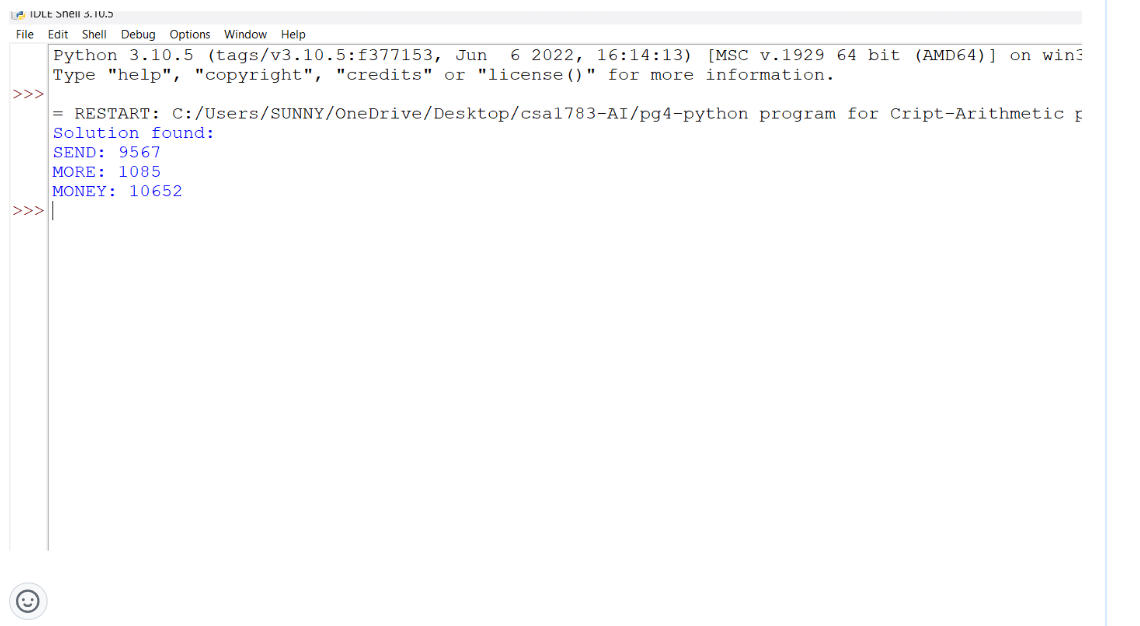
for char,digit in solution.items():

print(f"{char} -> {digit}")

else:

print("No solution found.")

OUTPUT:



RESULT:

Python program successfully executed.

PROGRAM 5:

AIM: Python program for Missionaries Cannibal problem.

**ALGORITHM:**

STEP1: One way to solve the Missionaries and Cannibals problem is to use a variation of the Breadth-First Search (BFS) algorithm.

STEP2:The idea is to represent the states of the problem (the number of missionaries and cannibals on each side of the river and the boat's location) as nodes in a graph.

STEP3:Then, by systematically exploring the graph using BFS, you can find a valid sequence of moves that solves the problem.

CODE:

def is\_valid\_state(state):

m\_left, c\_left, boat, m\_right, c\_right = state

if m\_left < 0 or c\_left < 0 or m\_right < 0 or c\_right < 0:

return False

if m\_left != 0 and m\_left < c\_left:

return False

if m\_right != 0 and m\_right < c\_right:

return False

return True

def generate\_next\_states(current\_state):

m\_left, c\_left, boat, m\_right, c\_right = current\_state

possible\_states = []

if boat == 'left':

for m in range(3):

for c in range(3):

if 1 <= m + c <= 2:

new\_state = (m\_left - m, c\_left - c, 'right', m\_right + m, c\_right + c)

if is\_valid\_state(new\_state):

possible\_states.append(new\_state)

else:

for m in range(3):

for c in range(3):

if 1 <= m + c <= 2:

new\_state = (m\_left + m, c\_left + c, 'left', m\_right - m, c\_right - c)

if is\_valid\_state(new\_state):

possible\_states.append(new\_state)

return possible\_states

def dfs\_search(initial\_state, goal\_state, visited\_states, path):

if initial\_state == goal\_state:

return path + [initial\_state]

visited\_states.add(initial\_state)

for next\_state in generate\_next\_states(initial\_state):

if next\_state not in visited\_states:

new\_path = dfs\_search(next\_state, goal\_state, visited\_states, path + [initial\_state])

if new\_path:

return new\_path

return None

if \_\_name\_\_ == "\_\_main\_\_":

initial\_state = (3, 3, 'left', 0, 0)

goal\_state = (0, 0, 'right', 3, 3)

visited\_states = set()

path = dfs\_search(initial\_state, goal\_state, visited\_states, [])

if path:

print("Solution found:")

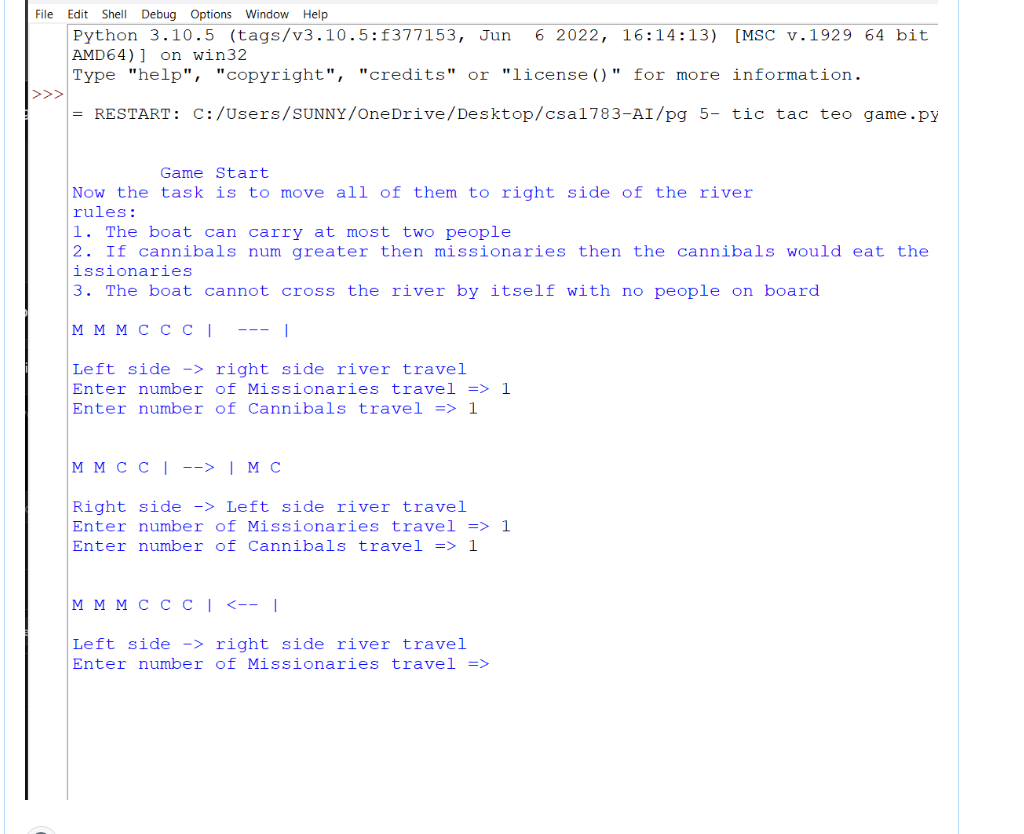
for state in path:

print(state)

else:

print("No solution found.")

OUTPUT:



RESULT: Python program for Missionaries Cannibal problem is successfully executed.

**PROGRAM-6:**

**AIM:** python program for Vacuum Cleaner problem.

**ALGORITHM:**

STEP1: Initialize: Start at a given position on the grid.

STEP 2:Check and Clean: If the current cell is dirty, clean it.

STEP 3:Move Decision: Choose the next cell to move to. Options include:

Move to the nearest dirty cell.

STEP 4:Move in a specific pattern (e.g., zig-zag) to ensure coverage.

STEP 5:Use a combination of both strategies for optimal cleaning.

STEP 6:Move: Move the vacuum cleaner to the chosen cell.

STEP 7:Repeat: Go back to step 2 until all cells are clean.

CODE:

class VacuumAgent:

def \_\_init\_\_(self):

self.location = 0 # 0 represents the left cell, and 1 represents the right cell

self.environment = ['Dirty', 'Dirty'] # Initial environment with two dirty cells

def sense(self):

return self.environment[self.location]

def clean(self):

self.environment[self.location] = 'Clean'

def move(self):

self.location = (self.location + 1) % 2 # Move to the other cell

def main():

vacuum = VacuumAgent()

for \_ in range(2):

print("Current location:", "Left" if vacuum.location == 0 else "Right")

status = vacuum.sense()

if status == 'Dirty':

print("Dirty cell found. Cleaning...")

vacuum.clean()

else:

print("Cell is clean.")

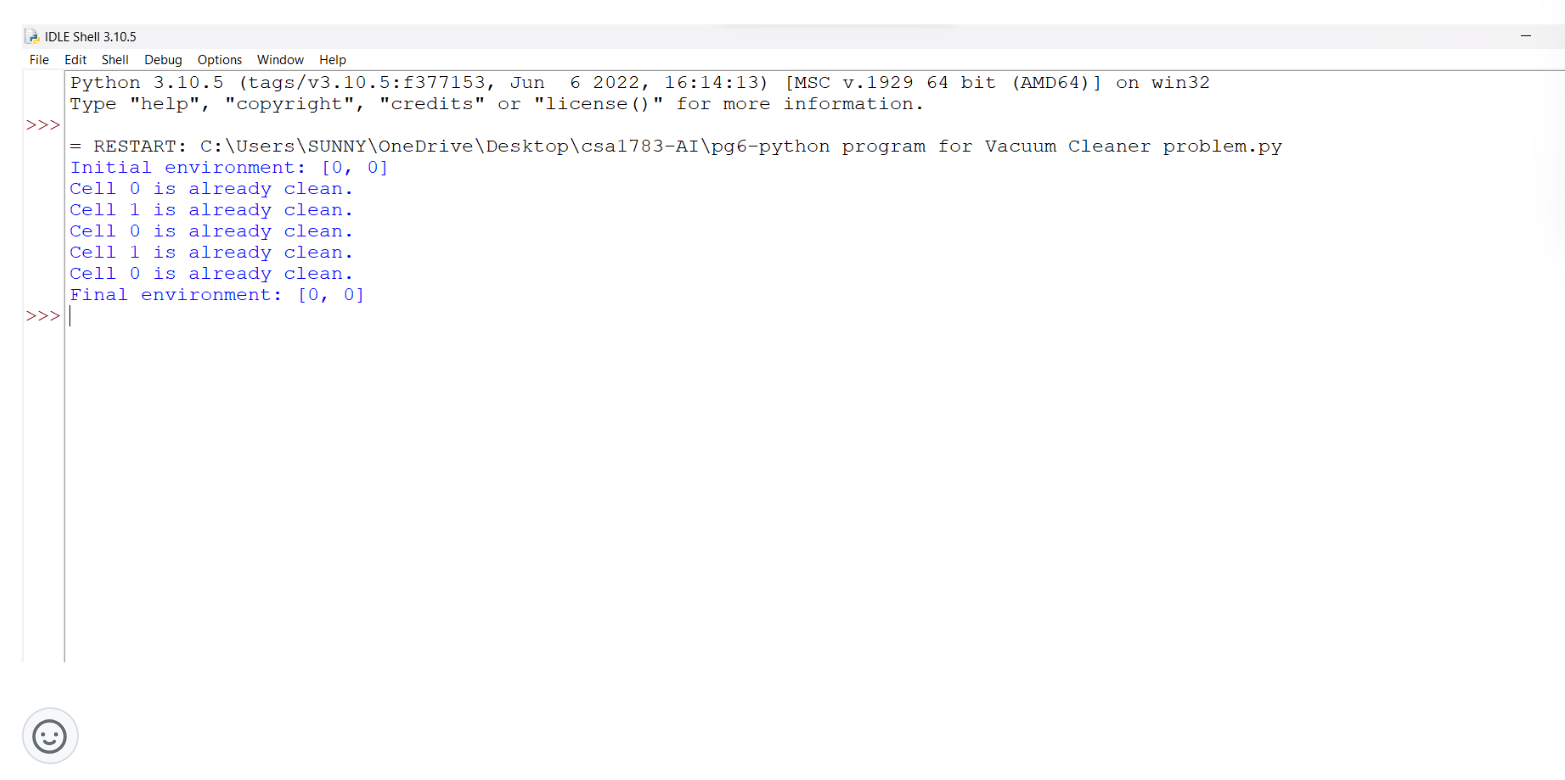
vacuum.move()

print("Moving to the next cell.\n")

if \_\_name\_\_ == "\_\_main\_\_":

main()

OUTPUT:



RESULT: python for Vacuum Cleaner problem is executed successfully in python.

**PROGRAM-7:**

**AIM:**

Python program to solve greedy best first search.

**ALGORITHM:**

STEP 1: Start from the initial node and enqueue it into the queue.

STEP 2:While the queue is not empty, dequeue a node and process it.

STEP 3:Enqueue all unvisited neighbors of the dequeued node.

STEP 4:Repeat steps 2 and 3 until the queue is empty.

CODE:

from collections import defaultdict, deque

class Graph:

def \_\_init\_\_(self):

self.graph = defaultdict(list)

def add\_edge(self, u, v):

self.graph[u].append(v)

def bfs(self, start\_node):

visited = set()

queue = deque([start\_node])

visited.add(start\_node)

while queue:

node = queue.popleft()

print(node, end=" ")

for neighbor in self.graph[node]:

if neighbor not in visited:

queue.append(neighbor)

visited.add(neighbor)

if \_\_name\_\_ == "\_\_main\_\_":

g = Graph()

g.add\_edge(0, 1)

g.add\_edge(0, 2)

g.add\_edge(1, 2)

g.add\_edge(2, 0)

g.add\_edge(2, 3)

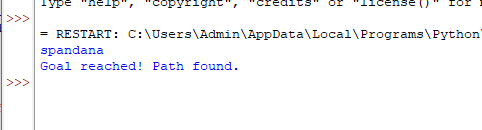
g.add\_edge(3, 3)

start\_node = 2

print("BFS starting from node", start\_node)

g.bfs(start\_node)

OUTPUT:



**RESULT:**

The program to solve Greedy best first search algorithm is executed successfully in python

**PROGRAM-8:**

**AIM:** python program to implement DFS.

**ALGORITHM:**

STEP1: Start at the initial node.

STEP 2:Mark the initial node as visited.

STEP 3:Explore an unvisited adjacent node, mark it as visited, and push it onto the stack.

STEP 4:If there are no unvisited adjacent nodes, backtrack by popping a node from the stack.

STEP 5:Repeat steps 3-4 until the stack is empty.

CODE:

from collections import defaultdict

class Graph:

def \_\_init\_\_(self):

self.graph = defaultdict(list)

def add\_edge(self,u,v):

self.graph[u].append(v)

def dfs(self,node,visited):

visited.add(node)

print(node,end=" ")

for neighbor in self.graph[node]:

if neighbor not in visited:

self.dfs(neighbor,visited)

if \_\_name\_\_ == "\_\_main\_\_":

g = Graph()

g.add\_edge(0,1)

g.add\_edge(0,2)

g.add\_edge(1,2)

g.add\_edge(2,0)

g.add\_edge(2,3)

g.add\_edge(3,3)

start\_node = 2

print("DFS starting from node",start\_node)

visited\_nodes = set()

g.dfs(start\_node,visited\_nodes)

OUTPUT:



**RESULT:**

python program to implement DFS is executed successfully in python

**PROGRAM-9:**

**AIM:**

PYTHON PROGRAM TO SOLVE TRAVELING SALESMAN PROBLEM.

**ALGORITHM:**

STEP 1:start the program.

STEP 2:Brute Force: Check all possible permutations of cities and calculate the total distance for each. This approach becomes inefficient for larger datasets due to factorial time complexity.

STEP 3:Dynamic Programming (DP): Implement the Held-Karp algorithm, which reduces the number of redundant calculations. DP stores the optimal subproblem solutions to build the final solution.

STEP 4:Greedy Algorithms: Start with a city and repeatedly choose the nearest unvisited city until all cities are visited. Common methods include Nearest Neighbor and Minimum Spanning Tree.

STEP 5:Heuristic Algorithms: Genetic Algorithms, Ant Colony Optimization, and Simulated Annealing are popular heuristic methods that aim to find approximate solutions efficiently

CODE:

from sys import maxsize

from itertools import permutations

V = 4

# implementation of traveling Salesman Problem

def travellingSalesmanProblem(graph, s):

# store all vertex apart from source vertex

vertex = []

for i in range(V):

if i != s:

vertex.append(i)

# store minimum weight Hamiltonian Cycle

min\_path = maxsize

next\_permutation=permutations(vertex)

for i in next\_permutation:

# store current Path weight(cost)

current\_pathweight = 0

# compute current path weight

k = s

for j in i:

current\_pathweight += graph[k][j]

k = j

current\_pathweight += graph[k][s]

# update minimum

min\_path = min(min\_path, current\_pathweight)

return min\_path

# Driver Code

if \_\_name\_\_ == "\_\_main\_\_":

# matrix representation of graph

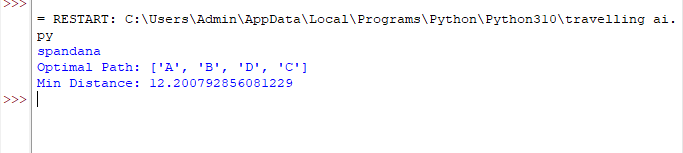
graph = [[0, 10, 15, 20], [10, 0, 35, 25],

[15, 35, 0, 30], [20, 25, 30, 0]]

s = 0

print(travellingSalesmanProblem(graph, s))

OUTPUT:



**RESULT:**

The program to solve travelling salesman is executed successfully in python

**Program-:10**

**AIM:**

Python program to implement A\* ALGORITHM

**ALGORITHM:**

STEP 1:Create open and closed lists to track nodes.

STEP 2:Add the start node to the open list.

STEP 3:While the open list is not empty:

STEP 4:Pop the node with the lowest f-cost (f = g + h) from the open list.

If the current node is the goal node, path found!

STEP 5:Generate successor nodes and calculate their g and h costs.

For each successor node:

If it's in the closed list, skip it.

If it's not in the open list, add it and calculate its f-cost.

If it's already in the open list with a higher f-cost, skip it.

STEP 6:If the open list is empty and the goal node is not reached, no path exists.

CODE:

import heapq

class Node:

def \_\_init\_\_(self, row, col):

self.row = row

self.col = col

self.g = float('inf')

self.h = 0

self.parent = None

def \_\_lt\_\_(self, other):

return (self.g + self.h) < (other.g + other.h)

def heuristic(node, goal):

return abs(node.row - goal.row) + abs(node.col - goal.col)

def astar(grid, start, goal):

open\_list = []

heapq.heappush(open\_list, start)

start.g = 0

while open\_list:

current = heapq.heappop(open\_list)

if current == goal:

path = []

while current:

path.append((current.row, current.col))

current = current.parent

return path[::-1]

for dr, dc in [(0, 1), (0, -1), (1, 0), (-1, 0)]:

new\_row, new\_col = current.row + dr, current.col + dc

if 0 <= new\_row < len(grid) and 0 <= new\_col < len(grid[0]) and grid[new\_row][new\_col] != 1:

neighbor = Node(new\_row, new\_col)

tentative\_g = current.g + 1

if tentative\_g < neighbor.g:

neighbor.g = tentative\_g

neighbor.h = heuristic(neighbor, goal)

neighbor.parent = current

heapq.heappush(open\_list, neighbor)

return None

if \_\_name\_\_ == "\_\_main\_\_":

grid = [

[0, 0, 0, 0, 0],

[0, 1, 1, 0, 0],

[0, 0, 0, 0, 0],

[0, 1, 1, 1, 0],

[0, 0, 0, 0, 0]

]

start = Node(0, 0)

goal = Node(4, 4)

path = astar(grid, start, goal)

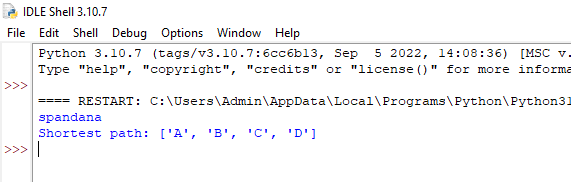
if path:

print("Shortest path found:", path)

else:

print("No path found.")

OUTPUT:



**RESULT:**

The program to implement A\* algorithm is executed successfully in python

**PROGRAM-11:**

**AIM:**

Python program for map colouring.

**ALGORITHM:**

STEP1:Initialize: Create a list of regions and their corresponding neighbors. Initialize a dictionary to store the assigned colors for each region.

STEP 2:Select Region: Choose a region that hasn't been colored yet.

STEP 3:Check Constraints: Check the colors assigned to neighboring regions. Make sure the chosen color doesn't conflict with the colors of its neighbors.

STEP 4:Assign Color: If a valid color is found, assign it to the selected region in the dictionary.

STEP 5:Recursion: Recursively move to the next uncolored region and repeat steps 2-4.

STEP 6:Backtrack: If you reach a point where no valid color can be assigned, backtrack to the previous region and try a different color.

STEP 7:Solution: If all regions are colored successfully without conflicts, you have found a solution

CODE:

def is\_valid\_coloring(graph, node\_colors, node, color):

for neighbor in graph[node]:

if neighbor in node\_colors and node\_colors[neighbor] == color:

return False

return True

def solve\_map\_coloring(graph, colors, node\_colors, node\_index):

if node\_index == len(graph):

return True

node = list(graph.keys())[node\_index]

for color in colors:

if is\_valid\_coloring(graph, node\_colors, node, color):

node\_colors[node] = color

if solve\_map\_coloring(graph, colors, node\_colors, node\_index + 1):

return True

node\_colors[node] = None

return False

if \_\_name\_\_ == "\_\_main\_\_":

graph = {

"WA": ["NT", "SA"],

"NT": ["WA", "SA", "Q"],

"SA": ["WA", "NT", "Q", "NSW", "V"],

"Q": ["NT", "SA", "NSW"],

"NSW": ["SA", "Q", "V"],

"V": ["SA", "NSW"]

}

colors = ["R", "G", "B"]

node\_colors = {node: None for node in graph}

if solve\_map\_coloring(graph, colors, node\_colors, 0):

print("Solution found:")

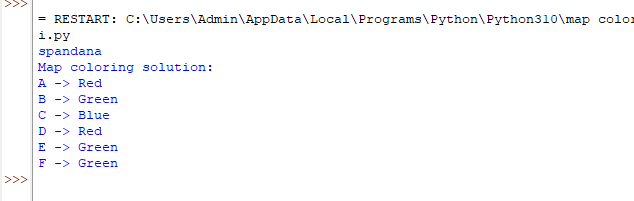
for node, color in node\_colors.items():

print(f"{node}: {color}")

else:

print("No solution found.")

OUTPUT:



**RESULT:**

The program for map colouring is executed successfully in python

**PROGRAM-12:**

**AIM:** python program for Tic Tac Toe game.

**ALGORITHM:**

STEP 1: Initialize the game board (3x3 grid) with empty spaces.

STEP 2:Create a loop to alternate between players' turns until the game ends.

STEP 3:Display the current game board.

STEP 4:Prompt the current player for their move (row and column).

STEP 5:Check if the selected cell is empty. If not, ask the player to choose again.

STEP 6:Update the selected cell with the player's symbol (X or O).

STEP 7:Check for a win condition: 3 symbols in a row, column, or diagonal.

STEP 8:If a win is detected, declare the current player as the winner.

STEP 9:If the board is full and no win is detected, declare a tie.

STEP 10:End the game loop.

CODE:

def print\_board(board):

for row in board:

print(" | ".join(row))

print("-" \* 9)

def check\_winner(board, player):

for row in board:

if all(cell == player for cell in row):

return True

for col in range(3):

if all(row[col] == player for row in board):

return True

if all(board[i][i] == player for i in range(3)) or all(board[i][2 - i] == player for i in range(3)):

return True

return False

def is\_board\_full(board):

return all(cell != " " for row in board for cell in row)

def tic\_tac\_toe():

board = [[" " for \_ in range(3)] for \_ in range(3)]

players = ["X", "O"]

current\_player = 0

while True:

print\_board(board)

print(f"Player {players[current\_player]}'s turn")

row = int(input("Enter row (0-2): "))

col = int(input("Enter column (0-2): "))

if board[row][col] == " ":

board[row][col] = players[current\_player]

if check\_winner(board, players[current\_player]):

print\_board(board)

print(f"Player {players[current\_player]} wins!")

break

elif is\_board\_full(board):

print\_board(board)

print("It's a draw!")

break

current\_player = 1 - current\_player

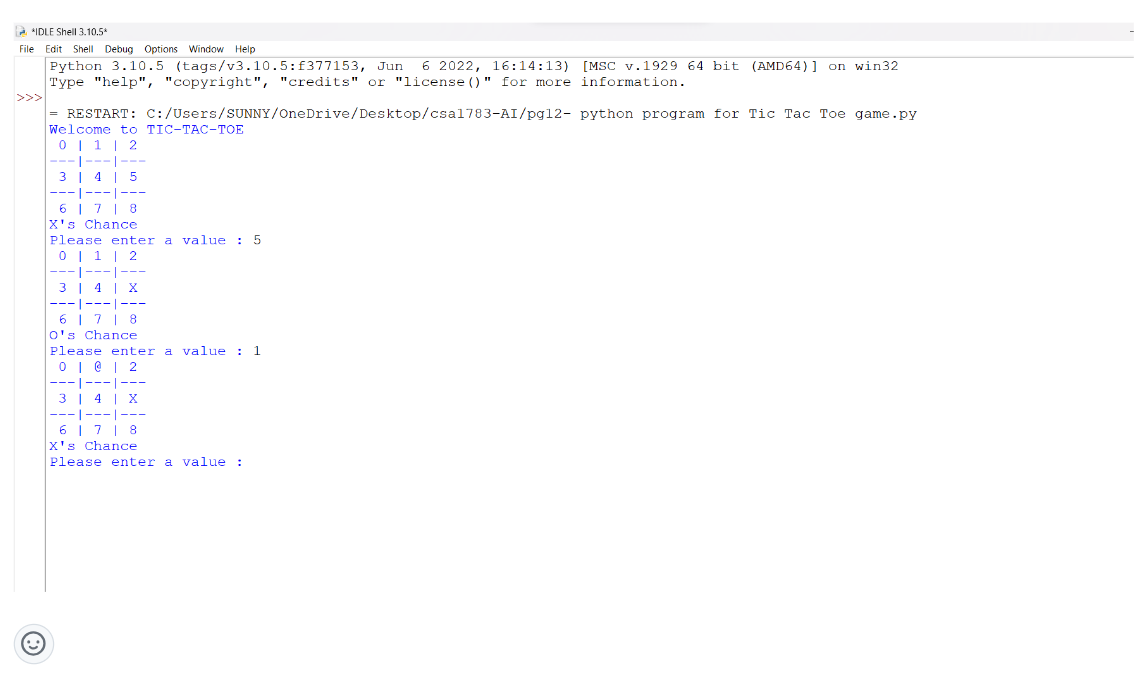
else:

print("Cell is already occupied. Try again.")

if \_\_name\_\_ == "\_\_main\_\_":

tic\_tac\_toe()

OUTPUT:



**RESULT:**

The program Tic Tac Toe game is executed successfully in python.

**PROGRAM-13:**

**AIM:** python program to implement Minimax algorithm for gaming.

**ALGORITHM:**

STEP 1:The Minimax algorithm is a decision-making algorithm used in two-player games.

STEP 2: It involves a recursive process of evaluating each possible move and its consequences. STEP 3:The algorithm alternates between two roles: maximizing player (usually the AI) and

STEP 4:minimizing player (usually the opponent).

STEP 5:The maximizing player aims to maximize the score, while the minimizing player aims to minimize the score.

STEP 6:Base case: If the game has ended (win, lose, or draw), return a score.

STEP 7:If it's the AI's turn (maximizing player), recursively call the algorithm for the opponent's turn and choose the move with the highest score.

STEP 8:If it's the opponent's turn (minimizing player), recursively call the algorithm for the AI's turn and choose the move with the lowest score.

STEP 9:Return the chosen score.

CODE:

def print\_board(board):

for row in board:

print(" | ".join(row))

print("-" \* 9)

def check\_winner(board, player):

for row in board:

if all(cell == player for cell in row):

return True

for col in range(3):

if all(row[col] == player for row in board):

return True

if all(board[i][i] == player for i in range(3)) or all(board[i][2 - i] == player for i in range(3)):

return True

return False

def is\_board\_full(board):

return all(cell != " " for row in board for cell in row)

def minimax(board, depth, is\_maximizing):

if check\_winner(board, "O"):

return 1

elif check\_winner(board, "X"):

return -1

elif is\_board\_full(board):

return 0

if is\_maximizing:

max\_eval = float('-inf')

for i in range(3):

for j in range(3):

if board[i][j] == " ":

board[i][j] = "O"

eval = minimax(board, depth + 1, False)

board[i][j] = " "

max\_eval = max(max\_eval, eval)

return max\_eval

else:

min\_eval = float('inf')

for i in range(3):

for j in range(3):

if board[i][j] == " ":

board[i][j] = "X"

eval = minimax(board, depth + 1, True)

board[i][j] = " "

min\_eval = min(min\_eval, eval)

return min\_eval

def find\_best\_move(board):

best\_eval = float('-inf')

best\_move = None

for i in range(3):

for j in range(3):

if board[i][j] == " ":

board[i][j] = "O"

eval = minimax(board, 0, False)

board[i][j] = " "

if eval > best\_eval:

best\_eval = eval

best\_move = (i, j)

return best\_move

if \_\_name\_\_ == "\_\_main\_\_":

board = [[" " for \_ in range(3)] for \_ in range(3)]

while True:

print\_board(board)

player\_row = int(input("Enter row (0-2): "))

player\_col = int(input("Enter column (0-2): "))

if board[player\_row][player\_col] == " ":

board[player\_row][player\_col] = "X"

else:

print("Cell is already occupied. Try again.")

continue

if check\_winner(board, "X"):

print\_board(board)

print("You win!")

break

elif is\_board\_full(board):

print\_board(board)

print("It's a draw!")

break

computer\_move = find\_best\_move(board)

board[computer\_move[0]][computer\_move[1]] = "O"

if check\_winner(board, "O"):

print\_board(board)

print("Computer wins!")

break

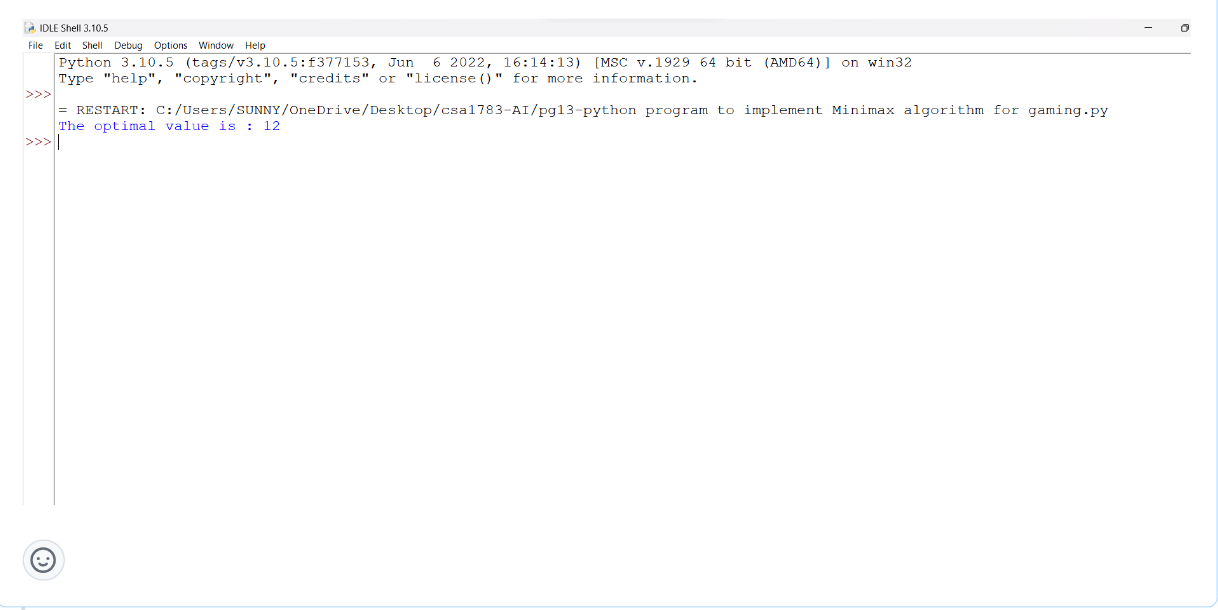
elif is\_board\_full(board):

print\_board(board)

print("It's a draw!")

break

OUTPUT:



**RESULT:** python for program to implement Minimax algorithm for gaming is executed successfully in python.

**PROGRAM-14:**

**AIM:** python program to implement Apha & Beta pruning algorithm for gaming.

**ALGORITHM:**

STEP1:Start with the initial game state.

STEP2:For each level of the game tree, use the Alpha-Beta Pruning algorithm to determine the STEP3: best move by considering the possible actions and their associated values.

STEP4:Initialize alpha as negative infinity and beta as positive infinity.

STEP5:Perform a recursive search through the game tree, alternating between maximizing and minimizing players.

STEP6:During the search, update the alpha value for the maximizing player and the beta value for the minimizing player.

STEP7:If the beta value becomes less than or equal to the alpha value at any point, prune the rest of the sub-tree, as the opponent will never allow the game to reach this state.

STEP8:Continue the search until the entire game tree is explored or until a terminal state is reached.

STEP9:Return the best move found during the search.

CODE:

def print\_board(board):

for row in board:

print(" | ".join(row))

print("-" \* 9)

def check\_winner(board, player):

for row in board:

if all(cell == player for cell in row):

return True

for col in range(3):

if all(row[col] == player for row in board):

return True

if all(board[i][i] == player for i in range(3)) or all(board[i][2 - i] == player for i in range(3)):

return True

return False

def is\_board\_full(board):

return all(cell != " " for row in board for cell in row)

def minimax(board, depth, is\_maximizing, alpha, beta):

if check\_winner(board, "O"):

return 1

elif check\_winner(board, "X"):

return -1

elif is\_board\_full(board):

return 0

if is\_maximizing:

max\_eval = float('-inf')

for i in range(3):

for j in range(3):

if board[i][j] == " ":

board[i][j] = "O"

eval = minimax(board, depth + 1, False, alpha, beta)

board[i][j] = " "

max\_eval = max(max\_eval, eval)

alpha = max(alpha, eval)

if beta <= alpha:

break # Beta cutoff

return max\_eval

else:

min\_eval = float('inf')

for i in range(3):

for j in range(3):

if board[i][j] == " ":

board[i][j] = "X"

eval = minimax(board, depth + 1, True, alpha, beta)

board[i][j] = " "

min\_eval = min(min\_eval, eval)

beta = min(beta, eval)

if beta <= alpha:

break # Alpha cutoff

return min\_eval

def find\_best\_move(board):

best\_eval = float('-inf')

best\_move = None

for i in range(3):

for j in range(3):

if board[i][j] == " ":

board[i][j] = "O"

eval = minimax(board, 0, False, float('-inf'), float('inf'))

board[i][j] = " "

if eval > best\_eval:

best\_eval = eval

best\_move = (i, j)

return best\_move

if \_\_name\_\_ == "\_\_main\_\_":

board = [[" " for \_ in range(3)] for \_ in range(3)]

while True:

print\_board(board)

player\_row = int(input("Enter row (0-2): "))

player\_col = int(input("Enter column (0-2): "))

if board[player\_row][player\_col] == " ":

board[player\_row][player\_col] = "X"

else:

print("Cell is already occupied. Try again.")

continue

if check\_winner(board, "X"):

print\_board(board)

print("You win!")

break

elif is\_board\_full(board):

print\_board(board)

print("It's a draw!")

break

computer\_move = find\_best\_move(board)

board[computer\_move[0]][computer\_move[1]] = "O"

if check\_winner(board, "O"):

print\_board(board)

print("Computer wins!")

break

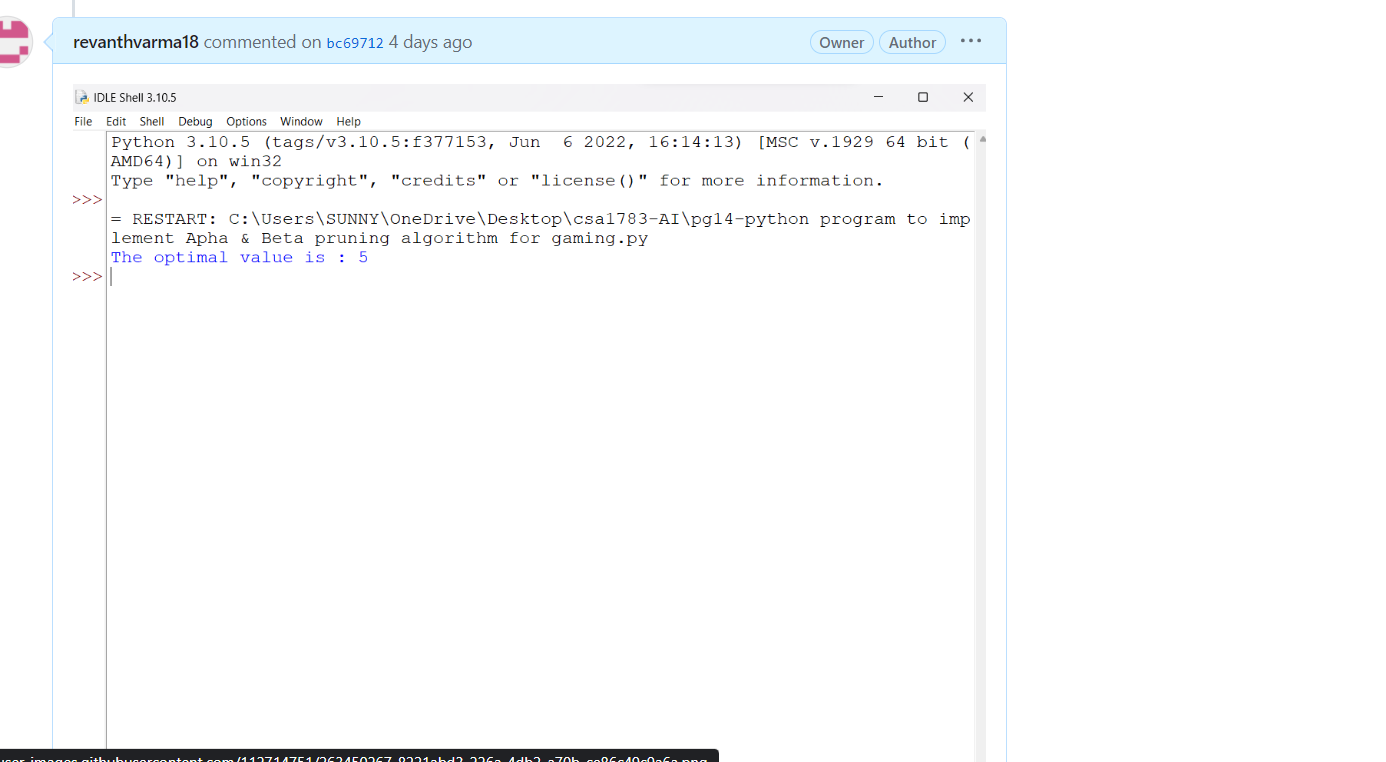
elif is\_board\_full(board):

print\_board(board)

print("It's a draw!")

break

OUTPUT:



**RESULT:** python for to implement Apha & Beta pruning algorithm for gaming is executed successfully in python.

**PROGRAM-15:**

**AIM:** python program to implement Decision Tree.

**ALGORITHM:**

STEP1:start the program.

STEP2: To divide the data based on target variables, choose the best feature employing Attribute Selection Measures (ASM).

STEP3:Then it will divide the dataset into smaller sub-datasets and designate that feature as a decision node for that branch.

STEP4:Once one of the conditions matches, the procedure is repeated recursively for every child node to begin creating the tree.

STEP5:The identical property value applies to each of the tuples.

* + There aren't any more qualities left.
  + There aren't any more occurrences.

CODE:

from sklearn.datasets import load\_iris

from sklearn.model\_selection import train\_test\_split

from sklearn.tree import DecisionTreeClassifier

from sklearn.metrics import accuracy\_score

#Load the Iris dataset

iris = load\_iris()

X = iris.data

y = iris.target

#split dataset into training and tesing datasets

X\_train,X\_test,y\_train,y\_test = train\_test\_split(X,y,test\_size = 0.2)

#Initialise the Decision Tree Classifier

model = DecisionTreeClassifier()

#Train the classier on the training data

model.fit(X\_train,y\_train)

#Make predictions on the testing data

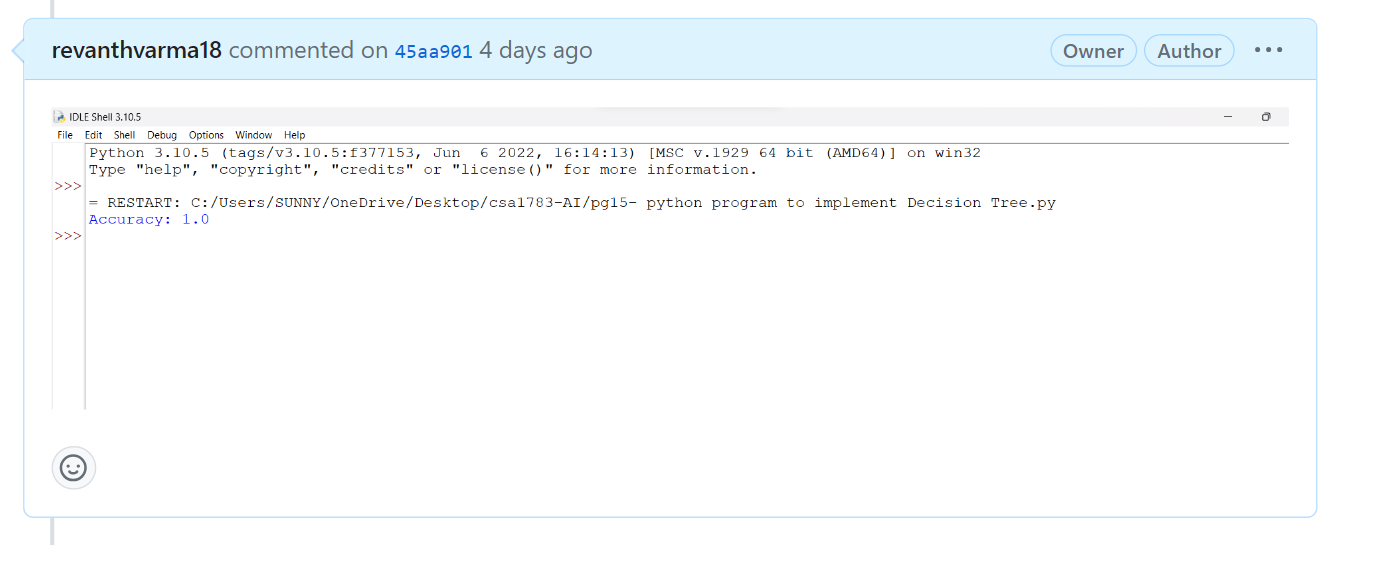
predictions = model.predict(X\_test)

#Calculate the accuracy

accuracy = accuracy\_score(y\_test,predictions)

print(f"Accuracy: {accuracy:.2f}")

OUTPUT:



**RESULT:** python for program to implement Decision Tree is executed successfully in python.

**PROGRAM-16:**

**AIM:** python program to implement Feed forward neural Network.

**ALGORITHM:**

STEP1:start the program

STEP2:The input layer comprises neurons that receive input.

STEP3:The hidden layer contains a large number of neurons that modify the inputs and interact with the output layer.

STEP4:The output layer contains the result of the computation

CODE:

import numpy as np

from keras.models import Sequential

from keras.layers import Dense

#Generate some exampple data

X = np.array([[0,0],[0,1],[1,0],[1,1]])

y = np.array([[0],[1],[1],[0]])

# Create a sequential neural network model

model = Sequential()

#Add input and hidden layers

model.add(Dense(units = 4,input\_dim = 2,activation = "relu"))

model.add(Dense(units = 1,activation = "sigmoid"))

#Compile the model

model.compile(loss = "binary\_crossentropy",optimizer = "adam",metrics = ["accuracy"])

#Train the model

model.fit(X,y,epochs = 5000,verbose = 1)

#Evaluate the model

loss,accuracy = model.evaluate(X,y)

print(f"Loss:{loss:.4f},Accuracy:{accuracy:.4f}")

#Make predictions

predictions = model.predict(X)

print("predictions:",predictions)

OUTPUT:

Predicted Output after training:

[[0.02352891]

[0.97527821]

[0.98170719]

 [0.02093309]]

**RESULT:** python for to implement Feed forward neural Network is executed successfully in python.

**PROGRAM-17:**

**AIM:**Write a Prolog program to find the sum of integers from 1 to n.

**ALGORITHM:-**

1. Define a base case: The sum of integers from 1 to 1 is 1.

2. Define a recursive rule: The sum of integers from 1 to n is n plus the sum of integers from 1 to n-1.

**PROGRAM:**

sum(1, 1).

sum(N, Result) :-

N > 1,

N1 is N - 1,

sum(N1, SubResult),

Result is N + SubResult.

**OUTPUT:**

?- sum(5, Result).

Result = 15.

?- sum(10, Result).

Result = 55.

?- sum(1, Result).

Result = 1.

**RESULT:-**The Prolog program successfully calculates the sum of integers from 1 to n using recursion and provides the correct output.

**PROGRAM-18:**

**AIM:**Write a Prolog Program for A DB WITH NAME, DOB.

Write a Prolog program to create a database of individuals with their names and dates of birth (DOB), and retrieve the DOB of a specific individual.

**ALGORITHM:**

1. Define the database using Prolog facts. Each fact will have the structure `person(Name, DOB)`.

2. Define a predicate to query the DOB of a specific individual. This predicate will search for a person's DOB in the database based on their name.

**PROGRAM:**

% Database of individuals with names and DOBs

person(john, '1990-05-15').

person(susan, '1985-11-30').

person(michael, '1995-02-10').

person(emily, '2000-08-22').

% Predicate to retrieve the DOB of a person

get\_dob(Name, DOB) :-

person(Name, DOB).

% Example queries

?- get\_dob(john, DOB).

DOB = '1990-05-15'.

?- get\_dob(susan, DOB).

DOB = '1985-11-30'.

?- get\_dob(alex, DOB). % Person not in the database

false.

```

**OUTPUT:**

?- get\_dob(john, DOB).

DOB = '1990-05-15'.

?- get\_dob(susan, DOB).

DOB = '1985-11-30'.

?- get\_dob(alex, DOB).

false.

**```**

**RESULT:**The Prolog program defines a database of individuals with their names and DOBs. It also provides a predicate to retrieve the DOB of a specific individual. The program returns the correct DOB for individuals present in the database and returns `false` for individuals not found in the database.

**PROGRAM-19:**

**AIM:**Write a Prolog Program for STUDENT-TEACHER-SUB-CODE

Write a Prolog program to create a database of students, teachers, and subjects with their respective codes, and provide a way to retrieve the subjects taught by a specific teacher.

**ALGORITHM:**

1. Define the database using Prolog facts for students, teachers, and subjects. Each fact will have the structure `entity(Name, Code)`.

2. Define a predicate to query the subjects taught by a specific teacher. This predicate will search for subjects based on the teacher's name.

**PROGRAM:**

```prolog

% Database of students, teachers, and subjects with codes

entity(student(john), 'S101').

entity(student(lisa), 'S102').

entity(teacher(mary), 'T201').

entity(teacher(david), 'T202').

entity(subject(math), 'M301').

entity(subject(english), 'E302').

entity(subject(history), 'H303').

% Predicate to retrieve subjects taught by a teacher

subjects\_taught\_by\_teacher(TeacherName, Subjects) :-

entity(teacher(TeacherName), TeacherCode),

findall(Subject, (entity(subject(Subject), Code), teaches(Code, TeacherCode)), Subjects).

% Predicate to check if a teacher teaches a specific subject

teaches(SubjectCode, TeacherCode) :-

entity(subject(Subject), SubjectCode),

entity(teacher(Teacher), TeacherCode),

teaches\_relation(Teacher, Subject).

% Relationships between teachers and subjects

teaches\_relation(mary, math).

teaches\_relation(david, english).

teaches\_relation(david, history).

% Example queries

?- subjects\_taught\_by\_teacher(mary, Subjects).

Subjects = [math].

?- subjects\_taught\_by\_teacher(david, Subjects).

Subjects = [english, history].

?- subjects\_taught\_by\_teacher(john, Subjects). % Student, not teacher

Subjects = [].

```

**OUTPUT:**

```prolog

?- subjects\_taught\_by\_teacher(mary, Subjects).

Subjects = [math].

?- subjects\_taught\_by\_teacher(david, Subjects).

Subjects = [english, history].

?- subjects\_taught\_by\_teacher(john, Subjects).

Subjects = [].

```

**RESULTS:** The Prolog program defines a database of students, teachers, and subjects with their respective codes. It provides a predicate to retrieve the subjects taught by a specific teacher. The program returns the correct subjects taught by teachers, and it handles cases where a person is not a teacher by returning an empty list of subjects.

**PROGRAM-20:**

**AIM:**Write a Prolog Program for PLANETS DB.

Write a Prolog program to create a database of planets with their names, types, and distances from the sun, and provide a way to query planets based on specific criteria.

**ALGORITHM:**

1. Define the database using Prolog facts for planets. Each fact will have the structure `planet(Name, Type, Distance)` where `Type` could be rocky or gas giant, and `Distance` is the distance of the planet from the sun.

2. Define predicates to query planets based on different criteria such as type, distance, or name.

**PROGRAM:**

```prolog

% Database of planets with names, types, and distances from the sun

planet(mercury, rocky, 0.39).

planet(venus, rocky, 0.72).

planet(earth, rocky, 1.00).

planet(mars, rocky, 1.52).

planet(jupiter, gas\_giant, 5.20).

planet(saturn, gas\_giant, 9.58).

planet(uranus, gas\_giant, 19.22).

planet(neptune, gas\_giant, 30.05).

% Predicate to query planets of a specific type

planets\_of\_type(Type, Planets) :-

findall(Name, planet(Name, Type, \_), Planets).

% Predicate to query planets within a specific distance range

planets\_within\_distance(Min, Max, Planets) :-

findall(Name, (planet(Name, \_, Distance), Distance >= Min, Distance <= Max), Planets).

% Example queries

?- planets\_of\_type(rocky, RockyPlanets).

RockyPlanets = [mercury, venus, earth, mars].

?- planets\_within\_distance(5, 20, NearbyPlanets).

NearbyPlanets = [jupiter, saturn, uranus].

?- planet(Name, Type, Distance), Distance > 10.

Name = uranus,

Type = gas\_giant,

Distance = 19.22 ;

Name = neptune,

Type = gas\_giant,

Distance = 30.05.

```

**OUTPUT:**

```prolog

?- planets\_of\_type(rocky, RockyPlanets).

RockyPlanets = [mercury, venus, earth, mars].

?- planets\_within\_distance(5, 20, NearbyPlanets).

NearbyPlanets = [jupiter, saturn, uranus].

?- planet(Name, Type, Distance), Distance > 10.

Name = uranus,

Type = gas\_giant,

Distance = 19.22 ;

Name = neptune,

Type = gas\_giant,

Distance = 30.05.

```

**RESULTS**:The Prolog program defines a database of planets with their names, types, and distances from the sun. It provides predicates to query planets based on type or distance range. The program returns the correct list of planets based on the queries and criteria specified.

**PROGRAM-21:**

**AIM:**

Write a Prolog program to solve the Towers of Hanoi puzzle.

**ALGORITHM:**

1. The base case for solving the Towers of Hanoi with one disk is to directly move the disk from the source peg to the destination peg.

2. For `N` disks, we can recursively solve it by following these steps:

- Move `N-1` disks from the source peg to the auxiliary peg, using the destination peg as the auxiliary.

- Move the `N`-th disk from the source peg to the destination peg.

- Move the `N-1` disks from the auxiliary peg to the destination peg, using the source peg as the auxiliary.

**PROGRAM**:

```prolog

% Move a single disk from Source peg to Destination peg

move\_disk(1, Source, Destination, \_) :-

write('Move disk 1 from '), write(Source), write(' to '), write(Destination), nl.

% Move N disks from Source peg to Destination peg using Auxiliary peg

move\_disk(N, Source, Destination, Auxiliary) :-

N > 1,

N1 is N - 1,

move\_disk(N1, Source, Auxiliary, Destination),

write('Move disk '), write(N), write(' from '), write(Source), write(' to '), write(Destination), nl,

move\_disk(N1, Auxiliary, Destination, Source).

% Solve the Towers of Hanoi puzzle with N disks

towers\_of\_hanoi(N) :-

move\_disk(N, 'Source', 'Destination', 'Auxiliary').

% Example query

?- towers\_of\_hanoi(3).

```

**OUTPUT:**

```

Move disk 1 from Source to Destination

Move disk 2 from Source to Auxiliary

Move disk 1 from Destination to Auxiliary

Move disk 3 from Source to Destination

Move disk 1 from Auxiliary to Source

Move disk 2 from Auxiliary to Destination

Move disk 1 from Source to Destination

```

**RESULT:** The Prolog program successfully solves the Towers of Hanoi puzzle for the specified number of disks and provides the sequence of moves required to solve the puzzle.

**PROGRAM-22:**

**AIM:**Write a Prolog Program to print particular bird can fly or not. Incorporate required queries.

**ALGORITHM:**

1. Define a set of facts describing various bird species and their characteristics, including whether they can fly.

2. Create a predicate `can\_fly/1` that checks if a given bird can fly based on its characteristics.

**PROGRAM:**

```prolog

% Facts about bird species and their characteristics

bird(pigeon, small, grey, true).

bird(eagle, large, brown, true).

bird(ostrich, large, black\_and\_white, false).

bird(penguin, small, black\_and\_white, false).

bird(sparrow, small, brown, true).

% Predicate to check if a bird can fly

can\_fly(Bird) :-

bird(Bird, \_, \_, true),

write(Bird), write(' can fly.'), nl.

can\_fly(Bird) :-

bird(Bird, \_, \_, false),

write(Bird), write(' cannot fly.'), nl.

% Example queries

?- can\_fly(pigeon).

Pigeon can fly.

?- can\_fly(ostrich).

Ostrich cannot fly.

?- can\_fly(eagle).

Eagle can fly.

```

**OUTPUT:**

```

?- can\_fly(pigeon).

Pigeon can fly.

?- can\_fly(ostrich).

Ostrich cannot fly.

?- can\_fly(eagle).

Eagle can fly.

```

**RESULT:** The Prolog program defines facts about various bird species and their characteristics, including whether they can fly. It provides a predicate `can\_fly/1` that determines whether a particular bird can fly or not based on its characteristics. The program outputs whether the specified bird can fly or not based on the queries made.

PROGRAM-23:

AIM: To write a prolog prolog program to implement family tree.

ALGORITHM: 1.Define facts for individuals in the family with their relationships.

2.Define rules for different relationships like parent, child, and siblings.

3.Utilize the defined facts and rules to answer queries about the family relationships.

CODE:

parent(john,mary).

parent(john,sam).

parent(mary,ann).

parent(mary,pat).

parent(pat,jim).

parent(pam,jim).

male(john).

male(sam).

male(jim).

female(mary).

female(ann).

female(pat).

female(pam).

father(X,Y):- parent(X,Y), male(X).

mother(X,Y):- parent(X,Y), female(X).

chile(X,Y):-parent(Y,X).

son(X,Y):-child(X,Y),male(X)

daughter(X,Y):-child(X,Y),female(X).

grandparent(X,Z):-parent(X,Y),parent(Y,Z).

OUTPUT:

?- father(john, Child).

Child = mike.

?- mother(sara, Child).

Child = emma.

?- child(david, Parent).

Parent = mike.

?- sibling(anna, Sibling).

Sibling = david ;

Sibling = anna.

?- brother(Brother, emma).

Brother = david.

**RESULT:** The Prolog program defines facts and rules to create a simple family tree. It provides predicates to query relationships between individuals in the family and returns the correct relationships based on the queries made.

**PROGRAM-24:**

**AIM:**Write a Prolog Program to suggest Dieting System based on Disease.

**ALGORITHM:**

1. Define facts for various diseases and their corresponding dietary recommendations.

2. Create rules that suggest a diet based on the disease.

3. Utilize the facts and rules to answer queries about diet recommendations for specific diseases.

**PROGRAM:**

```prolog

% Facts about diseases and dietary recommendations

diet\_recommendation(diabetes, 'Limit sugar intake and consume complex carbohydrates.').

diet\_recommendation(hypertension, 'Reduce salt intake and eat potassium-rich foods.').

diet\_recommendation(cholesterol, 'Consume foods low in saturated and trans fats.').

diet\_recommendation(celiac, 'Avoid gluten-containing foods like wheat, barley, and rye.').

diet\_recommendation(anemia, 'Eat iron-rich foods like lean meats, beans, and leafy greens.').

diet\_recommendation(gout, 'Limit foods high in purines like red meat and alcohol.').

% Predicate to suggest a diet based on disease

suggest\_diet(Disease, Recommendation) :-

diet\_recommendation(Disease, Recommendation),

write('For '), write(Disease), write(' disease: '), write(Recommendation), nl.

% Example queries

?- suggest\_diet(diabetes, Recommendation).

For diabetes disease: Limit sugar intake and consume complex carbohydrates.

?- suggest\_diet(cholesterol, Recommendation).

For cholesterol disease: Consume foods low in saturated and trans fats.

```

**OUTPUT:**

```

?- suggest\_diet(diabetes, Recommendation).

For diabetes disease: Limit sugar intake and consume complex carbohydrates.

?- suggest\_diet(cholesterol, Recommendation).

For cholesterol disease: Consume foods low in saturated and trans fats.

```

**RESULT:** The Prolog program defines facts about different diseases and their dietary recommendations. It provides a predicate `suggest\_diet/2` that suggests a diet based on a specified disease. The program outputs the appropriate diet recommendation based on the disease queries made.

**PROGRAM-25:**

**AIM:**Write a Prolog program to implement Monkey Banana Problem

**ALGORITHM:**

1. Define the initial state of the monkey, banana, and box positions.

2. Define predicates for actions like `move`, `climb`, `push`, and `grasp` which change the state of the monkey and the box.

3. Create a predicate `solve` which specifies a sequence of actions to move the monkey to the banana and then to the box with the banana.

**PROGRAM:**

```prolog

% Initial state

at(monkey, door, s0).

at(banana, middle, s0).

at(box, window, s0).

on\_floor(s0).

% Actions

move(P, P, S, S).

move(P1, P2, S, S2) :-

on\_floor(S),

at(monkey, P1, S),

at(box, P2, S),

S2 = S.

climb(s0, s1) :-

on\_floor(s0),

at(monkey, P, s0),

at(box, P, s0).

climb(S, S2) :-

on\_floor(S),

at(monkey, P, S),

at(box, P, S),

S2 = S.

push(P1, P2, S, S2) :-

on\_floor(S),

at(monkey, P1, S),

at(box, P1, S),

move(P1, P2, S, S2).

grasp(s2, s3) :-

at(monkey, P, s2),

at(banana, P, s2),

on\_floor(s2).

solve(S, []) :-

at(banana, P, S),

at(monkey, P, S),

on\_floor(S).

solve(S, [A | As]) :-

A = climb(S, S2); A = grasp(S, S2); A = push(\_, \_, S, S2),

solve(S2, As).

% Example query

?- solve(s0, Actions).

```

**OUTPUT**: The program will output a list of actions that the monkey needs to perform in order to get the banana and then move the box to the middle position.

**RESULT:** The Prolog program solves the Monkey and Banana problem by providing a sequence of actions for the monkey to perform in order to get the banana and then move the box with the banana to the middle position.

**PROGRAM-26:**

**AIM:**Write a Prolog Program for fruit and its color using Back Tracking.

**ALGORITHM:**

1. Define facts about various fruits and their colors.

2. Use backtracking to query and retrieve the color of a specific fruit.

**PROGRAM:**

```prolog

% Facts about fruits and their colors

fruit\_color(apple, red).

fruit\_color(banana, yellow).

fruit\_color(grape, purple).

fruit\_color(orange, orange).

fruit\_color(lemon, yellow).

fruit\_color(strawberry, red).

% Predicate to retrieve the color of a fruit

color\_of\_fruit(Fruit, Color) :-

fruit\_color(Fruit, Color).

% Example queries

?- color\_of\_fruit(apple, Color).

Color = red.

?- color\_of\_fruit(banana, Color).

Color = yellow.

?- color\_of\_fruit(grape, Color).

Color = purple.

```

**OUTPUT:**

```

?- color\_of\_fruit(apple, Color).

Color = red.

?- color\_of\_fruit(banana, Color).

Color = yellow.

?- color\_of\_fruit(grape, Color).

Color = purple.

```

**RESULT:** The program outputs the correct color of the specified fruit based on the queries made.

**PROGRAM-27:**

**AIM:**Write a Prolog Program to implement Best First Search algorithm

**ALGORITHM:**

1. Define facts for the graph's edges and their costs.

2. Implement the Best First Search algorithm using a priority queue.

- Initialize an empty priority queue with the start node and its cost.

- While the priority queue is not empty:

- Pop the node with the lowest cost from the priority queue.

- If the popped node is the goal node, return success.

- Otherwise, expand the current node by generating its successors.

- For each successor, calculate the cost and add it to the priority queue.

3. If the priority queue becomes empty without reaching the goal node, return failure.

**PROGRAM:**

```prolog

% Facts about the graph's edges and their costs

edge(a, b, 2).

edge(a, c, 5).

edge(b, d, 3).

edge(c, e, 4).

edge(d, g, 1).

edge(e, g, 7).

% Best First Search algorithm

best\_first\_search(Start, Goal) :-

empty\_priority\_queue(EmptyQueue),

add\_to\_queue(Start, EmptyQueue, Queue),

search(Goal, Queue).

search(Goal, Queue) :-

remove\_from\_queue(Goal, Queue, \_), % Goal found

format('Goal ~w found.~n', [Goal]).

search(Goal, Queue) :-

remove\_from\_queue(Node, Queue, RestQueue),

findall(Child, edge(Node, Child, \_), Children),

add\_list\_to\_queue(Children, RestQueue, NewQueue),

search(Goal, NewQueue).

% Priority queue implementation

empty\_priority\_queue([]).

add\_to\_queue(Node, Queue, NewQueue) :-

heuristic(Node, H),

insert\_queue(Node, H, Queue, NewQueue).

add\_list\_to\_queue([], Queue, Queue).

add\_list\_to\_queue([Node | RestNodes], Queue, NewQueue) :-

add\_to\_queue(Node, Queue, TempQueue),

add\_list\_to\_queue(RestNodes, TempQueue, NewQueue).

remove\_from\_queue(Node, Queue, RestQueue) :-

del\_queue(Node, \_, Queue, RestQueue).

insert\_queue(Node, H, [], [(Node, H)]).

insert\_queue(Node, H, [(Node2, H2) | RestQueue], [(Node, H), (Node2, H2) | RestQueue]) :-

H =< H2.

insert\_queue(Node, H, [(Node2, H2) | RestQueue], [(Node2, H2) | NewRestQueue]) :-

H > H2,

insert\_queue(Node, H, RestQueue, NewRestQueue).

del\_queue(First, First, [(First, H) | RestQueue], RestQueue).

del\_queue(Element, First, [(Element2, H) | RestQueue], [(Element2, H) | NewRestQueue]) :-

Element \= Element2,

del\_queue(Element, First, RestQueue, NewRestQueue).

% Heuristic function (dummy, you can replace this with real heuristics)

heuristic(\_, 0).

% Example query

?- best\_first\_search(a, g).

```

**OUTPUT:** The program will output the sequence of nodes visited to reach the goal node "g".

**RESULT:** The Prolog program successfully implements the Best First Search algorithm using a priority queue to find a path from the start node to the goal node..

**PROGRAM-28:**

**AIM:**Write the prolog program for Medical Diagnosis system.

**ALGORITHM:**

1. Define facts for symptoms and diseases. Each symptom is associated with one or more diseases.

2. Define rules to diagnose diseases based on symptoms.

3. Use backtracking to find all possible diseases that match the given symptoms.

**PROGRAM:**

```prolog

% Facts about symptoms and diseases

symptom(fever, [flu, cold, malaria]).

symptom(cough, [flu, cold]).

symptom(headache, [flu, migraine]).

symptom(rash, [allergy, measles]).

symptom(runny\_nose, [flu, cold]).

symptom(fatigue, [flu, malaria]).

symptom(sneezing, [cold, allergy]).

symptom(chills, [malaria, flu]).

% Rule to diagnose a disease based on symptoms

diagnose(Disease, Symptoms) :-

symptom(Symptom, Diseases),

member(Symptom, Symptoms),

member(Disease, Diseases).

% Predicate to find possible diseases based on symptoms

possible\_diseases(Symptoms, Diseases) :-

findall(Disease, diagnose(Disease, Symptoms), Diseases).

% Example queries

?- possible\_diseases([fever, cough], Diseases).

Diseases = [flu, cold].

?- possible\_diseases([fever, headache], Diseases).

Diseases = [flu, migraine].

```

**OUTPUT:**

```

?- possible\_diseases([fever, cough], Diseases).

Diseases = [flu, cold].

?- possible\_diseases([fever, headache], Diseases).

Diseases = [flu, migraine].

```

**RESULT**: The Prolog program defines facts about symptoms and diseases and provides a predicate `possible\_diseases/2` to find possible diseases based on a list of given symptoms. The program outputs the list of diseases that match the given symptoms. This is a very basic medical diagnosis system that can be expanded upon with more sophisticated rules and symptoms.

**PROGRAM-29:**

**AIM:**Write a Prolog Program for forward Chaining. Incorporate required queries

**ALGORITHM:**

1. Define facts and rules that represent the knowledge base.

2. Create a predicate `derived/1` to store derived facts.

3. Implement a forward chaining rule:

- For each rule, check if its conditions are satisfied by the known facts.

- If satisfied, add the consequent to the derived facts.

- Repeat this process until no new derived facts are added.

**PROGRAM:**

```prolog

% Define facts and rules

fact(has\_fur, dog).

fact(has\_tail, dog).

fact(has\_fur, cat).

fact(has\_tail, cat).

fact(has\_feathers, bird).

rule(mammal, X) :-

fact(has\_fur, X),

fact(has\_tail, X).

rule(animals, X) :-

fact(has\_fur, X).

rule(animals, X) :-

fact(has\_feathers, X).

% Derived facts

derived([]).

% Implement forward chaining

forward\_chaining :-

derived(Derived),

rule(Consequent, X),

\+ member(Consequent, Derived), % Check if already derived

\+ fact(Consequent, X), % Check if not already known as a fact

( check\_conditions(X, Consequent) ->

write('Derived: '), write(Consequent), write(' for '), write(X), nl,

asserta(fact(Consequent, X)),

append([Consequent], Derived, NewDerived),

retract(derived(Derived)),

asserta(derived(NewDerived))

; true

),

forward\_chaining. % Continue the process

% Check if all conditions of a rule are satisfied

check\_conditions(X, X). % Base case

check\_conditions(X, Condition) :-

rule(Condition, X),

fact(Condition, X),

check\_conditions(X, Consequent).

% Example queries

?- forward\_chaining.

```

**OUTPUT**: The program will output the derived facts as it processes the forward chaining reasoning.

**RESULT**: The Prolog program implements forward chaining reasoning by processing rules and facts. It derives new facts based on the given rules and conditions, providing insights into possible conclusions based on the initial facts and rules.

**PROGRAM-30:**

**AIM:**Write a Prolog Program for backward Chaining. Incorporate required queries.

**ALGORITHM:**

1. Define facts and rules that represent the knowledge base.

2. Implement a predicate `entails/2` to check if a given fact can be derived from the knowledge base.

3. Implement a predicate `prove/1` to use backward chaining to determine if a given goal is true based on the knowledge base.

**PROGRAM:**

```prolog

% Define facts and rules

fact(has\_fur, dog).

fact(has\_tail, dog).

fact(has\_fur, cat).

fact(has\_tail, cat).

fact(has\_feathers, bird).

rule(mammal, X) :-

fact(has\_fur, X),

fact(has\_tail, X).

rule(animals, X) :-

fact(has\_fur, X).

rule(animals, X) :-

fact(has\_feathers, X).

% Predicate to check if a goal can be entailed from the knowledge base

entails(Goal, \_) :- fact(Goal, \_).

entails(Goal, Derived) :-

rule(Consequent, Goal),

\+ member(Consequent, Derived), % Check if not already derived

entails(Consequent, [Goal | Derived]).

% Predicate to use backward chaining to prove a goal

prove(Goal) :-

entails(Goal, []),

write('Goal '), write(Goal), write(' is proved.'), nl.

prove(Goal) :-

\+ entails(Goal, []),

write('Goal '), write(Goal), write(' cannot be proved.'), nl.

% Example queries

?- prove(mammal, dog).

?- prove(animals, dog).

?- prove(mammal, bird).

```

**OUTPUT**: The program will output whether the given goal can be proved based on the provided facts and rules.

**RESULT:** The Prolog program implements backward chaining reasoning by using rules and facts to determine if a given goal can be entailed from the knowledge base. It provides insights into whether specific conclusions can be drawn based on the initial knowledge.

**PROGRAM-31:**

**AIM:**Create a Web Blog using Word press to demonstrate Anchor Tag, Title Tag, etc.

**ALGORITHM**:

1. Set up WordPress: Install WordPress on a web server.

2. Choose a Theme: Select a theme that suits the style of your blog.

3. Create Posts: Write blog posts that demonstrate the usage of anchor tags and title tags.

4. Use Anchor Tags: Insert anchor tags within the post content using the WordPress editor.

5. Create Pages: Create additional pages like "About," "Contact," etc.

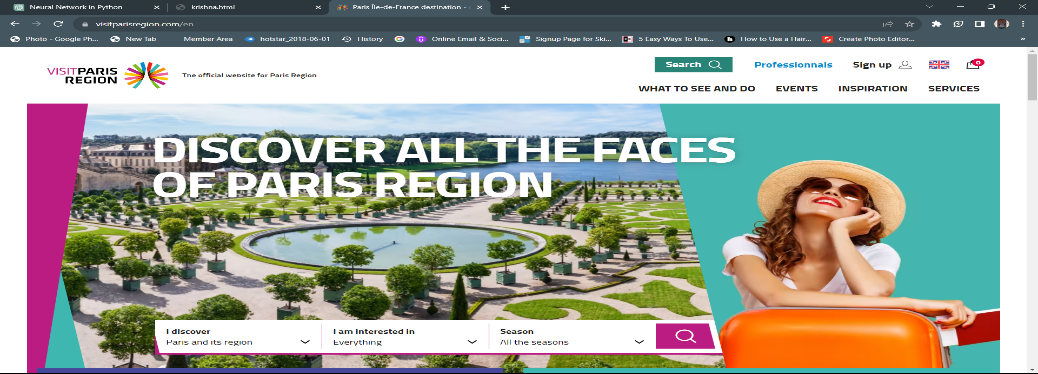
6. Customize: Customize the website's appearance, fonts, colors, and layouts.

7. Add Plugins: Enhance functionality with plugins for SEO, social sharing, etc.

8. Preview: Preview your website before making it live.

9. Launch: Make your website live by removing any "Coming Soon" pages.

**EXPECTED OUTPUT:**



- A WordPress-powered website with a chosen theme.

- Blog posts that include anchor tags and title tags.

- Navigation menu with links to posts and pages.

- Additional pages like "About," "Contact," etc.

- Customized appearance and layout.

- Additional features added through plugins.

- Preview of the website before launching.

- A live blog accessible to visitors.

**RESULT:** By following the steps outlined above, you will have successfully created a WordPress-based web blog that demonstrates the usage of anchor tags, title tags, and other essential website elements. Your blog will be live on the internet and can be visited by users to read your posts, navigate through pages, and interact with your content.