

# ~~Assignment 6~~

Analytical :- 6.

1) Consider the following grammar and eliminate left recursion.

$$A \rightarrow ABd / Aa / a.$$

$$B \rightarrow Bc / b.$$

STEP 1:- Remove direct left recursion from the non-terminal  $A \rightarrow ABd / (AB)d / Aa / A$ .

STEP 2:- Factor out common prefix from the hand side production.

$$A \rightarrow AA$$

$$A \rightarrow ABdA' / BdA' / \epsilon.$$

resulting grammar.

$$A \rightarrow aA'$$

$$A' \rightarrow ABdA' / BdA' / \epsilon.$$

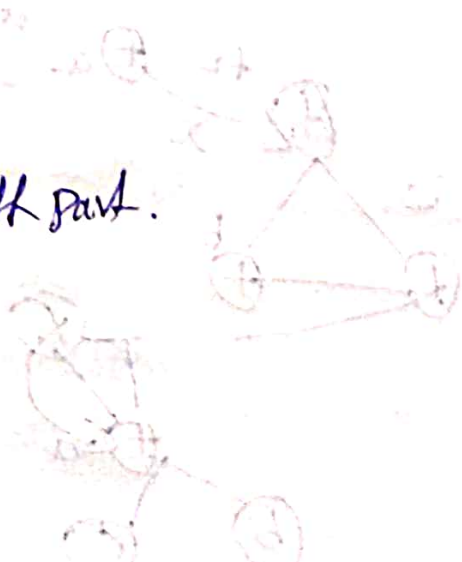
2) Consider the following grammar and eliminate left recursion.

$$A \rightarrow AAX / B.$$

STEP 1  $A \rightarrow AAX$

STEP 2 non terminal left part.  
 $S \rightarrow AAX.$

STEP 3 left reduction



$A \rightarrow S/A$   
Depth factor of computer work from me,  
 might hand.

$A \rightarrow PD'$

$A \rightarrow SK/E$

The resulting grammar will be after elimination  
 of left recursion.

$A \rightarrow PD'$

$A \rightarrow SA/E$

1)  $S \rightarrow bssas / bssasb / bsb/a$

$b \rightarrow assbs / asab / abb/b$

To left factor this growth. left common factor

1)  $S \rightarrow bs'$

2)  $S' \rightarrow ssas / sab / sb / \epsilon$

3)  $S \rightarrow a$

b)  $S \rightarrow assbs / asab / abb/b$

1.  $S \rightarrow as'$

2.  $S' \rightarrow sbs / sab / \epsilon$

3.  $S \rightarrow abb$

4.  $S \rightarrow b$

IV) Check whether the following grammar is a LL(1) or not.

$S \rightarrow EF \mid S / EF \mid SCS / a$   
 $E \rightarrow b$

First and Follow set.

1.  $\text{First}(S) = \{a\}$

2.  $\text{First}(E) = \{b\}$

3.  $\text{Follow}(S) = \{a, c\}$

4.  $\text{Follow}(E) = \{a, c\}$

Check the condition for LL(1) given grammar.

1. The first set of  $S = \{a\}$ .

2. The first set of  $E = \{b\}$  and follow set of  $E = \{a, c\}$



# Analytical

Q) Construct the recursive descent parser for the following grammar using.

$$\begin{aligned} E &\rightarrow TE' \\ E' &\rightarrow TE' / \epsilon \\ T &\rightarrow FT \\ T' &\rightarrow + FT / \epsilon \\ F &\rightarrow (E) / id. \end{aligned}$$

```
procedure  
{ T();  
  E();
```

```
procedure E();
```

```
{  
  if input symbol = '(' then  
    advance();
```

```
  {  
    procedure T();  
    f();  
    T();  
  }
```

```
procedure T();
```

```
{  
  if input symbol = '+' then  
    advance();  
  F();  
  T();
```

```
} T → + FT
```

procedure f()

```

{
  if input symbol is f then
    advance();
  check if input symbol is then
    advance();
  f();
  if input symbol = S
    advance();
  the error();
  due error();
}

```

→ f → fL

→ A → (E)

② Construct the following grammar for operation.  
 procedure power.  
 solution.

	a	(	)	*	^
a		>	>	>	>
(	<	>	>	>	>
)	<	>	>	>	>
*	<	<	>	>	>
^	<	<	<	<	<

operator procedure table.

Step 1:

$\delta(a(a))$

We insert precedence operator the symbol.

$\delta(a(a)) \rightarrow (a(a)) \rightarrow \delta$

Step 2:

We can scan and prove the string a.r.

$\delta(a(a)) \rightarrow (a(a)) \rightarrow \delta$

$\delta(a(a)) \rightarrow (a(a)) \rightarrow \delta$

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$\delta(a(a)) \rightarrow (a(a)) \rightarrow \delta$

$\delta$

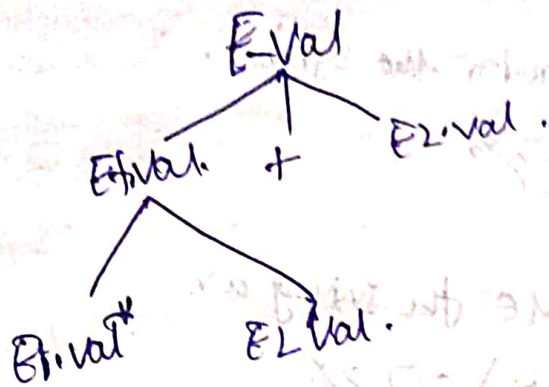
① Design the symbol graph for the following transfer

$E \rightarrow E_1 + b$

$E \rightarrow E_1 * E_2$

production	Semantic Problem.
$E \rightarrow E_1 + E_2$	$E.val = E_1.val + E_2.val$
$E \rightarrow E_1 * E_2$	$E.val = E_1.val * E_2.val$





10) Design the dependency graph for the following grammar.

$S \rightarrow T \text{ list}$

$T \rightarrow \text{int.}$

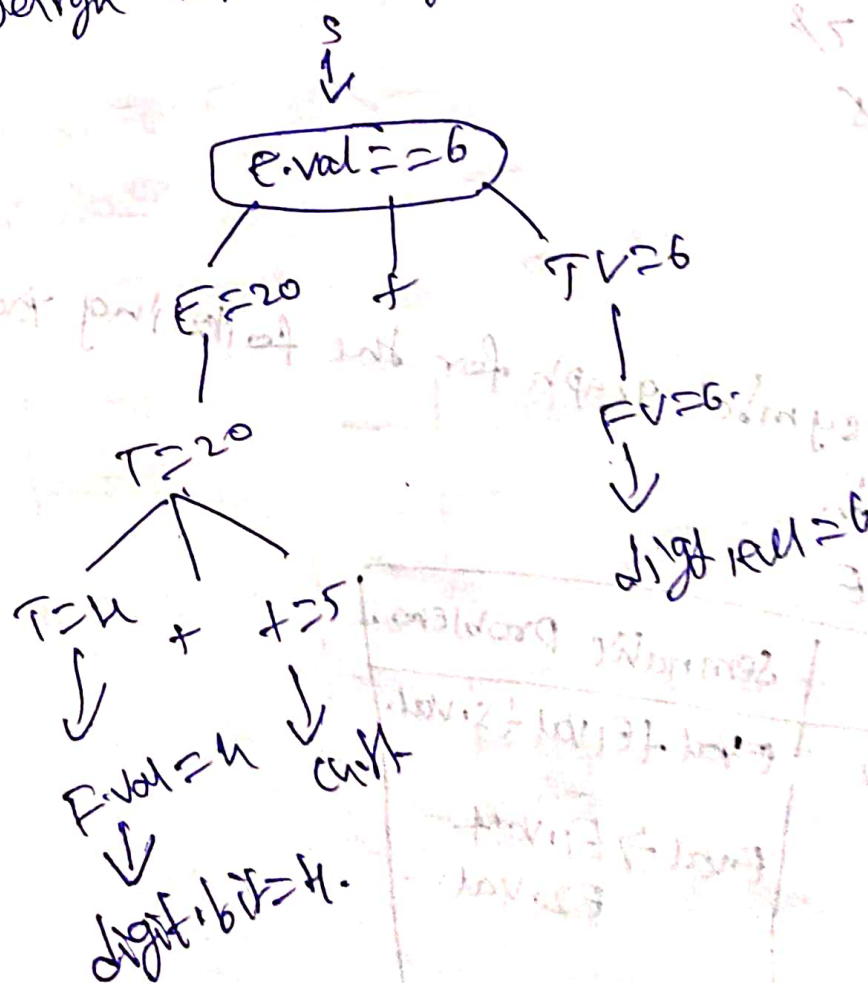
$T \rightarrow \text{char.}$

$T \rightarrow \text{double.}$

$\text{list} \rightarrow \text{list, id.}$

$\text{id} \rightarrow \text{id.}$

Design for above grammar of dependency graph



Analytical: 8.

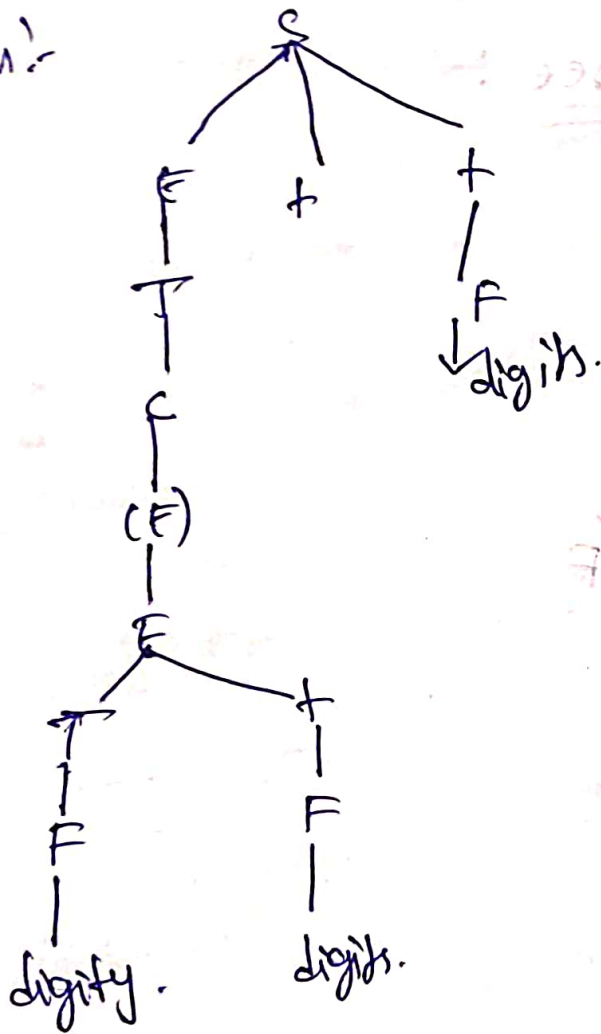
① Illustrate the SDD for simple arithmetic calculation and how unrooted parse tree for the expression  $(6+4)^* (4+3)$

$A \rightarrow E \& T / E - T / T$

$T \rightarrow T * F / T / F / F$

$F \rightarrow (E) / \text{digit}$

Ans:-





2. construct a decorated parse tree according to the syntax directed definition for the fake input string  $(4 + 5) / 2$   
 SDD for sample put calculate.

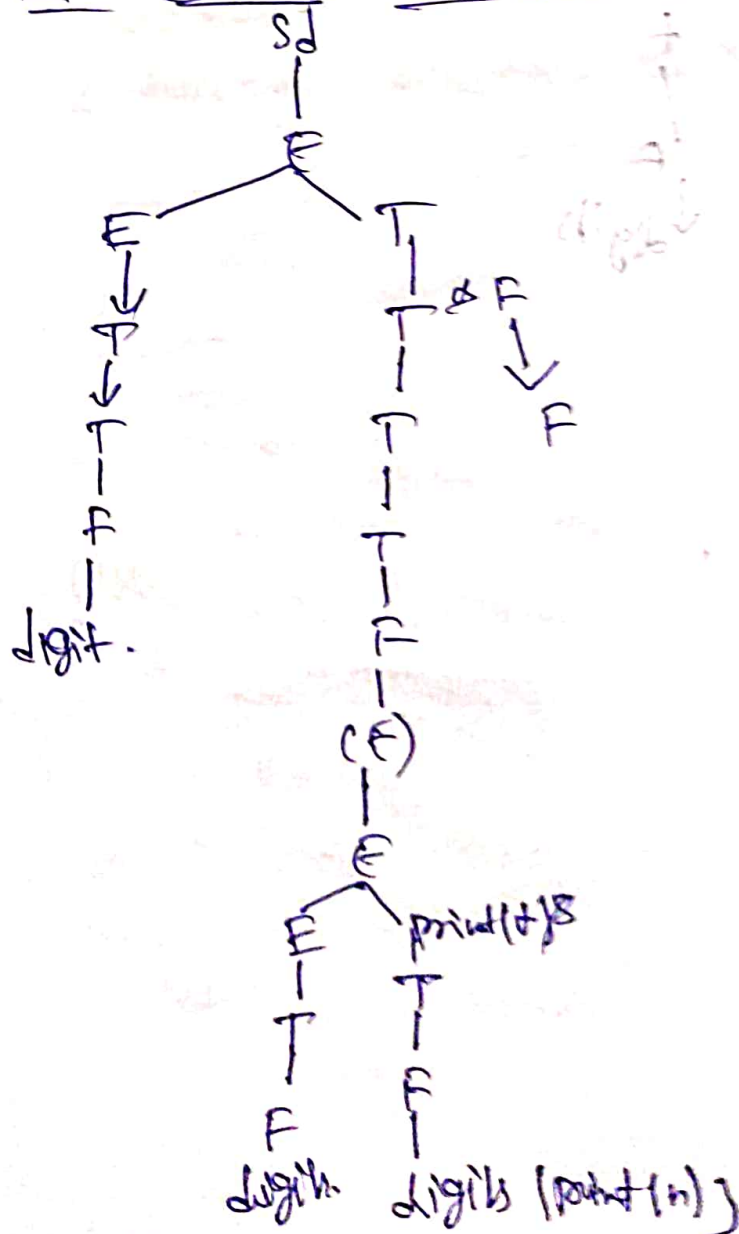
1.  $S \rightarrow E$

2.  $E \rightarrow T \& F / T / F / F$

3.  $T \rightarrow T \& F / T / F / F$

4.  $F \rightarrow ( F ) / \text{digit}$

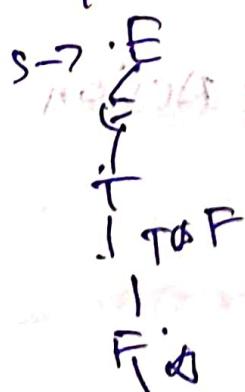
# The decorated parse tree :-



③ Give a right derived definition to the given expression formed by applying the arithmetic operators  $x$  and  $y$  to variable  $x$  and  $y$  (if any).

Ans:- SDD for Derivation of Expression

$S \rightarrow E$   
 $E \rightarrow E + T / T$   
 $T \rightarrow T * F / F$   
 $F \rightarrow \text{constant}$



The derivation of the expression  $(3 * x + 4) * 10$  with respect to the grammar.

④ For the following given grammar construct the syntax tree, detection and generate the code for the given expression.

$S \rightarrow EN$   
 $E \rightarrow E + T / E - T / T$   
 $T \rightarrow T * F / T / F / F$   
 $F \rightarrow (F) / \text{digit}$

$N \rightarrow ;$

Ans:- SOD for the given grammar

$S \rightarrow E$  initial (unit)  
 $E \rightarrow E + T \mid E - T \mid E * T \mid E / T$   
 $T \rightarrow T * F \mid T / F \mid T \wedge F \mid T \vee F$   
 $F \rightarrow \text{val} \mid \text{final}$

$E \rightarrow \{ F \cdot \text{val} \cdot E \cdot \text{val} \} / \text{to list}$

$N \rightarrow ;$

skp 1:- initialization the parenthesis stack

stack (10)

Input =  $\{ \{ \} + \{ \}$

skp 2:- Applying LR applying action

skp 3:- Apply the PLR parsing action from couple of steps.

skp 4:- Reduce using rule's NEW Action

stack (0)

Input = ;



Analytical:- 9

① Initialize the SDD for single rule calculation and standard operation  $(H+H) + (SHO) \dots$

$$s \rightarrow \epsilon n.$$
$$E \rightarrow E + T/E.$$

T/K.

$$T \rightarrow T^2 F \mid T \mid F \mid F$$

$F \rightarrow (E) \text{ digit}$

3 DD for simple Desk calculation:-

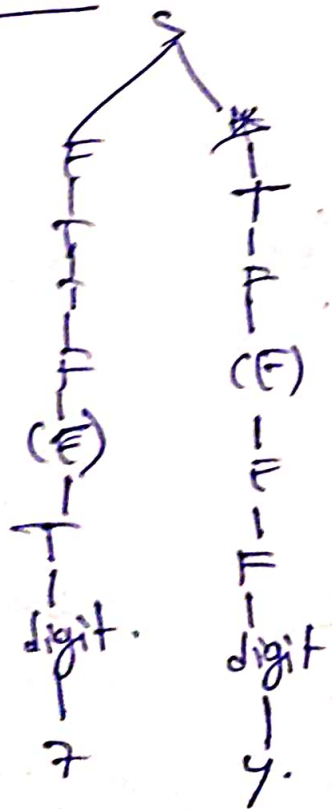
1.2)  $\rightarrow E$  & print (E.vall).

1.  $E \rightarrow E \& \text{print}(E.\text{val})$   
2.  $E \rightarrow E + T \mid E \cdot \text{val} = E.\text{val} + T.\text{val} \mid T \mid E.\text{val} \cdot T$

3.  $T \rightarrow T \vee F \quad \{T \text{ val} = T \text{ val} \vee F \text{ val} \} \{T/F\} \text{ val.}$

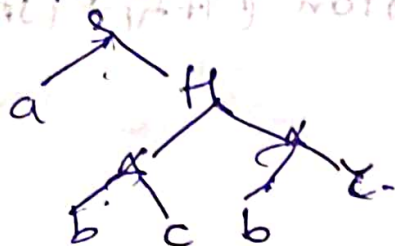
4.  $f(E) \{ f_{vol} = f_{vol} \}$ .

Expression :  $(7+u)^2(3+6)$ .



② Construct the spectral tree for the expression,

$a = b^* c + b^* c$   
The square for given expression to



③ Illustrate the b/w up evaluation for  $s$  attribute for the input  $5 * 6 + 4$ .

$S \rightarrow EN$  Given Grammar:

$E \rightarrow E + T$

$E \rightarrow E - T$

$E \rightarrow T$

$T \rightarrow T * F$

$T \rightarrow T / F$

$T \rightarrow F$

$F \rightarrow E$

$E \rightarrow \text{digit}$

$S \rightarrow EN$

$E \rightarrow E + T / E - T / T$

$T \rightarrow T * F / T / F / F$

$F \rightarrow E / \text{digit}$

Bottom up evaluation!

Input =  $5 * 6 + 4$

Shift "5" onto the stack.

3. Shift "4" onto the stack.

4. Shift "6" onto the stack.

5. Reduce using  $T \rightarrow \text{digit}$ .

6. Reduce using  $T \rightarrow F$ .

7. Shift "6" onto the stack.

8. Shift "1" on the shift.

11. Reduce using  $T \rightarrow \text{digit}$ .

12. Reduce using  $F \rightarrow T$ .

13. Reduce using  $S \rightarrow EN$ .

