

Recurrent Neural Networks

⇒ RNNs are very powerful, because they combine two properties

1. Distributed hidden state that allows them to store a lot of information about the past efficiently
2. Non-linear dynamics that allows them to update their hidden state in complicated ways.

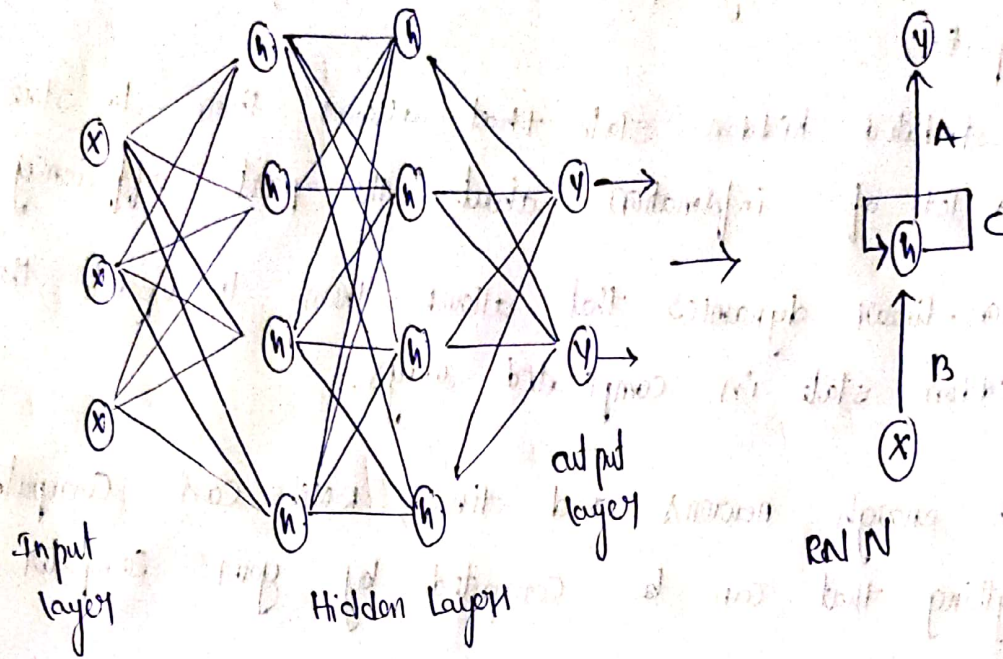
⇒ with enough neurons and time, RNNs can compute anything that can be computed by your computer.

Need for RNN:

- ⇒ Normal Networks cannot handle sequential data
- ⇒ They consider only the current input
- ⇒ Normal NN cannot memorize previous inputs

⇒ RNN works on the principle of saving the output of a particular layer and feeding this back to the input in order to predict the output of the layer.

Converting a full Network into Recurrent Network

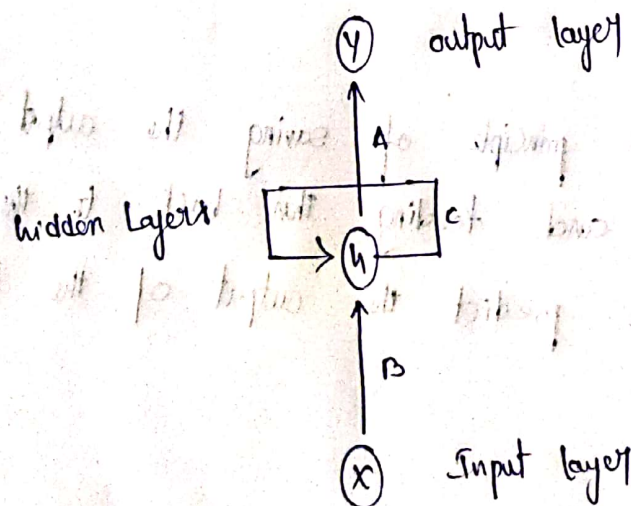


x - input layer

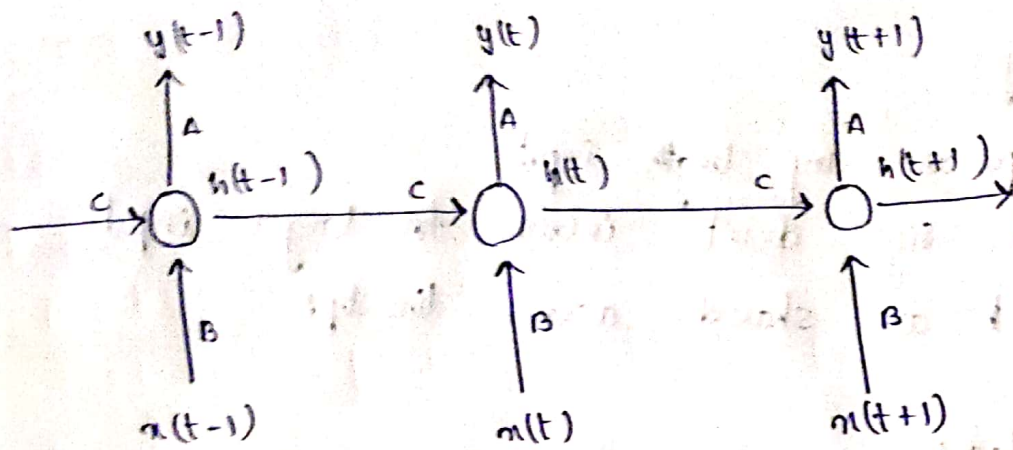
h - hidden layer

y - output layer

A, B, C are the network parameters



1) Recurrent Network



B) fully connected RNN

$$h(t) = f_c(h(t-1), n(t))$$

$h(t)$ = new state

f_c = function with parameter c

$h(t-1)$ = old state

$n(t)$ = input vector at time step t

providing Input to RNN

- specify the initial states of all the units
- specify the initial states of a subset of the units
- specify the states of the same subset of the units at every time step.

providing Target to RNN

- specify desired final activities of all the units
- specify good for learning attractors
- specify the desired activity of a subset of the units.

Advantages

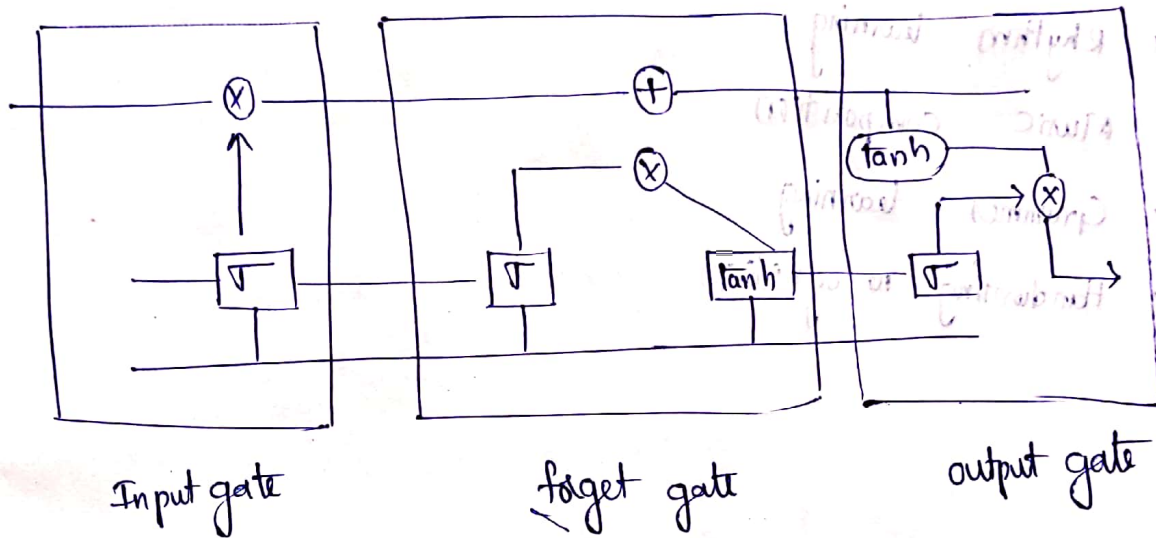
- Can process any length input
- Model size doesn't increase for longer input
- weights are shared across timesteps

Disadvantages

- Recurrent computation is slow
- In practice, difficult to access information from many steps back.

LSTMs — Long short Term Memory Network

* A type of RNN architecture that addresses the vanishing gradient problem and allow learning of long-term dependencies



σ — used to removing unwanted data
 \tanh — used to add the additional information

forget gate : controls what information to throw away from memory

$$f_t = \sigma(w_f [h_{t-1}, x_t] + b_f)$$

Input gate : controls what new information is added to cell state from current input

$$i_t = \sigma(w_i [h_{t-1}, x_t] + b_i)$$

$$\tilde{c}_t = \tanh(w_c [h_{t-1}, x_t] + b_c)$$

Output gate :

$$o_t = \sigma(w_o [h_{t-1}, x_t] + b_o)$$

$$h_t = o_t * \tanh(c_t)$$

