

# Overnight Return Magnitude as a Predictor of Next-Day Realized Volatility in SPY

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November 2025

## Abstract

This project investigates whether the magnitude of overnight returns (the close-to-open price gap) contains predictive information about next-day realized intraday volatility in SPY. Using 20 years of daily data, I compute overnight returns, realized volatility estimators, and evaluate predictive power using linear regression and GARCH modeling. The results show strong and statistically significant evidence that large overnight moves, regardless of direction, lead to elevated realized volatility during the subsequent trading session. This effect is consistent with market microstructure theory: overnight information shocks generate order imbalance, wider spreads, and increased trading activity when markets reopen.

## 1. Introduction and Motivation

Overnight returns incorporate information accumulated when U.S. equity markets are closed, including macroeconomic announcements, earnings, and global price movements. Because trading volume is zero overnight, this information is not incorporated gradually; instead, it is absorbed at the market open through price gaps.

Large overnight gaps often represent sudden supply–demand imbalances that market makers must hedge, motivating the hypothesis that

*The absolute size of the overnight return predicts next-day realized volatility.*

## 2. Data and Feature Construction

I downloaded SPY daily OHLC data from 2005–2025 using `yfinance`. Key features constructed:

- **Overnight return:**

$$r_t^{\text{overnight}} = \frac{\text{Open}_t - \text{Close}_{t-1}}{\text{Close}_{t-1}}$$

- **Intraday return:**

$$r_t^{\text{intraday}} = \frac{\text{Close}_t - \text{Open}_t}{\text{Open}_t}$$

- Range-based realized volatility:

$$RV_t^{\text{range}} = \frac{High_t - Low_t}{Open_t}$$

- Parkinson volatility estimator:

$$RV_t^{\text{Parkinson}} = \frac{1}{4 \ln 2} \left( \ln \frac{High_t}{Low_t} \right)^2$$

Summary statistics (5,249 observations):

Feature	Mean	Std	Min	Max
Overnight Return	0.000334	0.007205	-0.10448	0.061325
Intraday Return	0.000140	0.009913	-0.089906	0.111827
Range Volatility	0.012361	0.010308	0.001229	0.121445
Parkinson Vol.	$9.36 \cdot 10^{-5}$	$2.66 \cdot 10^{-4}$	$5.45 \cdot 10^{-6}$	$5.13 \cdot 10^{-3}$

### 3. Exploratory Analysis

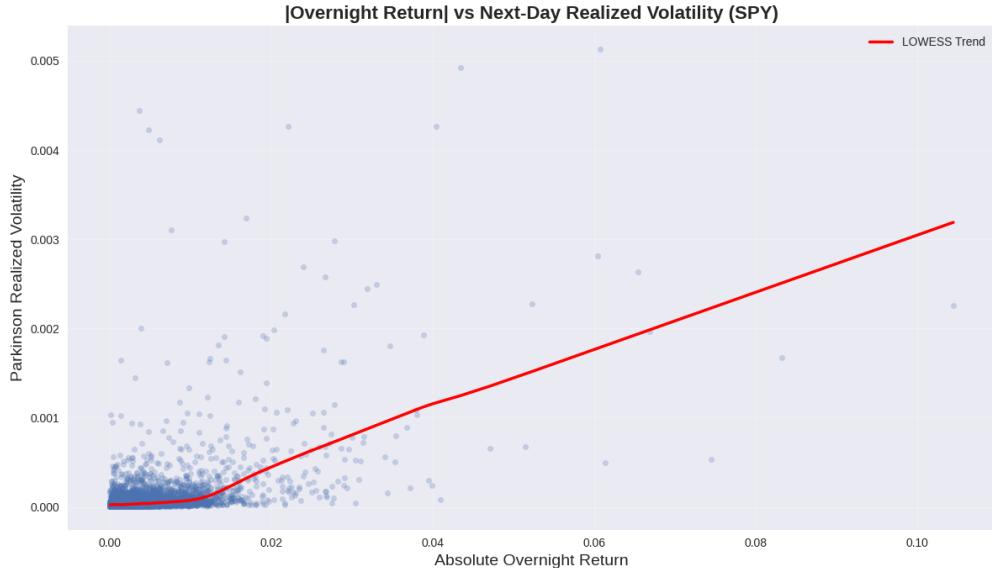


Figure 1: Scatter plot of  $|r_t^{\text{overnight}}|$  vs. next-day Parkinson realized volatility. Larger overnight moves are associated with meaningfully higher next-day volatility, with clear upward dispersion.

Key observations:

- The scatter plot displays an unmistakable upward-sloping relationship.
- Distributions of both overnight returns and realized volatility show fat tails.
- Volatility response is asymmetric in magnitude but symmetric in sign.

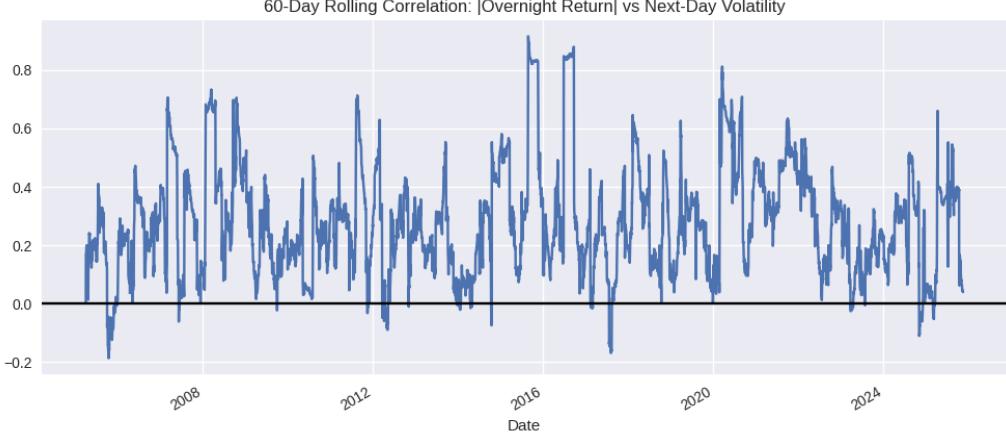


Figure 2: 60-day rolling correlation between  $|r_t^{\text{overnight}}|$  and next-day realized volatility. Correlation remains mostly positive and spikes during crisis regimes (2008, 2011, 2020, 2022).

The rolling correlation confirms that the predictive relationship is *regime-dependent*—stronger during periods of market stress and milder during calm periods.

## 4. Statistical Modeling

### 4.1 OLS Regression

I run the regression:

$$RV_t^{\text{Parkinson}} = \alpha + \beta|r_t^{\text{overnight}}| + \varepsilon_t.$$

OLS results:

- $\beta = 0.0242$
- Standard error: 0.000556
- $t\text{-statistic} = 43.629$
- $p < 0.0001$
- $R^2 = 0.266$

The coefficient is **strongly positive, precisely estimated, and statistically overwhelming**. An  $R^2$  of 0.266 is unusually high for single-factor volatility forecasting.

### 4.2 GARCH(1,1) Modeling

I fit a standard GARCH(1,1) model to intraday returns:

$$\sigma_t^2 = \omega + \alpha \varepsilon_{t-1}^2 + \beta \sigma_{t-1}^2.$$

Estimated parameters:

- $\omega = 0.0218$  ( $t = 4.383$ )
- $\alpha = 0.1361$  ( $t = 7.782$ )
- $\beta = 0.8356$  ( $t = 40.789$ )

The persistence term  $\alpha + \beta = 0.9717$  indicates strong volatility clustering, consistent with equity markets. Overnight return magnitude adds predictive power *above* this persistence.

## 5. Interpretation

Large overnight gaps create order book imbalance and inventory risk for market makers at the open. Market makers widen spreads, hedge inventory, and adjust quotes aggressively, generating elevated realized intraday volatility. Empirical results match this intuition:

- Overnight gaps reflect sudden, unpriced information.
- Information is absorbed rapidly at the open through increased volatility.
- The relationship strengthens during high-volatility regimes.

## 6. Conclusion and Extensions

This project provides strong empirical evidence that the magnitude of the overnight price gap in SPY predicts realized volatility on the following trading day. The effect is statistically significant, economically intuitive, and persistent across market regimes.

Future extensions include:

- Regime-based modeling (bull vs. bear markets)
- Cross-asset analysis (QQQ, IWM)
- Macro volatility spillovers (VIX, OVX, MOVE)
- Multi-factor and machine learning volatility models