

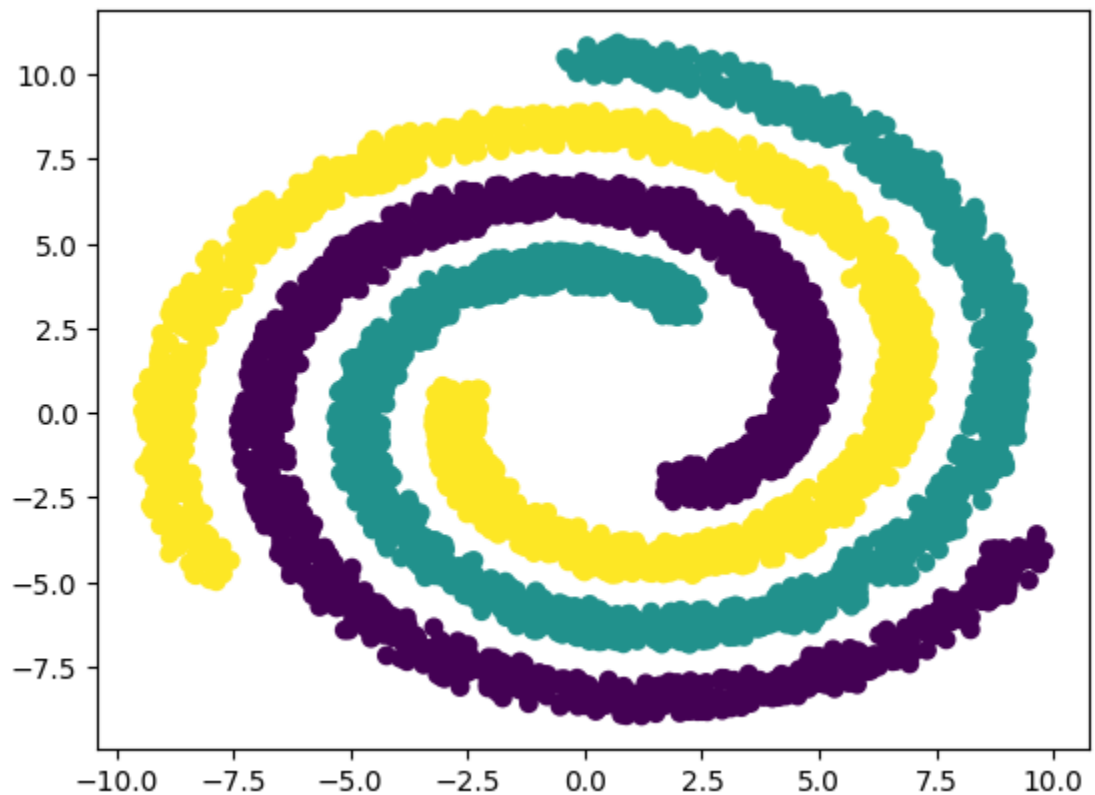
REPORT

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1. Data

- a. There were no null or Nan values in the dataset
- b. The given training data set is not linear, and circular / spiral in shape
- c. The labels are more than two and for logistic regression it is not recommended for data apart from binary data.
- d. In order to convert the data into binary, I am using “**One versus Rest**” approach, I am setting class-2 and class-3 as class-2 and class-1 as 1
- e. I have tried to transform the data using multiple math equations but in the end I couldn't convert the data into linear fashion.

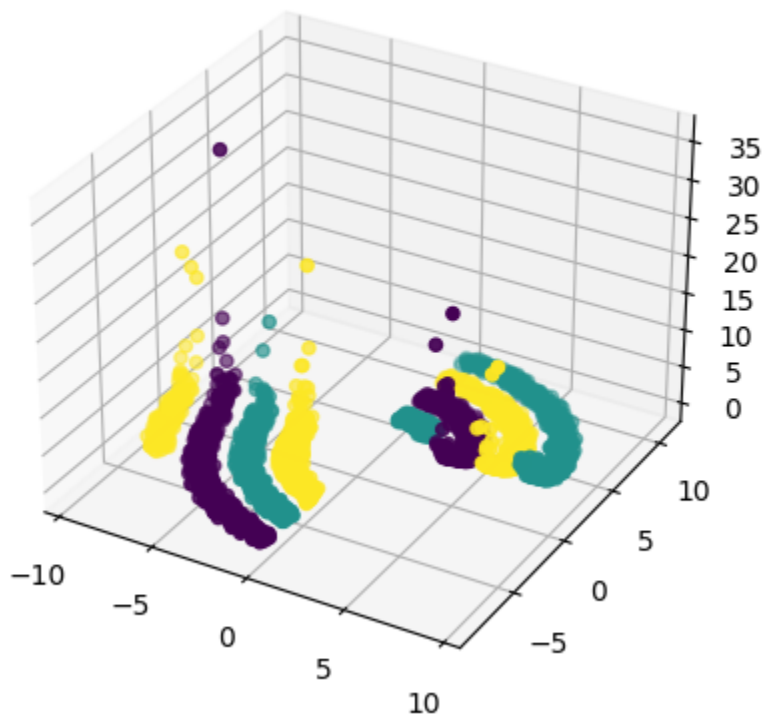


f.

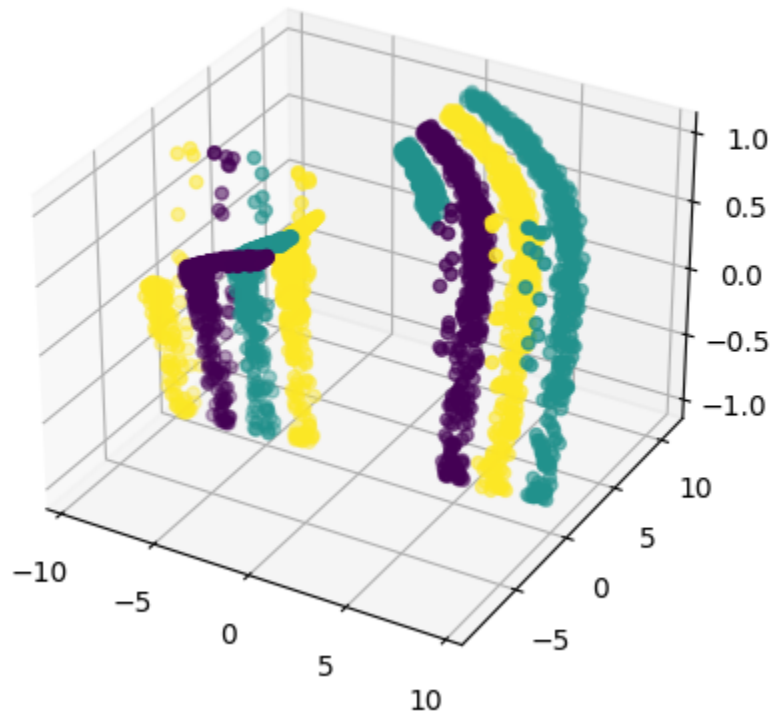
2. Naïve Logistic Regression

- a. I have implemented a Naive Logistic Regression using numpy, sigmoid function as activation function with threshold as 0.5.

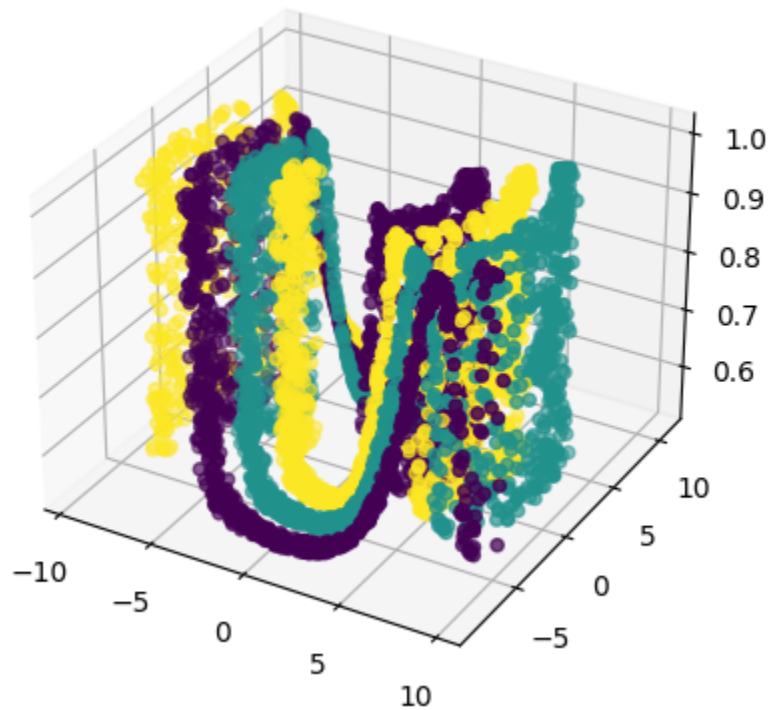
- b. I have adjusted the weights according to the learning rate and calculated dw
 - c. By default I am considering the learning rate as 0.001 and n_iterations as 1000
 - d. Maximum accuracy I have received is 0.6570666666666667
3. Data Transformations
- a. $z = \frac{\text{np.sqrt(np.log10(np.exp(X_train[:, 0])))}}{\text{np.log10(np.exp(X_train[:, 1]))}}$



b. $z = \frac{\cos(\sqrt{\log_{10}(\exp(X_{\text{train}}[:, 0])) / \log_{10}(\exp(X_{\text{train}}[:, 1]))}}{1}$

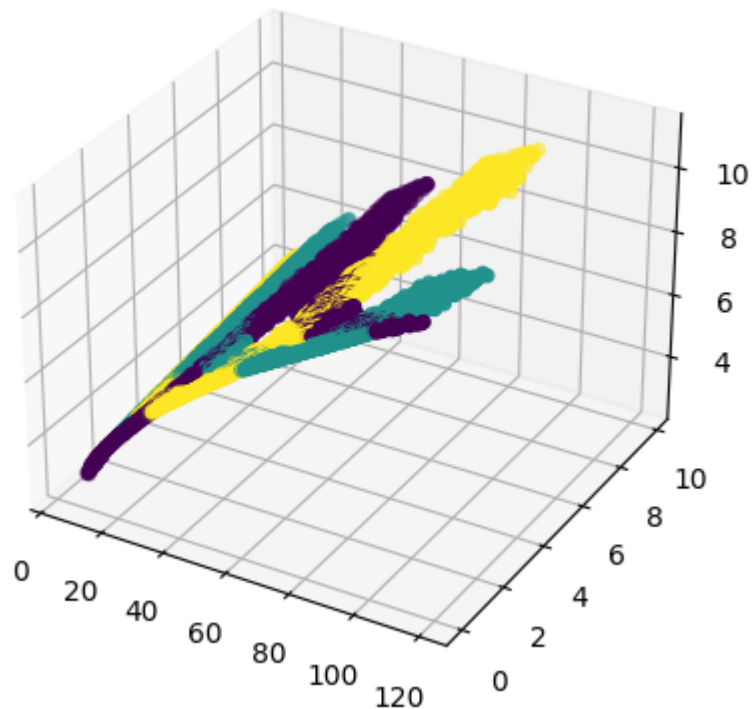


c. $z = \text{np.cos}(\text{np.cos}(\text{np.square}(\text{np.log10}(\text{np.exp}(X_{\text{train}}[:, 0]))) / \text{np.log10}(\text{np.exp}(X_{\text{train}}[:, 1]))))$



d. Finally I ended up on a transformation using few examples from textbook, where I have ended up converting cartesian plots to

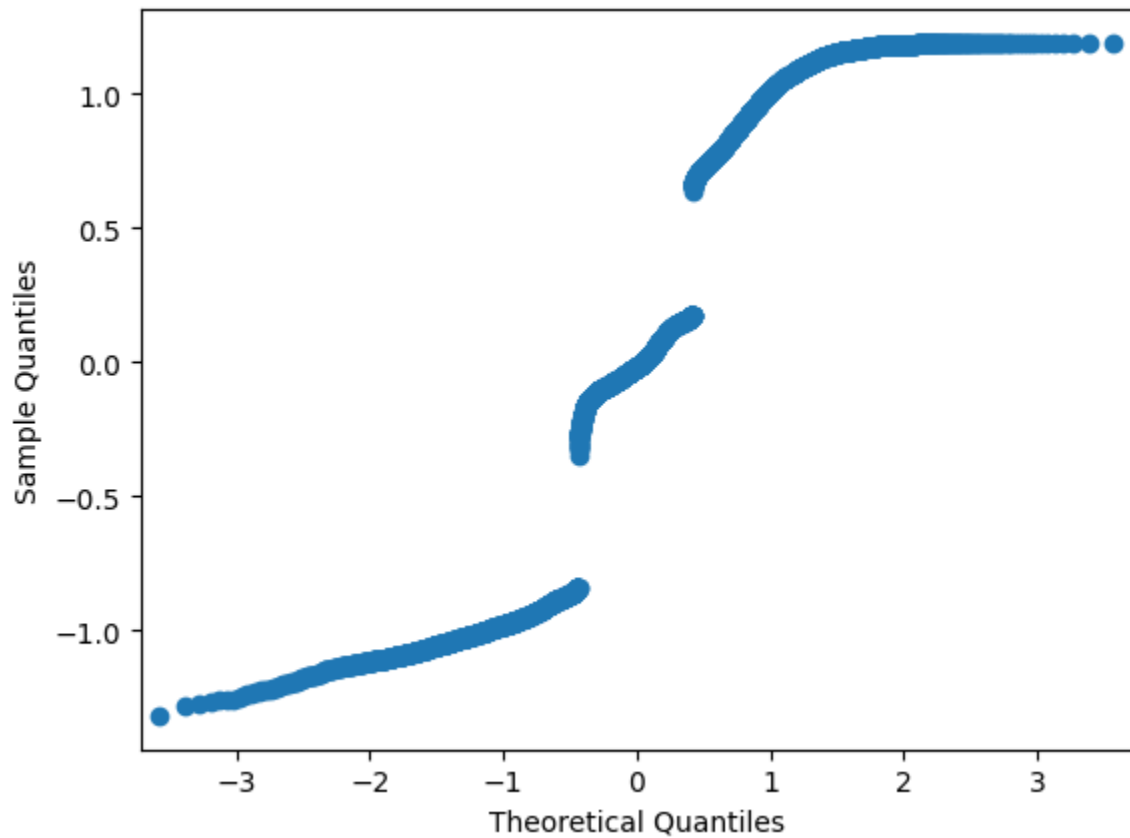
polar values and then taking took the square root of the sum of



x1 and x2

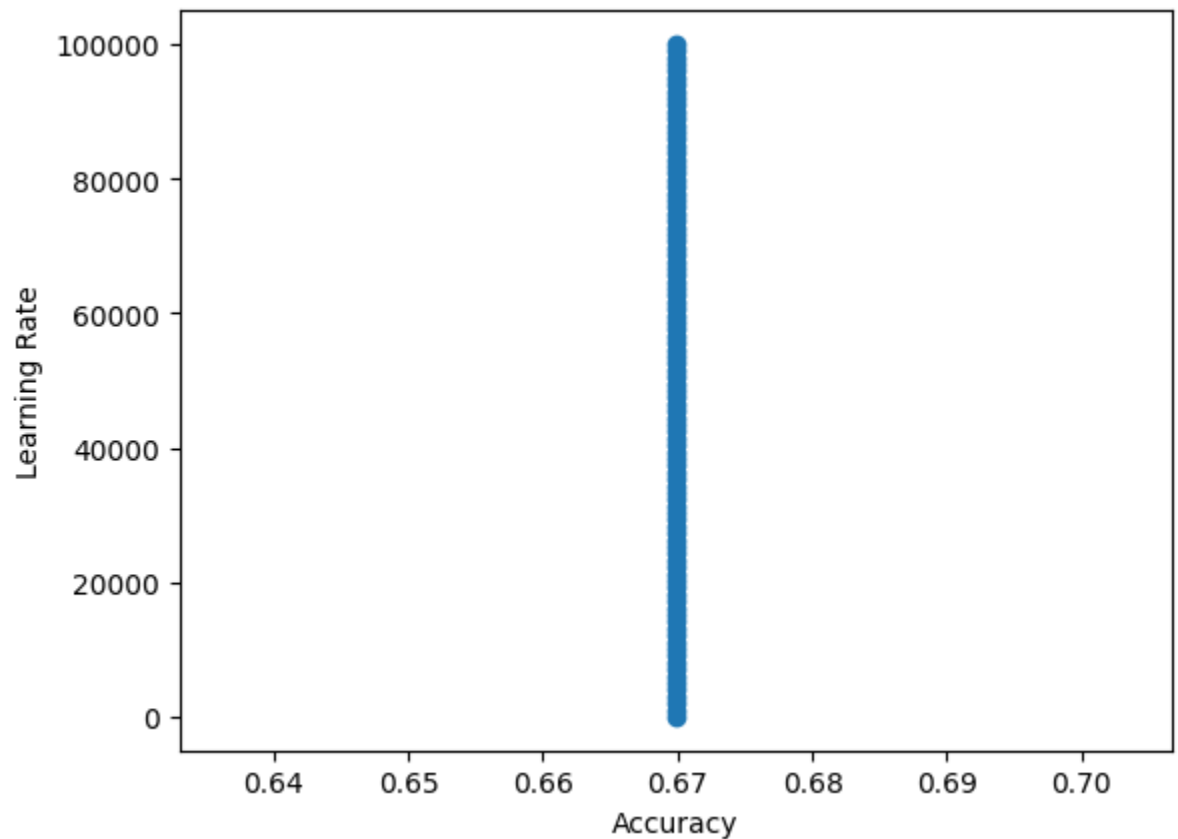
- e. I have constructed a new datapoint or dimension x3 with which I tried to convert the non-linear data into linear data.
- f. For the transformed data we need to check for **linearity, homoscedasticity, absence of multicollinearity, independence and normality of errors**
 - i. For the linearity I have looked at residual vs fitted plot

- ii. For the normality I have considered qqplot from statsmodels library



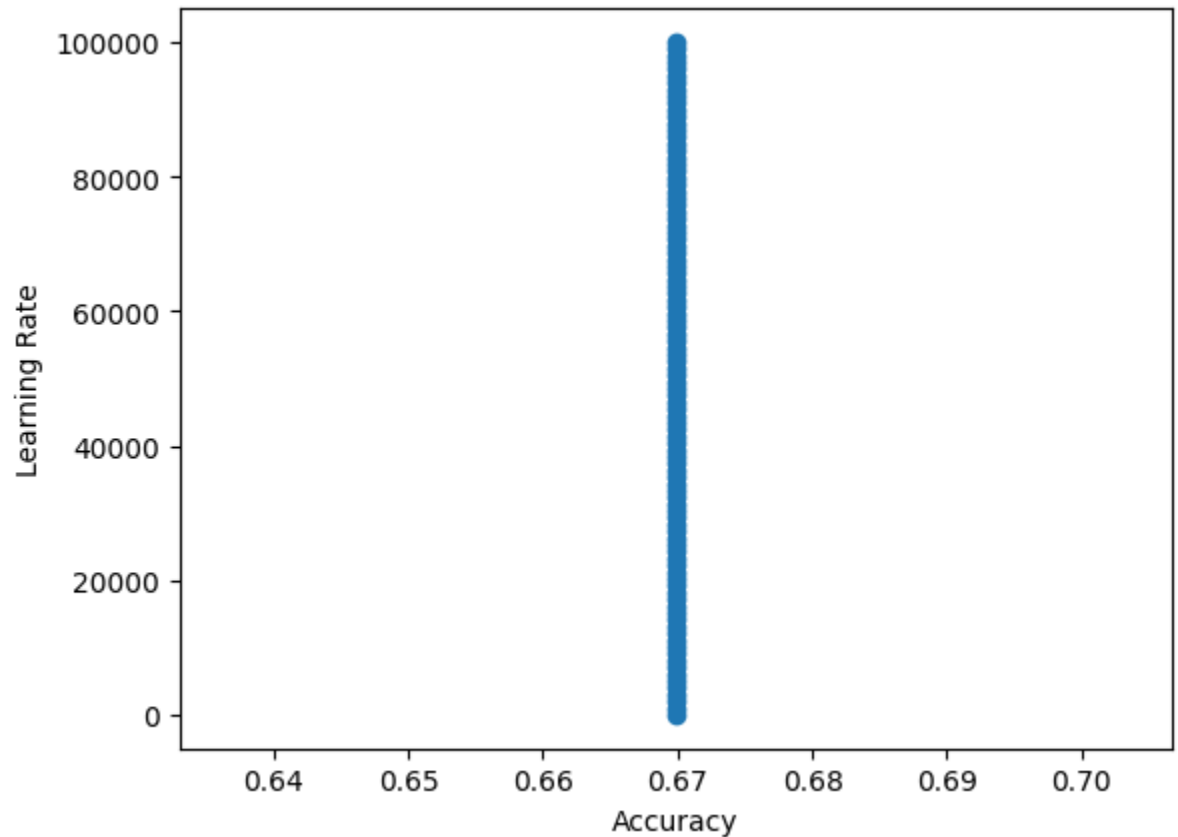
4. For improving the accuracy of the logistic regression model, I have used **GridSearchCV** at various learning rates.
- The best accuracy I have achieved using GridSearchCV is 0.6698666666666667

b. The best model is found for learning rate = 1.0



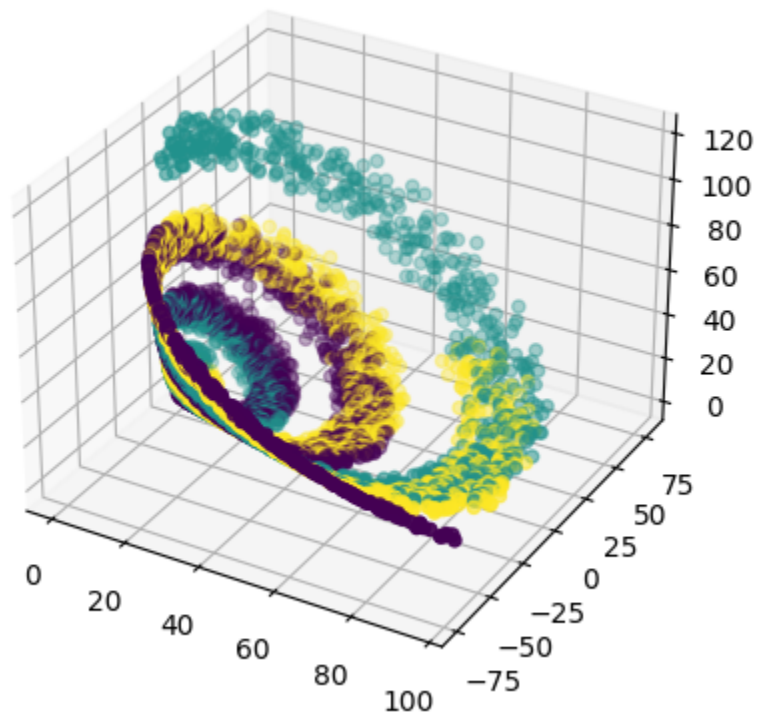
- c. The major thing I have noticed is irrespective of the learning rate the accuracy of the model didn't really change that much, it was almost a constant
- d. Things were the same with one of my best transformations of data as well, accuracy didn't really change irrespective of the

learning rate.

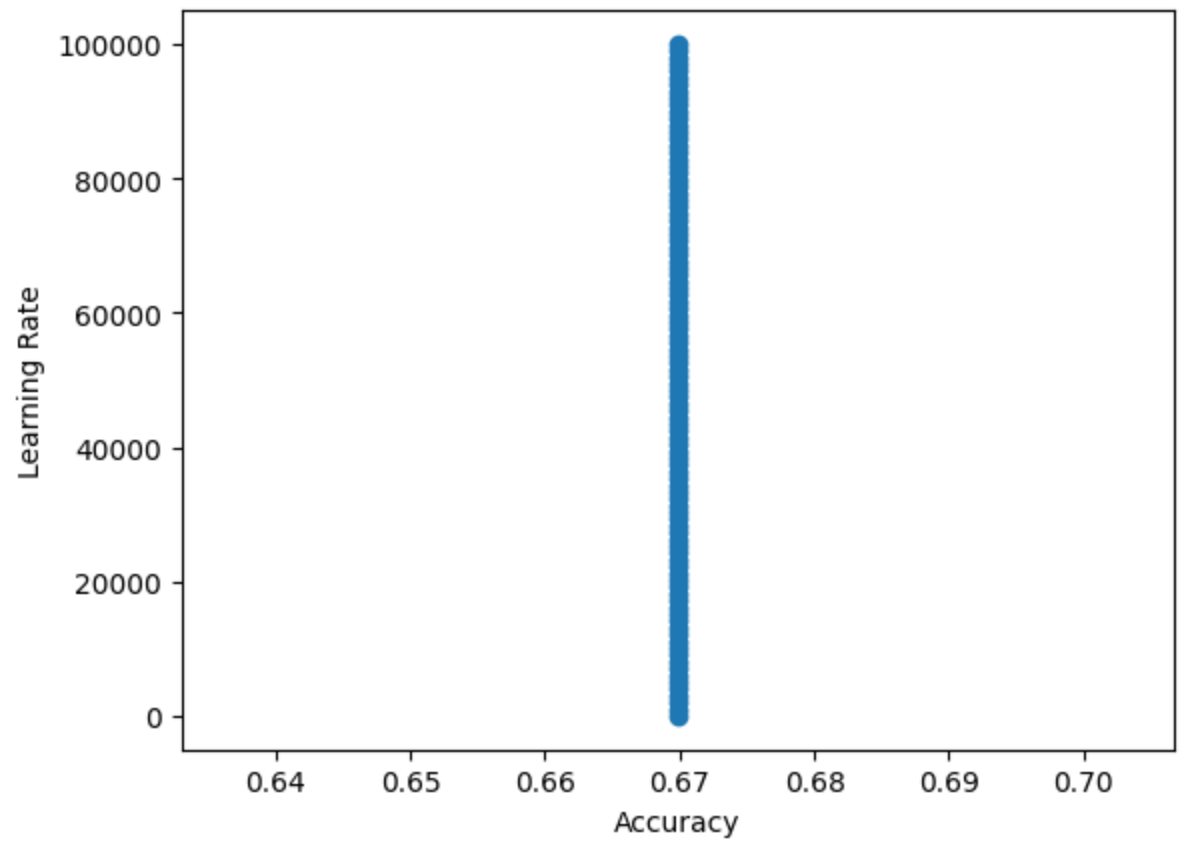


5. Kernelization: a technique for designing efficient algorithms that achieve their efficiency by a preprocessing stage in which inputs are mapped to higher dimensions without the calculation overhead
 - a. I have implemented five different kernel functions to transform the data to achieve better results
 - b. Gaussian Kernel:** For gaussian kernel I have mapped both training data and test data into the new gaussian kernel space and achieved a 3-D data from the original 2-D data

c. The transformed data looks something like this



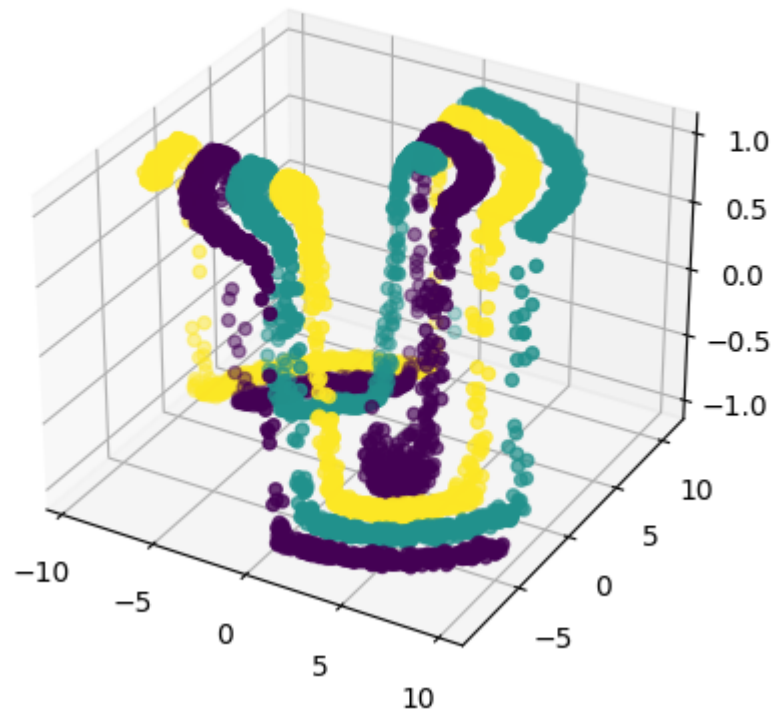
d. Accuracy didn't change by much as well



e.

- f. **Sigmoid Kernel:** I have implemented the sigmoid kernel using \tanh , post transformation the shape of the data has drastically

Sigmoid Kernel

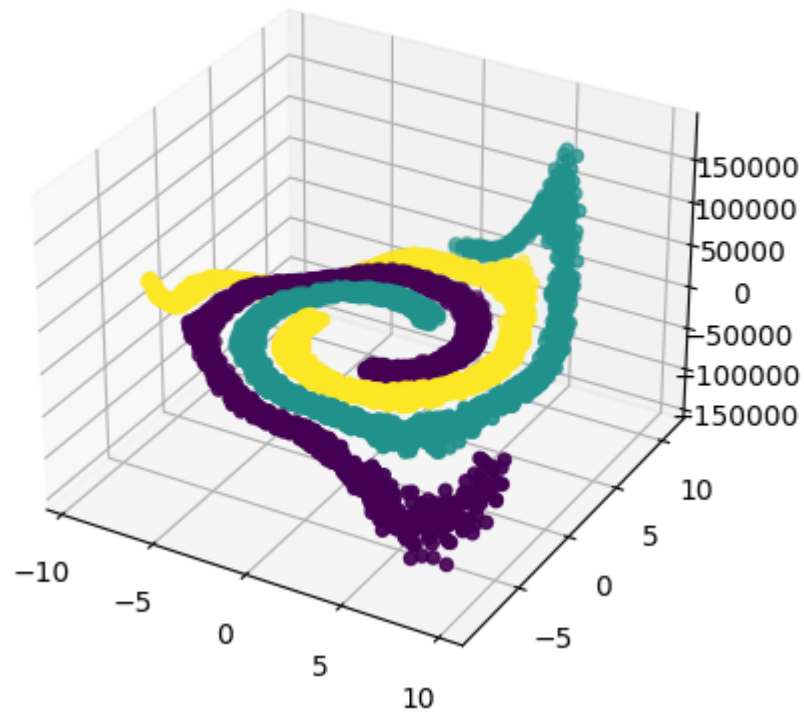


changed

- g. But there wasn't any change in the accuracy because of the non-linearity in the data.
- h. **Polynomial Kernel:** I have taken a polynomial of degree 3 and using dot product I have generated the third dimension x^3 with

which the data is being transformed into polynomial kernel

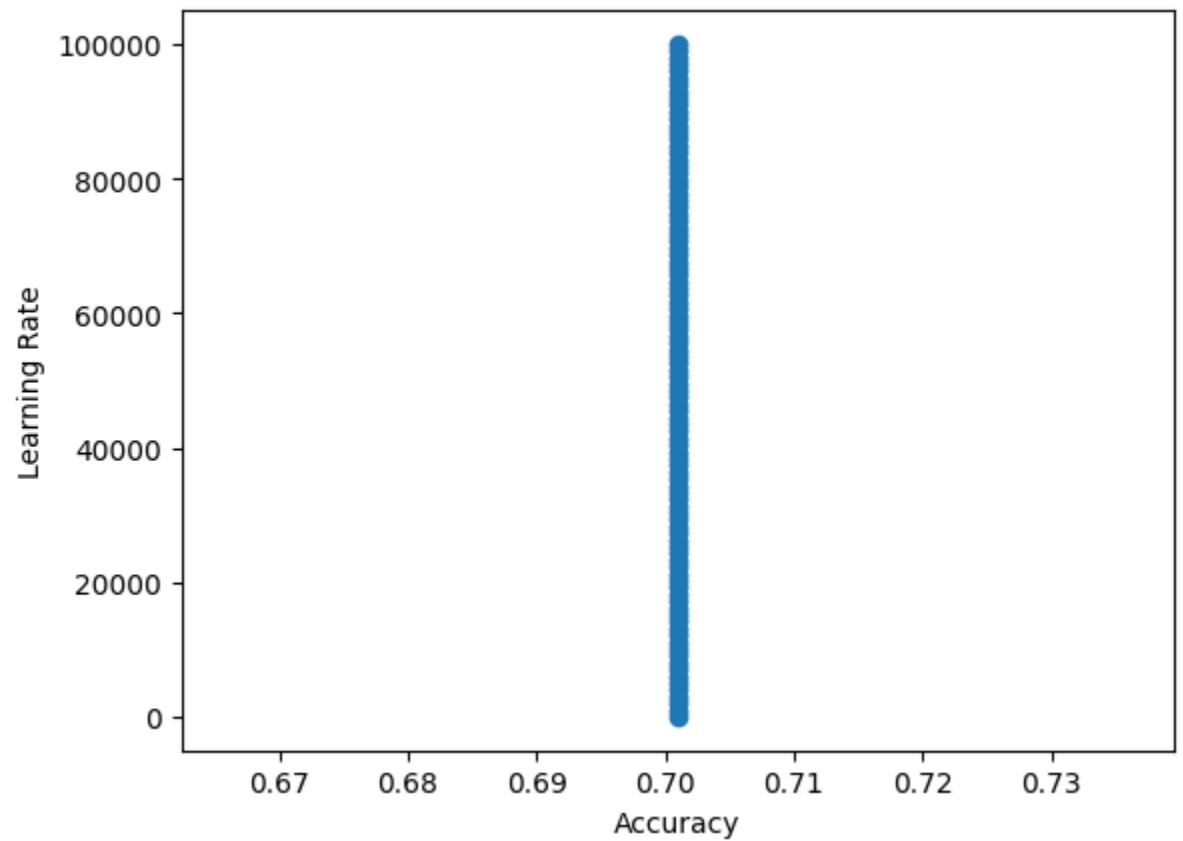
Polynomial Kernel



space

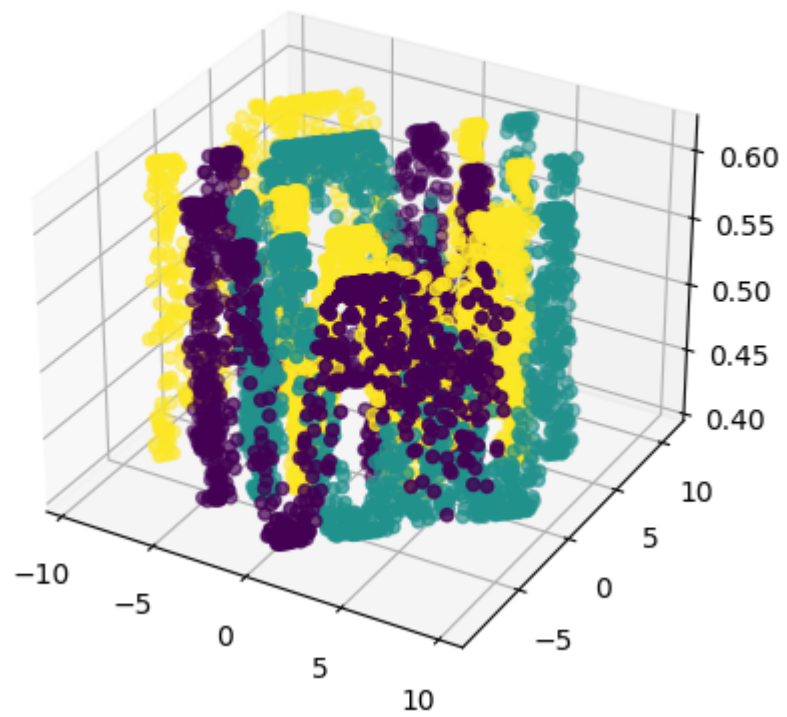
- i. However the separation of data is not much but it did affect the behavior of the data and the accuracy of the model has

increase by quite a bit to almost 71%

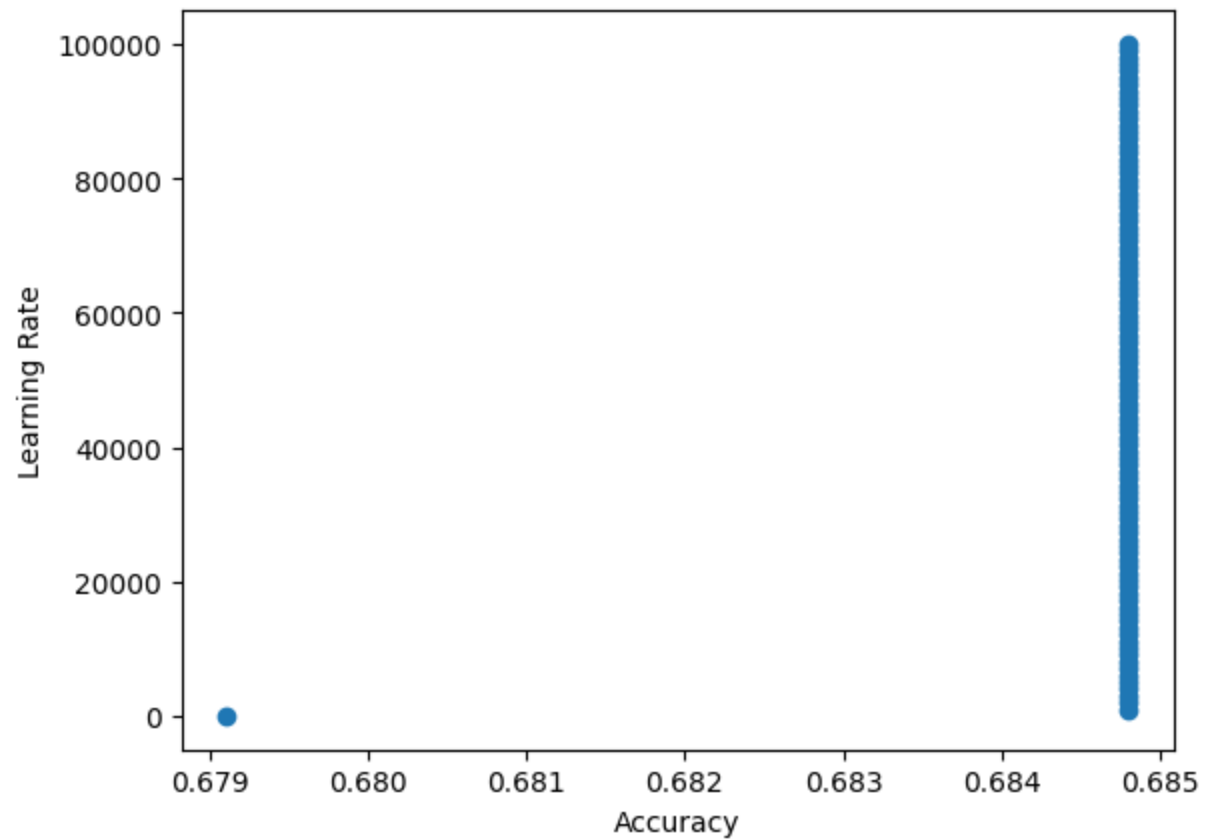


- j. **Fourier Kernel:** I have implemented the fourier kernel with the help of cos function and `_q` as 0.1, this was an interesting

transformation which reduced the accuracy instead of
Fourier Kernel



increasing it

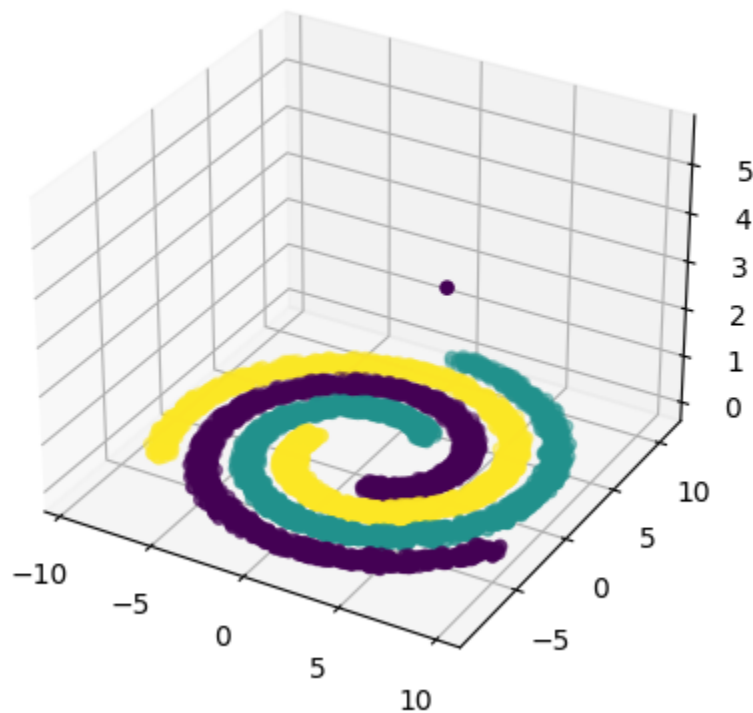


k.

- I. **RBF Kernel:** I have implemented the RBF kernel using the exponent of the square of difference original inputs multiplied by

a gamma value.

RBF Kernel

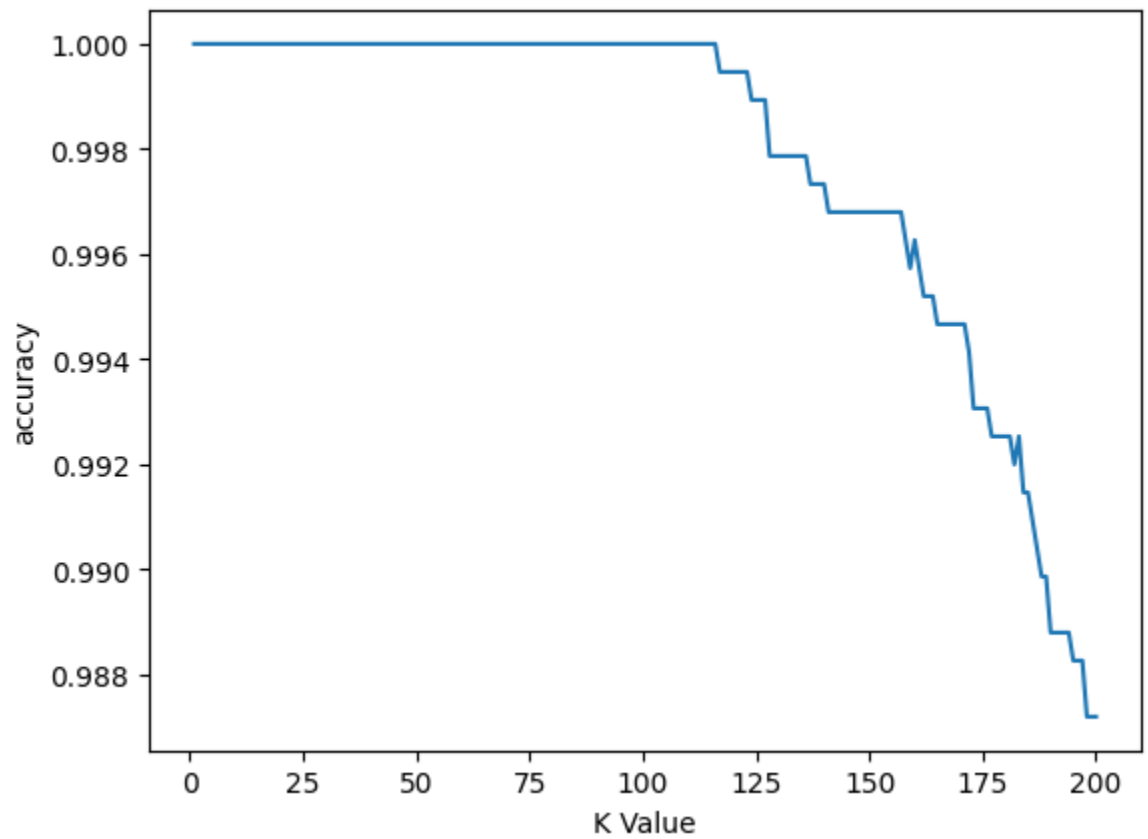


m. This transformation failed to transform the data even though we converted it into high dimensionality

6. Non-parametric KNN Classification

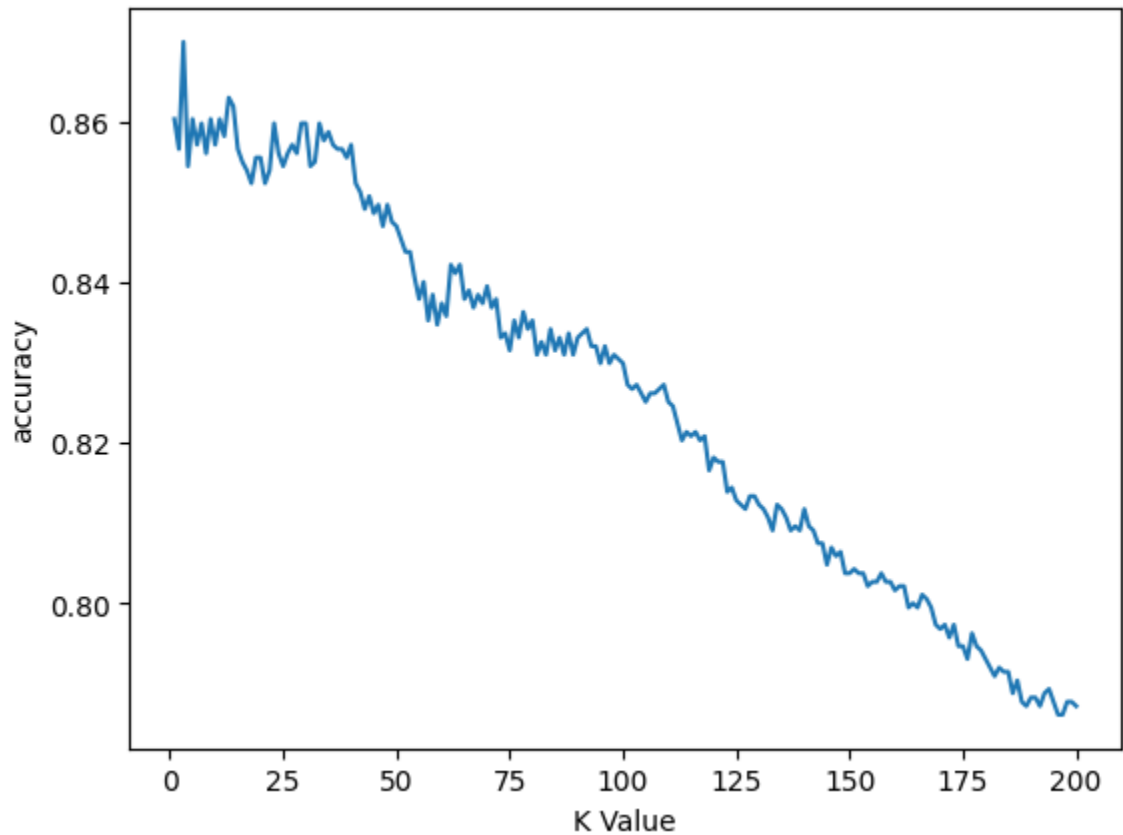
- Right out of the box k-nearest neighbor classification worked flawlessly on the data with accuracy of 100% without any transformation of data.
- However since the accuracy was 100% which indicates the model is overfitted I have increased the K-value which resulted

in an accuracy of 98%



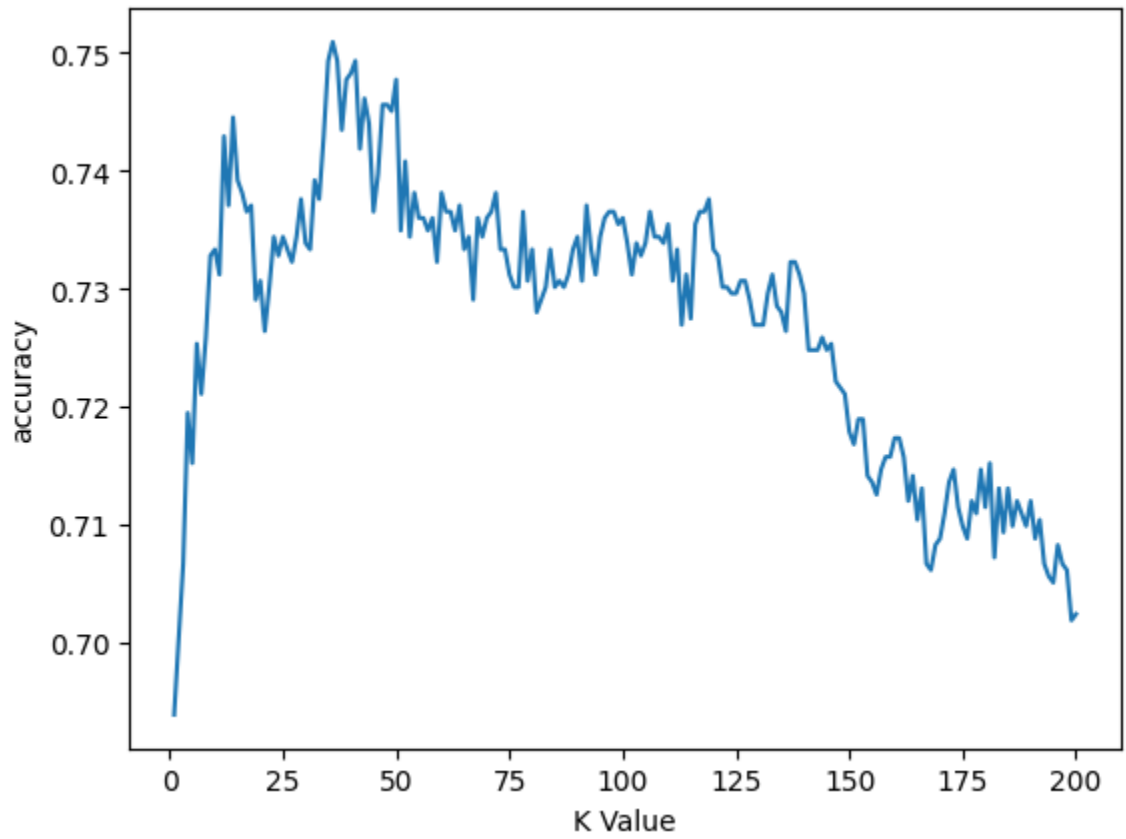
- c. There was a steady decline of the accuracy with the increase in k-value
7. I have combined the KNN with the transformed data and re-ran the results to see if anything changes. In the transformed data accuracy

is strongly affected by the increase in k - value

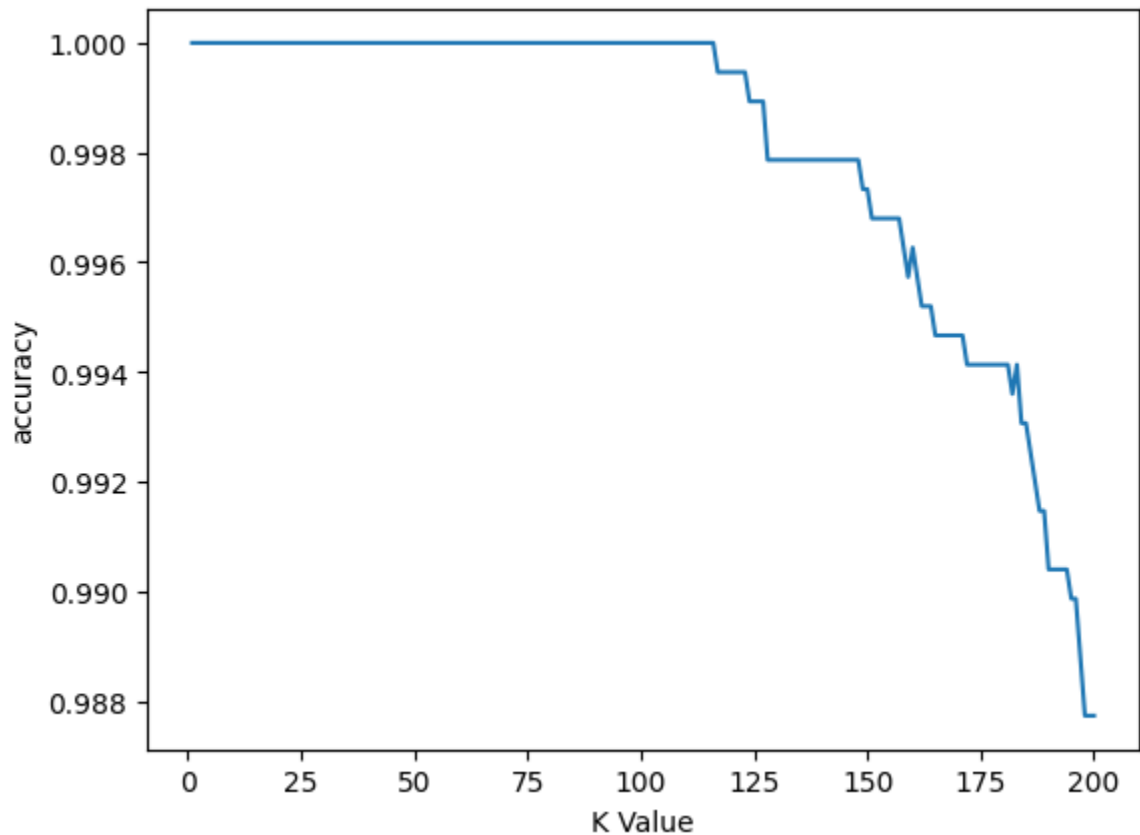


8. For the Gaussian kernel with KNN there was a steady increase in the accuracy with increase in k - value but gradually dropped after a

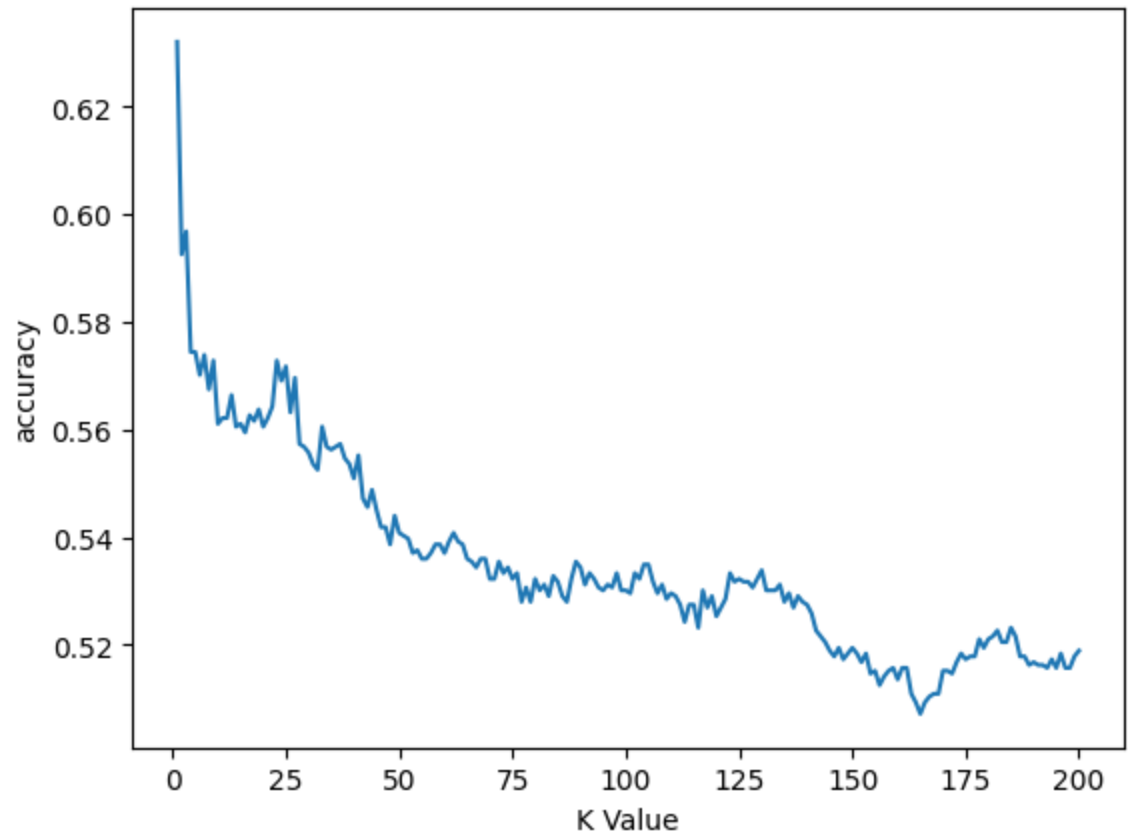
threshold of $k = 50$



9. For the sigmoid kernel combined with KNN, the model had 100% accuracy for the most k- values until k = 125

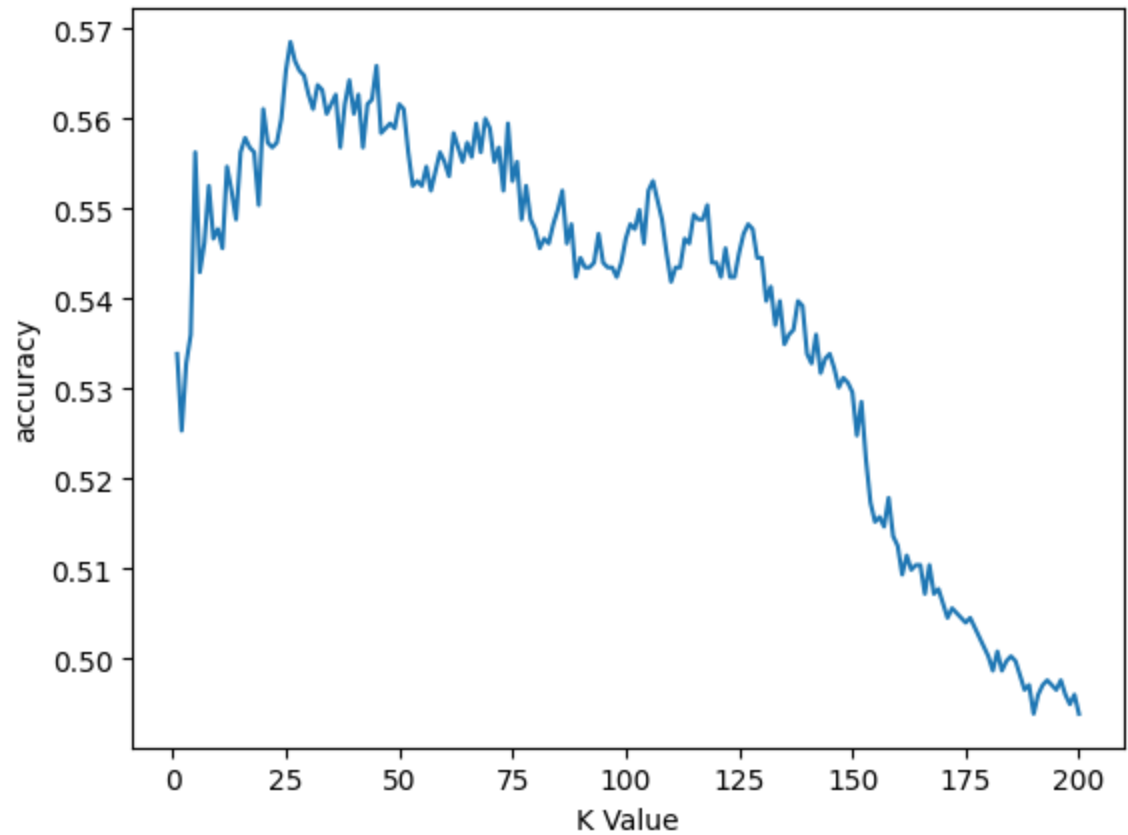


10. Polynomial Kernel didn't behave properly with KNN classifier where the maximum accuracy it could achieve was only 62% and the drop in accuracy was drastic with increase in K - Values in the first quarter



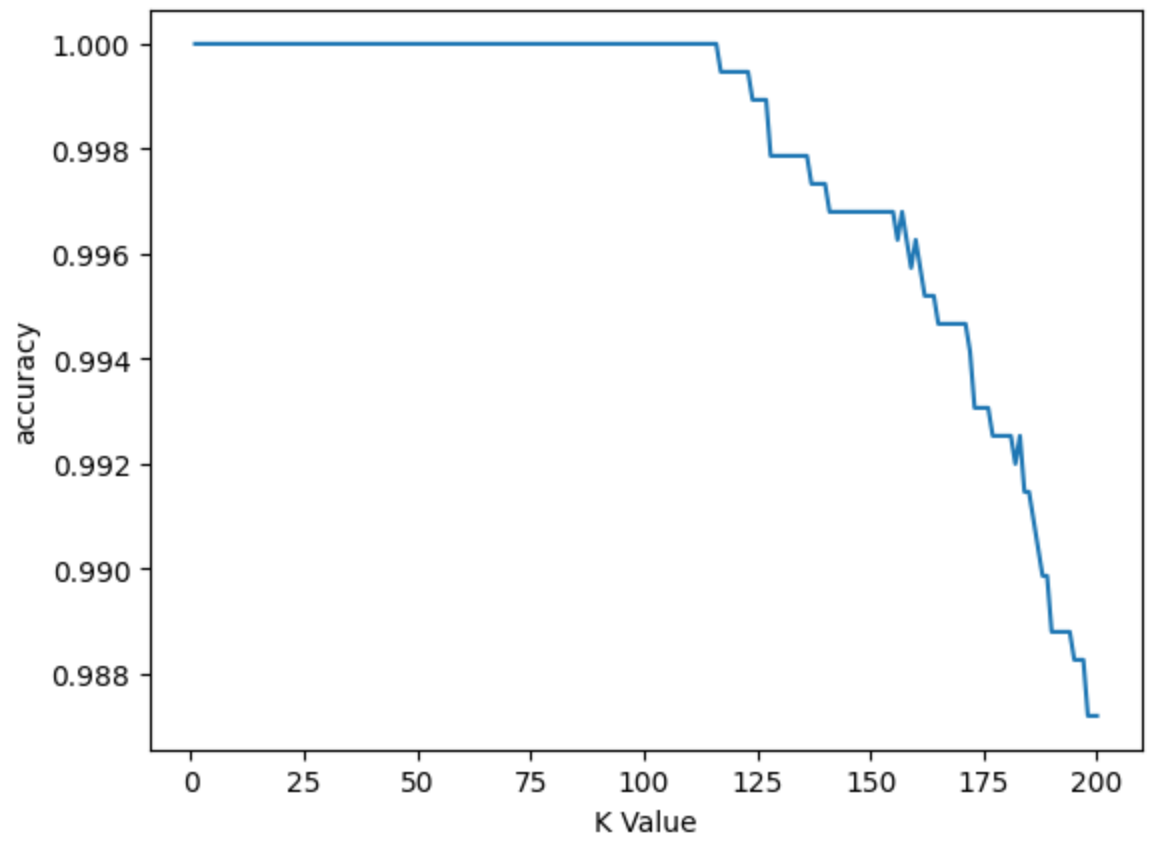
11.

12. RBF kernel was also not that successful with KNN where the maximum accuracy it could reach was 57%



13.

14. However Fourier kernel was successful with KNN where it achieved 100% accuracy for most K values and dropped its accuracy to 98% on continuous increase of K-Value



15.