

Non-linear Data structures

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* Tree

Node: This is the main component of tree structure. A node of tree stores actual data and links to the other node.

Parent Node: Parent of node is the immediate tree predecessor of node.

child node: Immediate successor of a node are known as child.

link: This is a pointer to a node in a tree. LC & RC are two link of a node.

root: This is a specially designated node which has no parent.

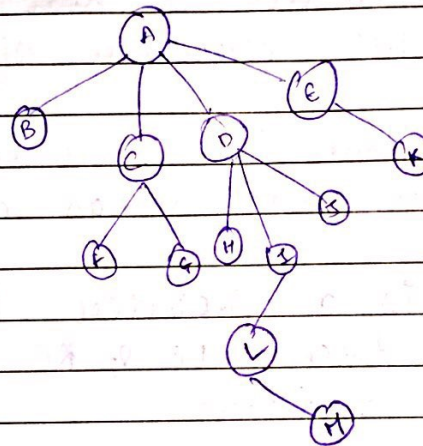
leaf: The node which is at the end and doesn't have any child - [terminal node] / [external node]

level: It is the rank of the hierarchy. The root node has level 0.

height: Maximum number of node that is possible in a path starting from root node to leaf node.

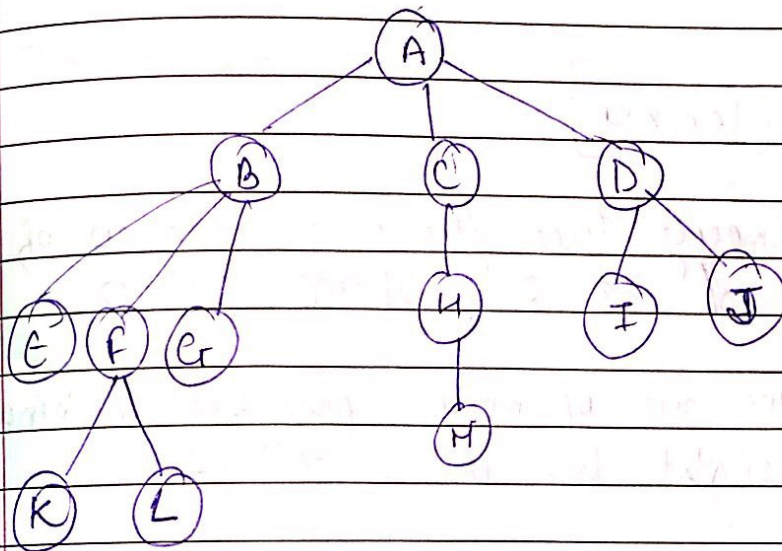
Degree : The maximum no. of children that is possible for a node.

Sibling : The nodes which have same parent. ~~are~~ called



⇒ Observe the given tree and find the following with the reference tree.

1. height → 4 ✓
2. level of H → 2 ✓
3. level of E → 2 ✓
4. level of K → 3 ✓
5. Degree → 3 ✓
6. longest path in a tree → ABFK, ABFL, ACHM ✓
7. Parent (M) → J ✓
8. Sibling (I) → J ✓
9. child (b) → E, F, G ✓

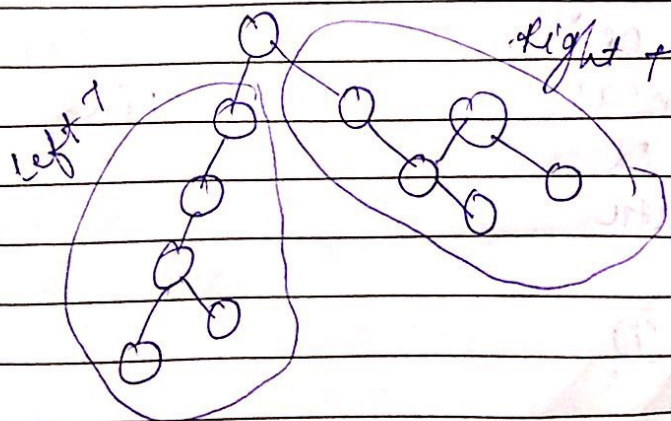


→

Binary Tree : A binary tree is a special form of a tree. It can be define as finite set of node such that

(i) Tree is empty

(ii) T contains a specially designated node called root of T and the remaining node of T form to two disjoint binary tree T_1 and T_2 which are called as legs of left sub tree & right sub tree.



Propertise : [Lemma]

- 1) In any binary Tree, the maximum no. of nodes on level L is 2^L , where $L \geq 0$
- 2) The maximum no. of nodes possible in binary tree of height h is $2^h - 1$
- 3) For any non-empty binary tree if n_0 is the number of leaf nodes with degree 0 and n_2 is the number of internal nodes with degree 2, then $n_0 = n_2 + 1$



$$n_0 = n_2 + 1$$

⇒ Representation

Sequential
OR
array
OR
linear.
OR
Static

link
OR
Dynamic
OR
link list

The minimum number of nodes in a binary tree of height is h

for any non-empty binary tree n is the no. of nodes and e is the no. of edges then $n = e + 1$

following Rules can be use to decide location of any node of a tree in the array (Assuming that array index starts from 1)

1: The root node is at location one

2: For any node with index i , $1 < i \leq n$:

$$2A: \text{Parent}(i) = i/2$$

$$2B: \text{LChild}(i) = 2 * i$$

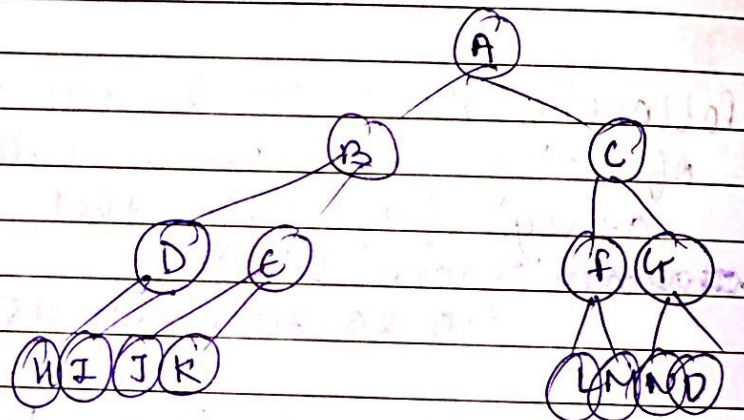
$$2C: \text{RChild}(i) = 2 * i + 1$$

In a link representation of binary tree, if there are n no. of node then the no. of null links

$$x = n + 1$$

* Traversal.

- ① Inorder (left, root, right)
- ② Pre Order (root, left, right)
- ③ Post (left, ~~root~~, right)
right, root



Inorder:

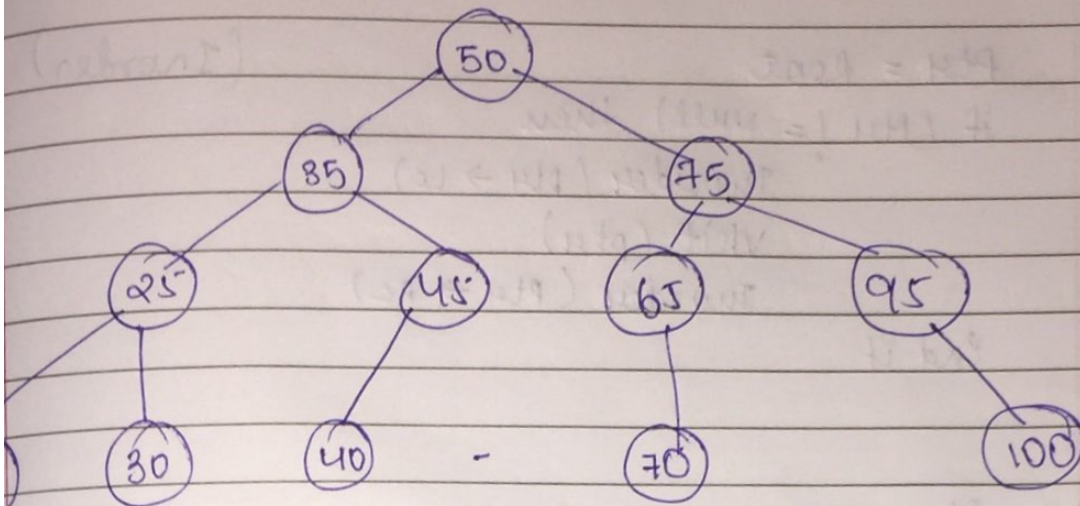
H I J B K E A L F M C N G O

Pre Order:

A B D H I J K E C F L M G N O

Post Order

H I J K E B L M F N O G C A



InOrder :

15 25 30 35 40 45 50 70 65 75 95 100

Pre order :

50 35 25 15 30 45 40 75 65 70 95 100

Post Order :

15 30 25 40 45 35 70 65 100 95 75 50

①

ptr = Root

(Inorder)

if (ptr != Null) then

Inorder (ptr → Lc)

visit (ptr)

Inorder (ptr → Rc)

end if

②

ptr = Root

if (ptr != Null) then

visit (ptr)

(Pre)

Pre Order (ptr → Lc)

Pre Order (ptr → Rc)

end if

③

ptr = Root

if (ptr != Null) then

Postorder (ptr → Lc)

Postorder (ptr → Rc)

visit (ptr)

(Post)

end if