



Particle Filtering

Particle Filtering

- Sometimes $|\mathbf{X}|$ (space of coordinates) is too big to use exact inference
 - E.g. \mathbf{X} is continuous
- Solution: approximate inference
 - Track samples of \mathbf{X} , not all values
 - Samples are called particles
 - Computational cost per step is linear in the number of samples
 - Number of samples needed may be large
 - In memory: list of particles, not states
- Particle is just a new name for sample

Particles

- Our representation of $\mathbf{P}(\mathbf{X})$ is now a list of \mathbf{N} particles (samples)
 - Generally, $\mathbf{N} \ll |\mathbf{X}|$
 - Storing map from \mathbf{X} to counts would defeat the point
- $\mathbf{P}(\mathbf{x})$ approximated by number of particles with value \mathbf{x}
 - So, many \mathbf{x} may have $\mathbf{P}(\mathbf{x}) = 0$
 - More particles, more accuracy
- For now, all particles have a weight of 1

Elapse Time

- Each particle is moved by sampling its next position from the transition model
 - $\mathbf{x}' = \text{sample}(\mathbf{P}(\mathbf{X}' | \mathbf{x}))$
 - This is like prior sampling - samples' frequencies reflect the transition probabilities
- This captures the passage of time
 - If enough samples, close to exact values before and after (consistent)

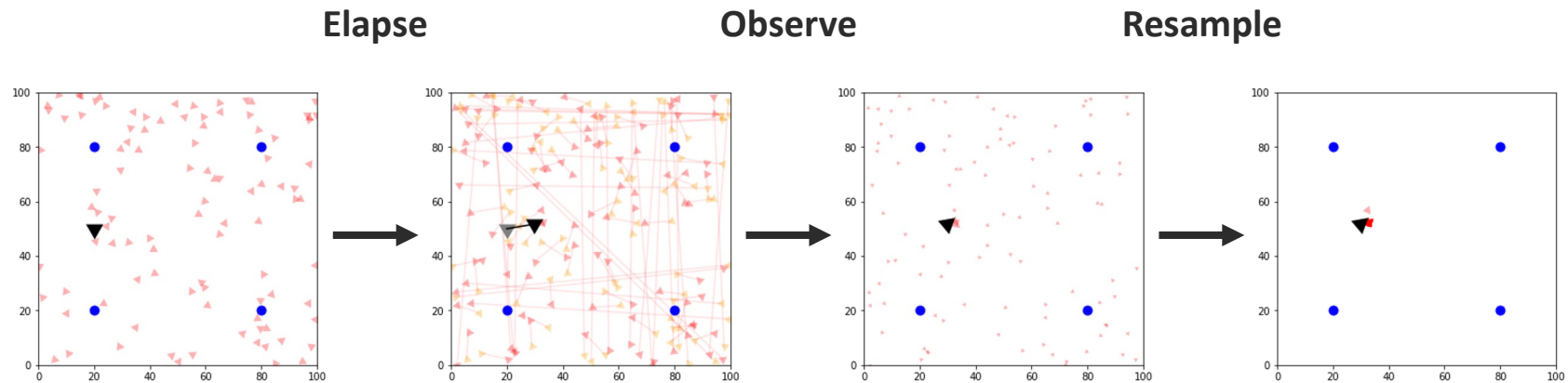
Observe

- Don't sample observation, fix it
 - $w(x) = P(e|x)$
 - $B(X) \propto P(e|X)B'(X)$
- Similar to likelihood weighting, downweight samples based on the evidence
- As before, the probabilities don't sum to one, since all have been downweighted (in fact they now sum to **N** times an approximation of $P(e)$)

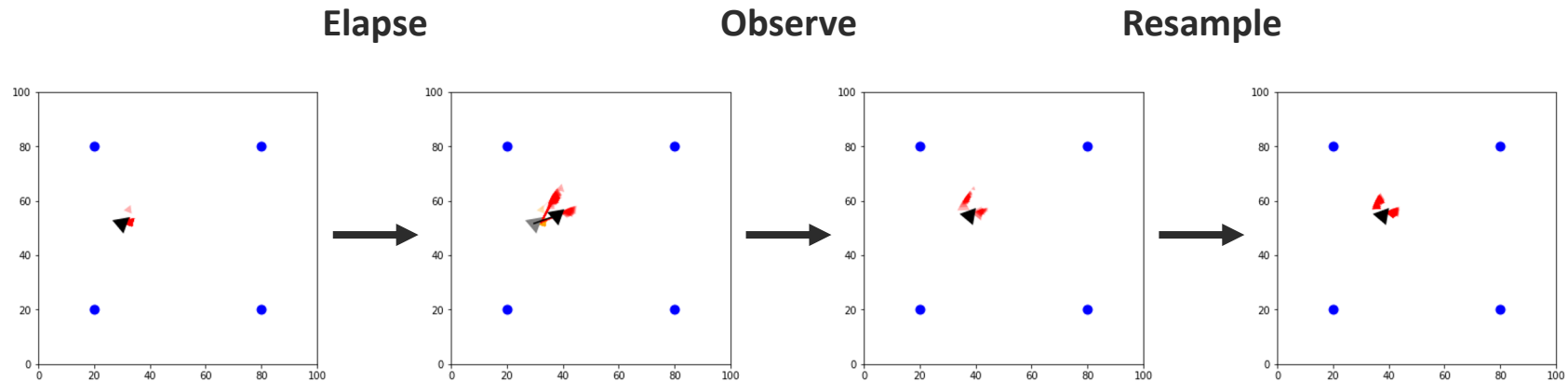
Resample

- Rather than tracking weighted samples, we resample **N** times
 - Choose from our weighted sample distribution (i.e. draw with replacement)
- This is equivalent to renormalizing the distribution
- Now the update is complete for this time step, continue with the next one

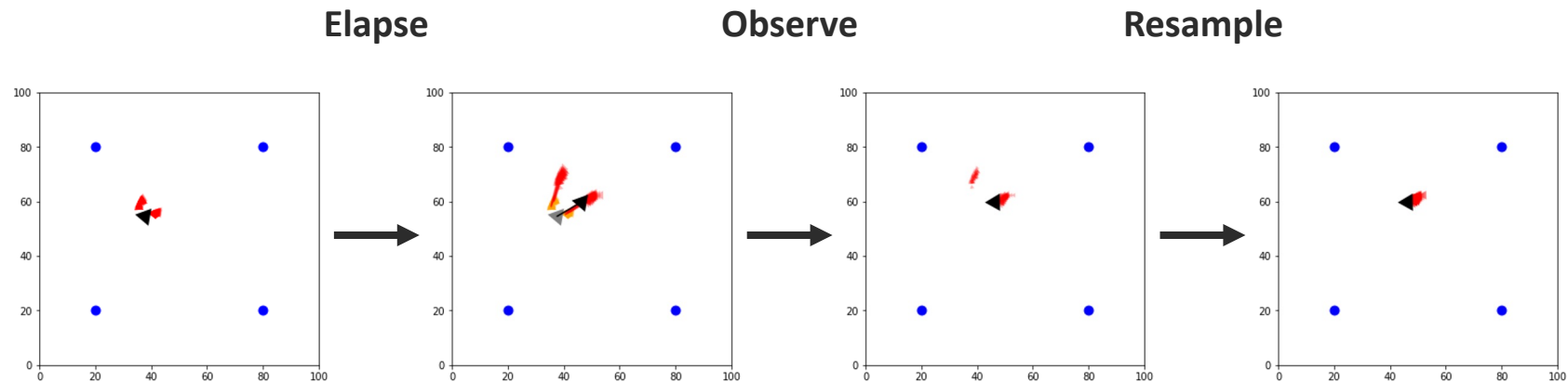
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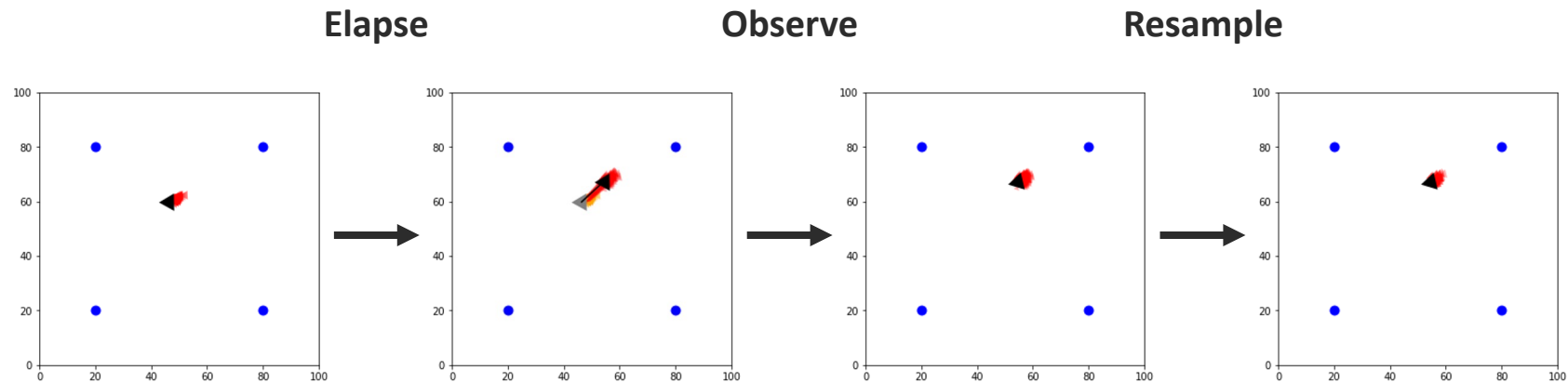
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Knowledge Check 1



When programming your own self-driving car, which of the methods below would be more adequate to estimate the location of the car?

A

There is no need for such thing, we can use GPS

B

Naive Bayes Model

C

Particle Filtering



You have reached the end
of the lecture.

