

Vectored Comparator

Thursday, July 2, 2020 1:18 PM

Consider 1-bit comparator. Max range - 0 to 3

A	B	A < B	A = B	A > B
0	0	1	1	0
0	1	1	0	0
1	0	0	0	1
1	1	0	1	0

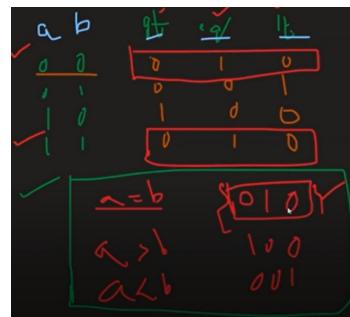
Equation for 1 bit comparator
 $A(\sim B) + (\sim A)B + (A \text{ XOR } B)$

Make a habit of writing gt first and lt last !

Observation:

Whenever A,B are same
 A=0 ; B=0
 A=1 ; B=1

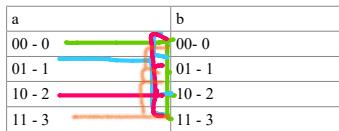
The output is 0-1-0



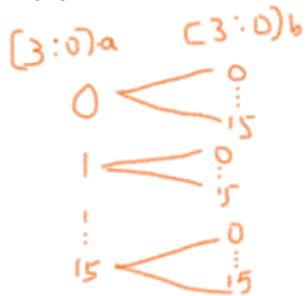
VECTORED COMPARATOR:

[m:n]a,b : digit comparator

Consider [1:0]a,b



Consider [3:0]a,b Max value: 0 to 15



Different combinations are possible, each case having its own output

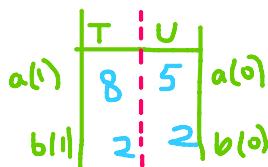
Power of VECTOR ! Increase 1 bit, and see different combinations

A0	a1	b0	b1
0	0	0	0
		0	1
		1	0
		1	1
0	1	0	0
		0	1
		1	0
		1	1
0	1	0	0
		0	1
		1	0
		1	1
1	1	0	0
		0	1
		1	0
		1	1

Consider 2 numbers
A= 85
B= 22

A>B o/p: 1-0-0

Kid can compare numbers using the concept of Unit's place, Tens's place and so on....



If in ten's place, $a(1) > b(1)$,
we can determine the final output as greater than,
without worrying about the digits in Unit's place

Consider 2 numbers
A = 18
B = 45

A<B o/p: 0-0-1

	T	U	V
W	1	8	015
X	4	5	007

If in ten's place, $a(1) < b(1)$,
we can determine the final output as less than,
without worrying about the digits in Unit's place

Consider 2 numbers
A = 52
B = 55

A<B o/p: 0-0-1

	T	U	$\sigma(\phi)$
$\sigma(\psi)$	5	2	$\sigma(\phi)$
$b(\psi)$	5	5	$b(\phi)$

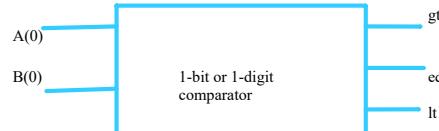
If in ten's place, $a(1)=b(1)$,
we can determine the final output by determining the status of the digits
in Unit's place.

	T	U
1.	5	X
	8	X
2.	8	X
	2	X
3.	5	X
	5	X

GT	EQ	LT
0	0	1
1	0	0
1	0	0
0	0	1

DECIDING FACTOR - UNIT'S PLACE DIGIT

Design of circuit - consider 2 numbers : 46 and 28

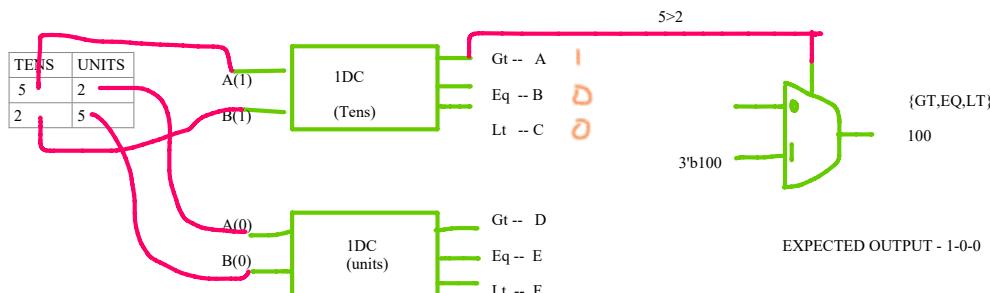


A(1)>B(1) -- we can determine final output.
Output : 1-0-0

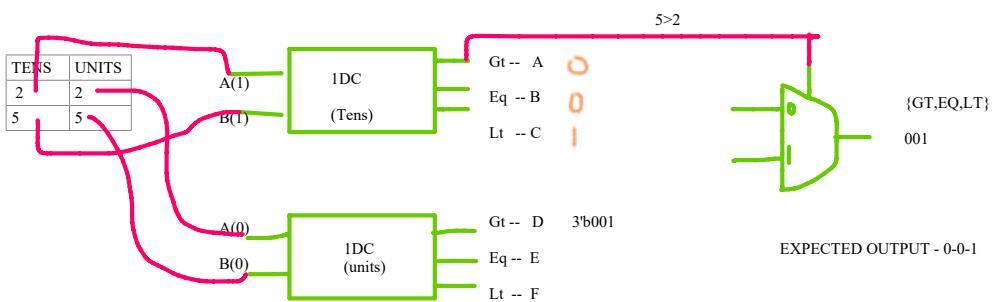
A(1)<B(1) -- we can determine final output.
Output : 0-0-1

A(1)=B(1) -- we can determine final output.
Output : 0-1-0

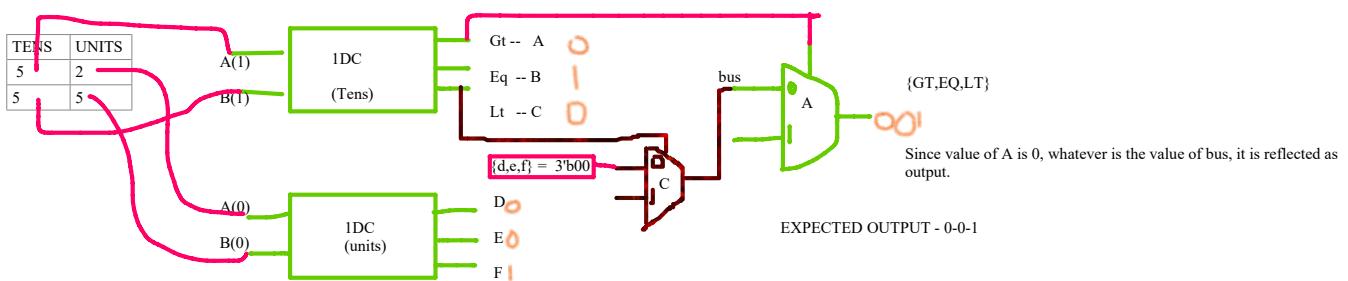
EXAMPLE: 52 and 25



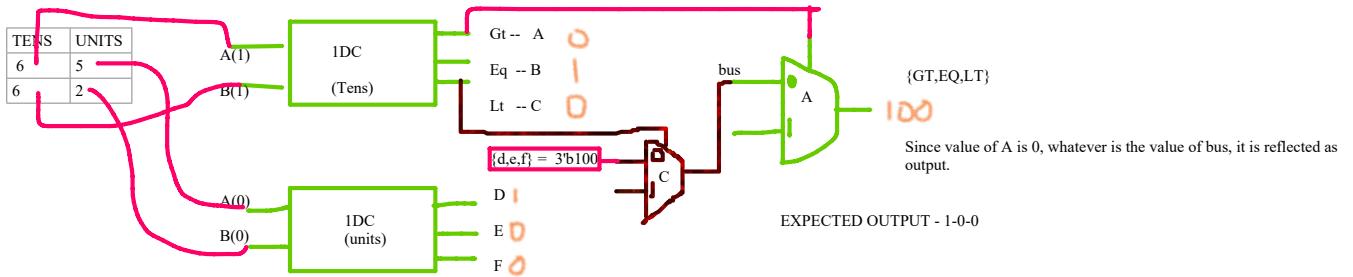
EXAMPLE: 22 and 55



EXAMPLE: 52 and 55



EXAMPLE: 65 and 62



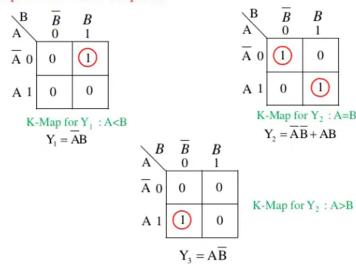
To design a 3-digit comparator, we need
 1 1-digit comparator
 1 2-digit comparator

1-Bit Magnitude Comparator:

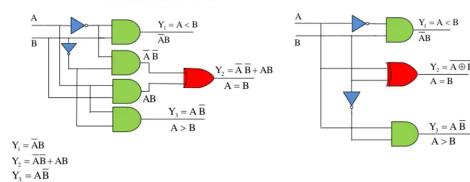
- This magnitude comparator has two inputs A and B and three outputs $A < B$, $A = B$ and $A > B$.
- This magnitude comparator compares the two numbers of single bits.
- Truth Table of 1-Bit Comparator

INPUTS		OUTPUTS		
A	B	$Y_1 (A < B)$	$Y_2 (A = B)$	$Y_3 (A > B)$
0	0	0	1	0
0	1	1	0	0
1	0	0	0	1
1	1	0	1	0

K-Maps For All Three Outputs :

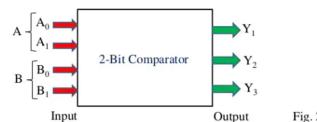


Realization of One Bit Comparator



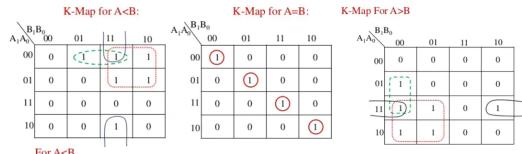
2-Bit Comparator:

- A comparator which is used to compare two binary numbers each of two bits is called a 2-bit magnitude comparator.
- Fig. 2 shows the block diagram of 2-Bit magnitude comparator.
- It has four inputs and three outputs.
- Inputs are A_0, A_1, B_0 and B_1 and Outputs are Y_1, Y_2 and Y_3



TRUTH TABLE

INPUT				OUTPUT		
A_1	A_0	B_1	B_0	$Y_1 = A < B$	$Y_2 = A = B$	$Y_3 = A > B$
0	0	0	0	0	1	0
0	0	0	1	1	0	0
0	0	1	0	1	0	0
0	0	1	1	1	0	0
0	1	0	0	0	0	1
0	1	0	1	0	1	0
0	1	1	0	1	0	0
0	1	1	1	1	0	0
1	0	0	0	0	0	1
1	0	0	1	0	0	1
1	0	1	0	0	1	0
1	0	1	1	1	0	0
1	1	0	0	0	0	1
1	1	0	1	0	0	1
1	1	1	0	0	0	1
1	1	1	1	0	1	0



For A < B

$$Y_1 = \overline{A}_1 \overline{A}_0 B_0 + \overline{A}_1 B_1 + \overline{A}_0 B_1 B_0$$

For A = B

$$Y_2 = \overline{A}_1 \overline{A}_0 \overline{B}_1 \overline{B}_0 + \overline{A}_1 A_0 \overline{B}_1 B_0 + A_1 A_0 B_1 B_0 + A_1 \overline{A}_0 B_1 \overline{B}_0$$

$$Y_2 = \overline{A}_1 \overline{A}_0 \overline{B}_1 \overline{B}_0 + \overline{A}_1 A_0 \overline{B}_1 B_0 + A_1 A_0 B_1 B_0 + A_1 \overline{A}_0 B_1 \overline{B}_0$$

$$Y_2 = (\overline{A}_1 \overline{B}_1 + A_1 B_1) (\overline{A}_0 \overline{B}_0 + A_0 B_0)$$

$$Y_2 = (A_1 \odot B_1) (A_0 \odot B_0)$$

LOGIC DIAGRAM OF 2-BIT COMPARATOR:

