

$y = f_0 = \text{abs}(x) \cdot \cos(x)$

$y=\text{abs}(x)*\cos(x)$, volume of revolution= 13899.38801256466

$y=\text{abs}(x)*\cos(x)$, area between graph and x-axis= 283.6725678266443

$y=\text{abs}(x)*\cos(x)$, area under graph= -30.48669705724545

$y=\text{abs}(x)*\cos(x)$, $f_0'(3.0)=-1.4133525207515871$

$y=\text{abs}(x)*\cos(x)$ intersects the y-axis at (0.0, 0.0)

$y=\text{abs}(x)*\cos(x)$ has root at $x=29.84513017$

$y=\text{abs}(x)*\cos(x)$ has root at $x=26.70353752$

$y=\text{abs}(x)*\cos(x)$ has root at $x=23.56194487$

$y=\text{abs}(x)*\cos(x)$ has root at $x=20.42035222$

$y=\text{abs}(x)*\cos(x)$ has root at $x=17.27875957$

$y=\text{abs}(x)*\cos(x)$ has root at $x=14.13716693$

$y=\text{abs}(x)*\cos(x)$ has root at $x=10.99557428$

$y=\text{abs}(x)*\cos(x)$ has root at $x=7.85398163$

$y=\text{abs}(x)*\cos(x)$ has root at $x=4.71238897$

$y=\text{abs}(x)*\cos(x)$ has root at $x=1.57079632$

$y=\text{abs}(x)*\cos(x)$, $f_0(6.0)=5.761021719902196$

$y=\text{abs}(x)*\cos(x)$ has maximum at (30.0, 4.6275435)

$y=\text{abs}(x)*\cos(x)$ has maximum at (25.17244635, 25.15260682)

$y=\text{abs}(x)*\cos(x)$ has maximum at (18.90240997, 18.8760137)

$y=\text{abs}(x)*\cos(x)$ has maximum at (12.64528725, 12.6059313)

$y=\text{abs}(x)*\cos(x)$ has maximum at (6.43729815, 6.36100394)

$y=\text{abs}(x)*\cos(x)$ has maximum at (0.86033362, 0.56109634)

$y=\text{abs}(x)*\cos(x)$ has minimum at (28.30964287, -28.29199754)

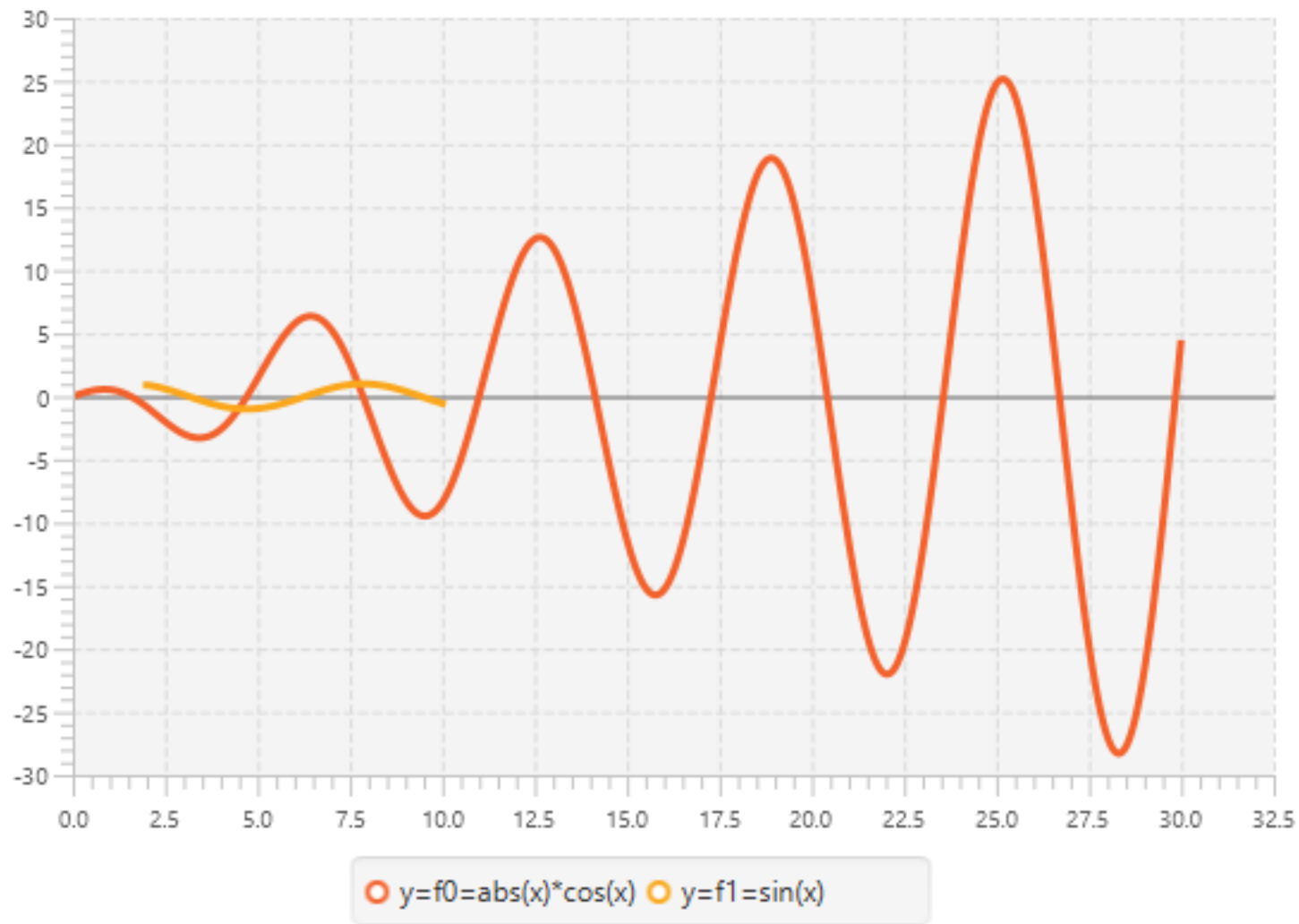
$y=\text{abs}(x)*\cos(x)$ has minimum at (22.0364967, -22.01384208)

$y=\text{abs}(x)*\cos(x)$ has minimum at (15.77128485, -15.73967696)

$y=\text{abs}(x)*\cos(x)$ has minimum at (9.5293344, -9.47729426)

$y=\text{abs}(x)*\cos(x)$ has minimum at (3.42561847, -3.2883714)

$y=\text{abs}(x)*\cos(x)$ has minimum at (0.0, 0.0)



f0 and f1 intersect at (7.72525184, 0.99172573)

f0 and f1 intersect at (4.49340946, -0.97611963)