

Development

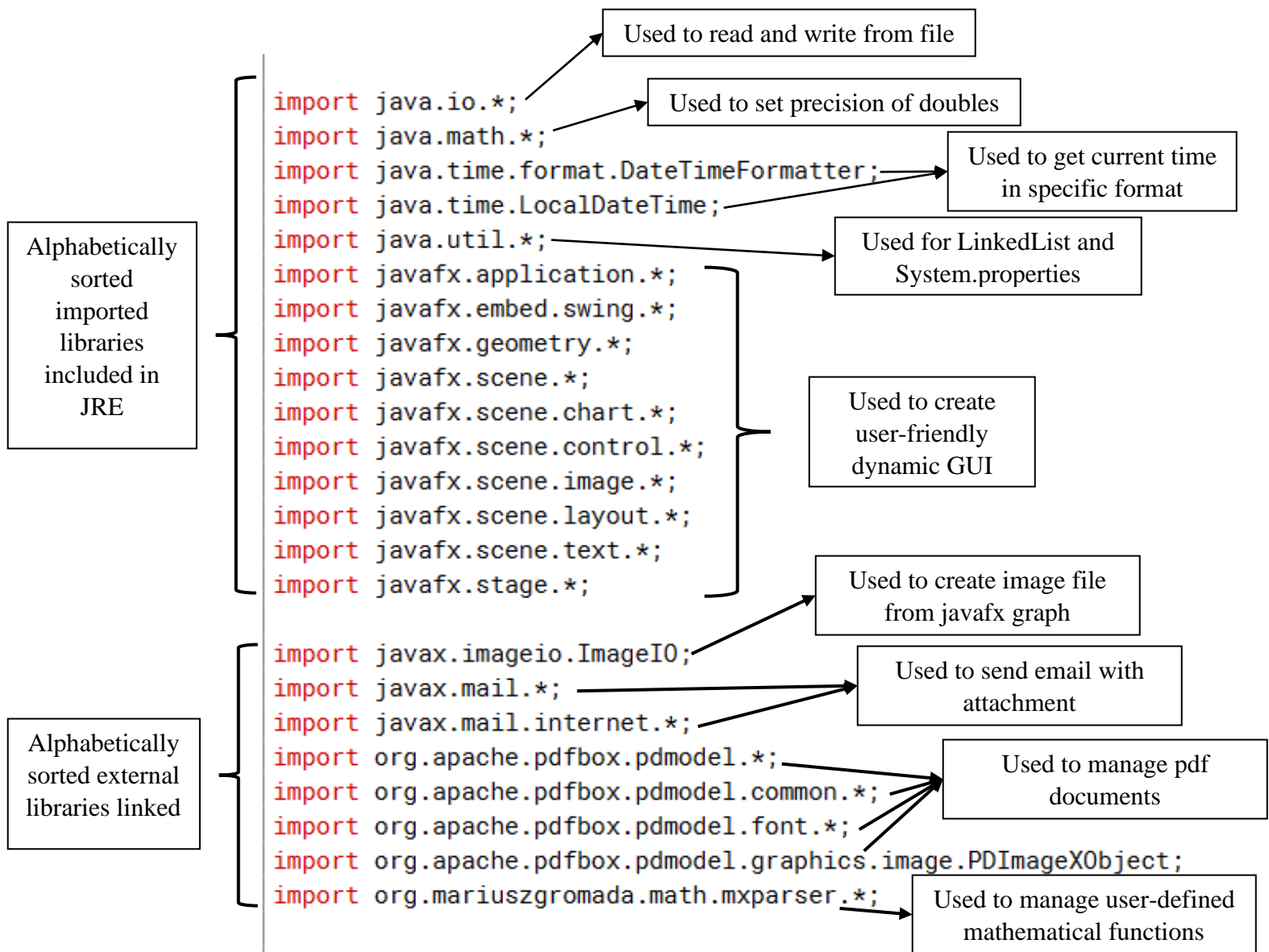
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1. Libraries used – Abstraction

Imported libraries play a major role in the program. They offer the chance to complete complicated tasks with simple commands, such as simple statements, function calls and variable definitions. They make coding easier and less time-consuming, since pre-existing code does not need to be written from scratch, as well as less error-prone and easier to debug, as the lines of code included in libraries have been tested by millions of users and achieve their aim beyond doubt. Finally, when using pre-compiled code, we do not need to know **how** each function works; abstraction exists.

Figure 1.1: Libraries imported in main Class



It is worth noting how the external libraries are used. javax.mailⁱ and Apache PDFBoxⁱⁱ are presented below, while mXparserⁱⁱⁱ (org.mariuszgromada) will be presented throughout the document.

Figure 1.2: Using javax.mail to send email^{iv}

```
//send pdf created to students of currentClass
```

```
public void email()
{
    if(curFileName.equals(""))
    {
        return;
    }
    File file = new File(curFileName);
    final String userEmail = "vissarionchristodouleu@gmail.com";
    final String userPassword = "vissArion100%";
    Properties p = System.getProperties();
    p.setProperty("mail.smtp.host", "smtp.gmail.com");
    p.put("mail.smtp.auth", "true");
    p.put("mail.smtp.starttls.enable", "true");
    Session s = Session.getDefaultInstance(p,
        new javax.mail.Authenticator()
        {
            protected PasswordAuthentication getPasswordAuthentication()
            {
                return new PasswordAuthentication(userEmail, userPassword);
            }
        });

    try
    {
        for(Class cur:classes)
        {
            if(cur.getName().equals(currentClass))
            {
                MimeMessage m = new MimeMessage(s);
                m.setFrom(new InternetAddress(userEmail));
                for(Student st:cur.getStudents())
                {
                    m.addRecipient(Message.RecipientType.TO, new InternetAddress(st.getEmailAddress()));
                    m.setSubject("Class diagrams");
                    BodyPart mB = new MimeBodyPart();
                    mB.setText("Automated email with class diagrams and corresponding data");
                    MimeBodyPart mB2 = new MimeBodyPart();
                    mB2.attachFile(file);
                    Multipart mult = new MimeMultipart();
                    mult.addBodyPart(mB);
                    mult.addBodyPart(mB2);
                    m.setContent(mult);
                    Transport.send(m);
                    break;
                }
            }
        }
    }
    catch(Exception ex){}
}
```

If no file has been created
terminate function

curFileName is a String
member-variable

Load file

Start
new
session,
log in

Current class is a string member
variable

Linear search to find active class

Add every
student as
recipient

Set subject

Set text

Attach file

Send email

Figure 1.3a: Using Apache PDFBox to add to pdf

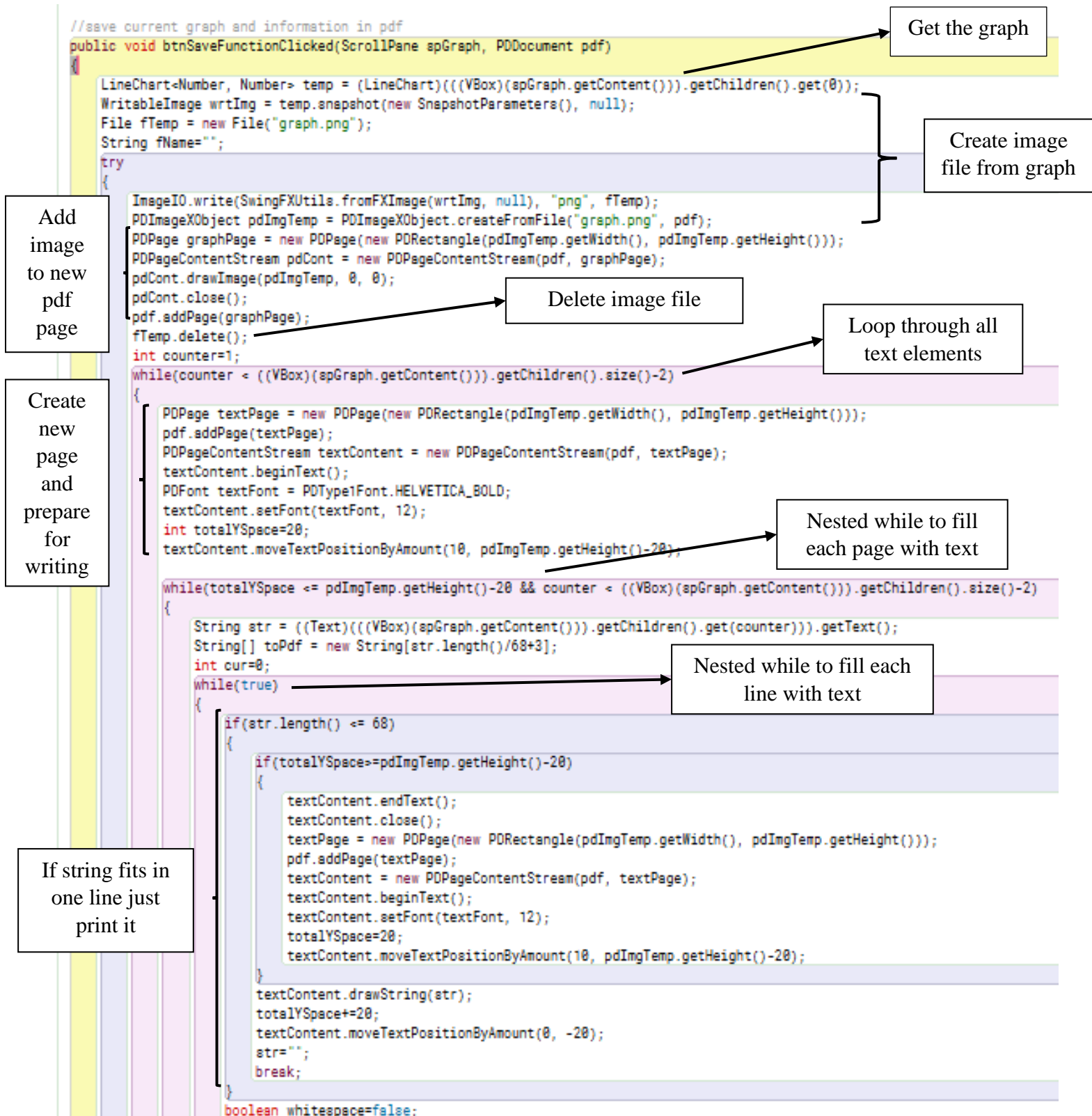


Figure 1.3b: Using Apache PDFBox to add to pdf (Continued)

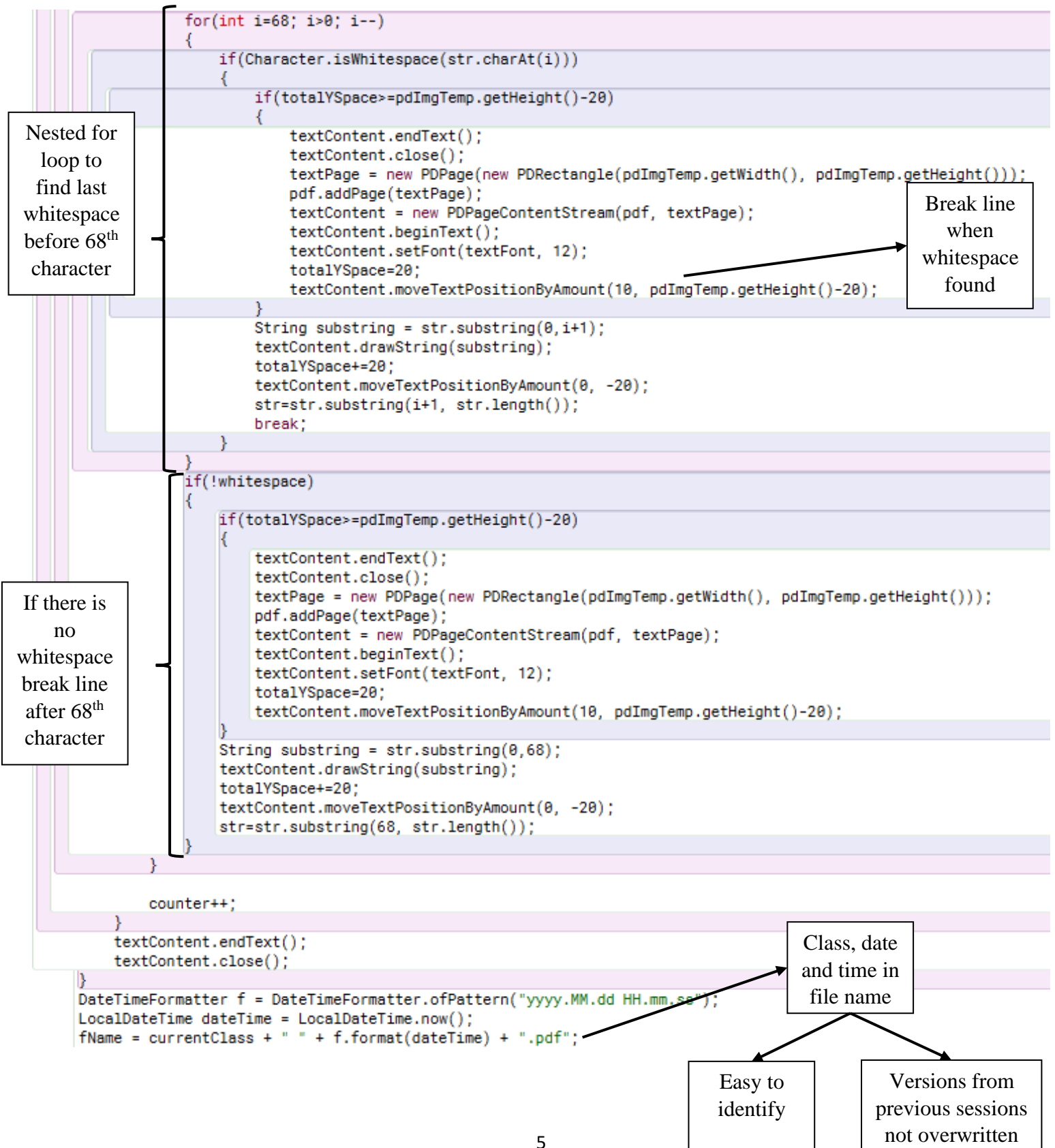


Figure 1.3c: Using Apache PDFBox to add to pdf (Continued)

```
prevFileName = curFileName;  
if(!prevFileName.equals(""))  
{  
    File del = new File(prevFileName);  
    del.delete();  
}  
curFileName = fName;  
pdf.save(curFileName);  
}  
catch(Exception e){}
```

Delete previous version
from the same session, since
it was modified

2. Object-Oriented Programming (OOP) – Abstraction

OOP, evident from the class dependencies depicted in Figure 2.1, is yet another example of abstraction. Each class does not need to know how the other classes work; it can just access their public fields. Moreover, objects represent real world entities and through them, a more precise syntax can be acquired of the form `subject.method(object)` instead of `method(subject, object)` (in this context object refers to the syntactical position in an English sentence). A characteristic example of the use of classes is the use of the `RangedFunction` class in the code in Figure 2.2. Instead of using parallel arrays for the functions and their upper and lower bounds, I preferred to use objects of type `RangedFunction` that can be passed with less code from one method to another as arguments, while simultaneously the intrinsic relationship between the function and its boundaries is depicted.

Figure 2.1: Class Connections

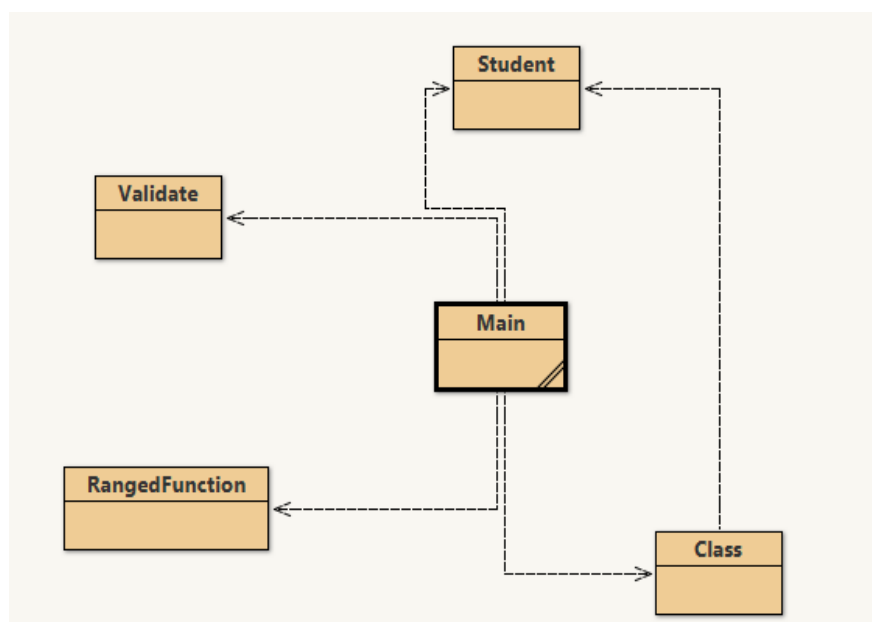


Figure 2.2a: Use of RangedFunction objects instead of parallel arrays and validating user input

```
//Check the validity of the given functions before sketching the graph
public void btnExeClicked(VBox vboxFunctions, PDDocument pdf)
{
    if(vboxFunctions.getChildren().size() == 1)
    {
        throwError("No functions entered", stgFunctions);
        return;
    }

    RangedFunction[] rfunctions = new RangedFunction[vboxFunctions.getChildren().size()-1];
    for(int i=0; i<vboxFunctions.getChildren().size()-1; i++)
        rfunctions[i] = new RangedFunction();
    /*Function[] functions = new Function[vboxFunctions.getChildren().size()-1];
    double[] lower = new double[vboxFunctions.getChildren().size()-1];
    double[] upper = new double[vboxFunctions.getChildren().size()-1];*/
    for(int i=0; i<vboxFunctions.getChildren().size()-1; i++)
    {
        HBox hbxFunction = (HBox)vboxFunctions.getChildren().get(i);
        TextField txtfFunction = (TextField)hbxFuntion.getChildren().get(1);
        String func = txtfFunction.getText();
        Function f = new Function("f" + i + "(x)=" + func);
        f.checkSyntax();
        if(f.getErrorMessage().substring(f.getErrorMessage().length()-19).equals("errors were found.\n"))
        {
            throwError("Invalid function syntax, f" + i, stgFunctions);
            return;
        }
        if(f.getFunctionExpressionString().equals(""))
        {
            throwError("Invalid function syntax, f" + i, stgFunctions);
            return;
        }

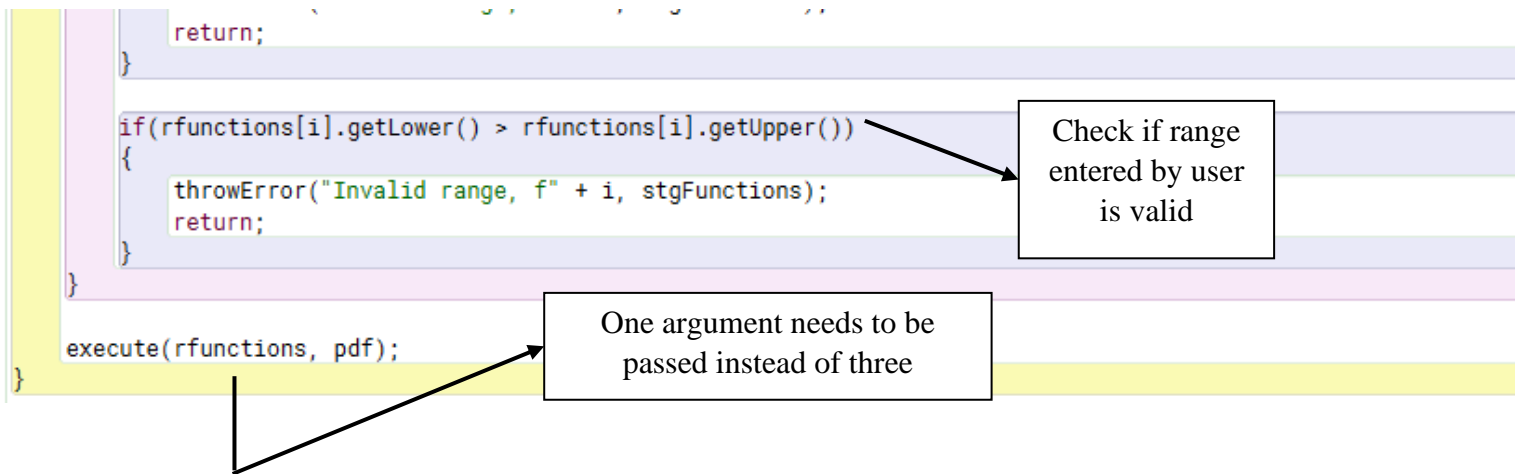
        rfunctions[i].setFunction(f);
        TextField txtfLower = (TextField)hbxFuntion.getChildren().get(3);
        TextField txtfUpper = (TextField)hbxFuntion.getChildren().get(5);
        String low = txtfLower.getText();
        String high = txtfUpper.getText();
        try
        {
            rfunctions[i].setLower(Double.parseDouble(low));
            rfunctions[i].setUpper(Double.parseDouble(high));
        }
        catch(Exception e)
        {
            throwError("Invalid range, f" + i, stgFunctions);
        }
    }
}
```

Instead of three arrays,
function, lower and upper

Check if
function entered
by user is valid

Check if
numbers were
entered as range
by user

Figure 2.2b: Use of RangedFunction objects instead of parallel arrays and validating user input
(Continued)



3. Encapsulation – Abstraction

The use of encapsulation also serves as an example of abstraction. All member variables in all classes other than main are private and have corresponding accessor and mutator methods, as proved in Figures 3.1-3.3. This ensures that when a member variable is changed, it will be done through methods defined within the class and will, as a result, not be modified by mistake.

Figure 3.1a: Encapsulation and static polymorphism in class Student

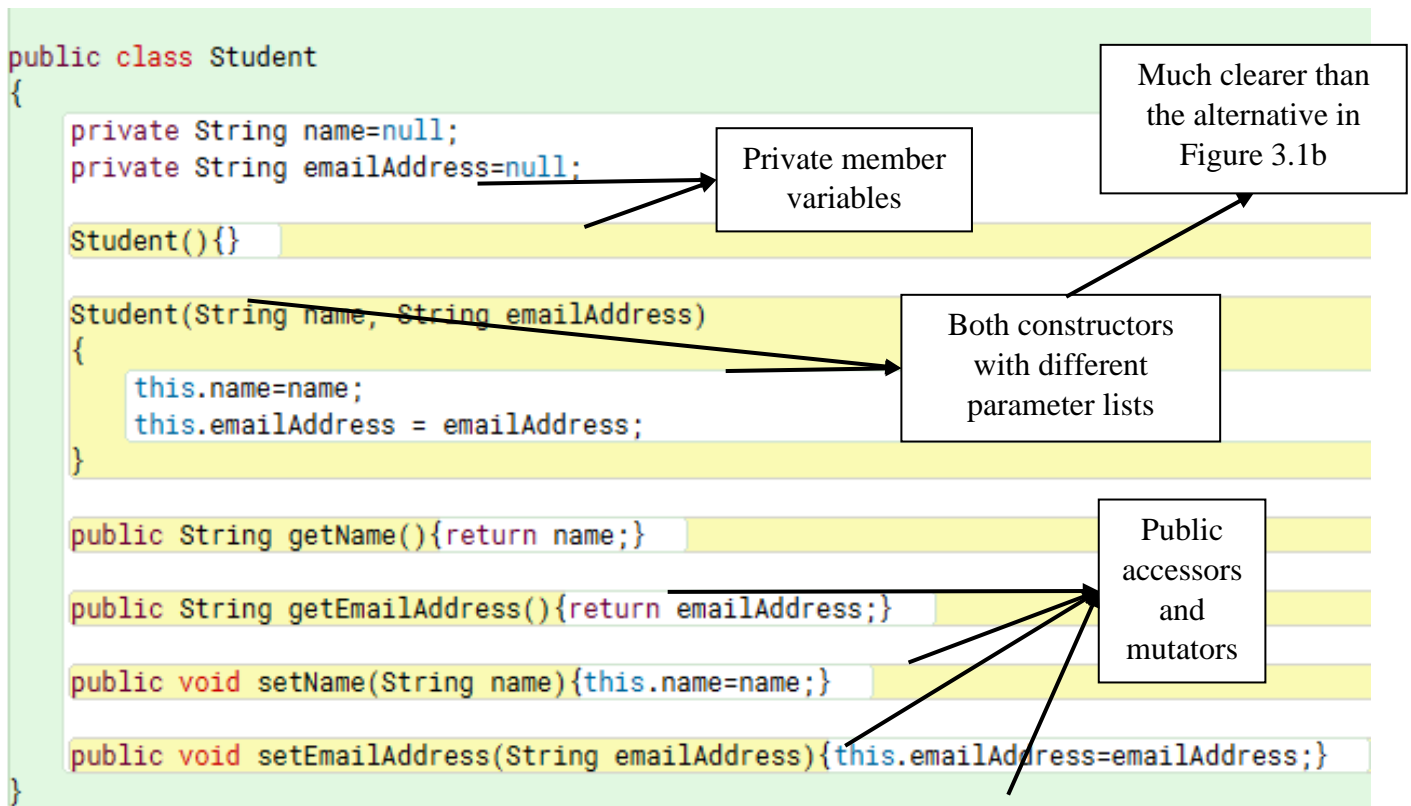


Figure 3.1b: Student without polymorphism

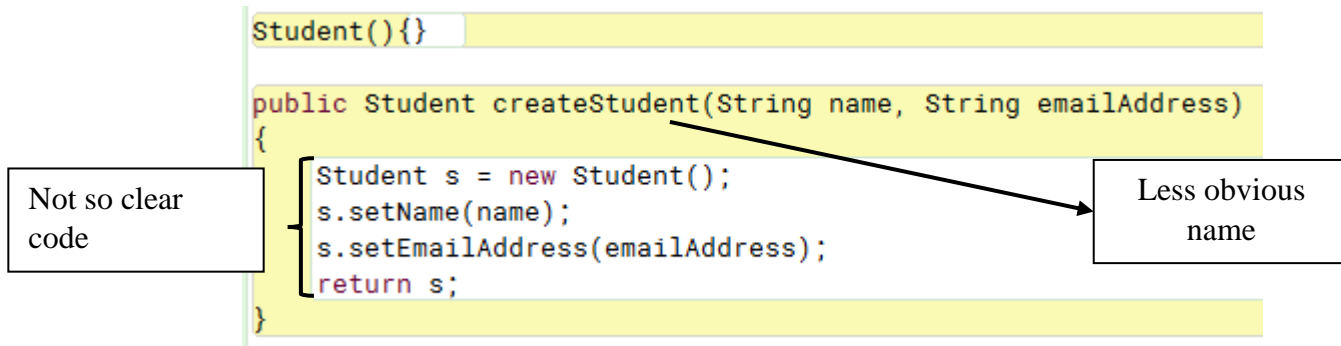


Figure 3.2: Encapsulation and static polymorphism in class Class

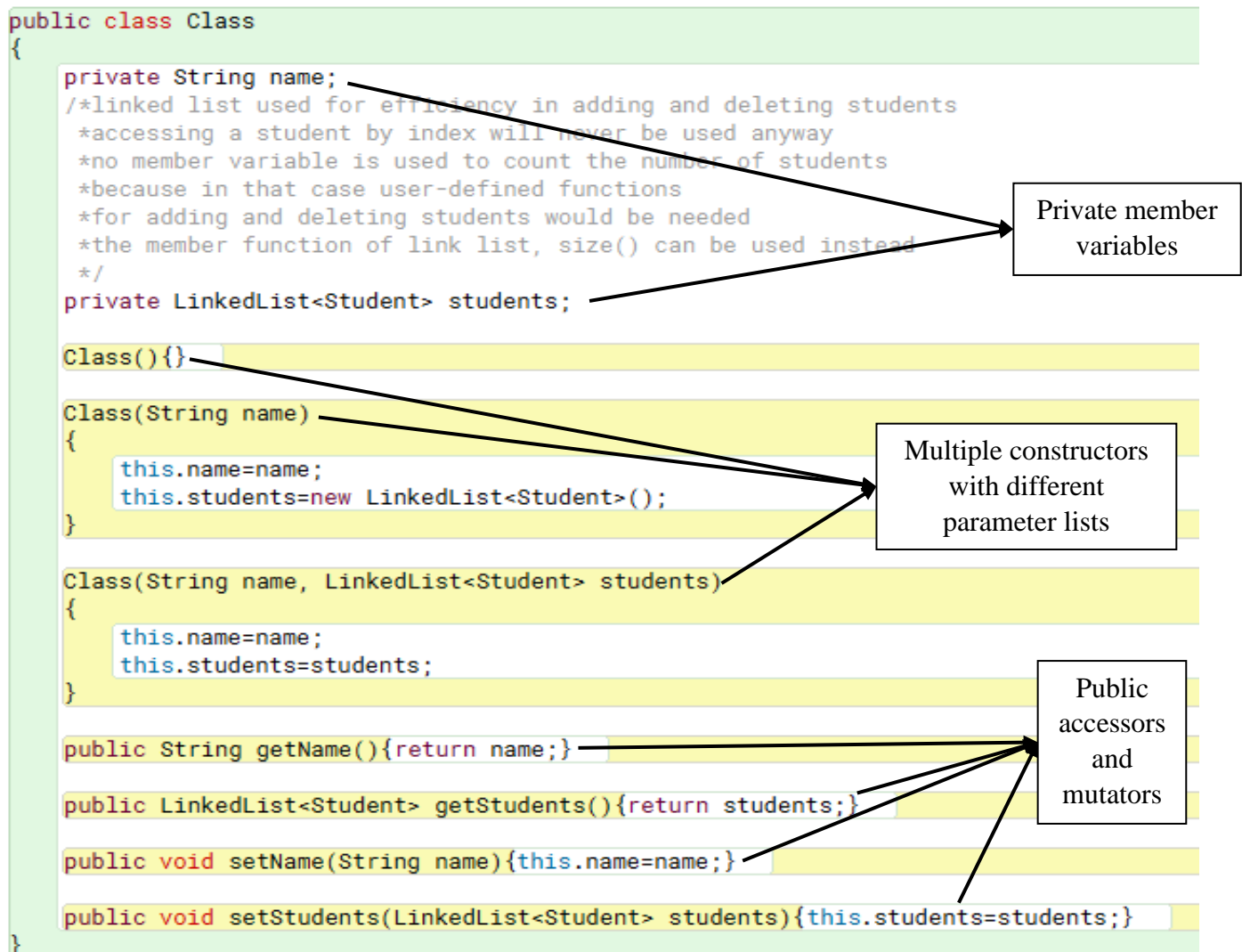


Figure 3.3: Encapsulation and static polymorphism in class RangedFunction

```
public class RangedFunction
{
    private Function function;
    private double lower;
    private double upper;

    RangedFunction(){}
    RangedFunction(Function function, double lower, double upper)
    {
        this.function = function;
        this.lower = lower;
        this.upper = upper;
    }
    RangedFunction(RangedFunction rf)
    {
        this.setFunction(rf.getFunction());
        this.setLower(rf.getLower());
        this.setUpper(rf.getUpper());
    }

    public Function getFunction(){return function;}
    public double getLower(){return lower;}
    public double getUpper(){return upper;}
    public void setFunction(Function function){this.function=function;}
    public void setLower(double lower){this.lower=lower;}
    public void setUpper(double upper){this.upper=upper;}
}
```

Private member variables

Multiple constructors with different parameter lists

Public accessors and mutators

The diagram illustrates the RangedFunction class with its private members, constructors, and public methods. Annotations highlight key features: private member variables (function, lower, upper), multiple constructors with different parameter lists (no args, three args, and another RangedFunction), and public accessors and mutators (getFunction, getLower, getUpper, setFunction, setLower, setUpper).

4. File Access

Except for working with pdfs, the program also interacts with a text file. It reads all information about Mr. Christos' classes and students when it starts running, and saves any changes when they take place. This provides a way to save information from one session to another, which is programmatically easy and efficient.

Figure 4.1: Reading classes from text file and try-catch blocks

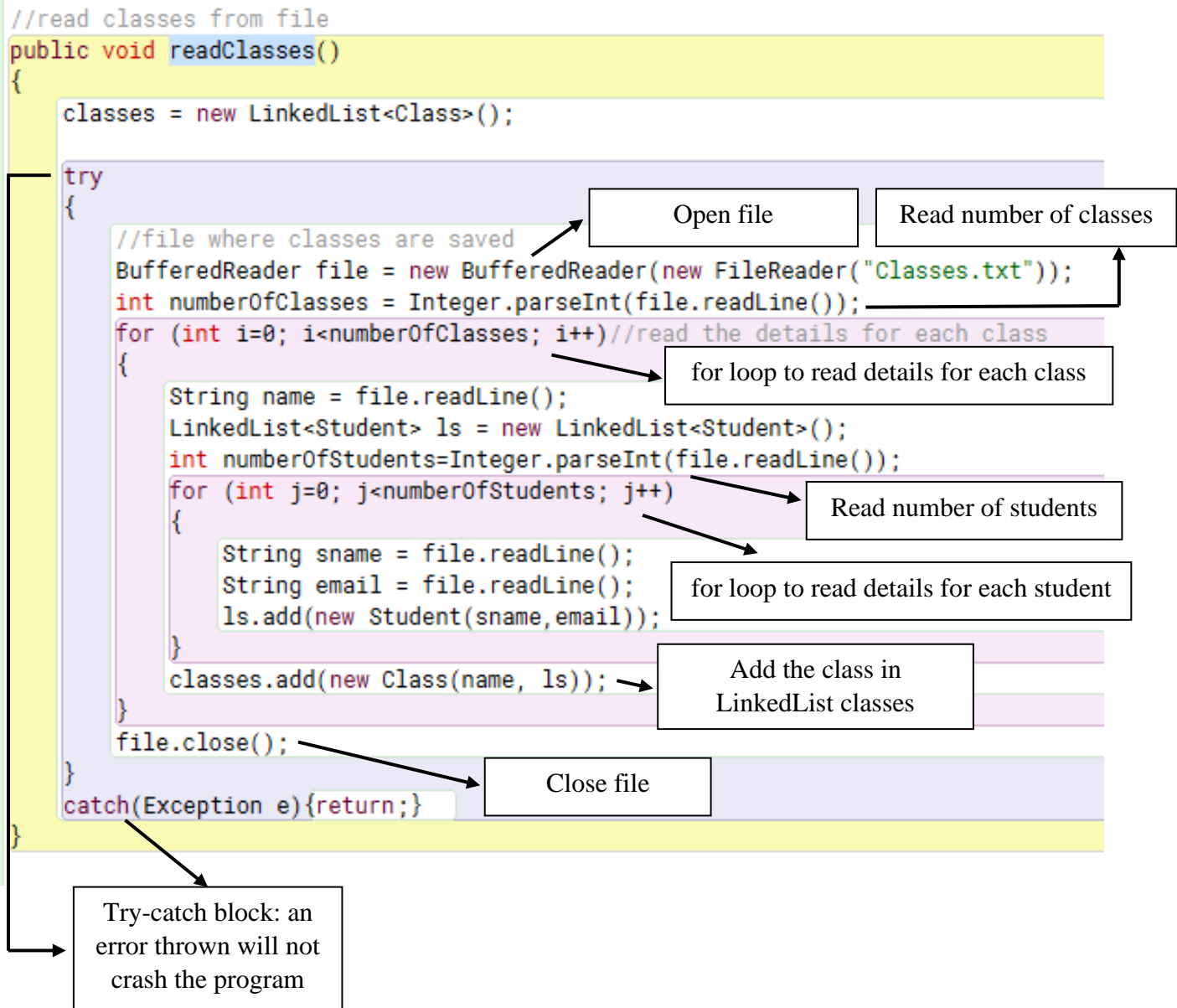


Figure 4.2: Saving classes to text file and try-catch blocks

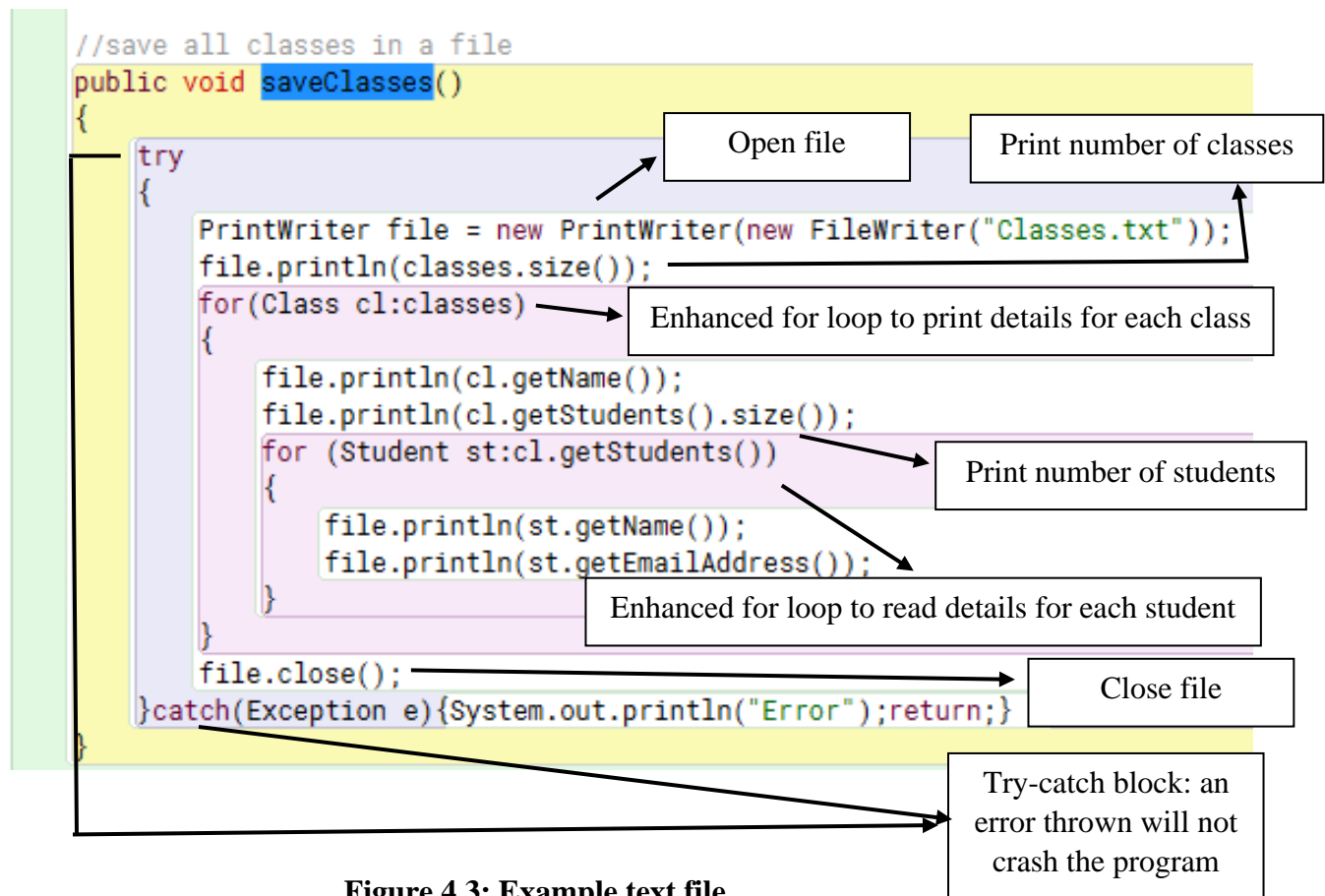
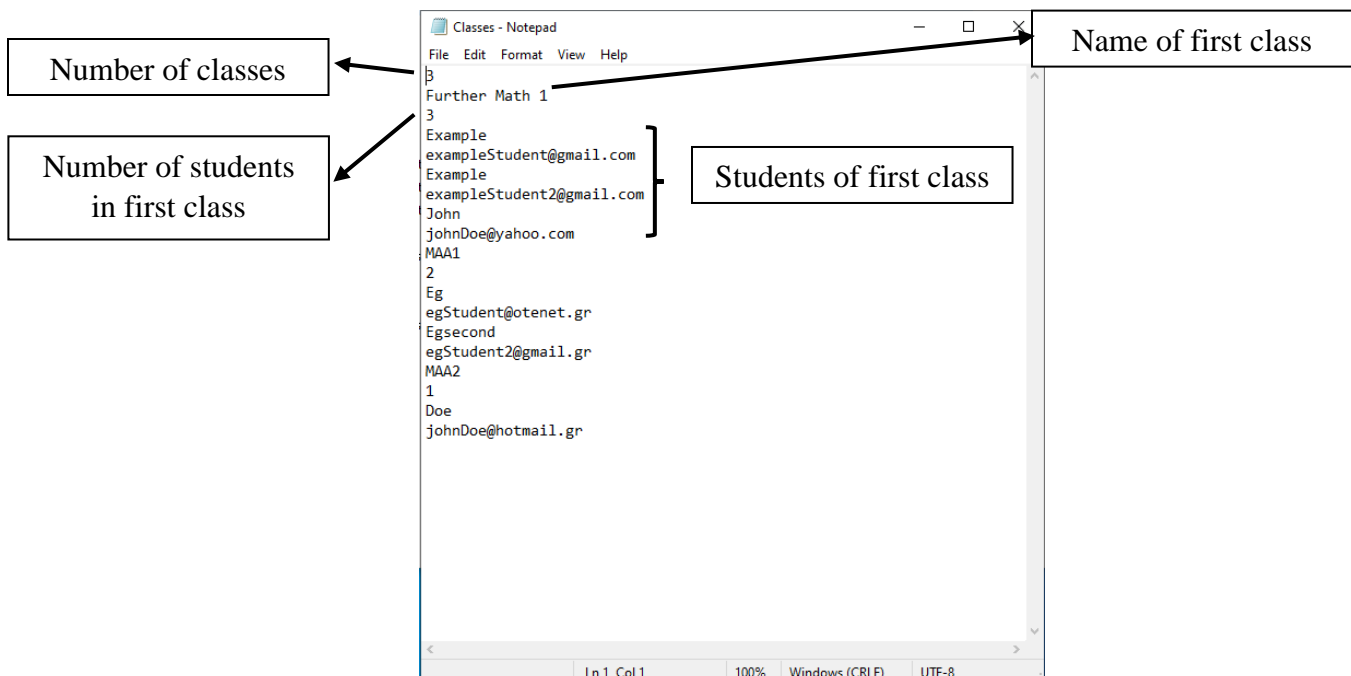


Figure 4.3: Example text file



5. Validation

Validation methods ensure that the user does not enter invalid data. It is essential to prevent the program from crashing and to avoid bugs. The Validate class, as shown in Figure 5.1, provides two methods for ensuring that when adding a new student, the name and email address are valid. As was noted in Figure 2.2, validation also takes place when the user inputs functions and ranges. Figure 5.3 outlines the behavior of the program when the user inputs invalid data in any field.

Figure 5.1: The Validate class

```
public class Validate
{
    //check if a given string is a name
    public static boolean isName(String name)
    {
        if(name==null)
            return false;

        if(Character.isLowerCase(name.charAt(0)))
            return false;

        for(int c=1; c<name.length(); c++)
        {
            if(Character.isUpperCase(name.charAt(c)))
                return false;
        }

        return true;
    }

    //check if a given string is an email
    public static boolean isEmail(String email)
    {
        String validEmail = "[a-zA-Z0-9_+&*~]+(?:\\.[a-zA-Z0-9_+&*~]+)*@"
            + "(?:[a-zA-Z0-9-]+\\.[a-z] + \"A-Z\"{2,7}$)";
        Pattern pat = Pattern.compile(validEmail);
        if(email == null)
            return false;

        return pat.matcher(email).matches();
    }
}
```

The diagram shows the Java code for the Validate class with several annotations pointing to specific parts of the code:

- An arrow points from the text "First letter should be uppercase" to the `if(Character.isLowerCase(name.charAt(0)))` condition.
- An arrow points from the text "The rest should be lowercase" to the `for(int c=1; c<name.length(); c++)` loop.
- An arrow points from the text "Method adopted^v" to the `isEmail` method signature.
- An arrow points from the text "Regular expression" to the `String validEmail` variable.
- An arrow points from the text "Check if the given string satisfies it" to the `return pat.matcher(email).matches();` line.

Figure 5.2: The validate class in use

```
//validate student name and email
public void btnDoneAddingStudentClicked(String clName, String name, String email)
{
    if (!(Validate.isName(name) && Validate.isEmail(email)))
    {
        throwError("Invalid name or email", stgAddStudent);
        return;
    }

    Class cl = new Class();
    for(Class cur:classes)
    {
        if(cur.getName().equals(clName))
        {
            cl=cur;
            break;
        }
    }

    for(Student st:cl.getStudents())
    {
        if(st.getEmailAddress().equals(email))
        {
            throwError("Email already exists", stgStudents);
            return;
        }
    }

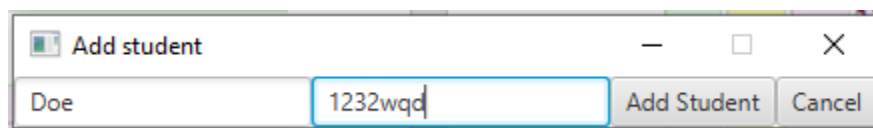
    cl.getStudents().add(new Student(name, email));
    stgAddStudent.hide();
    btnStudentsClicked(clName);
}
```

Enhanced for loop: linear search

Enhanced for loop: uniqueness of email

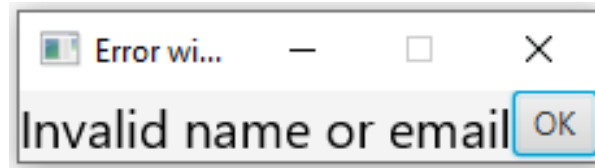
Add student in class

Figure 5.3a: Entering invalid input



The screenshot shows a window titled "Add student" with standard Windows window controls (minimize, maximize, close). Inside the window, there are two text input fields. The first field contains the text "Doe". The second field contains the text "1232wqd". To the right of these fields are two buttons: "Add Student" and "Cancel".

Figure 5.3b: The program's response to invalid input



6. Error handling

Error handling is also an essential part of this program, keeping it from crashing. It takes the form of try-catch blocks, and it may be a part of validating user input, as in Figure 2.2, or of ensuring that the program does not face unexpected errors, as explained in Figures 4.1 and 4.2.

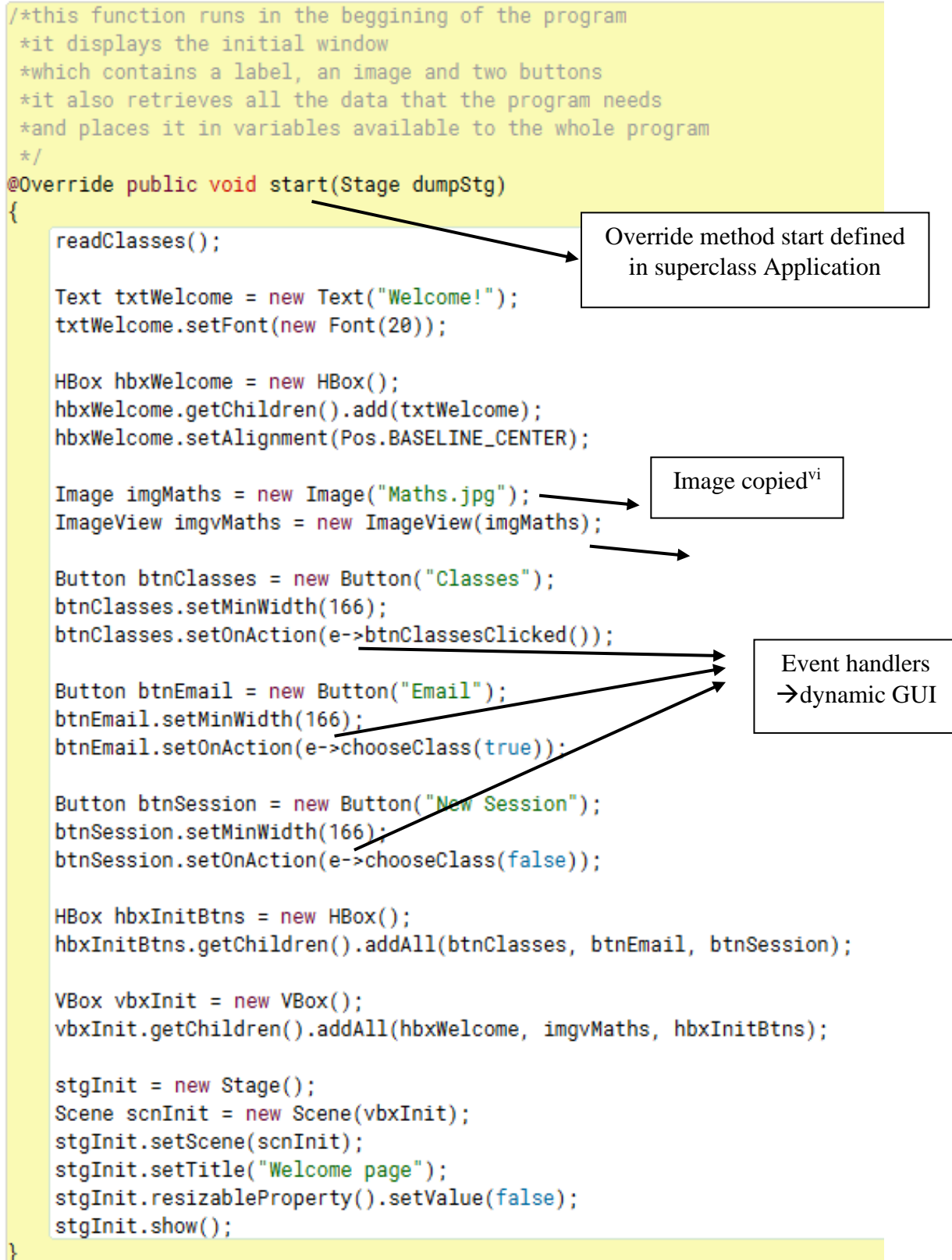
7. Static polymorphism

Static polymorphism, achieved through function overloading, namely having multiple functions with the same names but different parameter lists, helps in creating programs where the method names are indeed representative of what the method does without being too descriptive. Moreover, they reduce code redundancy. These two points are explained in Figures 3.1-3.3.

8. Dynamic polymorphism

Dynamic polymorphism is what makes the javafx library usable in the first place, for it allows, by extending the Application class and overwriting its start method, to run the code on a JavaFX Application thread.

Figure 8.1: Overriding method start



9. Graphs

One of the main purposes of the application created was to draw graphs. This is achieved by calculating the y-value for thousands of x-values within the function's domain, adding them as points in a set of axes and connecting these points with straight lines. The great number of points in a limited amount of pixels will give the graphs of the curves their real shape, meaning that the graph will look like a connection of straight lines, although essentially it is nothing more than that, as can be derived from Figure 9.1. The resulting graph and any data calculated on it can be seen in Figure 10.6.

Figure 9.1a: Drawing the graph

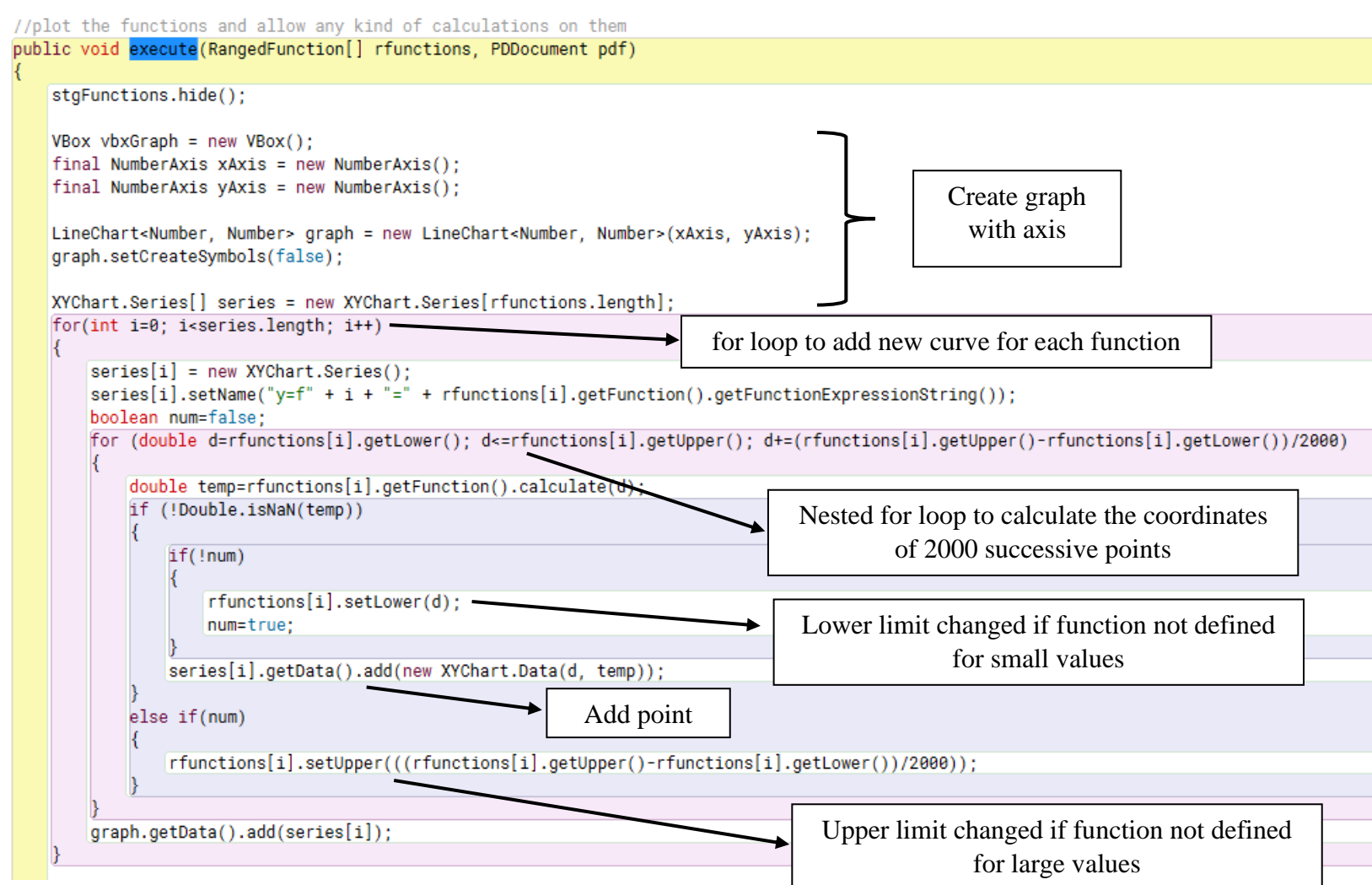


Figure 9.1b: Drawing the graph (Continued)

```

HBox hbxButtons1 = new HBox();
HBox hbxButtons2 = new HBox();
Button btnMax = new Button("Max");
btnMax.setOnAction(e->chooseFunction(vbxGraph, rfunctions, "Max"));
Button btnMin = new Button("Min");
btnMin.setOnAction(e->chooseFunction(vbxGraph, rfunctions, "Min"));
Button btnCalcY = new Button("Calculate y");
btnCalcY.setOnAction(e->chooseFunction(vbxGraph, rfunctions, "Calculate y"));
Button btnRoots = new Button("Roots");
btnRoots.setOnAction(e->chooseFunction(vbxGraph, rfunctions, "Roots"));
Button btnYIntercept = new Button("y-intercept");
btnYIntercept.setOnAction(e->chooseFunction(vbxGraph, rfunctions, "YIntercept"));
Button btnDerivative = new Button("Derivative");
btnDerivative.setOnAction(e->chooseFunction(vbxGraph, rfunctions, "Derivative"));
Button btnAreaUnder = new Button("Area under the graph");
btnAreaUnder.setOnAction(e->chooseFunction(vbxGraph, rfunctions, "AreaUnder"));
Button btnAreaBetweenX = new Button("Area between graph and x-axis");
btnAreaBetweenX.setOnAction(e->chooseFunction(vbxGraph, rfunctions, "AreaBetween"));
Button btnVolume = new Button("Volume of revolution");
btnVolume.setOnAction(e->chooseFunction(vbxGraph, rfunctions, "Volume"));
Button btnIntersection = new Button("Intersection");
btnIntersection.setOnAction(e->chooseFunction(vbxGraph, rfunctions, "Intersection"));
ScrollPane spGraph = new ScrollPane();
Button btnSave = new Button("Save");
btnSave.setOnAction(e->btnSaveFunctionClicked(spGraph, pdf));
hbxButtons1.getChildren().addAll(btnMax, btnMin, btnCalcY, btnRoots, btnYIntercept, btnDerivative);
hbxButtons2.getChildren().addAll(btnAreaUnder, btnAreaBetweenX, btnVolume, btnSave);

if(rfunctions.length > 1)
    hbxButtons2.getChildren().add(3, btnIntersection);

vbxDGraph.getChildren().addAll(graph, hbxButtons1, hbxButtons2);
spGraph.setContent(vbxGraph);
spGraph.setMaxHeight(700);

stgGraph = new Stage();
stgGraph.resizableProperty().setValue(false);
//if x button clicked or hotkey alt-f4 pressed return to initial screen
stgGraph.setOnCloseRequest(e->{stgGraph.hide(); stgFunctions.show();});
Scene scnGraph = new Scene(spGraph);
stgGraph.setScene(scnGraph);
stgGraph.setTitle("Graph");
stgGraph.show();
}

```

Create
buttons
with
event
handlers

Add intersection
button only if more
than one functions
were entered

10. Implementation of mathematical functions

The other crucial feature of the program was to be able to calculate certain values given a function. These have been implemented in a very brute-force way, presented in figures 10.1-10.5, which may lead to some error when an extremely large domain is given for x . Of course, I am referring to extreme cases, such as entering the function x^2 in the range $(-10e5, 10e5)$, which are very rarely useful in real life, and even less so in a mathematics class. I opted for these algorithms because they terminate after a predetermined number of iterations, much faster than what it would need for a more sophisticated, recursive or iterative approach to converge. This, in combination with the limited precision that Mr. Christos requires, convinced me that the overhead of having to implement a more complicated solution was not worth it for this aspect of the program.

Figure 10.1: Finding local maxima

```
//find the maxima of the given function within its range
public void btnMaxClicked(VBox vboxGraph, RangedFunction rfunction)
{
    double width = ((LineChart)(vboxGraph.getChildren().get(0))).getWidth();

    double diff = (rfunction.getUpper()-rfunction.getLower())/numberOfPoints;
    double yprev=rfunction.getFunction().calculate(rfunction.getLower());
    double ycur=rfunction.getFunction().calculate(rfunction.getLower()+diff);
    double ynext;
    if (rfunction.getFunction().calculate(rfunction.getLower()) > rfunction.getFunction().calculate(rfunction.getLower()+diff))
    {
        Text txtMax = new Text("y=" + rfunction.getFunction().getFunctionExpressionString() + " has maximum at (" +
            BigDecimal.valueOf(rfunction.getLower()).setScale(8, RoundingMode.HALF_UP).doubleValue() + ", " +
            BigDecimal.valueOf(rfunction.getFunction().calculate(rfunction.getLower())).setScale(
                8, RoundingMode.HALF_UP).doubleValue() + ")");
        txtMax.setWrappingWidth(width);
        vboxGraph.getChildren().add(1, txtMax);
    }
    for(double d=rfunction.getLower()+diff; d<=rfunction.getUpper()-diff; d+=diff)
    {
        ynext=rfunction.getFunction().calculate(d+diff);
        if(ycur > yprev && ycur > ynext)
        {
            double maxY=yprev;
            double maxX=d-diff;
            for(double d2=d-diff+(diff/numberOfPoints); d2<=d+diff; d2+=diff/numberOfPoints)
            {
                double temp=rfunction.getFunction().calculate(d2);
                if(temp > maxY)
                {
                    maxY = temp;
                    maxX = d2;
                }
                else break;
            }

            Text txtMax = new Text("y=" + rfunction.getFunction().getFunctionExpressionString() + " has maximum at (" +
                BigDecimal.valueOf(maxX).setScale(8, RoundingMode.HALF_UP).doubleValue() + ", " +
                BigDecimal.valueOf(maxY).setScale(8, RoundingMode.HALF_UP).doubleValue() + ")");
            txtMax.setWrappingWidth(width);
            vboxGraph.getChildren().add(1, txtMax);
        }
        yprev=ycur;
        ycur=ynext;
    }
    if (rfunction.getFunction().calculate(rfunction.getUpper()) > rfunction.getFunction().calculate(rfunction.getUpper()-diff))
    {
        Text txtMax = new Text("y=" + rfunction.getFunction().getFunctionExpressionString() + " has maximum at (" +
            BigDecimal.valueOf(rfunction.getUpper()).setScale(8, RoundingMode.HALF_UP).doubleValue() + ", " +
            BigDecimal.valueOf(rfunction.getFunction().calculate(rfunction.getUpper())).setScale(
                8, RoundingMode.HALF_UP).doubleValue() + ")");
        txtMax.setWrappingWidth(width);
        vboxGraph.getChildren().add(1, txtMax);
    }
}

stgChooseFunction.hide();
stgGraph.show();
}
```

Lower limit is a local max if greater than next value

Set precision to eight decimals

for loop: iterate over finite number of points

If larger than both previous and next value

nested for loop: find exact coordinates of turning point

Upper limit is a local max if greater than previous value

Minima

The code is similar.

y at x_0

Calculating y given an x-value x_0 is as easy as calling $f(x_0)$ after checking that
 $\text{lower bound} < x_0 < \text{upper bound}$

y-intercept

Simply call $f(0)$ if $\text{lower bound} < 0 < \text{upper bound}$

Figure 10.2a: Finding roots

```
//find the roots of a function given within its range
public void btnRootsClicked(VBox vboxGraph, RangedFunction rfunction)
{
    double width = ((LineChart)(vboxGraph.getChildren().get(0))).getWidth();

    boolean rootFound=false;
    double diff=(rfunction.getUpper()-rfunction.getLower())/numberOfPoints;
    double yprev=rfunction.getFunction().calculate(rfunction.getLower());
    for(double d=rfunction.getLower()+diff; d<=rfunction.getUpper(); d+=diff)
    {
        double y=rfunction.getFunction().calculate(d);
        if((yprev<0 && y>0) || (yprev>0 && y<0))
        {
            rootFound=true;
            double closestToZero=Math.abs(yprev);
            double x=d-diff;
            for(double d2=d-diff; d2<=d; d2+=diff/numberOfPoints)
            {
                double temp=rfunction.getFunction().calculate(d2);
                if(Math.abs(temp)<closestToZero)
                {
                    closestToZero = Math.abs(temp);
                    x=d2;
                }
            }
            Text txtRoot = new Text("y=" + rfunction.getFunction().getFunctionExpressionString() + " has root at x="
                + BigDecimal.valueOf(x).setScale(8, RoundingMode.HALF_UP).doubleValue());
            txtRoot.setWrappingWidth(width);
            vboxGraph.getChildren().add(1, txtRoot);
        }
        yprev=y;
    }

    yprev=rfunction.getFunction().calculate(rfunction.getLower());
    double ycur=rfunction.getFunction().calculate(rfunction.getLower()+diff);
    double ynext;
    for(double d=rfunction.getLower()+diff; d<=rfunction.getUpper()-diff; d+=diff)
    {
        ynext=rfunction.getFunction().calculate(d+diff);
        if(ycur > yprev && ycur > ynext && ynext<0 && yprev<0)
        {
            double closestY=-yprev;
            double closestX=d-diff;
            for(double d2=d-diff+(diff/numberOfPoints); d2<=d+diff; d2+=diff/numberOfPoints)
            {
                double temp=Math.abs(rfunction.getFunction().calculate(d2));
                if(temp < closestY)
                {
                    closestY = temp;
                    closestX = d2;
                }
            }
            else break;
        }
    }
}
```

for loop: iterate over finite number of points

By Rolle's theorem, if this is true then a root exists

nested for loop: find exact coordinates of root

For better accuracy check this case which might find missed roots

nested for loop: find closest value to 0

Figure 10.2b: Finding roots (Continued)

```
}
if(closestY < 1e-5)
{
    rootFound=true;
    Text txtRoot = new Text("y=" + rfunction.getFunction().getFunctionExpressionString() + " has root at x="
        + BigDecimal.valueOf(closestX).setScale(8, RoundingMode.HALF_UP).doubleValue());
    txtRoot.setWrappingWidth(width);
    vbGraph.getChildren().add(1, txtRoot);
}
}
yprev=ycur;
ycur=ynext;

yprev=rfunction.getFunction().calculate(rfunction.getLower());
ycur=rfunction.getFunction().calculate(rfunction.getLower()+diff);
for(double d=rfunction.getLower()+diff; d<=rfunction.getUpper()-diff; d+=diff)
{
    ynext=rfunction.getFunction().calculate(d+diff);
    if(ycur < yprev && ycur < ynext && ynext>0 && yprev>0)
    {
        double closestY=yprev;
        double closestX=d-diff;
        for(double d2=d-diff+(diff/numberOfPoints); d2<=d+diff; d2+=diff/numberOfPoints)
        {
            double temp=Math.abs(rfunction.getFunction().calculate(d2));
            if(temp < closestY)
            {
                closestY = temp;
                closestX = d2;
            }
            else break;
        }
        if(closestY < 1e-5)
        {
            rootFound=true;
            Text txtRoot = new Text("y=" + rfunction.getFunction().getFunctionExpressionString() + " has root at x="
                + BigDecimal.valueOf(closestX).setScale(8, RoundingMode.HALF_UP).doubleValue());
            txtRoot.setWrappingWidth(width);
            vbGraph.getChildren().add(1, txtRoot);
        }
    }
    yprev=ycur;
    ycur=ynext;
}
```

If close enough to 0,
consider the point a
root

For better accuracy check
this case which might find
missed roots

nested for loop: find
closest value to 0

If close enough to 0,
consider the point a
root

Derivative at x_0

This is the rate of change at x_0 . We can just see how f changes very close to x_0 . The answer will thus be $\frac{f(x_0+h)-f(x_0-h)}{2h}$, where h is a small number.

Area under the graph

Figure 10.3: Finding Area Under Graph

```
//find the area under the graph of a given function and above the x-axis
public void btnAreaUnderClicked(VBox vboxGraph, RangedFunction rfunction)
{
    double width = ((LineChart)(vboxGraph.getChildren().get(0))).getWidth();

    double area=0;
    double diff=(rfunction.getUpper()-rfunction.getLower())/(numberOfPoints*5);
    double prev=rfunction.getFunction().calculate(rfunction.getLower());
    for(double d=rfunction.getLower()+diff; d<=rfunction.getUpper(); d+=diff)
    {
        double temp=rfunction.getFunction().calculate(d);
        area += (prev+temp)*diff/2;
        prev=temp;
    }
    Text txtAreaUnder = new Text("y=" + rfunction.getFunction().getFunctionExpressionString() + ", area under graph= " + area);
    txtAreaUnder.setWrappingWidth(width);
    vboxGraph.getChildren().add(1, txtAreaUnder);
    stgChooseFunction.hide();
    stgGraph.show();
}
```

Use trapezium method in $f(x)$ for area under graph

Area between the graph and the x-axis

Figure 10.4: Finding Area Between Graph and x-axis

```
/*find the area between the graph of a given function and the x-axis
*this is different from what the previous method does
*as it only takes positive values
*/
public void btnAreaBetweenClicked(VBox vboxGraph, RangedFunction rfunction)
{
    double width = ((LineChart)(vboxGraph.getChildren().get(0))).getWidth();

    double area=0;
    double diff=(rfunction.getUpper()-rfunction.getLower())/(numberOfPoints*5);
    double prev=Math.abs(rfunction.getFunction().calculate(rfunction.getLower()));
    for(double d=rfunction.getLower()+diff; d<=rfunction.getUpper(); d+=diff)
    {
        double temp=Math.abs(rfunction.getFunction().calculate(d));
        area += (prev+temp)*diff/2;
        prev=temp;
    }
    Text txtAreaBetween = new Text("y=" + rfunction.getFunction().getFunctionExpressionString() + ", area between graph and x-axis= " + area);
    txtAreaBetween.setWrappingWidth(width);
    vboxGraph.getChildren().add(1, txtAreaBetween);
    stgChooseFunction.hide();
    stgGraph.show();
}
```

Use trapezium method in $|f(x)|$ for area between graph and x-axis

Volume of revolution

Figure 10.5: Finding Volume of Revolution

```
//find the volume of revolution of the graph of a given function
public void btnVolumeClicked(VBox vboxGraph, RangedFunction rfunction)
{
    double width = ((LineChart)(vboxGraph.getChildren().get(0))).getWidth();

    double volume=0;
    double diff=(rfunction.getUpper()-rfunction.getLower())/(numberOfPoints*5);
    double prev=rfunction.getFunction().calculate(rfunction.getLower());
    for(double d=rfunction.getLower()+diff; d<=rfunction.getUpper(); d+=diff)
    {
        double temp=rfunction.getFunction().calculate(d);
        volume += Math.PI*(prev*prev+temp*temp)*diff/2;
        prev=temp;
    }
    Text txtVolume = new Text("y=" + rfunction.getFunction().getFunctionExpressionString() + ", volume of revolution= " + volume);
    txtVolume.setWrappingWidth(width);
    vboxGraph.getChildren().add(1, txtVolume);
    stgChooseFunction.hide();
    stgGraph.show();
}
```

Use trapezium method in $\pi f^2(x)$ for volume of revolution

Point of intersection of two functions

Assuming two functions $f(x)$ and $g(x)$, their points of intersection are the same as the roots of $f(x)-g(x)$.

Figure 10.5a: Plotted function and data calculated

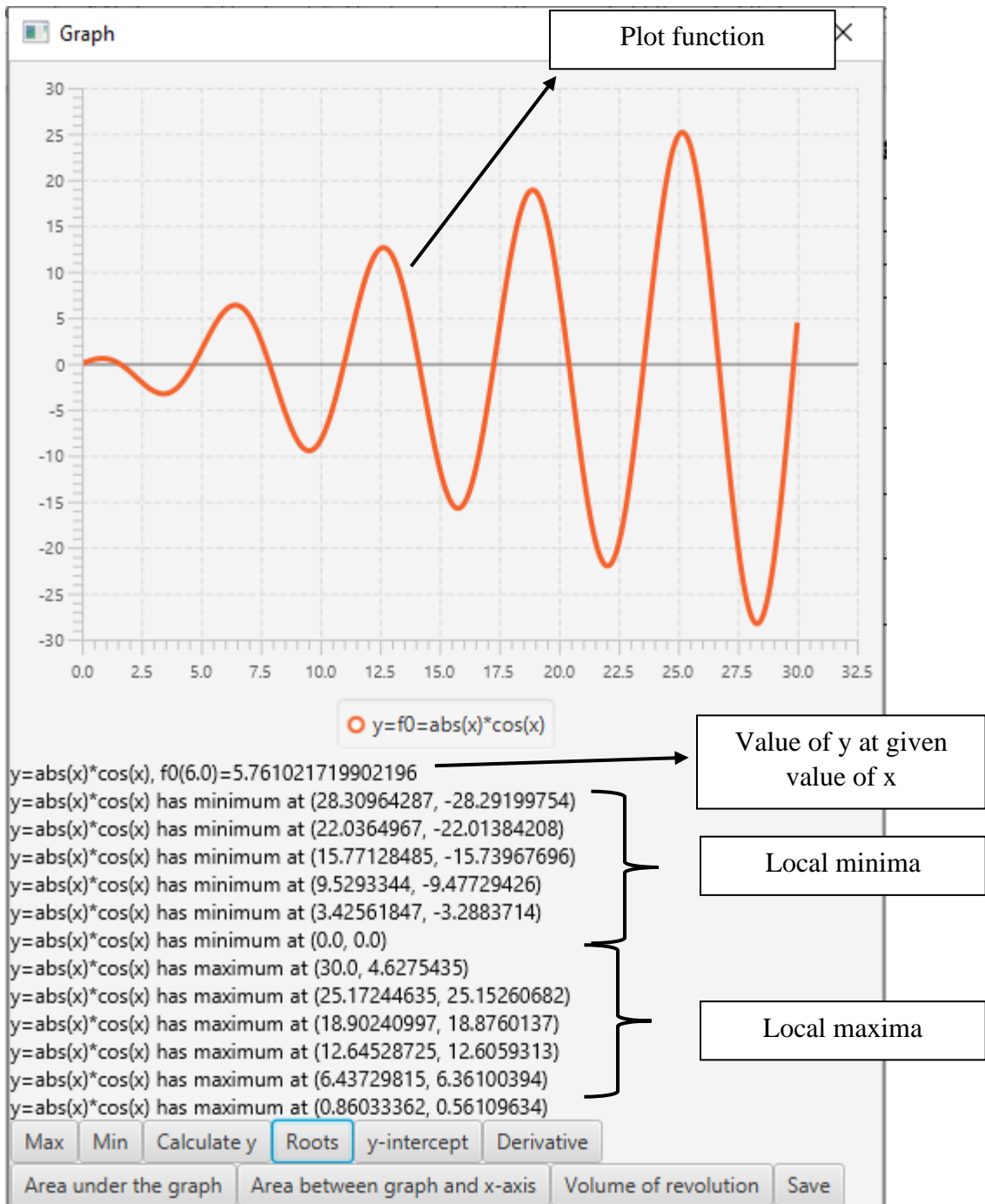


Figure 10.5b: Plotted function and data calculated (Continued)

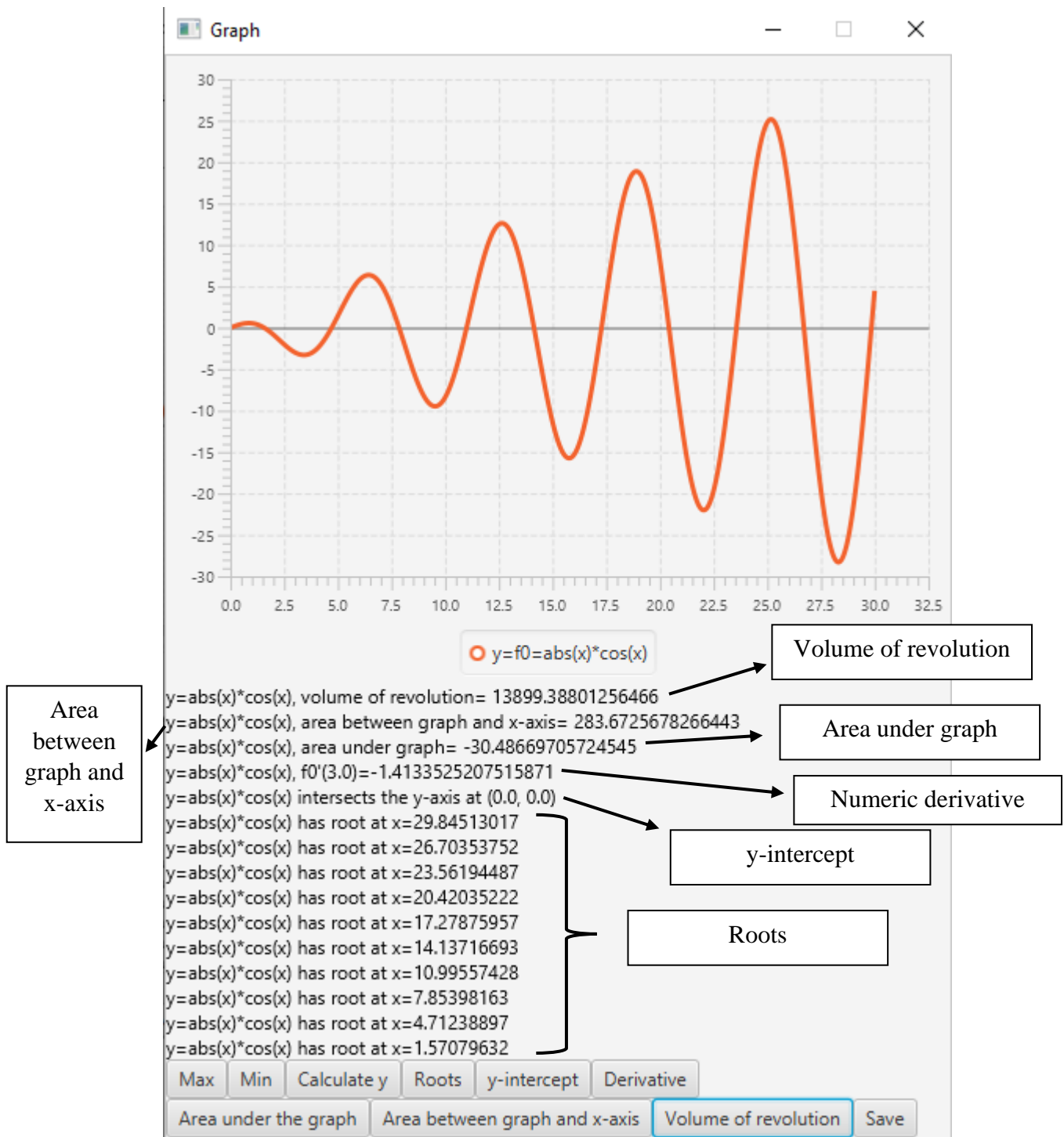
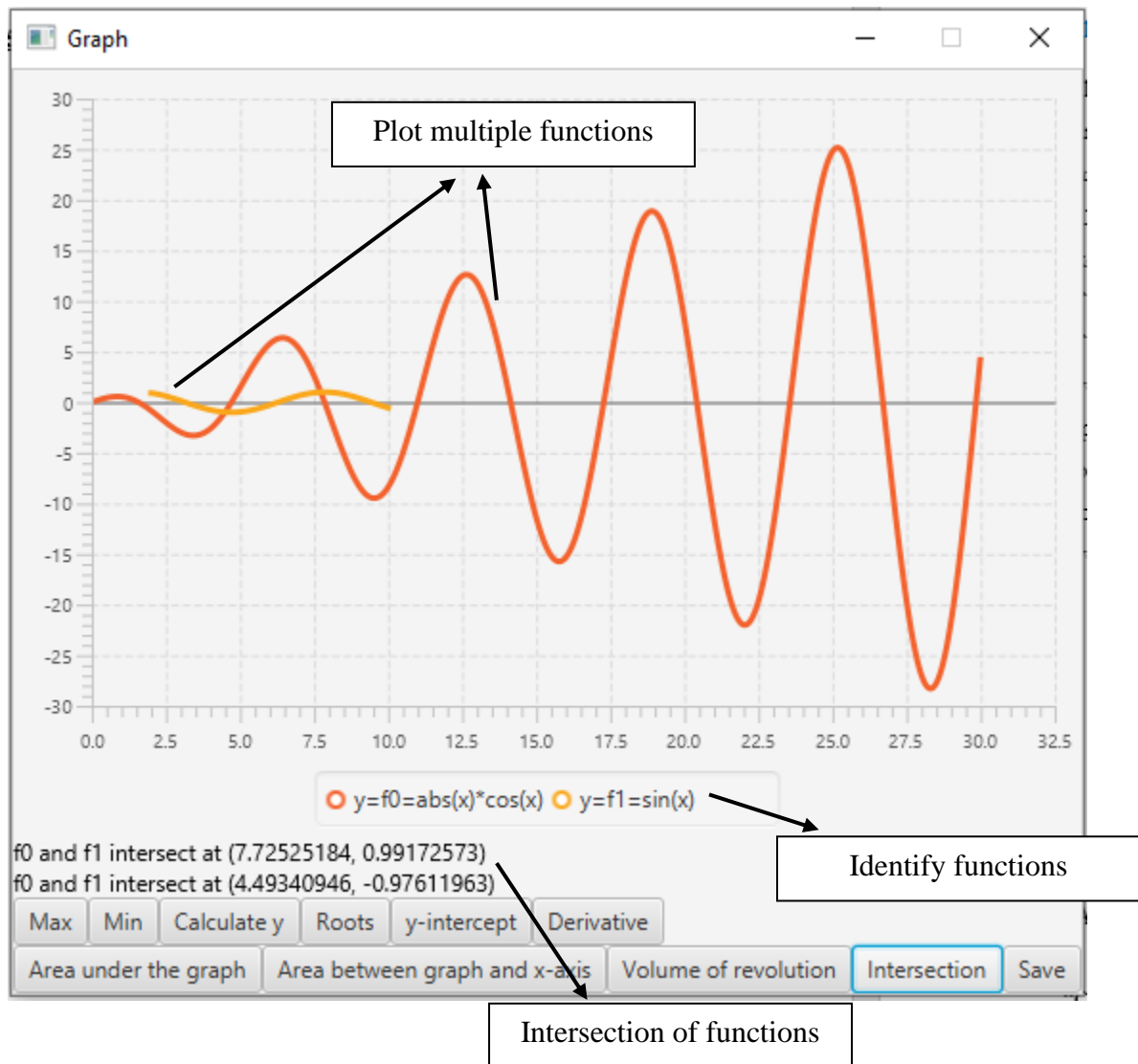


Figure 10.5c: Plotted function and data calculated (Continued)

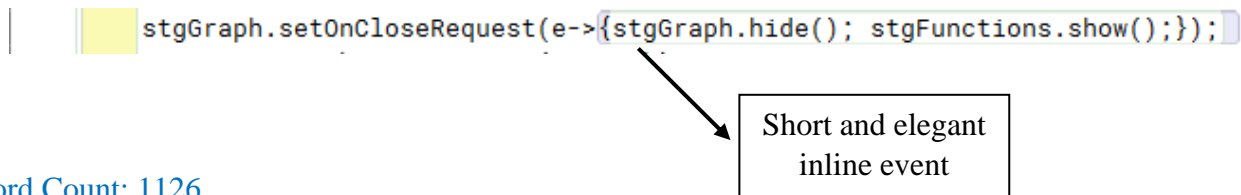


11. Inline events

Inline events, meaning blocks of code instead of method calls when an event-handler is called, can have a lot of advantages. Even though, under some circumstances they can do more harm than good to one's program, when used judiciously, for very short methods that are not called many times, they can make both the code itself clearer and more readable and its execution slightly faster. The first is true because inline events reduce the vertical whitespace of the code, and also, when reading code with a lot of methods, one has to see where each one of them is

defined and keep track of where they were called, which is avoided by using inline events. As for faster execution, similarly to how a programmer might have difficulty reading a program with many methods, a compiler will have to stop and start execution from different points several times, while simultaneously the free space in the heap will be reduced, slowing down the execution, which can again be avoided by using inline events. Therefore, inline events have, to some degree, been exploited for the purposes of my program.

Figure 11.1: An example of an inline event



Word Count: 1126

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