# Assignment No. 1: Analysis & Comparison of Direct Sorting Methods

**Allocated time:** 2 hours

## **Implementation**

You are required to implement **correctly** and **efficiently** 3 direct sorting methods (Bubble Sort, Insertion Sort – using either linear or binary insertion and Selection Sort)

- Input: sequence of numbers  $\langle a_1, a_2, ..., a_n \rangle$
- Output: an ordered permutation of the input sequence  $\langle a_1' \leq a_2' \leq \cdots \leq a_n' \rangle$

You may find any necessary information and pseudo-code in your Seminar no. 1 notes (Insertion Sort is also presented in the book<sup>1</sup>— Section 2.1). Make sure that you implement the efficient version for each of the required sorting methods (if more than one version has been provided to you).

## Minimal requirements for grading

- o Interpret the charts and write your observations in the *header* (block comments) section at the beginning of your *main .cpp* file.
- o Prepare a demo for each algorithm implemented.
- We do not accept assignments without code indentation and with code not organized in functions (for example where the entire code is in the main function).
- The points from the requirements correspond to a correct and complete solution, quality
  of interpretation from the block comment and the correct answer to the questions from
  the teacher.

# Requirements

#### 1. Implementation of direct sorting method (5.5p)

- Bubble sort (1.5p)
- Insertion sort (2p)
- Selection sort (2p)

You will have to prove your algorithm(s) work, so you should also prepare a demo on a small-sized input (which may be hard-coded in your *main* function).

#### 2. Evaluate algorithms for the average case (1.5p - 0.5p) for each algorithm

! Before you start to work on the algorithms evaluation code, make sure you have a correct algorithm!

You are required to compare the three sorting algorithms, in the **best**, **average** and **worst** cases. Remember that for the **average** case you have to repeat the measurements m times (m=5 should suffice) and report their average; also, for the **average** case, make sure you always use the **same** input sequence for all three sorting methods. To make the comparison fair, make sure you know how to generate the **best/worst** case input sequences for all three methods.

This is how the analysis should be performed for a sorting method, in any of the three cases (**best**, **average** and **worst**):

- vary the dimension of the input array (n) between [100...10000], with an increment of maximum 500 (we suggest 100).
- for each dimension, generate the appropriate input sequence for the sorting method; run the sorting method counting the operations (i.e., number of assignments, number of comparisons and their sum).
- ! Only the assignments (=) and comparisons (<, ==, >, !=) which are performed on the input structure and its corresponding auxiliary variables matter.

# 3. Evaluate algorithm for best and worst case (3p - 0.5p for each case of each algorithm)

For each analysis case (**best**, **average**, and **worst**), generate charts which compare the three methods; use different charts for the number of comparisons, number of assignments and total number of operations. If one of the curves cannot be visualized correctly because the others have a larger growth rate (e.g., a linear function might seem constant when placed on the same chart with a quadratic function), place that curve on a separate chart as well. Name your charts and the curves on each chart appropriately.

# 4. Bonus: Binary insertion sort (0.5p)

You will have to prove your algorithm(s) work, so you should also prepare a demo on a small-sized input (which may be hard-coded in your main function).

You will have to compare binary insertion sort against all other sorting methods (bubble, insertion, selection) on all cases (best, average, worst).