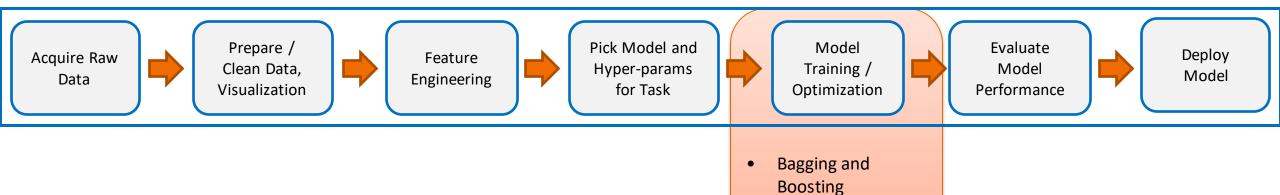


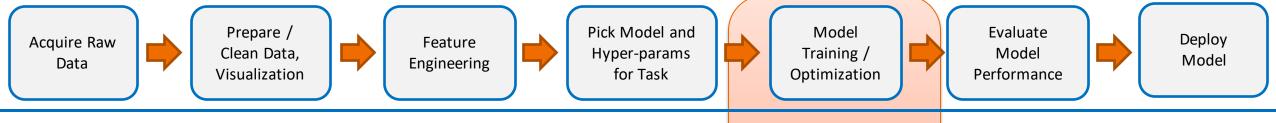
Focus for this lecture

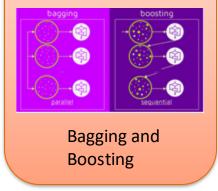


Other Ensemble

Random Forests

Techniques





Ensemble Methods

Bagging and Boosting



Boosting and Adaboost

- Generate a set of weak classifiers
- Combine them using a weighted combination (probabilities)
- Weights proportional to their performance on the validation set

AdaBoost:

- A Popular variant of boosting
- Generate classifiers by weighted sampling

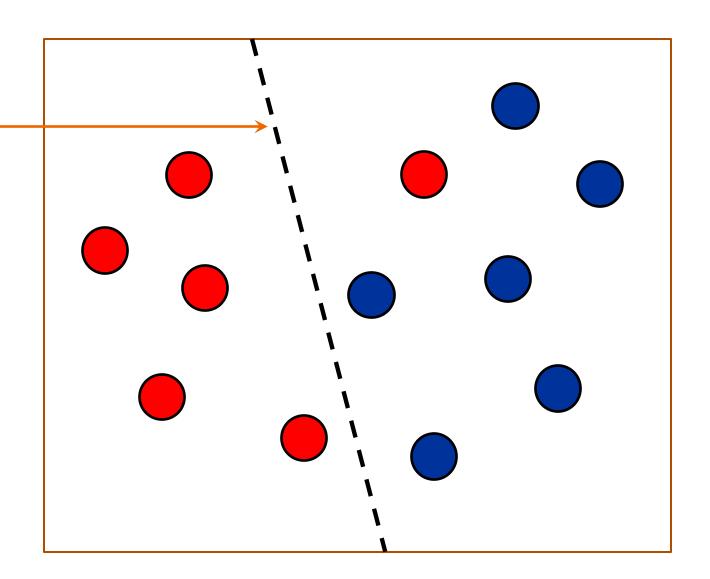


Boosting Illustration



$$h_1(x)=0$$

H(x): $sign(h_1(x))$



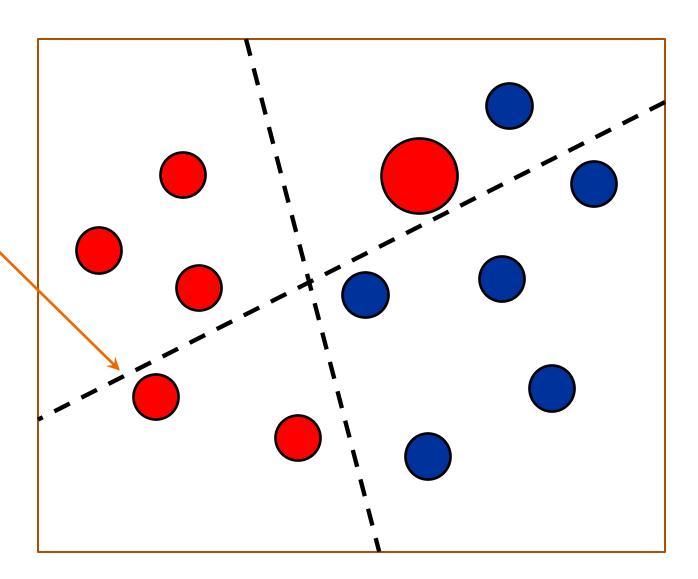


Boosting Illustration

Weak Classifier 2

$$h_2(x)=0$$

H(x): $sign(h_2(x))$



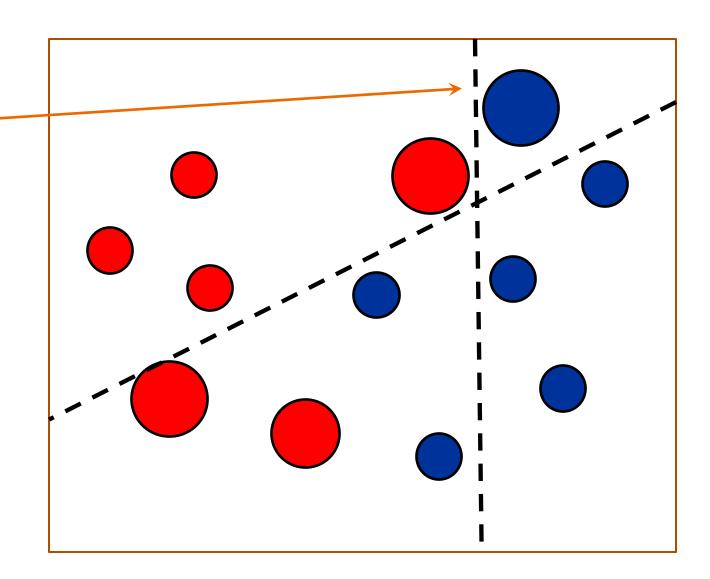




Weak Classifier 3

$$h_3(x)=0$$

H(x): $sign(h_3(x))$





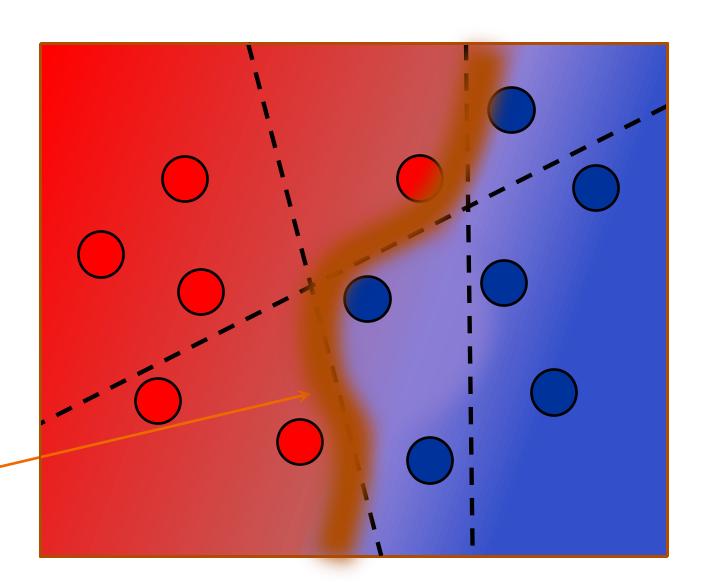
Boosting Illustration

Can we combine the weak classifiers to create a strong classifier?

$$H(x): sign(\alpha_1 h_1(x) + \alpha_2 h_2(x) + \alpha_3 h_3(x))$$

where α_i s are proportional to the accuracies of h_i ()s

Combined Classifier



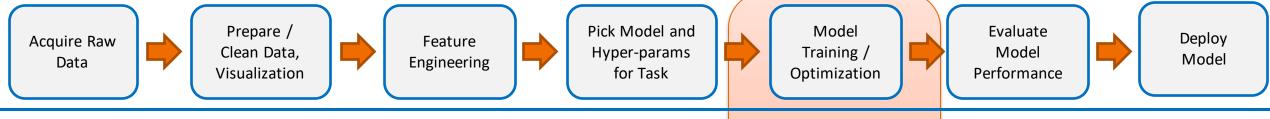


Boosting: Summary

Weak Learners combine to form strong classifiers

Does not work that well with strong learners

Boosting combined with trees gives some of the most powerful classifiers







Other Ensemble Methods

Other solutions from a group of solvers



Ensemble Clustering

- Generate a set of weak clusters
 - Could be done efficiently
 - Need not be too accurate on number of clusters

- Combine the clusters together
 - How to generate consensus ?
 - Can give effective ways to determine number of clusters



Generation of Ensemble by Weak Clustering

- Weak clustering is defined as a partition that is only slightly better than a random partition of the data
- Weak clusterings can be generated efficiently compared to sophisticated clustering algorithms
- Weak clusterings can be obtained by
 - clustering in low dimensional projections of data
 - by random "cuts" of the data,
 - using sub-samples of data



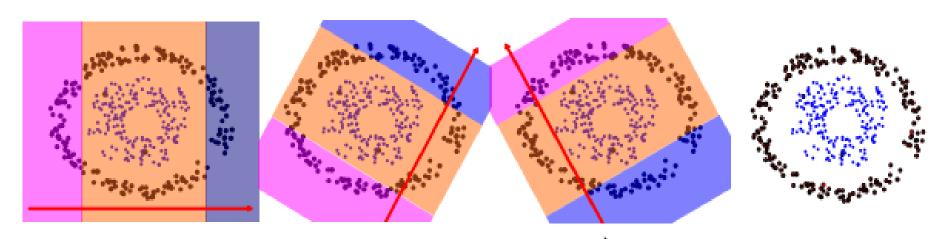
Ensemble Generation by Random Projections

 Random subspaces provide us with different views of the multidimensional data; each random subspace can be of very low dimensionality (e.g., 1-D)

 Clustering in 1-D space is computationally inexpensive and can be implemented by k-means algorithm



Ensemble Generation by Random Projections



Different 3-cluster partitions of 2-dim data resulting from projections onto random lines

Concentric circular clusters can be perfectly detected by an ensemble of 50-100 partitions



Co-association As Consensus Function

 Similarity between objects can be estimated by the number of clusters shared by two objects in all the partitions of an ensemble

 This similarity definition expresses the strength of coassociation of n objects by an n x n matrix



Co-association As Consensus Function

$$C_{ij} = C(x_i, x_j) = \frac{1}{N} \sum_{k=1}^{N} I(\pi_k(x_i) = \pi_k(x_j))$$

• x_i : the i-th pattern; $\pi_k(x_i)$: cluster label of x_i in the k-th partition; I(): Indicator function; N = no. of different partitions

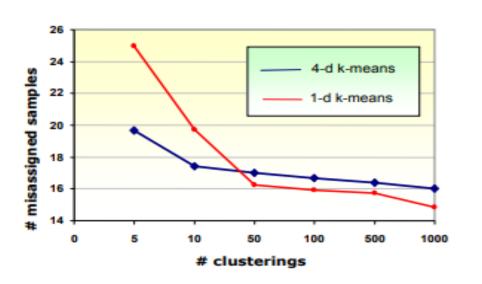
 This consensus function eliminates the need for solving the label correspondence problem



Results for Ensembles of Random Projections

"Galaxy/Star" data (4600 points in 14 dimensions, 2 classes)

		Type of Consensus Function		
H, # of	k, # of cl. in	Hypergraph methods		Median partition, QMI
components	component	HGPA	MCLA	k-means
5	2	49.7	20.0	20.4
10	2	49.7	23.5	21.1
20	2	49.7	21.0	18.0
5	3	49.7	22.0	21.7
10	3	49.7	17.7	13.7
20	3	49.7	15.8	13.3
5	4	49.7	19.7	16.7
10	4	49.7	16.9	15.5
20	4	49.7	14.1	13.2
5	5	49.7	22.0	22.5
10	5	49.7	17.7	17.4
20	5	49.6	15.2	12.9



Ensemble finds novel and better clustering solutions compare with regular k-means that has more than 30% error rate, on average, for Galaxy data



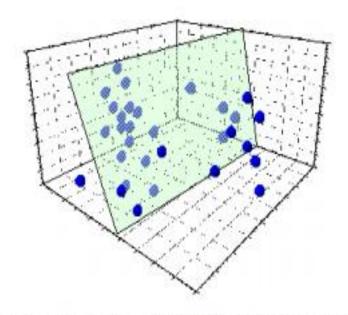
Partitions by Random Cuts

This approach pushes the notion of the weak clustering to the extreme.

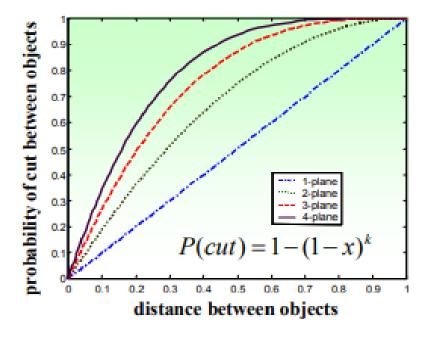
 Data set is cut by random hyperplanes. Points separated by hyperplanes are declared to be in different clusters



Partitions by Random Cuts



Even random cuts can uncover interpattern similarity values and provide relevant cluster information

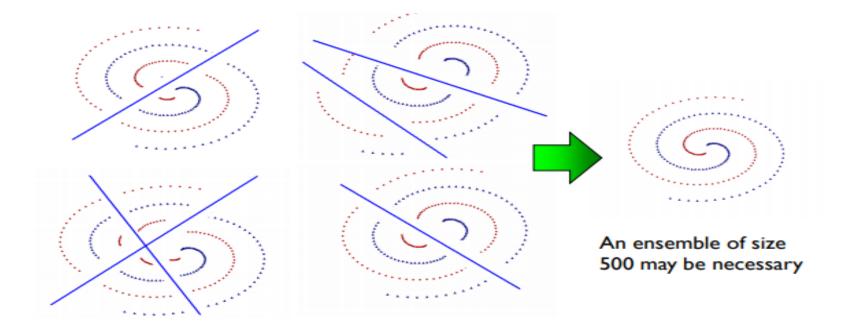


Probability of separating two patterns using different numbers of random cuts



Results for Ensemble of Random Cuts

We can correctly identify two spirals by combining partitions resulting from random cuts using co-association consensus function with SL





Ensemble Methods: Summary

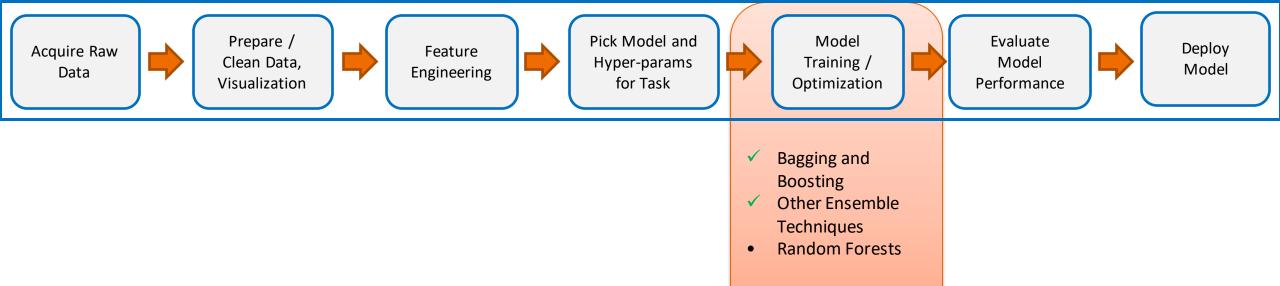
A group of weak learners do better than an expert

- Generate a set of solutions
 - Ensure the solutions are weak
 - Linear models, simple decision trees, projecting on a line, etc.
 - Ensure the solutions are diverse
 - Could be done through data sampling, feature dropping, etc.



Ensemble Methods: Summary

- Combine the solutions
 - Intelligent combination that weighs solutions by their performance
- Effective approach in a variety of Machine Learning problems
- Ensemble methods are often highly parallelizable
- Using an ensemble of simple solutions tend to reduce overfitting



A simple way of combining Decision Trees



- Ensemble classifier
- Consists of many decision trees
- Selects features by bagging
- Outputs the class that is the mode of the class's output by individual decision trees



CART Algorithm: A Recap

Classification and Regression Trees (Leo Breiman)

- Recursive Binary Splitting: Greedy Algorithm
 - All values of an attribute are sorted and all split points are tested
 - Test all such attributes and select the split with the lowest cost

Cost Functions:

- Regression: MSE
- Classification: Gini



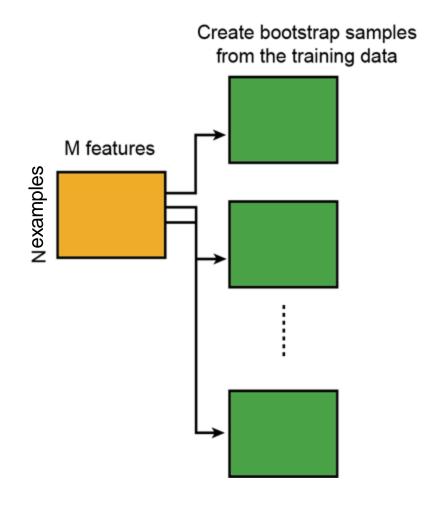
• Random forest (or random forests) is an ensemble classifier that consists of many decision trees and outputs the class that is the mode of the class's output by individual trees.

• The term came from **random decision forests** that was first proposed by Tin Kam Ho of Bell Labs in 1995.

• The method combines Breiman's "bagging" idea and the random selection of features.

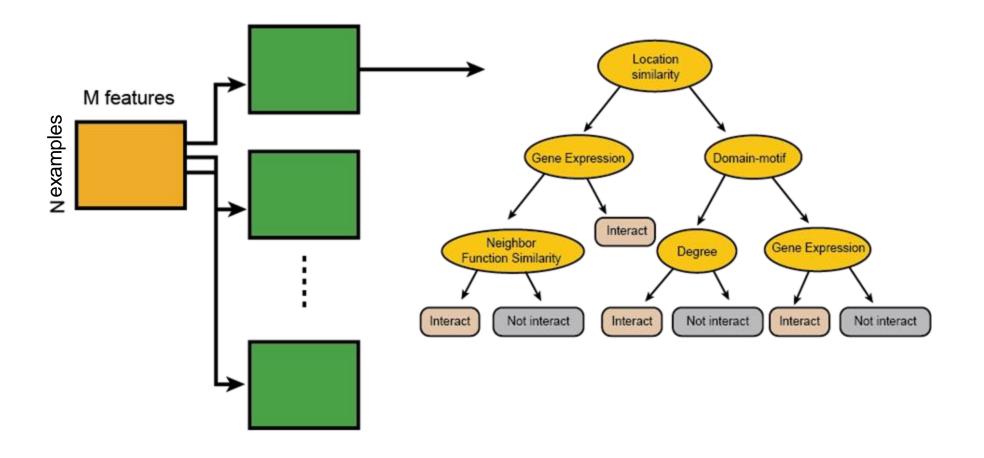




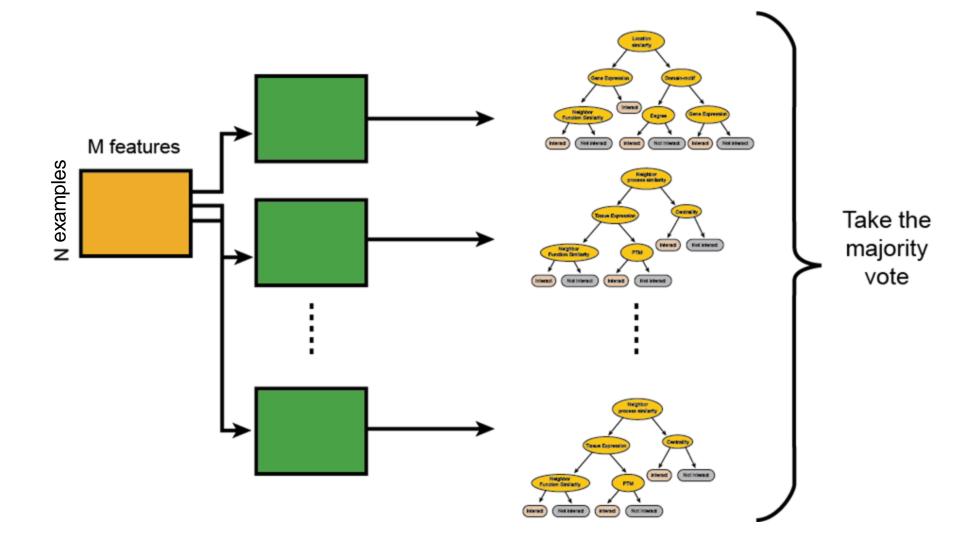




Construct a decision tree

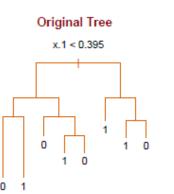


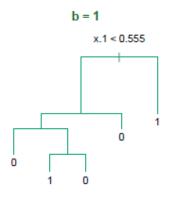


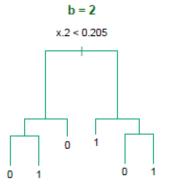


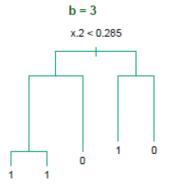


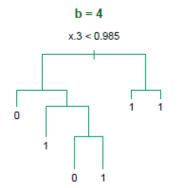
 Random forest classifier, an extension to bagging which uses de-correlated trees.

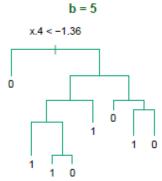








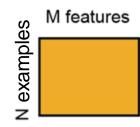




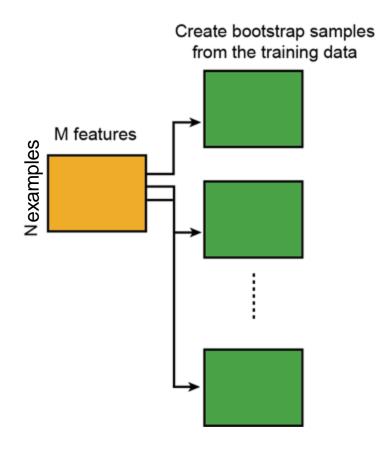




Training Data

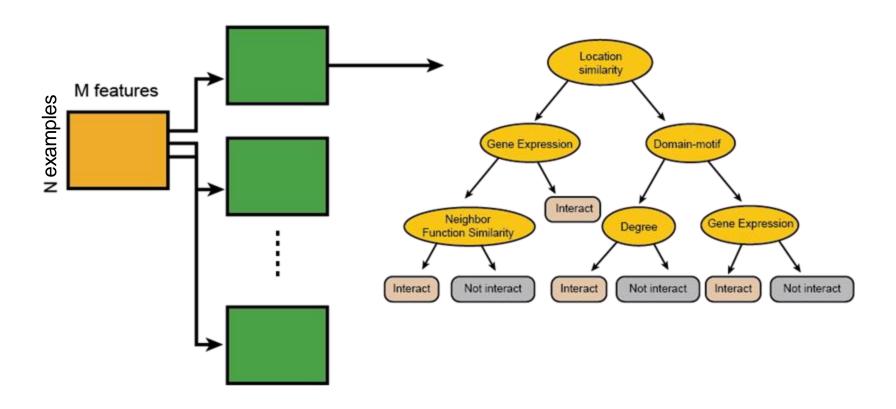






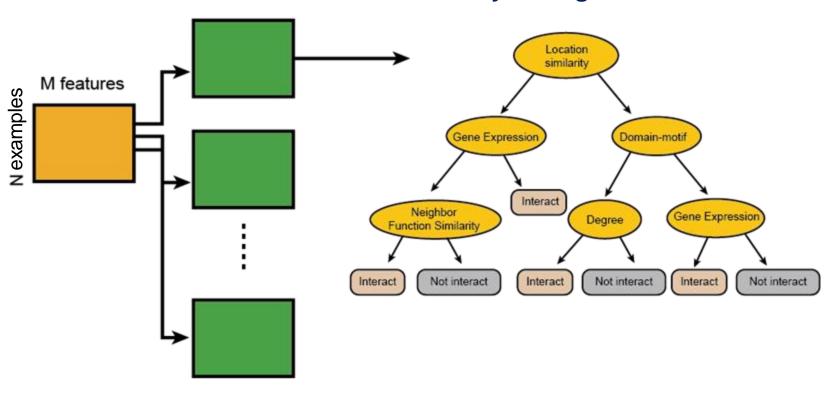


Construct a decision tree

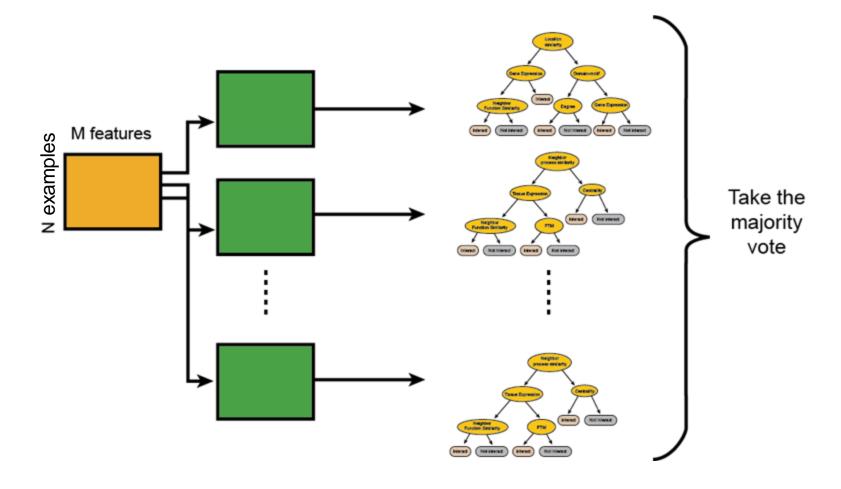




At each node in choosing the split feature choose only among m<M features









Example: Email Classification: Spam vs Ham

- Features: 2-million dimensional (one-hot)
- Each tree selects a subset of features (words)
 - Select the best from the subset
- Should the words be uniformly sampled?
- Automatically selects relevant words
- What is the equivalent in classification with Gene data.

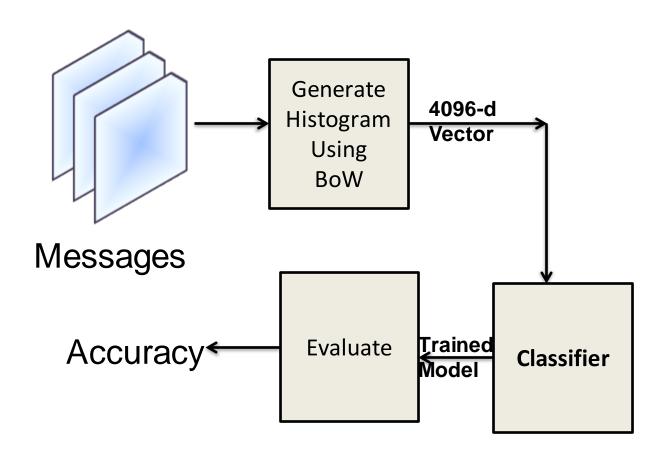


Casestudy



Case Study: RF & DT

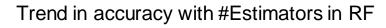
- Text data with 20 classes
- Preprocessing:
 - Find the Histograms for Each
 Document using Bag of words
- Train the classifier on the reduced data
- Find the Accuracy to Evaluate the model

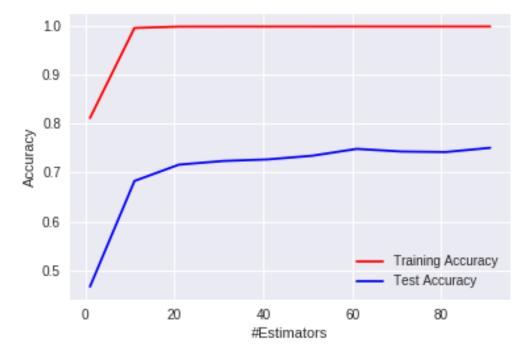


NSE talent

Random Forest vs Decision Tree

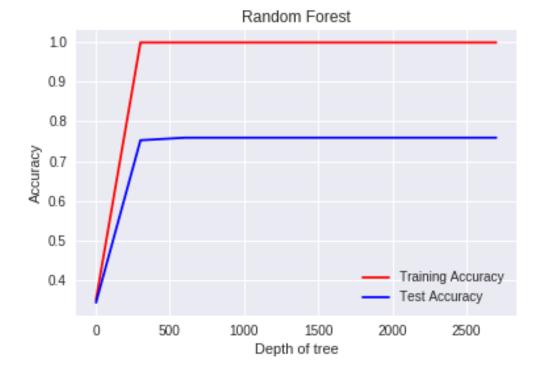
- DT:
 - Training Accuracy: 99.8
 - Test Accuracy: 58.4
 - Training time: 1min 51s
 - Testing time: 14.1 ms
- RF (Estimators=100):
- Training Accuracy: 99.8
- Test Accuracy: 75.9
- Training time: 2min 9s
- Testing time: 151 ms





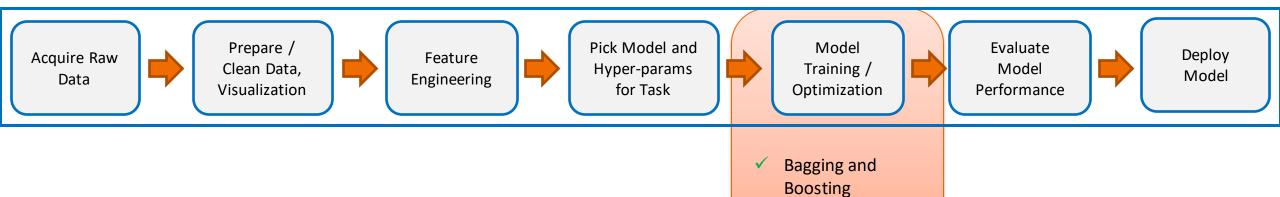
Effect of Depth







Summary



Other Ensemble

Random Forests

Techniques



Thanks!!

Questions?