

Maximum and minimum of an array using minimum number of comparisons

Write a C function to return minimum and maximum in an array. Your program should make minimum number of comparisons.

First of all, how do we return multiple values from a C function? We can do it either using structures or pointers.

We have created a structure named pair (which contains min and max) to return multiple values.

```
struct pair
{
    int min;
    int max;
};
```

And the function declaration becomes: `struct pair getMinMax(int arr[], int n)` where `arr[]` is the array of size `n` whose minimum and maximum are needed.

METHOD 1 (Simple Linear Search)

Initialize values of min and max as minimum and maximum of the first two elements respectively. Starting from 3rd, compare each element with max and min, and change max and min accordingly (i.e., if the element is smaller than min then change min, else if the element is greater than max then change max, else ignore the element)

```
/* structure is used to return two values from minMax() */
#include<stdio.h>
struct pair
{
    int min;
```

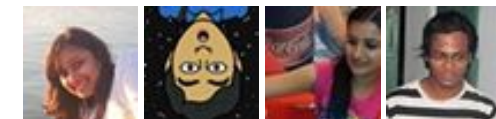
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```

    int max;
};

struct pair getMinMax(int arr[], int n)
{
    struct pair minmax;
    int i;

    /*If there is only one element then return it as min and max both*/
    if (n == 1)
    {
        minmax.max = arr[0];
        minmax.min = arr[0];
        return minmax;
    }

    /* If there are more than one elements, then initialize min
       and max*/
    if (arr[0] > arr[1])
    {
        minmax.max = arr[0];
        minmax.min = arr[1];
    }
    else
    {
        minmax.max = arr[1];
        minmax.min = arr[0];
    }

    for (i = 2; i < n; i++)
    {
        if (arr[i] > minmax.max)
            minmax.max = arr[i];

        else if (arr[i] < minmax.min)
            minmax.min = arr[i];
    }

    return minmax;
}

/* Driver program to test above function */
int main()
{
    int arr[] = {1000, 11, 445, 1, 330, 3000};
    int arr_size = 6;
    struct pair minmax = getMinMax (arr, arr_size);

```



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```
printf("\nMinimum element is %d", minmax.min);
printf("\nMaximum element is %d", minmax.max);
getchar();
}
```

Time Complexity: $O(n)$

In this method, total number of comparisons is $1 + 2(n-2)$ in worst case and $1 + n - 2$ in best case.

In the above implementation, worst case occurs when elements are sorted in descending order and best case occurs when elements are sorted in ascending order.

METHOD 2 (Tournament Method)

Divide the array into two parts and compare the maximums and minimums of the the two parts to get the maximum and the minimum of the the whole array.

```
Pair MaxMin(array, array_size)
    if array_size = 1
        return element as both max and min
    else if array_size = 2
        one comparison to determine max and min
        return that pair
    else /* array_size > 2 */
        recur for max and min of left half
        recur for max and min of right half
        one comparison determines true max of the two candidates
        one comparison determines true min of the two candidates
        return the pair of max and min
```

Implementation

```
/* structure is used to return two values from minMax() */
#include<stdio.h>
struct pair
{
    int min;
    int max;
};
```

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```

struct pair getMinMax(int arr[], int low, int high)
{
    struct pair minmax, mml, mmr;
    int mid;

    /* If there is only one element */
    if (low == high)
    {
        minmax.max = arr[low];
        minmax.min = arr[low];
        return minmax;
    }

    /* If there are two elements */
    if (high == low + 1)
    {
        if (arr[low] > arr[high])
        {
            minmax.max = arr[low];
            minmax.min = arr[high];
        }
        else
        {
            minmax.max = arr[high];
            minmax.min = arr[low];
        }
        return minmax;
    }

    /* If there are more than 2 elements */
    mid = (low + high)/2;
    mml = getMinMax(arr, low, mid);
    mmr = getMinMax(arr, mid+1, high);

    /* compare minimums of two parts*/
    if (mml.min < mmr.min)
        minmax.min = mml.min;
    else
        minmax.min = mmr.min;

    /* compare maximums of two parts*/
    if (mml.max > mmr.max)
        minmax.max = mml.max;
    else
        minmax.max = mmr.max;

    return minmax;
}

```

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
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```
}

/* Driver program to test above function */
int main()
{
    int arr[] = {1000, 11, 445, 1, 330, 3000};
    int arr_size = 6;
    struct pair minmax = getMinMax(arr, 0, arr_size-1);
    printf("\nMinimum element is %d", minmax.min);
    printf("\nMaximum element is %d", minmax.max);
    getchar();
}
```

Time Complexity: $O(n)$

Total number of comparisons: let number of comparisons be $T(n)$. $T(n)$ can be written as follows:

Algorithmic Paradigm: Divide and Conquer

$$\begin{aligned}T(n) &= T(\text{floor}(n/2)) + T(\text{ceil}(n/2)) + 2 \\T(2) &= 1 \\T(1) &= 0\end{aligned}$$

If n is a power of 2, then we can write $T(n)$ as:

$$T(n) = 2T(n/2) + 2$$

After solving above recursion, we get

$$T(n) = 3/2n - 2$$

Thus, the approach does $3/2n - 2$ comparisons if n is a power of 2. And it does more than $3/2n - 2$ comparisons if n is not a power of 2.

METHOD 3 (Compare in Pairs)

If n is odd then initialize min and max as first element.

If n is even then initialize min and max as minimum and maximum of the first two elements respectively.

For rest of the elements, pick them in pairs and compare their maximum and minimum with max and min respectively.

```

#include<stdio.h>

/* structure is used to return two values from minMax() */
struct pair
{
    int min;
    int max;
};

struct pair getMinMax(int arr[], int n)
{
    struct pair minmax;
    int i;

    /* If array has even number of elements then
       initialize the first two elements as minimum and
       maximum */
    if (n%2 == 0)
    {
        if (arr[0] > arr[1])
        {
            minmax.max = arr[0];
            minmax.min = arr[1];
        }
        else
        {
            minmax.min = arr[0];
            minmax.max = arr[1];
        }
        i = 2; /* set the startung index for loop */
    }

    /* If array has odd number of elements then
       initialize the first element as minimum and
       maximum */
    else
    {
        minmax.min = arr[0];
        minmax.max = arr[0];
        i = 1; /* set the startung index for loop */
    }

    /* In the while loop, pick elements in pair and
       compare the pair with max and min so far */
    while (i < n-1)
    {
        if (arr[i] > arr[i+1])

```

```

{
    if(arr[i] > minmax.max)
        minmax.max = arr[i];
    if(arr[i+1] < minmax.min)
        minmax.min = arr[i+1];
}
else
{
    if (arr[i+1] > minmax.max)
        minmax.max = arr[i+1];
    if (arr[i] < minmax.min)
        minmax.min = arr[i];
}
i += 2; /* Increment the index by 2 as two
        elements are processed in loop */
}

return minmax;
}

/* Driver program to test above function */
int main()
{
    int arr[] = {1000, 11, 445, 1, 330, 3000};
    int arr_size = 6;
    struct pair minmax = getMinMax (arr, arr_size);
    printf("\nMinimum element is %d", minmax.min);
    printf("\nMaximum element is %d", minmax.max);
    getchar();
}

```

Time Complexity: $O(n)$

Total number of comparisons: Different for even and odd n, see below:

```

If n is odd:    3*(n-1)/2
If n is even:   1 Initial comparison for initializing min and max,
                and 3(n-2)/2 comparisons for rest of the elements
                = 1 + 3*(n-2)/2 = 3n/2 - 2

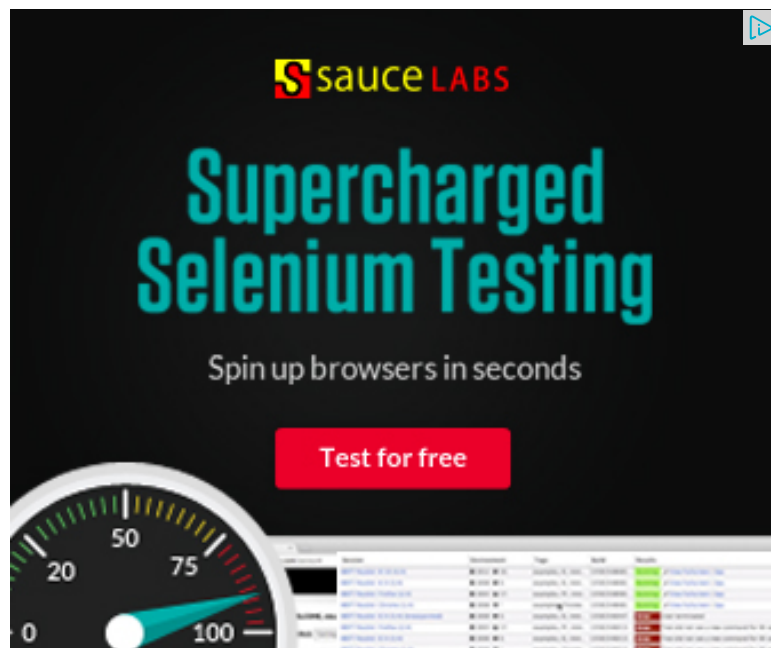
```

Second and third approaches make equal number of comparisons when n is a power of 2.

In general, method 3 seems to be the best.

Please write comments if you find any bug in the above programs/algorithms or a better way to

solve the same problem.



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OM • 20 days ago

In this method 1, total number of comparisons is $1 + 2(n-2)$ in worst case and In the above implementation, worst case occurs when elements are sorted in initially only we get the max element. so complexity will be same for both asce

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xxmajia • 3 months ago

how about that, use the below $\max(a,b)$ and $\min(a,b)$ function that can give yo comparision at all, then do a linear search, with time complexisty $O(N)$, and 0

```
max(a,b) {
  c = a-b;
  k = c>>31;
  return a-k*c;
}
```

```
min(a, b) {
  return a+b-max(a,b);
}
```

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zealfire • 4 months ago

how is $t(n)=2(n/2)+2, \Rightarrow 3n/2-2$

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Aniket • 8 months ago

It can be done by using merge sort by $n \log n$ time complexity. While merging tw element of both the array that will give smallest and by comparing the last iter



Marsha Donna • 8 months ago

can sum1 pls explain the logic behind method3

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Gautam • 11 months ago

In 1st method if else block should be like this...

else

```
{  
minmax.max = arr[1];  
minmax.min = arr[0];  
}
```

2 ^ | v • Reply • Share ›



Marsha Donna → Gautam • 8 months ago

yes ur right

^ | v • Reply • Share ›



GeeksforGeeks Mod → Marsha Donna • 8 months ago

Thanks for pointing this out. We have updated the code of 1st r

^ | v • Reply • Share ›



Gautam • 11 months ago

In 1st method the if else block should not be like this??

```
if(arr[0] > arr[1])  
{  
minmax.max = arr[0];  
minmax.min = arr[1];  
}  
else  
{
```

```
minmax.max = arr[i];
minmax.min = arr[0];
}
```

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radhakrishna • 3 years ago

DPM solution. let me know if there is anything wrong about it.

for i : 1 to n array

MinMax[i] : min max pair of array window ending at i

base case : (a[1], a[1]) if i = 1

general case : Max(MinMax[i-1].max, a[i]) , Min(MinMax[i-1].min,a[i])

^ | v • Reply • Share ›



bhavneet → radhakrishna • a year ago

it has got $2*(n-1)$ comparisons

```
/* Paste your code here (You may delete these lines if not wri
```

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jiabul(ju) • 3 years ago

/*maxmin*/

```
int maximum(int a[],int low,int right)
{
    int m1 ;
    int m2,mid;
    if(low<right)
    {
```

```

m1=maximum(a,0,mid);
m2=maximum(a,mid+1,right);
return ((m1>m2)?m1:m2);

}

```

```

int minimum(int a[],int low,int right)
{
int m1 ;
int m2;mid:

```

[see more](#)

^ | v • Reply • Share ›



jiabul(ju) • 3 years ago

it can be done by $O(\log n)$.

^ | v • Reply • Share ›



Priyanka Gupta → jiabul(ju) • 7 months ago

exactly that wt i thought using divide and conquer

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Rajneesh • 3 years ago

Can't we do a radix sort and get the result without even comparing at all?

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shrivats → Rajneesh • 2 years ago

Sorting is $O(n \lg n)$

```

/* Paste your code here (You may delete these lines if not wr

```

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abc → shrivats · a year ago

Radix Sort is $O(N)$

```
/* Paste your code here (You may delete these lines if
```

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WgpShashank · 3 years ago

Proof of TC of Method 2

$$T(2)=1$$

$$T(n)= 2 \cdot T(n/2)+2 \text{ for } n>2 \text{ (recurrence)}$$

$$n=2^m \text{ //every where its } n=2^m$$

$$T(2m)=2 \cdot T(2m-1)+2$$

$$T(2m)=2 \cdot (2T(2m-2)+2)+2 \dots$$

.

$$T(2m)=2^{m-1} \cdot T(21)+2^{m-1}+2^{m-2}+\dots+2^1 \text{ //} 2^{m-1}$$

$$\text{//also we know : } T(n)=2^{n-1}+2^{n-2}+\dots+2+1=2^n-1$$

$$T(2m)=2^{m-1} \cdot T(21)+2^{m-2}=3 \cdot 2^{m/2-2}=3n/2-2.$$

1 ^ | v · Reply · Share ›



pramod · 3 years ago

we can do it by making max heap and min heap . $O(n)$

^ | v · Reply · Share ›



bala → pramod · 3 years ago

Building a Max and Min heap are both $O(n \log n)$ time complexities , not convey something else



Sandeep → bala · 3 years ago

@bala: Building a Heap is $O(n)$, not $O(n\log n)$. Please refer [this](#)

^ | v · Reply · Share ›



Algoseekar → Sandeep · 3 years ago

@sandeep can u please provide the poof of time compl
asap..it doesn't comes out to be what u says..???

^ | v · Reply · Share ›



apps → Algoseekar · 3 years ago

height...no. of comparision

```

-----
.1.....0
.2.....N/2___-- 2 elm comp
.3.....2*(N/4) |
.4.....2*(N/8) |..2 elm comp
..... |--for min &
..... |..max
.N.....2*1___|
-----

```

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apps → Algoseekar · 3 years ago

just think in general way...

leaf nodes will be 'N'

internal nodes = 'N-1'

height no. of comparision

```

1 0
2 N/2 -- 2 elm comp
3 2*(N/4) |
4 2*(N/8) | 2 elm comp
. . |--for min &
. . | max
N 2*1 --|
-----

```

$$\text{noc} = N/2 + 2 * [N/4 + N/8 + \dots + 1]$$

$$\text{noc} = N/2 + N/4 + N/8 + \dots + 1 +$$

[see more](#)

1 ^ | v • Reply • Share ›



bala → Sandeep • 3 years ago

@Sandeep : yes, I am wrong. The max heap build takes asymptotically tighter bound is $O(n)$. Thanks for remindi

^ | v • Reply • Share ›



Venki • 4 years ago

Refer Sara Baase (Computer Algorithms) and Dromey (How to solve it by con

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Anunay • 4 years ago

Instead of creating struct and additional checks before starting the loop, Methc

```
[sourcecode language="java"]
```

```
public void MinMaxInArray()
```

```
{
```

```
int[] arr = { 11, 14, 5, 140 };
```

```
int min = int.MaxValue;
```

```

for (int i = 0; i < arr.Length; i++)
{
    if (arr[i] < min)
        min = arr[i];

    if (arr[i] > max)
        max = arr[i];
}

Console.WriteLine("Min: {0}\nMax: {1}", min, max );
}

```

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Gauri • 4 years ago

In case of method 2 , how solving the recurrence relation

$T(n) = 2 \cdot T(n/2) + 2$ and $T(2) = 1$ and $T(1) = 0$

comes out to be

$T(n) = 3/2n - 2$

Since solving this recurrence as following results in $T(n) = 2^*(n - 1)$

$T(n/2) = 2 \cdot T(n/4) + 2$ we have

$T(n) = 2 \cdot (2 \cdot T(n/4) + 2) + 2 = 4 \cdot T(n/4) + 4 + 2$

substituting for $T(n/4)$ we obtain

$T(n) = 4 \cdot (2 \cdot T(n/8) + 2) + 4 + 2 = 8 \cdot T(n/8) + 8 + 4 + 2$

Continuing in this manner we find that

$T(n) = \text{pow}(2, k) \cdot T(n/\text{pow}(2, k)) + 2^*(\text{pow}(2, k) - 1)$

After $k = \log_2(n)$ substitutions we have

$$T(n) = \text{pow}(2, \log_2(n)) * T(n / \text{pow}(2, \log_2(n))) + 2 * (\text{pow}(2, \log_2(n)) - 1)$$

Noting that $\text{pow}(2, \log_2(n)) = n$ we have

$$T(n) = n * T(1) + 2 * (n - 1)$$

$$= 2 * n - 2$$

Please point out the error in the above calculation

^ | v • Reply • Share ›



abc → Gauri • 3 years ago

The complexity calculated in this comment is correct. Right?

I am confused as I don't see any replies to this and even the post has r
please clarify

^ | v • Reply • Share ›



GeeksforGeeks • 4 years ago

@B: We have modified the code to make the suggested optimization.

In method 1, total number of comparisons (after the suggested optimization) is
in best case.

In the above implementation, worst case occurs when elements are sorted in
occurs when elements are sorted in ascending order.

^ | v • Reply • Share ›



init → GeeksforGeeks • 4 years ago

still the complexity of method 2 is $2 * (n - 1) ???$

correct me if i am wrong!!

^ | v • Reply • Share ›



Vipul → init • 6 months ago

worst case occur while sorting in both ascending or descending
checking first i.e. maximum or minim

^ | v · Reply · Share ›



B · 4 years ago

for method1,

```
for(i = 2; i<n; i++)
{
    if(arr[i] > minmax.max)
        minmax.max = arr[i];

    if(arr[i] < minmax.min)
        minmax.min = arr[i];
}
```

Should be optimized to

```
for(i = 2; i<n; i++)
{
    if(arr[i] > minmax.max)
        minmax.max = arr[i];

    else if(arr[i] < minmax.min)
        minmax.min = arr[i];
}
```

So, the no. of comparisons would pretty much be $3n/2$ for all of the methods.
I would not recommend Method 2, as it would have huge function-loads overh

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Dishant → B · 25 days ago

Thanks so much for sharing this.

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