

## Longest Monotonically Increasing Subsequence Size (N log N)

After few months of gap posting an algo. The current post is pending from long time, and many readers (e.g. [here](#), [here](#), [here](#) may be few more, I am not keeping track of all) are posting requests for explanation of the below problem.

Given an array of random numbers. Find *longest monotonically increasing subsequence* (LIS) in the array. I know many of you might have read **recursive and dynamic programming** (DP) solutions. There are few requests for **O(N log N)** algo in the forum posts.

For the time being, forget about recursive and DP solutions. Let us take small samples and extend the solution to large instances. Even though it may look complex at first time, once if we understood the logic, coding is simple.

Consider an input array  $A = \{2, 5, 3\}$ . I will extend the array during explanation.

By observation we know that the LIS is either  $\{2, 3\}$  or  $\{2, 5\}$ . **Note that I am considering only strictly increasing monotone sequences.**

Let us add two more elements, say 7, 11 to the array. These elements will extend the existing sequences. Now the increasing sequences are  $\{2, 3, 7, 11\}$  and  $\{2, 5, 7, 11\}$  for the input array  $\{2, 5, 3, 7, 11\}$ .

Further, we add one more element, say 8 to the array i.e. input array becomes  $\{2, 5, 3, 7, 11, 8\}$ . Note that the latest element 8 is greater than smallest element of any active sequence (*will discuss shortly about active sequences*). How can we extend the existing sequences with 8?

First of all, can 8 be part of LIS? If yes, how? If we want to add 8, it should come after 7 (by

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replacing 11).

Since the approach is *offline* (what we mean by *offline*?), we are not sure whether adding 8 will extend the series or not. Assume there is 9 in the input array, say {2, 5, 3, 7, 11, 8, 7, 9 ...}. We can replace 11 with 8, as there is potentially *best* candidate (9) that can extend the new series {2, 3, 7, 8} or {2, 5, 7, 8}.

Our observation is, assume that the end element of largest sequence is E. We can add (replace) current element  $A[i]$  to the existing sequence if there is an element  $A[j]$  ( $j > i$ ) such that  $E < A[i] < A[j]$  or  $(E > A[i] > A[j])$  – for replace). In the above example,  $E = 11$ ,  $A[i] = 8$  and  $A[j] = 9$ .

In case of our original array {2, 5, 3}, note that we face same situation when we are adding 3 to increasing sequence {2, 5}. I just created two increasing sequences to make explanation simple. Instead of two sequences, 3 can replace 5 in the sequence {2, 5}.

I know it will be confusing, I will clear it shortly!

*The question is, when will it be safe to add or replace an element in the existing sequence?*

Let us consider another sample  $A = \{2, 5, 3\}$ . Say, the next element is 1. How can it extend the current sequences {2,3} or {2, 5}. Obviously, it can't extend either. Yet, there is a potential that the new smallest element can be start of an LIS. To make it clear, consider the array is {2, 5, 3, 1, 2, 3, 4, 5, 6}. Making 1 as new sequence will create new sequence which is largest.

*The observation is, when we encounter new smallest element in the array, it can be a potential candidate to start new sequence.*

From the observations, we need to maintain lists of increasing sequences.

In general, we have set of **active lists** of varying length. We are adding an element  $A[i]$  to these lists. We scan the lists (for end elements) in decreasing order of their length. We will verify the end elements of all the lists to find a list whose end element is smaller than  $A[i]$  (*floor* value).

Our strategy determined by the following conditions,

**1. If  $A[i]$  is smallest among all *end* candidates of active lists, we will *start* new active list of length 1.**

**2. If  $A[i]$  is largest among all *end* candidates of active lists, we will clone the *largest***



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active list, and extend it by  $A[i]$ .

3. If  $A[i]$  is in between, we will find a list with *largest end element that is smaller than  $A[i]$* . Clone and extend this list by  $A[i]$ . We will discard all other lists of same length as that of this modified list.

Note that at any instance during our construction of active lists, the following condition is maintained.

*“end element of smaller list is smaller than end elements of larger lists”.*

It will be clear with an example, let us take example from [wiki](#) {0, 8, 4, 12, 2, 10, 6, 14, 1, 9, 5, 13, 3, 11, 7, 15}.

$A[0] = 0$ . Case 1. There are no active lists, create one.  
0.

-----  
 $A[1] = 8$ . Case 2. Clone and extend.  
0.  
0, 8.

-----  
 $A[2] = 4$ . Case 3. Clone, extend and discard.  
0.  
0, 4.  
~~0, 8~~. Discarded

-----  
 $A[3] = 12$ . Case 2. Clone and extend.  
0.  
0, 4.  
0, 4, 12.

-----  
 $A[4] = 2$ . Case 3. Clone, extend and discard.  
0.  
0, 2.  
~~0, 4~~. Discarded.  
0, 4, 12

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0, 4, 12.

A[5] = 10. Case 3. Clone, extend and discard.

0.

0, 2.

0, 2, 10.

~~0, 4, 12~~. Discarded.

A[6] = 6. Case 3. Clone, extend and discard.

0.

0, 2.

0, 2, 6.

~~0, 2, 10~~. Discarded.

A[7] = 14. Case 2. Clone and extend.

0.

0, 2.

0, 2, 6.

0, 2, 6, 14.

A[8] = 1. Case 3. Clone, extend and discard.

0.

0, 1.

~~0, 2~~. Discarded.

0, 2, 6.

0, 2, 6, 14.

A[9] = 9. Case 3. Clone, extend and discard.

0.

0, 1.

0, 2, 6.

0, 2, 6, 9.

~~0, 2, 6, 14~~. Discarded.

A[10] = 5. Case 3. Clone, extend and discard.

705



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kzs please provide solution for the problem...

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**Sanjay Agarwal** bool

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```
0.  
0, 1.  
0, 1, 5.  
0, 2, 6. Discarded.  
0, 2, 6, 9.  
-----
```

A[11] = 13. Case 2. Clone and extend.

```
0.  
0, 1.  
0, 1, 5.  
0, 2, 6, 9.  
0, 2, 6, 9, 13.  
-----
```

A[12] = 3. Case 3. Clone, extend and discard.

```
0.  
0, 1.  
0, 1, 3.  
0, 1, 5. Discarded.  
0, 2, 6, 9.  
0, 2, 6, 9, 13.  
-----
```

A[13] = 11. Case 3. Clone, extend and discard.

```
0.  
0, 1.  
0, 1, 3.  
0, 2, 6, 9.  
0, 2, 6, 9, 11.  
0, 2, 6, 9, 13. Discarded.  
-----
```

A[14] = 7. Case 3. Clone, extend and discard.

```
0.  
0, 1.  
0, 1, 3.  
0, 1, 3, 7.  
0, 2, 6, 9. Discarded.
```

```
0, 2, 6, 9, 11.
```

```
-----  
A[15] = 15. Case 2. Clone and extend.
```

```
0.
```

```
0, 1.
```

```
0, 1, 3.
```

```
0, 1, 3, 7.
```

```
0, 2, 6, 9, 11.
```

```
0, 2, 6, 9, 11, 15. <-- LIS List  
-----
```

It is required to understand above strategy to devise an algorithm. Also, ensure we have maintained the condition, “*end element of smaller list is smaller than end elements of larger lists*“. Try with few other examples, before reading further. It is important to understand what happening to end elements.

### Algorithm:

Querying length of longest is fairly easy. Note that we are dealing with end elements only. We need not to maintain all the lists. We can store the end elements in an array. Discarding operation can be simulated with replacement, and extending a list is analogous to adding more elements to array.

We will use an auxiliary array to keep end elements. The maximum length of this array is that of input. In the worst case the array divided into N lists of size one (*note that it doesn't lead to worst case complexity*). To discard an element, we will trace ceil value of A[i] in auxiliary array (again observe the end elements in your rough work), and replace ceil value with A[i]. We extend a list by adding element to auxiliary array. We also maintain a counter to keep track of auxiliary array length.

**Bonus:** You have learnt **Patience Sorting** technique partially :).

Here is a proverb, “*Tell me and I will forget. Show me and I will remember. Involve me and I will understand.*” So, pick a suit from deck of cards. Find the longest increasing sub-sequence of cards from the shuffled suit. You will never forget the approach. 😊

Given below is code to find length of LIS,

```

#include <iostream>
#include <string.h>
#include <stdio.h>

using namespace std;

#define ARRAY_SIZE(A) sizeof(A)/sizeof(A[0])
// Binary search (note boundaries in the caller)
// A[] is ceilIndex in the caller
int CeilIndex(int A[], int l, int r, int key) {
    int m;

    while( r - l > 1 ) {
        m = l + (r - l)/2;
        (A[m] >= key ? r : l) = m; // ternary expression returns an l-
    }

    return r;
}

int LongestIncreasingSubsequenceLength(int A[], int size) {
    // Add boundary case, when array size is one

    int *tailTable = new int[size];
    int len; // always points empty slot

    memset(tailTable, 0, sizeof(tailTable[0])*size);

    tailTable[0] = A[0];
    len = 1;
    for( int i = 1; i < size; i++ ) {
        if( A[i] < tailTable[0] )
            // new smallest value
            tailTable[0] = A[i];
        else if( A[i] > tailTable[len-1] )
            // A[i] wants to extend largest subsequence
            tailTable[len++] = A[i];
        else
            // A[i] wants to be current end candidate of an existing s
            // It will replace ceil value in tailTable
            tailTable[CeilIndex(tailTable, -1, len-1, A[i])] = A[i];
    }

    delete[] tailTable;

    return len;
}

```

```

int main() {
    int A[] = { 2, 5, 3, 7, 11, 8, 10, 13, 6 };
    int n = ARRAY_SIZE(A);

    printf("Length of Longest Increasing Subsequence is %d\n",
        LongestIncreasingSubsequenceLength(A, n));

    return 0;
}

```

### Complexity:

The loop runs for  $N$  elements. In the worst case (what is worst case input?), we may end up querying ceil value using binary search ( $\log i$ ) for many  $A[i]$ .

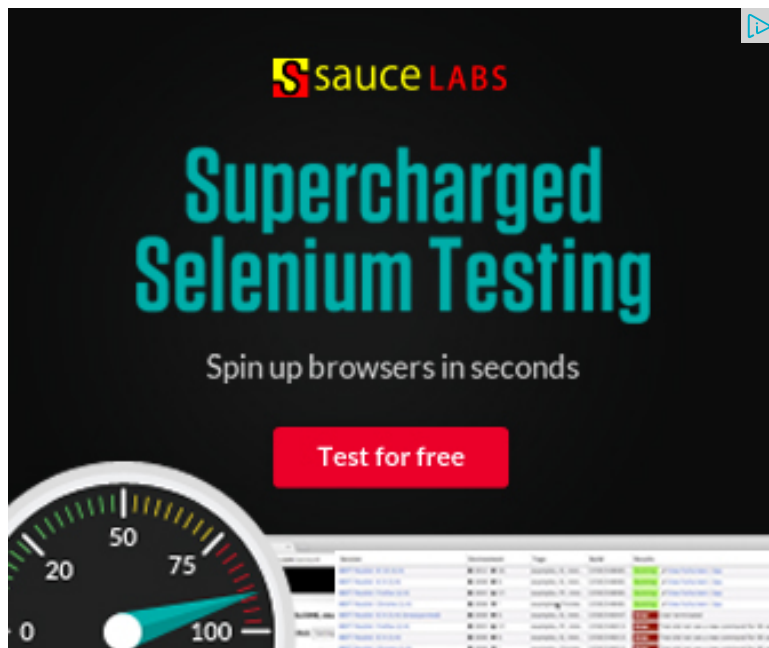
Therefore,  $T(n) < O(\log N!) = O(N \log N)$ . Analyse to ensure that the upper and lower bounds are also  $O(N \log N)$ . The complexity is  $\Theta(N \log N)$ .

### Exercises:

1. Design an algorithm to construct the longest increasing list. Also, model your solution using DAGs.
2. Design an algorithm to construct **all** monotonically increasing lists **of equal longest size**.
3. Is the above algorithm an *online* algorithm?
4. Design an algorithm to construct the longest *decreasing* list..

— Venki. Please write comments if you find anything incorrect, or you want to share more information about the topic discussed above.





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...on the discussion...



**lol** • 23 days ago

I stopped reading after the invalid statement

1. If  $A[i]$  is smallest among all end candidates of active lists, we will start new a

Why should it being less than all end candidates mean it is also less than the t

^ | v • Reply • Share ›



**Prateek Jain** • 2 months ago

Have made it very Simple , Think of above implementing like a Binary Tree (Not Binary Search Tree) and the implementation becomes very simple and keep discarding the child nodes with larger value and same depth in tree.

Root is an empty container to hold the reference values, as there can be more

Below is the Java code implementation.

<http://ideone.com/e.js/W1rcXp>

^ | v • Reply • Share ›



**Prateek Jain** • 2 months ago

Have made it very Simple , Think of above implementing like a Binary Tree (No implementation becomes very simple and keep discarding the child nodes with

Root is an empty container to hold the reference values, as there can be more

<script src="<http://ideone.com/e.js/W1rcXp>" type="text/javascript"></script>

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**kraken** • 4 months ago

Will we get all the longest subsequence?

Because if we take the example {2 5 3}

Then

2 : Clone =>

2

5 : Clone and Extend =>

2

2 5

3 : Clone Extend Discard

2

2 3

We dont get 2 and 5 using this approach?

^ | v • Reply • Share ›



**Robin Keskisärkkä** → kraken • 3 months ago

That's right, we don't get [2,5] because any continuation sequence that reachable from [2,3]. For example: 3, 4, 1, 2, 3 is solved as:

3

--

3

3, 4

--

1 (more "potential" than 3)

3, 4

--

1

1, 2 (more "potential" than 3, 4)

--

1

1, 2  
1, 2, 3

^ | v • Reply • Share ›



**Vivekz** • 6 months ago

I dont think the implementation is correct, because everytime we encounter a smallest element, we are NOT creating a new list but modifying existing tailTa

check out this link .. <http://ideone.com/8Qoi5i>

2 ^ | v • Reply • Share ›



**Neha Garg** • 7 months ago

in third step we are finding the ceilindex and replacing a[i] over there .... plz tell len?????

2 ^ | v • Reply • Share ›



**OP** ➔ Neha Garg • 5 months ago

Because len is always equals to the maximum length of monotonic sul

^ | v • Reply • Share ›



**Guest** • 7 months ago

its very well explained ,i understood the method but can someone explain me :

^ | v • Reply • Share ›



**OP** ➔ Guest • 5 months ago

Time complexity =  $O(n \log n)$

for each element we are doing one binary searh, so for total n element:

Space complexity =  $O(n)$

^ | v • Reply • Share ›



**googlybhai** • 7 months ago



```
#include <iostream>
#include <string.h>
#include <stdio.h>
using namespace std;

#define ARRAY_SIZE(A) sizeof(A)/sizeof(A[0])

// Binary search (note boundaries in the caller)

// A[] is ceilIndex in the caller

int CeilIndex(int *A, int *table, int l, int r, int key) {
    int m;
    while( r-l > 1 ) {
        m = l + (r-l)/2;
        (A[table[m]] >= A[key] ? r : l) = m; // ternary expression returns an
    }
}
```

[see more](#)

^ | v • Reply • Share ›



**Guest** • 7 months ago

```
/* Modified the code to return longest increasing subsequence */

#include <iostream>

#include <string.h>

#include <stdio.h>
```

```
using namespace std;
```

```
#define ARRAY_SIZE(A) sizeof(A)/sizeof(A[0])
```

```
// Binary search (note boundaries in the caller)
```

[see more](#)

^ | v • Reply • Share ›



**Surya Baghreacha** • 8 months ago

tailTable wont be having result sub sequence can you tell me what changes to  
sequence in nlogn

2, 5, 3, 7, 11, 8, 10, 13, 6,1

1 3 6 8 10 13 it will give this as output

^ | v • Reply • Share ›



**Kellogs** → Surya Baghreacha • 7 months ago

No.

(For 2)

2

\*\*\*\*\*

(For 5)

2

2,5

\*\*\*\*\*

(For 3)

2

2,3

2,5 (Discard)

[see more](#)

^ | v • Reply • Share ›



**Surya Baghrecha** → Kellogs • 7 months ago

if( A[i] < tailTable[0] )

// new smallest value

tailTable[0] = A[i];

wont it go into this?? how is it discarded?

^ | v • Reply • Share ›



**Sudipto** • 9 months ago

@Venki: Suppose we have an array of pairs, like: (a, b) instead of integers, where  $b < c$ .

Let the array be :  $\{\{1, 3\}, \{5, 9\}, \{5, 7\}, \{8, 23\}\}$ . Here how are we going to compare pairs can succeed the other pair. If we replace  $\{5, 9\}$  with  $\{5, 7\}$  following the given condition, else it will be 2. So, how can we handle this situation?

^ | v • Reply • Share ›



**Sudipto** → Sudipto • 9 months ago

I think this approach will work only if the elements of array are "totally comparable".

^ | v • Reply • Share ›



**Rashik Hasnat** • 9 months ago



????????? ????????

^ | v · Reply · Share ›



**Dip Mazumder** · 9 months ago

&#039;that was helpful :)&#039;

^ | v · Reply · Share ›



**Rashik Hasnat** · 9 months ago

that was helpful :)

1 ^ | v · Reply · Share ›



**Rajkiran** · 10 months ago

What is meant by discard all other lists of the same length? At any given point length, right? Can you please clarify?

^ | v · Reply · Share ›



**Rajkiran** ➔ Rajkiran · 10 months ago

It is also not clear why the binary search function is called with the left ; you want to position it before the start of the array ). But it seems unne guess.

^ | v · Reply · Share ›



**SS** · 10 months ago

Great Tutorial !!!!!!!!!!!

^ | v · Reply · Share ›



**Asap** · 10 months ago

Can we use this approach for this questions?

<http://www.geeksforgeeks.org/d...>

^ | v · Reply · Share ›





why this code is not working ?? Please help...

```
#include<stdio.h>
int main()
{
    int n,a[10],A[10],len,low,high,mid;
    scanf("%d %d",&n,&a[0]);
    A[0]=a[0];
    len=1;
    for(int i=1;i<n;i++)
    {
        scanf("%d",&a[i]);
        if(a[i]>A[len-1])
            A[len++]=a[i];
        else if(a[i]<A[0])
            A[0]=a[i];
        else
        {
```

[see more](#)

^ | v • Reply • Share ›



**Swapnil R Mehta** • a year ago

Can't we just write a binary search function in place of CeilIndex and find the ir tailTable and replace it with A[i].As tailTable is always sorted---->"end element elements of larger lists".

^ | v • Reply • Share ›



**Venki** → Swapnil R Mehta • a year ago

CeilIndex is binary search function only. Observe it carefully. It returns guaranteed (Why?).

Am I missing anything to understand?

^ | v • Reply • Share ›



**Swapnil R Mehta** → Venki • a year ago

Sir, pls make the parameter received in ceilIndex() from int A[] t was been sent as parameter.It will help remove confusions. Rest alls correct. Thanks for reply :)

^ | v • Reply • Share ›



**Venki** → Swapnil R Mehta • a year ago

I am not sir.

I follow some coding convention. A for array, I have add

^ | v • Reply • Share ›



**Swapnil R Mehta** → Venki • a year ago

thanks for your valuable time...

^ | v • Reply • Share ›



**Bansari Shah** • a year ago

Thanks for such a nice explanation! :)

^ | v • Reply • Share ›



**abhishek08aug** • a year ago

Intelligent :D

```
/* Paste your code here (You may delete these lines if not writing c
```

^ | v • Reply • Share ›



**Qiao** • a year ago

Will the CeilIndex function return the smallest element in A[] that is larger than

return the largest element in  $A[i]$  that is smaller than key.. Am I wrong??

/\* Paste your code here (You may **delete** these lines **if not** writing c

^ | v • Reply • Share ›



**Qiao** → Qiao • a year ago

hmm.. I got it. Thanks~

^ | v • Reply • Share ›



**coderAce** • a year ago

A small observation: The above procedure will find that LIS with the minimum :

To elaborate a little, there can be multiple LISs for a given array. The above procedure finds the first LIS with end element smaller than  $A[i]$ , clones the list and adds  $A[i]$  to it and finally discards the original list.

Now the discarded list obviously had its end element greater than  $A[i]$  and hence it was not having the minimum sum.

Please correct me if I am wrong

^ | v • Reply • Share ›



**Venki** → coderAce • a year ago

Good observation. The algorithm is greedy in nature, yet, yields smallest sum subsequence.

^ | v • Reply • Share ›



**ravi** • a year ago

Code for longest sub sequences in  $O(n \log(n))$

```
#include <stdio.h>
#define MX 16
int main()
```

```

{
    int array[MX]={0,8,4,12,2,10,6,14,1,9,5,13,3,11,7,15};
    int index;
    int k,j;
    int table[6][6];
    int m,n;
    for(m=0;m<6;m++)
    {
        for(n=0;n<6;n++)
        {
            table[m][n]=-1;
        }
    }
}

```

[see more](#)

^ | v • Reply • Share ›



**anirudh beria** • a year ago

i dont think this solution is  $n \log n$  due to check for min and max elements. A  $m \log n$  sol.

1 ^ | v • Reply • Share ›



**cooldude** • a year ago

44,1,21,41,90,65,82,72,50,16

For this example,output should be 1,21,41,65,82

but the above algo gives output as 4

with table as follows(end=length)

[1=1, 44=1]

[1=1, 21=2, 44=1]

[1=1, 21=2, 41=3, 44=1]

[1=1, 21=2, 41=3, 44=1, 90=4]

[1=1, 65=2, 41=3, 44=1, 90=4]

[1=1, 65=2, 82=3, 44=1, 90=4]

[1=1, 65=2, 72=3, 44=1, 90=4]

[50=2, 1=1, 72=3, 44=1, 90=4]

[16=2, 1=1, 72=3, 44=1, 90=4]

1 ^ | v • Reply • Share ›



**Venki** → cooldude • a year ago

<http://ideone.com/dgEymU>

^ | v • Reply • Share ›



**cooldude** → Venki • a year ago

but still it doesnt work for this example and some other which i

^ | v • Reply • Share ›



**Venki** → cooldude • a year ago

Please be specific. I got the following output to your input

1 21 41 65 72

The only difference your expected output and actual output is the best possible next higher number to find largest sequence elements constituted in the sequence, we only concern sequence or not. I have left your expected output in my code.

I would encourage you read all comments as this discussion is

^ | v • Reply • Share ›



**\_maverick** • a year ago

hello Venki a grt one!

I thank you frst for making things easy to understand.

may i have ur blog to get regular updates from u.

Once again thanks for this one.

1 ^ | v • Reply • Share ›



**Venki** → \_maverick • a year ago

@Maverick, I am not active on personal blog. You can keep visiting Ge

^ | v • Reply • Share ›



**Nandan Badheka** • a year ago

very nice.

^ | v • Reply • Share ›



**viswanath** • a year ago

love it

```
/* Paste your code here (You may delete these lines if not writing c
```

^ | v • Reply • Share ›



**cherry** • a year ago

What is the out put for the given array

$A[] = \{ 10, 22, 9, 33, 21, 21, 21, 21 \};$  ?

yours is returning just 3. which is ( 10,22,33). isnt this wrong?

```
/* Paste your code here (You may delete these lines if not writing c
```

^ | v • Reply • Share ›



**Venki** → cherry • a year ago

Thanks for bringing it into attention. I have only considered strictly incre  
increasing monotone subsequence, it needs content and code modific

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**Ravi** • a year ago

In the above explanation (as explained in boxes), we can find longest increasir code, we are only able to find length of LIS not LIS exactly (in all possible case

Let's take an example of {3, 4, 1}... according to code, final output (LIS) comes 4}.

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**Venki** → Ravi • a year ago

@Ravi, I have mentioned in the content that the code is meant to find s LIS as an exercise, and later added code also.

I got correct ouput for the sequence {3, 4, 1}

LIS - <http://ideone.com/9odmXL>

Note that I have mentioned that the sequence will be printed in reverse

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