



# Data Structure and Algorithms

Session-12

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# Circular Queue (Array Implementation)

## Why learn Circular Queue ?

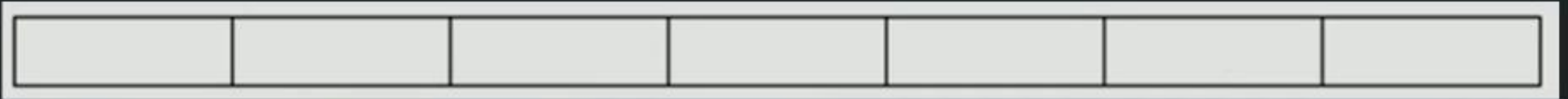
✓ deQueue operation causes blank cells Linear Queue(Array Implementation). We need to improve that.



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## Creation of Circular Queue(Array Implementation):



*createQueue(size)*

*create a blank array of 'size'*

*initialize top, start = -1*

# How Circular Queue works :



*enQueue(Value):*

*if (isQueueFull()) Print "Queue overflow error!"      Top=size-1 && Begin=0 || Begin=Top+1*

*else*

*if (topOfQueue+1 == size) { //if top is already at last cell of array, then reset it to first cell*

*Begin!=0*

*topOfQueue=0;*

*else*

*topOfQueue++;*

*arr[topOfQueue] = value;*

## Dequeue operation of Circular Queue(Array Implementation):



*Dequeue()*

*if (isEmpty()) Print (Queue underflow error)*

*else*

*Print (arr[start]);*

*if (start == topOfQueue) { //if there is only 1 element in Queue*

*start = topOfQueue = -1;*

*else if (start+1 == size) { //if start has reached end of array, then start again from 0*

*start=0;*

*else*

*start++*

## Peek operation of Circular Queue(Array Implementation):



10	20	30	40			
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*peek()*

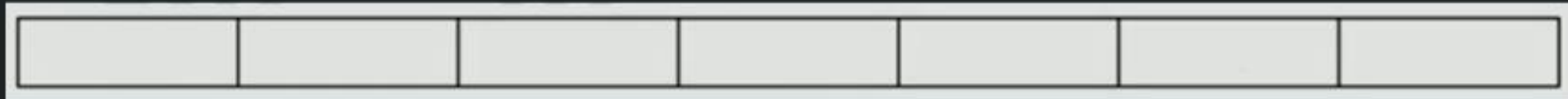
*if (!isQueueEmpty())*

*print(arr[start])*

*else*

*print ("The queue is empty!!")*

## IsEmpty operation of Circular Queue(Array Implementation)



*IsQueueEmpty():*

*if (topOfQueue == -1)*

*return true;*

*else*

*return false;*

## IsFull operation of Circular Queue(Array Implementation):

10	20	30	40	50	60	70
----	----	----	----	----	----	----

*isQueueFull()*

*if (topOfQueue+1 == start) { //If we have completed a circle, then we can say that Queue is full*

*return true;*

*else if ((start==0) && (topOfQueue+1 == size)) { //Trivial case of Queue being full*

*return true;*

*else*

*return false*



## Deleting a Circular Queue(Array Implementation):

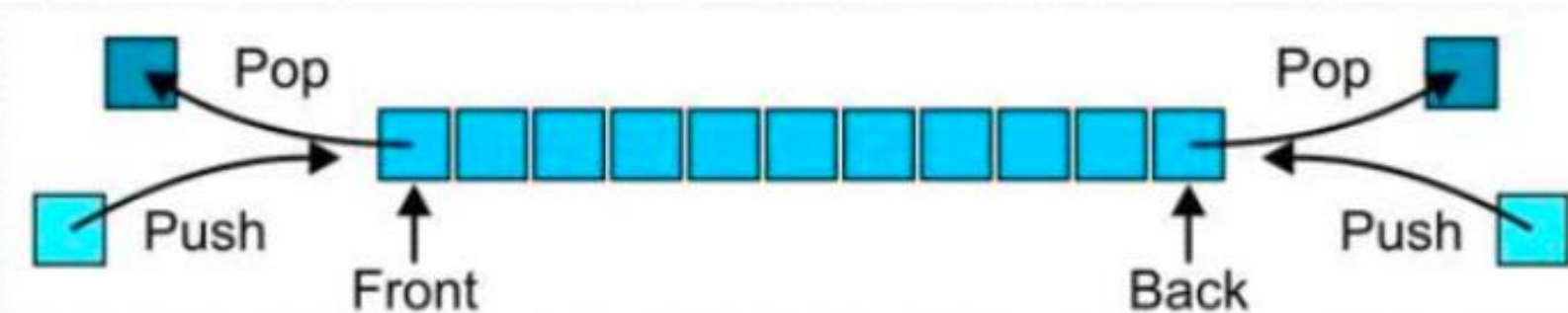
10	20	30	40			
----	----	----	----	--	--	--

```
deleteStack()
```

```
array = null
```

# Double-Ended Queue

- A Deque or deck is a double-ended queue.
- Allows elements to be added or removed on either the ends.



# TYPES OF DEQUE

## ❑ Input restricted Deque

- Elements can be inserted only at one end.
- Elements can be removed from both the ends.

## ❑ Output restricted Deque

- Elements can be removed only at one end.
- Elements can be inserted from both the ends.

# Deque as Stack and Queue

## As STACK

- When insertion and deletion is made at the same side.

## As Queue

- When items are inserted at one end and removed at the other end.

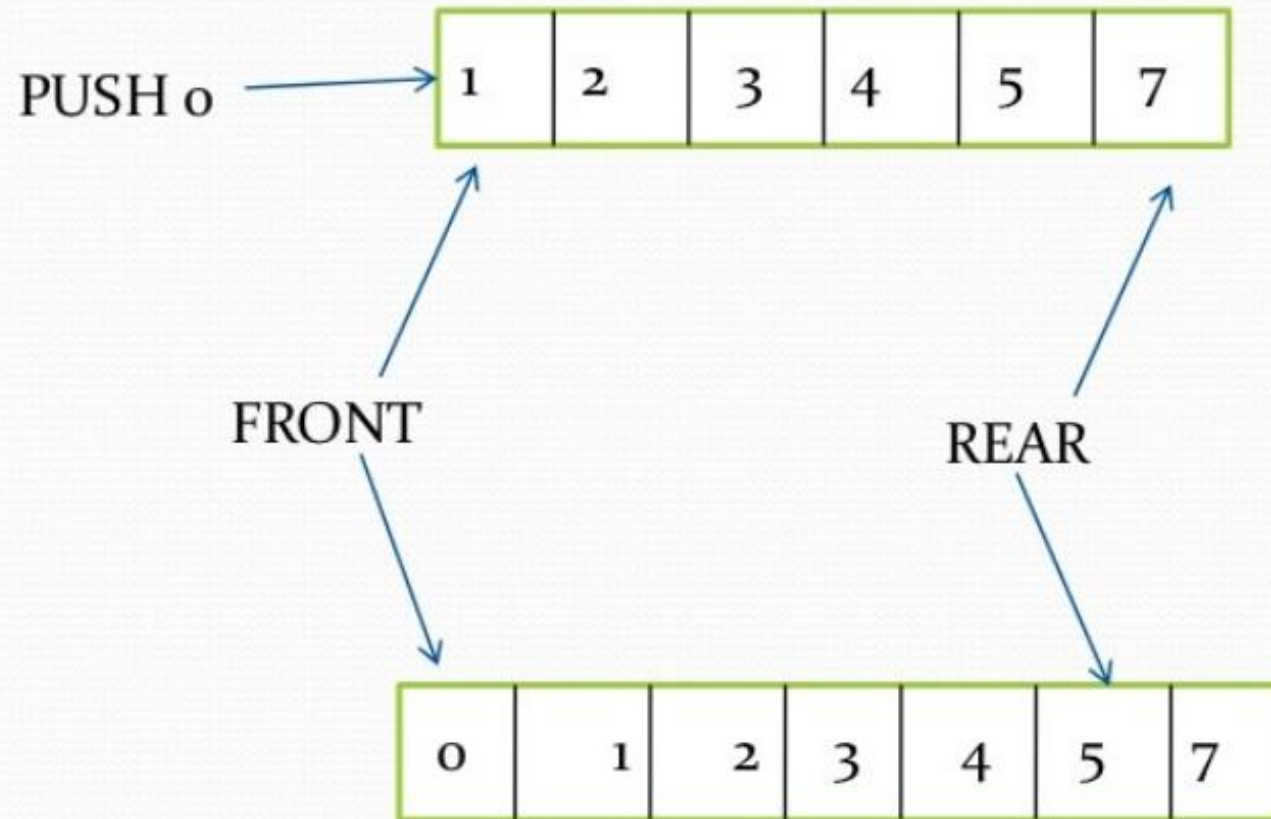


# OPERATIONS IN DEQUE

- Insert element at back
- Insert element at front
- Remove element at front
- Remove element at back

# Insert\_front

- `insert_front()` is a operation used to push an element into the front of the *Deque*.



# Algorithm Insert\_front

step1. Start

step2. Check the queue is full or not as if  $(r == \text{max}-1) \ \&\& (f == 0)$

step3. If false update the pointer f as  $f = f-1$

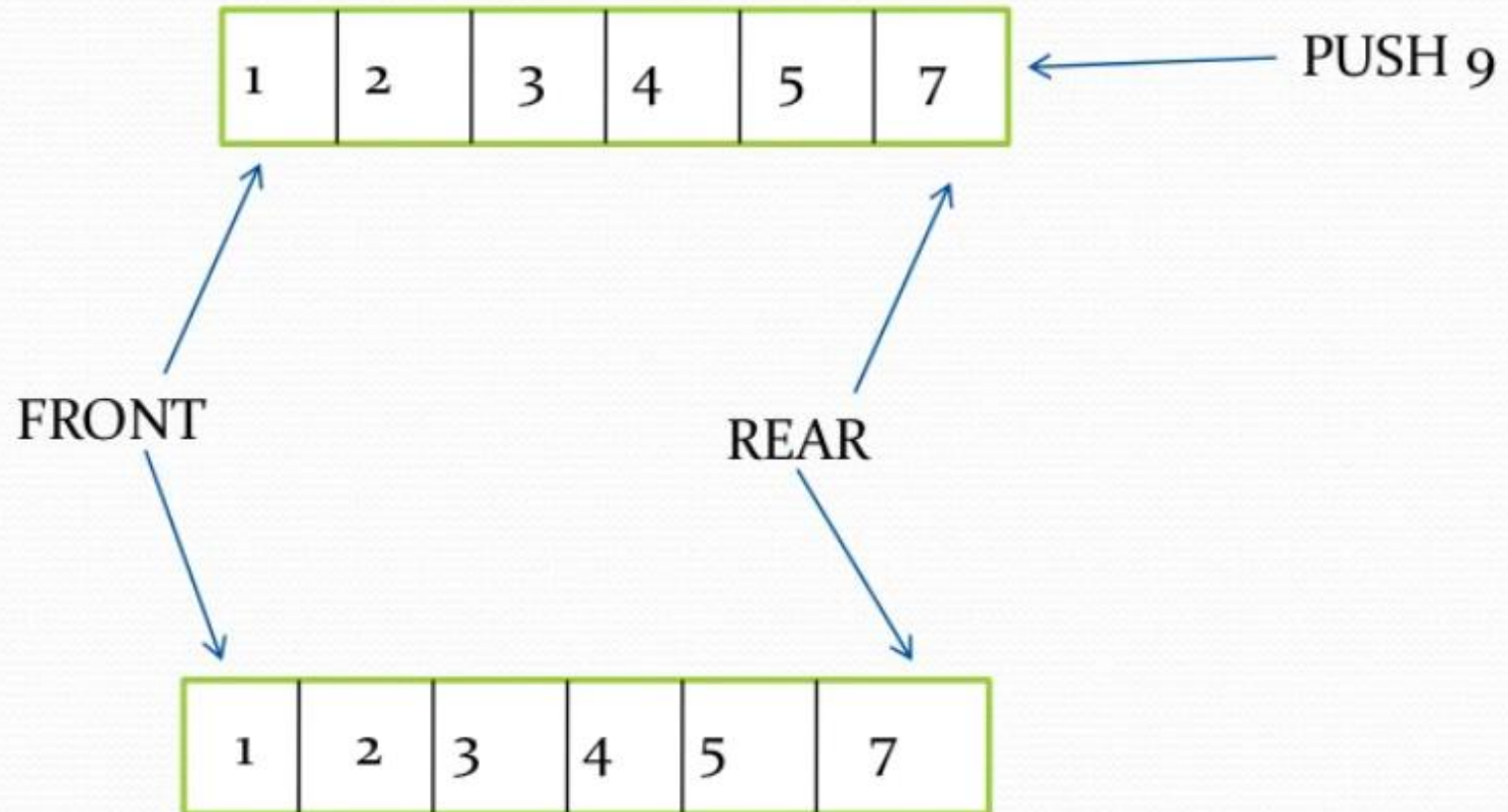
step4. Insert the element at pointer f as  $Q[f] = \text{element}$

step5. Stop



# Insert\_back

- `insert_back()` is a operation used to push an element at the back of a *Deque*.





## **Algorithm insert\_back**

Step1: Start

Step2: Check the queue is full or not as if  $(r == \text{max}-1)$   
&&  $(f == 0)$  if yes queue is full

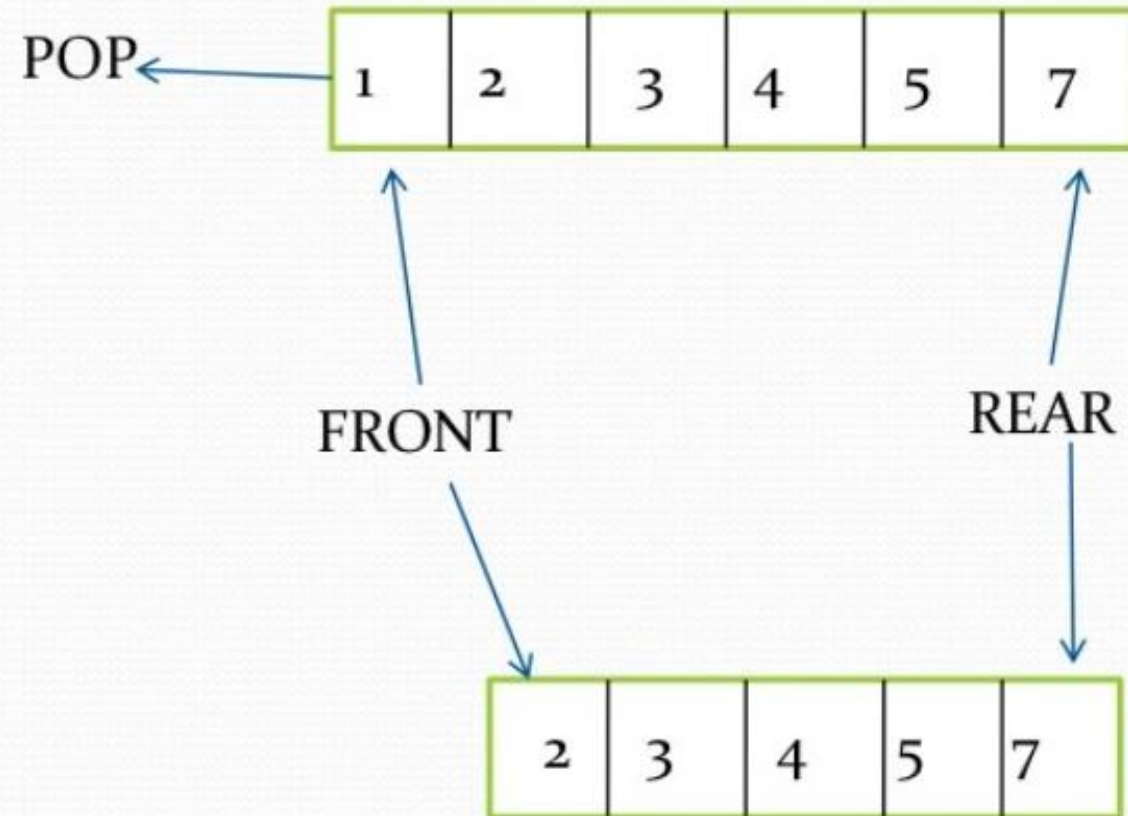
Step3: If false update the pointer  $r$  as  $r = r + 1$

Step4: Insert the element at pointer  $r$  as  $Q[r] = \text{element}$

Step5: Stop

# Remove\_front

- remove\_front() is a operation used to pop an element on front of the *Deque*.



## **Algorithm Remove\_front**

Step1: Start

Step2: Check the queue is empty or not as if  $(f == r)$  if yes queue is empty.

Step3: If false update pointer  $f$  as  $f = f + 1$  and delete element at position  $f$  as  $\text{element} = Q[f]$

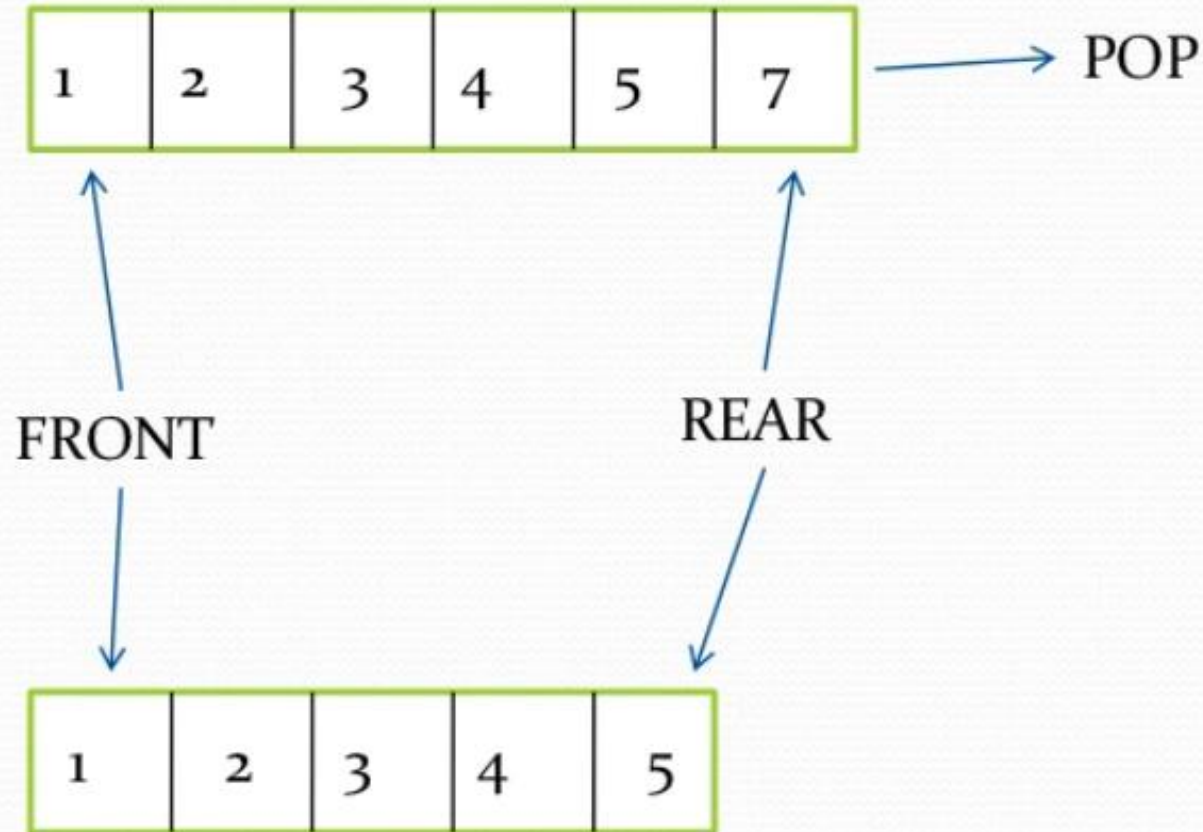
Step4: If  $(f == r)$  reset pointer  $f$  and  $r$  as  $f = r = -1$

Step5: Stop



# Remove\_back

- `remove_back()` is a operation used to pop an element on back of the *Deque*.



# Alogrithm Remove\_back

step1. Start

step2. Check the queue is empty or not as if  $(f == r)$  if yes queue  
is empty

step3. If false delete element at position  $r$  as  $\text{element} = Q[r]$

step4. Update pointer  $r$  as  $r = r - 1$

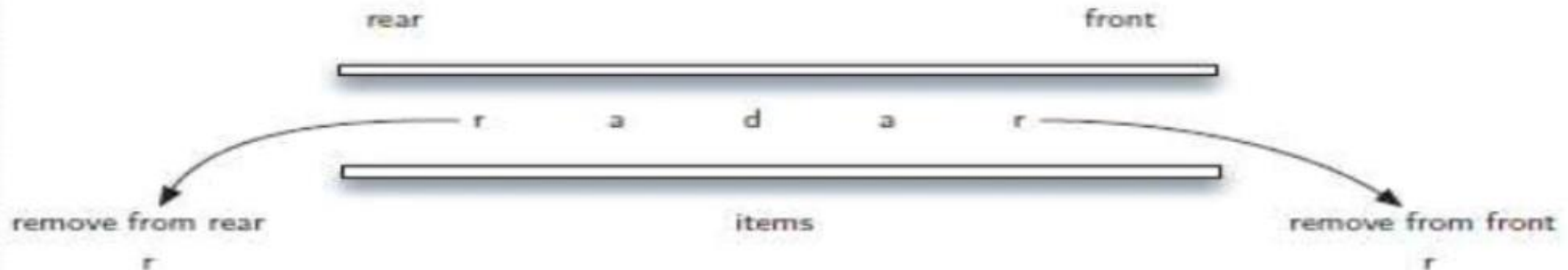
step5. If  $(f == r)$  reset pointer  $f$  and  $r$  as  $f = r = -1$

step6. Stop

# APPLICATIONS OF DEQUE

## Palindrome-checker

Add "radar" to the rear



Remove from front and rear

# Priority Queue

- In priority queue, each element is assigned a priority.
- Priority of an element determines the order in which the elements will be processed.
- Rules:
  1. An element with higher priority will be processed before an element with a lower priority.
  2. Two elements with the same priority are processed on a First Come First Serve basis.



# Types of Priority Queue

## 1. Ascending Priority Queue

In this type of priority queue, elements can be inserted into any order but only the smallest element can be removed.

## 2. Descending Priority Queue

In this type of priority queue, elements can be inserted into any order but only the largest element can be removed.

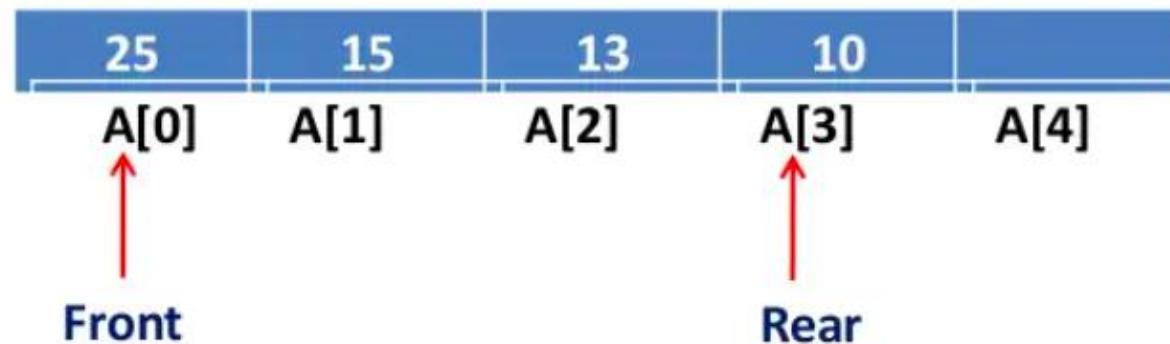
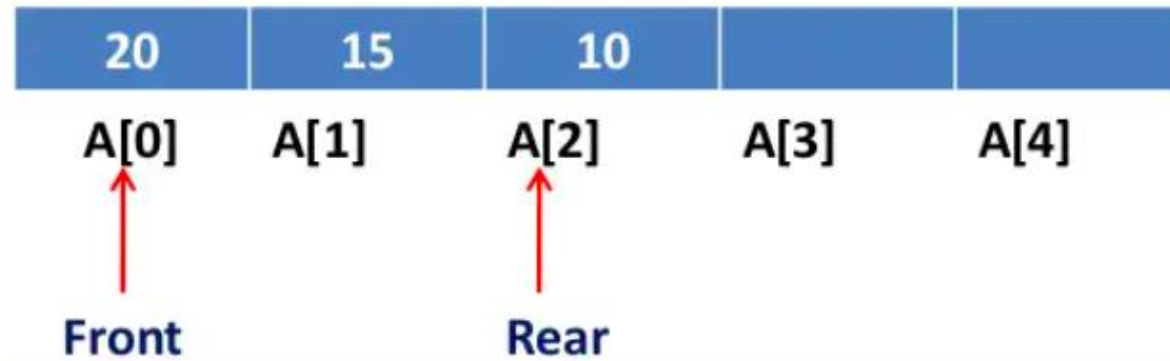
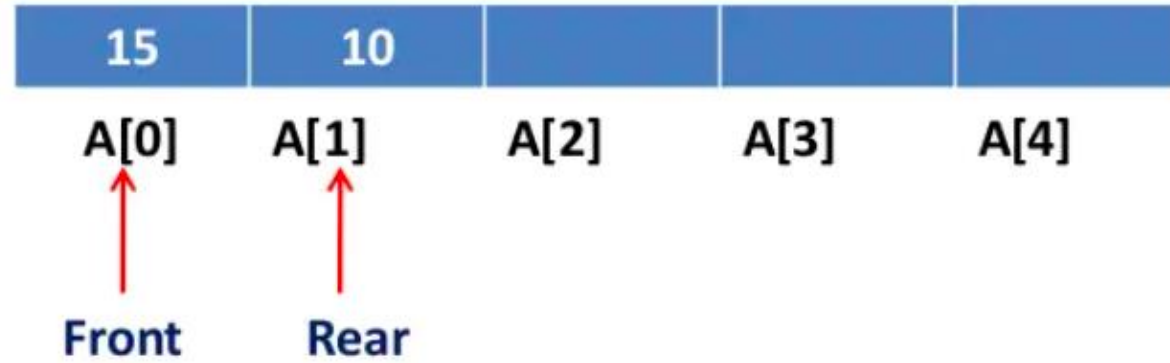


# Array Representation of Priority Queue

## Insertion Operation:

- While inserting elements in priority queue we will add it at the appropriate position depending on its priority
- It is inserted in such a way that the elements are always ordered either in Ascending or descending sequence

# Array Representation of Priority Queue

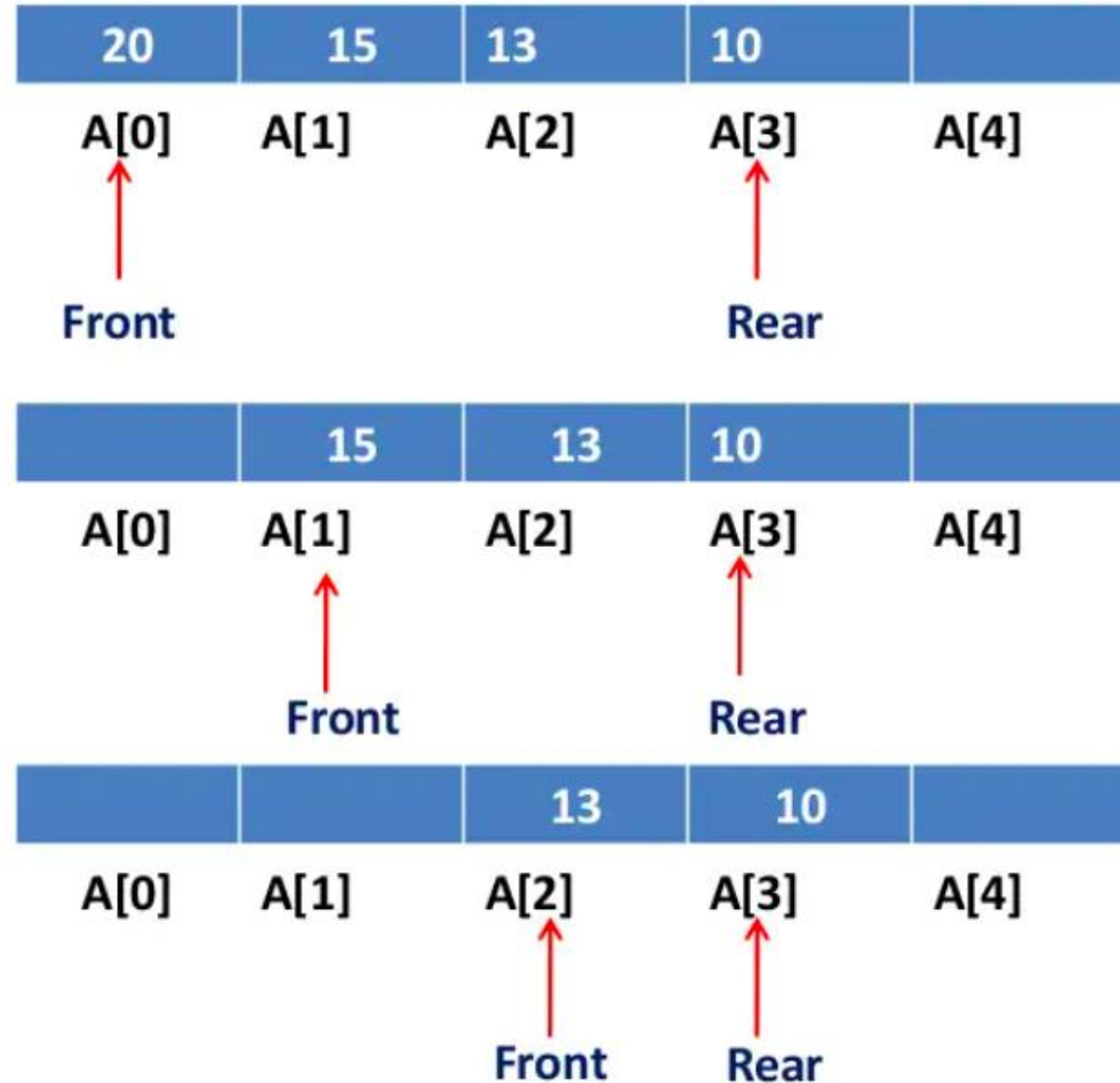


# Array Representation of Priority Queue

## Deletion Operation:

- While deletion, the element at the front is always deleted.

# Array Representation of Priority Queue



Void Enqueue(QUEUE \*q, int item)

```
{
    if (q->rear == SIZE - 1)
        printf("My Queue is full");
    else
    {
        pos = q->rear;
        q->rear = q->rear + 1;
        while (pos >= 0 && q->data[pos] >= item)
        {
            q->data[pos+1] = q->data[pos];
            pos = pos - 1;
        }
        q->data[pos+1] = item;
        if (q->front == -1)
            q->front = q->front + 1;
    }
}
```



Thank  
you