

Programme	: B.Tech CSE	Semester	: FALL 2023-24
Course	: Theory of Computation	Code	: BCSE304L
Faculty	: Dr. S. Suseela Dr. Amutha S Dr. Karmel A	Slot	: F2+TF2
Time	: 90 Minutes	Class Nbr	: CH2023240101 CH2023240100 CH2023240101
		Max. Marks	: 50

Answer ALL the questions

Q. No.	Questions
1.	<p>A lock for a bank contains numbers 0 through 9 in its door. It opens with the current combination that follows:</p> <ol style="list-style-type: none"> Six keys to be pressed in sequence. Every odd numbered press should be a prime number (excluding 1), second press should be multiple of three, fourth press should not be a multiple of 4 and 8, the sixth press could be any number that do not fall under any of the previous constraint. <p>Design a deterministic finite automaton for deciding whether to open or not to open the lock and construct the regular expression.</p>
2.	<ol style="list-style-type: none"> Let $\Sigma = \{a,b\}$. A word w in Σ^* is said to contain a triple letter if w contains aaa or bbb as a substring. Construct the regular grammar that generates all the strings in the language, $L = \{w \in \Sigma^* \mid w \text{ contains exactly one triple letter}\}$ [Hint: "baaaba" has exactly one triple string. "baaaaba" has two triple strings.] Construct an equivalent finite automaton for the expression given below. [5 marks] <ol style="list-style-type: none"> $(aa^*b)^* + ba^*$ $(1 \mid (01^*0)^* 1)^*$
3.	<p>Construct an equivalent deterministic finite automaton D for the non-deterministic automaton given below.</p> <pre> graph LR Start((Start)) --> A((A)) A -- 0 --> A A -- 0 --> B((B)) A -- "0,1" --> D((D)) A -- "0,1" --> E(((E))) B -- 1 --> C((C)) C -- 0 --> B B -- 1 --> E D -- 0 --> E style Start fill:none,stroke:none </pre>

Design a finite automaton that accepts the language, $L = \{L_1 \cup L_2\}$

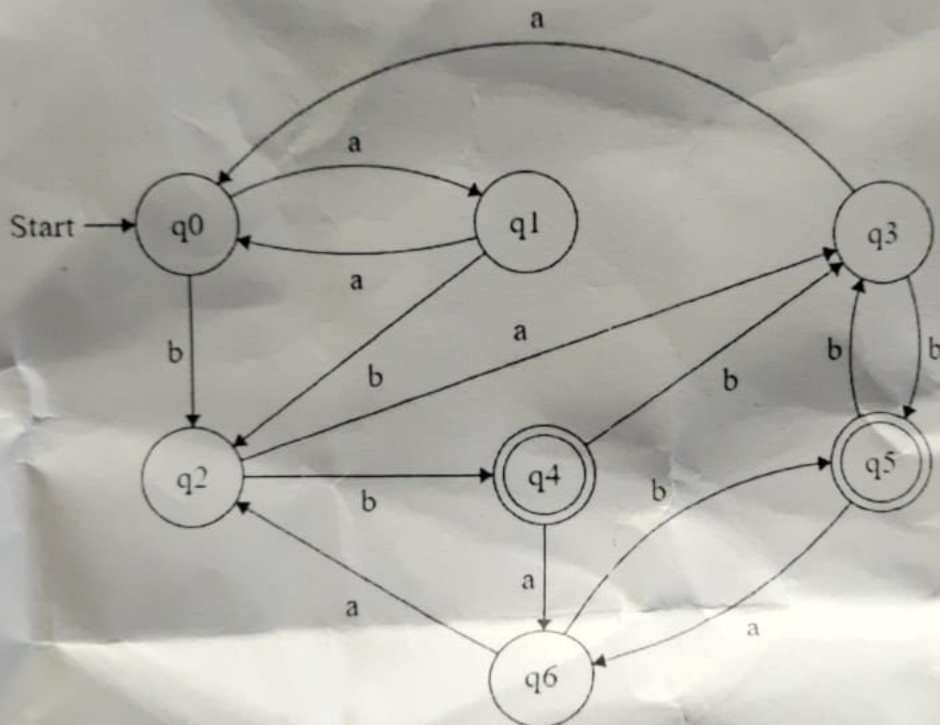
Where,

4. $L_1 = \{a^{2n+3} \mid n > 0\}$

$L_2 = \{a^{3n+2} \mid n > 0\}$

10

5. Construct a minimized Deterministic Finite Automata for the automaton given below.



10