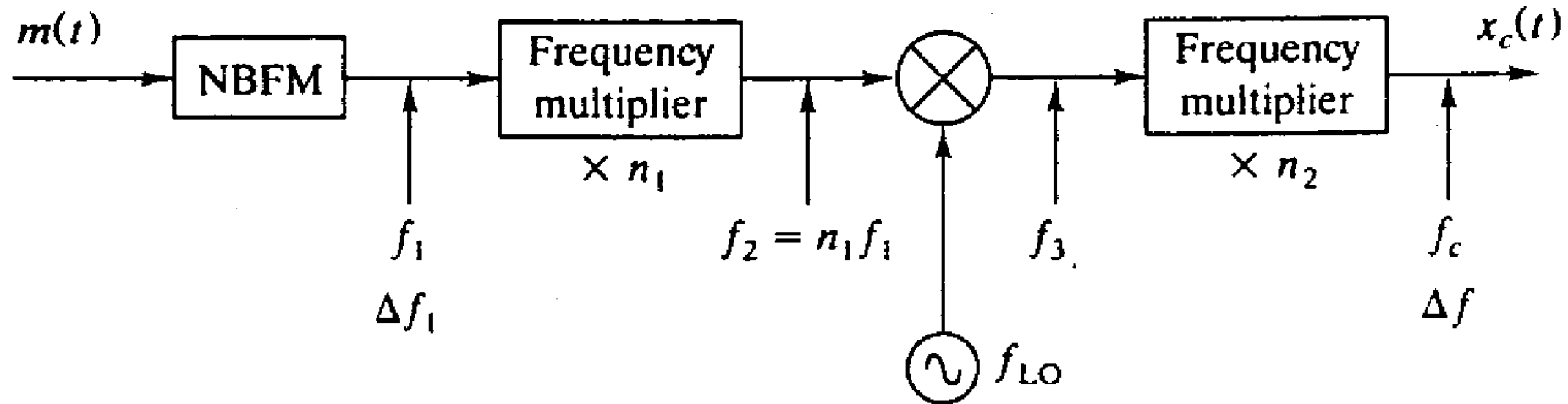


Determine the frequency deviation and carrier swing for a frequency-modulated signal which has a resting frequency of 105.000 MHz and whose upper frequency is 105.007 MHz when modulated by a particular wave. Find the lowest frequency reached by the FM wave.

**An FM modulator operates at carrier frequency of 500 kHz with frequency deviation sensitivity of 1.5 kHz/V. A PM modulator also operates at carrier frequency of 500 kHz with phase deviation sensitivity of 0.75 rad/V. If both FM modulator and PM modulator are modulated by the same modulating signal having peak amplitude of 2 V and modulating frequency of 2 kHz, then find frequency deviation, phase deviation, modulation index of FM and PM**

Consider the FM modulator shown in Figure. Compute the maximum frequency deviation  $\Delta f$  of the output of the FM modulator and the carrier frequency  $f_c$ . if  $f_1 = 200\text{KHz}$ ,  $\Delta f_1 = 25\text{Hz}$ ,  $F_{LO} = 10.8\text{MHz}$ ,  $n_1 = 64$  and  $n_2 = 48$



$$\Delta f = (\Delta f_1)(n_1)(n_2) = (25)(64)(48) \text{ Hz} = 76.8 \text{ kHz}$$

$$f_2 = n_1 f_1 = (64)(200)(10^3) = 12.8(10^6) \text{ Hz} = 12.8 \text{ MHz}$$

$$f_3 = f_2 \pm f_{LO} = (12.8 \pm 10.8)(10^6) \text{ Hz} = \begin{cases} 23.6 & \text{MHz} \\ 2.0 & \text{MHz} \end{cases}$$

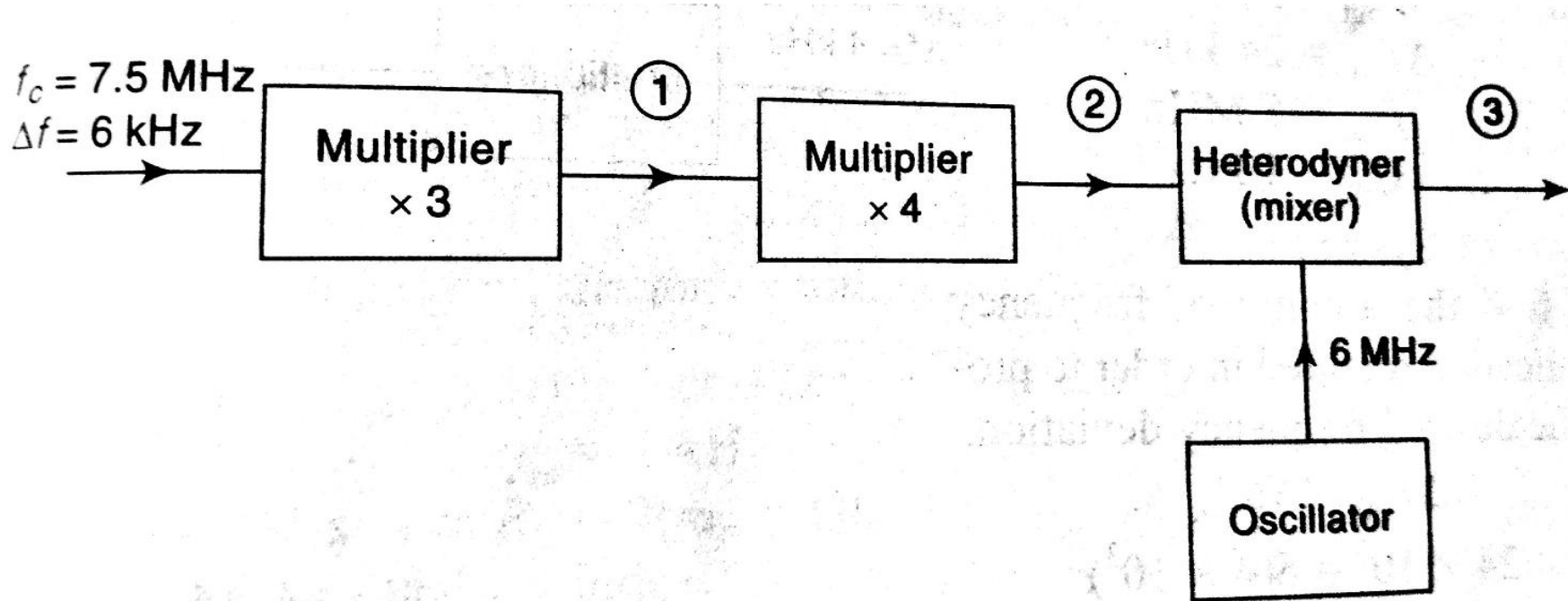
Thus, when  $f_3 = 23.6 \text{ MHz}$ , then

$$f_c = n_2 f_3 = (48)(23.6) = 1132.8 \text{ MHz}$$

When  $f_3 = 2 \text{ MHz}$ , then

$$f_c = n_2 f_3 = (48)(2) = 96 \text{ MHz}$$

Consider the FM transmitter shown in figure. Find the carrier frequency and frequency deviation of each of the points 1, 2, and 3



Consider an angle-modulated signal  $x_c(t) = 20 \cos [100 \times 10^3 \pi t + 5 \sin (2 \times 10^3 \pi t)]$  using phase-modulation technique. Find the carrier-signal frequency and the maximum phase deviation

A PM signal is given as

$$v_{PM}(t) = 20 \cos [2 \pi \times 10^6 t + 0.1 \sin(10^3 \pi t)].$$

Given  $k_p = 10$ , determine the frequency of the modulating signal.

Find  $n_1$ ,  $n_2$  and  $F_{Lo}$

