

3.5 Microstrip antenna

Module:3 HF, UHF and Microwave Antennas

Course: BECE305L – Antenna and Microwave Engineering

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(Deemed to be University under section 3 of UGC Act, 1956)
CHENNAI

Module:3 HF, UHF and Microwave Antennas

7 hours

Wire Antennas - long wire, loop antenna - helical antenna. Yagi-Uda antenna, Frequency independent antennas - spiral and log periodic antenna - Aperture antennas – Horn antenna, Parabolic reflector antenna - Microstrip antenna

- Source of the contents: Balanais Antenna Theory and

1. Introduction to Microstrip

- In **high-performance aircraft, spacecraft, satellite, and missile applications**, many **other government and commercial applications**, such as mobile radio and wireless communications, where **size, weight, cost, performance, ease of installation, and aerodynamic profile are constraints**, low-profile antennas may be required.
- **Microstrip antennas** are **low profile, conformable to planar and nonplanar surfaces, simple and inexpensive to manufacture using modern printed-circuit technology, mechanically robust** when mounted on rigid surfaces, **compatible with MMIC designs**, and when the particular patch shape and mode are selected, they are very **versatile in terms of resonant frequency, polarization, pattern, and impedance**.

1. Introduction to Microstrip

- In addition, by **adding loads between the patch and the ground plane, such as pins and varactor diodes, adaptive elements with variable resonant frequency, impedance, polarization, and pattern** can be designed.
- **Major operational disadvantages** of the basic Microstrip antennas are **their low efficiency, low power, high Q** (sometimes in excess of 100), **poor polarization purity, poor scan performance, spurious feed radiation** and very narrow frequency bandwidth, which is typically only a fraction of a percent or at most a few percent.
- These can be overcome with multiple design strategies as required for applications

1. Introduction to Microstrip

TABLE 14.1 Typical Substrates and Their Parameters

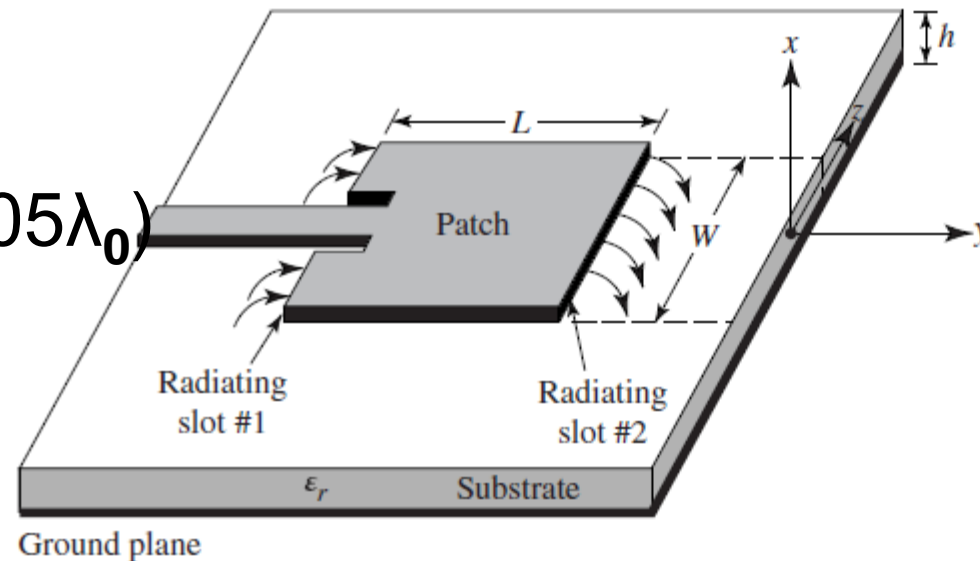
Company	Substrate	Thickness (mm)	Frequency (GHz)	ϵ_r	$\tan\delta$
Rogers Corporation	Duroid [®] 5880	0.127	0 – 40	2.20	0.0009
	RO 3003	1.575	0 – 40	3.00	0.0010
	RO 3010	3.175	0 – 10	10.2	0.0022
	RO 4350	0.168	0 – 10	3.48	0.0037
		0.508			
—	FR4	1.524			
—	FR4	0.05 – 100	0.001	4.70	—
DuPont	HK 04J	0.025	0.001	3.50	0.005
Isola	IS 410	0.05 – 3.2	0.1	5.40	0.035
Arlon	DiClad 870	0.091	0 – 10	2.33	0.0013
Polyflon	Polyguide	0.102	0 – 10	2.32	0.0005
Neltec	NH 9320	3.175	0 – 10	3.20	0.0024
Taconic	RF-60A	0.102	0 – 10	6.15	0.0038

1. Introduction to Microstrip

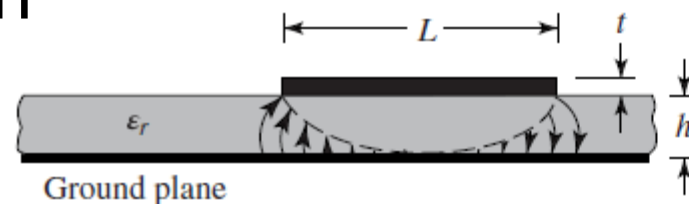
- Rogers substrates are usually referred to as PTFE (polytetrafluorethylene), which are woven glass laminates, and are very popular for microstrip designs.
- FR4 is another very popular substrate.

1. Introduction to Microstrip

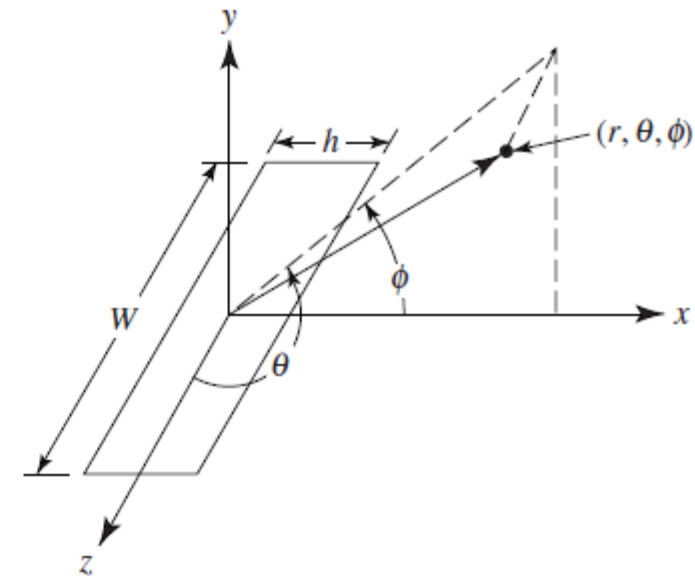
- consist of a **very thin** ($t \ll \lambda_0$, where λ_0 is the free-space wavelength) **metallic strip (patch)** placed a small fraction of a wavelength ($h \ll \lambda_0$, usually $0.003\lambda_0 \leq h \leq 0.05\lambda_0$) above a ground plane.
- **Usually broadside radiation**
- Endfire can be achieved by proper mode selection



(a) Microstrip antenna



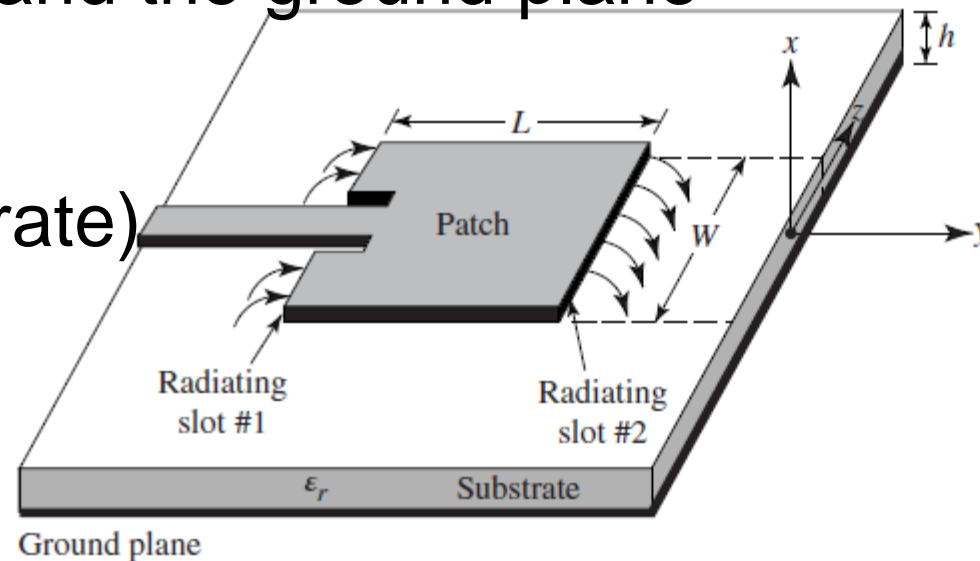
(b) Side view



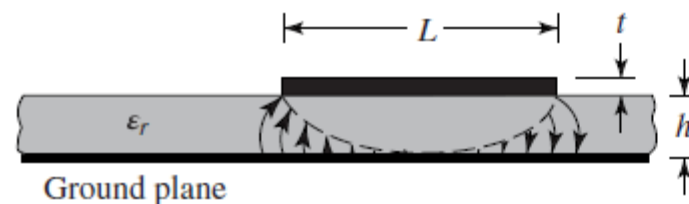
(c) Coordinate system for each radiating slot

1. Introduction to Microstrip

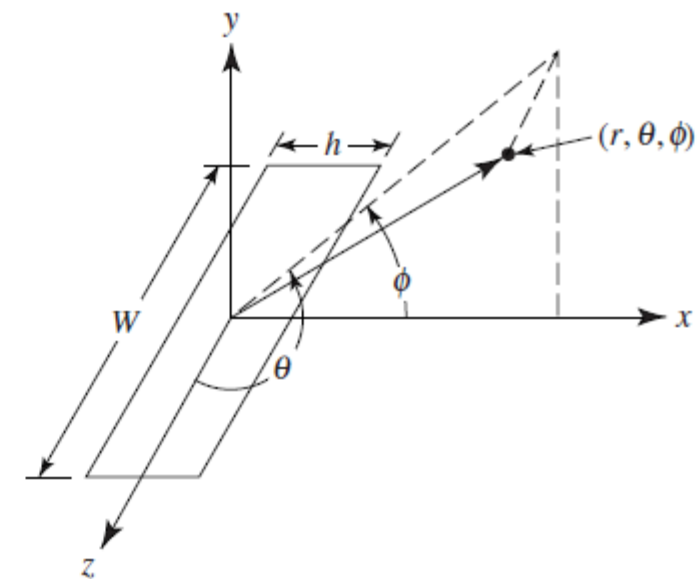
- a rectangular patch, the length L of the element is usually $\lambda_0 / 3 < L < \lambda_0 / 2$. The strip (patch) and the ground plane are separated by a dielectric sheet (referred to as the substrate)



(a) Microstrip antenna



(b) Side view



(c) Coordinate system for each radiating slot

1. Introduction to Microstrip

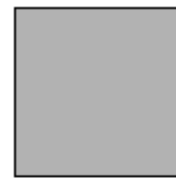
- most desirable for good antenna performance are **thick substrates** whose **dielectric constant is in the lower end** of the range because they provide better efficiency, larger bandwidth, loosely bound fields for radiation into space, but at the expense of larger element size.
- Thin substrates with higher dielectric constants are desirable for **microwave circuitry** because they **require tightly bound fields** to minimize undesired radiation and coupling, and lead to **smaller element sizes**; however, because of their greater losses, **they are less efficient** and have **relatively smaller bandwidths**
- Often microstrip antennas are also referred to as **patch antennas**

1. Introduction to Microstrip

- The radiating elements and the feed lines are **usually photoetched on the dielectric substrate**.

The radiating patch may be **square, rectangular, thin strip (dipole), circular, elliptical, triangular, or any other configuration**.

- Square, rectangular, dipole (strip), and circular are the most common because of ease of analysis and fabrication, and their attractive radiation characteristics, especially low cross-polarization radiation.



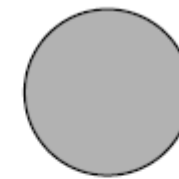
(a) Square



(b) Rectangular



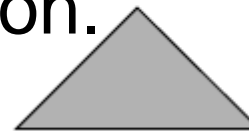
(c) Dipole



(d) Circular



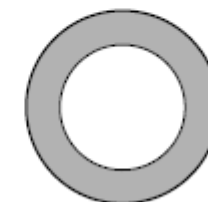
(e) Elliptical



(f) Triangular



(g) Disc sector



(h) Circular ring

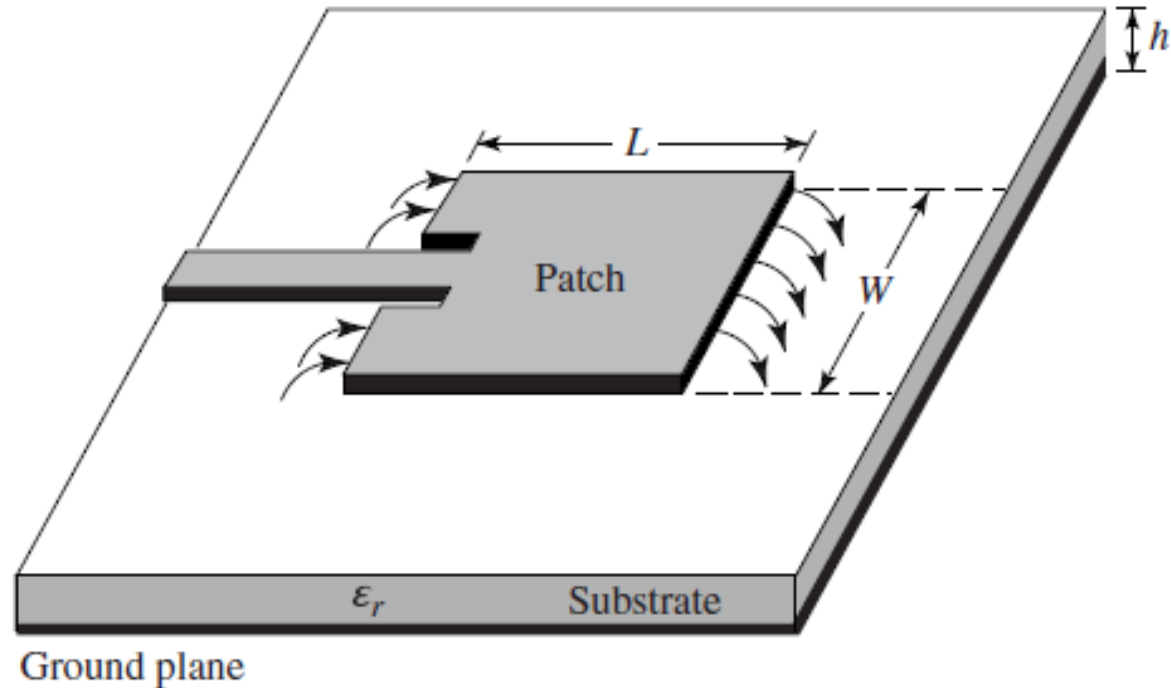


(i) Ring sector

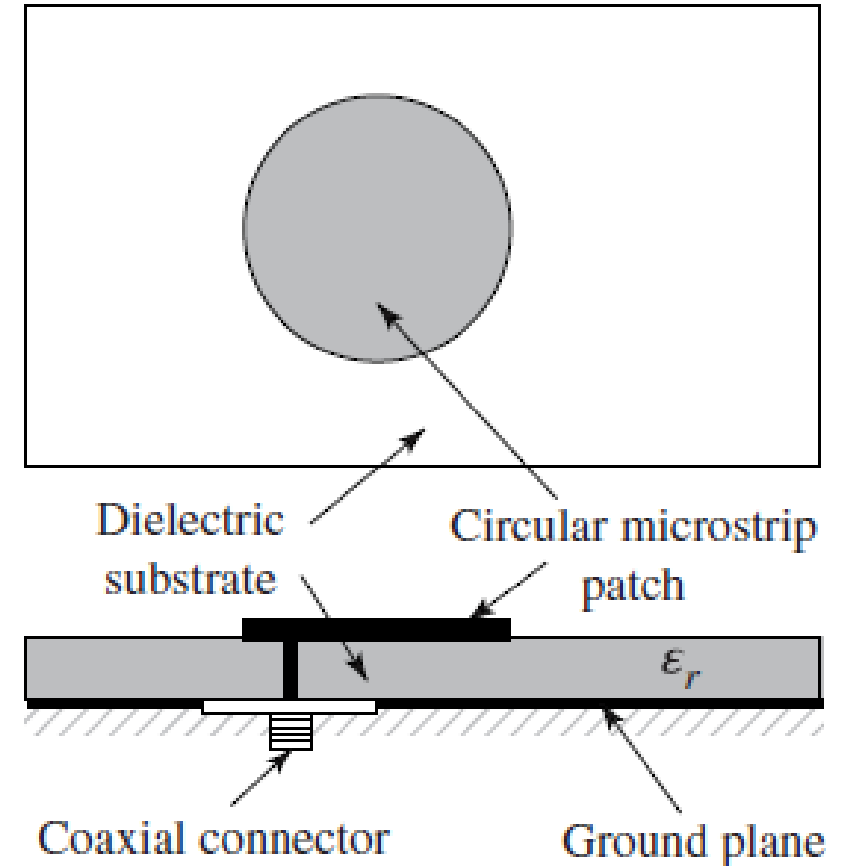
1. Introduction to Microstrip

- **Linear and circular polarizations** can be achieved with either **single elements** or **arrays** of microstrip antennas.
- **Arrays** of microstrip elements, with **single or multiple feeds**, may also be used to introduce **scanning capabilities** and achieve **greater directivities**

2. Feeding methods

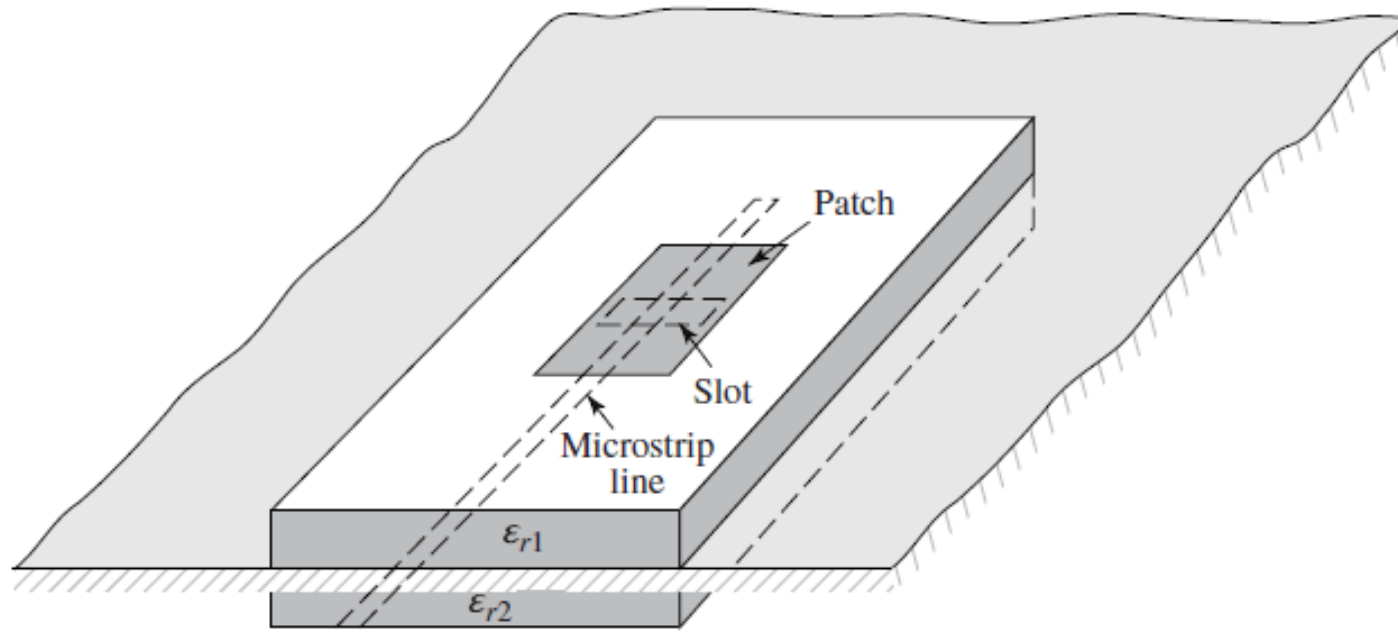


(a) Microstrip line feed

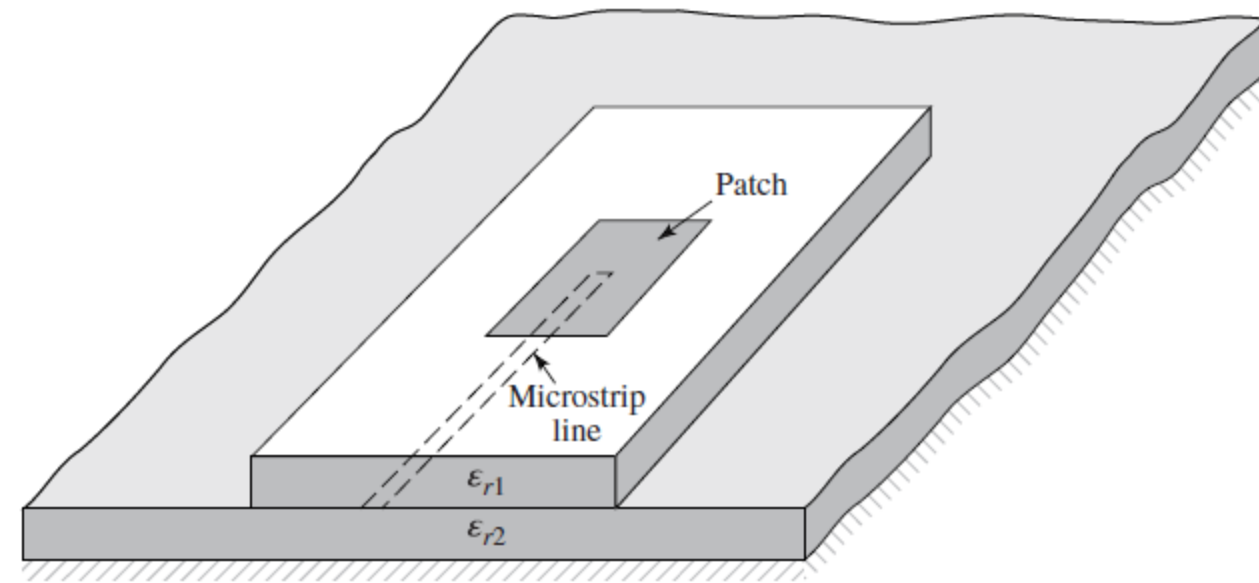


(b) Probe feed

2. Feeding methods



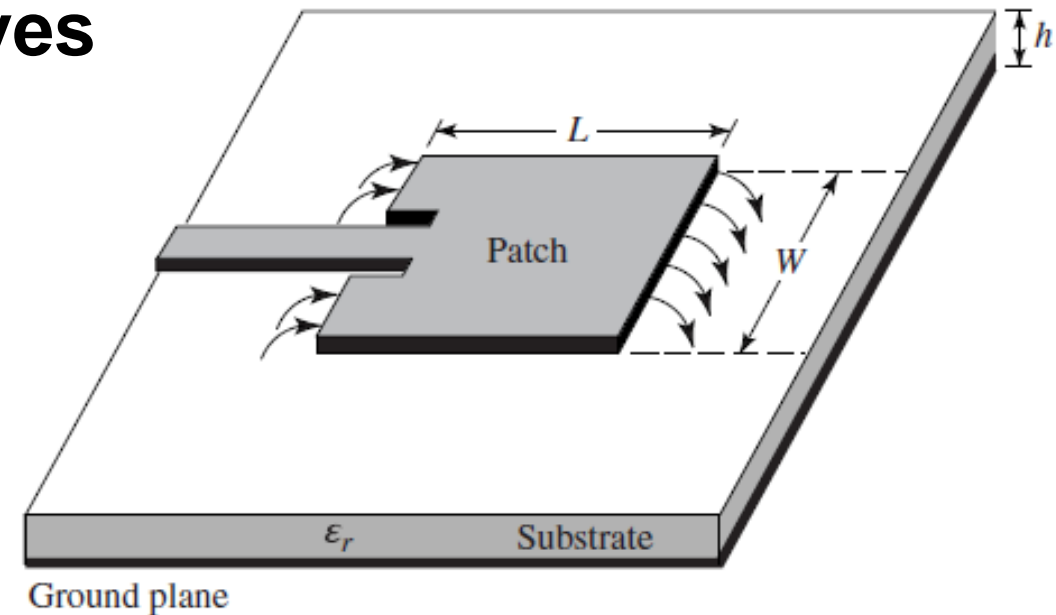
(c) Aperture-coupled feed



(d) Proximity-coupled feed

2. Feeding methods

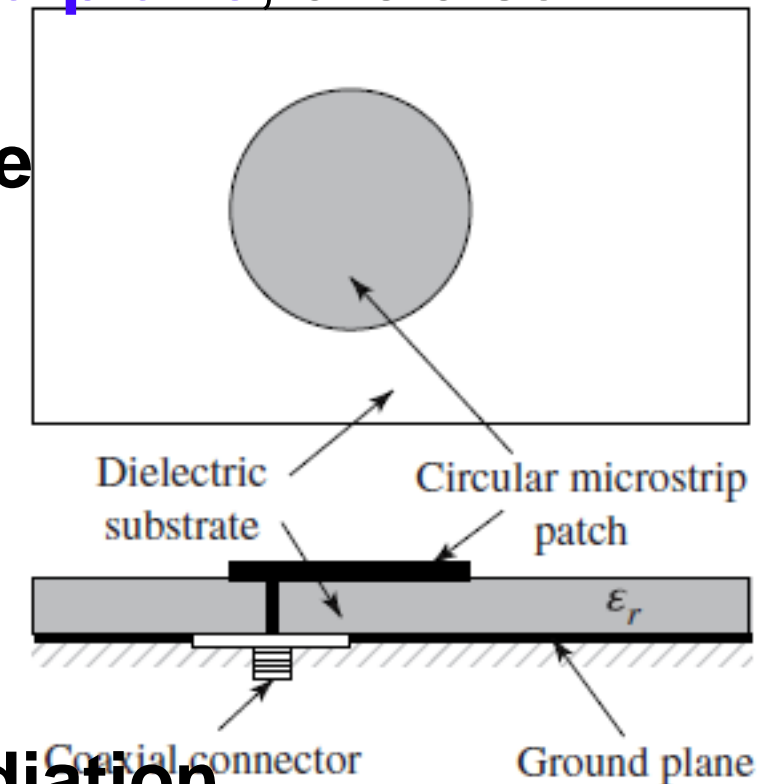
- The **microstrip feed line** is also a conducting strip, usually of much smaller width compared to the patch.
- is easy to fabricate, simple to match by controlling the inset position and rather simple to model
- **Bandwidth limited due to surface waves**



(a) Microstrip line feed

2. Feeding methods

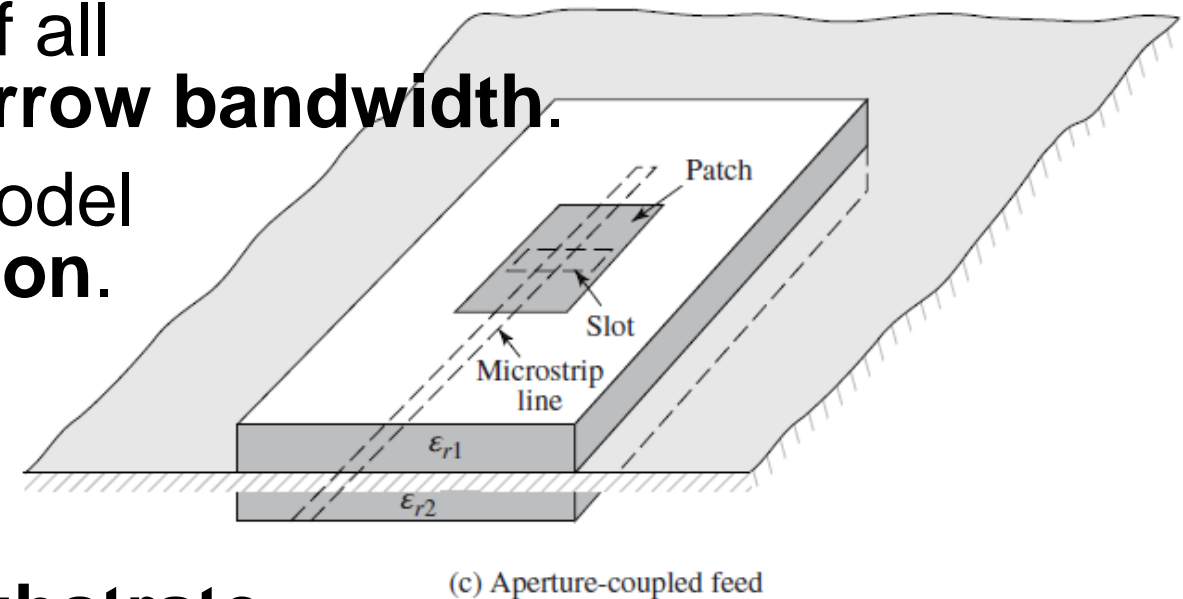
- **Coaxial-line feeds**, where the **inner conductor of the coax is attached to the radiation patch** while the **outer conductor is connected to the ground plane**, are also widely used.
- The **coaxial probe feed is also easy to fabricate and match**, and it has low spurious radiation.
- However, it **also has narrow bandwidth** and it is **more difficult to model**, especially for **thick substrates** ($h > 0.02\lambda_0$).
- **microstrip feed line** and the **probe** possess **inherent asymmetries** which generate higher order modes which **produce cross-polarized radiation**



(b) Probe feed

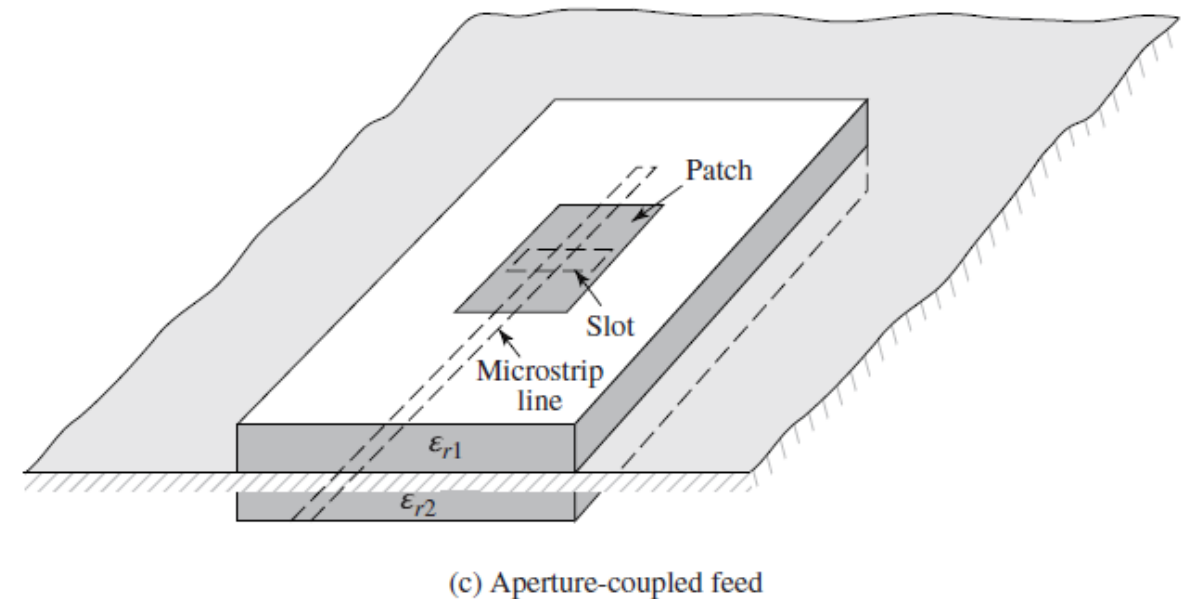
2. Feeding methods

- **Aperture coupled** : most difficult of all four to fabricate and it also has narrow bandwidth.
- However, it is somewhat easier to model and has moderate spurious radiation.
- The aperture coupling consists of **two substrates** separated by a ground plane.
- On the bottom side of the lower substrate there is a **microstrip feed line** whose **energy is coupled to the patch through a slot on the ground plane** separating the two substrates.
- This arrangement allows independent optimization of the feed mechanism and the radiating element



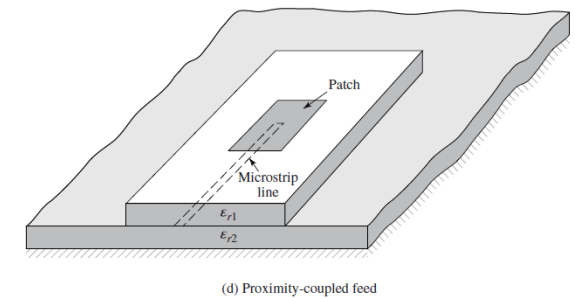
2. Feeding methods

- **Aperture coupled** Typically a **high dielectric material** is used for the **bottom substrate**, and **thick low dielectric constant** material for the **top substrate**.
- Typically **matching** is performed by controlling the **width of the feed line** and the **length of the slot**.



2. Feeding methods

- the **proximity coupling** has the **largest bandwidth** (as high as 13 percent), is somewhat easy to model and has **low spurious radiation**.
- However its fabrication is somewhat more difficult.
- The **length of the feeding stub** and the **width-to-line ratio of the patch** can be used to **control the match**



Analysis of Rectangular Patch:

A. Fringing fields

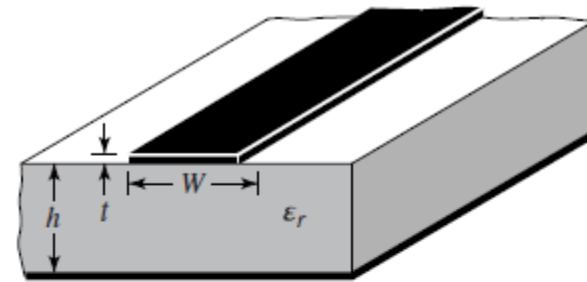
- This is a **nonhomogeneous line** of **two dielectrics**; typically the **substrate** and **air**.

most of the electric field lines reside in the substrate and parts of some lines exist in air.

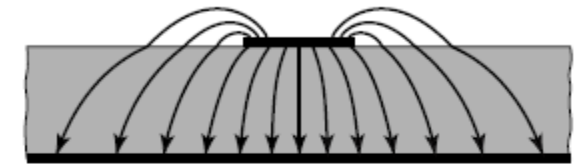
- Fringing** makes the microstrip line **look wider electrically** compared to its physical dimensions.

- Since **some of the waves travel in the substrate** and **some in air**, an **effective dielectric constant** ϵ_{reff} is introduced to account for fringing and the wave propagation in the line.

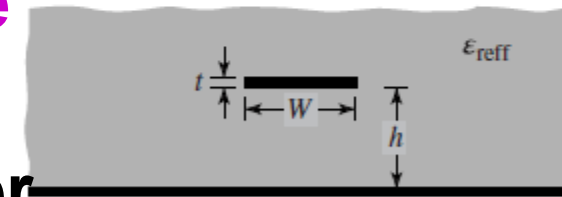
- Only when $W/h \gg 1$ and $\epsilon_r \gg 1$, the electric field lines concentrate mostly in the substrate.



(a) Microstrip line



(b) Electric field lines



(c) Effective dielectric constant

Figure 14.5 Microstrip line and its electric field lines, and effective dielectric constant geometry.

Analysis of Rectangular Patch:

A. Fringing fields

- **effective dielectric constant** is defined as the dielectric constant of the uniform dielectric material so that the line of Figure 14.5(c) has identical electrical characteristics, particularly propagation constant, as the actual line of Figure 14.5(a).

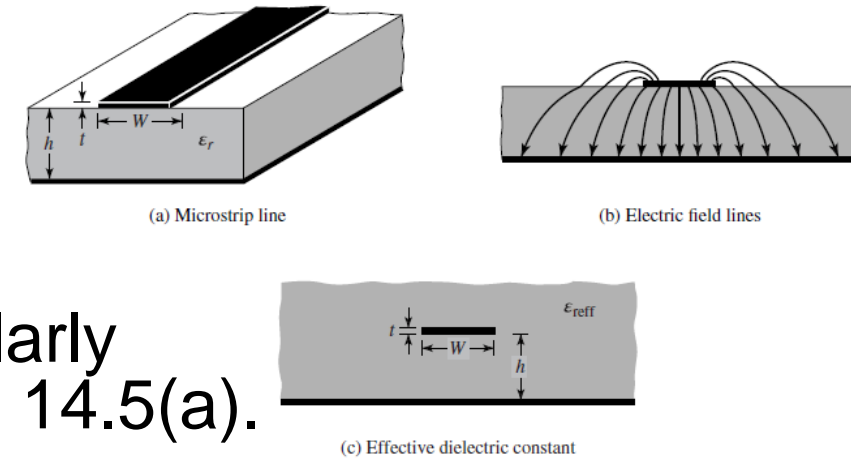


Figure 14.5 Microstrip line and its electric field lines, and effective dielectric constant geometry.

- $1 < \epsilon_{reff} < \epsilon_r$
- where the dielectric constant of the substrate is much greater than unity ($\epsilon_r \gg 1$), the value of ϵ_{reff} will be closer to the value of the actual dielectric constant ϵ_r of the substrate.
- As the **frequency of operation increases**, most of the **electric field lines concentrate in the substrate**. Therefore the microstrip line **behaves homogeneous line of one dielectric** (only the substrate), and the effective dielectric constant approaches the value of the dielectric constant of the substrate.

Analysis of Rectangular Patch:

A. Fringing fields

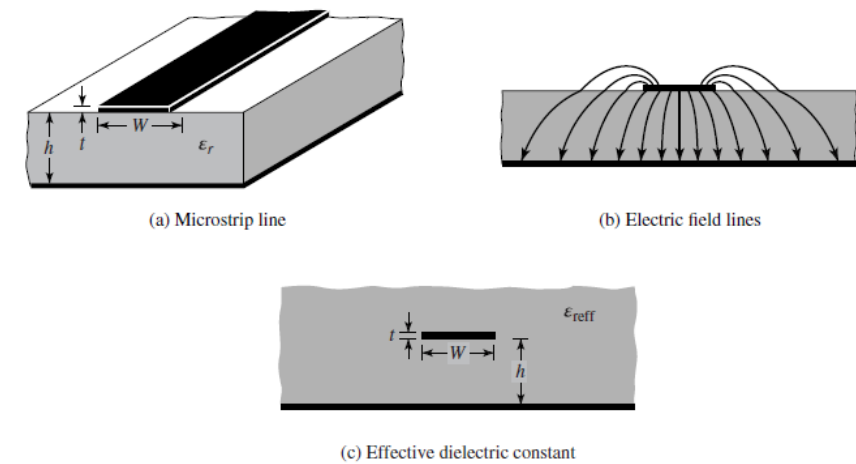


Figure 14.5 Microstrip line and its electric field lines, and effective dielectric constant geometry.

$$\underline{W/h > 1}$$

$$\epsilon_{\text{reff}} = \frac{\epsilon_r + 1}{2} + \frac{\epsilon_r - 1}{2} \left[1 + 12 \frac{h}{W} \right]^{-1/2}$$

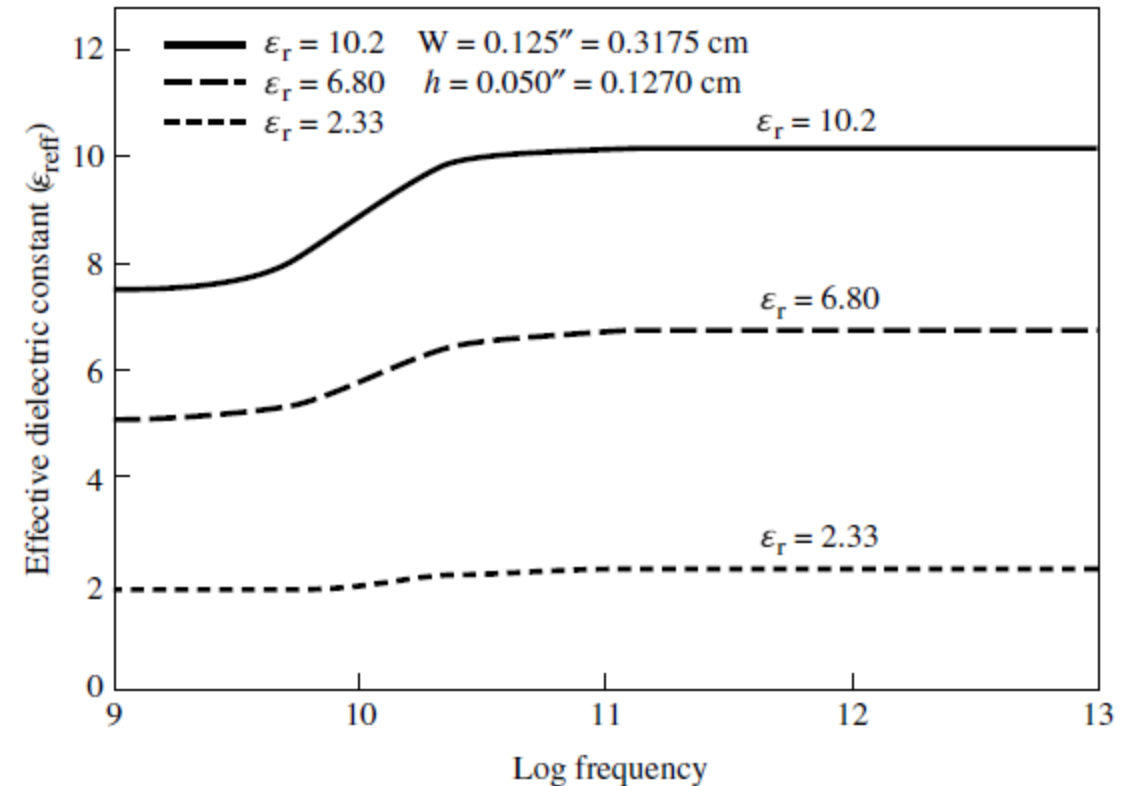
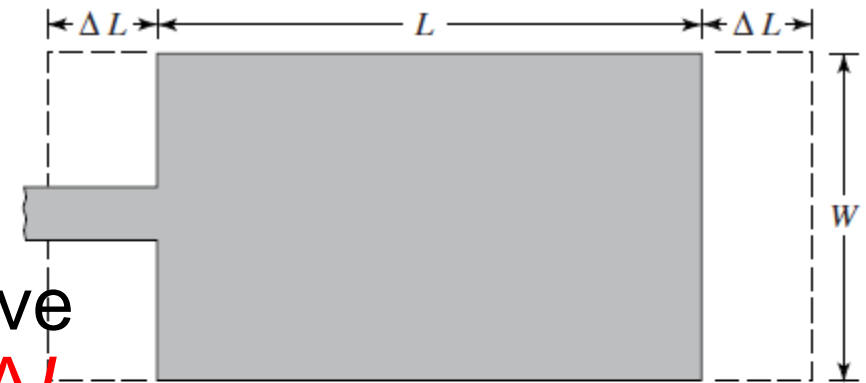


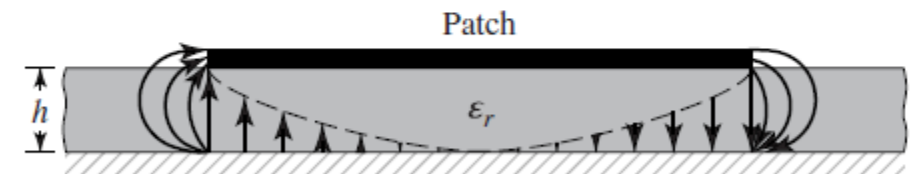
Figure 14.6 Effective dielectric constant versus frequency for typical substrates.

B. Effective Length, Resonant Frequency, and Effective Width

- dimensions of the patch are finite along the length and width, the **fields at the edges of the patch undergo fringing**
- Because of the fringing effects, **electrically the patch** of the microstrip antenna **looks greater than its physical dimensions**.
- For the principal E -plane (xy -plane), dimensions of the patch along its length have been **extended on each end by a distance ΔL** ,



(a) Top view



(b) Side view

$$\frac{\Delta L}{h} = 0.412 \frac{(\epsilon_{\text{reff}} + 0.3) \left(\frac{W}{h} + 0.264 \right)}{(\epsilon_{\text{reff}} - 0.258) \left(\frac{W}{h} + 0.8 \right)}$$

B. Effective Length, Resonant Frequency, and Effective Width

- Dominant mode TM_{010} : $L = \lambda/2$
- the resonant frequency of the microstrip antenna is a function of its length, and **without account of fringing**:

$$(f_r)_{010} = \frac{1}{2L\sqrt{\epsilon_r}\sqrt{\mu_0\epsilon_0}} = \frac{v_0}{2L\sqrt{\epsilon_r}}$$

- length of the patch has been extended by ΔL on each side **due to fringing**:

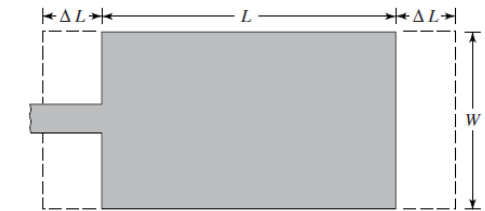
the effective length of the patch : $L_{\text{eff}} = L + 2\Delta L$

- To include edge effects, resonant frequency of the microstrip:

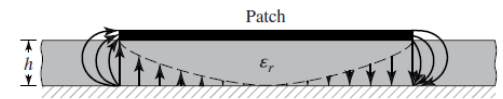
q fringe factor (length reduction factor).

$$(f_{rc})_{010} = \frac{1}{2L_{\text{eff}}\sqrt{\epsilon_{\text{reff}}}\sqrt{\mu_0\epsilon_0}} = \frac{1}{2(L + 2\Delta L)\sqrt{\epsilon_{\text{reff}}}\sqrt{\mu_0\epsilon_0}}$$

$$= q \frac{1}{2L\sqrt{\epsilon_r}\sqrt{\mu_0\epsilon_0}} = q \frac{v_0}{2L\sqrt{\epsilon_r}}$$



(a) Top view



(b) Side view

14.7 Physical and effective lengths of rectangular microstrip patch.

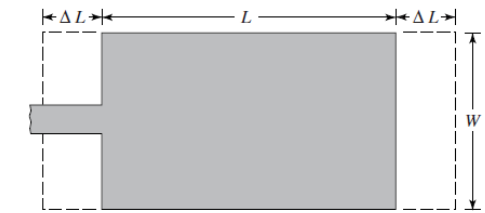
$$\frac{\Delta L}{h} = 0.412 \frac{(\epsilon_{\text{reff}} + 0.3) \left(\frac{W}{h} + 0.264 \right)}{(\epsilon_{\text{reff}} - 0.258) \left(\frac{W}{h} + 0.8 \right)}$$

B. Effective Length, Resonant Frequency, and Effective Width

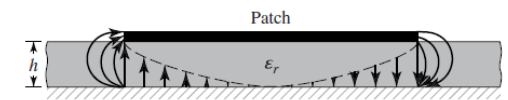
- *q fringe factor* (length reduction factor).
- The **designed resonant frequency**, based on fringing, is lower as the patch looks longer

$$\frac{\Delta L}{h} = 0.412 \frac{(\epsilon_{\text{reff}} + 0.3) \left(\frac{W}{h} + 0.264 \right)}{(\epsilon_{\text{reff}} - 0.258) \left(\frac{W}{h} + 0.8 \right)}$$

$$L_{\text{eff}} = L + 2\Delta L$$



(a) Top view



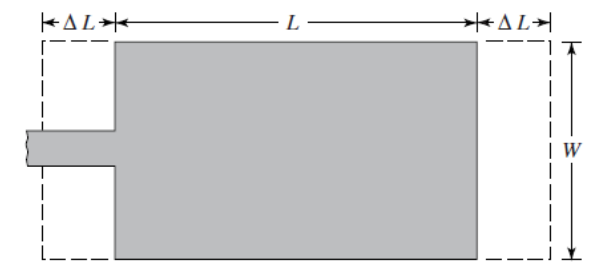
(b) Side view

14.7 Physical and effective lengths of rectangular microstrip patch.

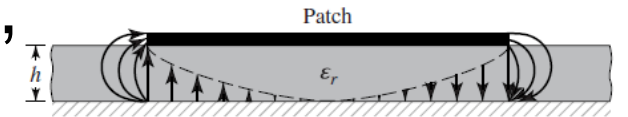
$$\begin{aligned} (f_{rc})_{010} &= \frac{1}{2L_{\text{eff}} \sqrt{\epsilon_{\text{reff}}} \sqrt{\mu_0 \epsilon_0}} = \frac{1}{2(L + 2\Delta L) \sqrt{\epsilon_{\text{reff}}} \sqrt{\mu_0 \epsilon_0}} \\ &= q \frac{1}{2L \sqrt{\epsilon_r} \sqrt{\mu_0 \epsilon_0}} = q \frac{v_0}{2L \sqrt{\epsilon_r}} \end{aligned}$$

C. Design

- **Given**: the dielectric constant of the substrate (ϵ_r),
the resonant frequency (f_r),
the height of the substrate h ($v_0: 3 \times 10^8 m/s$)
- **To determine**: W and L



(a) Top view



(b) Side view

14.7 Physical and effective lengths of rectangular microstrip patch.

C. Design

$$W = \frac{1}{2f_r \sqrt{\mu_0 \epsilon_0}} \sqrt{\frac{2}{\epsilon_r + 1}} = \frac{v_0}{2f_r} \sqrt{\frac{2}{\epsilon_r + 1}}$$

• Procedure:

1. a practical width that leads to good radiation efficiencies

2. Effective dielectric constant:

3. Find ΔL :

$$\epsilon_{\text{reff}} = \frac{\epsilon_r + 1}{2} + \frac{\epsilon_r - 1}{2} \left[1 + 12 \frac{h}{W} \right]^{-1/2}$$

$$\frac{\Delta L}{h} = 0.412 \frac{(\epsilon_{\text{reff}} + 0.3) \left(\frac{W}{h} + 0.264 \right)}{(\epsilon_{\text{reff}} - 0.258) \left(\frac{W}{h} + 0.8 \right)}$$

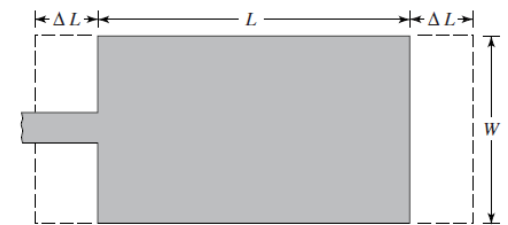
4. Actual length

$$L = \frac{1}{2f_r \sqrt{\epsilon_{\text{reff}}} \sqrt{\mu_0 \epsilon_0}} - 2\Delta L$$

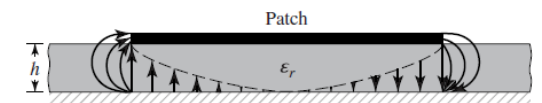
Typical length:

λ_d is the wavelength in the dielectric

$$L \approx (0.47 - 0.49) \frac{\lambda_o}{\sqrt{\epsilon_r}} = (0.47 - 0.49) \lambda_d$$



(a) Top view



(b) Side view

14.7 Physical and effective lengths of rectangular microstrip patch.

Design a rectangular microstrip antenna using a substrate (RT/duroid 5880) with dielectric constant of 2.2, $h = 0.1588$ cm (0.0625 inches) so as to resonate at 10 GHz.

- width W of the patch is

$$W = \frac{1}{2f_r \sqrt{\mu_0 \epsilon_0}} \sqrt{\frac{2}{\epsilon_r + 1}} = \frac{v_0}{2f_r} \sqrt{\frac{2}{\epsilon_r + 1}}$$

$$W = \frac{30}{2(10)} \sqrt{\frac{2}{2.2 + 1}} = 1.186 \text{ cm (0.467 in)}$$

- effective dielectric constant of the patch

$$\epsilon_{\text{reff}} = \frac{\epsilon_r + 1}{2} + \frac{\epsilon_r - 1}{2} \left[1 + 12 \frac{h}{W} \right]^{-1/2}$$

$$\epsilon_{\text{reff}} = \frac{2.2 + 1}{2} + \frac{2.2 - 1}{2} \left(1 + 12 \frac{0.1588}{1.186} \right)^{-1/2} = 1.972$$

Design a rectangular microstrip antenna using a substrate (RT/duroid 5880) with dielectric constant of 2.2, $h = 0.1588$ cm (0.0625 inches) so as to resonate at 10 GHz.

- width W of the patch is

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- extended incremental length of the patch ΔL

$$\frac{\Delta L}{h} = 0.412 \frac{(\epsilon_{\text{reff}} + 0.3) \left(\frac{W}{h} + 0.264 \right)}{(\epsilon_{\text{reff}} - 0.258) \left(\frac{W}{h} + 0.8 \right)}$$

$$\begin{aligned} \Delta L &= 0.1588(0.412) \frac{(1.972 + 0.3) \left(\frac{1.186}{0.1588} + 0.264 \right)}{(1.972 - 0.258) \left(\frac{1.186}{0.1588} + 0.8 \right)} \\ &= 0.081 \text{ cm (0.032 in)} \end{aligned}$$

Design a rectangular microstrip antenna using a substrate (RT/duroid 5880) with dielectric constant of 2.2, $h = 0.1588$ cm (0.0625 inches) so as to resonate at 10 GHz.

- width W of the patch is

$$W = \frac{1}{2f_r \sqrt{\mu_0 \epsilon_0}} \sqrt{\frac{2}{\epsilon_r + 1}} = \frac{v_0}{2f_r} \sqrt{\frac{2}{\epsilon_r + 1}}$$

$$W = \frac{30}{2(10)} \sqrt{\frac{2}{2.2 + 1}} = 1.186 \text{ cm (0.467 in)}$$

- effective dielectric constant of the patch

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$$\epsilon_{\text{reff}} = \frac{2.2 + 1}{2} + \frac{2.2 - 1}{2} \left(1 + 12 \frac{0.1588}{1.186} \right)^{-1/2} = 1.972$$

- extended incremental length of the patch ΔL

$$\frac{\Delta L}{h} = 0.412 \frac{(\epsilon_{\text{reff}} + 0.3) \left(\frac{W}{h} + 0.264 \right)}{(\epsilon_{\text{reff}} - 0.258) \left(\frac{W}{h} + 0.8 \right)}$$

$$\Delta L = 0.1588(0.412) \frac{(1.972 + 0.3) \left(\frac{1.186}{0.1588} + 0.264 \right)}{(1.972 - 0.258) \left(\frac{1.186}{0.1588} + 0.8 \right)} = 0.081 \text{ cm (0.032 in)}$$

- actual length L of the patch

$$L = \frac{1}{2f_r \sqrt{\epsilon_{\text{reff}} \sqrt{\mu_0 \epsilon_0}}} - 2\Delta L$$

$$L = \frac{\lambda}{2} - 2\Delta L = \frac{30}{2(10) \sqrt{1.972}} - 2(0.081) = 0.906 \text{ cm (0.357 in)}$$

- Effective length L_e

$$L_e = L + 2\Delta L = \frac{\lambda}{2} = 1.068 \text{ cm (0.421 in)}$$