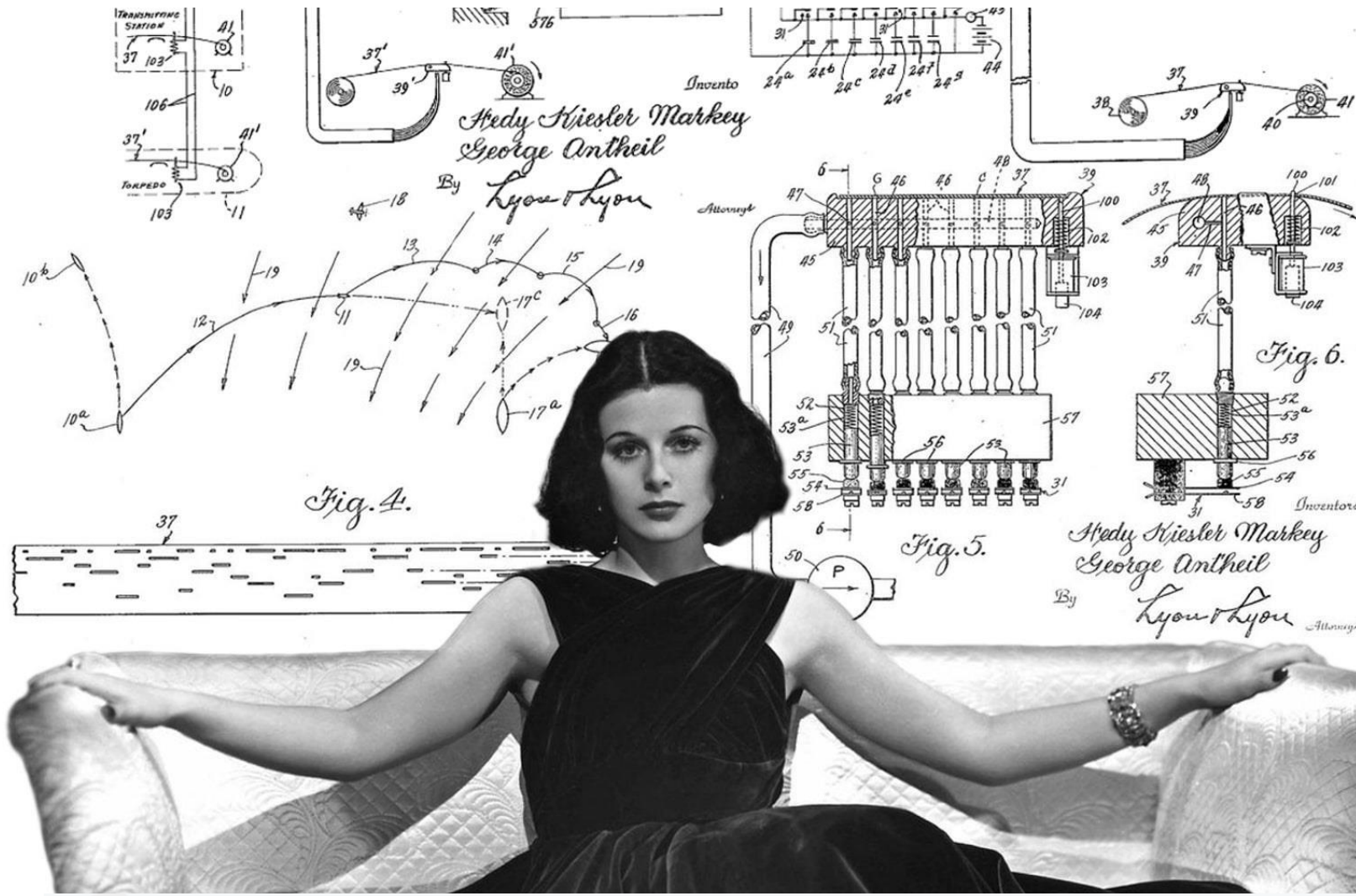


# Hedy Lamarr, the mother of Wi-Fi



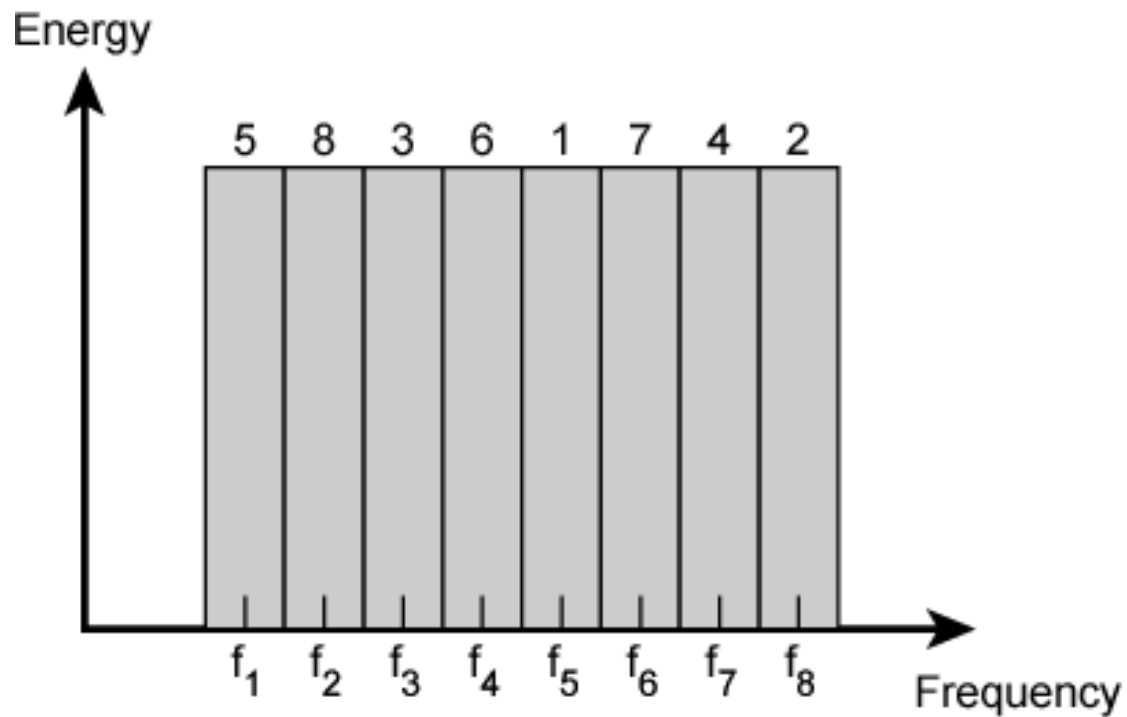
"Inventions are easy for me to do, the Austrian accented LaMarr says in 'Bombshell.' I don't have to work on ideas, they come naturally."

# Frequency-Hop Spread Spectrum

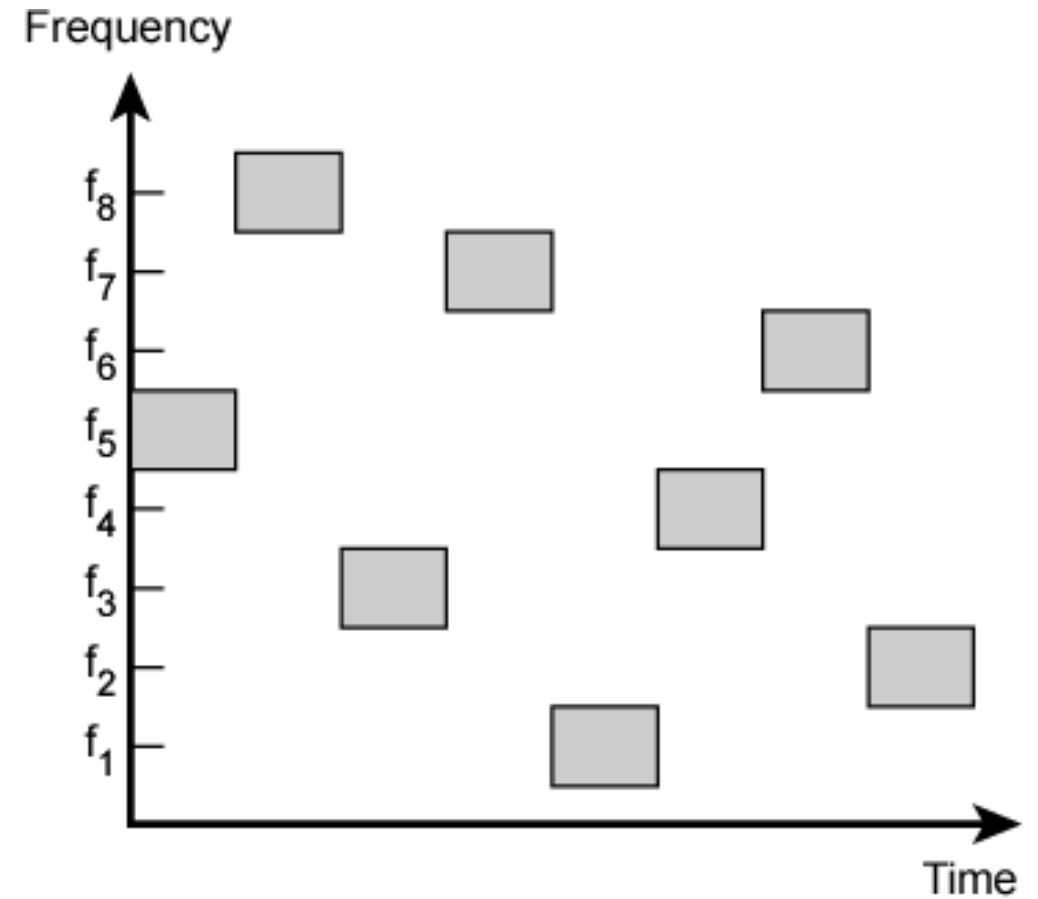
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- The type of spread spectrum in which the carrier hops randomly from one frequency to another is called *frequency-hop (FH) spread spectrum*
- A common modulation format for FH system is that of a *M-ary frequency-shift keying (MFSK)*
- Since, the hopping does not cover the entire spread spectrum instantaneously, we are led to consider the rate at which the hops occur

# Frequency Hopping Example

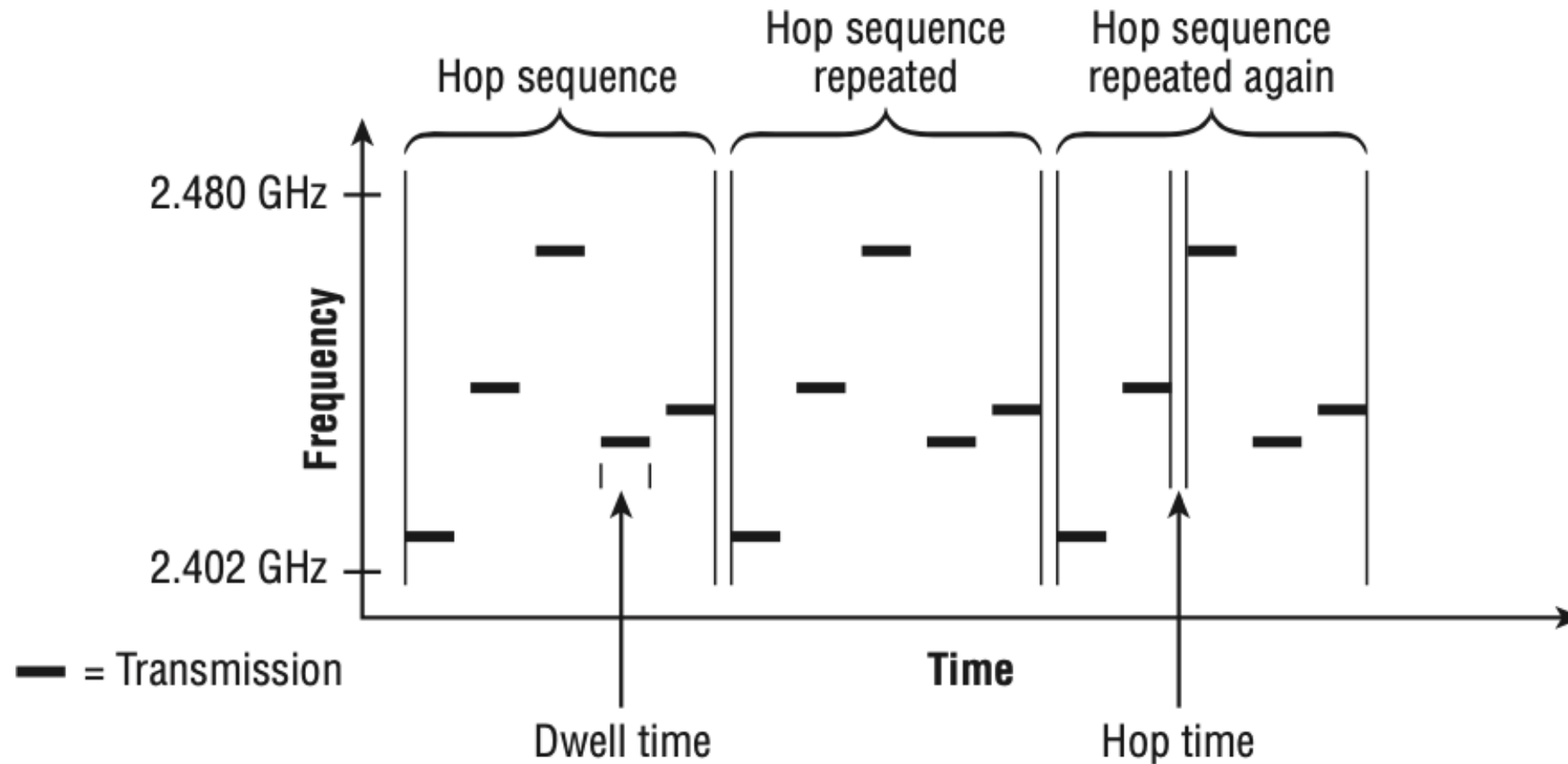


(a) Channel assignment



(b) Channel use

# Frequency Hopping Example



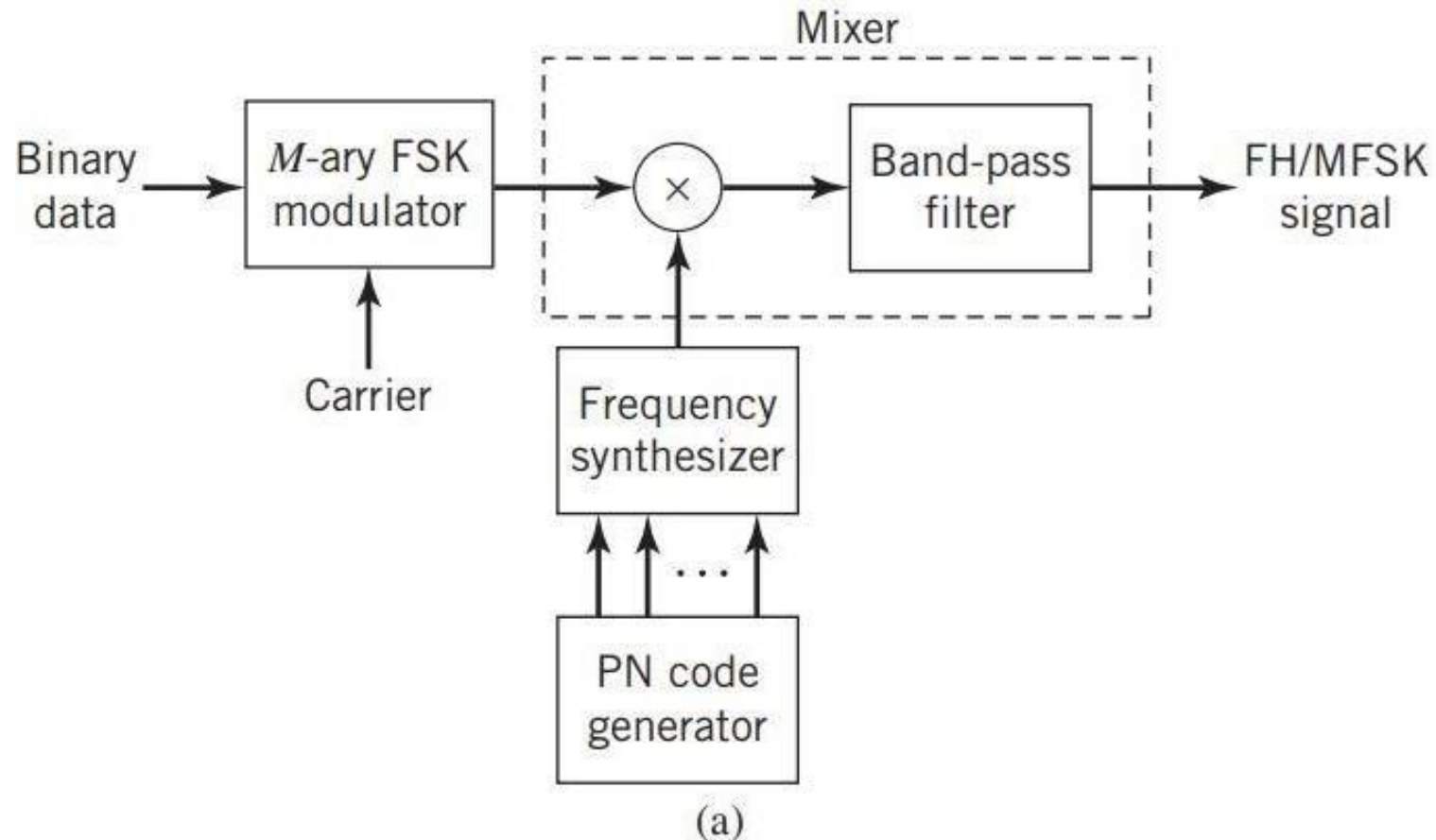
# Frequency-Hop Spread Spectrum

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- Two basic (technology-independent) characterization of frequency hopping are identified as:
  - i* **Slow-frequency hoping**, in which the **symbol rate  $R_s$**  of the MFSK signal is an integer multiple of the **hop rate  $R_h$**
  - ii* **Fast-frequency hoping**, in which the **hop rate  $R_h$**  is an integer multiple of the of the MFSK signal  **$R_s$**

# Slow-Frequency Hopping

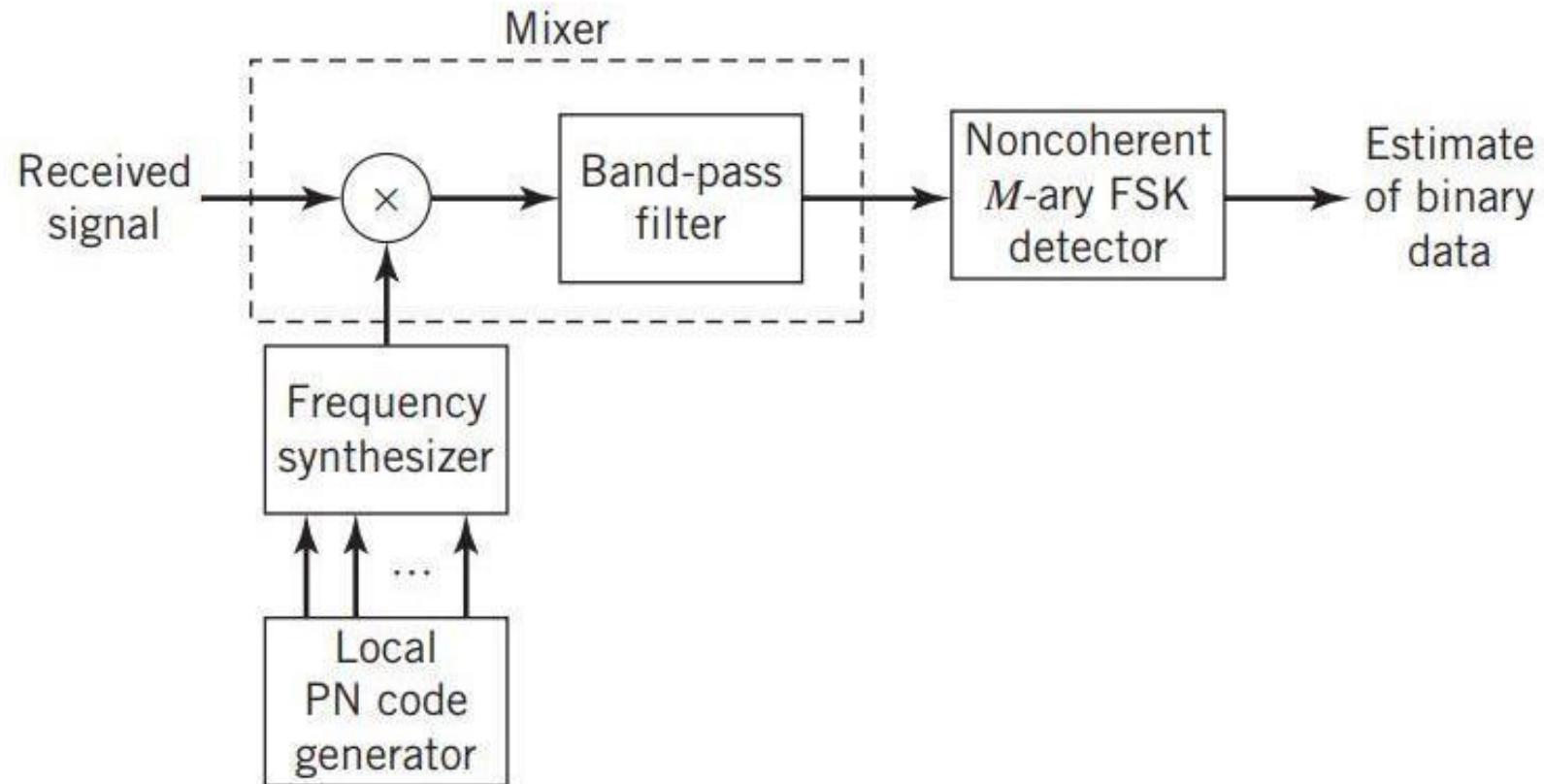
- Frequency-hop M-ary frequency-shift keying: Transmitter





# Slow-Frequency Hopping

- Frequency-hop M-ary frequency-shift keying: Receiver



(b)



# Slow-Frequency Hopping

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- The fig (a) shows the block diagram of an FH/MFSK transmitter, which involves *frequency modulation* followed by *mixing*
- In the receiver depicted in fig (b), the frequency hopping is first removed by *mixing* the received signal with the output of a local frequency synthesizer
- An individual FH/MFSK tone of shortest duration is referred to as a *chip*
- The *chip rate*,  $R_c$ , for an FH/MFSK system is given by:  $R_c = \max(R_h, R_s)$
- Here,  $R_h$  is the *hop rate* and  $R_s$  is the *symbol rate*

# Slow-Frequency Hopping

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- In a slow FH/MFSK system, the bit rate  $R_b$ , the symbol rate  $R_s$ , the chip rate  $R_c$  and the hop rate  $R_h$  are related by:

$$R_c = R_s = \frac{R_b}{K} \geq R_b \quad \text{where, } K = \log_2 M$$

- The spread-spectrum system is characterized by *the symbol energy-to-noise spectral density ratio* given by:

$$\frac{E}{N_0} = \frac{P/J}{W_c/R_s}$$

- Here,  $W_c$  is the FH bandwidth
- The ratio  $P/J$  is the reciprocal of jamming margin

# Slow-Frequency Hopping

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- Also, the processing gain ( $PG$ ) of the slow FH/MFSK system is given by:

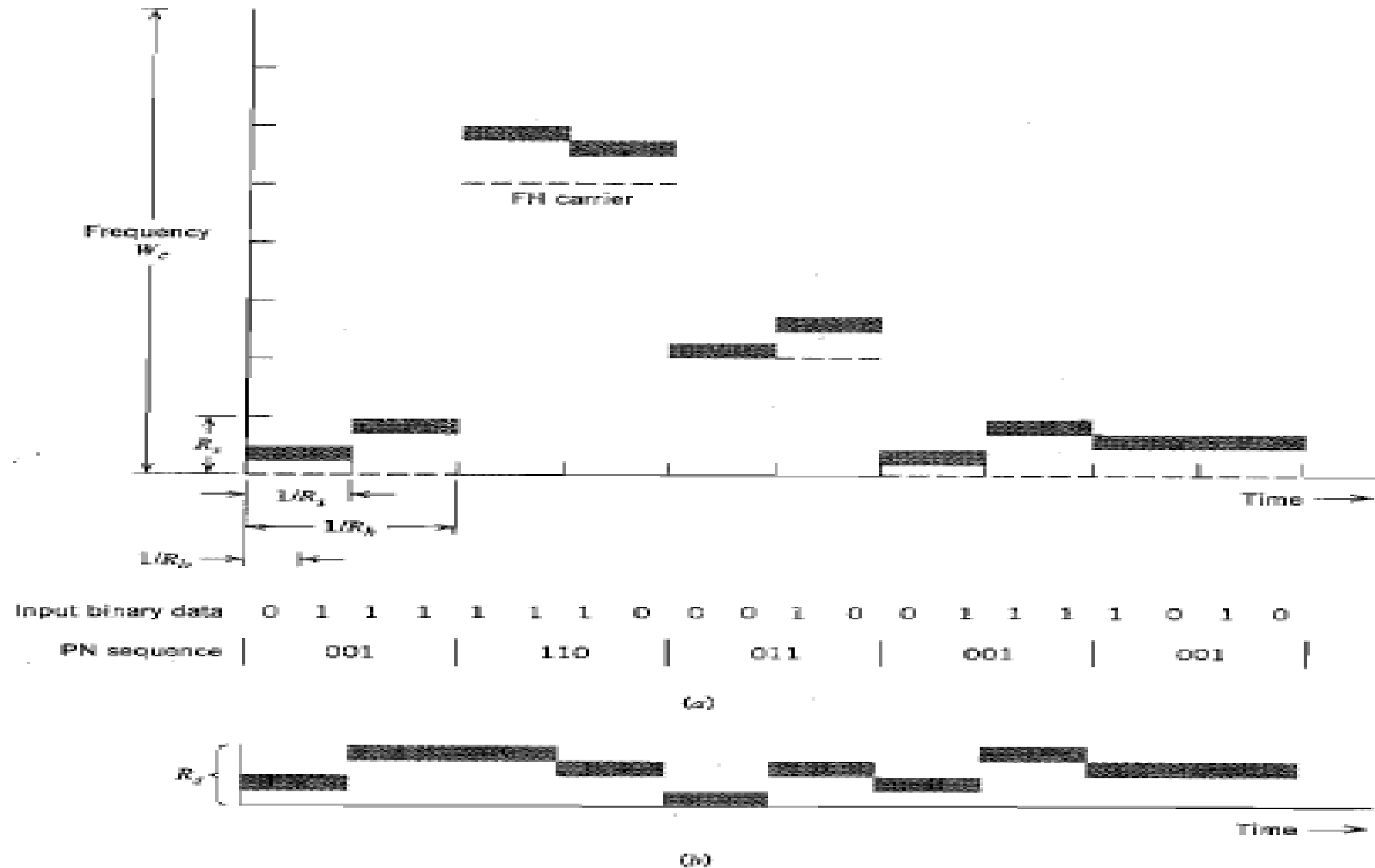
$$PG = \frac{W_c}{R_s} = 2^k$$

- The processing gain (expressed in  $dB$ ) is equal to  $10 \log_{10} 2^k \cong 3k$
- Here,  $k$  is the length of the PN segment employed to select a frequency hop

# Numerical

---

- Illustrate the variation of the frequency of a slow FH/MFSK signal with time for one complete period of the PN sequence. The FH/MFSK signal has the following parameters.
- Number of bits per MFSK symbol  $K=2$
- Length of PN segment per hop  $k= 3$
- Number of flip-flops in Shift register  $m= 4$
- Number of MFSK tones  $M=?$
- Total number of frequency hops = ?
- Period of PN sequence = ?
- Transmit two symbols in one hop

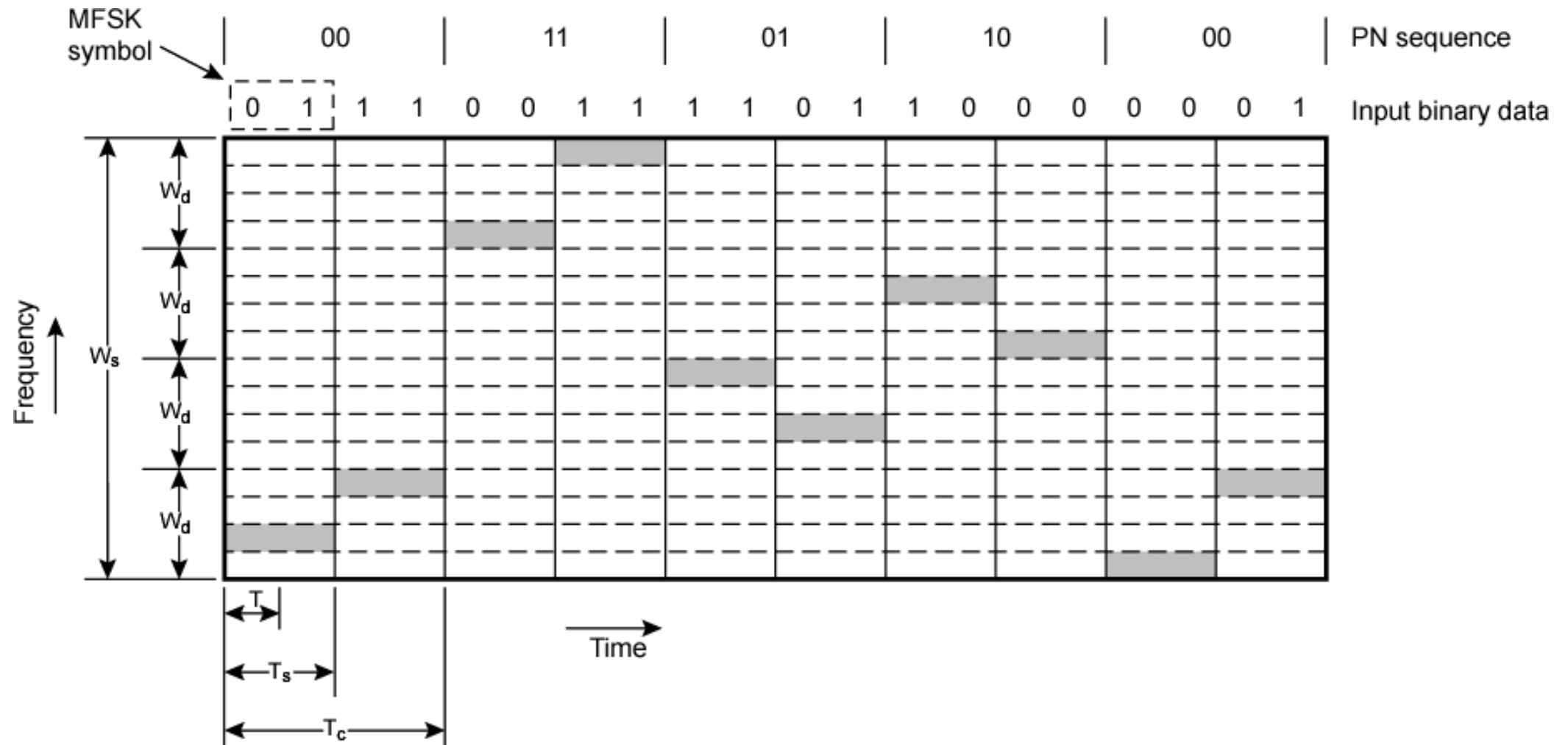


**FIGURE 7.11** Illustrating slow-frequency hopping. (a) Frequency variation for one complete period of the PN sequence. (b) Variation of the dehopped frequency with time.

# Slow Frequency Hop Spread Spectrum Using MFSK ( $M=4$ , $k=2$ )

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# Slow Frequency Hop Spread Spectrum Using MFSK ( $M=4$ , $k=2$ )





# Fast-Frequency Hopping

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- In general, a fast-frequency hopping is used to defeat a smart jammer's tactic that involves two functions:
  - i. Measurement of the spectral content of the transmitted signal
  - ii. Returning of the interfering signal to that portion of the frequency band
- To overcome the jammer, the transmitted signal must be hopped to a new carrier frequency before the jammer is able to process the two functions
- The data recovery at the receiver is noncoherent detection

# Fast-Frequency Hopping

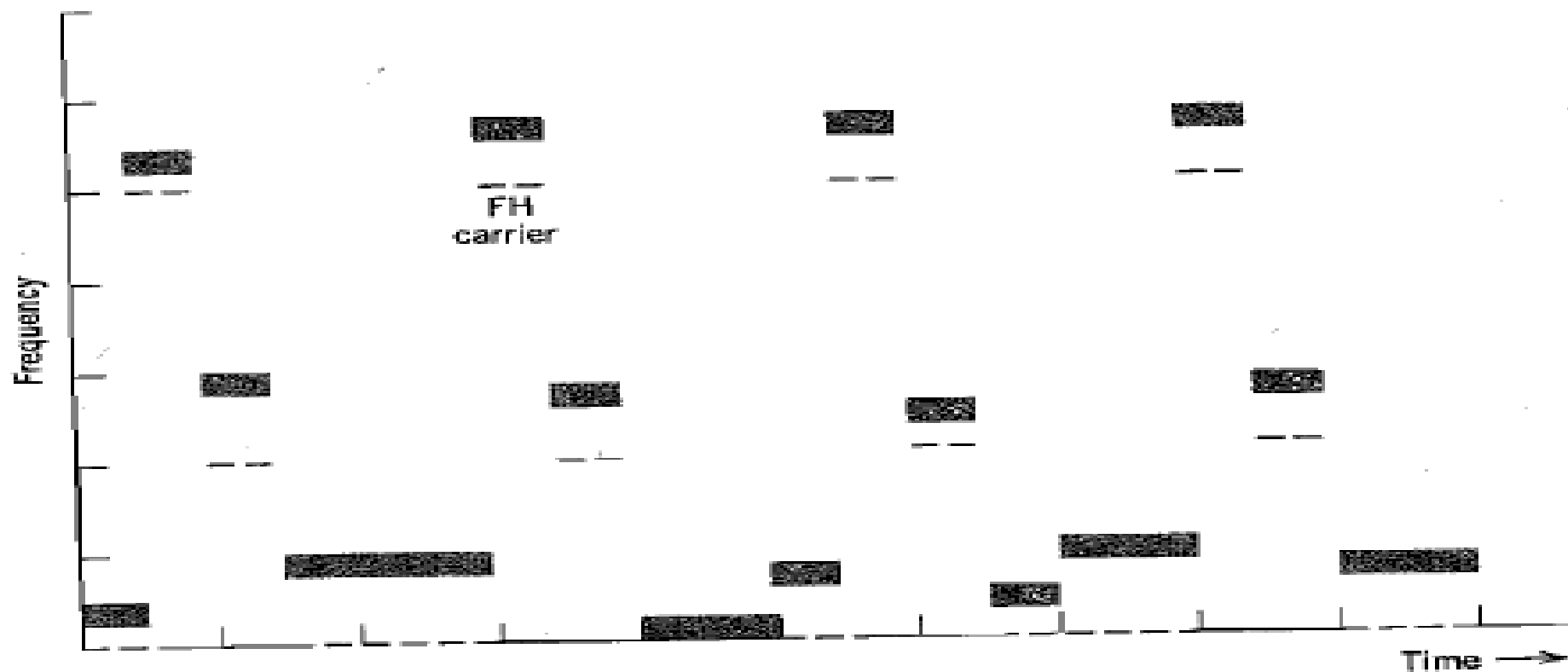
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- The detection procedure of a fast-frequency hopping are:
  - i. For each FH/MFSK symbol, separate decisions are made on the  $K$  frequency-hop chips received
  - ii. For each FH/MFSK symbol, likelihood functions are computed as functions of the total signal received over  $K$  chips, and the largest one is selected

# Numerical

---

- Illustrate the variation of the frequency of a slow FH/MFSK signal with time. The FH/MFSK signal has the following parameters.
- Number of bits per MFSK symbol  $K=2$
- Length of PN segment per hop  $k=3$
- Number of MFSK tones  $M=?$
- Total number of frequency hops = ?
- Transmit one symbol in two hop

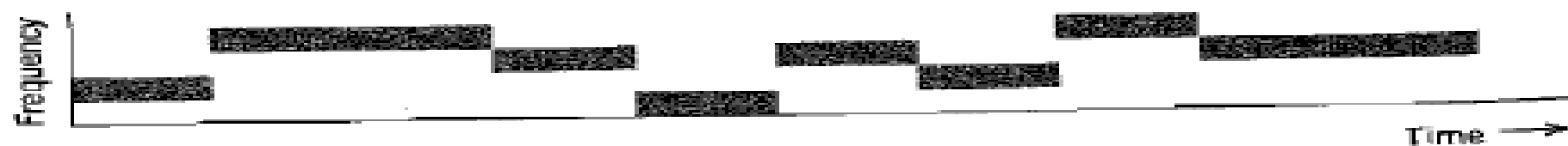


Input binary data    MFSK symbol

0	1	1	1	1	1	0	0	0	1	0	0	1	1	1	1	0	1	0
---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---

PN sequence    001110011001001001110011001001001110011001001001110011001001

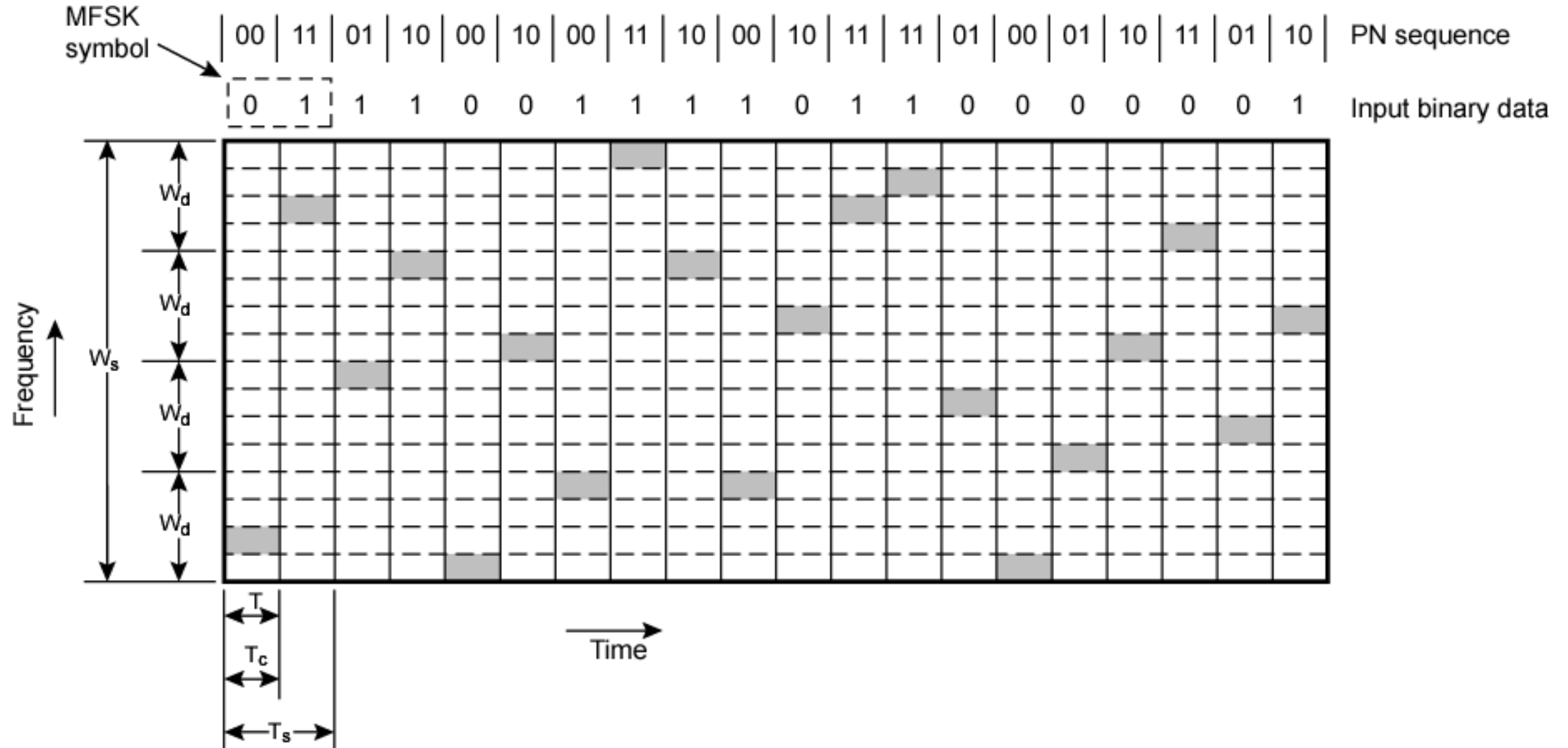
(a)



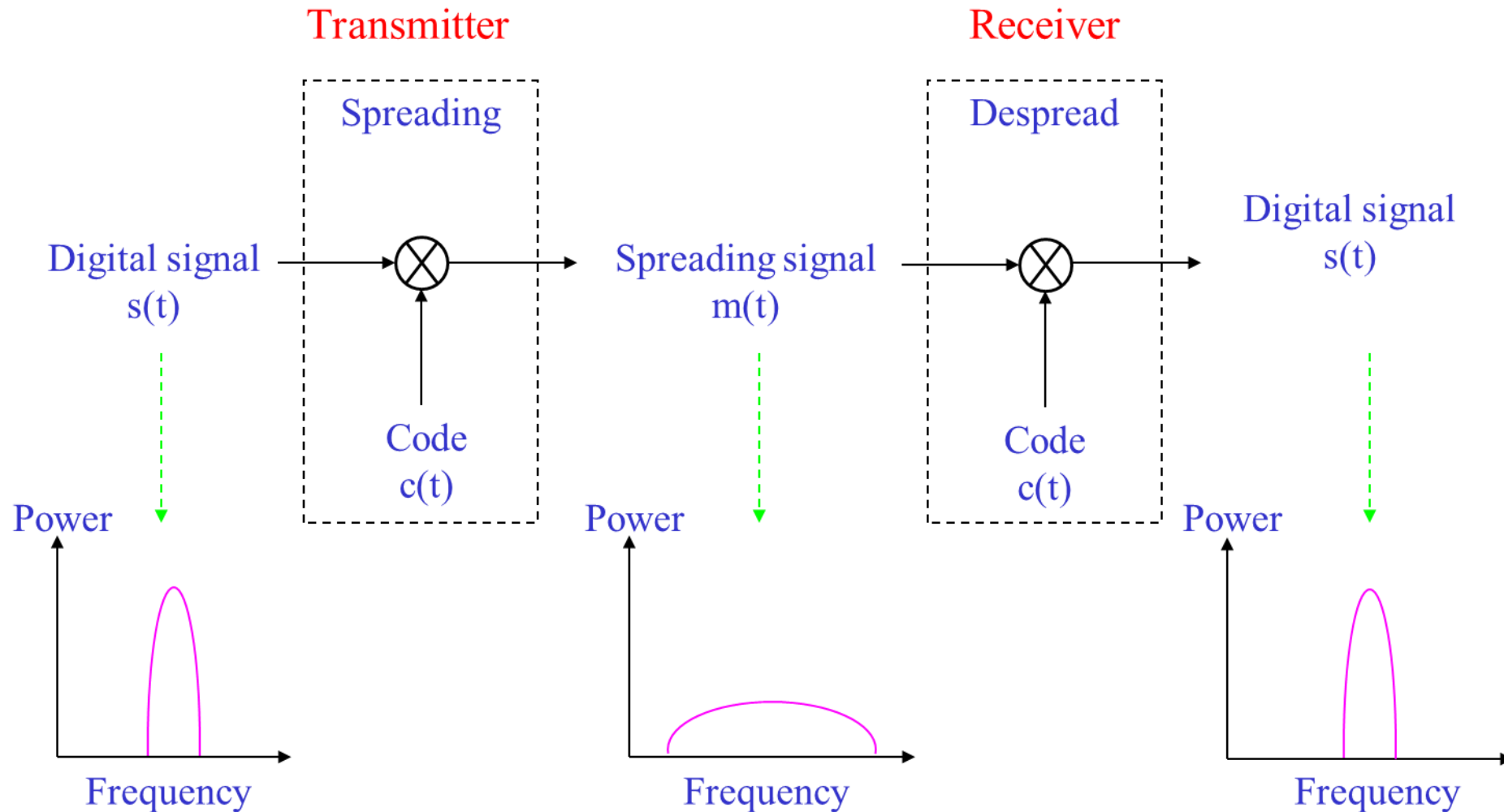
# Fast Frequency Hop Spread Spectrum Using MFSK ( $M=4$ , $k=2$ )

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# Fast Frequency Hop Spread Spectrum Using MFSK ( $M=4$ , $k=2$ )

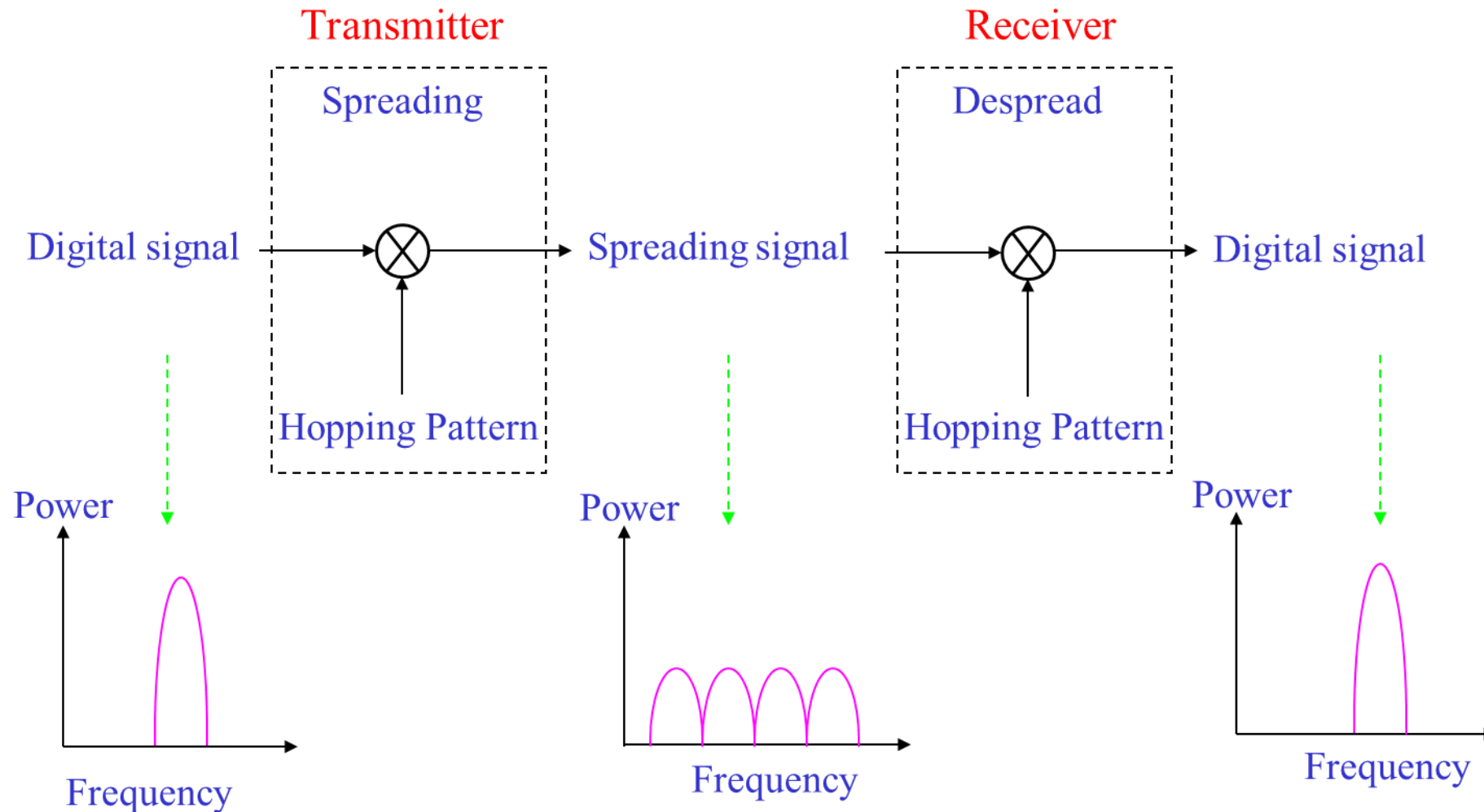


# Concept of Direct Sequence Spread Spectrum





# Concept of Frequency Hopping Spread Spectrum



# Benefits of Spread Spectrum

