

% Equation of tangent line passing through (x1, y1)

```
syms x
y = input('Enter a function in terms of x: ')
x1 = input('Enter the x value at which the tangent has to be found: ')
y1 = subs(y,x,x1) % substitute x by x1 in y
plot(x1, y1,'black')
hold on
ezplot(y, [x1-2, x1+2]) % graph of the curve in domain D
yd = diff(y,x)
slope = subs(yd,x,x1)
Tgn_line = slope*(x-x1) + y1 %Equation of tangent line
h = ezplot(Tgn_line,[x1-2, x1+2]) %Plotting the tangent line
set(h, 'color','red')
xlabel('x-axis')
ylabel('f(x)')
```

%Second derivative test for local maxima

```
syms x real
f = input('Enter the function: ');
fx = diff(f,x);
fxx = diff(fx,x);
c = solve(fx);
c = double(c);
fprintf('There are %d critical points, and are shown below', length(c))
disp(c)
```

%Graph of a function, its first and second derivative in domain D

```
cmin = min(c);
cmax = max(c);
D = [cmin-0.5, cmax+0.5]
cmin=min(c);
cmax=max(c);
D=[cmin-0.5, cmax+0.5];
hold on
ezplot(f,D)
h=ezplot(fx,D);
set(h,'color','red')
e=ezplot(fxx,D);
set(e,'color','green')
legend(' f ', ' f_x ', ' f_x_x ')
for i = 1:length(c)
T1 = subs( fxx, x ,c(i) );
%T1 = double(T1);
T3 = subs(f, x, c(i));
```

```

%T3 = double(T3);
if (T1==0)
fprintf('\n The test fails at x = %d.', c(i))
elseif (T1 < 0)
fprintf('\n The maximum point occurs at x = %d.', c(i))
fprintf('\n The maximum value of the function is f(%d)=%d.', c(i), T3)
else
fprintf('\n The minimum point occurs at x = %d.', c(i))
fprintf('\n The minimum value of the function is f(%d)=%d.\n', c(i), T3)
end
plot(c(i), T3, 'red*', 'markersize', 15);
end
plot(0, 0, 'red*', 'markersize', 15)
title('Maxima and Minima for a function f(x) of a single variable')
xlabel('x-axis')
ylabel('f(x)')
cmin = min(c);
cmax = max(c);
D = [cmin-0.5, cmax+0.5]
cmin=min(c);
cmax=max(c);
D=[cmin-0.5, cmax+0.5];
hold on
ezplot(f,D)
h=ezplot(fx,D);
set(h,'color','red')
e=ezplot(fxx,D);
set(e,'color','green')
legend(' f ', ' f_x ', ' f_x_x ')
for i = 1:length(c)
T1 = subs( fxx, x ,c(i) );
%T1 = double(T1);
T3 = subs(f, x, c(i));
%T3 = double(T3);
if (T1==0)
fprintf('\n The test fails at x = %d.', c(i))
elseif (T1 < 0)
fprintf('\n The maximum point occurs at x = %d.', c(i))
fprintf('\n The maximum value of the function is f(%d)=%d.', c(i), T3)
else
fprintf('\n The minimum point occurs at x = %d.', c(i))
fprintf('\n The minimum value of the function is f(%d)=%d.\n', c(i), T3)
end
plot(c(i), T3, 'red*', 'markersize', 15);
end

```

```
plot(0, 0, 'red*', 'markersize', 15)
title('Maxima and Minima for a function  $f(x)$  of a single variable')
xlabel('x-axis')
ylabel('f(x)')
```

OUTPUT WINDOW:

Enter a function in terms of x:

x^2

y =

x^2

Enter the x value at which the tangent has to be found:

2

x1 =

2

y1 =

4

yd =

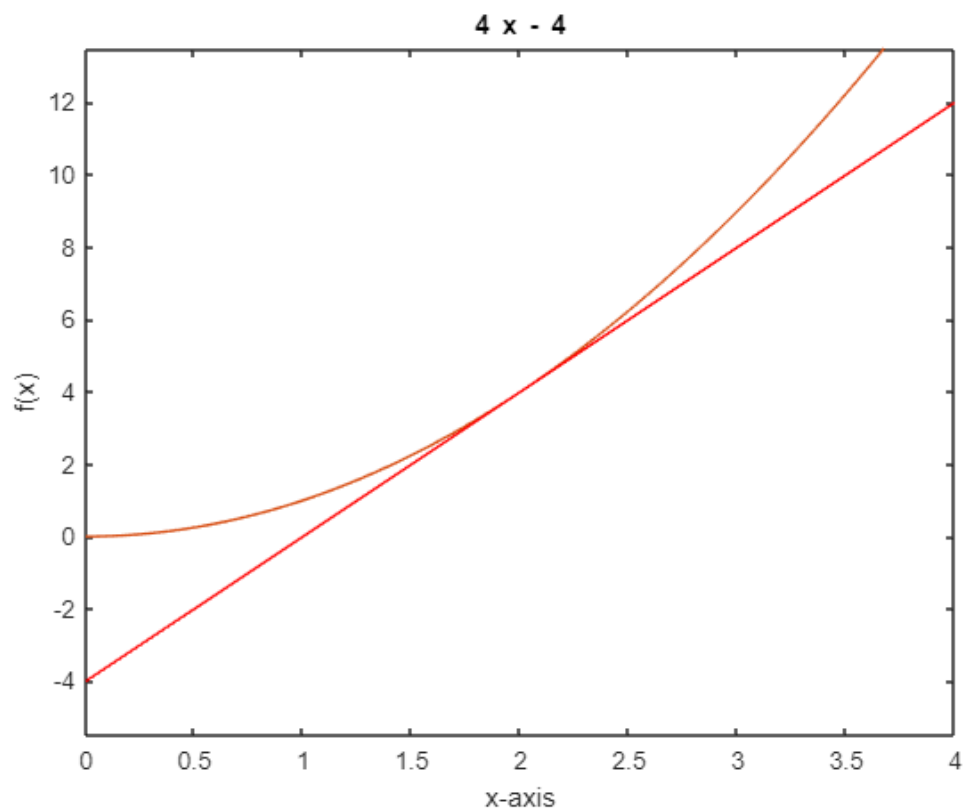
$2*x$

slope =

4

Tgn_line =

$4*x - 4$



```
>> h =
```

```
c =
```

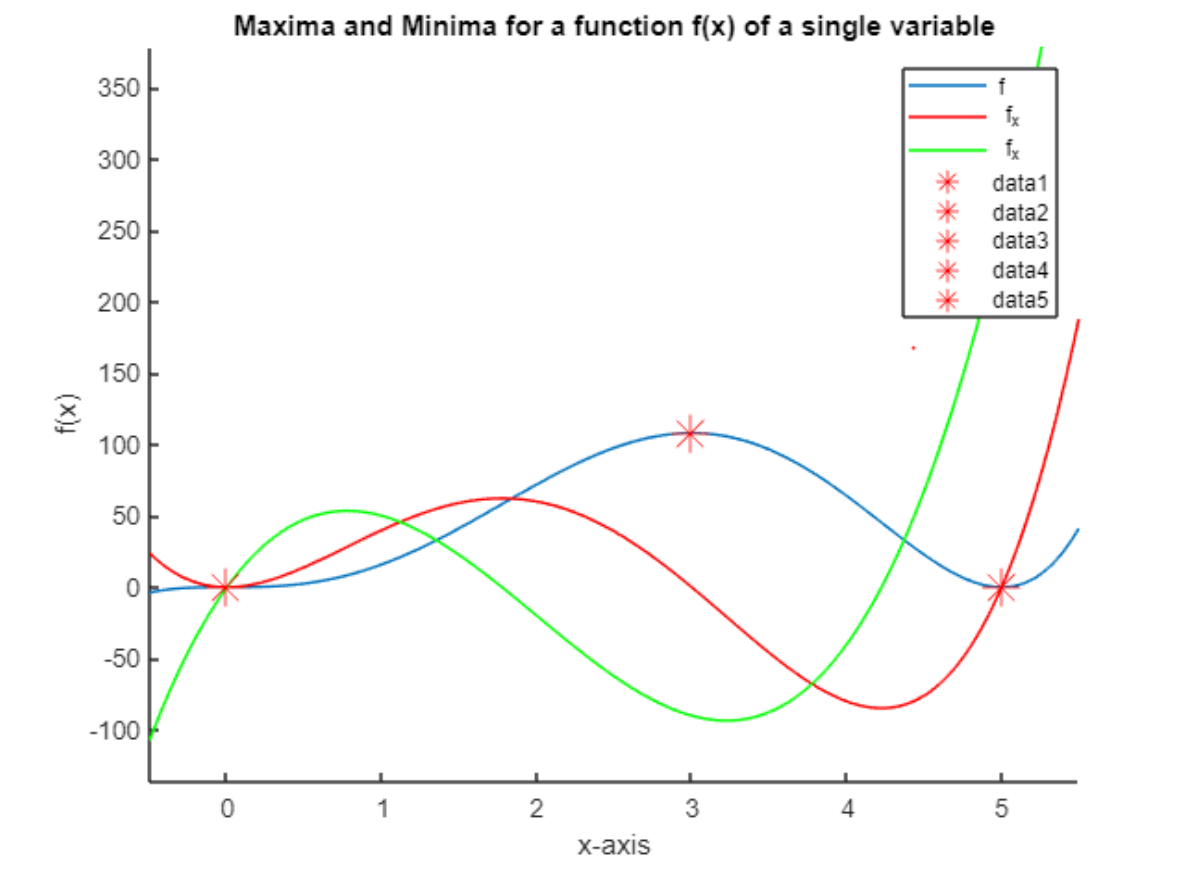
```
0
```

```
0
```

```
3
```

```
5
```

```
>> There are 4 critical points, and are shown below
```



```
>>>
```

```
D =
```

```
-0.5000    5.5000
```

The test fails at $x = 0$.

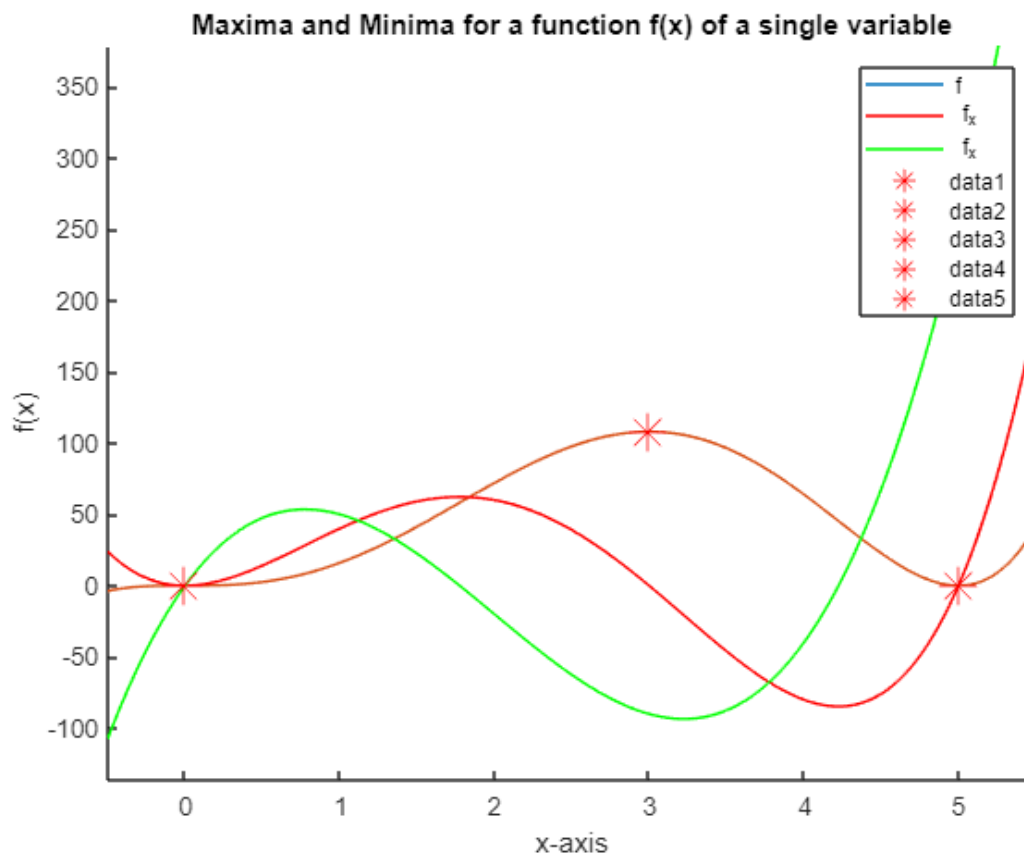
The test fails at $x = 0$.

The maximum point occurs at $x = 3$.

The maximum value of the function is $f(3)=108$.

The minimum point occurs at $x = 5$.

The minimum value of the function is $f(5)=0$.



There are 4 critical points, and are shown below

0
0
3
5

D =

-0.5000 5.5000

The test fails at $x = 0$.

The test fails at $x = 0$.

The maximum point occurs at $x = 3$.

The maximum value of the function is $f(3)=108$.

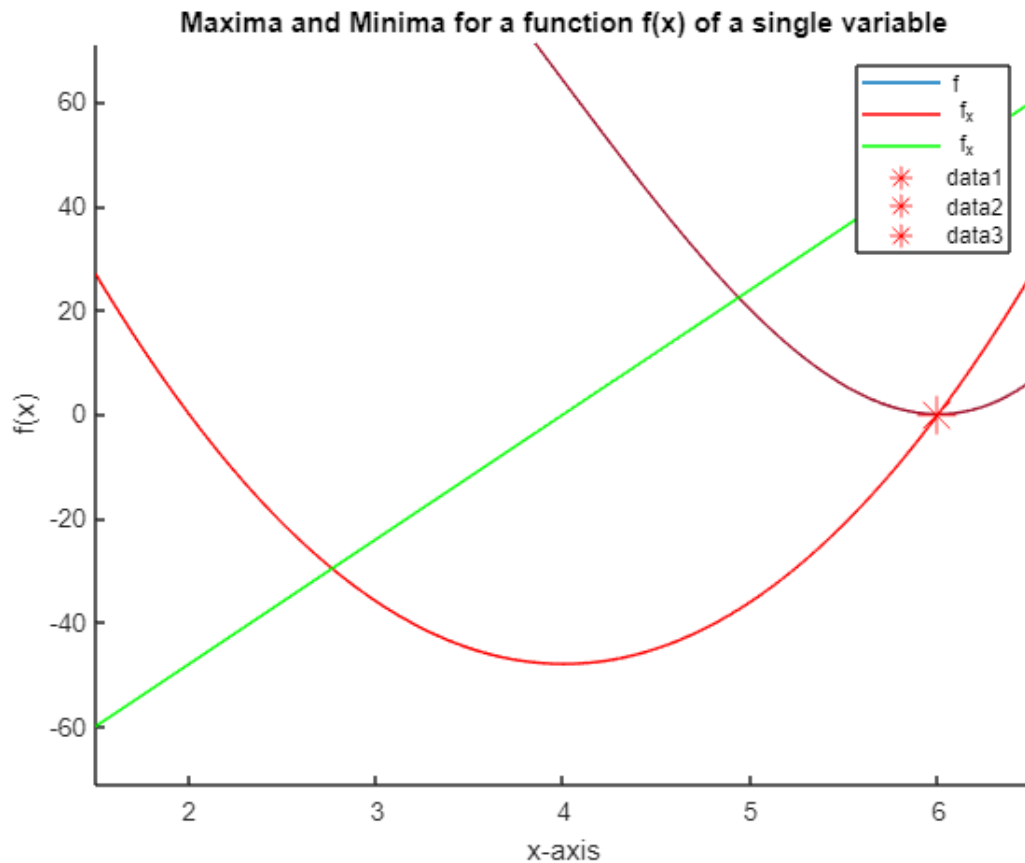
The minimum point occurs at $x = 5$.

The minimum value of the function is $f(5)=0$.

D =

-0.5000 5.5000

The test fails at $x = 0$.
 The test fails at $x = 0$.
 The maximum point occurs at $x = 3$.
 The maximum value of the function is $f(3)=108$.
 The minimum point occurs at $x = 5$.
 The minimum value of the function is $f(5)=0$.



There are 2 critical points, and are shown below 2
 6

D =

1.5000 6.5000

The maximum point occurs at $x = 2$.
 The maximum value of the function is $f(2)=128$.
 The minimum point occurs at $x = 6$.
 The minimum value of the function is $f(6)=0$.

D =

1.5000 6.5000

The minimum value of the function is $f(6)=0$.

D =

-1.6547 1.6547

The minimum point occurs at $x = -1.154701e+00$.

The minimum value of the function is $f(-1.154701e+00)=-3$.

The maximum point occurs at $x = 1.154701e+00$.

The maximum value of the function is $f(1.154701e+00)=3$.