Reg. No.:

Name :



## Continuous Assessment Test (CAT)-I – January 2023

Programme	: B.Tech	Semester	: Winter Semester 2023
Course Code	: BMAT202L	Class	: CH2022235002615,17,19,
	Probability and Statistics	Nbr(s)	21,23,35,32,30,28,25,37
Faculty(s)	Dr. Kaliyappan M, Dr. Revathi G K, Dr. Jaganathan B, Dr. Hannah Grace G, Dr. Sudip Debnath. Dr. Mythili G. Y, Dr. K. Sethu Kumarasamy, Dr. Sushmitha P, Dr. Kamalesh Acharya, Dr. Ashish Kumar Nandi, Dr. Sandip Daluil	Slot	: E1+TE1
Time :	90 Minutes	Max. Marks	: 50

## Answer all the Questions

 $(5 \times 10 = 50 \text{ Marks})$ 

Q. No.	Sub- division	Question Text							Marks 10	
1.	UIVISIOII	The marks obtained by a set of students is tabulated below. Find the median and mode of the data given that the mean marks (rounded off to decimal places) is 43.48.								
		Marks	10-19	20-29	30-39	40-49	50-59	60-69	70-79	
		Students	4	8	11	?	12	6	3	
	_	For a group of 100 candidates, the mean and standard deviation of their marks were found to be 60 and 15 respectively. Later on it was found that the scores 45 and 72 were wrongly entered as 40 and 27. Find the corrected mean and standard deviation.								
2.		were found and 72 wer	to be 60	and 15 re	enectively	Later on	it was iou	na mai me	300103 43	5+5
2.	(b)	were found and 72 wer	to be 60 e wrongl	and 15 re y entered	espectively as 40 and	. Later on 27. Find tl	ne correcte	ed mean ar	nd standard	
2.	(b)	were found and 72 wer deviation.  Find the co	to be 60 e wrongl	and 15 re y entered	espectively as 40 and	. Later on 27. Find tl	ne correcte	ed mean ar	nd standard	

3.	If X is a rando	m variable wł	nose probabili	ty distribution	function is gi	ven by	10
	$f(x) = \begin{cases} px^2, & x = 1,2,3\\ 0, & otherwise \end{cases}$						
	Find the value of $p$ , hence find the mathematical expectation, variance and moment generating function of $X$ .						
4.	Let the two-dimensional random variable $(X,Y)$ have the joint probability density function $f_{XY}(x,y) = \begin{cases} k(x+y^2) & 0 < x < 1, 0 < y < 1 \\ 0, & \text{otherwise.} \end{cases}$ Then  (i) Find the value of $k$ .  (ii) Find the marginal probability density functions $f_X(x)$ and $f_Y(y)$ .  (iii) Are the random variables $X$ and $Y$ independent?  (iv) Find $P(X+Y<1)$						
5	Marks obtained by 5 students in Algebra and Geometry are given below:						
	Algebra	16	15	k	10	8	
	Geometry	11	18	10	20	17	
	Compute the value of k from the above table if the Pearson correlation coefficient is -0.424						