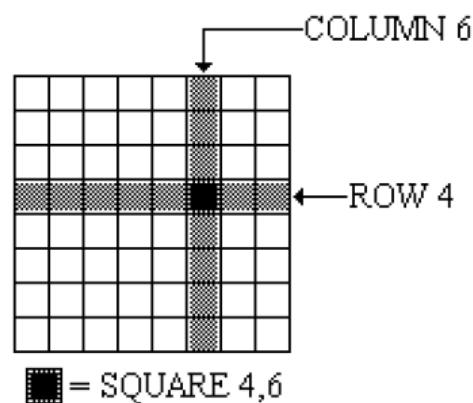


In chess it is possible to place eight or N queens on the board so that no one queen can be taken by any other. Write a program that will determine all such possible arrangements for N queens given the initial position of one of the queens.

Do not attempt to write a program which evaluates every possibility. For example there are 8 configuration of 8 queens placed on the board. This would require 8^8 evaluations and would bring the system to its knees. There will be a reasonable run time constraint placed on your program.

Input

Input to your program will be the N size of the board and two numbers separated by a blank. The numbers represent the square on which one of the N queens must be positioned. A valid square will be represented; it will not be necessary to validate the input. To standardize our notation, assume that the upper left-most corner of the board is position (1,1). Rows run horizontally and the top row is row 1. Columns are vertical and column 1 is the left-most column. Any reference to a square is by row then column; thus square (4,6) means row 4, column 6.



Output

Output from your program will consist of a one-line-per-solution representation. Each solution will consist of N numbers. Each of the N numbers will be the ROW coordinate for that solution. The column coordinate will be indicated by the order in which the N numbers are printed. That is, the first number represents the ROW in which the queen is positioned in column 1; the second number represents the ROW in which the queen is positioned in column 2, and so on, as follow:

Solution

c1 c2 c3 c4 c5 c6 c7 c8 ... cN

...

Include the headings as shown below in the sample output and print the solutions in lexicographical order.

Sample Input

8
1 1
5
1 1

Sample Output

Solution

1 5 8 6 3 7 2 4
1 6 8 3 7 4 2 5
1 7 4 6 8 2 5 3
1 7 5 8 2 4 6 3

Solution

1 3 5 2 4
1 4 2 5 3