Tutorial -2

$$A-1 \rightarrow \text{ void func (intn)}$$
 $P \text{ int } j=1, i=0$

while (ixn)

 $P \text{ int } j=1, i=0$
 $P \text{ while (ixn)}$
 $P \text{ int } j=1, i=0$
 P

$$\Rightarrow$$
 $o(n)$

$$j = 1$$
 $i = 0 + 1$
 $j = 2$ $i = 0 + 1 + 2$
 $j = 3$ $i = 0 + 1 + 2 + 3$
 $i \Rightarrow = n$
 $0 + 1 + 2 + 3 + - - + k > = n$
 $K(K+1) \Rightarrow = n$
 $K^2 \neq = n$
 $K = \sqrt{n}$

$$\frac{A-2}{T(n)} \Rightarrow T(n) = \begin{cases} f(n+1) + T(n-2) \\ T(0) = T(1) = 1 \end{cases}$$

$$f(n-1) \approx f(n-2)$$

$$\Rightarrow T(n) = QT(n-1) \Rightarrow T(n-1) = QT(n-2)$$

$$T(n) = Q(Q(T(n-2))) \Rightarrow T(n) = Q^{K}T(n-K)$$

$$T(n) = Q^{N}T(n-n) = Q^{N} \cdot 1 = T(n) = Q^{N}$$

$$\Rightarrow O(Q^{N})$$

$$\frac{A-3}{} \rightarrow O(n(\log n)) \qquad \text{for } (i=0 \text{ ; i} \times n \text{ ; i} + t)$$

$$\text{for } (j=1; j \times n \text{ ; } j=j*2)$$

$$O(1)$$

A-4 >
$$T(n) = T(n/4) + T(n/2) + cn^2$$

Let's assume $T(n/2) > = T(n/4)$
So, $T(n) = 2T(\frac{n}{2}) + cn^2$
applying M.T. $T(n) = aT(\frac{n}{b}) + T(n)$
 $a = 2$, $b = 2$, $f(n) = n^2$
 $C = logb = log2 = 1$
 $m^2 = m$
Compare n^2 and $f(n) = n^2$
 $f(n) > n^2$, So, $T(n) = O(n^2)$

$$\frac{A-5}{\text{for}(j=1; j < n; j+1)} = \frac{A-5}{\text{for}(j=1; j < n; j+1)} = \frac{A-5}{\text{for}(j=1; j < n; j+1)} = \frac{A-5}{\text{for}(j=1; j < n; j+1)} = \frac{A-6}{\text{for}(j=2; j < n; j+1)} = \frac{A-$$

- A=0 (b) 1, log(log(n)), Iog(n), log(n), log(n), log(n), log(n), $n^2 = 2^n$, n!
- A-8 (c) 96, son, togs N log 2N, mlog 5n,

 mlog 6(n), Inlog (n) log (n), 0 (8n²),

 7n³, 8²n, 2n;

A=7 Quick Sort RR =
$$T(n) = T(k) + T(n-k-1) + n$$

 $T(n) = T(0) + T(n-1) + n$
 $T(n) = T(n-1) + n$
= $T(n-2) + n-1 + n$
= $T(n-k) + (n-k+1) + \cdots + n-1 + n$
 $n-k=0 \Rightarrow k=n$

7 Ft, 1+2+3+--+ n-1+n