## Shape and Variation analysis

import pandas as pd
import matplotlib.pyplot as plt
import numpy as np
import seaborn as sns

df = pd.read\_csv("/content/FuelConsumptionCo2.csv")
df

	MODELYEAR	MAKE	MODEL	VEHICLECLASS	ENGINESIZE	CYLINDERS	TRANSMISSION	FUELTYPE	FU
0	2014	ACURA	ILX	COMPACT	2.0	4	AS5	Z	
1	2014	ACURA	ILX	COMPACT	2.4	4	M6	Z	
2	2014	ACURA	ILX HYBRID	COMPACT	1.5	4	AV7	Z	
3	2014	ACURA	MDX 4WD	SUV - SMALL	3.5	6	AS6	Z	
4	2014	ACURA	RDX AWD	SUV - SMALL	3.5	6	AS6	Z	
1062	2014	VOLVO	XC60 AWD	SUV - SMALL	3.0	6	AS6	Х	
1063	2014	VOLVO	XC60 AWD	SUV - SMALL	3.2	6	AS6	X	
1064	2014	VOLVO	XC70 AWD	SUV - SMALL	3.0	6	AS6	X	
1065	2014	VOLVO	XC70 AWD	SUV - SMALL	3.2	6	AS6	Х	
1066	2014	VOLVO	XC90 AWD	SUV - STANDARD	3.2	6	AS6	Х	

1067 rows × 13 columns



df.head()

	MODELYEAR	MAKE	MODEL	VEHICLECLASS	ENGINESIZE	CYLINDERS	TRANSMISSION	FUELTYPE	FUELC
0	2014	ACURA	ILX	COMPACT	2.0	4	AS5	Z	
1	2014	ACURA	ILX	COMPACT	2.4	4	M6	Z	
2	2014	ACURA	ILX HYBRID	COMPACT	1.5	4	AV7	Z	
3	2014	ACURA	MDX 4WD	SUV - SMALL	3.5	6	AS6	Z	

df.describe()
df.info()

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 1067 entries, 0 to 1066
Data columns (total 13 columns):

#	Column	Non-Null Count	Dtype
0	MODELYEAR	1067 non-null	int64
1	MAKE	1067 non-null	object
2	MODEL	1067 non-null	object
3	VEHICLECLASS	1067 non-null	object
4	ENGINESIZE	1067 non-null	float64
5	CYLINDERS	1067 non-null	int64
6	TRANSMISSION	1067 non-null	object
7	FUELTYPE	1067 non-null	object
8	FUELCONSUMPTION_CITY	1067 non-null	float64
9	FUELCONSUMPTION_HWY	1067 non-null	float64
10	FUELCONSUMPTION_COMB	1067 non-null	float64
11	. FUELCONSUMPTION_COMB_MPG	1067 non-null	int64
12	CO2EMISSIONS	1067 non-null	int64

dtypes: float64(4), int64(4), object(5)

memory usage: 108.5+ KB

cdf = df["CO2EMISSIONS"]
vvb = df["CYLINDERS"]

type(cdf)

pandas.core.series.Series

cdf

Name: CO2EMISSIONS, Length: 1067, dtype: int64

plt.plot(cdf)

```
[<matplotlib.lines.Line2D at 0x7f968ebe9be0>]

500
450
400
350
250
200
150
0
200
400
600
800
1000
```

```
cdf.mean()
     256.2286785379569

cdf.median()
     251.0
```

Degrees of freedom refer to the number of independent pieces of information that are used to calculate a statistic

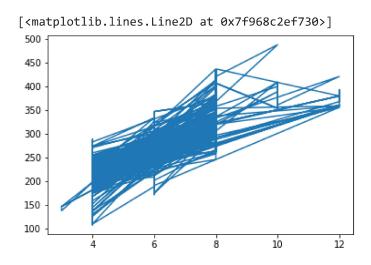
```
# standard deviation
# default ddof = 1
# divded by n - 1
cdf.std()
     63.372304442800065
# standard deviation
\# ddof = 0
# divded by n
cdf.std(ddof=0)
     63.34260099404252
# variance with ddof = 0
\# sum((x_i - x_mean)^2) / n
cdf.var(ddof = 0)
     4012.2851006904766
# variance with ddof = 1
\# sum((x_i - x_mean)^2) / (n-1)
cdf.var(ddof = 1)
```

4016.048970390937

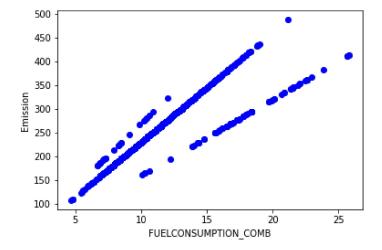
# mean (average) absolute deviation
cdf.mad()

51.04539613470135

plt.plot(vvb, cdf )



plt.scatter(df.FUELCONSUMPTION\_COMB, df.CO2EMISSIONS, color = 'blue')
plt.xlabel("FUELCONSUMPTION\_COMB")
plt.ylabel("Emission")
plt.show()



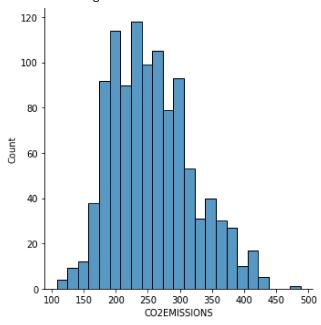
plt.bar(cdf, vvb)



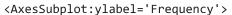


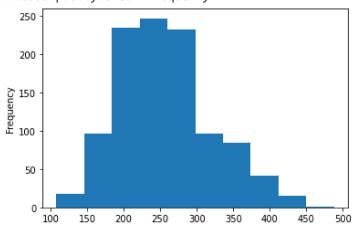
sns.displot(cdf)

<seaborn.axisgrid.FacetGrid at 0x7f968b933fd0>



cdf.plot(kind="hist")





from the visual analysis we get to know that the chosen data is almost a positively skewed

## Skewness

cdf.skew()

## 0.5195146330615628

```
# calculate the third moment of the distribution
third_moment = np.sum((cdf - cdf.mean())**3) / len(cdf)

# calculate the standard deviation of the distribution
std_dev = np.std(cdf, ddof=0)

# calculate the moment of coefficient of skewness
moment_of_coefficient_of_skewness = third_moment / (std_dev**3)
print(moment_of_coefficient_of_skewness)

0.5187840084529483
```

We implemented the above code to find the moent of coefficient of skewness which gives a (+ve) value and this confirms our earlier assumptions from visual analysis of histogram that, this is a (+ve)ly skewed data.

==> Data is Modedrately skewed.

```
cdf.kurtosis()
-0.10955312596150169
```

We get a negative kurtosis, it means that our distribution is flatter and has lighter tails than a normal distribution. This type of distribution is called a platykurtic distribution.

## **Outliers and BoxPlots**

Create a box plot using Matplotlib's boxplot function:

```
plt.boxplot(cdf)
```

To find outliers, we can use the interquartile range (IQR) method. First, calculate the IQR:

```
q1, q3 = np.percentile(cdf, [25, 75])
iqr = q3 - q1
iqr

87.0
```

Then, define the upper and lower bounds:

```
upper_bound = q3 + (1.5 * iqr)
lower_bound = q1 - (1.5 * iqr)
```

Finally, find any data points that fall outside the bounds:

```
outliers = [x for x in cdf if x < lower_bound or x > upper_bound]
print("Outliers:", outliers)

Outliers: [437, 432, 435, 488, 432, 435]
```

**Summary:** Mean = 256.2286785379569 Median = 251.0 std deviation = 63.372304442800065 varaince = 4016.048970390937 mean absolute deviation=51.04539613470135 Skewness = 0.5187840084529483, Kurtosis = -0.10955312596150169 (+ve)ly skewed data and is platykurtic distribution.

Colab paid products - Cancel contracts here