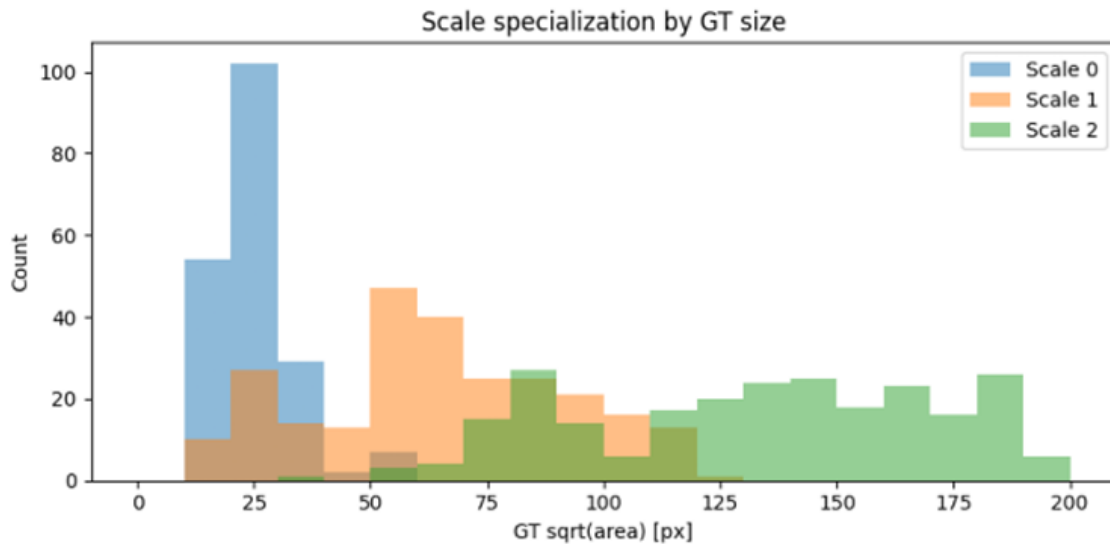


## EE641 Homework 1

Vivin Thiyagarajan

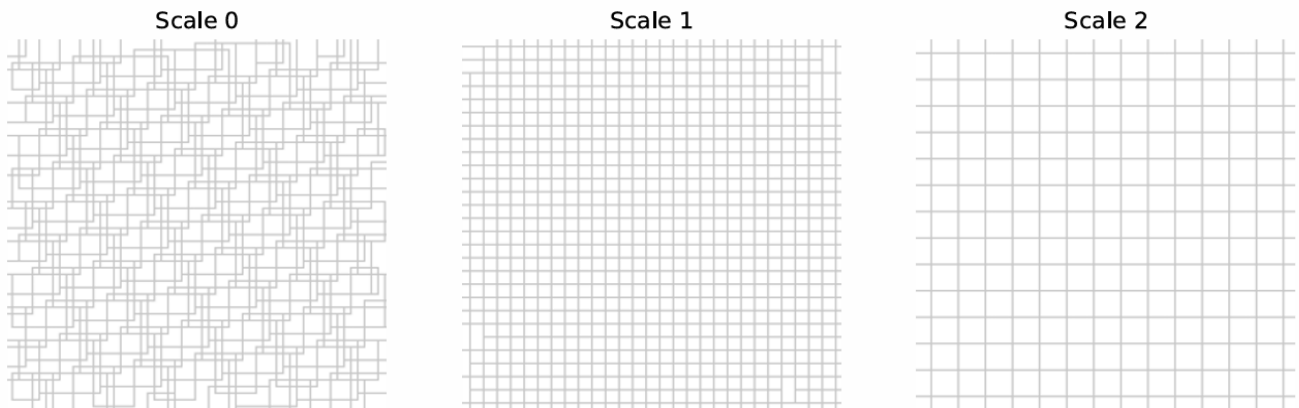
### Problem 1 Analysis:

#### a) How different scales specialize for different object sizes?



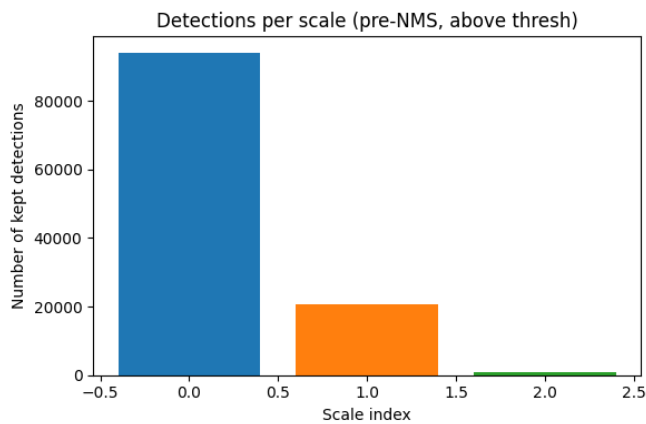
- The **first scale (blue)** mainly picks up very small objects, mostly below 40 px, and doesn't really contribute much once objects get bigger.
- The **second scale (orange)** takes over in the middle range, around 50–100 px, where it has the most detections.
- The **third scale (green)** is clearly focused on large objects, above 100 px, and becomes the dominant contributor there.
- Together, the three scales divide the work: one for small, one for medium, and one for large objects.

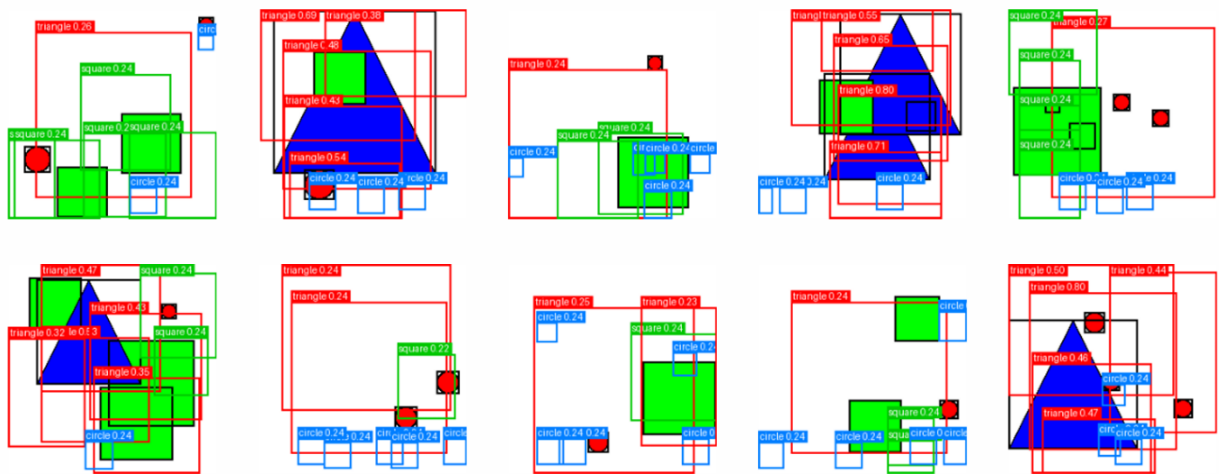
## b) The effect of anchor scales on detection performance



- Matching anchor scales to object sizes improves recall and makes box regression easier.
- Mismatched anchors force large adjustments, leading to poor localization and missed detections.
- Multi-scale anchors [16,24,32] -> [48,64,96] -> [96,128,192] ensure coverage across small, medium, and large objects.
- Fine scales give dense coverage for small objects, while coarse scales use larger, sparser anchors for big ones.

## c) Visualization of the learned features at each scale

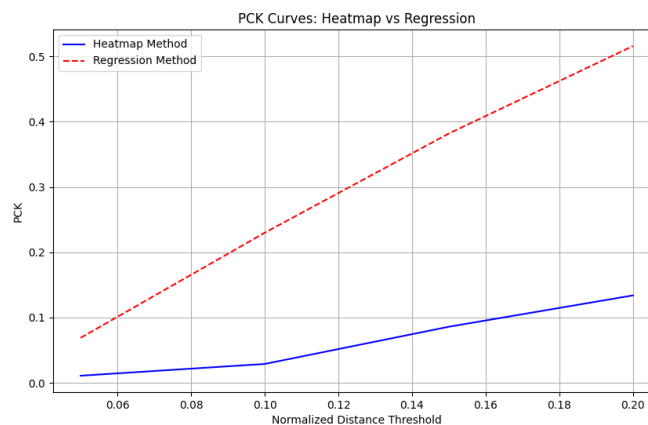




- The chart shows tons of detections at scale 0.5 (around 8000), dropping to 2000 at 1.0, with almost none after.
- The second image has bounding boxes with confidence scores, spotting shapes like triangles and squares across scales.
- Features pop up more at smaller scales, with clear shape variety in the boxes.
- Confidence scores (e.g., 0.71 for a triangle) show the model's pretty solid at picking out features.

## Problem 2 Analysis:

### a) PCK Curves



- Heatmap method starts low (0.011, 0.029, 0.086, 0.134) and rises steadily.
- Regression method outperforms, jumping from 0.069 to 0.516, nearly doubling at each step.
- The chart reflects this trend, with regression (red) climbing faster than heatmap (blue).

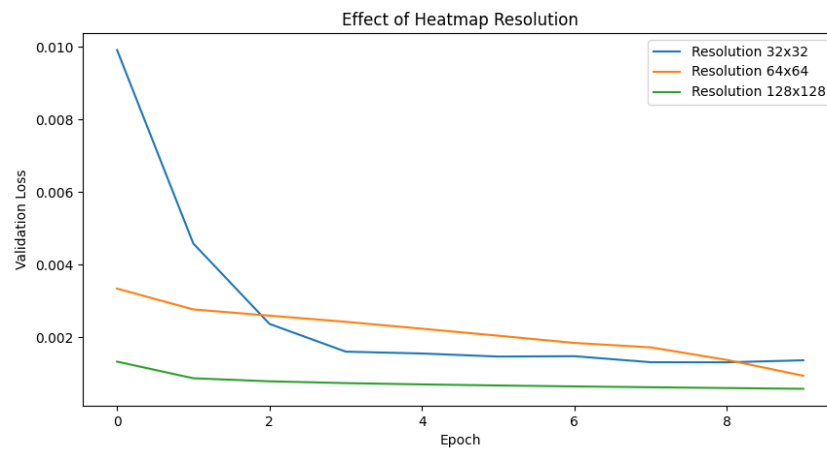
- Regression seems more accurate at higher thresholds, hitting over 0.5 at 0.2.

## b) Analysis of why heatmap approach underperforms

- The simple dataset with sparse key points does not suit heatmap strengths.
- Down sampling to  $32 \times 32$  or  $64 \times 64$  reduces accuracy for locating points.
- Limited data leads to blurry, off-target heatmap predictions.
- Regression works better by directly predicting coordinates, avoiding heatmap errors.

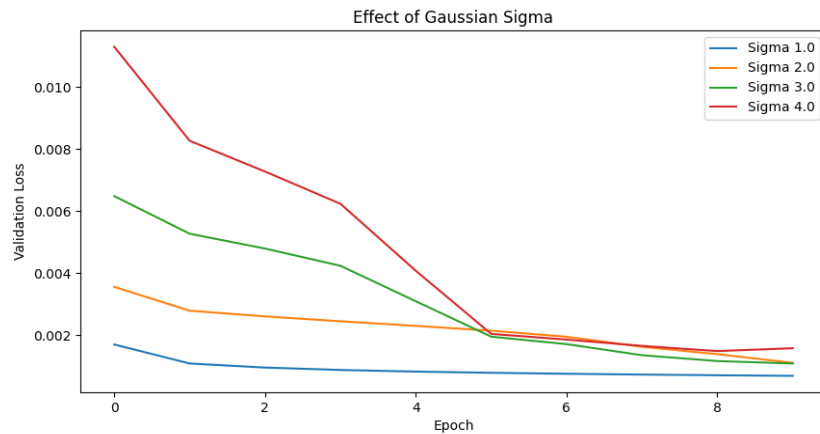
## c) Ablation Study

### 1. Effect of heatmap resolution



- Higher resolutions ( $32 \times 32$  to  $128 \times 128$ ) reduce validation loss, with  $128 \times 128$  achieving the best at 0.000575 (epoch 9).
- Increased resolution improves keypoint localization accuracy by minimizing discretization errors.
- The  $128 \times 128$  resolution offers a 4x improvement over  $32 \times 32$  (0.009912 at epoch 0 vs. 0.000575) due to better spatial detail preservation.

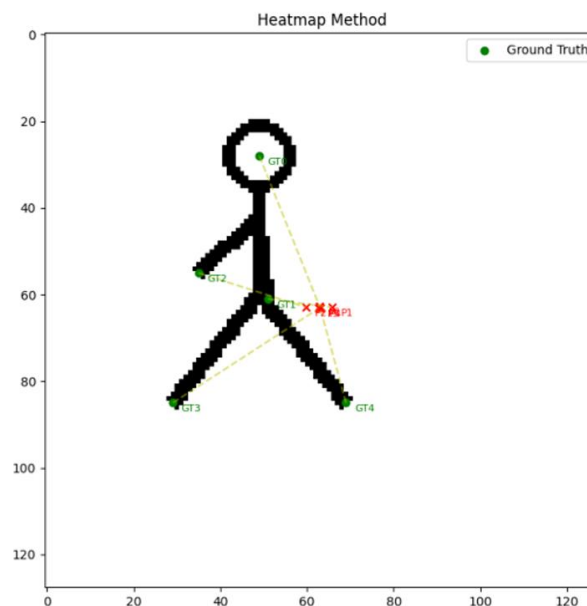
## 2. Effect of sigma resolution



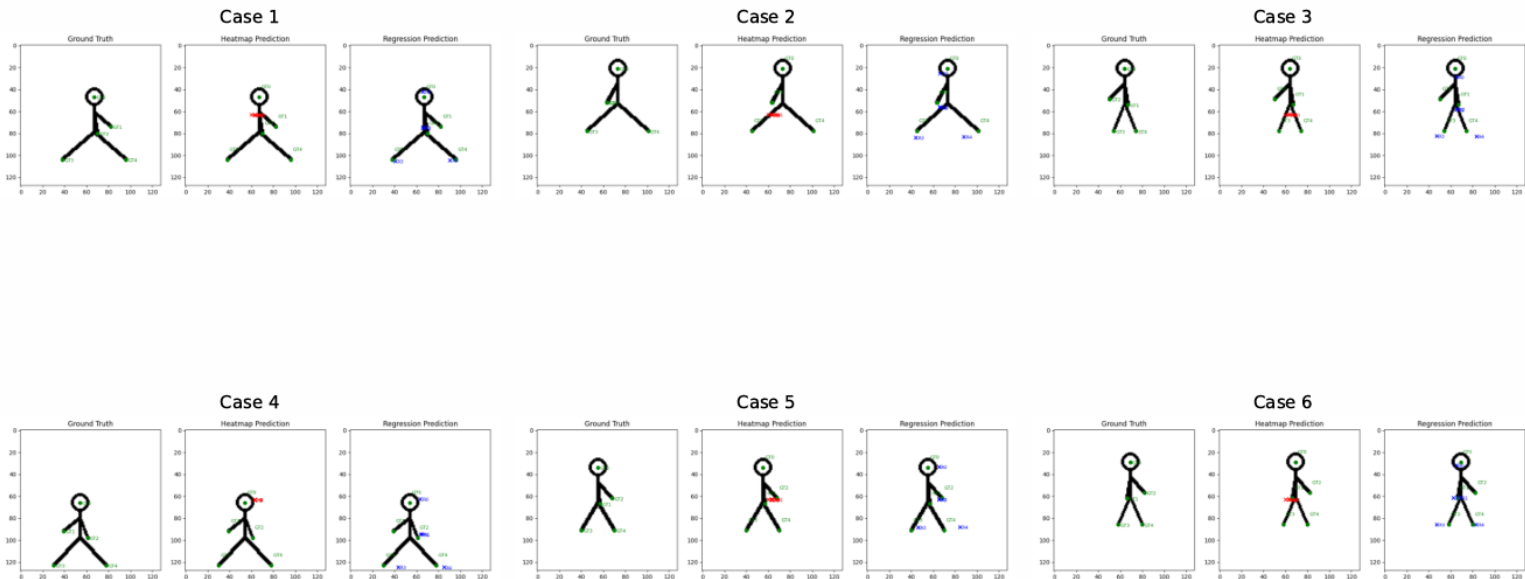
- Sigma 1.0 yields the lowest validation loss at 0.000688 (epoch 9), creating sharp targets.
- Sigma 2.0-3.0 balances precision and gradient stability, with losses around 0.001108 and 0.001086, respectively.
- Sigma 4.0 results in the highest loss at 0.001578 (epoch 9), reducing precision with blurry targets.
- Sigma 1.0 is optimal with ample training data and high-resolution heatmaps.

### d) Visualization of heatmaps and failure cases

-> Learned Heatmaps: Sample Predictions:



## -> Failure Cases Analysis:



- Across all six cases, the heatmap predictions often show diffuse or misplaced keypoints (e.g., Case 4 GT0, Case 5 GT3), struggling to pinpoint exact locations compared to ground truth.
- Regression predictions generally align closer to ground truth (e.g., Case 1 GT1, Case 3 GT4) but still deviate in challenging poses or when keypoints are close together (e.g., Case 6 GT1, GT4).
- Both methods consistently falter with occluded or overlapping keypoints (e.g., Case 5 GT2, Case 6 GT3), resulting in scattered or shifted predictions.