

# Lotto 649

## 4 marks

In class, a time scale was used to indicate the average time it would take to first win Lotto 649, purchasing 1 ticket per weekly draw. Assume that a winning ticket is one which matches the 6 numbers drawn from 1 to 49.

- a. (1 mark) Suppose  $p$  is the probability of winning the grand prize. Write down the value for  $p$  for Lotto 649.

$$\frac{1}{13983816}$$

- b. (1 mark) Write down the probability of winning (**for the first time**) on the  $n$ th draw (i.e. losing on the first  $n - 1$  draws).

$$\left(\frac{13983815}{13983816}\right)^{n-1} * \frac{1}{13983816}$$

- c. (1 mark) Determine the expected number of draws you must play (1 ticket each draw) before winning for the first time.

$$13983815$$

- d. (1 mark) Show how the average time to win Lotto 649 when playing 1 ticket per weekly 649 draw turns into the long wait given for the Homo sapiens example (as described in the slides)

if a person start buying 649 weekly starting from the first appearance of Homo neanderthalensis (267999.192334 years ago), it's expected it win the grand prize this year.