

```
K=95;  
jump(25000,800,K)
```

```
ans = 11.0183
```

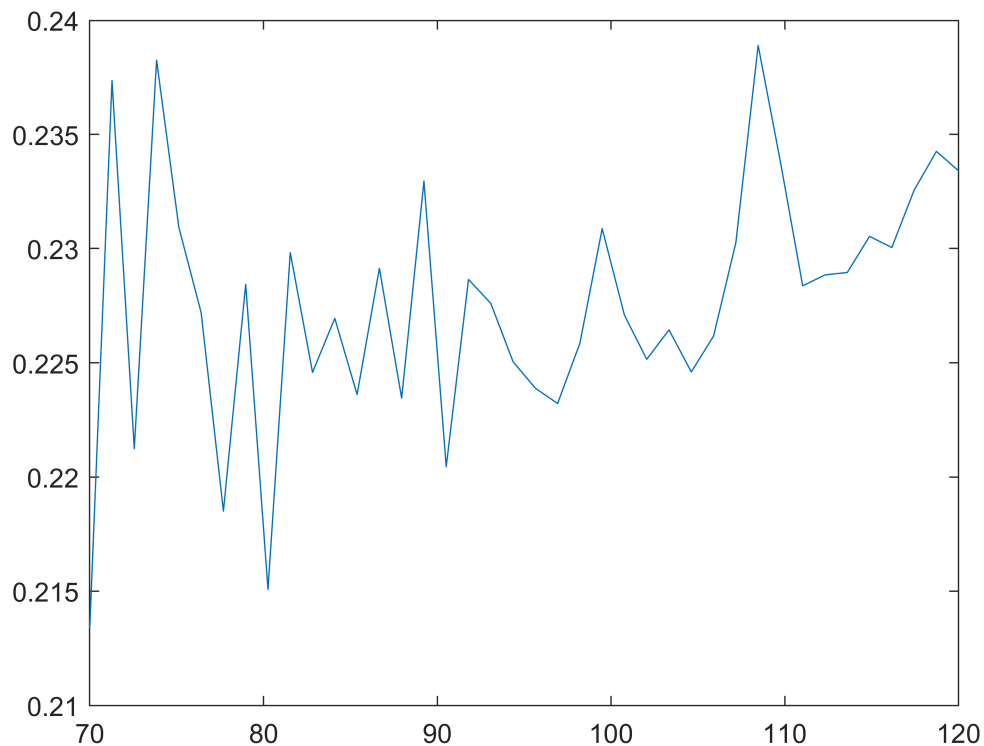
```
jump(100000,1600,K)
```

```
ans = 10.8380
```

```
jump(400000,3200,K)
```

```
ans = 10.8351
```

```
val = zeros(40,1);  
implied = zeros(40,1);  
k_to_try = transpose(linspace(70,120,40));  
for i = 1:40  
    val(i) = jump(25000,800,k_to_try(i));  
    implied(i) = blsimpv(95,k_to_try(i),0.05,1, val(i));  
end  
plot(k_to_try, implied)
```



we observed a volatility smile, when K is low, implied volatility is very high, Then for a short interval implied volatility decrease quickly. after some value of K below  $S_0$ , implied volatility seems to increase slowly.

however, the curves are not smooth. And implied volatility is always above our true volatility, which makes sense as blsimpv doesn't consider jump behavior, which should increase volatility.

```

function [val] = jump(M,N,K)
    sigma=0.2;
    r=0.05;
    muu=0.32 ;
    mud= 0.3;
    pup = 0.4;
    lambda = 0.1;
    T=1;
    dt=T/N ;
    kappa = 0.049;

    % we update S and J at each timestep.
    S =ones(M,1).*95;
    J = zeros(M,1);
    for timestep = 1:N
        jumpmask = rand(M,1)<(lambda*dt);
        [i,~,~] = find(jumpmask);
        nonzerolength = length(i);
        % normally, i would be length 0, and we skip these steps in if
        % statement
        if nonzerolength ~= 0
            upmask = rand(nonzerolength,1)<pup;
            % -log(J)~exp(mu), then we generate -log(J)=x and J=e^(-x)
            Jump = upmask.*exp(exprnd(muu,nonzerolength,1)) + ...
                (1-upmask).* exp(- exprnd(mud, nonzerolength,1));
            J(i,1) = Jump;
        end

        S=S+S.*(r-lambda*kappa)*dt+S.*sigma...
            .*sqrt(dt).*normrnd(0,1,M,1)+S.*(J-1).*jumpmask;
    end

    val = mean(exp(-r*T).*max(0,S-K));

end

```