

$$\underline{\kappa \rfloor \dots H \sqcap \varepsilon T + \rfloor^{\text{TM}} \langle +}$$

$$1. \Re \lrcorner + \rfloor \sqcap \vee$$

$$\begin{array}{l} : \approx \approx \zeta + \rfloor \zeta \odot'' + \lambda + \lrcorner \Upsilon' + \theta \varepsilon T : \quad \delta \sqcap \vee \sigma \sqcap \leftrightarrow \varphi \langle T \theta \varepsilon T : \kappa \subseteq \cap \zeta \\ \sqcap^{\text{TM}} \propto \propto \end{array}$$

$$\begin{array}{l} (\Xi \rfloor \sqcap \psi \sqcap \sigma \mathfrak{S} + \sigma \sqcap \rfloor \Leftarrow \sqcap \varepsilon \vee \beta \subseteq .: \wr \varnothing \Xi \rfloor \sqcap \sim \varnothing \# \rfloor \delta \text{---} \sqcap \sim \psi \sqcap \sigma \\ \mathfrak{S} + \sqcap < \sqcap \varphi \langle T + \sqcap \rfloor \Pi \varepsilon T + \rfloor^{\text{TM}} \langle + \# \langle \sim \exists < \rfloor \sqcap \rfloor + \# \sqcap *. \\ H \rfloor .: \oplus \leq \sqcap \sqcap \lrcorner \leq \kappa \subseteq \rfloor \sqcap \exists < \rfloor \sqcap + > \pm \sqcap \# \langle \rfloor + \# \sqcap *. \end{array}$$

$$2. \varepsilon T T^{\text{TM}} \langle \leftrightarrow +$$

$$: \approx \approx \zeta + \varepsilon + \cdot + \rfloor \zeta \odot'' + \lambda + \pi + \sqcap \# \langle + \rfloor < \sqcap \varepsilon T \sqcap \rfloor \kappa \subseteq \cap \zeta \sqcap^{\text{TM}} \propto \propto$$

$$\begin{array}{l} (\sqcap \sim \psi \sqcap \sigma \mathfrak{S} + \sigma \sqcap \rfloor \Leftarrow < \rfloor \sqcap \theta \leftrightarrow + \beta \rfloor \geq T \dots \wr \varnothing \sqcap + \equiv \Xi \rfloor \sqcap \sim \varnothing \\ \# \rfloor \delta \text{---} \kappa \rfloor \varepsilon T \psi \sqcap \sigma \mathfrak{S} + \sqcap < \sqcap \varphi \langle T + \sqcap \rfloor \Pi \varepsilon T + \rfloor^{\text{TM}} \langle + \# \langle \sim \exists \\ < \rfloor \sqcap \rfloor + \# \sqcap *. H \rfloor .: \oplus \leq \sqcap \sqcap \lrcorner \leq \kappa \subseteq \rfloor \sqcap \exists < \\ \rfloor \sqcap + > \pm \sqcap \# \langle \rfloor + \# \sqcap *.) \end{array}$$

$$3. \rfloor \sqcap > \bullet \& \sqcap +$$

$$\begin{array}{l} : \approx \approx \zeta + .: + \cdot + \rfloor \zeta \odot'' + \lambda + \varepsilon T \zeta \odot'' \rfloor \sqcap \vee \rfloor^{\text{TM}} \sqcap \varphi \langle T \delta \sqcap \lrcorner \leq \wr'' \rfloor \omega \sqcap \dots \\ \sqcap \psi \sqcap \sigma \mathfrak{S} \Delta'' \varphi \langle T \lrcorner \Upsilon' + \lrcorner \Upsilon' + \kappa \subseteq \cap \zeta \sqcap^{\text{TM}} \propto \propto \end{array}$$

$$\begin{array}{l} (\kappa \rfloor \varepsilon T \psi \sqcap \sigma \mathfrak{S} + \sigma \sqcap \rfloor \Leftarrow \sqcap \varepsilon \vee \beta \subseteq .: {}^{\text{TM}} \wp \Xi \rfloor \sqcap \sim \varnothing \# \rfloor \delta \text{---} \varepsilon T + \\ > \bullet \Rightarrow \rfloor \psi \sqcap \sigma \mathfrak{S} + \sqcap < \sqcap \varphi \langle T + \sqcap \rfloor \Pi \varepsilon T + \rfloor^{\text{TM}} \langle + \# \langle \sim \exists \\ < \rfloor \sqcap \rfloor + \# \sqcap *. H \rfloor .: \oplus \leq \sqcap \sqcap \lrcorner \leq \kappa \subseteq \rfloor \sqcap \exists < \rfloor \sqcap + > \pm \sqcap \# \langle \rfloor + \# \sqcap *. \end{array}$$

$$4. \rfloor \sqcap \# \langle \subset$$

$$\begin{array}{l} : \approx \approx \zeta + \lambda + \cdot + \rfloor \zeta \odot'' + \lambda + \kappa \Sigma \varepsilon \vee \leftrightarrow \varphi \langle T \kappa \Sigma : \lrcorner \Upsilon' + \cdot + \sqcap T < \rfloor \sqcap \varphi \\ \langle T \kappa \subseteq \cap \zeta \sqcap^{\text{TM}} \propto \propto \end{array}$$

$$\begin{array}{l} (\varepsilon T + > \bullet \Rightarrow \rfloor \psi \sqcap \sigma \mathfrak{S} + \sigma \sqcap \rfloor \Leftarrow \rfloor \sqcap \delta \sqcap T \rfloor \sqcap \vee \rfloor \{ \rfloor \wr \varnothing H \sqcap \geq \vee \supset \{ \rfloor \\ \dots \sqcap T < \rfloor \sqcap \psi \sqcap \sigma \mathfrak{S} + \sqcap < \sqcap \varphi \langle T + \sqcap \rfloor \Pi \varepsilon T + \rfloor^{\text{TM}} \langle + \# \langle \sim \exists \end{array}$$

$$< \int \square + \# \square *. H \setminus \therefore \oplus \leq \square \square \downarrow \leq \kappa \subseteq] \square \exists <$$

$$\int \square + > \pm \square \# \langle \rangle + \# \square *.$$

$$5. \downarrow \leq \theta \downarrow \leq | \square \vee \omega \square \leftrightarrow \sigma \square > \bullet +$$

$$: \approx \approx \zeta + \cdot + \lambda + | \varsigma \odot '' + \downarrow Y' + \square \square \varsigma \square '' \delta \square \in {}^{\text{TM}} \langle \varphi \rangle T \kappa \subseteq \cap \varsigma \square {}^{\text{TM}} \propto \propto$$

$$(\square T < \int \square \psi \square \sigma \mathfrak{T} + \sigma \square | \leftarrow \downarrow = \varepsilon T T \square \Xi \setminus \theta > \bullet \therefore T \square \& \square \downarrow | \downarrow$$

$$| + \equiv \theta \mid \sigma \mathfrak{T} T \setminus \varnothing H \square \theta \vee \supset \{ | \dots > \bullet T \sigma \mathfrak{T} T \psi \square \sigma \mathfrak{T} + H \square \& \square T$$

$$\square | \prod \varepsilon T + | {}^{\text{TM}} \square \square \square \# \langle \sim \exists < \int \square \rangle + \# \square *. H \setminus \therefore \oplus \leq \square$$

$$\square \downarrow \leq \kappa \subseteq] \square \exists < \int \square + > \pm \square \# \langle \rangle + \# \square *.$$

$$6. \varepsilon | \cup +$$

$$: \approx \approx \zeta + \lambda + \cdot + | \varsigma \odot '' + \lambda + \vee \int \square \square > \bullet T \varepsilon \vee \theta \psi \setminus \Xi / \square | \downarrow \pm \varphi \langle T \kappa \subseteq \cap \varsigma \square {}^{\text{TM}} \propto \propto$$

$$(> \bullet T \sigma \mathfrak{T} T \psi \square \sigma \mathfrak{T} + \sigma \square | \leftarrow _ \varphi \langle T \leftrightarrow + \downarrow \leq \& \square \angle \theta \mid \sigma \mathfrak{T} T \setminus \varnothing$$

$$H \square \theta \vee \supset \{ | \dots \Xi / \square | \downarrow \leq \psi \square \sigma \mathfrak{T} + \square < \square \varphi \langle T + \square | \prod \varepsilon T + | {}^{\text{TM}} \square \square \square$$

$$\# \langle \sim \exists < \int \square \rangle + \# \square *. \square \exists < \int \square + > \pm H \setminus \therefore \oplus \leq \square \square \downarrow \leq \kappa \subseteq] \square \# \langle \rangle +$$

$$\# \square *.)$$

$$7. | \therefore +$$

$$: \approx \approx \zeta + | \varsigma \odot '' + \cdot + \lambda + \Xi / H \setminus \prod \Xi / \subset \sigma \square \varphi \langle T \square \sigma \square \square + \delta \square \Xi / \square \omega \square \neg < \setminus \psi \square \varphi \langle T \delta \square \sigma \mathfrak{T} \cap \delta \text{---} \sim \emptyset + < \setminus \varsigma \text{---} '' < \setminus \varsigma \text{---} '' \kappa \subseteq \cap \varsigma \square {}^{\text{TM}} \propto \propto$$

$$(\Xi / \square | \downarrow \leq \psi \square \sigma \mathfrak{T} + \sigma \square | \leftarrow \theta \therefore ' \mid < \square \downarrow \leq \square \sigma \mathfrak{T} \delta \square + \setminus \varnothing H \square \theta \vee$$

$$\supset \{ | \dots \Xi / \square \psi \square \sigma \mathfrak{T} + \square < \square \varphi \langle T + \square | \prod \varepsilon T + | {}^{\text{TM}} \square \square \square \# \langle \sim \exists$$

$$< \int \square \rangle + \# \square *. \square \exists < \int \square + > \pm H \setminus \therefore \oplus \leq \square \square$$

$$\downarrow \leq \kappa \subseteq] \square \# \langle \rangle + \# \square *.)$$

$$8. > \wp \psi \setminus T < \int \square \downarrow \leq +$$

$$: \approx \approx \zeta + | ; + \cdot + | \varsigma \odot '' + \lambda + {}^{\text{TM}} \langle \psi \setminus \vee \mid > \bullet \varsigma \square '' \varphi \langle T \kappa \subseteq \cap \varsigma \square {}^{\text{TM}} \propto \propto$$

$$(\Xi / \square \psi \square \sigma \mathfrak{T} + \sigma \square | \leftarrow {}^{\text{TM}} \setminus H \setminus \setminus \varnothing \square + \equiv \square \sim \psi \square \sigma \mathfrak{T} + \square < \square \varphi \langle T +$$

$$\square|\Pi\,\varepsilon T+|^{\text{TM}}\square\square\square\,\#\langle\sim\exists<\int\square\rangle+\#\square*.\,\square$$

$$\exists<\int\square+>\pm\,\text{H}\backslash\therefore\oplus\leq\square\square\lrcorner\leq\kappa\subseteq]\,\square\#\langle\rangle+\#\square*.)$$

9. $\psi\backslash\Pi\&\int\square\sqrt{\sigma\mathfrak{Z}\leftrightarrow}+$

$$:\approx\approx\zeta+\mid\varsigma\odot''+\mid\lrcorner\Upsilon+.+ \mid\varsigma\odot''+\lambda+\neq\lrcorner^{\text{TM}}\langle\,\psi\lrcorner\text{K}+\&\square\,\infty\sigma\mathfrak{Z}\square\delta$$

$$\kappa\subseteq\cap\varsigma\square^{\text{TM}}\,\infty\infty$$

$$(\,\kappa\lrcorner\varepsilon T\psi\square\sigma\mathfrak{Z}+\sigma\square\mid\Leftarrow\square\therefore\varepsilon\therefore T\,\square\&\square\lrcorner\lceil+\equiv\theta\,\mid\{\mid\}\not\subseteq\square+\equiv\varepsilon$$

$$T+>\bullet\Rightarrow\rceil\psi\square\sigma\mathfrak{Z}+\square<\square\wp\langle T+\square|\Pi\,\varepsilon T+|^{\text{TM}}\square\square\square$$

$$\#\langle\sim\exists<\int\square\rangle+\#\square*.\,\square\,\exists<\int\square+>\pm\,\text{H}\backslash\therefore\oplus\leq\square\square\lrcorner\leq\kappa\subseteq]\,\square\#\langle\rangle+\#$$

$$\square*.$$