

$\varepsilon T + \mid \text{TM} \square \therefore T$

1. $\cup \theta \varepsilon o \downarrow \leq \sigma \mathfrak{Z} \Delta \varepsilon T T \downarrow = \sigma \mathfrak{Z} \oplus \leq \square :$

$\mid \mid \square \varphi \mid \sqrt{} > \bullet \exists < \int \square \theta +$

$\mid \beta \subseteq \text{TM} \langle : \downarrow \pm \therefore \varepsilon T + < \square T \kappa \subseteq \square H \square < \square T \therefore T \varepsilon T T \angle + \# \langle T \downarrow = \square , \Xi \rangle$
 $\square \equiv > \pm \sigma \square \exists \# \mid \geq T \dots \mid \downarrow \mid + < \square \oplus \leq \Lambda \sigma \mathfrak{Z} T \subset \square , \sigma \wp E \oplus \leq \square \mid \square < \square \downarrow = + \&$
 $\square T \varepsilon \sqrt{} \sigma \mathfrak{Z} T \therefore T \text{TM} \langle T \therefore \delta \text{---} \beta \subseteq \sigma \square \varphi \langle T \Delta \varepsilon T T \theta T \mid \downarrow \leq \varepsilon T + \text{TM} \langle \mid \square \in \oplus \leq$
 $\square + \& \square 40 \sim H \square \therefore T \# \mid \varphi \langle \sqrt{} * . \downarrow \leq \varepsilon \# \langle \beta \subseteq \sigma \square \varphi \langle T \Delta \mid \beta \subseteq \sigma \mathfrak{Z} + \int + \# \mid \varepsilon T$
 $T + < \square T \varepsilon T T \angle + \equiv \theta \text{TM} \langle \sigma \mathfrak{Z} T \psi \square \text{TM} \langle \cong \varepsilon \leftrightarrow \downarrow \mid \mid \text{TM} \langle \theta \oplus \leq \square \varepsilon \Xi \rangle + \downarrow \pm \psi \square$
 $\therefore \theta T \downarrow = + \geq T H \square \square \psi \mid \sqrt{} \psi \square \square > \bullet \{ \mid \dots > \pm \delta \square + \downarrow \leq * \in + \# \langle T \downarrow \wp \psi \square * .$
 $< \square \rangle \text{TM} \langle \mid \text{---} \in \theta \vee \int \square \sigma \mathfrak{Z} \mid , \mid \square \rangle \delta \text{---} \emptyset \text{TM} \langle T \therefore T \vee \theta T \oplus \leq \Lambda * + \# \langle \downarrow \leq < \square \sqrt{} \sigma$
 $\mathfrak{Z} \psi \mid T \rightarrow \theta \mid \square \mid \exists T \oplus \leq \square \& \square T . \vee \theta \varepsilon \delta \square \sigma \mathfrak{Z} + > \pm \vee'' \sim \int \delta \square T \mid \theta \square \vee \sim \int \downarrow \pm$
 $\sigma \mathfrak{Z} T \therefore T , \vee \downarrow \pm \sigma \mathfrak{Z} \Delta + > \pm \vee \therefore ' \rangle \square \mid \& \square T \text{TM} \langle T \theta \square \Xi \rangle \mid \text{TM} \langle T \varepsilon \vee \therefore T \psi \mid T T$
 $< \square \therefore > \bullet T \psi \square \mid \varepsilon o \downarrow \leq \sigma \mathfrak{Z} \Delta > \bullet \sqrt{} \mid \subset \# \mid \varphi \langle T \varepsilon \# \langle T \subset \theta T . \square \mid \mid \square \mid \downarrow \varphi \langle T \theta T$
 $\kappa \subseteq \cap \sigma \mathfrak{Z} \emptyset \mid \mid \square \varphi \mid \sqrt{} \cup H \square \therefore \oplus \leq \square \square \mid \square \varphi \mid \sqrt{} \angle + \# \langle \sigma \square < \square \square \varepsilon T \theta \exists \# \mid \delta \square T$
 $\mid H \square \square \theta T .$

2. $\exists < \square \leftrightarrow \int \varepsilon \square \sim \emptyset \downarrow \mid :$

$\mid \mid \square \varphi \mid \sqrt{} > \bullet \exists < \int \square \theta +$

$\mid \beta \subseteq \text{TM} \langle : \downarrow \pm \therefore \varepsilon T + < \square T \kappa \subseteq \square H \square < \square T \therefore T \varepsilon T T \angle + \# \langle T \downarrow = \square , \Xi \rangle$
 $\square \equiv > \pm \psi \mid \sqrt{} < \square T > \bullet \# \mid \geq T \dots \mid \downarrow \mid + < \square \oplus \leq \Lambda \sigma \mathfrak{Z} T \subset \square , \sigma \wp E \oplus \leq \square \mid \square <$
 $\square \downarrow = + \& \square \varepsilon \sqrt{} \sigma \mathfrak{Z} T \therefore T \text{TM} \langle T \therefore \delta \text{---} \downarrow \leq \varepsilon \# \square \square \square \mid \downarrow \leq \varepsilon T + > \pm 40 \sim H \square \therefore$
 $T \# \mid \varphi \langle T T \geq \varepsilon \therefore \theta \mu \geq T \varepsilon + \{ \mid \square \downarrow \downarrow \leq \square \} \not\subset ' H \mid \Pi H \square \exists \cup \varphi \langle T + \kappa \subseteq \sim \int + \mid$
 $\square \varepsilon \# \langle T \subset \theta T . \downarrow \leq \omega \square \dots \mid \square \& \square \# \langle \sim \psi \mid \psi \square \rangle \downarrow \mid \varepsilon T \rangle + \text{TM} \langle \square \mid \square \delta \square \varepsilon T \oplus$
 $\leq \Lambda \sigma \mathfrak{Z} T \subset \text{TM} \langle T + \sim \text{TM} \langle \mid \square \in , \cong M T \# \langle < \square \varepsilon \square \psi \square \rangle \downarrow \mid \mid \square \square * + \# \langle < \square T . < \square$
 $T \sigma \square \Xi \rangle \varepsilon < \square T \uparrow .$

3. $\exists \psi \square \zeta \square'' + \square \therefore \delta \square \leftrightarrow \psi \mid T \rightarrow \theta \psi \square \rangle \downarrow \mid :$

$\mid \mid \square \varphi \mid \sqrt{} > \bullet \exists < \int \square \theta +$

$\mid \beta \subseteq^{\text{TM}} \langle : \downarrow \pm : . \varepsilon T + < \square T \kappa \subseteq \square H \square < \square T : . T \varepsilon T T \angle + \# \langle T \downarrow = \square , \Xi \rangle$
 $\square \equiv > \pm^{\text{TM}} \langle \varphi \langle \sqrt{\mathfrak{R} \sigma \Pi} \# \langle + \& \square , < \square T \sigma \mathfrak{S} Z , \beta \subseteq \sigma \mathfrak{S} \cap \rho \psi \mid T T < \square : . > \bullet T$
 $< \downarrow \psi \square^{\text{TM}} \square \varepsilon T \sqrt{\sigma \mathfrak{S} T} \mid : . \mid \square \geq \varepsilon T T : . T \mid \square \Pi \square + \equiv , \psi \square \{ \mid \varepsilon T T + < \square T \oplus \leq \Lambda$
 $\sigma \mathfrak{S} T \subset \square , \sigma \wp E \oplus \leq \square \mid \square < \square \downarrow = + \& \square T \varepsilon \sqrt{\sigma \mathfrak{S} T} : . T^{\text{TM}} \langle T : . \delta \text{---} \beta \subseteq \sigma \square$
 $\varphi \langle T \Delta \mid \downarrow \leq \varepsilon T + > \pm 40 \sim H \square : . T \# \downarrow \delta \text{---} \theta \varphi \mid T \& \square : . , \cong \downarrow \pm \sigma \mathfrak{S} \Delta + \# \downarrow^{\text{TM}} \langle$
 $H \mid \Pi H \square \exists \psi \square \zeta \square'' + v : . \delta \square \leftrightarrow \varepsilon T \downarrow^{\text{TM}} \langle T \theta \square \psi \square \downarrow \mid \exists \psi \square \zeta \square'' + \cup \sigma \mathfrak{S} T$
 $> \bullet T^{\text{TM}} \langle T + \sim . \theta \varepsilon T \square \downarrow \leq + , \delta \square + \downarrow \leq : . \varepsilon + \mid \mid \square < \downarrow \square \theta + .$

4. $v \sigma \mathfrak{S} \mid^{\text{TM}} \langle \downarrow \leq : . \downarrow \pm \sigma \mathfrak{S} \leftrightarrow \varepsilon T T : . + < \square T \cup \varphi \langle T$
 $+ \beta \downarrow + < \square T \geq \oplus \leq \square$
 $\mid \mid \square \varphi \mid \sqrt{} > \bullet \exists < \downarrow \square \theta +$

$\exists \omega \square \clubsuit \square \varepsilon v \square : . \varphi \langle T \varepsilon T + < \square T \downarrow \pm \square \downarrow \rangle < \square \exists \omega \square \clubsuit \square \varepsilon v \mid \square \{'' \square \square \square +$
 $\{ \mid \downarrow \varphi \square \mid \geq T \dots \downarrow = \square > \pm \square \exists \sim \downarrow \exists < \downarrow \square \theta + > \pm \mid \square \Pi \square + \equiv , H \square \sigma \mathfrak{S} \varphi \langle T \Delta \varepsilon T$
 $+ \mid^{\text{TM}} \square \square \square (\zeta + \theta \psi \mid \sqrt{H \square \sigma \varphi \langle T \Delta'' \varphi \langle T}) 108 \varepsilon \sqrt{\sigma \mathfrak{S} T} : . T \cup \mid \text{---} + \equiv ,$
 $^{\text{TM}} \langle T : . \delta \text{---} \downarrow \leq \varepsilon \# \langle \varepsilon T T \theta T \sigma \wp E \oplus \leq \square \mid \square < \square \downarrow = + \& \square T \varepsilon \sqrt{\sigma \mathfrak{S} T} : . T \varepsilon +$
 $^{\text{TM}} \langle T \theta 40 \sim H \square : . T \mid \downarrow \leq \varepsilon T + > \pm \beta \subseteq \sigma \square \varphi \langle T \Delta \# \downarrow \delta \text{---} \theta \# \wp v \sigma \mathfrak{S} \mid \psi \mid T$
 $\rightarrow \theta \downarrow \pm \sigma \mathfrak{S} \leftrightarrow \mid \downarrow \leq \varepsilon \sqrt{} \downarrow \varphi' \exists \cup \varphi \langle T + \# \downarrow \oplus \leq \Lambda \sigma \mathfrak{S} T^{\text{TM}} \langle T + \sim . v \theta \varepsilon \delta \square \sigma \mathfrak{S}$
 $\Xi \downarrow^{\text{TM}} \langle T \mid \odot \& \square : . T , v \& \square T f > \pm \square \theta \square v \mid \square \cup \varphi \langle \sqrt{} : . T^{\text{TM}} = : . > \bullet T^{\text{TM}} \square \sigma T$
 $T .$

5. $\kappa \Sigma + < \square \sigma \square \leftrightarrow _ \int \varepsilon \square \sim \emptyset \downarrow \downarrow :$
 $\mid \mid \square \varphi \mid \sqrt{} > \bullet \exists < \downarrow \square \theta +$

$v \delta \square \cap \delta \square \square \varepsilon : . \theta \downarrow \pm \square , \psi \square^{\text{TM}} \square \varepsilon \sigma \mathfrak{S} \Delta + \mid \square \downarrow \delta \text{---} \square^{\text{TM}} \langle T : . \varepsilon : . ' \downarrow \pm \square$
 $, \cong < \mid \Pi H \square \square^{\text{TM}} \langle \sigma \mathfrak{S} \downarrow \pm \sigma \mathfrak{S} \Delta'' : . \varepsilon : . ' \downarrow \pm \square , \varepsilon T T K + , \Xi \downarrow \sigma \mathfrak{S} \downarrow \leq \kappa \Sigma <$
 $\square \sigma \mathfrak{S} \leftrightarrow +^{\text{TM}} \langle \angle Z \psi \square \sigma \mathfrak{S} T \mid \beta \subseteq^{\text{TM}} \langle : \downarrow \pm : . \varepsilon T + < \square T \delta \square \sqrt{\sigma \mathfrak{S} T} \leftrightarrow \square \mathfrak{R} \downarrow$
 $< \square T \sigma \mathfrak{S} T > \pm \oplus \leq \Lambda \sigma \mathfrak{S} T \subset \square , \varepsilon T T + < \square T v \downarrow'' > \bullet + \downarrow \varphi v \angle \square \zeta \square'' \wp \mid^{\text{TM}} \langle$
 $+ \downarrow \pm \square , H \downarrow \leftarrow B \mid \square + \downarrow \pm \square \square \mid \geq T \dots \downarrow = \square \mid \mid \square \leftarrow \sim \theta + \mid \square < \square \downarrow = + \& \square T \varepsilon \sqrt{\sigma$
 $\mathfrak{S} T : . T^{\text{TM}} \langle T : . \delta \text{---} \downarrow \leq \varepsilon \# \langle \beta \subseteq \sigma \square \varphi \langle T \Delta'' \square \square 40 \sim H \square : . T \mid \downarrow \leq \varepsilon T + > \pm$

$\# \rfloor \delta \text{---} \theta \# \wp \beta \rfloor \sigma \tau \tau \theta \vee + \langle \square + \Leftarrow \rfloor \angle \varepsilon \equiv \subset , \square \sigma \wp > \bullet \leftrightarrow + \oplus \leq \Lambda \& \square \lhd \leq$
 $\langle \square \tau \geq \rfloor \square \& \square \tau^{\text{TM}} \langle \tau + \sim .$

6. $\vee \int \square \tau \square + \equiv \theta \square \zeta \square^{\text{TM}} \sigma \mathfrak{T} + \wp \sigma \mathfrak{T} \square \varepsilon \tau > \bullet \tau \geq \oplus \leq$

$\square :$

$\rfloor \rfloor \square \wp \rfloor \vee > \bullet \exists < \int \square \theta +$

$\Xi \varphi' \rfloor \rfloor$

$\zeta + \vee > \bullet \delta \square \rfloor \leftrightarrow + \oplus \leq \square + \vee \int \square \lhd \leq \sigma \mathfrak{T} \square + \# \langle \Xi \rfloor \varepsilon \tau + \# \langle \square \& \square \vee'' \theta . : .$

$\psi \square \tau$

$\square \zeta \square^{\text{TM}} \sigma \mathfrak{T} \rfloor \square \# \langle \mathsf{H} \square \sigma \mathfrak{T} \square + \delta \square \square \sigma \square \exists \tau \# \langle \varepsilon \square \lhd \wp < \square \sigma \mathfrak{T} \psi \square \tau \rfloor \rfloor$
 $\vee \int \varphi \cup \theta + \# \rfloor \delta \text{---} \theta^{\text{TM}} \langle \sigma \mathfrak{T} \tau \psi \square^{\text{TM}} \langle \oplus \leq \square \& \square \# \rfloor \Leftarrow^{\text{TM}} \wp \vee \& \square \tau f$
 $\# \langle \tau \geq \vee \dots \delta \square \in \square \infty \delta \square \vee \rfloor , \square \Xi \varphi' \lhd \pm \square \square \text{ } 9 \kappa \subseteq \sigma \mathfrak{T} \tau' . : . \tau \square \rfloor \text{---} + \# \square * .$
 $\square \exists < \int \square + > \pm \# \rfloor \wp \langle \tau \tau \geq \varepsilon . : . \theta \vee \int \square \tau \square + \equiv \theta \square \zeta \square^{\text{TM}} \sigma \mathfrak{T} + \rfloor \square \Pi \rfloor \rfloor > \pm \wp \sigma \mathfrak{T}$
 $\square \psi \rfloor \tau \rightarrow \Xi \rfloor \downarrow \sigma \square \square \lhd \rfloor^{\text{TM}} \langle \tau \omega \text{---} \dots \square , \rfloor \square \vee \omega \text{---} \dots \square \lhd \leq * \angle \delta \square \tau \rfloor + \sim .$

7. $\lhd \pm \cap < \div \square \varepsilon \tau \tau . : . \tau > \bullet \tau \Delta \varepsilon +^{\text{TM}} \langle \varepsilon \tau > \bullet \tau \geq \oplus \leq \square$

$:$

$\rfloor \rfloor \square \wp \rfloor \vee > \bullet \exists < \int \square \theta +$

$\Xi \varphi' \rfloor \rfloor$

$\zeta + \Xi \rfloor \downarrow \sigma \mathfrak{T} \cup \sigma \mathfrak{T} \rfloor \downarrow \vee \int \square \vee^{\text{TM}} \rfloor \psi \square \leftrightarrow \sim \rfloor \rfloor > \bullet \delta \square \rfloor \lhd \leq \Rightarrow \textcircled{\text{R}} \square \neq \sigma$

$\Omega \omega \square < \int \square + \mathsf{X}'' \zeta \square'' \square \mathsf{M}^{\text{TM}} \wp \wp \langle \tau + \psi \rfloor \Pi < \wp \leftrightarrow \mathsf{H} \square \sigma \square \wp \langle \tau \Delta \wp \zeta$
 $\square'' \rfloor : \rfloor \rfloor$

$\equiv \psi \rfloor \Pi \mathsf{H} \square , \psi \rfloor \Pi < \square \leftrightarrow \downarrow^{\text{TM}} \square \leftrightarrow \rfloor \square \vee \# \langle \tau \subset \lhd = \mathsf{H} \rfloor \geq \rfloor \square \vee \in \& \square \tau , >$
 $\pm' \delta \square \tau \rfloor \varphi \Omega \omega \square < \int \square \square \square \beta \rfloor \delta \text{---} \oplus \leq \square \& \square \# \rfloor \Leftarrow \square < \square \square \square \rfloor \Pi \square \rfloor \{ \rfloor \dots \lhd \pm$
 $\square , \delta \square \vee \in \mathsf{H} \square^{\text{TM}} \wp < \square \square \square \lhd \leq . : . \tau \rfloor \square \vee^{\text{TM}} \langle \vee \lhd \pm \square , \square \rfloor \Pi \Xi \varphi' \lhd \pm \square \square \text{ } 9 \varepsilon \vee$
 $\sigma \mathfrak{T} \tau . : . \tau \rfloor \square \rfloor \otimes + \equiv \square \delta \exists + \# \langle \tau \geq \varepsilon . : . \theta \Xi \rfloor \lhd \rfloor \rfloor \varepsilon +^{\text{TM}} \langle \psi \rfloor \tau \rightarrow , \Omega \omega \square < \int \square$

$\therefore T \sigma \wp > \bullet \square \psi \square \sigma \mathfrak{S} \Delta \# \rfloor \wp \langle T T \geq \rfloor \wp \varepsilon T] + ^{TM} \langle > \bullet T \Delta \varepsilon + ^{TM} \langle \psi \rfloor T \rightarrow \square \sigma$
 $\wp > \bullet \leftrightarrow \varepsilon + ^{TM} \langle \psi \rfloor T \rightarrow \square \sigma \wp > \pm \square \square \mid \mid \square \kappa \subseteq \sim \kappa \subseteq \mid \sigma T T.$

8. $\exists \psi \square \zeta \square'' \square \square \zeta \square'' \delta \square \in \Leftarrow \varepsilon T + \mid ^{TM} \langle \kappa \subseteq < \int \square \theta :$
 $\exists \sim \int \exists < \int \square \theta +$

$\mid \mid \square \delta \square T \mid ^{TM} \langle \delta \square \varepsilon \vee \cup + \rfloor \wp \square \delta \odot \mid \therefore \oplus \leq \square \exists \psi \square \zeta \square'' + \square \therefore \delta \square \leftrightarrow \varepsilon T$
 $> \bullet T \geq \delta \square \sigma \mathfrak{S} \cap \delta \square < \int \square \sigma \mathfrak{S} \Delta \psi \rfloor T \rightarrow \beta \rfloor \sigma T T + \sim. \oplus \leq \square \cup < \wp \chi \subseteq \therefore T, \Xi$
 $\rfloor \square \sigma \square \zeta \square \Theta < \wp \chi \subseteq \therefore T, \downarrow \pm \therefore \delta \square \sigma \mathfrak{S} \in < \wp \chi \subseteq \therefore T, X'' ^{TM} \langle \downarrow \leq \downarrow ^{TM} \langle \leftrightarrow \vee$
 $\sim \int \downarrow \leq \psi \rfloor T \rightarrow \beta \rfloor \wp \langle \vee \sigma T T. B \square \downarrow \rfloor \downarrow \pm \sigma \mathfrak{S} \Delta + \wp \langle T T > \bullet \mid \mid \square \vee \int'' \varepsilon +, \downarrow \leq *$
 $\downarrow \leq \sigma \otimes \wp \sigma \mathfrak{S} \square \wp \langle T +. \square \delta \odot \mid \therefore \oplus \leq \square \exists \psi \square \zeta \square'' \delta \square + \square + < \int \square < \wp \chi \subseteq \therefore T$
 $X'' ^{TM} \langle \downarrow \leq \downarrow ^{TM} \square \leftrightarrow \square \theta \square \mid \square \vee \in \& \square T, < \wp \omega \square + \downarrow \leq * Z + \# \rfloor \mid > \bullet \zeta \square ^{TM} \therefore \theta$
 $T \square \sigma \square \sim \int + \# \langle \varepsilon < \square T \uparrow \rfloor. \square \exists < \int \square + > \pm \# \rfloor \square \delta \mid \square \mid > \bullet \zeta \square ^{TM} \therefore T \varepsilon T] + ^{TM} \langle$
 $\Xi \rfloor \downarrow \rfloor \mid \square \mid \square \vee + E \downarrow = \square, \varepsilon T] + ^{TM} \langle \square \therefore \delta \square \leftrightarrow + \# \rfloor \wp \langle T \& \square \square \downarrow \rfloor \delta \square \varepsilon T \sigma \mathfrak{S}$
 $\emptyset \varepsilon T \int ^{TM} \square \wp \langle T \theta \square \exists \omega \square \wp \langle T + \vee \theta T \vee \int \square \varepsilon + \rfloor \wp \sigma \mathfrak{S} T E \psi \rfloor \Pi + \sim \downarrow \leq \theta T \downarrow$
 $\leq \exists \psi \square \zeta \square'' \delta \square + \square + < \int \square < \wp \chi \subseteq \therefore T \theta \square \psi \square \sigma \mathfrak{S} T, \exists \psi \square \zeta \square'' \downarrow \pm \sigma \mathfrak{S} \oplus \leq \square$
 $\& \square T, \oplus \leq \square \geq T + \square, \delta \square + ^{TM} \square \theta \downarrow \pm \sigma \mathfrak{S} \oplus \leq \square \& \rfloor \Pi \theta > \bullet T \sigma \mathfrak{S} T \mid > \bullet \zeta \square'' \square$
 $\square (\square \square \zeta \square'' \delta \square \in \Leftarrow) \square \sigma \square \sim \int + \# \langle T \geq \Xi (\square \delta \square \mid \delta \square \varepsilon T \square ^{TM} \langle \psi \rfloor T \rightarrow \theta \sim. \vee \theta$
 $T \vee \int \square \varepsilon \wp \langle T T \downarrow \leq \mid \psi \rfloor T \rightarrow \theta \mid \square * ^{TM} \square \therefore \theta T \mid \mid \square \kappa \subseteq \sim + \# \rfloor \sim. \exists \psi \square \zeta \square'' + \downarrow \pm$
 $\varepsilon \therefore \delta \text{---} \theta \square \delta \odot \mid \therefore T \square \square \zeta \square'' \delta \square \in \Leftarrow \square \sigma \square < \int \square \theta ^{TM} \langle \mid \square \in \downarrow \leq \# \rfloor \wp \langle \vee *.$
 $\delta \square + \downarrow \leq \therefore \varepsilon + : \zeta + \vee \delta \square \leftrightarrow \lambda \square \square \zeta \square'' \mid \square \in \Leftarrow \varepsilon T + \mid ^{TM} \langle \delta \square \leftrightarrow, \mid \square \zeta \square'' \square \square$
 $T T \omega \text{---} : ,$

$\vee \theta T \omega \square \clubsuit \dots \mid \tau \# \int \langle + < \square : , \delta \square \vee \sigma \square \# \square \sigma \wp \leftrightarrow < \rfloor \varepsilon ^{TM} \square, \square \square + ;$

$\cup + ,$

$\varepsilon T \varepsilon T o \mid \mid \square \square T \exists \psi \square \zeta \square'' \delta \text{---} < \square \emptyset \leftrightarrow \neq \sigma \emptyset \cup ^{TM} \rfloor \exists \square \wp \rfloor \vee > \bullet :$
 $\varepsilon T + \mid ^{TM} \langle + : \zeta + < \rfloor \psi \square H \square + \# \langle \square T T \omega \odot H \square + \# \langle > \bullet T \sigma \mathfrak{S} T + \downarrow \pm + \# \langle \theta \delta \square$
 $\square \square \vee \int \square \psi \square T$

$\square T \sim \emptyset \varepsilon T + ^{TM} \langle \psi \square T \mid \Leftarrow \rfloor \wp \neq \downarrow \Xi \rfloor + ^{TM} \langle + \theta \varepsilon \vee \exists T \square \square \zeta \square'' \delta \square \in$
 $\Leftarrow \psi \square T \rfloor \rfloor (27 \varepsilon \vee \sigma \mathfrak{S} T \therefore T)$

$\varepsilon T + | \text{ }^{\text{TM}} \langle + : \zeta + \approx \approx \square\square + \square\square \zeta \square " \delta \square \in \text{ }^{\text{TM}} \langle \varphi \rfloor T \theta \varepsilon T : \infty \infty (300 \varepsilon \sqrt{\sigma \mathfrak{S} T : T})$

$\square \exists < \int \square + > \pm 40 \sim H \square : T \square\square \zeta \square " \delta \square \in \leftarrow \kappa \rfloor \parallel \text{ }^{\text{TM}} \square\square\square , \varepsilon T + | \text{ }^{\text{TM}} \square\square\square \cup | \text{---} \delta \square \sqrt{ | } , \square\square \zeta \square " \delta \square \in \leftarrow \exists \exists < \int \square \varepsilon \delta \square T | \varepsilon \vee \wr \supset \prod \theta \Xi \backslash \theta > \bullet : . T , \square \text{ }^{\text{TM}} \square | \sigma T T , H \square] + \cup , \downarrow = \square \textcircled{R}] \downarrow \pm \varphi \langle T : T \varepsilon \mathfrak{R} > \prod \sigma \square \psi \square \sigma \square\square \downarrow \rfloor \downarrow = \downarrow \leq \kappa \subseteq] > \pm \square , (> \bullet T \sigma \mathfrak{S} T \psi \square \sigma \mathfrak{S} + , > \bullet T \sigma \mathfrak{S} T \zeta \square " \wp \sigma \mathfrak{S}) | | \square \leftarrow \sim \theta + \downarrow \pm \square < \square \theta + \# \rfloor \delta \text{---} \theta \varphi \rfloor T \& \square : . \text{ }^{\text{TM}} \langle | \square \in \downarrow \leq \square\square \zeta \square " \delta \square \in \leftarrow \square \circ \sigma \square \cap < \square + \downarrow \leq * Z , \exists \psi \square \zeta \square " + \cup \sigma \mathfrak{S} T > \bullet T \text{ }^{\text{TM}} \langle T + \sim . \kappa \rfloor \parallel \text{ }^{\text{TM}} \langle \varepsilon T + | \text{ }^{\text{TM}} \square : T \# \rfloor \text{---} \in \theta \delta \square + K \leftrightarrow \downarrow \leq H \square\square \vee \sim \rfloor \downarrow \leq + > \pm \# \rfloor \varphi \langle T < \square : \# \langle T \downarrow = \theta \square \psi \square \sigma \mathfrak{S} T \square \sigma \mathfrak{S} \vee \int \square \leftrightarrow + \text{ }^{\text{TM}} \langle \sigma \mathfrak{S} + > \pm \# \rfloor \varphi \langle T \varepsilon \# \langle T \subset \theta T . \vee \sim \rfloor \downarrow \leq \psi \rfloor T \rightarrow \theta | \square\square : . + \varepsilon \delta \square T | + \sim .$

9. $< \square T \delta \square \cap \beta \subseteq \square : T \zeta \square "] + \# \rfloor | \beta \subseteq \vee \int " \leftarrow \downarrow \leq \varepsilon T + > \bullet \Rightarrow \rfloor \kappa \rfloor \parallel \text{ }^{\text{TM}} \langle \varepsilon T T :$

$| \square \Pi \sigma \mathfrak{S} \cap > \pm < \int \square : \text{---}$

$\approx \approx \delta \square T \neq \downarrow \infty \infty \vee H \rfloor \square | \sigma \mathfrak{S} T > \bullet : . \sigma \square \downarrow \leq \square \delta \square \sigma \square E \oplus \leq \square \vee \sigma \mathfrak{S} \Delta \leftrightarrow + \wr \varphi \square \square T T \omega \square \clubsuit : T \# \rfloor \text{---} \in \theta \kappa \rfloor \parallel \text{ }^{\text{TM}} \langle \exists T \sim . \infty \varepsilon \vee \& \square T \square \kappa \rfloor \parallel \text{ }^{\text{TM}} \square\square\square | | \square \varepsilon \zeta \text{---} " + \# \langle \& \square \& \square H \rfloor | \square \vee \sigma \square \Delta | | \square \rho \leftarrow \oplus \leq \Lambda \& \square \downarrow \leq : . < \square T . \exists \sim \rfloor \exists < \int \square \theta + :$

1. $\square < \square \varphi \langle T + \square | < \square \theta T + \& \square \wr \rangle \varepsilon > \pm H \rfloor \vee \sigma \mathfrak{S} \# \rfloor \sigma T T \# \langle \sqrt{\delta \square T} \downarrow = \square , \# \rfloor \text{ }^{\text{TM}} \langle T : T X \varphi \& \square + \equiv \square \kappa \rfloor \parallel \text{ }^{\text{TM}} \langle \varepsilon T T | \square \rfloor \otimes + \# \square * .$

2. $\square | \square \sigma \otimes \mathfrak{S} \theta + \varepsilon : . \theta \mathfrak{R} \sigma + \& \square T | \square\square * \text{ }^{\text{TM}} \square : T \delta \text{---} \sim \emptyset \kappa \subseteq | \sigma T T . \sigma \square | \leftarrow \downarrow \leq : . \wr \varphi \downarrow \leq * Z \theta < \square T \delta \square \cap \beta \subseteq \varepsilon : T , \vee \int \square \varphi \langle \sqrt{ : T \varepsilon : . ' \downarrow \leq * \neq >$

$\vee \Xi \rfloor + \leftarrow \text{ }^{\text{TM}} = : . > \bullet T \geq , \varepsilon T \sigma \mathfrak{S} : . \sigma \square | \leftarrow | \square \& \square T \downarrow = H \rfloor \downarrow \leq \varepsilon \sigma \mathfrak{S} \oplus \leq \square \sigma \wp \cup + \text{ }^{\text{TM}} \square \mu \geq T \varepsilon + \{ \rfloor \vee | \square \Xi \rfloor \oplus \leq \square H \square : T \vee \downarrow \pm : . \vee " < \int \square : T \downarrow \leq : . > \bullet \oplus \leq \square + \& \square \sigma \mathfrak{S} \downarrow \leq \square \Delta .$

$\kappa \rfloor \parallel \text{ }^{\text{TM}} \langle \varepsilon T T : \text{---}$

$\lfloor \square \zeta \square " \square , \varepsilon T T \sigma \square \rfloor , \square \delta \text{---} \rfloor \rfloor \square \vee \sigma \square + {}^{\text{TM}} \langle \downarrow \pm \downarrow , \vee \rfloor " \theta T : . \Xi \rfloor o , \vee$
 $\rfloor \square \sqrt{\exists T \delta \square T {}^{\text{TM}} \wp \square T < \rfloor \square \Xi \rfloor \subset$
 $> \bullet T \sigma \mathfrak{Z} T \Xi \rfloor \subset , \Xi \rfloor \square \rfloor \downarrow \leq : , \delta \square \zeta \square " \vee \rfloor " \theta T X \rangle \theta , \oplus \leq \square \sigma \mathfrak{Z} \cap + {}^{\text{TM}} \langle$
 $T \delta \square \neq \sigma \cap \varepsilon T \varepsilon T \delta \square T \rfloor \rfloor \square \vee \rfloor " {}^{\text{TM}} \langle \psi \square T \rangle \rangle$
 $\vee \rfloor \square \square > \bullet T \sigma \mathfrak{Z} \cap \delta \text{---} \omega \square \rfloor : , \rfloor \downarrow \leq {}^{\text{TM}} \langle T \sigma \mathfrak{Z} + \& \square \sigma \square \Xi \rfloor \subset \varepsilon T \theta T : ,$
 $\square \vee : . \delta \square \rfloor \leftrightarrow : \rfloor \square \vee : . \zeta \square " : \delta \square > \square {}^{\text{TM}} \langle \varepsilon T :$
 $\mathfrak{R} \sigma \Pi \vee \rfloor \not\leftrightarrow \varepsilon T \downarrow \equiv \Xi \rfloor \subset \leftrightarrow \varepsilon H \wp \square T T \vee \rfloor \square T \Xi \rfloor \subset \oplus \leq \square \sigma \mathfrak{Z} \cap +$
 ${}^{\text{TM}} \langle T \delta \square \neq \sigma \cap \varepsilon T \varepsilon T \delta \square T \rfloor \rfloor \square \vee \rfloor " {}^{\text{TM}} \langle \psi \square T$
 $\rfloor \square \square B \rfloor \cap \delta \square , > \bullet + < \rfloor \square \delta \square , \sigma \mathfrak{Z} \kappa \subseteq \delta \square \rfloor < \rfloor \square \rfloor : , \delta \square \in \sigma \mathfrak{Z} \square \Xi \rfloor$
 $\subset \psi \square \wp \langle T T \sigma \mathfrak{Z} \blacklozenge : . \theta : \delta \square {}^{\text{TM}} \rfloor X " :$
 $\theta \vee \rfloor \square : \delta \square \Xi \rfloor \square \uparrow + \varepsilon T \zeta \square " {}^{\text{TM}} \square \delta \square \square \zeta \Pi " \varepsilon \wp \langle T \# \langle \subset \leftrightarrow + {}^{\text{TM}} \langle T \delta \square \neq$
 $\sigma \cap \varepsilon T \varepsilon T \delta \square T \rfloor \rfloor \square \vee \rfloor " {}^{\text{TM}} \langle \psi \square T$
 $\delta \square \beta \subseteq \rfloor \sigma \mathfrak{Z} \square \psi \square , \delta \square \rfloor \square \rfloor \oplus \leq \square \} " \# \langle \} " \Xi \rfloor \subset , \delta \square \rfloor \square \rfloor \sigma \mathfrak{Z} \rfloor \wp \rfloor \vee , B$
 $\cap \rfloor \square \varepsilon \sigma \square \Xi \rfloor \subset \delta \square \rfloor \square \rfloor$
 $\vee \rfloor \square \sqrt{\sigma \square \sim \downarrow \leq \square {}^{\text{TM}} \square \cap , \vee \rfloor \square T \varepsilon H \square \square \delta \square \rfloor \square \rfloor < \square < \square + {}^{\text{TM}} \langle T \delta \square \neq \sigma$
 $\cap \varepsilon T \varepsilon T \delta \square T \rfloor \rfloor \square \vee \rfloor " {}^{\text{TM}} \langle \psi \square T$
 $\square {}^{\text{TM}} \langle \emptyset + \rfloor \rfloor \square \vee \rfloor " {}^{\text{TM}} \rfloor , \rfloor \square \sigma \mathfrak{Z} \varepsilon T + \rfloor \square \Xi \rfloor {}^{\text{TM}} \langle + \rfloor \square \neq \sigma \otimes {}^{\text{TM}} \Psi \delta \square \square \neq \sigma <$
 $\square \cap \rfloor \Xi \rfloor \square \Delta T \wp \langle \vee \# \langle \subset \leftrightarrow \vee \rfloor \square \downarrow \pm \rfloor \leftrightarrow$
 $< \square T : \delta \square \cap \rfloor \square \square H \square \Xi \not\subset \vee \theta \rfloor \square \square T : \delta \square T \rfloor \rfloor \square \vee \rfloor " {}^{\text{TM}} \langle \psi \square T \vee \rfloor \square \psi \rfloor \# \langle$
 $\subset \delta \square {}^{\text{TM}} \langle \leftrightarrow + \vee \rfloor \square > \bullet \varepsilon \rfloor {}^{\text{TM}} \langle \in \kappa \subseteq < \square {}^{\text{TM}} \Psi .$
 $\rfloor \square \square : . \rfloor \Xi \rfloor \square \leftarrow :$

1. $\sigma \square \rfloor \leftarrow \rfloor \square \Pi \geq \delta \square \rfloor > \pm Z \square \rfloor < \square \rfloor \square \geq \dots \square \psi \square \sigma \mathfrak{Z} T$
2. $\square \rfloor < \square \} \not\subset \vee H \rfloor \downarrow \leq \varepsilon \sqrt{\sigma \mathfrak{Z} T : . T \psi \rfloor T : . \oplus \leq \square \varepsilon \equiv \subset \leftarrow \rfloor \angle \square \rfloor < \square \rfloor \square$
 $\geq \dots \square \psi \square \sigma \mathfrak{Z} T$
3. $\square \rfloor < \square \} \not\subset \theta \& \square \# \rfloor \vee : . \psi \square \geq T \theta \square \psi \square \sigma \mathfrak{Z} T$
4. $\wp \langle T \downarrow \rfloor \square \Delta Y < \rfloor \varepsilon {}^{\text{TM}} \langle : . \varepsilon : . ' \square \rfloor < \square \vee \rfloor \square + > \bullet + \beta \rfloor + < \square T {}^{\text{TM}} \langle T \theta \square$
 $\psi \square \sigma \mathfrak{Z} T .$

$\square \kappa \rfloor \rfloor \rfloor {}^{\text{TM}} \langle \rfloor \square \sigma \otimes \mathfrak{Z} \theta \varepsilon T T \varepsilon : . ' \square \psi \square \sigma \mathfrak{Z} \Delta : . T \beta \rfloor + < \square \varepsilon \# \langle T$
 $\subset \theta T .$

$$10. \varepsilon \square \downarrow \leq \square \mid \mid \square \Leftarrow \chi \subseteq \mid \mid \square \theta \exists < \int \square T \therefore T$$

$$(\# \mid \geq T' \ H \square \theta T \geq \varepsilon \therefore \theta \mid \square \square \}' \therefore T)$$

$\langle \square H \square \therefore T, < \int \square \sigma \square \square \therefore T, \mid \varepsilon^{TM} \square \therefore T, \mid \square \Pi \cup \therefore \varepsilon \rangle \supset \# \mid \geq \theta T \mid \mid$
 $\square \Leftarrow \omega \square \mid \# \mid \varphi \langle TT \geq \mid \rangle < \square H \square \geq T \geq \psi \square \{ \mid \square \mid \square \Pi \square + \# \langle T \geq \varphi \langle TH \mid \& \square \mid$
 $\# \square \sigma \mathfrak{S} \varepsilon TT \ \varsigma \text{---} " + < \square \sqrt{\kappa} \subseteq + \mid \mid \square < \square \varphi \langle T \varepsilon T + < \square T \downarrow \leq \therefore < \square T. \# \mid \geq \theta T \mid \square$
 $\Pi \square + \# \langle T \geq \psi \mid \mid \int^{TM} \langle \theta + > \pm \mid \square < \int \square T \square \oplus \leq \square \therefore T \vee \int " \exists + \# \langle T \geq \downarrow \leq \therefore < \square$
 $T. \downarrow \pm \mid \mid \mid \square \rho \ \varepsilon \square \downarrow \square \pm \square \downarrow \mid \mid \sigma \mathfrak{S} \kappa \subseteq \sigma TT \theta \# \langle \sigma \mathfrak{S} \leftrightarrow, \vee \varphi \langle T \kappa \subseteq \neg +^{TM} \langle \varepsilon \therefore$
 $\varphi \langle T +, X \square \omega \square B \int > \bullet T \Delta + \downarrow \leq * Z \varphi \langle TT + \{ " \varphi \langle T \square, \psi \square \{ \mid \# \langle \sigma \mathfrak{S} \leftrightarrow, \mid \square$
 $\Leftarrow \# \langle \sigma \mathfrak{S} \leftrightarrow \therefore T \ \varepsilon T \theta \square \mid \Pi \mid \square \square \# \mid \kappa \subseteq \mid \varphi \langle T \square \square \mid \square \vee \in \& \square \mid \square \vee \in \& \mid \square \varphi \mid \sqrt{}$
 $\phi \supset \downarrow \pm \square \therefore \vartheta \vee _ \int \varepsilon \square \sim \emptyset \varepsilon \therefore \theta \psi \mid \therefore ' \& \square \varphi \langle T > \bullet T \# \langle T \theta \square \exists. \mid \beta \subseteq N \theta T$
 $\therefore T \# \mid \geq \theta T \mid \square \Pi \square + \# \langle \varepsilon TH \square \square \sigma \mathfrak{S} + \phi \rangle \psi \square \neq \sigma < \wp \vee X " \odot \theta T \therefore \square \vee \int "$
 $\exists + \mid \square \sigma \square < \square T. \cong \sigma \mathfrak{S} \downarrow \leq \psi \mid T \rightarrow \theta \# \mid \geq T' \ H \square \{ \mid \mid \square \Pi X " \sim \downarrow \pm \therefore T \# \mid \square \delta \mid,$
 $\cong \varphi \mid T \downarrow \wp \mid \downarrow \leq \therefore T \ \delta \text{---} \sim \emptyset \kappa \subseteq \mid \varphi \mid \sqrt{} \square \downarrow \leq \neg \& \square \mid \text{---} + < \square \mid \square \sigma \mathfrak{S} T \delta \square T$
 $\mid H \square \square \theta T. \square \delta \text{---} \mid \oplus \leq \square \}' \supset \Pi \theta \square \delta \odot \mid \therefore T \psi \square \{ \mid \square > \bullet \varepsilon T \square + \equiv, \delta \square^{TM} \langle$
 $\in \Leftrightarrow *^{TM} \square \square \square \beta \mid + < \square > \bullet \therefore \sigma \mathfrak{S} \square \square \infty \delta \square T \mid H \square \square \theta T.$

$$\beta \subseteq \{ \mid + \# \langle \varepsilon \therefore \delta \text{---} \theta \exists < \int \square T \therefore T$$

1. $\square + \{ \mid \}' \not\subseteq H \square \{ \mid \theta \# \mid \geq T \dots \oplus \leq \square \mid \mid \square \Leftarrow \sim \theta + \mid \sigma \mathfrak{S} T \beta \mid \varphi \langle \sqrt{} *$.
2. $\mid \mid \square \Leftarrow \sim \theta + B \mid \square + \square \mid \{ \mid \dots \theta \varepsilon T \delta \square \neg \mid + \# \square *$.
3. $\mid \mid \square \Leftarrow \sim \theta + \mid \square \delta \square T \mid \square \vee, \oplus \leq \square + \oplus \leq \square \varepsilon T \therefore T \ \delta \square \varepsilon T \mid \in + \equiv, \vee \downarrow \leq \square^{TM} \langle$
 $\therefore T \cup \}'''' *$.
4. $\psi \square \sigma \square \square \downarrow = \downarrow \leq \kappa \subseteq \mid \theta \downarrow \leq \mid \varepsilon TT \ \beta \subseteq \{ \mid + \equiv (\sigma \square \mid \Leftarrow \downarrow \mid \varepsilon \sqrt{} \mid^{TM} \langle \psi \mid T \vee$
 $\int \not\subseteq \cup \theta +) \square < \square \varphi \langle T + \kappa \subseteq \varphi \langle T + \mid^{TM} \langle + \varepsilon \square \downarrow \square \pm \square \downarrow \mid \mid \square \Pi \cup \# \mid \varphi \langle \sqrt{} *$.
5. $H \square \{ \mid \theta \varepsilon \square \downarrow \square \pm \square \square \cup \exists^{TM} \langle \downarrow \pm \therefore \varepsilon T + < \square T \mid^{TM} \langle T + \# \langle T \geq \downarrow \pm \square, \theta \sigma \mathfrak{S} \oplus$
 $\leq \square \geq > \pm \square, \exists \sigma \mathfrak{S} T \# \langle T \geq > \pm \square, \vee \varepsilon TT \square \geq > \pm \square \# \mid \varphi \langle T \sigma \square < \square T.$
6. $H \square \{ \mid \varepsilon \square \downarrow \square \pm \therefore \theta T \ ^{TM} \langle \theta T \square \geq \downarrow \pm \square, \mu \oplus \leq \square \neg \geq \downarrow \pm \square, \vee \Xi \mid \square < \square \emptyset \varepsilon \delta \square$
 $T \mid \varepsilon \vee \therefore T \ \# \langle T \geq T \dots \mid \mid \square \downarrow \leq \neg \therefore \psi \mid \varphi \langle TT \geq \downarrow \pm \square \# \mid \varphi \langle T \sigma \square < \square T.$

11. $\downarrow \mid \leq \varepsilon \sqrt{\delta} \mid \Xi \mid \mid^{\text{TM}} \langle \varphi \mid \sqrt{} < \mid$

$\infty \varepsilon T \zeta \text{---}'' \varepsilon T$

$\mid \Pi \sigma \mathfrak{Z} \cap > \pm < \int \mid : \text{---}$

$< \mid B \int \equiv \varepsilon T \zeta \mid^{\text{TM}} \varepsilon T T \mid \mu \varepsilon T T \downarrow \leq \therefore \text{TM} \wp \mid + \mid < \mid \sim < \mid \varepsilon^{\text{TM}} \langle \therefore T \text{TM} \langle \varphi \langle \sqrt{\sigma \mathfrak{Z} T \#} \mid \delta \text{---} \theta \mid \varphi \langle T T < \int \mid \varepsilon T T \therefore \theta T \mid \mid \varphi \mid \sqrt{\angle + \equiv \theta} \varepsilon \mid^{\text{TM}} \mid \delta \mid \sigma \mathfrak{Z} T \& \mid T \vee +^{\text{TM}} \langle \psi \mid T T + < \mid \rangle < \mid T. \vee^{\text{TM}} \langle \mid \mid \geq' \mid \varphi \langle T T < \int \mid \therefore \mid \mid \omega \mid \in \Leftrightarrow \therefore \varepsilon \sqrt{\varphi \mid T \theta T. \mid + \mid < \mid \sim < \mid \varepsilon^{\text{TM}} \langle \therefore \oplus \leq \mid \vee \int \mid \varphi \langle T \varepsilon \sqrt{\varepsilon \zeta \text{---}}'' + \# \mid \theta T. \cong \exists T \# \mid \varphi \langle \sqrt{\leftrightarrow} \mid \varphi ? \mu \varepsilon \mid H \mid \Xi \mid \sigma T T + \# \mid \varphi^{\text{TM}} \mid * \varphi \langle T \mid \delta \mid + \downarrow \leq \geq \delta \text{---} \mid \Leftarrow \downarrow \leq * Z + \sim. \vee \mid \vee \in \& \mid T < \mid \varepsilon^{\text{TM}} \langle \therefore \oplus \leq \mid > \bullet T \sigma \mathfrak{Z} T \psi \mid \Pi \theta \mid \zeta \mid \delta \mid \in \Leftarrow \downarrow \pm \downarrow \mid \downarrow \leq \varepsilon \sqrt{\delta} \mid + \mid \varphi \varepsilon \equiv \subset \theta \Xi \mid \mid^{\text{TM}} \langle \varphi \mid \sqrt{} < \mid \infty H \mid \& \mid T \infty \varepsilon \vee \mid \sigma \mid \sim \int \mid \delta \mid \mid \varphi \langle T T < \mid \therefore T \Xi \mid \downarrow \mid \mid \varepsilon T +^{\text{TM}} \mid \supset \Pi \varepsilon \mid^{\text{TM}} \mid \delta \mid T \sigma \mathfrak{Z} T \mid \varepsilon \sim \int + \mid \mid \delta \mid \varepsilon T \sigma \mathfrak{Z} \emptyset \varepsilon +^{\text{TM}} \mid \therefore > \bullet T \theta T \delta \mid + < \mid \Xi \mid \exists T \# \mid \subset \theta T.$

$\exists \sim \int \exists < \int \mid \theta +$

1. $\downarrow \mid \leq \varepsilon \sqrt{\delta} \mid + \mid \varphi \Xi \mid \mid \psi \mid \sigma \mathfrak{Z} + \sigma \wp E \theta \mid \Pi \mid \mid > \pm \psi \mid \leftrightarrow \mid \text{---} \mid \# \mid + \sim \theta \mid^{\text{TM}} \langle \varphi \mid \sqrt{} < \mid \infty \sigma \wp E \delta \mid \varepsilon T \oplus \leq \Lambda \& \mid *.$

2. $\mid \sigma \wp \cup +^{\text{TM}} \mid \kappa \subseteq < \int \mid \oplus \leq \mid \& \mid T \mid \mid \psi \mid \delta \mid \varepsilon T T + \& \mid *.$

3. $\varepsilon T < \int \mid \leftrightarrow \zeta \mid \varepsilon T T \theta \sqrt{\Leftarrow} \mid \rangle < \mid \theta \sim \mid \{ \mid \varphi \kappa \subseteq \mid \theta + \# \mid \delta \text{---}, \theta T \varepsilon \vee \cap \therefore T, \mid \delta \text{---} \mid \downarrow \pm \varphi \langle T \therefore T, > \bullet + < \int \mid \varepsilon T T, \mid \vee \omega \mid \in \varepsilon T T \therefore T, \mid \mid \therefore \varepsilon T T \therefore \theta T \infty \vee \theta \downarrow \mid \vee \mid \in + \# \mid *.$

4. $\mid \mid < \wp \omega \mid \downarrow \pm \therefore + \mid \varphi (\kappa \subseteq \varphi \langle T + \mid^{\text{TM}} \langle + B \beta \subseteq \therefore T \mid \phi \rangle \dots \psi \mid \Rightarrow \mid) \varepsilon T \sigma \mathfrak{Z} \therefore \theta \sqrt{\Leftarrow} \mid \rangle < \mid \theta B \cup \therefore +^{\text{TM}} \wp \kappa \subseteq \mid \theta + \# \mid \delta \text{---} \infty \psi \mid \sigma \mathfrak{Z} \subset \theta \# \mid \varphi \langle \sqrt{} *.$

5. $100 \mid \rangle < \mid 32 H \mid \Leftarrow B \beta \subseteq \therefore \theta T \infty \vee \theta \oplus \leq \mid \delta \mid \varepsilon T \mid \in + \# \mid *.$

6. $108 \varepsilon \sqrt{\sigma \mathfrak{Z} T} \therefore T \infty \vee \theta \oplus \leq \mid \mid < \mid \downarrow \mid \Delta \varepsilon T T \therefore T, 108 \varepsilon \sqrt{\sigma \mathfrak{Z} T} \therefore T \theta \varepsilon T \kappa \subseteq \neg \sigma \mathfrak{Z} \varepsilon T T \therefore T \# \mid \varphi \langle \sqrt{} *.$

7. $108 \infty \varepsilon H \mid \varepsilon \sqrt{} \therefore \mid \varphi \infty \vee \mid \vee \mid \subset + \equiv, \text{TM} \langle \sigma \mathfrak{Z} T \psi \mid^{\text{TM}} \langle \varphi \langle T < \int \mid \exists \sim \int > \pm \infty \vee \mid \downarrow \mid \chi \mid \& \mid \chi \mid \mid \# \mid \sigma \mathfrak{Z} \mid \Pi \cup \# \mid \varphi \langle \sqrt{} *.$

8. $\square \varepsilon \mid \square \mid \mid \square < \wp \omega \square \downarrow \pm \therefore \delta \square \varepsilon T \wp \langle T + \wr \varphi H \mid \# \mid \wp \langle \sqrt{*}.$

$\square \sigma \square < \int \square H \square \mid \square \square \therefore \varepsilon T T :$

$\square \exists < \int \square + > \pm \square + \mid < \square T \& \square T \square \square \zeta \square " \delta \square \in \leftarrow v \theta \leftarrow \equiv \subset \theta \mid \mid \square \downarrow \pm \sigma$
 $\mathfrak{S} + \# \mid \delta \text{---}, \Xi \mid \downarrow \mid \mid \varepsilon T + {}^{\text{TM}} \square \wr \supset \Pi \theta \square \wp \langle T T < \int \square \therefore {}^{\text{TM}} \wp \varepsilon \square {}^{\text{TM}} \square \mid \delta \square T \sigma$
 $\mathfrak{S} T \square \delta \square + \zeta \square " \mid \# \mid \theta T. \downarrow \pm \varepsilon v \theta \varepsilon \sqrt{\theta} \varepsilon v \therefore T \oplus \leq \Lambda \& \square \square \exists < \int \square + > \pm \# \mid$
 $\square \delta \mid {}^{\text{TM}} \langle \mid \square \in \downarrow \leq \infty \varepsilon v \square v \theta T \mid > \bullet \zeta \square " + \downarrow \leq * \angle, \mid > \bullet \zeta \square ", > \bullet \square \zeta \square " v " < \int$
 $\square \therefore \theta T + \& \square \square \psi \square \sigma \mathfrak{S} \Delta \beta \mid + < \square T {}^{\text{TM}} \square \sigma \mathfrak{S} T. \square + < \square T \wr \varphi \equiv \varepsilon \sqrt{\mid} {}^{\text{TM}} \langle + \delta$
 $\square + < \mid \zeta \square " + \wr \rangle < \square T. v \sigma T T {}^{\text{TM}} \mid \downarrow \pm \downarrow \mid \downarrow \leq \varepsilon \sqrt{\delta \square + \wr \varphi \mid} {}^{\text{TM}} \langle \wp \mid \sqrt{< \square \infty \downarrow \leq *}$
 $\square \delta \mid \Xi \mid \square \psi \square \sigma \mathfrak{S} + \sigma \square \psi \square *. v + {}^{\text{TM}} \langle \varepsilon \sigma \mathfrak{S} \oplus \leq \square \psi \mid \equiv \square + \& \square * \varepsilon T \mid.$

$\therefore * {}^{\text{TM}} \square H \square \varepsilon T \varepsilon T + \mid {}^{\text{TM}} \langle \mid \square v \theta \Xi \mid \subset \sigma$
 $\mathfrak{S} \Delta \exists \exists < \int \square \square \psi \square \sigma \mathfrak{S} \Delta \wp \beta \subset \wp \langle \sqrt{\therefore}.$

T

2004 $\delta \square + \varepsilon {}^{\text{TM}} \langle \diamond \sigma \mathfrak{S} + v \downarrow \wp \dots \square \sigma \mathfrak{S} T H \mid \therefore \wr \varphi < \mid \exists \theta \varepsilon \sigma \square \mid {}^{\text{TM}} \langle T$
 $\therefore \mid \square \sigma \mathfrak{S} \cap \sim H \square \wr \varphi' v \varepsilon T \square \therefore > \bullet \theta \square v \varepsilon T \square \lambda \therefore * {}^{\text{TM}} \square < \mid \exists \delta \square < \square \leftrightarrow : \delta \square$
 $T \in \Leftrightarrow \sigma \mathfrak{S} \Delta > \pm \square v \int " \varepsilon \theta \downarrow \leq * Z + \equiv + \sim. \delta \square \zeta \square " \mid \delta \square H \square \varepsilon T \beta \subseteq \sigma \square \wp \langle T \Delta,$
 $\lambda \# \langle \mid \downarrow \pm \sigma \mathfrak{S} \subset \theta, \varepsilon T \sqrt{\therefore} \varepsilon T + \mid {}^{\text{TM}} \langle v \theta T \chi \subseteq \mid \theta + v + < \square \sigma \mathfrak{S} \sqrt{\# \mid \wp \langle T \wr \rangle \sigma \mathfrak{S}}$
 $T. H \mid \{ \mid \delta \square \varepsilon \sqrt{\cup + \wr \varphi} v + < \square \mid \downarrow \mid \kappa \subseteq < \int \square \leftrightarrow + \oplus \leq \Lambda \& \square \downarrow \pm < \square T. v \sigma$
 $T T {}^{\text{TM}} \mid \mid \square {}^{\text{TM}} \langle \leftrightarrow \varepsilon \sqrt{\square \wp \langle T + \wr \rangle} < \square v + \phi \rangle, \square + \sim \varepsilon T \mid. v \geq T \varepsilon + \{ \mid \delta \square T \in \Leftrightarrow$
 $\sigma \mathfrak{S} \Delta \rangle v \varepsilon T \square H \square \neq \downarrow \downarrow \leq * Z + \equiv + \sim. v \varepsilon T \square \square < \mid \Xi \mid \theta T \kappa \subseteq \sigma \mathfrak{S} + > \pm H \mid M \varepsilon \sqrt{\mid}$
 $\sigma \square Z \square \square M T \varepsilon T T + < \square T \square \mid \& \square T {}^{\text{TM}} \langle T H \square \square \therefore * {}^{\text{TM}} \square \delta \square \zeta \square " \mid \delta \square H \square \varepsilon \sqrt{\mid}$
 $\therefore \oplus \leq \square \mu H \wp \square \psi \square \leftrightarrow Y " \leftrightarrow H \square \therefore T, \{ Y \downarrow \leq \therefore T, \exists \varepsilon \sigma \mathfrak{S} \Delta \therefore T, \mid \square + \&$
 $\square {}^{\text{TM}} \langle T \wr \supset \Pi \theta \psi \square \sigma \mathfrak{S} T \exists \varepsilon \mid + \# \square \sigma \mathfrak{S} T. v \varepsilon \mid \square > = \mid \square \in \psi \mid. \downarrow \pm \square \varepsilon T < \int \square \leftrightarrow$
 ${}^{\text{TM}} \langle \sigma \mathfrak{S} > \bullet \leftarrow \psi \square \mid \downarrow \mid \varepsilon T T \kappa \leftrightarrow + > \pm \square < \wp \leftrightarrow > \pm \therefore T \# \mid \delta \square \sqrt{\mid}, \square + \{ \mid \mid$
 $\square \theta T \wr \varphi' \square \sigma \mathfrak{S} + {}^{\text{TM}} \langle \sigma \mathfrak{S} + \varepsilon T T \square \angle \beta \mid \wp \mid T \psi \square \mid \downarrow \mid, \delta \square \sqrt{\downarrow \leq \square \square + \wr \varphi} \psi \mid$
 $\sqrt{\downarrow \leq \square + \beta \mid + < \square \& \square \square \downarrow \mid v \varepsilon T \square H \square \downarrow Y \delta \square T \in \Leftrightarrow \sigma \mathfrak{S} \Delta \downarrow \leq * \angle + \equiv + < \mid \psi$
 $\mid \sqrt{?} v \varepsilon T \square \neq \downarrow {}^{\text{TM}} \mid * \wp \langle \sqrt{*}.$

$$\frac{\exists \exists < \int \square \lhd \wp \rfloor \lhd \leq :. T \delta \sim \emptyset + \# \rfloor}{\therefore *^{\text{TM}} \square H \square \varepsilon T \varepsilon T + \rfloor^{\text{TM}} \langle \cup \beta \subset :. T}$$

$$\underline{v\theta T \chi \subset \rfloor \theta \exists < \int \square \theta + :}$$

$$\square \# \langle \varepsilon T \leftrightarrow (\square \# \langle \varepsilon T \theta + \# \rfloor \wp \langle \vee *) \zeta + \neq \lhd \Xi \rfloor \psi \square \wp \langle T \kappa \subseteq \cap \zeta \square^{\text{TM}}, H \square$$

$$\sigma \square \wp \langle T \Delta'' \wp \langle T \kappa \subseteq \cap \zeta \square^{\text{TM}}, > \wp \exists + < \square \wp \langle T \kappa \subseteq \cap \zeta \square^{\text{TM}} \rfloor \rfloor \zeta + > \bullet + > \bullet \Delta \rfloor \square$$

$$^{\text{TM}} \langle \wp \rfloor T \theta \varepsilon T : , \zeta + \zeta \square'' + \zeta \square'' \theta T \varepsilon T^{\text{TM}} \rfloor \theta \varepsilon T : , \zeta + \delta \square \sigma \mathfrak{T} \cap < \rfloor \varepsilon^{\text{TM}} \square \delta \square \cap$$

$$\sigma \mathfrak{T} \vee \beta \subseteq \kappa \subseteq \sigma T T H \square < \int \square \wp \langle T \theta \varepsilon T : (\wr) < \square) (\mu \varepsilon \rfloor \lhd \rfloor \omega \square \dots \psi \rfloor T \rightarrow \theta$$

$$> \bullet T \sigma \mathfrak{T} T < \rfloor \varepsilon \vee :. \square \rfloor \sigma \mathfrak{T} T \# \langle T \sigma \mathfrak{T} T \subset \lhd \wp \varepsilon \# \langle T \subset \theta T)$$

$$\delta \square + \lhd \leq :. \rfloor \square \in + : \quad \overline{\zeta + \vee \delta \square \leftrightarrow \lambda \dots > \wp \rfloor^{\text{TM}} \langle \delta \square \leftrightarrow , \dots}$$

$$H \square \varepsilon T < \int \rfloor \wp \langle T \delta \square \leftrightarrow , < \rfloor \square \sigma \mathfrak{T} \square \rfloor \square \rho \square \delta \square \psi \rfloor T^{\text{TM}} \langle \delta \square \leftrightarrow (\delta \sim \emptyset$$

$$+ \rfloor \square \varepsilon :. \delta \sim \theta \lhd \pm \sigma \mathfrak{T} \leftrightarrow +) \delta \sim < \square \emptyset \leftrightarrow \sigma \mathfrak{T} \emptyset + , \Xi \rfloor \infty H \square \leftrightarrow \sim \psi \square \neq \uparrow \varepsilon$$

$$^{\text{TM}} \square \square T T \omega \square \wp \langle T : , v\theta T \omega \square \clubsuit \dots \rfloor \tau \# \rfloor \langle + < \square : , \lambda :. *^{\text{TM}} \square \vee \int \square \{'' \dots \rfloor \lhd \leq$$

$$\varepsilon T \zeta \square^{\text{TM}} \rfloor \Leftarrow \rfloor \square \vee \sigma \mathfrak{T} \delta \square T + < \square \downarrow < \rfloor \varepsilon^{\text{TM}} \square \square \sim \uparrow \Xi \rfloor \leftrightarrow , \lambda :. *^{\text{TM}} \square \rfloor \rfloor \odot^{\text{TM}} \langle$$

$$\leftrightarrow \sigma \mathfrak{T} \emptyset \leftrightarrow +. \varepsilon T \vee :. \varepsilon T + \rfloor^{\text{TM}} \langle \delta \square + \rfloor \square \vee \{ Y \lhd \leq \sigma \mathfrak{T} \Delta \delta \square \zeta \sim''^{\text{TM}} \langle \lambda :. *$$

$$^{\text{TM}} \square \rfloor \square \sigma \square < \rfloor \varepsilon^{\text{TM}} \square H \square \varepsilon T \varepsilon T + \rfloor^{\text{TM}} \langle \cup \rfloor + \lhd \leq \rfloor \chi \subset \leftrightarrow \exists T \rfloor \rfloor$$

$$\underline{1. \delta \square \varepsilon T + > \bullet \Rightarrow \rfloor^{\text{TM}} \langle \cap \varepsilon T T \beta \rfloor + < \square}$$

$$\underline{T \geq \oplus \leq \square}$$

$$\zeta \sim'' + < \square \vee \kappa \subseteq + \rfloor \rfloor \square < \square \wp \langle T + \wr \wp \vee \int \square \sigma \mathfrak{T} \rfloor \lhd \leq \theta \square \varepsilon T T + < \square T \vee \int''$$

$$\sigma \mathfrak{T} \leftrightarrow \varepsilon T \sigma \mathfrak{T} \Delta \rfloor + \# \square :. H \rfloor \sim \vee \int'' \sigma \mathfrak{T} \leftrightarrow \lhd \wp \sigma \mathfrak{T} T H \rfloor \varepsilon \sigma \mathfrak{T} +. \square \exists < \int \square + >$$

$$\pm \varepsilon T \sigma \mathfrak{T} \Delta \rfloor \square \delta \rfloor , \varepsilon T \sigma \mathfrak{T} T \# \langle \{ \rfloor \cup \theta \square \wr \wp \oplus \leq \Lambda \& \square \psi \rfloor \Pi < \int \square \leftrightarrow \varepsilon \leftrightarrow + \rfloor$$

$$\beta \subseteq \mid \mid + \# \langle < \square H \rfloor \sim \theta \varepsilon T \square \lhd \leq +. v +^{\text{TM}} \rfloor \lhd \pm \oplus \leq \square + \& \square \vee \int \square \sigma \mathfrak{T} \rfloor \square \wp \langle T$$

$$T \sigma \square \sigma \wp > \pm \leftrightarrow :. ^{\text{TM}} \wp \lhd \leq :. \lhd \pm :. + . \exists \exists + \# \square :. H \rfloor \sim \oplus \leq \Lambda \& \square \square < \rfloor \uparrow \Xi$$

$$\rfloor \leftrightarrow +. \square \delta \odot \rfloor X''^{\text{TM}} \langle \lhd \leq + \wr \wp \vee \omega \square \dots \varepsilon T \kappa \subseteq \square \theta + \delta \square T \varepsilon T + > \bullet \div \square^{\text{TM}} \square \cap$$

$$\square \lhd \rfloor \rfloor \rfloor \square \rho \lhd \leq. v \geq T \varepsilon + \{ \rfloor \vee \delta \square \dots \varepsilon T \kappa \subseteq \square \theta < \wp \chi \subset :. T \theta \square \psi \square \sigma \mathfrak{T} T , \delta \square$$

$$\rfloor \rfloor \varepsilon T + (\vee \int \square \sigma \mathfrak{T} \rfloor \kappa \subseteq \square \theta +) \wr \wp \vee \rfloor \square \varepsilon T \square^{\text{TM}} \langle T \leftrightarrow < \wp \chi \subset :. T \theta \square \psi \square \sigma$$

$\mathfrak{Z}T, \square H\square\varepsilon T\varepsilon T+|^{TM}\langle \cup\beta\subseteq\square\square \ \varepsilon T\theta\theta+ \# \rfloor\varphi\langle TT\geq\varepsilon\therefore\theta\square\psi\square<\square\sigma\mathfrak{Z}\Delta$
 $\beta\rfloor +<\square>\bullet\therefore\sigma\mathfrak{Z}T.$

$H\square\varepsilon T\varepsilon T+|^{TM}\langle\varepsilon TT:$ $\overline{\hspace{1cm}}$

$\zeta_+ \cdot + | \zeta\odot'' + \lambda_+ \dots$
 $\approx \lrcorner\pm\psi\rfloor T\Xi\rfloor\square<\square\emptyset \ \varepsilon\vee+>\bullet\therefore\leftrightarrow\delta\square\vee\rfloor^{TM}\langle\Xi\varphi_ \int^{TM}\langle \lrcorner\leq+< \int\square$
 $\sigma\square\varphi\rfloor\rightarrow T\theta\varepsilon T : \infty\infty$

$(\ 26\ \psi\rfloor\therefore T\ \varepsilon T+|^{TM}\langle \cup|\square+)$

$2.\ \kappa\Sigma<\square\sigma\mathfrak{Z}\leftrightarrow\beta\rfloor\ \omega\square\Delta\oplus\leq\square\ \rfloor\rangle<\square$

$\sigma\mathfrak{Z}\lrcorner\leq\square\Delta\oplus\leq\square$

$\square\delta\odot | \therefore\oplus\leq\square\ \kappa\Sigma+<\square\sigma\mathfrak{Z}\leftrightarrow\psi\rfloor T < \int\square\theta+. \cong\varphi\rfloor T\ v+>\pm\therefore T\ \mu+$
 $^{TM}\langle\varepsilon\sigma\mathfrak{Z}\oplus\leq\square\square+&\square\rfloor\varphi, \cong\kappa\subseteq\square\sigma TT\rfloor\varphi\square+&\square\rfloor\varphi\square\sigma\mathfrak{Z}\square\sigma TT+\#\rfloor\sim$
 $9\theta T\Diamond\ v\sigma TTH\square\ \kappa\subseteq< \int\square\theta\varepsilon\therefore\theta\ \lrcorner=\square\square\ \sigma\mathfrak{Z}\lrcorner\pm\therefore\ \varepsilon\vee\sigma\mathfrak{Z}T\in\therefore T\ ^{TM}\rfloor\varepsilon\#$
 $\langle T\subset\theta\square\square\delta\Pi+\{\ \rfloor\omega\square\clubsuit\dots\therefore T\ \oplus\leq\Lambda&\square\ v+\perp\lrcorner\rfloor\}+\#\square\sigma\mathfrak{Z}T. \ v\sigma TTT^{TM}\rfloor$
 $v+<\square+>\pm\ \rfloor\rangle\lrcorner\leq\beta\rfloor\sigma TTH\square\square\lrcorner\leq\sigma\mathfrak{Z}\rfloor\Delta\ \lrcorner\leq*Z\varphi\langle TT+&\square T\geq\varepsilon T\sigma=$
 $\lrcorner\leq\delta\text{---}\square\leftarrow. \ \theta\therefore.'>\pm\square\theta\square+^{TM}\langle\varepsilon\vee\rfloor^{TM}\langle +\#\rfloor^{TM}\langle\ v+<\square\zeta\odot''\theta T\therefore T, \ ^{TM}\rfloor$
 $\therefore.'>\pm\square\theta\square+^{TM}\langle\varepsilon\vee\rfloor^{TM}\langle +\#\rfloor^{TM}\langle\ v+<\square>\bullet^{TM}\rfloor | \therefore T\lrcorner\pm\sigma\mathfrak{Z}T. \ \lrcorner\pm\varepsilon\therefore\delta\text{---}$
 $+<\square\rfloor''' \square^{TM}\langle\sigma\mathfrak{Z}T\therefore\theta T\square\lrcorner\leq\geq T\dots\lrcorner=H\rfloor\square\lrcorner\leq\sigma\mathfrak{Z}\rfloor\Delta\Xi\rfloor\lrcorner\rfloor | , \square\geq T\varepsilon+$
 $\{\ \rfloor\Xi\rfloor\lrcorner\rfloor | \square\ \kappa\Sigma+<\square\sigma\mathfrak{Z}\leftrightarrow\therefore\zeta\square''\rfloor\varphi\rfloor\rightarrow T\theta\ \therefore*^{TM}\langle\varepsilon T\square\varepsilon\therefore\theta\ \beta\rfloor +<\square\varepsilon$
 $\#\langle T\subset\theta T. \ \rfloor''\varepsilon\Delta\leftrightarrow\varepsilon TT, \ \therefore*^{TM}\langle^{TM}\langle\cap\varepsilon TT\ \Xi\rfloor\downarrow\sigma\mathfrak{Z}\lrcorner\leq\kappa\Sigma\omega\square\rfloor\varepsilon+, \ \varepsilon TT$
 $Y''\lrcorner\leq\sigma\mathfrak{Z}\rfloor\Delta\ \beta\rfloor +<\square\therefore\theta T\ \lrcorner=H\rfloor\psi\square\sigma\mathfrak{Z}T\square H\square\varepsilon T\varepsilon T+|^{TM}\langle\cup|\square+ \# \rfloor$
 $\varphi\langle TT\geq\varepsilon\therefore\theta\ |\square\square*^{TM}\square\square\square\ \beta\rfloor +<\square>\bullet\therefore\sigma\mathfrak{Z}T.$

$\varepsilon T+|^{TM}\langle\varepsilon TT:$

$\approx \zeta_+ \cdot + | \zeta\odot'' + \lambda_+ \rfloor''\varepsilon\Delta\leftrightarrow\Xi\textcircled{R}\varepsilon< \int\square\varphi\rfloor T\ \theta\varepsilon T : \infty\infty$
 $(\ 10\ \psi\rfloor\therefore T\ \varepsilon T+|^{TM}\langle\cup|\square+)$

3. $\cup \int \square \sigma \mathfrak{Z} \mid \theta T \kappa \subseteq \cap B \int \theta \mid \square \sigma \mathfrak{Z} T$

$$\underline{\subseteq \lhd = \theta T \geq \oplus \leq \square}$$

$\cup \int \square \sigma \mathfrak{Z} \mid \theta T \kappa \subseteq \cap B \int \theta \mid \square \sigma \mathfrak{Z} T \subseteq \lhd = \varepsilon \& \square \varepsilon T + \phi \rangle \cup \square \delta \square \theta T \# \mid \delta$
 $\longrightarrow, \lhd = + > \bullet T \varepsilon T T \& \square \psi \mid \delta \square T \lhd = \square \leftarrow \mid \square \in \& \square \varepsilon T \square \cup \sigma \mathfrak{Z} \emptyset + \lhd \pm < \square T. H$
 $\mid \{ \mid \delta \square \varepsilon \vee \cup + \mid \not\subseteq \delta \square + \kappa \subseteq \sigma \mathfrak{Z} + \mid \not\subseteq \mu H \wp \square \delta \square \varepsilon T \delta \square \leftrightarrow \therefore T \square^{\text{TM}} \langle \in \theta \square \varepsilon$
 $T \rangle^{\text{TM}} \langle T + \{ \text{"} \sigma T T. \varepsilon \leftrightarrow \delta \square H \square \therefore \oplus \leq \square \cup \square \square \delta \Pi, \square + \{ \mid \square \}''' * \square \delta \square \rangle \pm \mid$
 $\square \{ \mid \dots + \# \langle T \lhd \wp \mid \rangle \square \cup \int \square \sigma \mathfrak{Z} \mid \therefore T, \vee \mid \square \vee \in \therefore \beta \subseteq \mid \supset \Pi \cup \int \text{"} \sigma \square \leftrightarrow \mid \text{---}$
 $\therefore ' \therefore T \vee \varepsilon \delta \square \sigma \square \therefore \theta T \rho \sigma \mathfrak{Z} \subseteq \mid \rangle \square \psi \square \sigma \mathfrak{Z} T, \mid \square \sigma \mathfrak{Z} \square \delta \odot \mid \psi \square \leftrightarrow \psi \mid \sqrt{\zeta} \square$
 $\text{"} + \mid \not\subseteq \mid \square \& \square \cup \int \text{"} \sigma \mathfrak{Z} \leftrightarrow \theta T \square \sigma \square < \square \sigma \mathfrak{Z} \Delta \# \mid \square \delta \psi \square \sigma \mathfrak{Z} T. \square \exists < \int \square + > \pm$
 $\vee H \mid \lhd \leq \delta \square \varepsilon T \varepsilon T \delta \square \leftrightarrow \therefore T \theta \square \square \delta \odot \mid \therefore T H \square \square \sigma \mathfrak{Z} T. < \int \square \sigma \mathfrak{Z} \square \square < \square \emptyset$
 $+ > \pm \beta \mid + \sim \theta \cup \int \square \sigma \mathfrak{Z} \mid \theta T, {}^{\text{TM}} \langle \theta \varepsilon < \square \uparrow \oplus \leq \square \# \mid \sigma \mathfrak{Z} \subseteq \varepsilon T \square \mid \beta \subseteq \mid \emptyset + \# \langle$
 $\& \square \square \neq \lhd {}^{\text{TM}} \langle \mid \square \in, \square^{\text{TM}} \langle \sigma \mathfrak{Z} {}^{\text{TM}} \langle \sigma \mathfrak{Z} \lhd \wp \Re \sigma \neg \therefore \lhd = \sigma \mathfrak{Z} \oplus \leq \square \mid \mid \square \wp \mid \sqrt{\angle}$
 $+ \# \langle \sigma \square < \square T. \therefore * {}^{\text{TM}} \langle \varepsilon T \square \oplus \leq \Lambda \& \square \cup \int \square \sigma \mathfrak{Z} \mid \wp \mid \rightarrow T \theta \mid \square \sigma \mathfrak{Z} \varepsilon T \infty \varepsilon \vee \square \varepsilon$
 $\Xi \mid \square \sigma \mathfrak{Z} T \subseteq \lhd = \square \delta \square^{\text{TM}} \square \neg \sigma \square \leftrightarrow \therefore \neq \lhd \exists \square \wp \mid \sqrt{\angle} + \equiv + \sim {}^{\text{TM}} \langle \mid \square \in \square^{\text{TM}} \langle \neq$
 $\sigma^{\text{TM}} \langle \sigma \mathfrak{Z} \vee < \int \square \sigma \mathfrak{Z} \square \lhd \pm \sigma \square \leftrightarrow \therefore \oplus \leq \square \lhd \pm < \square \square \mid > \bullet \zeta \text{---} \text{"} + \# \square *.$
 $\varepsilon T + \mid {}^{\text{TM}} \langle \varepsilon T T :$

$\approx \approx \zeta + \mid \zeta \odot \text{"} + \lambda + \kappa \subseteq \cap B \int \theta \varepsilon \therefore ' \cup \int \text{"} \wp \mid \rightarrow T \theta \varepsilon$
 $T : \infty \infty (17 \psi \mid \therefore T H \square \varepsilon T \cup \mid \square +)$

4. $\mid \lhd \wp < \int \square + {}^{\text{TM}} \langle \angle Z \Xi \mid + {}^{\text{TM}} \langle + \beta \mid + < \square T \geq$ $\oplus \leq \square$

$\lhd \pm \varepsilon T, \mid \lhd \wp < \int \square, \mid \not\subseteq \cup \int \square, \psi \mid \sqrt{\zeta} \square'', \varepsilon T < \square, \varepsilon \vee {}^{\text{TM}} \langle \diamond \sigma \square \leftrightarrow \therefore$
 $H \mid \square \sigma \mathfrak{Z} T > \bullet T \sigma \mathfrak{Z} T \Xi \mid {}^{\text{TM}} \langle T \varepsilon \vee \mid \not\subseteq \mid \lhd \wp < \int \square + \Re \sigma + \& \square \varepsilon \sim. \lhd \wp \mid \lhd \leq$
 $\varepsilon \therefore \theta \mid \lhd \wp < \int \square + \mid \square \vee \& \square T {}^{\text{TM}} \langle T + \sim. \lhd \wp \mid \lhd \leq \mid \rangle \lhd \leq \beta \mid {}^{\text{TM}} \mid \mid \lhd \wp < \int \square +$

$\rangle < \square T. | \downarrow \wp < \int \square + \varepsilon :. \theta \varepsilon T + \equiv \# \lfloor \& \square f :. T^{TM} \rfloor * \subset \# \lfloor \square \rfloor \in \square T \sim \uparrow \theta \infty$
 $+ \equiv, \delta \square \sigma \mathfrak{S} \cap H \square \Xi \rfloor \theta + \cup \sigma \mathfrak{S} T > \bullet T^{TM} \langle T + < \square \square \cup \int \square > \bullet \varepsilon B Z^{TM} \langle \# \lfloor \square \vee$
 $^{TM} \langle T + \sim. | \downarrow \wp < \int \square + \varepsilon :. \theta \phi \supset H \square \downarrow \leq \square H \square \diamond \downarrow \leq :. T Z^{TM} \square \sigma T T. B \square \varepsilon :.$
 $\theta \Xi \rfloor \downarrow \sigma \mathfrak{S} + \wr \not\subset \square \square \varepsilon \vee' :. T, \sigma \mathfrak{S} \downarrow \leq \lfloor \beta \rfloor \geq T \mu \oplus \leq \square \neg \psi \lfloor \Pi \vee + > \pm :. \oplus$
 $\leq \square \psi \square \leftrightarrow \sim \int \delta \square + \rfloor \downarrow \leq \exists T \delta \square T \rfloor + \sim. \square \rfloor \downarrow \wp < \int \square + \Re \sigma + \& \square T \sigma \mathfrak{S} \downarrow \pm$
 $:. T. \upsilon'' \zeta \text{---}'' \sigma \mathfrak{S} \downarrow \leq +, \square +^{TM} \langle \sigma \mathfrak{S} + \angle \downarrow \leq +. B \square \wr \not\subset \vee +^{TM} \langle \sigma \mathfrak{S} Z^{TM} \langle \rfloor \downarrow \wp$
 $< \int \square + \vee \angle \square \wr'' < \square \zeta \text{---}'' \delta \square T \rfloor + \sim. | \downarrow \wp < \int \square \square \downarrow \rfloor \varepsilon T \vee' :. \downarrow \pm \sigma \mathfrak{S} \Delta + \downarrow$
 $\wp \rfloor \downarrow \leq \wr \supset \Pi^{TM} \rfloor, \vee \geq T \varepsilon + \{ \rfloor \downarrow \wp \rfloor \downarrow \leq :. \oplus \leq \square \downarrow \pm \sigma \mathfrak{S} \Delta + \square \zeta \square^{TM} \sigma \mathfrak{S} \exists \zeta \square$
 $^{TM} \sigma \square < \square T :. T^{TM} \langle < \square \cap \sigma \square \vee X'' \odot \theta + \downarrow \pm \sigma \mathfrak{S} \Delta +. \upsilon \int'' \sigma \square \leftrightarrow \upsilon \int \square \sigma \mathfrak{S} \rfloor$
 $\wr \not\subset' \mu \varepsilon \rfloor \Re \downarrow \Pi H \square \square \sim \psi \lfloor \vee^{TM} \square < \square T \exists T + \equiv \square + \& \square \varepsilon \# \langle T \subset. \square \downarrow \leq \rfloor \downarrow = \downarrow \leq$
 $\sigma \mathfrak{S} T \square \rfloor \downarrow \wp < \int \square + \Xi \rfloor \exists T + \# \langle \& \square \square \downarrow \rfloor \varepsilon T + \rfloor^{TM} \langle \cup \wp \langle T + \# \rfloor \wp \langle T \varepsilon \# \langle T \subset$
 $\theta T.$
 $\varepsilon T + \rfloor^{TM} \langle \varepsilon T T : \quad -$

$\approx \approx \zeta + \rfloor \zeta \odot'' + \lambda + \square \rfloor \chi \rfloor \neg < \int \square \rfloor \downarrow \wp < \int \square \Xi \rfloor \varepsilon T$
 $H \lfloor \Pi \leftrightarrow \theta \varepsilon T : \infty \in (18 \psi \rfloor :. T \cup \rfloor \square +)$

5. $< \square T \sigma \mathfrak{S} Z \Leftarrow \beta \rfloor \sigma T T \delta \square < \square Z \Leftarrow :. _ \int + \# \langle$
 $T \geq \oplus \leq \square$

$< \square T \sigma \mathfrak{S} Z \Leftarrow \square \varepsilon \vee \neq \sigma \subset \sim \downarrow \pm \varepsilon \vee H \rfloor \approx \approx < \square T \sigma \square Z < \rfloor \exists \infty \in \vee + \{'' \sigma$
 $\mathfrak{S} T. \square \psi \lfloor T H \rfloor \approx \approx \# \langle + \& \square \infty \in \vee \square \oplus \leq \Lambda \& \square \vee + \{'' \sigma \mathfrak{S} T. \downarrow \leq * \wp \langle T T > \bullet$
 $+ \wr \not\subset \square \psi \lfloor T \rfloor \rfloor \square < \int \square \theta \psi \lfloor T \rightarrow \theta \square \sigma \square < \int \square H \square < \rfloor \varepsilon^{TM} \langle. \delta \square + \downarrow \leq \geq \delta \text{---} \square$
 $\Leftarrow \downarrow \leq * Z \theta \rfloor \square \vee \in \& \lfloor \wr''' \rfloor \square \vee \sigma \square \Delta \rfloor \square \vee \sigma \mathfrak{S} T \omega \square \clubsuit :. T \square \psi \lfloor T \theta T \square \sigma \square \sim \int$
 $+ \equiv \theta \geq T' \mu H \wp \square \square < \square \zeta \square'' \sigma \mathfrak{S} \Delta :. T \downarrow \leq :. \varepsilon \vee. \rfloor \square \Pi \sigma \square \square \varepsilon^{TM} \square \sigma \mathfrak{S} T \wr \supset$
 $\Pi \theta \lambda \downarrow \leq \square \omega \square \clubsuit \square :. \psi \square \neq \sigma \delta \square \cap \wp \langle T + > \pm \square \psi \lfloor T \theta T \rfloor \square \Pi \square + \equiv \theta \geq T' \downarrow$
 $\leq :. < \square T. < \square \sigma \mathfrak{S} Z \Leftarrow \downarrow \rfloor \downarrow \pm \sigma \mathfrak{S} \Delta + \rfloor \square \Pi \sigma \mathfrak{S} \cap \cup \theta \square \beta \subseteq \rfloor \square \downarrow \leq \sigma \mathfrak{S} \square :. T.$
 $\square \geq T \varepsilon + \{ \rfloor \downarrow \leq \sigma \mathfrak{S} \square :. T X''^{TM} \langle \downarrow \leq \# \langle \rfloor \downarrow \leq + \wr \not\subset \Xi \rfloor \square, \sigma \square \zeta \square \Theta, \neq \downarrow^{TM} \langle T \varepsilon$

$v \therefore \varepsilon \therefore ' \exists \Xi \textcircled{R} \omega \square + > \pm \varepsilon \leftrightarrow \sqsubseteq \leq | \varepsilon T \int^{\text{TM}} \square \sigma T T. \varepsilon \sqrt{\theta \varepsilon} v \therefore \oplus \leq \square | \square \phi \rangle \dots <$
 $\square T \sigma \Im Z^{\text{TM}} \langle T \therefore T \sqsubseteq \wp \sqsubseteq = \therefore ' \therefore T. \psi \square \{ \mid \theta T + \& \square \exists \varepsilon T T \sqsubseteq \mid \mid \beta \rfloor + < \square T$
 $\geq \oplus \leq \square < \square T \sigma \square Z < \rfloor \exists \square \sigma \square < \mid \square H = \sqsubseteq \leq \neg \phi \rangle \Xi \rfloor \sigma \Im \Delta \leftrightarrow \varepsilon T T. B \square \sqsubseteq \mid \mid \mid \square$
 $^{\text{TM}} \rfloor \leftrightarrow \sqsubseteq \leq + > \pm < \square T \sigma \square Z \delta \square \mid \square \mid \Xi \rfloor \leftarrow \beta \subseteq \sigma \square \wp \langle T \Delta \sqsubseteq \leq \therefore < \square T. v \sim \kappa \subseteq \varepsilon \sqrt{\theta T \leftrightarrow \therefore \oplus \leq \square v + < \square T v'' \geq T \wr \wp \wr \square \sim. \square \# \langle \sigma \Im \Delta \kappa \subseteq < \mid \square \leftrightarrow + v +^{\text{TM}} \langle \delta \square$
 $T \therefore T \varepsilon v \sqsubseteq \pm \square \sim. \sqsubseteq \pm \square \{ \mid \dots \therefore *^{\text{TM}} \langle \varepsilon T \square \delta \square \zeta \square'' \mid \delta \square H \square \varepsilon \sqrt{\wr \wp' \square \sqsubseteq \phi \supset$
 $\rightarrow \theta \square H \square \varepsilon T \square \square \cup \mid \text{---} + \# \langle T \geq \varepsilon \therefore \theta \mu +^{\text{TM}} \langle \{ \mid < \square T \sigma \Im Z \leftarrow \theta T + \& \mid \Pi H$
 $\square \square \psi \square \sigma \Im \Delta \beta \rfloor \leq \square \varepsilon \# \langle T \subset \theta T. v \varepsilon T \square \square \cup \textcircled{C} \square \sim^{\text{TM}} \langle \mid \square \in \varepsilon v^{\text{TM}} \langle T + < \square ?$
 $\varepsilon T + \mid^{\text{TM}} \langle \varepsilon T T :$

$\approx \approx \zeta + \cdot + \mid \zeta \textcircled{C}'' + \lambda + < \square T \sigma \Im Z \varepsilon \sqrt{\wp \wr \rightarrow T < \square T \sigma$
 $\square Z \wp \wr \rightarrow T \theta \varepsilon T: \infty \infty (49 \psi \rfloor \therefore T \cup \mid \square +)$

6. $\delta \square + \kappa \subseteq \sigma \Im \delta \square T K + \beta \rfloor + < \square T \geq \oplus \leq \square$

$\approx \approx \sigma \Im \leftarrow \infty \infty \bar{v} H \rfloor < \square \square \sqsubseteq \mid \mid \heartsuit \theta \varepsilon T \wp \rfloor T \leftrightarrow \sim, \sqsubseteq \leq * \delta \text{---} \beta \rfloor \wp \rfloor T \sim,$
 $\sqsubseteq \leq \rfloor \angle \beta \rfloor \wp \rfloor T < \square H \rfloor v \sigma \square \emptyset \therefore T H \square \square \sigma T T. \sigma \Im \leftarrow \wp \langle T \theta > \pm H \rfloor \wr \supset \Pi + \angle$
 $\sqsubseteq \leq \delta \square + \square + < \mid \square \psi \rfloor T \wr \wp \sqsubseteq \varepsilon \leftrightarrow \varepsilon \zeta \square^{\text{TM}} \sigma \Im + \wr \wp \delta \square T \in \leftrightarrow \rfloor \delta \square T \mid + \sim. \approx \approx$
 $v \mid \square > \bullet \varepsilon \mid < \square \leftarrow \infty \infty v H \rfloor < = \sqsubseteq \leq \geq T + \sim. v \mid \square > \bullet \varepsilon +^{\text{TM}} \langle T \square \wr \wp \heartsuit \theta + \sqsubseteq \pm$
 $\varepsilon \& \square \varepsilon T H \rfloor v \sigma \Im \square + \wr \wp \psi \square \& \square \square \& \square + \sim. \Re \sigma + \& \square T \Xi \rfloor \downarrow \sigma \square \therefore T \sqsubseteq \pm \square,$
 $\varepsilon T \theta \delta \square T \diamond \therefore T \sqsubseteq \pm \square, \square^{\text{TM}} \langle \square \therefore T \sqsubseteq \pm \square \heartsuit \theta \varepsilon T > \bullet T \phi \rangle \sigma \Im \leftarrow \wr \wp \mid \square \sigma \square \sqsubseteq$
 $\leq \omega \square \mid \oplus \leq \square \equiv \zeta \square'' \square \varepsilon T T. \delta \square + \kappa \subseteq \sigma \Im \vartheta \exists^{\text{TM}} \langle + \wr \wp v \mid \sigma \square \leftrightarrow \& \mid \square \sigma \Im \mid$
 $\therefore \varepsilon T < \mid \square \leftrightarrow v H \rfloor \sqsubseteq \leq \sigma \Im \zeta \square^{\text{TM}} \kappa \subseteq \leftrightarrow \therefore T + \{ \sigma T T. \wr \supset \Pi + \angle \sqsubseteq \leq \mid \square \sigma \Im$
 $\psi \wr T \rightarrow \theta v \delta \square +^{\text{TM}} \langle \square \mid \square v \mid \therefore T, \exists \sigma \Im \zeta \square^{\text{TM}} \therefore T, \exists \sqsubseteq \pm \sigma \square \therefore T \mu H \wp \square \square$
 $+ \{ \sigma T T. v \varepsilon \mid \square \varepsilon \sqrt{\theta \delta \text{---} \sqsubseteq \leq \psi \wr T \rightarrow \theta \exists \sqsubseteq \pm \varepsilon v \theta \square \sqsubseteq \leq \rfloor \sqsubseteq = \sqsubseteq \leq \sigma \Im T \# \mid \mid$
 $\square v \in \sqsubseteq \wp \wr \wr \sqsubseteq \leq v \mid \sigma \square \leftrightarrow v \mid \square \sigma \Im \mid \therefore T \varepsilon T < \mid \square \theta \mid \square \& \square T^{\text{TM}} \langle \sqrt{\psi \wr \Pi <$
 $\square T \leftrightarrow \therefore \theta T, v \mid \square \sqrt{\text{TM}} \langle \psi \wr \Pi < \square T \leftrightarrow \therefore \theta T \delta \square + \mid \square \sim + \# \langle T \geq, \mid \square \square *^{\text{TM}} \square$
 $\therefore T \beta \rfloor + < \square \sqsubseteq \leq \exists \mid \square \downarrow^{\text{TM}} \square \therefore \oplus \leq \square \wr \wp \theta > \bullet T \geq H \rfloor \{ \mid \delta \square \varepsilon \sqrt{\cup + \wr \wp \cup \sigma \Im$
 $T > \bullet T^{\text{TM}} \langle T + \sim. \varepsilon \sqrt{\sigma \Im T \square \mid \sigma \Im'^{\text{TM}} \wp \square \delta \Pi \sqsubseteq \pm \therefore \square \omega \square \clubsuit \dots \therefore \theta T \sim \theta \mid \square$
 $\leftarrow \sqsubseteq \leq \wr \wp' \delta \square + \mid \square \sim + \# \langle T \geq, \psi \square \sigma \Im T \sqsubseteq = \square \square \mid \square \& \square \sqsubseteq \leq T \dots \mid \square < \square X'' \wr \wp''$

$\square\square, \equiv \{ " \neg .: \theta T \square | \square < \rfloor \infty + \# \langle T \geq, v \exists \varepsilon T \rfloor \square\square \exists | \square \downarrow^{TM} \square .: \theta T \delta \square\square\square + \# \langle$
 $T \geq \cup \sigma \mathfrak{S} T > \bullet T^{TM} \langle T + \sim . \therefore *^{TM} \langle \varepsilon T \square \varepsilon T \theta \delta \square T \downarrow \leq \rfloor \angle^{TM} \rfloor v +^{TM} \langle : | \square \vee \sigma \mathfrak{S}$
 $\square \delta \odot | .: \theta T \delta \square \zeta \text{---}^{TM} \langle \varepsilon T T \vee | \square \in X \supset | \square \in > \bullet .: < \square\square, \cong \sigma \mathfrak{S} \vee | \square + \wr \rangle \square \psi$
 $\square\square | \square \geq ' H \lfloor \Pi H \square \square \delta \odot | .: T \psi \lfloor \sqrt{\zeta} \text{---}^{TM} \langle T .: > \bullet T \theta \geq T' \# \rfloor \varphi \langle T > \bullet .: <$
 $\square\square \approx \kappa \Sigma + < \square \sigma \mathfrak{S} \leftrightarrow .: \zeta \square " \rfloor \infty \infty, \lambda .: *^{TM} \langle \delta \square \zeta \square " | \delta \square H \square \varepsilon T | > \bullet + <$
 $\int \square \wr \varphi' \varepsilon \rfloor \square + | \square\square \& \square + \sim . \downarrow \pm \varepsilon \vee \theta \exists E \odot \wr \supset \Pi \theta \square \delta \text{---} | \oplus \leq \square .: T \square \psi \lfloor T$
 $H \square \sigma \square \sim \int + \equiv \delta \square + \kappa \subseteq \sigma \mathfrak{S} \delta \square T \kappa + \beta \rfloor + < \square > \bullet .: \sigma \mathfrak{S} \square \square \infty \delta \square \vee | \square \varepsilon T +$
 $|^{TM} \square\square\square | | \square \leftarrow \beta \subseteq \sim \delta \square T | H \square\square \theta T.$
 $\varepsilon T + |^{TM} \langle \varepsilon T T :$

$\approx \zeta + \cdot + | \zeta \odot " + \lambda + \sigma \mathfrak{S} \leftarrow \sigma \mathfrak{S} \vee \beta \subseteq \varphi \lfloor \rightarrow T \sigma \mathfrak{S}$
 $\Leftarrow | \vdash \text{---} \varphi \langle \sqrt{\varphi} \lfloor \rightarrow T \theta \varepsilon T : \infty \infty (50 \psi \rfloor .: T \cup | \square +)$

7. $\square \sigma \mathfrak{S} +^{TM} \langle \sigma \mathfrak{S} \varphi \langle T \rfloor \varepsilon \theta \Xi \varphi \vee \int \square \beta \rfloor + < \square T \geq \oplus \leq$

□

$\mu .: ' | \square \vee \& \square T \varphi \langle T \varepsilon \cap \theta \varepsilon +^{TM} \langle T \wr " \downarrow \leq \theta \square \& \square .: H \rfloor^{TM} \langle | \square \theta \square | \square \in$
 $\{ \lfloor \sim \downarrow \pm < \square T . | \beta \subseteq N \theta \downarrow \pm .: + \theta T + \& \square \square \theta \square < \rfloor . v + < \square T \wr \varphi \downarrow \int \varepsilon \varphi \langle T \delta \square$
 $T \square | \sigma \mathfrak{S} T > \bullet T^{TM} \langle T \theta \square \downarrow = .: \sim \square \psi \square \leftrightarrow \psi \lfloor \sqrt{\zeta} \square " + \mu \oplus \leq \square \neg \psi |^{TM} \langle T + \sim .$
 $H \rfloor \{ \int \delta \square \varepsilon \vee \cup + \wr \varphi \square v \varepsilon T \square^{TM} \langle \square \delta \odot | | \square \vee \sigma \mathfrak{S} T \omega \square \clubsuit \wr \varphi' \varepsilon T \downarrow \mu \oplus \leq \square$
 $\neg \varepsilon > \pm \downarrow \leq \theta \square \& \square T^{TM} \langle T + \sim . \square + < \square T \downarrow \wp \delta \square + v H \rfloor \downarrow \leq \square \vee \leftrightarrow \{ Y \equiv \{ " \neg$
 $.: T, \varphi \lfloor \sqrt{> \pm} | \square | \downarrow \int \varphi \langle T .: T, v \theta T \delta \square \rfloor + \# \langle T \geq v .: \psi \square \geq \sigma T T + \sim . \Xi \rfloor \sigma \square$
 $\sigma \square\square \downarrow \int \varepsilon T T \delta \square *^{TM} \langle \theta + \sigma \square \varepsilon \& \square + | \beta \subseteq \downarrow \leq \square \leftarrow \downarrow \leq < \int \square \sigma \mathfrak{S} \square + . B \square\square \square |$
 $\square \& \square + \mu \varepsilon \rfloor^{TM} \langle \sigma \mathfrak{S} \varepsilon T \vee \downarrow \pm < \square T . \downarrow \pm \square v " \zeta \text{---} " \rfloor \downarrow \leq + > \pm^{TM} \langle \oplus \leq \square \neg \varepsilon > \pm$
 $\downarrow \leq \theta \square \& \rfloor \geq T' \# \rfloor \varphi \langle T \& \square\square \neq \downarrow \varepsilon \vee \theta \varepsilon | \square \varphi \langle T^{TM} \square\square .: | \square . \therefore *^{TM} \langle \varepsilon T \square \square$
 $^{TM} \langle \leftrightarrow \varphi \langle T \rfloor \varepsilon \theta, \Xi \rfloor \Xi \rfloor \cap^{TM} \langle \kappa \Sigma + < \square \sigma \mathfrak{S} \leftrightarrow \sigma \square \infty . \square \sim \Xi \rfloor + \downarrow \leq \sigma \square \# \square \sigma \mathfrak{S} T'$
 $\varphi \langle T \psi \square \sigma \mathfrak{S} T \kappa \Sigma + < \square \sigma \mathfrak{S} \leftrightarrow .: \zeta \square " \rfloor | > \bullet + < \int \square + \wr \varphi \sigma \mathfrak{S}^{TM} \rfloor : \beta \subseteq \Leftarrow | \varepsilon^{TM}$
 $\langle \leftrightarrow + \infty \sim \div .: \varphi \langle T \leftarrow \sigma \mathfrak{S} \psi \rfloor T \leftrightarrow \theta \varepsilon | \square \vee \chi \subseteq \infty \infty \quad \neg v \square \lambda < \rfloor \exists \square \square \sigma \square \sim \int +$

$$\begin{array}{l} \equiv \theta \psi \sqcup \lrcorner \mid \Xi / \Xi \rangle \cap {}^{\text{TM}} \langle \varphi \langle T \mid \varepsilon \theta \kappa \Sigma + < \sqcup \sigma \mathfrak{Z} \leftrightarrow \varepsilon \delta \sqcup T \mid + < \sqcup \sqcup \# \mid \beta \subseteq \in \sigma \\ \mathfrak{Z} T. \lrcorner \pm \sqcup \{ \mid \dots \vee \varepsilon T \sqcup H \sqcup \varepsilon T \varepsilon T + \mid {}^{\text{TM}} \langle \cup \mid \sqcup + \varepsilon \therefore ' \vee \int \sqcup \oplus \leq \sqcup \mid \therefore T \vee \geq T \varepsilon \\ + \{ \mid \Xi / \downarrow \sigma \mathfrak{Z} \lrcorner \leq \varepsilon \vee \sigma \mathfrak{Z} T \in \theta T \beta \rangle + < \sqcup > \bullet \therefore \sigma \mathfrak{Z} \sqcup \exists \Xi \rangle \cap \delta \text{---} \delta \sqcup T \mid H \sqcup \\ \sqcup \theta T. \\ \varepsilon T + \mid {}^{\text{TM}} \langle \varepsilon T T : \quad \text{---} \end{array}$$

$$\begin{array}{l} \approx \approx \zeta + \cdot + \mid \varsigma \textcircled{\text{C}}'' + \lambda + \varepsilon \varphi \mid \vee \varepsilon \kappa \subseteq \emptyset \exists \varepsilon \rangle \blacklozenge {}^{\text{TM}} \sqcup \varphi \mid \\ \rightarrow T \theta \varepsilon T : \quad \infty \infty \left(90 \psi \right] \therefore T \cup \mid \sqcup + \end{array}$$

$$\begin{array}{l} 8. \sigma \mathfrak{Z} T \sim \int \sigma \mathfrak{Z} \delta \sqcup + \sqcup + < \int \sqcup < \wp \chi \subseteq \therefore T \beta \rangle \varepsilon \vee \geq \oplus \\ \leq \sqcup \varepsilon T + \mid {}^{\text{TM}} \langle \varepsilon T T : \quad \text{---} \end{array}$$

$$\begin{array}{l} \approx \approx \zeta + \cdot + \mid \varsigma \textcircled{\text{C}}'' + \lambda + \sigma \mathfrak{Z} T \sim \int \sigma \mathfrak{Z} \delta \sqcup + \delta \text{---} \emptyset {}^{\text{TM}} \sqcup \\ \varphi \mid \rightarrow T \theta \varepsilon T : \quad \infty \infty \left(25 \psi \right] \therefore T \cup \mid \sqcup + \end{array}$$

$$\begin{array}{l} 9. \psi \sqcup \leftrightarrow < \int \sqcup T \therefore \vee'' < \int \sqcup \therefore \theta T + \& \sqcup \sqcup \mid \sqcup \Xi \rangle \varepsilon T \\ \theta + \beta \rangle + < \sqcup T \geq \oplus \leq \sqcup \\ \varepsilon T + \mid {}^{\text{TM}} \langle \varepsilon T T : \quad \text{---} \end{array}$$

$$\begin{array}{l} \approx \approx \zeta + \cdot + \mid \varsigma \textcircled{\text{C}}'' + \lambda + \delta \sqcup \sigma \mathfrak{Z} \cap \psi \sqcup \leftrightarrow \sim \int \mid \mid \sqcup \Xi \rangle \varepsilon T \\ H \mid \Pi \leftrightarrow \theta \varepsilon T : \quad \infty \infty \left(32 \psi \right] \therefore T \cup \mid \sqcup + \end{array}$$

$$\begin{array}{l} 10. \psi \sqcup \lrcorner \leq \in \geq T {}^{\text{TM}} \langle \cap + \lrcorner \leq \therefore T Z \geq \oplus \leq \sqcup \\ \varepsilon T + \mid {}^{\text{TM}} \langle \varepsilon T T : \quad \text{---} \end{array}$$

$$\approx\approx\zeta+ \cdot + \mid \varsigma\textcircled{\scriptsize C}'' + \lambda + \ \psi\square>\bullet B \int \Xi \big) \cap \Re \sigma \Pi \leftrightarrow \theta \varepsilon$$

$$T: \ \infty \infty \ (50 \psi \sqcup \vdots T \cup \mid \square +)$$

$$11. \ \sigma\square X'' \sim \int \lrcorner^{\pm} \sigma \Im + \beta \rfloor + < \square T \geq \oplus \leq \square$$

$$\varepsilon T + \mid \text{ }^{\text{TM}} \langle \varepsilon T T : \quad -$$

$$\approx\approx\zeta+ \cdot + \mid \varsigma\textcircled{\scriptsize C}'' + \lambda + \ \sigma\square \cup \sigma\square X \rangle \Xi \big) \cap \downarrow \sigma\square \cup \leftrightarrow$$

$$< \square \sigma T T \mid \sigma\square \cup \leftrightarrow \varepsilon \vdots \cdot ' \vee \int ''$$

$$\sigma\square \cup \text{ }^{\text{TM}} \langle \neg \square \beta \subseteq \sigma\square \cup \mid \textcircled{\scriptsize C} \sigma \otimes \Im \square \psi \sqcup \infty \text{ }^{\text{TM}} \langle \square X'' \mid$$

$$\infty \text{ }^{\text{TM}} \square \varphi \big \rvert \rightarrow T \theta \varepsilon T : \ \infty \infty \ (108 \ \kappa \subseteq \sigma \Im T' \cup \mid \square +)$$

$$12. \ \neq \lrcorner \varepsilon \vdots + \sigma\square X'' \leftrightarrow \sim \int \lrcorner^{\pm} \sigma \Im + \lrcorner^{\pm} \varepsilon \vdots \delta \text{---} \theta$$

$$\psi\square \sigma \Im T$$

$$\varepsilon T + \mid \text{ }^{\text{TM}} \langle \varepsilon T T : \quad -$$

$$\approx\approx \ \zeta + \cdot + \mid \varsigma\textcircled{\scriptsize C}'' + \lambda \sigma\square \cup \leftrightarrow < \square \sigma T T \mid \sigma\square \cup \leftrightarrow \varepsilon \vdots \cdot$$

$$' \vee \int '' \varphi \big \rvert \rightarrow T \theta \varepsilon T : \ \infty \infty \ (108 \ \kappa \subseteq \sigma \Im T' \cup \mid \square +)$$

$$13. \ v \sim \int \lrcorner^{\pm} \sigma \Im \varepsilon T T + \& \square \ \delta \square \varepsilon T T \equiv \text{ }^{\text{TM}} \langle \kappa \subseteq \square \theta + \beta$$

$$\rfloor + < \square \& \square \square \lrcorner \big \rfloor$$

$$\varepsilon T + \mid \text{ }^{\text{TM}} \langle \varepsilon T T : \quad -$$

$$\approx\approx\zeta_+ \cdot + \mid \varsigma\textcircled{\scriptsize\text{C}}'' + \lambda_+ \sigma\square \cup^{\text{TM}} \langle \neg \square \beta \subseteq \varphi \mid \rightarrow T \theta \varepsilon T$$

$$: \infty \infty \; (108 \; \kappa \subseteq \sigma \Im T' \cup \mid \square +)$$

$$14. \; v \sim \int \lrcorner \pm \sigma \Im T \therefore v + \& \square < \square + \& \square \therefore T \; \beta J \; + < \square$$

$$T \geq \oplus \leq \square$$

$$\varepsilon T + \mid^{\text{TM}} \langle \varepsilon T T : \quad \overline{}$$

$$\approx\approx\zeta_+ \cdot + \mid \varsigma\textcircled{\scriptsize\text{C}}'' + \lambda_+ \sigma\square \cup \mid \textcircled{\scriptsize\text{C}} \sigma \otimes \Im \square X'' \mid \infty^{\text{TM}} \square \varphi$$

$$\mid \rightarrow T \; \theta \varepsilon T : \infty \infty \; (108 \; \kappa \subseteq \sigma \Im T' \cup \mid \square +)$$

$$15. \; \cup \theta \varepsilon o \lrcorner \leq \sigma \Im \Delta \; \beta J \; + < \square T \geq \oplus \leq \square$$

$$\varepsilon T + \mid^{\text{TM}} \langle \varepsilon T T : \quad \overline{}$$

$$\approx\approx\zeta_+ \cdot + \mid \varsigma\textcircled{\scriptsize\text{C}}'' + \lambda_+ \delta \square \sigma \Im \cap \wr \not\subseteq \lrcorner \leq \varepsilon \Xi \rangle + \lrcorner \leq \Re \sigma$$

$$\Pi \leftrightarrow \theta \varepsilon T : \infty \infty \; (108 \; \kappa \subseteq \sigma \Im T' \cup \mid \square +)$$

$$16. \; \mid \mid \square \cup \textcircled{\scriptsize\text{C}} \; , \; \psi \lrcorner T < \int \square \; , \; \delta \square \square X'' H \square^{\text{TM}} \langle \square \Xi \rangle \lrcorner \mid \mid$$

$$\lrcorner \leq \therefore T Z \geq \oplus \leq \square$$

$$\varepsilon T + \mid^{\text{TM}} \langle \varepsilon T T : \quad \overline{}$$

$\int \square + > \pm \mid \mid \square \rho \Xi / \square \mid \lhd \leq \psi \square \sigma \mathfrak{S} + \# \rfloor \varphi \langle T \& \square + \varepsilon . : ' \vee \int " \sigma \mathfrak{S} \leftrightarrow \vee \int \square \sigma$
 $\mathfrak{S} \mid \therefore \varepsilon T < \int \square \leftrightarrow \mid \square \mid \varepsilon T \Xi (\Xi) \cap ^{TM} \langle + > \pm \square \therefore T \delta \square T \mid + \sim .$

20. $^{TM} \langle \therefore H = \mid \text{---} \in \lhd \rfloor \quad \varepsilon T + \mid ^{TM} \langle +$

$\varepsilon T \vee \therefore \varepsilon T + \mid ^{TM} \langle + : \approx \approx \quad \zeta + \lhd \square \pm + \lhd \Upsilon \square + \lhd \leq \square : \zeta \square " : !! \propto \propto$
 $\exists < \int \square \theta + : \square \mid \Pi \varepsilon T + \mid ^{TM} \square \square \square 10 \psi \rfloor \therefore \kappa \subseteq \sigma \mathfrak{S} T' \cup \mid \text{---} + \equiv \theta \varphi$
 $\lfloor T \& \square \therefore \delta \text{---} \sim \emptyset + \# \langle T \theta T . ^{TM} \langle \sigma \mathfrak{S} T \psi \square ^{TM} \langle \square \sigma \mathfrak{S} \psi \lfloor \Pi \square \lhd \leq \neg \kappa \subseteq \sigma$
 $\mathfrak{S} T'$
 $\vee _ \int \varepsilon T + \mid \leftarrow + \equiv \square \& \square \theta \quad \varepsilon T + \equiv \mid \Rightarrow \rfloor \Downarrow \theta T \mid ^{TM} \square \angle + \equiv \varphi \lfloor T \&$
 $\square \therefore ^{TM} \langle \therefore H = \mid \text{---} \in \psi \lfloor + \geq H \rfloor \zeta \square " \rfloor + \# \lfloor \theta T .$

366 $\beta \subseteq \Xi / \square \mid \square ^{TM} \square \therefore T \quad (\mid \square \varphi \lfloor \vee > \bullet \exists < \int \square H \square \therefore T)$

1. $\varepsilon \sigma \mathfrak{S} \rfloor \beta \subseteq \Xi / \square \mid \square ^{TM} \langle + :$
 $\varepsilon T + \mid ^{TM} \langle + :$
 $\theta \psi \lfloor \vee \sigma \mathfrak{S} T \mid < \rfloor \vee \int \varnothing \leftrightarrow \varphi \rfloor T \sim \exists \varphi \rfloor T \chi \subseteq + \quad \varepsilon \sigma \mathfrak{S} \rfloor \exists T \omega \square \varepsilon \square \delta \mid \vee \int \varnothing$
 $\leftrightarrow MT \& \int \square T \omega \square \dots \varepsilon \vee \varphi \langle T \theta \varepsilon T :$
 $\exists < \int \square \theta + : \mid \square + \# \square \varepsilon T \square ^{TM} \square \therefore T , H \square \rfloor \neq \lhd \Rightarrow \rfloor \cup \therefore + , \delta \square \varepsilon T + \mid$
 $\Leftarrow ^{TM} \langle \varepsilon T + \mid ^{TM} \langle \cup \therefore + ^{TM} \wp \sigma \mathfrak{S} T \mid < \square \delta \square + \mid \square \vee \{ \Upsilon \lhd \leq + \} \varnothing$

$\varepsilon T + \& \square \therefore + \sigma \wp E \therefore T \vee _ \int \square \omega \lhd \leq + \# \rfloor \delta \square \vee \mid _ \therefore \cap < \square \Rightarrow$
 $" \sigma \mathfrak{S} \subset \theta \lhd \Upsilon \square \sigma \square \theta \square \square \psi \rfloor < \square \theta \# \rfloor \varphi \langle \vee * .$
 $\mid \square \square \therefore +$
 $: \quad ^{TM} \langle \mid \square \in \lhd \leq \varepsilon \sigma \mathfrak{S} \rfloor + \mid \square \& \square T ^{TM} \langle T + \sim . \varepsilon \sigma \square \rfloor \vee \int \square \square " \varepsilon + \varepsilon . : ' \mid$
 $\square + \geq \therefore T \mu + \& \square \beta \rfloor ^{TM} \langle T \theta \square \delta \square \varepsilon T \varphi \langle T + \rfloor \varnothing \square$

$\lvert \lvert \Box \varphi \rvert \sqrt{\triangleright} \bullet +^{\text{TM}} \wp \text{ H} \rvert \theta \text{ T} \vee \text{H} \rvert \lrcorner \leq \kappa \subseteq \sigma \mathfrak{S} \text{ T}' \varepsilon \sigma \mathfrak{S} \rvert + \lvert \Box \& \rvert \}' "$
 $\# \rvert \Xi / \theta \text{ T}.$

2. $\cup \cap \sigma \mathfrak{S} \beta \subseteq \Xi / \Box \lvert \Box^{\text{TM}} \Box \rvert \therefore \text{T} :$

$\varepsilon \text{T} + \lvert \text{ }^{\text{TM}} \langle + : \approx \approx \nu \int \Box \kappa \subseteq \Box \varphi \langle \text{T T} < \int \Box \varphi \langle \text{T} \exists < \Box \Box \Box \zeta " \sigma \mathfrak{S} \lrcorner \leq \lvert \text{H} \rvert \text{ }^{\text{TM}} \Box \varphi \langle \text{T B} \int \varepsilon \text{T} \zeta$
 $\text{---} " \text{ }^{\text{TM}} \langle \text{H} \wp \Box \cup \cap \sigma \mathfrak{S} : \lvert \Box \# \wp < \Box \varphi \langle \sqrt{\text{ }^{\text{TM}} \Psi} \propto \propto$
 $\exists < \int \Box \theta + : \nu \int \Box \kappa \subseteq \Box _ \int \Box \omega \lrcorner \leq +, \nu \omega \Box \dots \lvert \Box \vee \omega \Box \in _ \therefore \cap \lvert$
 $\Box \lvert \text{ }^{\text{TM}} \langle \lvert \Box \Pi \cup, \varepsilon \sqrt{\omega \Box \#} \langle \lrcorner \lrcorner \leq (\exists \text{T} \theta \text{T} \varepsilon \text{T T} \therefore \text{ }^{\text{TM}} \wp \varepsilon + \& \Box \theta \rho \varphi \langle \text{T} \Box$
 $\varepsilon + \geq \lrcorner \leq +) \Box \psi \rvert < \Box \theta.$

3. $\varepsilon \text{T T} \oplus \leq \Box \phi \rangle \Xi / \cap \downarrow \beta \subseteq \Xi / \Box \lvert \Box^{\text{TM}} \langle + :$

$\varepsilon \text{T} + \lvert \text{ }^{\text{TM}} \langle + : \approx \approx \nu \int \Box \kappa \subseteq \Box \varphi \langle \text{T T} < \int \Box \varphi \langle \text{T} \exists < \Box \Box \Box \zeta " \sigma \mathfrak{S} \lrcorner \leq \lvert \text{H} \rvert \text{ }^{\text{TM}} \Box \varphi \langle \text{T B} \int \varepsilon \text{T} \zeta$
 $\text{---} " \text{ }^{\text{TM}} \langle \text{H} \wp \Box \cup \cap \sigma \mathfrak{S} : \lvert \Box \# \wp < \Box \varphi \langle \sqrt{\text{ }^{\text{TM}} \Psi} \propto \propto$
 $\exists < \int \Box \theta + : \nu \int \Box \kappa \subseteq \Box _ \int \Box \omega \lrcorner \leq +, \nu \omega \Box \dots \lvert \Box \vee \omega \Box \in _ \therefore \cap \lvert$
 $\Box \lvert \text{ }^{\text{TM}} \langle \lvert \Box \Pi \cup, \varepsilon \sqrt{\omega \Box \#} \langle \lrcorner \lrcorner \leq (\exists \text{T} \theta \text{T} \varepsilon \text{T T} \therefore \text{ }^{\text{TM}} \wp \varepsilon + \& \Box \theta \rho \varphi \langle \text{T} \Box$
 $\varepsilon + \geq \lrcorner \leq +) \Box \psi \rvert < \Box \theta.$

4. $\lrcorner \leq \text{H} \Box \leftrightarrow \beta \subseteq \Xi / \Box \lvert \Box^{\text{TM}} \langle + :$

$\varepsilon \text{T} + \lvert \text{ }^{\text{TM}} \langle + : \approx \approx \beta \subseteq \text{M} \sigma \mathfrak{S} \text{ M} \lrcorner \leq \text{H} \Box \leftrightarrow \equiv \lvert \text{ }^{\text{TM}} \Box \varphi \langle \text{T T} \delta \Box \Diamond \sigma \mathfrak{S} \delta \Box \cap \rho \text{ M} \sigma \mathfrak{S} \lvert \Box \rho \Box \sim$
 $\int \varphi \langle \text{T} + < \int \Box^{\text{TM}} \Psi \text{ X} " \Box _ \int \sigma \mathfrak{S} \equiv \subset \leftrightarrow \lvert < \Box \rangle \times + \Xi / \Delta \rangle \times + \delta \Box \text{X} \not\subset \chi \subseteq$

$< \Box \text{T} \sigma \Box < \int \Box \sigma \Psi \omega \Box + \triangleright \bullet \Box \zeta \Box " ^{\text{TM}} \rvert \Xi / \sigma \mathfrak{S} \Box \varphi \langle \text{T} \triangleright \times + \delta \Box^{\text{TM}} \Psi \propto \propto$
 $\exists < \int \Box \theta + : \Xi / \sigma \mathfrak{S} \neg \sigma \Box _ \int \Box \omega \lrcorner \leq +, \lrcorner \leq \sigma \mathfrak{S} \text{M} \sigma \mathfrak{S} \lvert \Box \vee \omega \Box \in \lvert$
 $\Box \Pi \cup, \# \langle \mathfrak{R} \lrcorner \neg \sigma \mathfrak{S} \beta \rvert + \triangleright \bullet * \Box \psi \rvert < \Box \theta.$

$\lvert \Box \Box \therefore +$
 $: \Box \omega \Box \dots \lrcorner \leq \text{H} \Box \leftrightarrow \lvert \beta \subseteq \text{---} \lvert . 35 \delta \Box + \rangle \rangle \varepsilon \varphi \langle \text{T} \delta \Box \text{T} \varepsilon \sigma \mathfrak{S} \oplus$
 $\leq \Box \oplus \leq \Lambda \& \Box \exists \psi \Box \zeta \Box " + \lrcorner \pm \Box \mu +^{\text{TM}} \wp \varepsilon \text{T} + \sim \varepsilon \sigma \mathfrak{S} \text{T} \therefore \text{T}$

$|\square\square\therefore+.$

$:\delta\square+{}^{\text{TM}}\square\theta\mid\beta\subseteq\mid\!-\!\mid.\;\lhd\leq&\square\text{T}\mid\square\vee\mid\square+&\square\}\rangle<\square\square\vee''<\int\square\mid$
 $\square&\square\text{T}{}^{\text{TM}}\langle\text{TH}\square\square\sigma\square\text{?}\square\;\varepsilon\text{T}+\mid{}^{\text{TM}}\langle+\;\varepsilon\sqrt{\varepsilon}\text{T}\text{T}\square*\square\qquad\delta\square+{}^{\text{TM}}\square\theta\varepsilon+$
 ${}^{\text{TM}}\langle\text{T}:\theta\text{T}\#\bigr]\delta\square\text{T}\mid+\sim.\;\square\;\beta\subseteq\Xi/\square\mid\square{}^{\text{TM}}\langle\;\varepsilon\text{T}\zeta\square{}^{\text{TM}}\varepsilon\text{T}+\mid{}^{\text{TM}}\langle\varepsilon\text{T}\text{T}\;\varepsilon:\theta$
 $\square\mid\Pi\theta\#\bigr|\mid\!-\!\mid\in\theta\varepsilon\mid\square\;\cup\bigr]\angle\sigma\text{T}\text{T}+\lhd\pm\mid>\bullet\zeta\square''<\wp\chi\subseteq\}\rangle\psi\mid\text{T}\rightarrow\text{H}\square$
 $\square\theta\square{}^{\text{TM}}=:.\angle\beta\bigr]{}^{\text{TM}}\square\sigma\text{T}\text{T}.$

$7.\theta\varepsilon\mid>\bullet\zeta\square''\;\beta\subseteq\Xi/\square\mid\square{}^{\text{TM}}\langle+:$

$\varepsilon\text{T}+\mid{}^{\text{TM}}\langle+: \approx\zeta+\zeta\square''\sigma\mathfrak{T},\;\lhd\Upsilon'+\varepsilon\text{T}\square\zeta''\Xi/\cap\sigma\mathfrak{T},\;\lambda+\Xi/\Sigma:\beta\subseteq\Delta\mid,$
 $\cdot+\mid\!-\!\text{H}\square\lhd\leq<\int\square\square{}^{\text{TM}}\Psi,\mid\zeta\odot''+\mid\square\Xi/\square\mid\square\leftarrow,>\square'+\infty\varepsilon,\sigma\mathfrak{T}+\varepsilon\text{T}\zeta\square{}^{\text{TM}}<\bigr]\varepsilon$

,

$\zeta\square\Theta+\bigr)\bigr)\square\Xi/\theta,\theta\varepsilon\text{T}:\infty\psi\square\wp\langle\text{T}\mid\square\square\{\wedge.,\;\zeta+\text{o}'+\mid\square\Xi/\square\zeta\square\Theta+\mid$
 $\square\square\{\wedge\infty\infty.$

$\exists<\int\square\theta+: \mid\square+\#\square\varepsilon\text{T}\square{}^{\text{TM}}\square_\int\square\omega\lhd\leq+,\;_:\cap\mid\square\mid{}^{\text{TM}}\langle\vee\omega\square\dots\mid\square\vee$
 $\omega\square\in\mid\square\Pi\cup,\;\lhd\Upsilon\square\sigma\square\theta\square\;\square\psi\bigr]<\square\theta.$

$|\square\square\therefore+.$

$:\mid>\bullet\zeta\square{}^{\text{TM}}\theta\text{T}\oplus\leq\Lambda:\text{:}{}^{\text{TM}}\langle.\;\square<\wp\leftrightarrow>\bullet+<=\sigma\mathfrak{T}.\lhd\leq&\square+\}\rangle<\square$
 $\text{?}<\square\bigr]\langle\square\leftrightarrow+ \exists\text{T}\varepsilon\text{T}\square*\square\;\psi\mid(+\square&\square\kappa\bigr)\mid+<\square\text{?}\;\}\rangle\lhd\leq\varepsilon\equiv\subset\theta\;\&\square\square$
 $\text{T}\textcircled{\text{R}}\;\square:\varepsilon&\square+\}\rangle<\square\text{?}\;\&\square\square\text{T}\textcircled{\text{R}}\;\varepsilon\text{T}+\equiv\mid:\text{T}\Downarrow\}\rangle''\text{K}\sigma\mathfrak{T}\text{T}\subset\ve\varepsilon\vee{}^{\text{TM}}$
 $\wp+<\square\text{?}\;\square\text{H}\square\sigma\wp>\bullet\leftrightarrow+{}^{\text{TM}}\wp\;\vee''<\int\square\mid\square&\square\text{T}{}^{\text{TM}}\langle\text{TH}\square\square\sigma\square\text{?}\;\mu\varepsilon$
 $\sigma\mathfrak{T}\sqrt{\text{MT}}\;\varepsilon\sqrt{\geq}\exists\theta&\square+\}\rangle<\square\text{?}\;\ve\varepsilon\varepsilon\sqrt{\text{H}\square}:\beta\subseteq:\varepsilon\vee{}^{\text{TM}}\langle\text{TH}\square\square\sigma\square\text{?}$
 $\mid\square\leftarrow\sigma\wp\text{E}<\bigr|\square\textcircled{\text{R}}:\text{T}{}^{\text{TM}}\langle>\bullet\text{T}\geq\text{T}{}^{\text{TM}}\langle\text{TH}\square\square\wp\langle\sqrt{\text{?}}\;\square\lhd\mid\Diamond&\bigr|+\geq\text{T}$
 $'\ve\varepsilon\vee{}^{\text{TM}}\langle\text{TH}\square\square\wp\langle\sqrt{\text{?}}\;\square\sim\cong*\text{H}\square\{\bigr|\;\Xi/\square<\wp\omega\square\varepsilon\sqrt{\text{?}}\;\sigma\square\zeta\square\Theta\varepsilon\text{T}\zeta\square$
 $''\sigma\mathfrak{T}\emptyset\Xi/\<\wp\omega\square\varepsilon\sqrt{\text{?}}\;\oplus\leq\square\cup<\wp\omega\square\varepsilon\sqrt{\text{?}}\;\text{X}\not\leftrightarrow\leftarrow\omega\square\clubsuit\neg&\square\text{T}$
 $\square\;\exists\omega\square\wp\langle\text{T}\varepsilon\text{T}\text{T}\#\bigr|\mid\!-\!\mid\in\square+&\square\lhd\leq\beta\bigr)\varepsilon\#\langle\text{T}\subset.\;\}\rangle<\square\;\text{MT}\oplus\leq\square\square\;\exists$
 $\omega\square\wp\langle\text{T}+{}^{\text{TM}}\bigr|\ast\wp\langle\text{T}\lhd\leq\beta\bigr)\varepsilon\#\langle\text{T}\subset\ve\sigma\text{T}\text{TH}\square\square\mid\Pi\;\delta\square\varepsilon\text{T}\delta\square\leftrightarrow:\text{:}\;\}\not\subset$
 $\cong\square\lhd\leq\neg\;\delta\square\varepsilon\text{T}\delta\square\leftrightarrow\exists\text{T}\varepsilon\text{T}\square*\square\;\vee''\sim\int\delta\square\text{T}\mid\text{H}\square\square\;\delta\square\neq\sigma\;\text{MT}\sigma\mathfrak{T}$
 $\text{T}\;\theta\varepsilon\mid>\bullet\zeta\square{}^{\text{TM}}:\theta\text{T}\;\Xi/\text{+}{}^{\text{TM}}\langle\mid\square\#\bigr],<\square\lhd\mid{}^{\text{TM}}\bigr|\#\bigr]\subset\square\mid\Pi\;\beta\subseteq\Xi/\square\mid\square$
 ${}^{\text{TM}}\langle\mid\square\wp\mid\sqrt{>\bullet+}\#\bigr]\wp\langle\text{T}+&\square\;\text{MT}\;\lhd\leq\omega\square\dots+{}^{\text{TM}}=:.\angle\beta\bigr]{}^{\text{TM}}\langle\text{T}+\sim.$

8. $\zeta \square'' \theta T \varepsilon T^{\text{TM}} \Psi \beta \subseteq \Xi / \square | \square^{\text{TM}} \langle + :$

$\varepsilon T + |^{\text{TM}} \langle + : \zeta + \theta \varepsilon T \square \Xi / \square \square \omega \Delta'' \varphi \langle T \# \square \Xi / \square \sigma \mathfrak{Z} < \div \square \varphi \langle T \# \langle \theta \varepsilon T \Xi /$
 $\Sigma | \sigma \square \varphi \langle T \# \square \varepsilon _ \int \theta \uparrow^{\text{TM}} \rfloor \# \langle$

$\delta \square + \delta \square \square \delta \square \dots + < \int \square \theta \varepsilon T T \vee \int \square \varphi \langle T + \delta \square \varepsilon \sqrt{\downarrow} \leq \square^{\text{TM}} \langle \psi \square T \rangle$

$\vee \delta \square \square \vee \int \square \leftrightarrow + < \square^{\text{TM}} \square | + \varepsilon \sigma \mathfrak{Z} T \Delta \Xi / \subset \varepsilon T \theta T \leftrightarrow : \rangle$

$_ \int \varphi \langle T + < \square < \int \square H \square \zeta \square'' \square < \square \varphi \rfloor T \omega \square \clubsuit \Xi / |^{\text{TM}} \langle \varepsilon :$

$| \square \sigma \square \square^{\text{TM}} \square \kappa \rfloor \vee | \square \square \therefore \varphi \langle T +^{\text{TM}} \square \psi \square T \rangle \rangle$

$Y \rangle + Y \rangle + \zeta \square''] \varepsilon T \sigma \mathfrak{Z} \neg \geq \varepsilon T \sigma \mathfrak{Z} \neg \{'' \varphi \langle T \kappa \subseteq \cap \zeta \square^{\text{TM}}.$

$\exists < \int \square \theta + : K \sigma \mathfrak{Z} \sqrt{\diamond} \sigma \mathfrak{Z} | \square \square \therefore \sigma \mathfrak{Z} \kappa \subseteq _ \int \square \omega \downarrow \leq + , \cup \exists T \square | \square | \Leftarrow | \square$

$\Pi \cup , \varepsilon T \omega \square \# \langle | \downarrow \leq \square \psi \rfloor < \square \theta . , \sigma \square | \Leftarrow 9 > \bullet + \geq \therefore \theta T + \& \square 12 > \bullet + \geq$

$\therefore \wr \varphi | \square \therefore < \square \downarrow \int \square \Delta \varepsilon T T K + > \pm \# \rfloor \varphi \langle \sqrt{*} . \Xi / |^{\text{TM}} \langle T \varepsilon \vee \therefore T \Xi / |^{\text{TM}} \langle$

$T \varepsilon \vee \therefore \sigma \mathfrak{Z} \sqrt{| \square +^{\text{TM}} \wp \varepsilon \square \delta | \psi \square] \square \vee \int \square \Leftarrow \downarrow \leq + > \pm \mu < \square T \sigma \wp \neg \varepsilon \&$

$\square + \# \square \wr'' \delta \square T \vee \int \square + \downarrow \pm | , \psi \square \sigma \mathfrak{Z} T \exists T |^{\text{TM}} \langle T \therefore \sigma \mathfrak{Z} \sqrt{| \square + \wr \varphi , \square + <$

$\int \square T \varepsilon \vee \therefore \sigma \mathfrak{Z} \sqrt{| \square + \wr \varphi \varepsilon \square \delta | ! \mu < \square T \sigma \mathfrak{Z} T > \pm \rho \varphi \langle T > \pm \varepsilon \sqrt{\{''' \& \square T$

$^{\text{TM}} \langle \sqrt{\psi \wr \theta T \downarrow \leq > \wp ^{\text{TM}} \langle T \therefore T ^{\text{TM}} \langle \varepsilon \vee \cap ^{\text{TM}} \langle \sqrt{\square + \phi \rangle ! \square \varepsilon \theta \sqrt{H \wr ^{\text{TM}} \wp$

$> \pm \square , \theta T \varepsilon \vee \cap \therefore \theta \sqrt{H \wr ^{\text{TM}} \wp > \pm \square \vee K + \& \square B | \square + \psi \wr * \angle + \# \langle + \& \square 4$

$0 \sigma \wp E \therefore T \square \omega \square | > \pm \sigma \square | \Leftarrow | \square \Pi \geq \square \beta \subseteq \Xi / \square | \square^{\text{TM}} \langle | | \square \varphi \wr \sqrt{> \bullet + \#$

$\rfloor \varphi \langle T + \& \square . M T \Xi / |^{\text{TM}} \langle T \varepsilon \vee \therefore +^{\text{TM}} \square \theta \infty \kappa \subseteq | \sigma \mathfrak{Z} T . \square \Xi / |^{\text{TM}} \langle \varepsilon \exists \cup$

$\varphi \langle T \varepsilon T \zeta \square^{\text{TM}} \varepsilon T + |^{\text{TM}} \langle \varepsilon T T \cup | \square \varepsilon T T \vee | \square \Pi \sigma \mathfrak{Z} \cap \psi \wr \Pi \vee \int \square \varepsilon \varepsilon T T^{\text{TM}}$

$\wp \square + \& \square T \theta T .$

$| \square \square \therefore + : _ \delta \square \downarrow \leq \therefore \Xi / |^{\text{TM}} \langle T \vee'' < \int \square \square \psi \square \sigma \mathfrak{Z} \Delta . (\Xi / |^{\text{TM}} \langle T \delta \square + \zeta$

$\square'' \sigma \mathfrak{Z} \psi \rfloor T \downarrow \pm \downarrow \leq < \int \square \theta | \beta \subseteq | _ | \oplus \leq \Lambda \& \square \downarrow \leq \therefore T > \bullet > \bullet T^{\text{TM}} \langle T + \sim$

$.) \square \varepsilon T + |^{\text{TM}} \langle \varepsilon T \zeta \square^{\text{TM}} \Xi / \downarrow \rfloor | > \bullet * \angle \theta \sim . \zeta \square'' \theta T \varepsilon T^{\text{TM}} \Psi \sim \varepsilon \leftrightarrow B \psi \wr$

$\theta > \bullet * \angle , < \int \square \theta < \int \square H \square \leftrightarrow < \square T \therefore T \downarrow \leq * \angle B \square^{\text{TM}} \wp \Xi / |^{\text{TM}} \langle T \varepsilon \vee$

$\therefore + < \square \sigma \mathfrak{Z} \sqrt{\theta \infty + \equiv , \kappa \subseteq < \int \square \theta \oplus \leq \square \vee \square \square \exists < \int \square \wr'' \square \theta + < \square \square \square \# \langle T$

$\subset \theta T .$

$$\varepsilon\sqrt{\sigma\mathfrak{Z}\neg+\&}\rfloor\varphi\langle T\ \beta\subseteq\Xi\rangle\Box|\Box^{\text{TM}}\Box\therefore T$$

$$1.\varepsilon T\Box^{\text{TM}}\langle\delta\Box+\vartheta\varepsilon\Box\ \beta\subseteq\Xi\rangle\Box|\Box^{\text{TM}}\langle+:$$

$$\varepsilon T+|\Box^{\text{TM}}\langle+: \approx\approx \zeta_+\mid\zeta\Box''\Box+\pi+\delta\Box:\zeta_+\vee\int\Box\sqrt{\sigma\mathfrak{Z}T\otimes}\leftrightarrow\varepsilon:\delta\Box\cap:\zeta_+\\^{\text{TM}}\langle^{\text{TM}}\langle\Diamond\exists^{\text{TM}}\langle T\sigma\mathfrak{Z}\cap\neq\sigma\Delta\leftrightarrow+\mid^{\text{TM}}\langle\leftrightarrow+\Box\lrcorner\leq+\varphi\langle TX''\varepsilon T\Box\zeta''\vee\int\Box\sigma\not Z<\rfloor\\ \varepsilon\delta\Box\leftrightarrow$$

$$B\int\varepsilon T\zeta\text{---}''\ \delta\Box T>\bullet+\sim\int+\mid\Box\vee\omega\text{---}...\varepsilon\sigma\mathfrak{Z}\emptyset\theta+\sim\int\varphi\mid\sqrt{\varphi}\mid\sqrt{\varphi}\\ \theta:\mid\Box\#\not Z<\Box\varphi\langle\sqrt{\Box^{\text{TM}}\Psi}\ \Box\sigma\Box\cap\sigma\mathfrak{Z}T\lrcorner\leq\exists T\varepsilon\ \Box+<\int\Box H\Box H\Box\ \varepsilon T\Box^{\text{TM}}\not Z\leftrightarrow\sigma\\ \Psi$$

$$\varepsilon TT\lrcorner Y\Box\varphi\langle T\ \varepsilon\sqrt{\varepsilon T\Box^{\text{TM}}\Box^{\text{TM}}\Psi}\ \zeta_+\delta\Box\cap:\vee\int\Box T\varepsilon:\vee\int\Box\sqrt{}:\zeta_+\delta\Box:\\ \pi+\mid\zeta\Box''\Box+\zeta_+.$$

$$2.\oplus\leq\Box\vee\rangle\sigma\mathfrak{Z}\ \beta\subseteq\Xi\rangle\Box|\Box^{\text{TM}}\langle+:$$

$$\varepsilon T+|\Box^{\text{TM}}\langle+: \approx\approx \zeta_+\sigma\Box X''\sim\int\sigma\Box X''\varphi\langle T\mid\Box\delta\Box\zeta\Box''\leftrightarrow\kappa\subseteq\zeta\text{---}''H\rfloor\theta\psi\\ \mid\sqrt{}\ \varepsilon\varphi\langle T+\psi\mid\Pi\rfloor\Xi\rangle\varepsilon\Delta''\varphi\langle T\ \oplus\leq\Box\sigma\mathfrak{Z}\Box\Box\zeta''\delta\Box\psi\rfloor T\ \lrcorner\pm\varepsilon TH\Box\ \lrcorner\pm\varepsilon T\\ \lrcorner\pm\varepsilon\sqrt{\varphi\langle T\ \varepsilon T\zeta\Box''\leftrightarrow+\ \lrcorner\leq\psi\rfloor T\Xi\rangle\cap\sigma\not Z\psi\mid\Pi\rfloor\Xi\rangle\varepsilon\Delta\not Z<\Box<\int\Box^{\text{TM}}\\ \langle T\ \oplus\leq\Box\vee\rangle\sigma\Box\varphi\langle T\ \psi\mid\Pi\rfloor\Xi\rangle\varepsilon\Delta''\varphi\langle T\ \varepsilon T\zeta\Box^{\text{TM}}\sigma\Box X''\varphi\langle T\ \theta\varepsilon T:$$

$$\zeta_+\theta\psi\mid\sqrt{\varphi\langle T\lrcorner\Box\pm\varphi\langle T\ \oplus\leq\Box\vee\rangle\sigma\Box\varphi\langle T\ \psi\mid\Pi\rfloor\Xi\rangle\Delta''\varphi\langle T\ <\int\Box\theta<\int\\ \Box H\Box\leftrightarrow\sim\int\Box^{\text{TM}}\langle\varphi\rfloor T\ <\int\Box\theta<\int\Box\theta\leftrightarrow\delta\Box\varepsilon T\Box\sim\emptyset+\psi\rfloor T\ <\rfloor\zeta\text{---}''$$

$$<\Box\Box\varphi\langle T\ \kappa\subseteq\cap\zeta\Box^{\text{TM}}.\ \infty\infty\\ \exists<\int\Box\theta+: H\Box\rfloor\neq\lrcorner\Rightarrow\rfloor\cup\rfloor''\ \int\Box\omega\lrcorner\leq+, <\Box\Box\varepsilon T\Box|\Box+\&\Box'\ \Box\psi\rfloor<\Box\theta\\ ,\ ^{\text{TM}}\rfloor\therefore'\Box\mid\Box\Pi\therefore^{\text{TM}}\not Z\vee\sigma\mathfrak{Z}\subset\theta.(\ \rfloor\rfloor)<\Box\ \Box\varepsilon\vee H\mid\sigma TT\leftrightarrow v_{\text{--}}\int\Box\omega\lrcorner\leq+)$$

$$3.\sigma\not Z>\bullet\Box\psi\Box\sigma\mathfrak{Z}\Delta\ \beta\subseteq\Xi\rangle\Box|\Box^{\text{TM}}\langle+:$$

$$\varepsilon T+|\Box^{\text{TM}}\langle+: \approx\approx \zeta_+\pi+\delta\Box:\pi+\zeta_+>\bullet\Delta|\Box^{\text{TM}}\langle\varphi\rfloor T\ \varepsilon\sigma\mathfrak{Z}\varepsilon\sigma\mathfrak{Z}<\Box\ \zeta_+\pi\\ +\delta\Box:\delta\Box\sigma\mathfrak{Z}\cap\sigma\not Z>\pm H\Box\ \zeta\Box''\sigma\mathfrak{Z}\zeta\Box''\sigma\mathfrak{Z}\ \delta\Box:\pi+\zeta_+$$

$$\kappa\subseteq\cap\zeta\Box^{\text{TM}}.\ \infty\infty\\ \exists<\int\Box\theta+: <\Box\sqrt{\sigma\Box\cap\cup}\therefore v_{\text{--}}\int\Box\omega\lrcorner\leq+,(\ \mid\{\ \rfloor\varphi>\bullet\rfloor\lrcorner\leq\psi\rfloor\Box\delta\mid\ v\sim\\ <\Box\sqrt{\sigma\Box\cap\cup}\therefore+v\varepsilon v^{\text{TM}}\langle T+\sim.>\bullet\Delta\rangle\Xi\rangle\vee\chi\rfloor\Box^{\text{TM}}\langle\mid\sigma\mathfrak{Z}\\ \mid\Box\ ^{\text{TM}}\langle\Box\Pi\cup,\ \therefore\&\Box\sqrt{f}\ \Box\psi\rfloor<\Box\theta.$$

$$4.\lrcorner\leq\omega\Box...\ \Box\psi\Box\sigma\mathfrak{Z}\Delta:$$

$$\varepsilon T+|^{\text{TM}}\langle +: \approx \approx | | \square \varepsilon T T + \# \langle < \int \square \theta \cap \theta \delta \square | \varepsilon T T \cup \int \square \varphi \lfloor \sqrt{\sigma \square} \rfloor | \square \varphi \lfloor \sqrt{\sigma \square} \blacklozenge \leftrightarrow + \rangle \propto \propto$$

$$\varphi \langle \sqrt{\Xi} \rangle \subset^{\text{TM}} \rfloor \zeta \square'' \delta \square | \square \omega \square \varepsilon: | \square \sigma \square^{\text{TM}} \square \cup \int \square > \bullet \psi \wp \varepsilon | \square \rangle \rangle \propto \propto$$

$$\exists < \int \square \theta + : | \square + \# \langle > \bullet \psi \square \leftrightarrow \therefore^{\text{TM}} \wp \vee _ \int \square \omega \lrcorner \leq +, > \bullet T \varepsilon T \square \lrcorner \pm \varphi \langle T \square \psi \rfloor < \square \theta,^{\text{TM}} \langle + \neq > \& \square T, > \bullet T \theta T > \bullet T | \square \Pi \therefore^{\text{TM}} \wp \vee \sigma \mathfrak{Z} \subset \theta.$$

$$\delta \square \sigma \square \cap + > \bullet \sigma \wp > \bullet \square \psi \square \sigma \mathfrak{Z} \Delta \beta \subseteq \Xi \rfloor \square | \square^{\text{TM}} \square \therefore.$$

$$T$$

$$1. \propto \sigma \wp \beta \subseteq \Xi \rfloor \square \beta \subseteq \Xi \rfloor \square | \square^{\text{TM}} \langle + :$$

$$\varepsilon T+|^{\text{TM}}\langle +: \approx \approx \vee \lrcorner \int \square \vee \int'' \leftrightarrow +^{\text{TM}} \rfloor H \square \delta \longrightarrow \lrcorner \pm \vee \int'' \leftrightarrow + \lrcorner \leq \sigma \square \square \vee \int'' \leftrightarrow + \# \langle T \square T \lrcorner \pm < \square \sim \int \rangle$$

$$\varphi \langle T \lrcorner \leq \square \square + \circ \sigma \mathfrak{Z} \rangle \leftrightarrow + \varepsilon T \delta \longrightarrow | \chi \subseteq \neg \square \blacklozenge \zeta \square^{\text{TM}} \cap \varphi \langle \sqrt{\exists \varepsilon \square \zeta \square^{\text{TM}} \exists T^{\text{TM}} \rfloor} \rangle \rangle \propto \propto$$

$$\exists < \int \square \theta + : \varepsilon T \sqrt{*} \lrcorner \pm \sigma \mathfrak{Z} \kappa \subseteq \therefore \vee _ \int \square \omega \lrcorner \leq +, \lrcorner = \square \textcircled{R} \rfloor \lrcorner \pm \varphi \langle T \square | \Pi \psi \rfloor < \square \leftrightarrow + \varepsilon \sqrt{\neq \sigma \& \square T} < \square \Rightarrow \rfloor | \square \Pi \cup.$$

$$| \square \square \therefore +$$

$$: \lrcorner \leq + \& \square T', \varepsilon T T \oplus \leq \square \neg, \# \lfloor \varepsilon \vee \therefore T, \equiv \square T \lrcorner \leq +,^{\text{TM}} \langle \therefore, \psi \lfloor T < \square \& \square T, H \square \therefore T \lrcorner \leq \oplus \leq \square \delta \square + \square + \sim \int + \equiv \theta \vee H \square \sigma \wp > \pm \leftrightarrow \therefore T$$

$$> \pm \varphi \langle \sqrt{\therefore} T \cong \exists T \square H \square \square \square \beta \subseteq \Xi \rfloor \square | \square^{\text{TM}} \langle + \square \psi \square \rfloor \delta \square T | + \sim. \square \varepsilon T+|^{\text{TM}} \langle \cup | \square \varepsilon T T^{\text{TM}} \langle \therefore \oplus \leq \square \delta \square + \square + \sim \int + \equiv \theta$$

$$\delta \square \sigma \mathfrak{Z} \cap \sigma \wp > \pm \therefore \theta T \zeta \square'' \rfloor + | \square X \rangle \delta \longrightarrow \square \sigma \wp > \bullet \leftrightarrow \exists T \# \langle T \subset \theta T.$$

$$2. \lrcorner \leq + \sigma \otimes \mathfrak{Z} \zeta \square'' \delta \square | \beta \subseteq \Xi \rfloor \square | \square^{\text{TM}} \langle + :$$

$$\varepsilon T + |^{TM} \langle + : \approx \approx | \perp \psi \sqcup \upsilon \int \sqcup \delta \sqcup T | \sqcup \omega \text{---} \sqcup \zeta \sqcup " \upsilon \int \sqcup \leftrightarrow : \lrcorner \Upsilon \lrcorner \leq \kappa \subseteq \upsilon \int \not\leftrightarrow \leftrightarrow \vee \theta \vee \lrcorner \pm \leftrightarrow^{TM} \Psi \setminus)$$

$$\varphi \langle T \lrcorner \leq \sqcup \sqcup + < \wp \omega \sqcup \Delta \leftrightarrow \sqcup \varepsilon T + \kappa \subseteq \upsilon \int " \leftrightarrow + \upsilon " \zeta \sqcup \Theta \upsilon \int " \leftrightarrow + \exists \varepsilon \sqcup \zeta \sqcup " \exists T^{TM} \rfloor \big) \infty \infty.$$

$$\exists < \int \sqcup \theta + : \varepsilon T \vee * \lrcorner \pm \sigma \Im \kappa \subseteq \therefore \vee _ \int \sqcup \omega \lrcorner \leq + , \lrcorner = \sqcup \textcircled{R} \rfloor \lrcorner \pm \varphi \langle T \sqcup | \Pi \psi \rfloor < \sqcup \leftrightarrow + \varepsilon \vee \neq \sigma \& \sqcup T < \sqcup \Rightarrow \rfloor | \sqcup \Pi \cup .$$

$$\begin{aligned} & | \sqcup \sqcup \therefore + \\ & : > = +^{TM} \langle T , ^{TM} \langle \therefore , \mu \varepsilon T T \lrcorner \leq \therefore T , \lrcorner \Upsilon \Rightarrow \rfloor \sqcup \Downarrow , \upsilon \int \sqcup T X " \therefore T , \# \rfloor^{TM} \langle T \therefore T , \varepsilon T T + X \rangle^{TM} \langle T \therefore T > \pm \varphi \langle \vee \therefore T , \vee H \sqcup \sigma \wp > \pm \leftrightarrow \therefore T \\ & ^{TM} = \therefore \angle + \# \langle \& \sqcup \sqcup \lrcorner | \sqcup \beta \subseteq \Xi \rfloor \sqcup | \sqcup^{TM} \langle + . \end{aligned}$$

$$\begin{aligned} 3. \varepsilon \leftrightarrow \varepsilon \kappa \subseteq \varphi \langle T \beta \subseteq \Xi \rfloor \sqcup | \sqcup^{TM} \langle + : \\ \varepsilon T + |^{TM} \langle + : \approx \approx \varphi \langle T^{TM} \Psi^{TM} \rfloor \upsilon \int \sqcup \vee \psi \rfloor T \exists K H \sqcup \exists T \lrcorner (\sqcup | \sqcup + ^{TM} \langle < \sqcup | \text{---} \sigma \wp \zeta \sqcup " ^{TM} \langle T \setminus) \end{aligned}$$

$$\varepsilon \vee ^{TM} \rfloor \varepsilon T \sigma \Im \sqcup \exists \varepsilon T \sqcup > \bullet \cap \rfloor \varepsilon \vee ^{TM} \rfloor \zeta \sqcup " \sqcup < \sqcup \varphi \langle T \varepsilon T \rfloor \sqcup | \sqcup \psi \sqcup T \setminus \big) \infty \infty$$

$$\begin{aligned} \exists < \int \sqcup \theta + : \varepsilon \leftrightarrow \varepsilon \kappa \subseteq \varphi \langle T | \sqcup \vee \upsilon \int \sqcup \vee \varepsilon T T \therefore \wr \not\leftrightarrow 108 \lrcorner \leq \& \sqcup \varepsilon \therefore \cup \therefore + \\ ^{TM} \wp \vee _ \int \sqcup \omega \lrcorner | + \# \sqcup * . | \sqcup + \& \sqcup + \# \langle < \sqcup \therefore \equiv \theta < \int \sqcup \theta \leftrightarrow + ^{TM} \wp \\ \vee \sigma \Im \subset \theta , \vee < \rfloor < \int \sqcup \theta \leftrightarrow + ^{TM} \wp \varepsilon + \& \sqcup \theta \varepsilon + \geq \sqcup \psi \rfloor < \sqcup \theta . \\ | \sqcup \sqcup \therefore + \quad : \varepsilon \leftrightarrow \varepsilon \kappa \subseteq \varphi \langle T + \wr \not\leftrightarrow \vee \sim \int \lrcorner \leq \sim > \bullet T \sqcup \& \sqcup T \therefore T . \end{aligned}$$

$$\begin{aligned} 3. \sqcup T T \Delta \exists \psi (\vee \# \langle \theta \beta \subseteq \Xi \rfloor \sqcup | \sqcup^{TM} \langle + : \\ \varepsilon T + |^{TM} \langle + : \approx \approx \vee \theta \sqcup \Delta " \vee \delta \text{---} \sqcup \theta \sqcup \theta \sqcup \Delta " : | \sqcup \sigma \Im \delta \text{---} \sqcup > \times Z \theta | \sqcup \rho \varphi \rfloor T \wr \not\leftrightarrow \neq \lrcorner \vee \theta \sqcup \Delta " \Xi (\leftrightarrow \varepsilon T \setminus) \infty \infty \end{aligned}$$

$$\varphi \rfloor T < \rfloor \varepsilon \varphi \langle \vee H \sqcup \sqcup^{TM} \langle | \text{---} ^{TM} \langle \sqcup \varphi \langle \vee \Delta " \delta \sqcup \sigma \sqcup \cap \theta \in < \int \wp \vee \theta \sqcup \Delta " \vee \lrcorner (\sqcup \varphi \rfloor T \varepsilon T \setminus \big) \infty \infty$$

$$\begin{aligned} \exists < \int \sqcup \theta + : \# | \imath \oplus \leq \sqcup \sigma \Im \delta \sqcup + ^{TM} \wp \vee _ \int \sqcup \omega \lrcorner \leq + , \psi \sqcup \oplus \leq \sqcup \& \sqcup T | \sqcup \Pi \\ \therefore ^{TM} \wp | \sqcup \Pi \cup , \sqcup \varepsilon \vee H (\sigma T T \leftrightarrow H (\Pi \psi \rfloor < \sqcup \leftrightarrow + . \end{aligned}$$

$$\begin{array}{l} |\square\square\therefore+ \\ : \square\text{TT}\Delta\exists\psi\big(\sqrt{\#}\langle\theta.\square\lhd\leq\sigma\not\wp\text{E}\ve\theta\square+\Leftarrow\theta\lhd\leq\beta\big)\sigma\text{TT}\text{H}\square\big|\square\square\sigma\mathfrak{I}\psi\square \\ \big\rangle\big\rangle<\square\text{T}.\square\theta+<\square+>\pm\square\big|\square\psi\square\delta\square\psi\big(\text{T}\rightarrow\text{H}\square \end{array}$$

$$\begin{array}{l} \square+&\square\varepsilon\#\langle\text{T}\subset>\pm\big|\ve\big|\square\ve\in\therefore\psi\square\sigma\mathfrak{I}\text{T}\square+\{\big|\big|>\bullet&\square\big|\square^{\text{TM}}=\lhd\leq\neg\lhd\leq\beta \\ \big|\text{TM}\big|\#\square\therefore\text{T}\ve\theta\text{T}\oplus\leq\square\text{H}\big|\psi\square\sigma\mathfrak{I}\text{T}\square\big\rangle\lhd\leq+\big\rangle\lhd \end{array}$$

$$\begin{array}{l} \#\square\big\rangle''\varepsilon\text{T}+\sim\square\text{H}\square\square\sigma\mathfrak{I}\text{T}.\lhd\pm\big|\square\big\rangle''\ve\theta\text{T}\oplus\leq\square+\geq\sqrt{\big|\oplus\leq\Lambda&\square^{\text{TM}}\langle\big|\square\in\square \\ \big|\square\big]\delta\text{---}\square^{\text{TM}}\langle\text{T}\therefore\big\rangle\lhd\ve\big|\square\ve\in\#\big|\varphi\langle\text{T}&\square+ \end{array}$$

$$\begin{array}{l} <\square\square\varepsilon&\square f\beta\subseteq\big|\square+\big\rangle''>\pm\square\big|\big|\angle\beta\big|\text{TM}\langle\sqrt{\big|\square+\phi\rangle}\rho\sigma\mathfrak{I}\subset\big\rangle\big\rangle\lhd\leq\ve\varepsilon\delta\square\square\big|\square \\ &\square\geq+\oplus\leq\Lambda&\square\cup\sigma\mathfrak{I}\text{T}>\bullet\text{T}^{\text{TM}}\langle\sqrt{\big|\square+\geq\text{T}+\sim. \end{array}$$

$$\begin{array}{l} \square\ve\big|\square\ve\in\rho\sigma\mathfrak{I}\subset&\square\square\lhd\big|\varepsilon\text{T}^{\circ}\Downarrow\ve\big|\square\ve\in...\square\lhd\leq\text{B}\square\lhd\big|\ve+^{\text{TM}}\langle\psi\big|\text{T}\sim? \\ \square\delta\square\varepsilon\text{T}\delta\square\leftrightarrow\therefore\theta\text{T}\square\lhd\leq\neg&\square^{\text{TM}}\not\wp\ve\big|\square&\square\square\neq\lhd \end{array}$$

$$\begin{array}{l} \square\beta\subseteq\Xi\big|\square\big|\square^{\text{TM}}\langle\big|\square\varphi\big|\sqrt{>\bullet+}.\varepsilon\text{T}\big]\kappa\subseteq\varepsilon\sqrt{\square\lhd\leq+>\pm\ve\big|\square\ve\in\big\rangle}\square\psi\square\sigma\mathfrak{I} \\ \text{T}\text{B}\square\square\big|\square\varphi\big|\sqrt{\angle\square\delta}\big|\cong\varepsilon\text{T}\big]\varepsilon\ve^{\text{TM}}\langle\text{T}+\sim? \end{array}$$

$$\begin{array}{l} \ve\big|\square\ve\in&\square\text{T}\psi\square\big]\lhd\big|\square\big\rangle\lhd\leq+\big\rangle\lhd\square+&\big|\square\text{TT}\Delta+\rho\big]\beta\big|\sigma\text{TT}\varepsilon\text{TT}\lhd \\ \big|\big|\beta\big|\big|+<\square\text{T}^{\text{TM}}\square\sigma\mathfrak{I}\text{T}.\varepsilon\text{T}\square\omega\text{---}\lhd\big|\ve\square\square\ve''<\big|\square\therefore. \end{array}$$

$$\begin{array}{l} \lhd\leq\text{H}\square\square\square\text{TT}\Delta\ve''<\big|\square\exists\text{T}\theta\square.\ve\sim\sigma\text{T}\sqrt{\varepsilon\text{T}+}\big|\text{TM}\langle\cup\big|\square\varepsilon\text{T}\sqrt{\therefore\varepsilon\text{TT}\theta} \\ ^{\text{TM}}=\therefore>\bullet\text{T}\theta\text{T}. \end{array}$$

$$3.\delta\square\text{T}\big|\square\varsigma\square''\square\Delta\leftrightarrow\beta\subseteq\Xi\big|\square\big|\square^{\text{TM}}\langle+:$$

$$\begin{array}{l} \varepsilon\text{T}+\big|\text{TM}\langle+:\approx\zeta+\lambda+\big|\varsigma\odot''+\lhd\Upsilon'+\kappa\Sigma:\Xi\big|\sigma\mathfrak{I}\varepsilon\Delta\ve\big(\big|\square\varepsilon\varepsilon\ve\big(\big|\square\Delta\varepsilon \\ \sigma\mathfrak{I}\Xi\big),\kappa\Sigma:\lhd\Upsilon'+\big|\varsigma\odot''+\lambda+\zeta+\big)\big)\infty\infty \end{array}$$

$$\begin{array}{l} \exists<\big|\square\theta+:\beta\big|\&\square\exists\ve\big(\big|\square\sqrt{\Leftarrow^{\text{TM}}}\not\wp,\ve\omega\square...>\bullet+<\big|\square+^{\text{TM}}\not\wp\ve_{-}\big(\big|\square\omega \\ \lhd\leq+\overline{\delta\square\text{T}\big|\square\varsigma\square''\square\Delta\leftrightarrow\ve\chi}\big|\square^{\text{TM}}\langle\big|\sigma\mathfrak{I}\Xi\big|\text{TM}\langle\text{H}\square\varepsilon\text{T}\big|\square\Pi\cup,21\text{B}\beta\subseteq\therefore^{\text{TM}} \end{array}$$

⋈

$v \vdash + \lrcorner \leq \sigma \mathfrak{S} \Delta, \oplus \leq \square + \varepsilon T \mid \square \vee \varepsilon v, X'' \square \lrcorner \pm \varphi \langle T, X'' \mid \square \mid \Leftarrow, > \wp \sigma \wp \# \langle$
 $\theta +, \wp \& \square \mid \square \mid \square \vee \in, \lrcorner \mid \delta \tau \exists T \delta \tau, \varphi \langle \sqrt{} \vdash \oplus \leq \square \vdash \text{TM} \wp$
 $\# \rfloor \delta \text{---} \theta \vdash \& \square \sqrt{f} \square \psi \rfloor < \square \theta.$

$\mid \square \square \vdash +$

$: \oplus \leq \square \cup < \wp \omega \square + \square \psi \square \sigma \mathfrak{S} \Delta. \vdash > \bullet \square + \wr \not\subset \oplus \leq \square E \& \square T \square + \phi \rangle \# \langle \text{TM} \langle T$
 $\sigma \square \emptyset \square \square, \delta \square \mid \square \mid \varepsilon \sqrt{\square \square}, v \omega \square \dots \varepsilon \sqrt{\square \square}, M \lrcorner \mid \square \kappa \subseteq \mid \& \square T.$

$v + < \square T \varepsilon \vdash \text{TM} \langle \sigma \mathfrak{S} \# \langle T \square \lrcorner \mid \diamond \& \wr + \geq T' v \varepsilon v \text{TM} \langle \sqrt{} \square + \& \square \geq +, \square \sigma \wp$
 $> \bullet \leftrightarrow + v'' > \bullet T + \& \square \lrcorner \leq \beta \rfloor \varepsilon \& \square + \exists \psi \square \zeta \square'' +$

$\square \vdash \delta \square \leftrightarrow \varepsilon T \varepsilon \& \square + \cup \sigma \mathfrak{S} T > \bullet T \text{TM} \langle T + \sim. \# \langle \text{TM} \langle T \sigma \mathfrak{S} \square + \wr \not\subset \oplus \leq \square E \&$
 $\square T + \phi \rangle \oplus \leq \Lambda \& \square \psi \square \zeta \square'' \theta \mid \mid \square \varepsilon \sqrt{< \square \vdash T v \varepsilon v \text{TM} \langle \sqrt{}$

$\square + \& \square \geq +, \exists \psi \square \zeta \square'' + \square \vdash \delta \square \leftrightarrow \varepsilon T \varepsilon \& \square +, \# \rfloor \square \delta \square < \wp \leftrightarrow > \bullet + \wr \not\subset \delta$
 $\square \varepsilon T \delta \square \leftrightarrow \vdash T \sigma \square \varepsilon \& \square + \cup \sigma \mathfrak{S} > \bullet \varepsilon \# \langle T \subset. \sim \cap \rho \varphi \langle T + \wr \not\subset$

$\wr \not\subset \lrcorner \leq \mid \square + \# \langle \varepsilon T + \wr \not\subset \oplus \leq \square E \& \square T + \phi \rangle \delta \square + \text{TM} \square \theta + \lrcorner \leq \vdash > \bullet \lrcorner \leq \beta \rfloor \varepsilon \# \langle$
 $T \subset. \square \wr \not\subset'' \oplus \leq \square \cup < \wp \chi \subseteq \vdash T v H \rfloor \lrcorner \leq \sigma \mathfrak{S} \lrcorner \pm \vdash T$

$\square + \{ \text{''} \sigma T T. \square < \wp \chi \subseteq \vdash \wr \not\subset \cong \sim \square H \square \square \varepsilon T + > \bullet \Rightarrow \rfloor > \bullet \zeta \square'' v \sim \wr \not\subset \chi \subseteq$
 $\mid \theta < \rfloor \varepsilon \text{TM} \langle v \sigma T T \theta \delta \square T \mid \square \zeta \square'' \square \Delta \rangle \leftrightarrow \Xi \rfloor \cap \sigma \mathfrak{S} \kappa \subseteq \cap \exists T$

$v \theta T \mid > \bullet \zeta \square'' + \text{TM} \wp \square < \wp \omega \square + \theta T + \& \square v \supset \prod \{ \wr \not\subset \mid \sigma \square \varepsilon \# \langle T \subset. v +$
 $< \square T \neq \lrcorner \square \delta \square T \mid \square \zeta \square'' \square \Delta \leftrightarrow \beta \subseteq \varepsilon v \mid \square \text{TM} \langle \mid \mid \square \varphi \wr \not\subset > \bullet +.$

$\cong \sigma \mathfrak{S} \lrcorner \leq \varepsilon T > \bullet T \oplus \leq \square \cup < \wp \omega \square \psi \wr \not\subset T \rightarrow H \square B \square \cup \mid \square \varepsilon T T \varepsilon \vdash \theta \delta \square +$
 $\text{TM} \square \theta \varepsilon T T \lrcorner \leq \vdash T > \bullet T \theta T.$

$\varepsilon T \zeta \square \text{TM} \varepsilon T \square \text{TM} \langle T \leftrightarrow + \cup \varphi \langle T \varepsilon T + \mid \text{TM} \langle + :$

$\zeta + |^{TM} \langle \leftrightarrow \varphi \langle T + \square \downarrow \leq + \varphi \langle TX'' \varepsilon T \square \zeta'' \delta \square T > \bullet + < \div \square + | \square \vee \omega \text{---} \dots \varepsilon \sigma$
 $\mathfrak{S} \square \theta +,$

$\square \sigma \square \cap \sigma \mathfrak{S} T \downarrow \leq \exists T \varepsilon \square + < \int \square \downarrow \pm H \square \varepsilon T \square^{TM} \wp \leftrightarrow \sigma \mathfrak{S} T \square \downarrow | \square \varphi \langle T \varepsilon \vee \varepsilon$
 $T \square^{TM} \square^{TM} \Psi \rangle$

$\varepsilon T + |^{TM} \langle \exists \varepsilon \sigma \mathfrak{S} \Delta : \delta \square T > \bullet + < \int \square \vee \int \square]^{TM} \langle T \& \square T, | \Leftarrow H \parallel^{TM} \langle T \& \square T, \varepsilon T$
 $+ \# \langle T | \square \sigma \mathfrak{S} \cap^{TM} \langle \varepsilon T T \square | \Pi \square \varepsilon \delta \text{---} + \# \langle T \psi \square \& \square T, \delta \square \sigma \mathfrak{S} \cap | \beta \subseteq \Delta | \downarrow \wp \{ |$
 $\downarrow | \sigma \mathfrak{S} \downarrow \leq \square \Delta \downarrow \leq * \varepsilon + \# \langle T \psi \square \& \square T, \vee \sigma \mathfrak{S} \emptyset H \square \downarrow \Xi / \cap \sigma \mathfrak{S} T \& (\Pi \theta \square | \square \sigma$
 $\mathfrak{S} \varepsilon T \infty \varepsilon \vee \square | \square \Pi \square + \equiv \theta \varepsilon T \square^{TM} \langle T \leftrightarrow \vee \int \square \varphi \langle T \varepsilon T T^{TM} = \therefore \angle \beta | \varepsilon \vee \theta T. \downarrow \leq * \varphi$
 $\langle T T > \bullet \varepsilon T T \theta + < \square T \exists \exists < \int \square \downarrow \pm \sigma \mathfrak{S} \Delta \varepsilon T T \therefore \varepsilon \therefore \theta, \downarrow \pm \therefore T \omega \square \leftrightarrow \varepsilon T T \varepsilon \therefore$
 $\theta, \Xi / \square |^{TM} \langle T \varepsilon \vee \therefore \varepsilon \therefore \theta, \downarrow \pm \therefore T \omega \square \leftrightarrow \varepsilon T T \varepsilon \therefore \theta, \psi (\Pi < \square \leftrightarrow \varepsilon T T \rangle \square \exists |$
 $\square \downarrow^{TM} \langle \psi \square \leftrightarrow < \int \square T \therefore \varepsilon + \{ | \psi \square \square \varepsilon \therefore \theta \varepsilon \# | \subset \& \square \vee | \square \varepsilon T \square^{TM} \langle T \leftrightarrow \vee \int \square \varphi$
 $\langle T \varepsilon T T \theta T | \square \Pi | \rangle > \pm^{TM} = \therefore \angle + \equiv \cup \varphi \langle T \varepsilon T T H = \delta \square + \mathfrak{R} > \& \square \varepsilon T \zeta \square^{TM} \varepsilon T + |$
 $^{TM} \langle \varepsilon T T \square \varepsilon T \zeta \square^{TM} \varepsilon T \square^{TM} \langle T \leftrightarrow + \cup \varphi \langle T \varepsilon T + |^{TM} \langle \varepsilon T T.$

$^{TM} \langle \therefore H = | \text{---} \in \varepsilon T + |^{TM} \langle + :$

$\approx \approx \zeta + \downarrow \square \pm + \downarrow \Upsilon \square + \downarrow \leq \square : \zeta \square'' : !! \infty \infty$
 $\exists < \int \square \theta \varepsilon T T : \square | \Pi \varepsilon T + |^{TM} \langle \varepsilon T T \theta T | \square \sim \psi \rfloor \therefore \kappa \subseteq \sigma \mathfrak{S} T' \cup | \text{---} + \equiv \theta \varphi (T \&$
 $\square \therefore \delta \text{---} \sim \emptyset + \# \langle T \theta T. ^{TM} \langle \sigma \mathfrak{S} T \psi \square^{TM} \langle \square | \Pi \varepsilon T + |^{TM} \langle \varepsilon T T \# \rfloor^{TM} \langle \square \sigma \mathfrak{S} \psi (\Pi$
 $\square \downarrow \leq \neg \kappa \subseteq \sigma \mathfrak{S} T' \vee _ \int \varepsilon T + | \Leftarrow + \# \langle \square \& \square \theta \varepsilon T + \equiv | \Rightarrow / \downarrow \theta \theta T |^{TM} \square \angle + \equiv \theta \varphi ($
 $T \& \square \therefore ^{TM} \langle \therefore H = | \text{---} \in \psi (+ \geq H \rfloor \zeta \square''] + \# \langle T \theta T.$

$\downarrow \pm \therefore \vee \int \supset \Pi \sigma \mathfrak{S} \varepsilon \beta \subseteq \Xi / \square | \square^{TM} \langle + :$

$\approx \approx \zeta + \zeta \square'' + \omega \square + \theta + > \bullet + | \square \square + \delta \square + K + \varepsilon T \zeta \square^{TM} \downarrow \pm \therefore \vee \int \supset \Pi \sigma \mathfrak{S}$
 $\psi \square \varphi \langle T \cong \chi \subseteq + | \square \vee \sigma \mathfrak{S} T \chi \subseteq \Delta'' \psi \rfloor T \chi \subseteq + | \square \Xi / \Sigma H \square + \varepsilon \vee \vee \int \rangle \sigma \square \square$

$\sigma \wp \psi (\vee \cong \chi \subseteq + \downarrow | + \# \langle H \square \varepsilon T \varepsilon T^{TM} \Psi \theta \varepsilon T : \infty \infty$
 $\exists < \int \square \theta \varepsilon T T : \psi \rfloor T \downarrow \leq \beta \subseteq \therefore ^{TM} \wp \vee _ \int \square \omega \downarrow \leq +, > = + > \bullet [\square \delta \square \theta +, \psi \rfloor T \downarrow \leq$
 $\beta \subseteq \therefore ^{TM} \wp \# \rfloor \delta \text{---} \theta \beta \subseteq \varphi \langle T \delta \square + H (\Pi \psi \rfloor < \square \leftrightarrow +, > \bullet \& \square f | \square \Pi \therefore ^{TM} \wp \vee \sigma$
 $\mathfrak{S} \subset \theta.$

$| \square \square \therefore +$

$: \downarrow \pm \therefore \vee \int \supset \Pi \sigma \mathfrak{S} \varepsilon < \square \sigma \mathfrak{S} | \theta +, | \square \Xi / \square \delta \square + | \square < \square \varepsilon \square \sim \emptyset, | \square \Xi / \square \varepsilon$
 $\vee \therefore \sigma \wp > \bullet \square \psi \square \sigma \mathfrak{S} \Delta.$

$$\begin{aligned}
& \square \sigma \wp > \bullet \leftrightarrow \beta \subseteq \Xi / \square \square^{\text{TM}} \langle + : \\
& \approx \zeta + \theta \psi \lfloor \sqrt{\vee} \vee \int \square > \bullet \varepsilon^{\text{TM}} \rfloor \sigma \mathfrak{Z} T \rfloor \langle \square \varphi \langle T, \varphi \langle \sqrt{\vee}^{\text{TM}} \rfloor \sigma \mathfrak{Z} T \rfloor \langle \square \infty \psi \square \\
& {}^{\text{TM}} \langle \theta \sqrt{\infty} \rfloor \psi \square \exists \Xi / \cap \zeta \square'' \vee \int \rangle \omega \square \mathfrak{G} \setminus \infty \psi \square \sigma \mathfrak{Z} T \rfloor \langle \square \delta \square \leftrightarrow \vee \int \rangle \omega \square \mathfrak{G} {}^{\text{TM}} \langle \varphi \\
& \langle \sqrt{H} \wp \\
& \varepsilon T \square \& \square \exists \varepsilon \square \delta, \langle \rfloor \zeta \text{---}'' \kappa \Sigma \vee \int'' > \bullet \leftrightarrow \varepsilon \sqrt{\sigma} \wp > \bullet \leftrightarrow + \langle \rfloor \zeta \text{---}'' \psi \rfloor T \rfloor \square \\
& \sigma \mathfrak{Z} \varepsilon T + \delta \square T K + \theta \varepsilon T : \infty \infty \\
& \exists \langle \int \square \theta \varepsilon T T : \varepsilon T \sqrt{*} \lrcorner \pm \sigma \mathfrak{Z} \kappa \subseteq \varphi \langle T H \square \therefore {}^{\text{TM}} \wp \vee _ \int \square \omega \lrcorner \leq +, > \bullet T \rfloor''; \rfloor \square \Pi \\
& \therefore {}^{\text{TM}} \wp \vee \sigma \mathfrak{Z} \subset \theta, \varepsilon T \langle \int \square T \sigma \mathfrak{Z} \rfloor \square \square \therefore H \lfloor \Pi \psi \rfloor \langle \square \leftrightarrow +. \\
& \rfloor \square \square \therefore + \\
& : \square \sigma \wp > \bullet \leftrightarrow \kappa \Sigma K \leftrightarrow \varepsilon \square \sim \emptyset. \square \sim \vee H \square \sigma \wp > \pm \leftrightarrow \therefore \theta \square \square \{ \rfloor \rfloor^{\text{TM}} = \therefore \\
& \angle + \# \langle T \theta T. \\
& \psi \square \leftrightarrow \beta \subseteq \sigma \square _ \int \varepsilon \square \sim \emptyset : \\
& \square + \rfloor \langle \square \varepsilon T \zeta \square'' + \varepsilon \Delta \rfloor \cup + \# \wp \langle \square \varphi \langle \sqrt{\exists} T \\
& \delta \square \theta \cdot {}^{\text{TM}} \langle T \rfloor \square \vee \neq \sigma^{\text{TM}} \square H \wp \vee \delta \square T \rfloor \rfloor \\
& \theta T \langle \square \theta \square \sigma \square \leftarrow + \rfloor \square \rfloor \square + \sim \int \theta + \varepsilon T \square > \bullet + \\
& \delta \square \square \Xi / H \wp \langle \int \square \theta \langle \square \vee \delta \square T \rfloor \varepsilon T \zeta \square'' \leftrightarrow \psi \square T \rfloor \rfloor \\
& \psi \square \leftrightarrow \beta \subseteq \sigma \square _ \int \varepsilon \square \sim \emptyset : \\
& \Xi / \square \theta + H \wp \vee \delta \square T \rfloor \rfloor \rfloor \square \rfloor \square \Delta \wp \exists \rfloor \lrcorner \leq \varphi \langle T \Xi \rfloor \subset \rfloor \square \leftarrow \rfloor \square \Delta \rfloor \rfloor \\
& \rfloor \square \square * \theta + \varepsilon \sqrt{\vee} \lrcorner \leq \square \Delta \wp {}^{\text{TM}} \langle T \square \langle \square + \zeta \square'' \varepsilon \leftrightarrow + \\
& \delta \square + \exists \langle \square H \rfloor E \square \omega \langle \div \square + \Xi / \square \theta + \\
& H \wp \vee \delta \square T \rfloor \# \langle \rfloor^{\text{TM}} \langle \varepsilon T \leftarrow \square^{\text{TM}} \langle + \# \langle \rfloor \rfloor
\end{aligned}$$

$$\begin{aligned}
& \underline{\varepsilon + \langle \int \square \leftrightarrow \square \delta \odot \rfloor \therefore T \delta \square + {}^{\text{TM}} \square \theta \varepsilon T T \lrcorner = \sigma \mathfrak{Z} \oplus} \\
& \underline{\leq \square \# \rfloor \varphi \langle T \varepsilon \therefore \delta \text{---} \theta} \\
& \underline{\beta \subset \sigma \square \varphi \langle T \Delta \exists \langle \int \square \theta \varepsilon T T}
\end{aligned}$$

$$\begin{aligned} \nu\delta\Box\leftrightarrow\lambda\text{ }^{\text{TM}}\langle T:\delta\odot\lhd\leq\varepsilon\#\langle\kappa\rangle\parallel\text{ }^{\text{TM}}\langle\varepsilon T\Box\theta\mid\delta\Box \\ \leftrightarrow\lambda\text{ }\varepsilon T\varsigma\Box^{\text{TM}}<\lhd\varepsilon\Box TT\omega\text{---}:\nu\theta T\omega\Box\clubsuit\dots\mid\Box\subset \\ \Leftrightarrow\theta\Uparrow: \end{aligned}$$

$$\begin{aligned} \lambda\text{ }^{\text{TM}}\langle T:\delta\odot<\lhd\varepsilon^{\text{TM}}\Box,\varepsilon TMT\delta\text{---}\Diamond^{\text{TM}}\langle\lhd\pm \\ \varepsilon TH\Box\delta\text{---}<\Box\emptyset\leftrightarrow\neq\sigma\emptyset\cup\Box\mid\exists\Box\varphi\lfloor\sqrt{}>\bullet: \end{aligned}$$

$$1.\text{ }^{\text{TM}}\langle T:\delta\text{---}\lambda\text{ }\varepsilon T\varsigma\Box^{\text{TM}}<\lhd\exists\theta\varepsilon T:\mid\Box\varpi\neg\cup< \\ \int\Box\rangle\Delta\rfloor,$$

$$\begin{aligned} \infty\sigma\wp\psi\lhd T\text{ }^{\text{TM}}\langle T:\delta\text{---}\beta\subseteq^{\text{TM}}\langle T\beta\Box\subseteq\therefore+\beta \\ \subseteq^{\text{TM}}\langle T\varphi\langle T\Xi\rangle\delta\odot\cap\mid\backslash \end{aligned}$$

$$2.<\Box\Box\Xi\Box\psi\lhd T\mid\Box<\Box\Box\theta\varphi\langle TH\Box\lambda\delta\Box\Phi\mid\Xi\rangle\varepsilon\Delta \\ \rangle\varepsilon T\varepsilon T$$

$$\begin{aligned} \Box\mid\Box\Box\sqrt{\Delta}+\beta\subseteq^{\text{TM}}\langle T\delta\Box T\theta H\Box\Uparrow\psi\lhd T\varepsilon TK+ \\ \#\langle\delta\Box T\varepsilon TT\Phi\varepsilon T\varepsilon T\backslash \end{aligned}$$

$$3.\Box\varsigma\Box^{\text{TM}}\cap+\psi\lhd T\beta\subseteq^{\text{TM}}\langle T\Xi\rangle\Box\upsilon\int\Box<\Box\lhd\leq+\sigma$$

$$\otimes\mathfrak{I}+\exists<\Box\leftrightarrow\varepsilon T\sigma T\sqrt{}\varepsilon T\varepsilon T$$

$$\begin{aligned} \delta\Box\neg H\lhd\Uparrow\lhd\leq\}\text{''}\mid\lceil\Delta\Upsilon\beta\subseteq^{\text{TM}}\langle T\varsigma\Box\text{''}\Box<\Box\varphi\langle \\ T+\exists\omega\Box\Box\varepsilon\therefore.\text{'}\upsilon\int\text{''}\backslash \end{aligned}$$

$$4. \left| \square \vee \Delta \leftrightarrow \langle \square \psi \rangle T \beta \subseteq^{\text{TM}} \langle T \ \varepsilon T < \int \square \leftrightarrow + H \square _ \right. \\ \left. \int + \kappa \Sigma \vee \int \right\rangle \bullet \leftrightarrow \langle \square \sigma T T \mid \\ \downarrow \leq + \{ \mid + \oplus \leq \square + \& \square * \mid \beta \subseteq^{\text{TM}} \langle T \ \} \sigma \Im \sqrt{H \square \sigma} \\ \Im < \square \varepsilon \square \uparrow^{\text{TM}} \square \mid$$

$$5. \cup \theta \mid X'' \theta T \mid \beta \subseteq^{\text{TM}} \langle T \cup X \rangle \mid \delta \square \downarrow \leq \therefore \varepsilon \square \uparrow^{\text{TM}} \\ \square$$

$$H \square \sigma \square \varphi \langle T \Delta \mid \mid \neg \varphi \rangle T \beta \subseteq < \mid \delta \square \sigma \square \cap \cup Z + \\ \delta \square \sigma \Im \cap \sigma \Im \downarrow \mid \square \Delta Y \mid$$

$$6. \delta \square + \downarrow \leq \phi \rangle \ \exists \omega \square \psi \rangle T < \square T \neq \sigma Z \vee \int \square \varphi \rangle T \psi \\ \square < \mid \varepsilon T \zeta \square^{\text{TM}} \zeta \square'' \psi \rangle \\ \square^{\text{TM}} \langle \leftrightarrow + \mid \Leftarrow \delta \square \theta \uparrow \leftrightarrow \varphi \rangle T : \beta \subseteq^{\text{TM}} \langle T \ \text{TM} \langle T \\ \therefore \delta \odot \delta \square \sigma \Im \cap^{\text{TM}} \langle : \delta \square < \square$$

$$7. \square \rho < \square +, \mid \square \sigma \Im \varepsilon T ++ > \bullet T \zeta \square'' \leftrightarrow + \text{TM} \langle T \therefore \kappa \\ \subseteq \leftrightarrow : \downarrow \leq \varepsilon \# \square \varepsilon T \square^{\text{TM}} \langle \psi \square T \\ \varepsilon T \sigma \square \mid \leftrightarrow H \square , \varepsilon T \varepsilon T \square^{\text{TM}} \square \sigma \square \emptyset \varphi \langle T ; \int^{\text{TM}} \\ \square H \square \varepsilon T \vee \int \square \varphi \langle \sqrt{\varphi \langle T \# \langle \mid$$

$$8. \psi \mid \sqrt{\downarrow \square \pm \varphi \langle T \# \langle \varepsilon T T \varepsilon T T \oplus \leq \square \Lambda \Delta'' + < \int \square \\ \leftrightarrow \sigma T T H \square + < \int \square \leftrightarrow \theta \varphi \mid \sqrt{> \bullet \downarrow \leq \square^{\text{TM}} \Psi$$

$$\varepsilon \Xi (\leftrightarrow \varphi \langle T \ \varepsilon \Xi) \leftrightarrow \lhd \pm \varepsilon \sqrt{H \Box + \exists < \Box \leftrightarrow \varphi \mid} \\ \rightarrow T \ \psi \rfloor < \Box \ \psi \rfloor \sim H \Box \psi \Box T$$

$$9. \mid < \Box \exists \Delta'' \varphi \langle T \ < \Box \rfloor \mid < \Box \Delta + \beta \subseteq \mid \text{---} H \Box + \ \beta \subseteq \mid \Box \\ \Xi (\theta \mid \varphi \rfloor T \)$$

$$\nu H \Box \Box \ \varepsilon T \oplus \leq \Box \Box \sim \int^{\text{TM}} \Box H \Box + \# \langle \ \delta \Box \cap \sigma \Box Z \\ \varphi \langle T \ \delta \Box \cap \rfloor Z \exists T \# \langle \subset \Leftrightarrow^{\text{TM}} \Box \psi \Box T \)$$

$$10. \ \varphi \langle T \Xi \rangle \delta \Box \leftrightarrow + \ \varphi \langle T \Xi \rangle : \lhd \pm \varepsilon \sqrt{H \Box + \mid \Box \vee \mid} \\^{\text{TM}} \langle < \Box + \mid \Box \vee \mid \ ^{\text{TM}} \langle \lhd \pm + \lhd \rfloor \Box \Delta'' + \\ \sigma \Box X'' \leftrightarrow \varphi \langle T \mid \vee \int \Box \omega \Box \dots \sigma \Box X'' \leftrightarrow H \Box \varepsilon \\ T \ \Xi (H \Box \mid H \Box + \Box \Xi (\theta \mid \varphi \rfloor T \)$$

$$11. \ \vee \int \Box \lhd \leq \mid \sigma \Im \emptyset \leftrightarrow + \ \exists \omega \Box \clubsuit \Box \ \vee \int \Box \lhd \pm \mid H \\ \Box + \exists \chi \Sigma \Box \ \delta \Box \sigma \Box \cap \theta \mid \sigma \Box^{\text{TM}} \langle \Box \Box \\ X'' \mid \Box \leftrightarrow + \mid \Leftarrow \varepsilon \sigma \Im Z \ \delta$$

$$\text{---} < \Box \emptyset \leftrightarrow \sigma \Im \emptyset + \ > \bullet \Box \zeta \Box'' \Box \delta \Box \theta \ \exists \Xi \textcircled{\text{R}} \omega \Box^{\text{TM}} \langle \\ :$$

$$12. \ \Box < \Box \leftrightarrow \theta \mid + \ \# \langle + \& \Box \lhd \rfloor \sigma \Im \Delta \ \varepsilon T T \mid \Box \kappa \subseteq \Box \varphi \\ \langle T \ \lhd \leq \Box^{\text{TM}} \Box \cup \textcircled{\text{C}} *$$

$$\begin{array}{l} \text{TM}\langle T \therefore \delta \odot \lhd \pm \theta H \rceil, \Leftarrow \omega \square \mid H \square \square \delta \text{---} H \\ \wp \psi \square \cup \square \mid \sim < \square \psi \square T \setminus \end{array}$$

$$13. \delta \square \sigma \square \cap H \square \neg \varepsilon \vee \theta \psi \square \kappa \rceil \square \Leftarrow \text{TM}\langle < \lfloor \Pi \varepsilon \varepsilon T \\ \varepsilon T \delta \square \square \square \sim \int \psi \square T$$

$$\begin{array}{l} \varepsilon T \varepsilon T \mid \mid \text{---} \varphi \langle T \lhd \leq \sigma \mathfrak{T} + \delta \square \text{TM}\langle \leftrightarrow + \varsigma \square '' \rceil \vee \\ \int \square \lhd \mid \mid \exists \varepsilon \sigma \mathfrak{T} \square \theta \psi \square T \setminus \end{array}$$

$$14. \varphi \langle \vee \kappa \subseteq \square, \delta \square \square \square \text{TM}\langle \mid \mid \square X'' H \square \downarrow \text{TM}\langle \kappa \subseteq \\ \leftrightarrow \vee + > \bullet + \mid \mid \square \varepsilon \vee \sigma \mathfrak{T} \blacklozenge \varphi \rceil T^{\text{TM}} \Psi$$

$$\begin{array}{l} \kappa \subseteq \mid \square \vee \mid \text{TM}\langle + \therefore \vee \int \square^{\text{TM}} \rceil B \sigma \mathfrak{T} \lceil \exists \varepsilon \theta + \# \square \\ \mid \square \leftrightarrow \sigma \wp \angle \Delta \psi \square T \end{array}$$

$$15. \varepsilon H \square \emptyset \leftrightarrow \varphi \langle \vee \varepsilon \vee \sigma \mathfrak{T} \blacklozenge \varphi \rceil T < \square + > \bullet + \oplus \leq \square \\ \Xi \setminus \Pi \sigma \mathfrak{T} \mid \square H \rceil \mid \Delta \kappa \subseteq < \int \square \lhd \leq :$$

$$\begin{array}{l} \kappa \subseteq \mid \text{---} \delta \square + \varepsilon \text{TM}\langle \Diamond \sigma \square < \rceil \varepsilon > \bullet \sigma \mathfrak{T} \textcircled{\text{R}} \leftrightarrow + < \int \\ \square^{\text{TM}} \rceil \mid \varepsilon T H \wp \varsigma \square '' \sigma \mathfrak{T} \psi \square T \end{array}$$

$$16. \vee \Xi \rceil \cap^{\text{TM}} \rceil \emptyset \sigma \square \cup \varepsilon \Xi (\leftrightarrow \downarrow \uparrow \cup \square \mid < \square \neq > \square : \\ \delta \square \sigma \mathfrak{T} \vee \mid \square \vee \int '' \lhd \rceil$$

$$\begin{array}{l} \mid \square \} '' \Xi \rceil \varepsilon T \vee \} \rangle \exists < \square \leftrightarrow \downarrow \emptyset^{\text{TM}} \rceil X \not\subset \sigma \mathfrak{T} \emptyset \\ \leftrightarrow _ \int \varepsilon T T \not\subset + \sigma \mathfrak{T} \psi \rceil : \end{array}$$

$$17. \lrcorner \leq H \square \leftrightarrow \sigma \square \emptyset \# \langle + \& \square \lrcorner \pm \neq \rangle \square \zeta'' \Xi \rfloor \text{ }^{\text{TM}} \langle T \zeta \square'' + \text{ }^{\text{TM}} \lfloor \Pi \leftrightarrow > \bullet \square \square \zeta'' \varepsilon T \varepsilon T$$

$$\lambda \lrcorner \pm \psi \lfloor \sqrt{\exists \omega \square \clubsuit \square \neq \rangle \square \zeta'' \# \langle \square < \square \leftrightarrow H \rfloor \square \delta \copyright \rfloor \varepsilon \Xi \left(\upsilon \int \square \psi \rfloor \text{ }^{\text{TM}} \Psi \right)$$

$$18. \lrcorner \rfloor \varepsilon T \rfloor \text{ }^{\text{TM}} \langle \square \zeta \square \Theta H \wp \neq \lrcorner \rfloor \theta \Xi \rfloor \square \Delta T \square \delta \Pi H \rfloor \leftrightarrow \Xi \rfloor \text{ }^{\text{TM}} \langle \text{ }^{\text{TM}} \langle \rfloor \cap \text{ }^{\text{TM}} \langle :$$

$$\varphi \langle T + \varphi \langle T + \lrcorner \pm \varepsilon T \varepsilon T _ \int < \square \leftrightarrow \varphi \rfloor T \text{ }^{\text{TM}} \langle \rfloor + \text{ }^{\text{TM}} \langle + \rfloor \beta \subseteq \beta \rfloor \square \text{ }^{\text{TM}} \langle \leftrightarrow \delta \square + \Xi \rfloor \varphi \langle T \psi \square T \rfloor$$

$$\varepsilon T \varepsilon T \neq \rangle \zeta \square'' > \bullet \text{ }^{\text{TM}} \langle \delta \square \rfloor \cap + \text{ }^{\text{TM}} \langle T \text{ }^{\text{TM}} \square \sigma \Im \lrcorner \leq \delta \square \cap \varepsilon < \int \rfloor \# \langle \subset \leftrightarrow \varphi \langle \sqrt{\cup \rfloor \square H \square \kappa \rfloor \rfloor \text{ }^{\text{TM}} \langle + \# \langle \lrcorner \leq \varepsilon \# \langle + \text{ }^{\text{TM}} \langle T :. \delta \copyright > \bullet \text{ }^{\text{TM}} \langle \varepsilon \sqrt{\theta \delta \square : \rfloor}$$

$$\varepsilon T + \& \square \wr'' \text{ }^{\text{TM}} \square \rfloor \sigma \Im \lrcorner \leq + \zeta \square'' H \square \rfloor \upsilon \int \square \exists \omega \square \leftrightarrow \delta \text{---} \theta \delta \square + \Xi \rfloor \varphi \langle T :$$

$$\square \varepsilon + \Xi \rfloor \varepsilon \square \sim \emptyset \lrcorner \leq \sigma \Im \psi \lfloor T \rightarrow \theta \varepsilon + \Xi \rfloor \lrcorner \leq \varepsilon \# \langle \varepsilon T T \theta T \# \langle < \square T \varepsilon \vee \# \langle T + \& \square T \geq \varepsilon :.' \delta \square + \text{ }^{\text{TM}} \square$$

$$\theta \varepsilon \square \sim \emptyset > \bullet \sigma \mathfrak{I} \textcircled{\mathsf{R}} \Leftrightarrow \sigma \mathfrak{I} \lhd \leq \square \Delta \varepsilon \mathsf{T} \mathsf{T} \lhd \leq \therefore \mathsf{T} > \bullet \mathsf{T} \theta \mathsf{T}.$$

$$\begin{aligned} & \Xi \not\subseteq'. \mid \square \Pi \neq \sigma \sigma \mathfrak{I} \lhd \leq \square^{\mathsf{TM}} \langle \mathsf{T} \ \psi \square \sigma \square \zeta \textcircled{\mathsf{C}}'' \ \# \square \\ & \neq > \square \varphi \langle \sqrt{} \Leftrightarrow \varepsilon \mathsf{T} + _ \lhd \pm \delta \square \cap \varphi \langle \mathsf{T} + \\ & \quad < \square \lhd \mid \square \Delta \rangle \ \# \langle + \& \square \lhd \pm \sigma \mathfrak{I} \neq \lhd \square \mathsf{H} \mid \Pi \\ & \square \square \mathsf{T} \mathsf{T}^{\mathsf{TM}} \square \leftrightarrow + \Xi \rangle \varepsilon \psi \square \zeta \square'' \mid \backslash \\ & \quad \psi \square \sigma \square \zeta \textcircled{\mathsf{C}}'' \mid \square \infty \subset \psi \sqcup \mathsf{T} \ \sigma \mathfrak{I} \neq \lhd \square < \square \cap \\ & \varphi \langle \mathsf{T} \psi \square \leftrightarrow + \ \# \langle \varepsilon \mathsf{T} \square \zeta'' \Xi \rangle \cap \downarrow \\ & \quad \square^{\mathsf{TM}} \langle \mid \neq \sigma \ \psi \mid \Pi \omega \square \square \mathsf{M} \ \sigma \mathfrak{I} \neq \lhd \square \ \mathsf{B} \Xi \langle \\ & \mathsf{H} \sqcup \delta \text{---} + \zeta \square'' \psi \square \zeta \square'' \mid \backslash \\ & \quad \} \sigma \mathfrak{I} \emptyset \cap +^{\mathsf{TM}} \langle \mathsf{T} \ \Xi \langle \sigma \mathfrak{I} < \square \ \sigma \mathfrak{I} \neq \lhd \square < \\ & \square < \int \wp \sigma \mathfrak{I} \lhd \leq \square^{\mathsf{TM}} \langle \mathsf{T} \ \beta \subseteq \sigma \mathfrak{I} \cap \rho \\ & \quad \Xi \langle \lhd \leq + \upsilon \int \square \downarrow \infty \sigma \wp \ \sigma \mathfrak{I} \neq \lhd \square \theta \mathsf{T} \square \mathsf{K} + \\ & \sigma \mathfrak{I} \lhd \leq \square^{\mathsf{TM}} \langle \mathsf{T} \ \upsilon \int \supset \Pi \sigma \mathfrak{I} \mathsf{M} \ \backslash \\ & \quad \lhd \leq + \sigma \otimes \mathfrak{I} + \ \sigma \mathfrak{I} \lhd \leq \square^{\mathsf{TM}} \langle \mathsf{T} \ \# \square \varepsilon \mathsf{T} \mathsf{T} + \& \\ & \square \ \zeta \square'' \square < \square \varphi \langle \mathsf{T} + \ \sigma \mathfrak{I} \lhd \leq \square^{\mathsf{TM}} \square \equiv \subset \Leftrightarrow \psi \square \end{aligned}$$

$$\begin{aligned}
& \square \Xi (\mid \# \langle \vee \int \square TX \square \sigma \Im \neq \lrcorner \square^{\text{TM}} \langle T \neg \lrcorner \mid \\
& \square + H \square _ \int + \# \langle \lrcorner \pm [\lrcorner \pm) \\
& \vee \mid \square \sigma \square \square \varsigma \square \Theta \leftrightarrow < \square \sigma \Im + \sigma \Im \neq \lrcorner \square^{\text{TM}} \langle \\
& \neg \{ \mid + \varepsilon \delta \text{---} \mid + \infty \varepsilon \mid \text{---} \varphi \langle \vee \\
& \} \sigma \Im \vee \sigma \Im \lrcorner \leq \square^{\text{TM}} \langle T \lrcorner \square \varepsilon \vee \downarrow \cup \varphi \langle \vee X \\
& " \theta T < \square \cap \varphi \langle T +^{\text{TM}} \langle < \int \square) \\
& > \bullet \} \square \in \beta \subseteq < \mid \delta \square < \square \sigma \Im \neq \lrcorner \square < \square^{\text{R}} \varsigma \square \\
& " \square \Delta \mid \mid \square \sigma \Im \psi \rfloor T \Xi \rfloor \cap \downarrow \\
& \delta \square \sigma \square \cap + > \pm \square \delta \square < \square \sigma \Im \neq \lrcorner \square < \square T \uparrow \uparrow \sigma \\
& \square Z < \square T \sigma \square Z \mid \mid H \square \infty \mid \mid) \\
& \theta \psi \lfloor \vee < \rfloor \psi \lfloor \Pi \leftrightarrow \varepsilon T \varsigma \square " < \rfloor \psi \lfloor \Pi \leftrightarrow < \\
& \square T \sigma \square Z \varphi \lfloor \rightarrow T \delta \square^{\text{TM}} \langle^{\text{TM}} \langle + \theta \varepsilon T : \\
& \mid \square \vee \mid^{\text{TM}} \langle \kappa \Sigma K \leftrightarrow + \# \langle \psi \rfloor T < \rfloor \varsigma \text{---} " > \bullet \\
& \sigma \Im^{\text{R}} \Leftrightarrow \sigma \Im \lrcorner \square \pm + \oplus \leq \square \sigma \Im \omega \square \cap \psi \rfloor T \\
& \zeta + \mid \varsigma^{\text{C}} " + \mid \varsigma^{\text{C}} " + \lambda + \lambda + \lambda + \cdot + \cdot + \cdot + \\
& \varepsilon T \varsigma \square^{\text{TM}} \lrcorner \pm^{\circ}
\end{aligned}$$

$$\varepsilon T\zeta\square''\therefore\lrcorner\big|\square\square\varepsilon T\zeta\square''\delta\square\sigma\mathfrak{Z}\delta\square\cap\rho\sigma\mathfrak{Z}\surd\beta\subseteq$$

$$\varphi\big|\rightarrow T\theta\big|\square\lrcorner\wp\{\big|\varepsilon T\surd\mathfrak{R}\sigma\P\leftrightarrow<\square T\sigma\square Z\varphi\big|$$

$$\rightarrow T\theta\varepsilon T:\big)\big)$$

$$\big|\zeta\textcircled{C}''+\big|\zeta\textcircled{C}''+\big|\zeta\textcircled{C}''+<\square T\sigma\square Z\big|H\square\infty\square\delta$$

$$\square+^{\text{TM}}\square\theta\kappa\Sigma K\leftrightarrow++<\lrcorner\zeta\text{---}''<\lrcorner\zeta\text{---}''\,,\varepsilon+<\int\square$$

$$\leftrightarrow^{\text{TM}}\langle\cap+$$

$$\varepsilon T\square^{\text{TM}}\langle\varepsilon^{\text{TM}}\langle\Diamond^{\text{TM}}\langle\cap+\#\langle\zeta\square''\sigma\mathfrak{Z}\zeta\square''\sigma\mathfrak{Z}>\bullet\sigma\mathfrak{Z}$$

$$\textcircled{\mathbb{R}}\Leftrightarrow\sigma\mathfrak{Z}\lrcorner\square\pm+\oplus\leq\square\sigma\mathfrak{Z}T\oplus\leq\square\sigma\mathfrak{Z}T\,,\delta\square\lrcorner\leq\therefore$$

$$\upsilon''<\int\square+\oplus\leq\square\therefore X''+$$

$$\upsilon''\zeta\square''\leftrightarrow X''+\lrcorner\leq\square^{\text{TM}}\square+v\lrcorner\leq\square^{\text{TM}}\square+\#\langle H\square$$

$$\Xi\big)\varphi\langle T H\square\Xi\big)\varphi\langle T\delta\square\sigma\mathfrak{Z}\cap>\pm\big|^{\text{TM}}\square\Delta\big|\sigma\mathfrak{Z}\lrcorner\leq\square$$

$$\sigma\mathfrak{Z}\lrcorner\leq\square$$

$$>\bullet\sigma\mathfrak{Z}\textcircled{\mathbb{R}}\Leftrightarrow+\beta\big|\omega\square\varphi\langle T\beta\big|\omega\square\varphi\langle T\,,\delta\square\sigma\wp$$

$$\cap\big|\square\big|<\square\varepsilon+\Xi\not\subseteq\omega\square\varphi\langle T\Xi\not\subseteq\omega\square\varphi\langle T\kappa\subseteq\cap\zeta\square^{\text{TM}}$$

$$\big)\big)$$

$$\underline{\delta\square\surd\#\langle\theta:}$$

$$1.\square T T^{\text{TM}}\langle T\kappa\subseteq\square H\square+^{\text{TM}}\langle\sigma\mathfrak{Z}\varepsilon T T\square\big|\Pi\lrcorner\leq\varepsilon\#$$

$$\langle\varepsilon T T^{\text{TM}}\wp\ 7\kappa\subseteq\sigma\mathfrak{Z}T'\ v_{_}\int\varepsilon T+|\leftarrow+\equiv\theta\big|\{\big|\square$$

$$\begin{array}{c} |{}^{\text{TM}}\Box\angle\theta\#\wp\Box\Box\delta\textcircled{\text{C}}|>\bullet\sigma\mathfrak{I}\textcircled{\text{R}}\Leftrightarrow\varepsilon\text{T}\text{T}\\ \theta\text{T}<\int\Box]+ \#\langle\text{T}\theta\text{T}.\end{array}$$

$$\begin{array}{c} 2.\quad >\bullet\sigma\mathfrak{I}\textcircled{\text{R}}\Leftrightarrow\delta\Box+\Box+<\int\Box\psi\lfloor\text{T}\rightarrow\theta\text{v}''<\int\Box\\ \therefore\text{T}>\bullet\therefore\text{T}\Box\delta\textcircled{\text{C}}|\Box\lhd\leq\varepsilon\#\langle\varepsilon\text{T}\text{T}^{\text{TM}}\wp\text{v}_-\int\varepsilon\text{T}\\ +|\Leftarrow+=\equiv\theta|\{\int\Box\end{array}$$

$$\begin{array}{c} \Xi)\downarrow\sigma\mathfrak{I}\varepsilon\text{T}\text{T}\Box|\Pi\theta\#\langle\therefore\text{T}'\lhd=\Box\theta\#\wp\\ \Box\text{v}''<\int\Box\therefore\text{T}\text{v}\Box\Box\wp\langle\text{T}\vee^{\text{TM}}=\therefore\angle\beta\rfloor\varepsilon\vee\theta\text{T}.\end{array}$$

$$\begin{array}{c} \Box\varepsilon\text{T}+|^{\text{TM}}\langle\varepsilon\text{T}\text{T}^{\text{TM}}\wp\text{v}_-\int\varepsilon\text{T}+|\Leftarrow+=\equiv\theta\mu|\\ \sigma\mathfrak{I}<\Box\sigma\mathfrak{I}\varepsilon\text{T}\text{T}\theta\text{T}\theta\&\Box\text{T}\varepsilon\text{T}\text{T}\theta\oplus\leq\Box\lhd\leq\geq\text{T}\dots\\ \lhd=\Box\theta\#\wp\end{array}$$

$$\delta\Box^{\text{TM}}\langle\Diamond+^{\text{TM}}\Box\theta\varepsilon\text{T}\text{T}\lhd\leq\therefore\text{T}>\bullet\text{T}\theta\text{T}.$$

$$\begin{array}{c} 3.\quad \Box\delta\textcircled{\text{C}}|\Box\varepsilon\text{T}+|^{\text{TM}}\langle\varepsilon\text{T}\text{T}^{\text{TM}}\wp\text{v}_-\int\varepsilon\text{T}+|\Leftarrow\\ +=\equiv\theta|\{\int\Box|^{\text{TM}}\Box\angle\theta\#\wp>\bullet\sigma\mathfrak{I}\textcircled{\text{R}}\Leftrightarrow\zeta\Box\Theta\beta\rfloor<\Box.\end{array}$$

$$\begin{array}{c} \underline{\exists\psi\Box\zeta\Box\varepsilon\text{T}\text{T}\text{v}>\bullet\text{T}\geq\oplus\leq\Box^{\text{TM}}\langle\text{T}\therefore\delta\text{---}\beta\subset\sigma}\\ \underline{\Box\wp\langle\text{T}\Delta\varepsilon\text{T}\text{T}.\end{array}$$

$$\begin{array}{c} \Xi)\lhd\pm|\leftrightarrow\theta\text{T}\kappa\subseteq\sigma\mathfrak{I}\varepsilon\text{T}\text{T}>\pm|\Box]\otimes+=\equiv\theta\exists\psi\\ \Box\zeta\Box''\varepsilon\text{T}\text{T}\lhd\pm\Box\psi\Box\sigma\mathfrak{I}\text{T}\#\langle+&\Box,<\Box\text{T}\sigma\Box\text{Z}\psi\end{array}$$

$\{TT<\square\}\supset\Pi\theta<\lfloor_{\varepsilon}{}^{\text{TM}}\langle\therefore\square\therefore\varphi\langle T\varepsilon T+<\square T>\pm$
 $\square,\}\rangle<\square<\square T\sigma\square Z\beta\subseteq\sigma\mathfrak{I}\cap\Leftarrow\psi\{TT<\square\}\supset$
 $\Pi\theta<\lfloor_{\varepsilon}{}^{\text{TM}}\square|\square\geq\varepsilon TT\theta+<\square T>\pm\square,\oplus\leq\Lambda\sigma\mathfrak{I}$
 $T\subset\square\square|\square\geq\varepsilon TT\theta T|\square\Pi\square+=||\square\Leftarrow\sigma\wp E|\beta$
 $\subseteq{}^{\text{TM}}\langle:\downarrow\pm\therefore\varepsilon T+<\square T{}^{\text{TM}}\langle\theta\oplus\leq\square\exists\psi\square\zeta\square''\varepsilon TT$
 $\downarrow\pm\varepsilon\}\supset\theta\square{}^{\text{TM}}\langle\therefore\#\langle T\downarrow=\square\sigma\wp E\oplus\leq\square11\kappa\subseteq$
 $\sigma\mathfrak{I}T'\square\downarrow\leq\varepsilon\#\langle\varepsilon TT$
 $v\}'40\sigma\wp E\therefore T\beta\subseteq\sigma\square\varphi\langle T\Delta\#\lfloor\delta\text{---}\theta\varphi\{T$
 $\&\square\therefore{}^{\text{TM}}\langle|\square\in\downarrow\leq\exists\psi\square\zeta\square''\varepsilon TTv>\bullet T\theta T.$

$$\frac{\delta\square+{}^{\text{TM}}\square\theta\varepsilon TT\downarrow\leq\therefore T>\bullet T\geq\oplus\leq\square{}^{\text{TM}}\langle T\therefore\delta}{=\beta\subset\sigma\square\varphi\langle T\Delta+}.$$

$\delta\square+{}^{\text{TM}}\square\theta\varepsilon TT\downarrow\leq*\angle\beta\rfloor\varepsilon v\#\langle T\theta\square\square\delta\odot|$
 $\therefore T|\beta\subseteq{}^{\text{TM}}\langle:\downarrow\pm\therefore\varepsilon T+<\square T{}^{\text{TM}}\langle T\therefore\delta\odot\#\lfloor\geq$
 $T\dots\theta T|\square\Pi\square+={}^{\text{TM}}\langle\sqrt{\sigma\mathfrak{I}T\in\varepsilon TTK\varepsilon TT}>\pm\oplus$
 $\leq\Lambda\sigma\mathfrak{I}T\subset\square\square\downarrow\leq\sigma\square\angle\beta\subseteq|{}^{\text{TM}}\langle\}\varnothing\Rightarrow\rfloor\square\downarrow\beta\rfloor$
 $\delta\text{---}\square\beta\subseteq|{}^{\text{TM}}\langle\theta T\square\downarrow\leq|\square\Rightarrow\lfloor\downarrow\varepsilon TT\}\varnothing\square|\{\rfloor$
 $\dots\varepsilon v+=\square\beta\subseteq|{}^{\text{TM}}\langle\square|\Pi\square{}^{\text{TM}}\langle T\therefore\delta\text{---}\downarrow\leq\varepsilon\#\langle$
 $\varepsilon TT\theta T\downarrow=+\#\lfloor+MT\sigma\mathfrak{I}T|\square v\#\langle T\subset\downarrow=\square\exists T$

$$\angle * \theta \cup \therefore \varepsilon \mathbb{T} \mathbb{T} \theta \mathbb{T} \text{ MT } \varepsilon \mathbb{T} \sigma \mathfrak{V} \square \, \kappa \subseteq \square \theta \varepsilon \mathbb{T} \mathbb{T} \, \square |$$

$$\prod \theta \cup \therefore \mathbb{T}' \lhd = \theta \varepsilon \, \mathfrak{I} \supset \theta \mathbb{T}.$$

$$\square \, \exists < \int \square \varepsilon \mathbb{T} \mathbb{T} > \pm 40 \, \sigma \wp \mathbb{E} \therefore \mathbb{T} \, \exists \varepsilon \& \square \oplus \leq \square$$

$$+ \& \square \, \# \, \rfloor \delta \text{---} \theta \, \varphi \, \backslash \mathbb{T} \& \square \therefore \, > \bullet \sigma \mathfrak{V}^{\textcircled{\mathbb{R}}} \Leftrightarrow \varepsilon \mathbb{T} \mathbb{T} \, \square * \equiv$$

$$\equiv \sigma \mathfrak{V} + \vartheta \exists \varphi \, \backslash \rightarrow \mathbb{T} \theta \, | \square \vee | \, {}^{\text{TM}} \langle \mathbb{T} \square \lhd \leq \theta \mathbb{T} \theta \mathbb{T}.$$