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Title Easy Regression

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Easy Regression

Description

Performs analysis of regression in simple designs with quantitative treatments, including mixed models ans non linear models

Details

Package: easyreg
Type: Package
Version: 4.0

Date: 2019-10-13 License: GPL (>= 2)

Author(s)

Emmanuel Arnhold <emmanuelarnhold@yahoo.com.br>

References

KAPS, M. and LAMBERSON, W. R. Biostatistics for Animal Science: an introductory text. 2nd Edition. CABI Publishing, Wallingford, Oxfordshire, UK, 2009. 504p.

SAMPAIO, I. B. M. Estatistica aplicada a experimentacao animal. 3nd Edition. Belo Horizonte: Editora FEPMVZ, Fundacao de Ensino e Pesquisa em Medicina Veterinaria e Zootecnia, 2010. 264p.

```
# analysis in completely randomized design
data(data1)
r1=er2(data1)
names(r1)
r1
r1[1]
# analysis in randomized block design
data(data2)
r2=er2(data2, design=2)
r2
# analysis in latin square design
data(data3)
```

*b*1 3

```
r3=er2(data3, design=3)
r3

# analysis in several latin squares
data(data4)
r4=er2(data4, design=4)
r4

# the growth of Zagorje turkeys (Kaps and Lamberson, 2009)
weight=c(44,66,100,150,265,370,455,605,770)
age=c(1,7,14,21,28,35,42,49,56)
data2=data.frame(age,weight)

# two linear
regplot(data2, model=5, start=c(25,6,10,20))
regplot(data2, model=5, start=c(25,6,10,20), digits=2)
# in other function
bl(data2)
```

bl

 $Analysis\ of\ broken\ line\ regression$

Description

The function performs analysis of broken line regression

Usage

```
bl(data, model=1, alpha=0.05, xlab = "Explanatory Variable", ylab = "Response Variable",
    position = 1, digits = 6, mean = TRUE, sd=FALSE, legend = TRUE, lty=2,
col="dark blue", pch=20, xlim="default.x",ylim="default.y", ...)
```

Arguments

data	data is a data.frame The first column contain the treatments (explanatory variable) and the second column the response variable
model	model for analysis: 1=two linear; 2=linear plateau (LRP); 3= model 1 with blocks random; 4 = model 2 with blocks random
alpha	significant level for cofidence intervals (parameters estimated)
xlab	name of explanatory variable
ylab	name of response variable

4 bl

position position of equation in the graph

top=1

bottomright=2 bottom=3 bottomleft=4

left=5

topleft=6 (default)

topright=7 right=8 center=9

digits number of digits (default=6)

mean = TRUE (plot mean of data) mean=FALSE (plot all data)

sd sd=FALSE (plot without standard deviation) sd=TRUE (plot with standard de-

viation)

legend legend=TRUE (plot legend) legend=FALSE (not plot legend)

lty line type
col line color
pch point type
xlim limits for x
ylim limits for y

... others graphical parameters (see par)

Value

Returns coefficients of the models, t test for coefficients, knot (break point), R squared, adjusted R squared, AIC, BIC, residuals and shapiro-wilk test for residuals.

Author(s)

Emmanuel Arnhold <emmanuelarnhold@yahoo.com.br>

References

KAPS, M. and LAMBERSON, W. R. Biostatistics for Animal Science: an introductory text. 2nd Edition. CABI Publishing, Wallingford, Oxfordshire, UK, 2009. 504p.

See Also

lm, ea1(easyanova package), er1

data1 5

Examples

```
# the growth of Zagorje turkeys (Kaps and Lamberson, 2009)
weight=c(44,66,100,150,265,370,455,605)
age=c(1,7,14,21,28,35,42,49)
data2=data.frame(age,weight)
# two linear
regplot(data2, model=5, start=c(25,6,10,20))
bl(data2, digits=2)
#linear and quadratic plateau
x=c(0,1,2,3,4,5,6)
y=c(1,2,3,6.1,5.9,6,6.1)
data=data.frame(x,y)
bl(data,model=2, lty=1, col=1, digits=2, position=8)
# effect os blocks
x=c(1,1,2,2,3,3,4,4,5,5,6,6,7,7,8,8)
y=c(4,12,9,20,16,25,21,31,28,42,33,46,33,46,34,44)
blocks=rep(c(1,2),8)
dat=data.frame(x,blocks,y)
bl(dat, 3)
bl(dat,4, sd=TRUE)
bl(dat,4, mean=FALSE)
```

data1

data1: Sampaio (2010): page 134

Description

Quantitative treatments in completely randomized design.

Usage

```
data(data1)
```

6 data2

Format

A data frame with 24 observations on the following 2 variables.

```
treatment a numeric vector gain a numeric vector
```

References

SAMPAIO, I. B. M. Estatistica aplicada a experimentacao animal. 3nd Edition. Belo Horizonte: Editora FEPMVZ, Fundacao de Ensino e Pesquisa em Medicina Veterinaria e Zootecnia, 2010. 264p.

Examples

```
data(data1)
summary(data1)
```

data2

data2: Kaps and Lamberson (2009): page 434

Description

Quantitative treatments in randomizad block design.

Usage

```
data(data2)
```

Format

A data frame with 25 observations on the following 3 variables.

```
protein_level a numeric vector
litter a factor with levels 11 12 13 14 15
feed_conversion a numeric vector
```

References

KAPS, M. and LAMBERSON, W. R. Biostatistics for Animal Science: an introductory text. 2nd Edition. CABI Publishing, Wallingford, Oxfordshire, UK, 2009. 504p.

```
data(data2)
summary(data2)
```

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data3

data3: fictional example

Description

Quantitative treatments in latin square design.

Usage

```
data(data3)
```

Format

A data frame with 25 observations on the following 4 variables.

```
treatment a numeric vector
animal a factor with levels a1 a2 a3 a4 a5
period a factor with levels p1 p2 p3 p4 p5
milk_fat a numeric vector
```

Examples

```
data(data3)
summary(data3)
```

data4

data4: fictional example

Description

Quantitative treatments in several latin squares design.

Usage

```
data(data4)
```

Format

A data frame with 50 observations on the following 5 variables.

```
treatment a numeric vector
square a numeric vector
animal a factor with levels a1 a2 a3 a4 a5
period a factor with levels p1 p2 p3 p4 p5
milk_fat a numeric vector
```

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Examples

```
data(data4)
summary(data4)
```

data5

data5: fictional example

Description

Quantitative treatments and three response variable.

Usage

```
data(data5)
```

Format

A data frame with 24 observations on the following 4 variables.

```
treatments a numeric vector
variable1 a numeric vector
variable2 a numeric vector
variable3 a numeric vector
```

Examples

```
data(data5)
summary(data5)
```

er1

Analysis of regression

Description

The function performs analysis of some linear and nonlinear models

Usage

```
er1(data, model = 1, start = c(a = 1, b = 1, c = 1, d = 1, e = 1), mixed=FALSE, digits=6, alpha=0.05)
```

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Arguments

data data is a data.frame The first column should contain the treatments (explanatory variable) and the remaining columns the response variables. model define the model $1 = "v \sim a + b * x"$ linear $2 = "y\sim a+b*x+c*x^2"$ quadratic $3 = "y \sim a + b * (x - c) * (x <= c)"$ linear plateau $4 = \text{"v} \sim (a + b * x + c * I(x^2)) * (x <= -0.5 * b/c) + (a + I(-b^2/(4 * c))) * (x > -0.5 * b/c) + (a + I(-b^2/(4 * c))) * (x > -0.5 * b/c) + (a + I(-b^2/(4 * c))) * (x > -0.5 * b/c) + (a + I(-b^2/(4 * c))) * (x > -0.5 * b/c) + (a + I(-b^2/(4 * c))) * (x > -0.5 * b/c) + (a + I(-b^2/(4 * c))) * (x > -0.5 * b/c) + (a + I(-b^2/(4 * c))) * (a + I(-b^2/(4 * c))) *$ -0.5 * b/c)" quadratic plateau 5 = "ifelse(x) = d,(a-c*d) + (b+c)*x, a+b*x" two linear $6 = \text{"y} \sim a \exp(b \times x)$ " exponential $7 = "y \sim a*(1+b*(exp(-c*x)))^{-1}" logistic$ $8 = \text{"}y \sim a*(1-b*(\exp(-c*x)))^3\text{" van bertalanffy}$ $9 = "y \sim a*(1-b*(exp(-c*x)))"$ brody $10 = \text{"y} \sim a \exp(-b \exp(-c x))$ " gompertz $11 = \text{"y} \sim (a*x^b)*exp(-c*x)"$ lactation curve $12 = "y \sim a + b * (1 - \exp(-c * x))"$ ruminal degradation curve $13 = \text{"y} \sim (a/(1+\exp(2-4*c*(x-e)))) + (b/(1+\exp(2-4*d*(x-e)))) \text{"logistic bi-compartmental"}$ $14 = "y \sim a*(x^b)"$ exponential (allometric model) $15 = \text{"}y \sim a + b * x + c * x ^2 + d * x ^3 " cubic$ $16 = "y \sim a/(1+b*(exp(-c*x)))^d"$ richards $17 = \text{"y} \sim (\text{a}^{\text{d}} + ((\text{b}^{\text{d}}) - (\text{a}^{\text{d}}))) + ((1-\exp(-c^{*}(x-t1)))) + (1-\exp(-c^{*}(t2-t1)))))^{(1/d)}$ schnute start values of the iteration process start FALSE/defalt for fixed model or TRUE for mixed model mixed number of digits in results (default=6) digits

Value

alpha

Returns coefficients of the models, t test for coefficients, R squared, adjusted R squared, AIC, BIC, and residuals of the model

significant level of the confident intervals for parameters in the models

Author(s)

Emmanuel Arnhold <emmanuelarnhold@yahoo.com.br>

References

KAPS, M. and LAMBERSON, W. R. Biostatistics for Animal Science: an introductory text. 2nd Edition. CABI Publishing, Wallingford, Oxfordshire, UK, 2009. 504p.

TERRANCE J. QUINN II and RICHARD B. DERISO. Quantitative Fish Dynamics, New York, Oxford, Oxford University Press, 1999.

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See Also

nls, nls2

```
# weights of an Angus cow at ages from 8 to 108 months (Kaps and Lamberson, 2009)
weight=c(280,340,430,480,550,580,590,600,590,600)
age=c(8,12,24,36,48,60,72,84,96,108)
data1=data.frame(age, weight)
# linear
er1(data1, model=1)
# quadratic
er1(data1, model=2)
# linear plateau
er1(data1, model=3)
# quadratic plateau
er1(data1, model=4)
# two linear
er1(data1, model=5, start=c(250,6,2,50))
# exponential
er1(data1, model=6, start=c(250,0.05))
# logistic
er1(data1, model=7, start=c(600,4,0.05))
# van bertalanffy
er1(data1, model=8, start=c(600,2,0.05))
# brody
er1(data1, model=9, start=c(600,4,0.05))
er1(data1, model=10, start=c(600,4,0.05))
# richards
er1(data1, model=16, start=c(600,2,0.05,1.4))
# allometric
er1(data1, model=14)
# cubic
er1(data1, model=15)
```

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```
# growth of Zagorje turkeys (Kaps and Lamberson, 2009)
weight=c(44,66,100,150,265,370,455,605,770)
age=c(1,7,14,21,28,35,42,49,56)
data2=data.frame(age,weight)
# two linear
er1(data2, model=5, start=c(25,6,10,20))
# gain weight measurements of turkey poults (Kaps and Lamberson, 2009)
methionine=c(80,85,90,95,100,105,110,115,120)
gain=c(102,115,125,133,140,141,142,140,142)
data3=data.frame(methionine, gain)
# linear
er1(data3, model=1)
# quadratic
er1(data3, model=2)
# linear plateau
er1(data3, model=3)
# quadratic plateau
er1(data3, model=4)
# lactation curve
milk=c(25,24,26,28,30,31,27,26,25,24,23,24,22,21,22,
20, 21, 19, 18, 17, 18, 18, 16, 17, 15, 16, 14)
days=c(15,15,15,75,75,75,135,135,135,195,
195,195,255,255,315,315,315,375,375,375,435,435,435,495,495,495)
data4=data.frame(days,milk)
er1(data4, model=11, start=c(16,0.25,0.004))
# ruminal degradation
time=c(2,6,9,24,48,72,96)
deg=c(20,33,46,55,66,72,76)
data5=data.frame(time,deg)
er1(data5, model=12)
# logistic bi-compartmental (gas production)
time=c(0,12,24,36,48,60,72,84,96,108,120,144,168,192)
gas=c(0.002,3.8,8,14.5,16,16.5,17,17.4,17.9,18.1,18.8,19,19.2,19.3)
```

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```
data6=data.frame(time,gas)
er1(data6, model=13, start=c(19,4,0.025,0.004,5))
# Schnute model
#pacific halibut weight-age data of females (Terrance and Richard, 1999)
age=c(4,5,6,7,8,9,10,11,12,13,14,15,16,17,18,
19,20,21,22,23,24,28)
weight=c(1.7,2,3.9, 4.2,6.4,7.6,10.9,14.9,18.2,21.6,
25.4,28.8,30.9,35.6,37.9,34.7,44.8,52.6,49.1,56.7,58.6,54.1)
halibut=data.frame(age,weight)

t1=min(halibut[,2])
t2=max(halibut[,2])
er1(halibut,model=17, start=c(a=t1,b=t2,c=0.15,d=-0.50))
```

er2

Analysis of polynomial regression

Description

The function performs analysis of polynomial regression in simple designs with quantitative treatments.

Usage

```
er2(data, design = 1, list = FALSE, type = 2)
```

Arguments

data

data is a data.frame

data frame with two columns, treatments and response (completely randomized design)

data frame with three columns, treatments, blocks and response (randomized block design)

data frame with four columns, treatments, rows, cols and response (latin square design)

data frame with five columns, treatments, square, rows, cols and response (several latin squares)

er2 13

design 1 = completely randomized design

2 = randomized block design

3 = latin square design4 = several latin squares

list FALSE = a single response variable

TRUE = multivariable response

type type is form of obtain sum of squares

1 = a sequential sum of squares2 = a partial sum of squares

Details

The response and the treatments must be numeric. Other variables can be numeric or factors.

Value

Returns analysis of variance, models, t test for coefficients and R squared and adjusted R squared.

Author(s)

Emmanuel Arnhold <emmanuelarnhold@yahoo.com.br>

References

KAPS, M. and LAMBERSON, W. R. Biostatistics for Animal Science: an introductory text. 2nd Edition. CABI Publishing, Wallingford, Oxfordshire, UK, 2009. 504p.

SAMPAIO, I. B. M. Estatistica aplicada a experimentacao animal. 3nd Edition. Belo Horizonte: Editora FEPMVZ, Fundacao de Ensino e Pesquisa em Medicina Veterinaria e Zootecnia, 2010. 264p.

See Also

lm, lme(package nlme), ea1(package easyanova), er1

```
# analysis in completely randomized design
data(data1)
r1=er2(data1)
names(r1)
r1
r1[1]
# analysis in randomized block design
data(data2)
r2=er2(data2, design=2)
r2
# analysis in latin square design
```

```
data(data3)
r3=er2(data3, design=3)
r3

# analysis in several latin squares
data(data4)
r4=er2(data4, design=4)
r4

# data
treatments=rep(c(0.5,1,1.5,2,2.5,3), c(3,3,3,3,3,3))
r1=rnorm(18,60,3)
r2=r1*1:18
r3=r1*18:1
r4=r1*c(c(1:10),10,10,10,10,10,10,10,10)
data6=data.frame(treatments,r1,r2,r3, r4)

# use the argument list = TRUE
er2(data6, design=1, list=TRUE)
```

regplot

Plot data and equation

Description

The function plot data and equation

Usage

```
regplot(data, model=1, start=c(a=1,b=1,c=1,d=1,e=1), xlab="Explanatory Variable",
ylab="Response Variable", position=1, digits=6, mean=TRUE, sd=FALSE,
legend = TRUE, lty=2, col="dark blue", pch=20, xlim="defalt.x",ylim="defalt.y",...)
```

Arguments

data is a data frame The first column contain the treatments (explanatory variable) and the remaining column the response variable

model define the model $1 = "y\sim a+b*x" \text{ linear}$ $2 = "y\sim a+b*x+c*x^2" \text{ quadratic}$ $3 = "y\sim a+b*(x-c)*(x<=c)" \text{ linear plateau}$ $4 = "y\sim (a+b*x+c*I(x^2))*(x<=-0.5*b/c)+(a+I(-b^2/(4*c)))*(x>-0.5*b/c)" \text{ quadratic plateau}$ 5 = "ifelse(x>=d,(a-c*d)+(b+c)*x, a+b*x)" two linear $6 = "y\sim a*\exp(b*x)" \text{ exponential}$ $7 = "y\sim a*(1+b*(\exp(-c*x)))^{-1}" \text{ logistic}$

```
8 = \text{"}y \sim a*(1-b*(\exp(-c*x)))^3\text{" van bertalanffy}
                    9 = "y \sim a*(1-b*(exp(-c*x)))" brody
                     10 = "y \sim a * exp(-b * exp(-c * x)" gompertz
                     11 = \text{"y} \sim (a*x^b)*exp(-c*x)" lactation curve
                     12 = \text{"y} \sim a + b * (1 - \exp(-c * x))\text{" ruminal degradation curve}
                     13 = \text{"y} \sim (a/(1+\exp(2-4*c*(x-e)))) + (b/(1+\exp(2-4*d*(x-e))))" logistic bi-compartmental
                     14 = "y \sim a*(x^b)" exponential (allometric model)
                     15 = "y \sim a + b * x + c * x^2 + d * x^3" cubic
                     16 = \text{"y} \sim a/(1+b*(\exp(-c*x)))^d" richards
                     17 = "y \sim (a^d + ((b^d) - (a^d)) * ((1 - \exp(-c^*(x-t1))) / (1 - \exp(-c^*(t2-t1)))))^{(1/d)}"
                     schnute
                    start (iterations) values of model
start
xlab
                    names of variable x
ylab
                    names of variable y
position
                    position of equation in the graph
                    top=1
                    bottomright=2
                    bottom=3
                    bottomleft=4
                    left=5
                    topleft=6 (default)
                    topright=7
                    right=8
                    center=9
digits
                    number of digits (defalt=6)
                    mean=TRUE (plot mean of data) mean=FALSE (plot all data)
mean
                    sd=FALSE (plot without standard deviation) sd=TRUE (plot with standard de-
sd
                     viation)
                    legend=TRUE (plot legend) legend=FALSE (not plot legend)
legend
1ty
                    line type
                    line color
col
pch
                    point type
                    limits for x
xlim
ylim
                    limits for y
                    others graphical parameters (see par)
. . .
```

Author(s)

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References

KAPS, M. and LAMBERSON, W. R. Biostatistics for Animal Science: an introductory text. 2nd Edition. CABI Publishing, Wallingford, Oxfordshire, UK, 2009. 504p.

TERRANCE J. QUINN II and RICHARD B. DERISO. Quantitative Fish Dynamics, New York, Oxford, Oxford University Press, 1999.

See Also

nls,er1,er2,bl

```
# weights of Angus cow at ages from 8 to 108 months (Kaps and Lamberson, 2009)
weight=c(280,340,430,480,550,580,590,600,590,600)
age=c(8,12,24,36,48,60,72,84,96,108)
data1=data.frame(age, weight)
regplot(data1, model=1, digits=3, position=3, ylab="weight", xlab="age")
# quadratic
regplot(data1, model=2, digits=3, position=3, col=1, ylim=c(200,700))
# linear plateau
regplot(data1, model=3,ylab="weight", xlab="age", lty=5, col="dark green",
position=3, ylim=c(200,700), xlim=c(0,150), lwd=2)
# quadratic plateau
regplot(data1, model=4,ylab="weight", xlab="age")
regplot(data1, model=5, start=c(250,6,2,50),digits=3, position=3)
# exponential
regplot(data1, model=6, start=c(250,0.05))
# logistic
regplot(data1, model=7, start=c(600,4,0.05))
# van bertalanffy
regplot(data1, model=8, start=c(600,2,0.05))
regplot(data1, model=9, start=c(600,4,0.05))
# gompertz
regplot(data1, model=10, start=c(600,4,0.05))
# richards
```

```
regplot(data1, model=16, start=c(600,2,0.05,1.4))
# allometric
regplot(data1, model=14)
# cubic
regplot(data1, model=15)
# growth of Zagorje turkeys (Kaps and Lamberson, 2009)
weight=c(44,66,100,150,265,370,455,605,770)
age=c(1,7,14,21,28,35,42,49,56)
data2=data.frame(age,weight)
# two linear
regplot(data2, model=5, start=c(25,6,10,20))
# weight gain measurements of turkey poults (Kaps and Lamberson, 2009)
methionine=c(80,85,90,95,100,105,110,115,120)
gain=c(102,115,125,133,140,141,142,140,142)
data3=data.frame(methionine, gain)
# linear
regplot(data3, model=1)
# quadratic
regplot(data3, model=2)
# linear plateau
regplot(data3, model=3)
# quadratic plateau
regplot(data3, model=4)
# lactation curve
milk=c(25,24,26,28,30,31,27,26,25,24,23,24,22,21,22,20,21,19,
18,17,18,18,16,17,15,16,14)
days=c(15,15,15,75,75,75,135,135,135,195,195,195,255,255,255,315,
315, 315, 375, 375, 375, 435, 435, 435, 495, 495, 495)
data4=data.frame(days,milk)
regplot(data4, model=11, start=c(16,0.25,0.004))
# ruminal degradation
```

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```
time=c(2,6,9,24,48,72,96)
deg=c(20,33,46,55,66,72,76)
data5=data.frame(time,deg)
regplot(data5, model=12)
# logistic bi-compartmental (gas production)
time=c(0,12,24,36,48,60,72,84,96,108,120,144,168,192)
gas=c(0.002,3.8,8,14.5,16,16.5,17,17.4,17.9,18.1,18.8,19,19.2,19.3)
data6=data.frame(time,gas)
regplot(data6, model=13, start=c(19,4,0.025,0.004,5))
# multiple curves
time=c(0,12,24,48,64,72,96)
t1=c(36,48,59,72,85,86,87)
t2=c(14,25,36,49,59,65,72)
t3=c(55,78,86,87,86,87,88)
data=data.frame(time,t1,t2,t3)
regplot(data, model=12)
regplot(data, model=4)
# include standard deviation in graph
data(data1)
regplot(data1, sd=TRUE)
# Schnute model
#pacific halibut weight-age data of females (Terrance and Richard, 1999)
age=c(4,5,6,7,8,9,10,11,12,13,14,15,16,17,
18,19,20,21,22,23,24,28)
weight=c(1.7,2,3.9,\ 4.2,6.4,7.6,10.9,14.9,18.2,21.6,25.4,28.8,
30.9,35.6,37.9,34.7,44.8,52.6,49.1,56.7,58.6,54.1)
halibut=data.frame(age,weight)
t1=min(halibut[,2])
t2=max(halibut[,2])
regplot(halibut,model=17,start=c(t1,t2,0.22,-0.63), ylim=c(0,100))
```

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Description

This function performs test of models and parameters

Usage

```
regtest(data, model = 1, start = c(a = 1, b = 1, c = 1, d = 1, e = 1))
```

Arguments

data is a data.frame The first column contain explanatory variable, second column contain treatments and the third column contain the response variable model define the model

> 1 = "y~a+b*x" linear 2 = "y~a+b*x+c*x^2" quadratic 3 = "y ~ a + b * (x - c) * (x <= c)" linear plateau 4 = "y ~ (a + b * x + c * I(x^2)) * (x <= -0.5 * b/c) + (a + I(-b^2/(4 * c))) * (x > -0.5 * b/c)" quadratic plateau 5 = "ifelse(x>=d (a c*d)+(b+c)*x a+b*x)" two linear

5 = "ifelse(x) = d,(a-c*d) + (b+c)*x, a+b*x" two linear

 $6 = "y\sim a*exp(b*x)" exponential$ $7 = "y\sim a*(1+b*(exp(-c*x)))^-1" logistic$

 $8 = \text{"}_{X_{1}} \circ \text{*}(1 \text{ h*}(\text{ovn}(\text{c*v}))) \land 2\text{"}_{X_{2}} \text{ von bartalanff}$

 $8 = "y\sim a*(1-b*(exp(-c*x)))^3" \text{ van bertalanffy}$

 $9 = "y \sim a*(1-b*(exp(-c*x)))"$ brody

 $10 = "y\sim a*exp(-b*exp(-c*x)" gompertz$

 $11 = "y\sim(a*x^b)*exp(-c*x)" lactation curve$

 $12 = "y \sim a + b * (1 - \exp(-c * x))"$ ruminal degradation curve

 $13 = "y \sim (a/(1+exp(2-4*c*(x-e)))) + (b/(1+exp(2-4*d*(x-e))))"$ logistic bi-compartmental

 $14 = "y \sim a*(x^b)"$ exponential (allometric model)

 $15 = "y \sim a + b * x + c * x^2 + d * x^3"$ cubic

 $16 = "y \sim a/(1+b*(exp(-c*x)))^d"$ richards

 $17 = "y \sim (a^d + ((b^d) - (a^d)) * ((1 - exp(-c^*(x-t1))) / (1 - exp(-c^*(t2-t1)))))^{(1/d)}"$

schnute

start start values of iterations

Value

Returns coefficients of the models, test for coefficients, AIC and BIC.

Author(s)

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See Also

lm, ea1(easyanova package), pr2, regplot

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```
x=c(1,1,1,2,2,2,3,3,3,4,4,4)
y=c(5,5.3,6,8,8.9,12,14,18,25,25,29,32)
t=c("t1","t2","t3","t1","t2","t3","t1","t2","t3","t1","t2","t3")
data=data.frame(x,t,y)
# linear
regtest(data, model=1)
# quadratic
regtest(data, model=2)
# exponential
regtest(data, model=6)
# ... etc
```

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