Package 'MiscMath'

January 21, 2025

Description Some basic math calculators for finding angles for triangles and for finding the great-

Type Package

Version 1.0

Title Miscellaneous Mathematical Tools

est common divisor of two numbers and so on.	
LazyLoad true	
License GPL (>= 2)	
Depends randomForest	
NeedsCompilation yes	
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Repository CRAN	
Date/Publication 2025-01-21 15:30:06 UTC	
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DecToBin

MiscMath-package

Miscellaneous Mathematical Tools and Facts

Description

A random assortment of elementary mathematical formulas and calculators.

Examples

```
# Find the greatest common divisor of 57, 93 and 117. gcd(c(57, 93, 117))
```

DecToBin

Convert Decimal to Binary

Description

Convert a given decimal constant in the interval (0, 1) to the corresponding binary representation.

Usage

```
DecToBin(x, m = 32, format = "character")
```

Arguments

x a numeric vector of values in the interval (0, 1)

m a numeric constant specifying the number of binary digits to use in the output

format a character string constant specifying the form of the output

Details

Default format is as a character string. Alternatives are plain which prints results to the device, and vector which output a binary vector.

Value

a vector containing the binary representation

```
x <- c(.81, .57, .333)
DecToBin(x) # character output
DecToBin(x, format="vector") # binary vector output
DecToBin(x, format="plain")</pre>
```

gcd 3

gcd

Greatest Common Divisor

Description

Greatest common divisor or factor for all elements of a positive-integer-valued vector.

Usage

```
gcd(x)
```

Arguments

Χ

a numeric vector consisting of at least two positive integer values.

Details

The gcd is calculated using the Euclidean algorithm applied to successive pairs of the elements of x.

Value

a numeric constant containing the greatest common divisor.

Examples

```
x <- c(81, 57, 333) gcd(x)
```

LawofCosines

Law of Cosines

Description

Use of the ancient law of cosines to determine the angle between two sides of a triangle, given lengths of all three sides. This is a generalization of Pythagoras' Theorem.

Usage

```
LawofCosines(sides)
```

Arguments

sides

a numeric vector of length 3, containing the side lengths.

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Value

a numeric constant giving the angle in between the sides corresponding to the first two components in sides. Result is expressed in degrees.

Examples

```
LawofCosines(c(3, 4, 5))
```

LawofSines

Law of Sines

Description

Use of the ancient law of sines to determine the angle opposite one side of a triangle, given the length of the opposite side as well as the angle opposite another side whose length is also known. Alternatively, one can find the length of the side opposite a given angle.

Usage

```
LawofSines(sides, angles, findAngle)
```

Arguments

sides a numeric vector of length 1 or 2, containing the side lengths.

angles a numeric vector of length 1 or 2, containing the angles (in degrees).

findAngle a logical constant

Details

If findAngle is TRUE, sides should be of length 2 and the function will compute angle opposite the side with length given by the second element of sides. Otherwise, angles should be of length 2, and the function will calculate the length of the side opposite the angle corresponding to the second element of angles.

Value

a numeric constant giving the angle opposite the given side, if findAngle is TRUE, or giving the length of the side opposite the given angle, if findAngle is FALSE.

```
LawofSines(c(3, 4), 50) # find angle opposite the side of length 4.
LawofSines(3, c(70, 50), findAngle = FALSE) # find length of side opposite the 50 degree angle
```

MaxRunLength 5

MaxRunLength

Maximum Run Length

Description

Calculate the maximum run length of of 0's in a binary vector.

Usage

```
MaxRunLength(x)
```

Arguments

Х

a binary vector

Value

the maximum run length of 0's

```
x \leftarrow c(0L, 1L, 1L, 1L, 0L, 0L, 1L, 1L, 0L, 0L, 1L)
MaxRunLength(x) # should be 2
MaxRunLength(1L - x) # should be 3
# Test of Mersenne Twishter
RNGkind("Mers") # ensure that default generator is in use
N <- 10000
x <- runif(N)</pre>
y <- DecToBin(x, format = "vector", m = 40)
MaxHeadRunsM <- apply(y, 1, MaxRunLength) # 0 run lengths (Heads)</pre>
MaxTailRunsM <- apply(1-y, 1, MaxRunLength) # 1 run lengths (Tails)
# distributions of Max 0 run lengths and Max 1 run lengths should match
boxplot(MaxHeadRunsM, MaxTailRunsM, axes=FALSE, main="Maximum Run Length")
axis(side=1, at=c(1, 2), label=c("Heads", "Tails"))
axis(2)
box()
# Comparison with Wichmann-Hill Generator
RNGkind("Wich")
x <- runif(N)</pre>
y <- DecToBin(x, format = "vector", m = 40)
MaxHeadRunsW <- apply(y, 1, MaxRunLength)</pre>
MaxTailRunsW <- apply(1-y, 1, MaxRunLength)</pre>
boxplot(MaxHeadRunsW, MaxTailRunsW, axes=FALSE, main="Maximum Run Length")
axis(side=1, at=c(1, 2), label=c("Heads", "Tails"))
axis(2)
box()
RNGkind("Mers") # restore default generator
```

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microLASS0

Simplest Case of LASSO Regression

Description

Simple linear regression estimators for slope, intercept and noise standard deviation with absolute value penalty on slope.

Usage

```
microLASSO(x, y, lambda)
```

Arguments

x a numeric vector of covariate valuesy a numeric vector of response values

lambda a numeric constant which should be nonnegative

Value

a list consisting of

Coefficients a numeric vector containing intercept and slope estimates

RMSE a numeric constant containing the (penalized) maximum likelihood estimate of

the noise standard deviation

Examples

```
x <- runif(30)
y <- x + rnorm(30)
microLASSO(x, y, lambda = 0.5)</pre>
```

rAlias

Alias Method for Generating Discrete Random Variates

Description

Efficient method for generating discrete random variates from any distribution with a finite number (N) of states. The method is described in detail in Section 10.1 of the given reference.

Usage

```
rAlias(n, P)
```

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Arguments

n numeric, constant number of variates to be simulated

P numeric, probability mass function, assuming states from 1 through N

Value

numeric vector of containing n simulated values from the given discrete distribution

References

S. Ross (1990) A Course in Simulation, MacMillan.

Examples

```
x \leftarrow rAlias(n = 100, P = c(1:5)/15)
table(x)/100
```

RNGtest

Pseudorandom Number Testing via Random Forest

Description

Given a sequence of pseudorandom numbers, this function constructs a random forest prediction model for successive values, based on previous values up to a given lag. The ability of the random forest model to predict future values is inversely related to the quality of the sequence as an approximation to locally random numbers.

Usage

```
RNGtest(u, m=5)
```

Arguments

u numeric, a vector of pseudorandom numbers to test

m numeric, number of lags to test

Value

Side effect is a two way layout of graphs showing effectiveness of prediction on a training and a testing subset of data. Good predictions indicate a poor quality sequence.

Author(s)

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```
x <- runif(200)
RNGtest(x, m = 4)</pre>
```

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