

# Package ‘toscca’

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**Title** Thresholded Ordered Sparse CCA

**Version** 0.1.0

**Description**

Performs Thresholded Ordered Sparse Canonical Correlation Analysis (CCA). For more details see Senar, N. (2024) <[doi:10.1093/biostatistics/kbae021](https://doi.org/10.1093/biostatistics/kbae021)> and Senar, N. et al. (2025) <[doi:10.48550/arXiv.2503.15140](https://doi.org/10.48550/arXiv.2503.15140)>.

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**Index****25****cpev.toscca***Calculates cpev***Description**

This function calculates cpev w.r.t. a chosen origin.

**Usage**

```
cpev.toscca(mat, weights)
```

**Arguments**

- |         |  |
|---------|--|
| mat     | A matrix.                              |
| weights | A numeric vector of canonical weights. |

**Value**

Returns cpev values for the kth or 1:K components.

fastEigen

*Performs eigen decomposition of a matrix in PS space.***Description**

Performs eigen decomposition of a matrix in PS space.

**Usage**

```
fastEigen(A)
```

**Arguments**

A                   A square matrix nxn.

**Value**

Matrix. Positive definite matrix.

getCanSubspace

*Performs matrix residualisation over estimated canonical vectors by using the null space of the estimated canonical vector to construct a new matrix.***Description**

Performs matrix residualisation over estimated canonical vectors by using the null space of the estimated canonical vector to construct a new matrix.

**Usage**

```
getCanSubspace(mat, vec)
```

**Arguments**

mat	An nxp matrix.
vec	A vector of dimensions nxk.

**Details**

For nxp matrix

**A**

and pxk vector

$\alpha$

, the canonical is compute as  $\mathbf{A}_{sub} = \mathbf{A}\alpha(\alpha^T\alpha)\alpha^T$ .

**Value**

An nxk matrix.

<code>getWhich</code>	<i>Get location of required.</i>
-----------------------	----------------------------------

**Description**

Get location of required.

**Usage**

```
getWhich(data, fun)
```

**Arguments**

<code>data</code>	Numeric matrix.
<code>fun</code>	Function to search data.

**Value**

Returns value matching function `fun`.

**Examples**

```
getWhich(rnorm(100), max)
```

<code>initialiseCanVar</code>	<i>Initialised the canonical vector for the iterative process based on positive eigen values. Then, SVD is performed on that PS matrix.</i>
-------------------------------	---

**Description**

Initialised the canonical vector for the iterative process based on positive eigen values. Then, SVD is performed on that PS matrix.

**Usage**

```
initialiseCanVar(A, B)
```

**Arguments**

<code>A</code>	An nxp matrix.
<code>B</code>	An nxq matrix.

**Value**

An pzp vector.

**Examples**

```
#sample size etc
N = 10
p = 25
q = 5
# noise
X0 = sapply(1:p, function(x) rnorm(N))
Y0 = sapply(1:q, function(x) rnorm(N))

colnames(X0) = paste0("x", 1:p)
colnames(Y0) = paste0("y", 1:q)

# signal
Z1 = rnorm(N,0,1)

#Some associations with the true signal
alpha = (6:10) / 10
beta = -(2:3) / 10

loc_alpha = 1:length(alpha)
loc_beta = 1:length(beta)

for(j in 1:length(alpha))
  X0[, loc_alpha[j]] = alpha[j] * Z1 + rnorm(N,0,0.3)

for(j in 1:length(beta))
  Y0[, loc_beta[j]] = beta[j] * Z1 + rnorm(N,0,0.3)
cv = initialiseCanVar(X0, Y0)
```

---

modes

*Calculates mode.*

---

**Description**

Calculates mode.

**Usage**

`modes(d)`

**Arguments**

`d` density object.

---

**myHeatmap***Plot heatmap of cv w.r.t. the penalty parameter perfotmance.*

---

## Description

This function plots cca for different thresholds

## Usage

```
myHeatmap(
  mat,
  palette_values = mpalette,
  blue = NULL,
  xlab = "",
  ylab = "",
  show_axes = TRUE,
  show_labels = TRUE,
  K = NULL
)
```

## Arguments

<code>mat</code>	A matrix.
<code>palette_values</code>	Character string. Vector of colour values for the heatmap. Default is package's palette.
<code>blue</code>	Logical. If TRUE, use only scale of blues from palette.
<code>xlab</code>	Character. Label for x axis.
<code>ylab</code>	Character. Label for y axis.
<code>show_axes</code>	Logic. Default is True.
<code>show_labels</code>	Logic. Default is True.
<code>K</code>	Numeric. Number of components.

## Value

No return value, called for plotting heatmap.

## Examples

```
mat <- matrix(rexp(200, rate=.1), ncol=20)/200
myHeatmap(mat)
```

---

plt.selstab*Plot selection stability for penalty parameter performance.*

---

## Description

This function plots cv for different thresholds

## Usage

```
plt.selstab(
  object,
  X,
  Y,
  nonz_x,
  nonz_y,
  palette_values = mpalette,
  blue = TRUE,
  mm = TRUE,
  k = 1
)
```

## Arguments

object	A toscca object.
X	nxp matrix. Observation matrix.
Y	A nxq matrix. Observation matrix.
nonz_x	Numeric vector. Sparsity levels of X.
nonz_y	Numeric vector. Sparsity levels of Y.
palette_values	Character. Name of a palette for the heatmap. Default is "Teal".
blue	Logical. If TRUE, use only scale of blues from palette.
mm	Logic. Indicates whether there are multiple measurements or not. Default is True.
k	Numeric. Component, default k =1.

## Value

No return value, called for selection stability pot.

## Examples

```
# example code
#sample size etc
N = 10
p = 25
q = 5
```

```

# noise
X0 = sapply(1:p, function(x) rnorm(N))
Y0 = sapply(1:q, function(x) rnorm(N))

colnames(X0) = paste0("x", 1:p)
colnames(Y0) = paste0("y", 1:q)

# signal
Z1 = rnorm(N,0,10)

#Some associations with the true signal
alpha = (6:10) / 10
beta = -(2:3) / 10

loc_alpha = 1:length(alpha)
loc_beta = 1:length(beta)

for(j in 1:length(alpha))
  X0[, loc_alpha[j]] = alpha[j] * Z1 + rnorm(N,0,0.03)

for(j in 1:length(beta))
  Y0[, loc_beta[j]] = beta[j] * Z1 + rnorm(N,0,0.03)

# performa toscca
X = standardVar(X0)
Y = standardVar(Y0)
K = 2                                # number of components to be estimated
nonz_x = c(2,5, 10, 20)                 # number of nonzero variables for X
nonz_y = c(2, 3, 4)                     # number of nonzero variables for Y
init = "uniform"                      # type of initialisation
cca_toscca = toscca(X, Y, nonz_x, nonz_y, K, alpha_init = init,
combination = TRUE, K=1, silent = TRUE, toPlot = FALSE)
plt <- plt.selstab(cca_toscca,X, Y, nonz_x = nonz_x, nonz_y = nonz_y, mm=FALSE)

```

**powerMethod***Performs power method.***Description**

Performs power method.

**Usage**

```
powerMethod(mat, vec, tol = 10^(-6), maxIter = 500, silent = TRUE)
```

**Arguments**

<code>mat</code>	A square matrix nxn.
<code>vec</code>	A vector of dimensions nx1.
<code>tol</code>	Convergence criterion. Default is $10^{-6}$ .
<code>maxIter</code>	Maximum iterations. Default is 500.
<code>silent</code>	Logical. If TRUE, convergence performance will be printed.

**Value**

List: vec: eigen vector; lambda: eigen value; t: total iterations.

progressBar

*Progress bar***Description**

Shows progress of a process.

**Usage**

```
progressBar(end, round)
```

**Arguments**

<code>end</code>	maximum number of times a process will run.
<code>round</code>	current round

**Value**

Display in consol of current status.

residualisation

*Performs matrix residualisation over estimated canonical vectors. There are three types: basic (subtracts scaled estimated latent variable from data), null (uses the null space of the estimated canonical vector to construct a new matrix) and LV (uses SVD to residualise).*

**Description**

Performs matrix residualisation over estimated canonical vectors. There are three types: basic (subtracts scaled estimated latent variable from data), null (uses the null space of the estimated canonical vector to construct a new matrix) and LV (uses SVD to residualise).

**Usage**

```
residualisation(
  mat,
  vec,
  spaceMat = NULL,
  type = c("LV", "null", "basic"),
  na.allow = TRUE
)
```

**Arguments**

mat	An nxp matrix.
vec	A vector of dimensions nxk.
spaceMat	Only for "null" type residualisation. Default is NULL.
type	Character. It can be LV, null or basic depending on which type of residualisation will be performed.
na.allow	Logical. If TRUE, NAs will be allowed.

**Value**

Matrix.

scaledResidualMat	<i>Performs scaling for matrix residualisation based on calculated coefficients.</i>
-------------------	--

**Description**

Performs scaling for matrix residualisation based on calculated coefficients.

**Usage**

```
scaledResidualMat(A)
```

**Arguments**

A	An nxp matrix.
---	----------------

**Value**

scaled matrix.

---

scale\_rm*Standardises matrices with multiple measurements per individual.*

---

## Description

This function standardises matrices with multiple measurements w.r.t. a chosen origin.

## Usage

```
scale_rm(mat, origin = NULL, centre = FALSE)
```

## Arguments

mat	A matrix.
origin	Measurement of reference for standardisation.
centre	Logical. TRUE to centre data. Default is FALSE.

## Value

Returns scaled and/or centred values for repeated measurements.

## Examples

```
#sample size etc
N = 10
p = 25
q = 5
# noise
X0 = sapply(1:p, function(x) rnorm(N))
Y0 = sapply(1:q, function(x) rnorm(N))

colnames(X0) = paste0("x", 1:p)
colnames(Y0) = paste0("y", 1:q)

# signal
Z1 = rnorm(N,0,1)

#Some associations with the true signal
alpha = (6:10) / 10
beta  = -(2:3) / 10

loc_alpha = 1:length(alpha)
loc_beta  = 1:length(beta)

for(j in 1:length(alpha))
  X0[, loc_alpha[j]] = alpha[j] * Z1 + rnorm(N,0,0.3)

for(j in 1:length(beta))
```

```

Y0[, loc_beta[j]] = beta[j] * Z1 + rnorm(N, 0, 0.3)

X = standardVar(X0)
Y = standardVar(Y0)

```

**standardVar***Standardise a matrix***Description**

This function standardises a matrix or a vector and gives the option to centre or normalise (only vectors).

**Usage**

```
standardVar(mat, centre = TRUE, normalise = FALSE)
```

**Arguments**

- |                        |  |
|------------------------|--|
| <code>mat</code>       | Matrix or vector to be standardise.              |
| <code>centre</code>    | Logical, if true, centre to mean zero.           |
| <code>normalise</code> | Logical, if true, performs vector normalisation. |

**Value**

A matrix or vector with the preferred standardarisation

**Examples**

```

#sample size etc
N = 10
p = 25
q = 5
# noise
X0 = sapply(1:p, function(x) rnorm(N))
Y0 = sapply(1:q, function(x) rnorm(N))

colnames(X0) = paste0("x", 1:p)
colnames(Y0) = paste0("y", 1:q)

# signal
Z1 = rnorm(N, 0, 1)

#Some associations with the true signal
alpha = (6:10) / 10
beta = -(2:3) / 10

loc_alpha = 1:length(alpha)

```

```

loc_beta = 1:length(beta)

for(j in 1:length(alpha))
  X0[, loc_alpha[j]] = alpha[j] * Z1 + rnorm(N,0,0.3)

for(j in 1:length(beta))
  Y0[, loc_beta[j]] = beta[j] * Z1 + rnorm(N,0,0.3)

X = standardVar(X0)
Y = standardVar(Y0)

```

**toscamm.perm***Computes permutated cc for TOSCCA-MM*

## Description

This function estimates sparse canonical vectors for permuted matrices with multiple measurements.

## Usage

```

toscamm.perm(
  A,
  B,
  nonzero_a,
  nonzero_b,
  K = 1,
  folds = 1,
  toPlot = FALSE,
  draws = 1000,
  cancor,
  bootCCA = NULL,
  silent = TRUE,
  parallel_logic = TRUE,
  nuisanceVar = 0,
  testStatType = "CC",
  model = "lme",
  lmeformula = " ~ 0 + poly(time,3) + (1|id)",
  arformula = NULL,
  ncores = NULL
)

```

## Arguments

A	A matrix.
B	A matrix.
nonzero_a	Integer. Threshold parameter for A.

nonzero_b	Integer. Threshold parameter for B.
K	Integer. Numner of components.
folds	Integer. Indicates number of folds to perform.
toPlot	Logical. Indicates if plots will be produced. Default is False.
draws	Integer. Number of draws in permutation.
cancor	Numeric vector of length K with estimated canonical correlations.
bootCCA	deprecated.
silent	Logical. TRUE to keep silent output messages. Default is FALSE.
parallel_logic	Logical. TRUE to parallelise folds. Default is FALSE.
nuisanceVar	Numeric. Number of nuisance variables.
testStatType	Character. Choice of test-statistic c("CC", "Wilks", "Roy"),
model	Character. c("lme", "ar"). Model to fit longitudinal latent space.
lmeformula	Character. LME formula. Default is " $\sim -1 + \text{time} + (\text{lid})$ ".
arformula	Numeric vector. Choice of ARIMA. Default is c(1,0,0).
ncores	numeric. Number of cores to use in parallelisation. Default is detectCores() -1.

### Value

Permuted canonical correlation for ell K and p-values.

List with permuted correlations and p-values.

### Examples

```
# example code

# dont run due to parallel processes
#sample size etc
N = 10
p = 25
q = 5
X0 = list()
Y0 = list()

#Some associations with the true signal
cwa = (6:10) / 10
cwb = -(2:3) / 10

alpha = rep(0, p)
beta = rep(0, q)

loc_alpha = 1:length(alpha)
loc_beta = 1:length(beta)

alpha[loc_alpha] = cwa
beta[loc_beta] = cwb
```

```

sg = matrix(c(1, 0.6, 0.3, rep(0, 2),
             0.6, 1, 0.6, 0.3, rep(0, 1),
             0.3, 0.6, 1, 0.6, 0.3,
             rep(0,1), 0.3, 0.6, 1, 0.6,
             rep(0,2), 0.3, 0.6, 1), ncol = 5)
for(i in 1:N)
{
  times = 1:5
  Zi1 = (sin(100*times))^times +   times * 0.65 +rnorm(1,0,0.95)
  Zi = cbind(Zi1)
  #Simulate data and add some noise
  X0i = sapply(1:p, function(a) MASS::mvrnorm(1, (Zi %*% t(alpha))[,a], Sigma = sg))
  Y0i = sapply(1:q, function(a) MASS::mvrnorm(1, (Zi %*% t(beta))[,a], Sigma = sg))

  colnames(X0i) = paste0("X", 1:ncol(X0i))
  colnames(Y0i) = paste0("Y", 1:ncol(Y0i))
  #Check the simulated cross correlation
  #image(cor(X0i, Y0i))

  #Remove some observations
  # p_observed = 1
  X0i = cbind(id=i, time=times, X0i)#[rbinom(length(times),1,p_observed)==1,]
  Y0i = cbind(id=i, time=times, Y0i)#[rbinom(length(times),1,p_observed)==1,]

  X0[[i]] = X0i
  Y0[[i]] = Y0i
}
X0 = do.call("rbind", X0)
Y0 = do.call("rbind", Y0)

X = data.frame(X0); Y = data.frame(Y0)
nonz_a = c(2, 5, 10, 20)
nonz_b = c(2, 3, 4)

mod <- toscamm(X, Y, folds = 2, nonzero_a = nonz_a, nonzero_b = nonz_b, silent = TRUE)
nza <- mod$nonzero_a
nzb <- mod$nonzero_b
cc <- mod$cancor
perm_cc <- toscamm.perm(X,Y, nonzero_a=nza, nonzero_b=nzb,cancor=cc, ncores=2, draws = 10)

```

**Description**

Sparse Canonical Correlation Analysis. Computation of CC via NIPALS with soft thresholding.

## Usage

```
toscca(
  A,
  B,
  nonzero_a,
  nonzero_b,
  K = 1,
  alpha_init = c("eigen", "random", "uniform"),
  folds = 1,
  silent = FALSE,
  toPlot = TRUE,
  typeResid = "basic",
  combination = FALSE,
  parallel_logic = FALSE
)
```

## Arguments

A, B	Data matrices.
nonzero_a, nonzero_b	Numeric. Scalar or vector over the number of nonzeros allowed for a correlation estimate.
K	Numeric. Number of components to be computed.
alpha_init	Character. Type initialisation for $\alpha$
	. Default is "eigen".
folds	Numeric. Number of folds for the cross-validation process.
silent	Logical. If FALSE, a progress bar will appear on the console. Default is FALSE.
toPlot	Logical. If TRUE, plot will be generated automatically showing the estimated canonical weights. Default is TRUE.
typeResid	Character. Choice of residualisation technique. Options are basic (default), null and LV.
combination	Logical. If TRUE, the algorithm will search for the best combination of sparsity choice nonzero_a and nonzero_b for each component. This should be used for exploratory analysis. Default is FALSE.
parallel_logic	Logical. If TRUE, cross-validation is done in parallel. Default is FALSE.

## Value

a list with the following elements:

List with estimated toscca parameters.

## Examples

```
#sample size etc
N = 10
p = 25
q = 5
# noise
X0 = sapply(1:p, function(x) rnorm(N))
Y0 = sapply(1:q, function(x) rnorm(N))

colnames(X0) = paste0("x", 1:p)
colnames(Y0) = paste0("y", 1:q)

# signal
Z1 = rnorm(N,0,1)

#Some associations with the true signal
alpha = (6:10) / 10
beta = -(2:3) / 10

loc_alpha = 1:length(alpha)
loc_beta = 1:length(beta)

for(j in 1:length(alpha))
  X0[, loc_alpha[j]] = alpha[j] * Z1 + rnorm(N,0,0.3)

for(j in 1:length(beta))
  Y0[, loc_beta[j]] = beta[j] * Z1 + rnorm(N,0,0.3)

X = standardVar(X0)
Y = standardVar(Y0)
K = 2                                # number of components to be estimated
nonz_x = c(2,5, 10, 20)                 # number of nonzero variables for X
nonz_y = c(2, 3, 4)                     # number of nonzero variables for Y
init = "uniform"                      # type of initialisation
cca_toscca = toscca(X, Y, nonz_x, nonz_y, K, alpha_init = init, silent = TRUE, toPlot = FALSE)
```

toscca.core

*Sparse Canonical Correlation Analysis. Computation of CC via NI-PALS with soft thresholding.*

## Description

Sparse Canonical Correlation Analysis. Computation of CC via NIPALS with soft thresholding.

## Usage

```
toscca.core(
```

```

alphaInit,
A,
B,
nonzero_a,
nonzero_b,
iter = 20,
tol = 10^(-6),
silent = FALSE
)

```

### Arguments

alphaInit	Character. Type initialisation for $\alpha$
A, B	Data matrices.
nonzero_a, nonzero_b	Numeric. Scalar or vector over the number of nonzeros allowed for a correlation estimate.
iter	Numeric. Maximum number of iterations. Default is 20.
tol	Numeric. Tolerance threshold. Default is 10^6.
silent	Logical. If FALSE, a progress bar will appear on the console. Default is FALSE.

### Value

a list with the following elements:

---

<i>toscca.folds</i>	<i>Sparse Canonical Correlation Analysis. Computation of CC via NI-PALS with soft thresholding.</i>
---------------------	---

---

### Description

Sparse Canonical Correlation Analysis. Computation of CC via NIPALS with soft thresholding.

### Usage

```

toscca.folds(
  A,
  B,
  nonzero_a,
  nonzero_b,
  alpha_init,
  folds = 1,
  parallel_logic = FALSE,
)

```

```

silent = FALSE,
toPlot = TRUE,
ATest_res = NULL,
BTest_res = NULL
)

```

**Arguments**

- A, B Data matrices.
- nonzero\_a, nonzero\_b Numeric. Scalar or vector over the number of nonzeros allowed for a correlation estimate.
- alpha\_init Character. Type initialisation for  $\alpha$   
. Default is "eigen".
- folds Integer. Indicates number of folds to perform.
- parallel\_logic Logical. TRUE to parallelise folds. Default is FALSE.
- silent Logical. TRUE to keep silent output messages. Default is FALSE.
- toPlot Logical. TRUE to plot results.
- ATest\_res NULL. Keep NULL.
- BTest\_res NULL. Keep NULL.

**Value**

a list with the following elements:

toscca.lv

*Get latent variables***Description**

Gets latent variables from data and estimates.

**Usage**

```
toscca.lv(data, alpha, beta)
```

**Arguments**

- data List containint both observation amtrices.
- alpha px1 numeric vector. canonical weights for X.
- beta qx1 numeric vector. canonical weights for Y.

---

*toscca.perm**Permutation testing for toscca*

---

## Description

This function performs permutation testing on CC estimates.

## Usage

```
toscca.perm(
  A,
  B,
  nonzero_a,
  nonzero_b,
  K,
  alpha_init = c("eigen", "random", "uniform"),
  folds = 1,
  toPlot = FALSE,
  draws = 20,
  cancor,
  silent = TRUE,
  parallel_logic = TRUE,
  nuisanceVar = 0,
  testStatType = "CC",
  ncores = NULL
)
```

## Arguments

A, B	Data matrices.
nonzero_a, nonzero_b	Numeric. Scalar or vector over the number of nonzeros allowed for a correlation estimate.
K	Numeric. Number of components to be computed.
alpha_init	Character. Type initialisation for $\alpha$ . Default is "eigen".
folds	Numeric. Number of folds for the cross-validation process.
toPlot	Logical. If TRUE, plot will be generated automatically showing the estimated canonical weights. Default is TRUE.
draws	Numeric. Number of permutations for each component.
cancor	Numeric. Scalar or vector: anonical correlation estimate(s).
silent	Logical. If FALSE, a progress bar will appear on the console. Default is FALSE.
parallel_logic	Logical. If TRUE, cross-validation is done in parallel. Default is FALSE.

nuisanceVar	Data with nuisance variables. For statistic type.
testStatType	Character. Choice of statistic. Options are CC (default), Wilks and Roy.
ncores	numeric. Number of cores to use in parallelisation. Default is detectCores() -1.

## Details

For a exploratory analysis nonzero\_a and nonzero\_b can be vectors. The algorithm will then search for the best combination of sparsity choice nonzero\_a and nonzero\_b for each component.

## Value

- Matrix with permutation estimates.
- List with permuted correlations and p-values.

## Examples

```
#sample size etc
N = 10
p = 25
q = 5
# noise
X0 = sapply(1:p, function(x) rnorm(N))
Y0 = sapply(1:q, function(x) rnorm(N))

colnames(X0) = paste0("x", 1:p)
colnames(Y0) = paste0("y", 1:q)

# signal
Z1 = rnorm(N,0,1)

#Some associations with the true signal
alpha = (6:10) / 10
beta = -(2:3) / 10

loc_alpha = 1:length(alpha)
loc_beta = 1:length(beta)

for(j in 1:length(alpha))
  X0[, loc_alpha[j]] = alpha[j] * Z1 + rnorm(N,0,0.3)

for(j in 1:length(beta))
  Y0[, loc_beta[j]] = beta[j] * Z1 + rnorm(N,0,0.3)

X = standardVar(X0)
Y = standardVar(Y0)
K = 2 # number of components to be estimated
nonz_x = c(2,5, 10, 20) # number of nonzero variables for X
nonz_y = c(1, 2, 3, 4) # number of nonzero variables for Y
init = "uniform" # type of initialisation
cca_toscca = toscca(X, Y, nonz_x, nonz_y, K, alpha_init = init, silent = TRUE, toPlot = FALSE)
```

---

```
#dont run due to parallelisation.
cc = cca_toscca$cancor
perm_toscca = toscca.perm(X, Y, nonz_x, nonz_y, K = K, init, draws = 10, cancor = cc, ncores = 2)
```

---

**toscca.tStat***Get the estatistic for the permutations.***Description**

Get the estatistic for the permutations.

**Usage**

```
toscca.tStat(cancor, A, B, C = 0, type = c("CC", "Wilks", "Roy"))
```

**Arguments**

cancor	Numeric. Canonical Correlation estimate.
A	An nxp matrix.
B	An nxq matrix.
C	An nxs matrix. Confounding variables.
type	Character. Choice of statistic: Canonical correlation, Wilks'static or Roy's statistic.

**Value**

Statistic

**tosccamm***Computes TOSCCA-MM***Description**

This function estimates sparse canonical vectors for matrices with multiple measurements and the trajectories of the latent variables.

**Usage**

```
tosccamm(
  A,
  B,
  nonzero_a,
  nonzero_b,
  folds = 1,
  parallel_logic = FALSE,
  silent = FALSE,
  ATest_res = NULL,
  BTest_res = NULL,
  model = "lme",
  lmeformula = " ~ -1 + time + (1|id)",
  arformula = c(1, 0, 0)
)
```

**Arguments**

A	A data.frame with id and time as first two columns.
B	A data.frame with id and time as first two columns.
nonzero_a	Integer. Threshold parameter for A.
nonzero_b	Integer. Threshold parameter for B.
folds	Integer. Indicates number of folds to perform.
parallel_logic	Logical. TRUE to parallelise folds. Default is FALSE.
silent	Logical. TRUE to keep silent output messages. Default is FALSE.
ATest_res	NULL. Keep NULL.
BTest_res	NULL. Keep NULL.
model	Character. c("lme", "ar"). Model to fit longitudinal latent space.
lmeformula	Character. LME formula. Default is " ~ -1 + time + (1 id)".
arformula	Numeric vector. Choice of ARIMA. Default is c(1,0,0).

**Value**

Canonical vectors for k components.

List with estimated toscamm parameters.

**Examples**

```
# example code
#sample size etc
N = 10
p = 25
q = 5
X0 = list()
Y0 = list()
```

```

#Some associations with the true signal
cwa = (6:10) / 10
cwb = -(2:3) / 10

alpha = rep(0, p)
beta = rep(0, q)

loc_alpha = 1:length(alpha)
loc_beta = 1:length(beta)

alpha[loc_alpha] = cwa
beta[loc_beta] = cwb

sg = matrix(c(1, 0.6, 0.3, rep(0, 2),
             0.6, 1, 0.6, 0.3, rep(0, 1),
             0.3, 0.6, 1, 0.6, 0.3,
             rep(0,1), 0.3, 0.6, 1, 0.6,
             rep(0,2), 0.3, 0.6, 1), ncol = 5)
for(i in 1:N)
{
  times = 1:5
  Zi1 = (sin(100*times))^times +   times * 0.65 + rnorm(1,0,0.95)
  Zi = cbind(Zi1)
  #Simulate data and add some noise
  X0i = sapply(1:p, function(a) MASS::mvrnorm(1, (Zi %*% t(alpha))[,a], Sigma = sg))
  Y0i = sapply(1:q, function(a) MASS::mvrnorm(1, (Zi %*% t(beta))[,a], Sigma = sg))

  colnames(X0i) = paste0("X", 1:ncol(X0i))
  colnames(Y0i) = paste0("Y", 1:ncol(Y0i))
  #Check the simulated cross correlation
  #image(cor(X0i, Y0i))

  #Remove some observations
  # p_observed = 1
  X0i = cbind(id=i, time=times, X0i)#[rbinom(length(times),1,p_observed)==1,]
  Y0i = cbind(id=i, time=times, Y0i)#[rbinom(length(times),1,p_observed)==1,]

  X0[[i]] = X0i
  Y0[[i]] = Y0i
}

X0 = do.call("rbind", X0)
Y0 = do.call("rbind", Y0)

X = data.frame(X0); Y = data.frame(Y0)
nonz_a = c(2, 5, 10, 20)
nonz_b = c(2, 3, 4)

mod <- tosccamm(X, Y, folds = 2, nonzero_a = nonz_a, nonzero_b = nonz_b, silent = TRUE)

```

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