Package 'elfDistr'

October 13, 2022
Title Kumaraswamy Complementary Weibull Geometric (Kw-CWG) Probability Distribution
Version 1.0.0
Description Density, distribution function, quantile function and random generation for the Kumaraswamy Complementary Weibull Geometric (Kw-CWG) lifetime probability distribution proposed in Afify, A.Z. et al (2017) <doi:10.1214 16-bjps322="">.</doi:10.1214>
License MIT + file LICENSE
Encoding UTF-8
LazyData true
<pre>URL https://github.com/matheushjs/elfDistr</pre>
<pre>BugReports https://github.com/matheushjs/elfDistr/issues</pre>
RoxygenNote 6.1.1
Depends R (>= 3.1.0)
LinkingTo Rcpp
Imports Rcpp
SystemRequirements C++11
NeedsCompilation yes
Suggests testthat
Author Matheus H. J. Saldanha [aut, cre], Adriano K. Suzuki [aut]
Maintainer Matheus H. J. Saldanha <mhjsaldanha@gmail.com></mhjsaldanha@gmail.com>
Repository CRAN
Date/Publication 2019-10-07 18:00:02 UTC
R topics documented:
elfDistr
Index

2 Kw-CWG

elfDistr	Kumaraswamy Complementary Weibull Geometric (Kw-CWG) Probability Distribution

Description

Density, distribution function, quantile function and random generation for the Kumaraswamy Complementary Weibull Geometric probability distribution (Kw-CWG) lifetime distribution.

Details

This package follows naming convention that is consistent with base R, where density (or probability mass) functions, distribution functions, quantile functions and random generation functions names are followed by d, p, q, and r prefixes.

Behaviour of the functions is consistent with base R, where for not valid parameters values NaN's are returned, while for values beyond function support 0's are returned (e.g. for non-integers in discrete distributions, or for negative values in functions with non-negative support).

All the functions vectorized and coded in C++ using **Rcpp**.

Kw-CWG Kumaraswamy Complementary Weibull Geometric Probability Distribution	Kw-CWG	Kumaraswamy Complementary Weibull Geometric Probability Distribution
---	--------	--

Description

Density, distribution function, quantile function and random generation for the Kumaraswamy Complementary Weibull Geometric (Kw-CWG) probability distribution.

Usage

```
dkwcwg(x, alpha, beta, gamma, a, b, log = FALSE)
pkwcwg(q, alpha, beta, gamma, a, b, lower.tail = TRUE, log.p = FALSE)
qkwcwg(p, alpha, beta, gamma, a, b, lower.tail = TRUE, log.p = FALSE)
rkwcwg(n, alpha, beta, gamma, a, b)
```

Arguments

```
x, q vector of quantiles.

alpha, beta, gamma, a, b

Parameters of the distribution. 0 < alpha < 1, and the other parameters mustb e
```

positive.

Kw-CWG

log, log.p logical; if TRUE, probabilities p are given as log(p). lower.tail logical; if TRUE (default), probabilities are $P[X \leq x]$ otherwise, P[X > x]. vector of probabilities.

n number of observations. If length(n) > 1, the length is taken to be the number required.

Details

Probability density function

$$f(x) = \alpha^{a} \beta \gamma a b (\gamma x)^{\beta - 1} \exp[-(\gamma x)^{\beta}] \cdot \frac{\{1 - \exp[-(\gamma x)^{\beta}]\}^{a - 1}}{\{\alpha + (1 - \alpha) \exp[-(\gamma x)^{\beta}]\}^{a + 1}} \cdot \left\{1 - \frac{\alpha^{a} [1 - \exp[-(\gamma x)^{\beta}]]^{a}}{\{\alpha + (1 - \alpha) \exp[-(\gamma x)^{\beta}]\}^{a}}\right\}$$

Cumulative density function

$$F(x) = 1 - \left\{ 1 - \left[\frac{\alpha (1 - \exp[-(\gamma x)^{\beta}])}{\alpha + (1 - \alpha) \exp[-(\gamma x)^{\beta}]} \right]^{a} \right\}^{b}$$

Quantile function

$$Q(u) = \gamma^{-1} \left\{ \log \left[\frac{\alpha + (1 - \alpha) \sqrt[a]{1 - \sqrt[b]{1 - u}}}{\alpha (1 - \sqrt[a]{1 - \sqrt[b]{1 - u}})} \right] \right\}^{1/\beta}, 0 < u < 1$$

References

Afify, A.Z., Cordeiro, G.M., Butt, N.S., Ortega, E.M. and Suzuki, A.K. (2017). A new lifetime model with variable shapes for the hazard rate. Brazilian Journal of Probability and Statistics

Index

```
* Continuous
    Kw-CWG, 2
* Lifetime
    Kw-CWG, 2
* Univariate
    Kw-CWG, 2
* distribution
    Kw-CWG, 2
* \ models \\
    Kw-CWG, 2
* survival
    Kw-CWG, 2
* univar
    Kw-CWG, 2
dkwcwg (Kw-CWG), 2
elfDistr, 2
elfDistr-package (elfDistr), 2
Kw-CWG, 2
pkwcwg (Kw-CWG), 2
qkwcwg (Kw-CWG), 2
rkwcwg (Kw-CWG), 2
```