Package 'SoftClustering'

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Type Package

Title Soft Clustering Algorithms
Description It contains soft clustering algorithms, in particular approaches derived from rough set theory: Lingras & West original rough k-means, Peters' refined rough k-means, and PI rough k-means. It also contains classic k-means and a corresponding illustrative demo.
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R topics documented:
createLowerMShipMatrix
datatypeInteger
DemoDataC2D2a
HardKMeans
HardKMeansDemo
initializeMeansMatrix
initMeansC2D2a
initMeansC3D2a
initMeansC4D2a
initMeansC5D2a
normalizeMatrix
plotRoughKMeans

2 datatypeInteger

	RoughKMeans_LW	10
	RoughKMeans_PE	11
	RoughKMeans_PI	12
	RoughKMeans_SHELL	14
Index		16

 ${\tt createLowerMShipMatrix}$

Create Lower Approximation

Description

Creates a lower approximation out of an upper approximation.

Usage

```
createLowerMShipMatrix(upperMShipMatrix)
```

Arguments

 ${\tt upperMShipMatrix}$

An upper approximation matrix.

Value

Returns the corresponding lower approximation.

Author(s)

G. Peters.

datatypeInteger

Rough k-Means Plotting

Description

Checks for integer.

Usage

datatypeInteger(x)

Arguments

x As a replacement for is.integer(). is.integer() delivers FALSE when the variable is numeric (as superset for integer etc.)

DemoDataC2D2a 3

Value

TRUE if x is integer otherwise FALSE.

Author(s)

G. Peters.

DemoDataC2D2a

A small two-dimensional dataset with two clusters for demonstration purposes. See examples in the Help/Description of a function, e.g. for HardKMeansDemo().

Description

A small two-dimensional dataset with two clusters for demonstration purposes. See examples in the Help/Description of a function, e.g. for HardKMeansDemo().

Usage

data(DemoDataC2D2a)

Format

Rows: objects, columns: features

Examples

data(DemoDataC2D2a)

HardKMeans

Hard k-Means

Description

HardKMeans performs classic (hard) k-means.

Usage

HardKMeans(dataMatrix, meansMatrix, nClusters, maxIterations)

4 HardKMeansDemo

Arguments

Matrix with the objects to be clustered. Dimension: [nObjects x nFeatures].

Select means derived from 1 = random (unity interval), 2 = maximum distances, matrix [nClusters x nFeatures] = self-defined means. Default: 2 = maximum distances.

Number of clusters: Integer in [2, nObjects). Note, nCluster must be set even when meansMatrix is a matrix. For transparency, nClusters will not be overrid-

den by the number of clusters derived from meansMatrix. Default: nClusters=2.

maxIterations Maximum number of iterations. Default: maxIterations=100.

Value

\$upperApprox: Obtained upper approximations [nObjects x nClusters]. Note: Apply function createLowerMShipMatrix() to obtain lower approximations; and for the boundary: boundary = upperApprox - lowerApprox.

\$clusterMeans: Obtained means [nClusters x nFeatures].

\$nIterations: Number of iterations.

Author(s)

M. Goetz, G. Peters, Y. Richter, D. Sacker, T. Wochinger.

References

Lloyd, S.P. (1982) Least squares quantization in PCM. *IEEE Transactions on Information Theory* **28**, 128–137. <doi:10.1016/j.ijar.2012.10.003>.

Peters, G.; Crespo, F.; Lingras, P. and Weber, R. (2013) Soft clustering – fuzzy and rough approaches and their extensions and derivatives. *International Journal of Approximate Reasoning* **54**, 307–322. <doi:10.1016/j.ijar.2012.10.003>.

Examples

An illustrative example clustering the sample data set DemoDataC2D2a.txt HardKMeans(DemoDataC2D2a, 2, 2, 100)

HardKMeansDemo Hard k-Means Demo

Description

HardKMeansDemo shows how hard k-means performs stepwise. The number of features is set to 2 and the maximum number of iterations is 100.

Usage

HardKMeansDemo(dataMatrix, meansMatrix, nClusters)

initializeMeansMatrix 5

Arguments

dataMatrix Matrix with the objects to be clustered. Dimension: [nObjects x nFeatures].

Default: no default set.

meansMatrix Select means derived from 1 = random (unity interval), 2 = maximum distances,

matrix [nClusters x nFeatures=2] = self-defined means. Default: meansMa-

trix=1 (random).

nClusters Number of clusters: Integer in [2, min(5, nObjects-1)]. Note, nCluster must be

set even when meansMatrix is a matrix. For transparency, nClusters will not be overridden by the number of clusters derived from meansMatrix. Default:

nClusters=2.

Value

None.

Author(s)

G. Peters.

References

Lloyd, S.P. (1982) Least squares quantization in PCM. *IEEE Transactions on Information Theory* **28**, 128–137. <doi:10.1016/j.ijar.2012.10.003>.

Peters, G.; Crespo, F.; Lingras, P. and Weber, R. (2013) Soft clustering – fuzzy and rough approaches and their extensions and derivatives. *International Journal of Approximate Reasoning* **54**, 307–322. <doi:10.1016/j.ijar.2012.10.003>.

Examples

```
# Clustering the data set DemoDataC2D2a.txt (nClusters=2, random initial means)
HardKMeansDemo(DemoDataC2D2a,1,2)
# Clustering the data set DemoDataC2D2a.txt (nClusters=2,3,4; initially set means)
HardKMeansDemo(DemoDataC2D2a,initMeansC2D2a,2)
HardKMeansDemo(DemoDataC2D2a,initMeansC3D2a,3)
HardKMeansDemo(DemoDataC2D2a,initMeansC4D2a,4)
# Clustering the data set DemoDataC2D2a.txt (nClusters=5, initially set means)
# It leads to an empty cluster: a (rare) case for an abnormal termination of k-means.
HardKMeansDemo(DemoDataC2D2a,initMeansC5D2a,5)
```

Description

initializeMeansMatrix delivers an initial means matrix.

6 initMeansC2D2a

Usage

initializeMeansMatrix(dataMatrix, nClusters, meansMatrix)

Arguments

dataMatrix Matrix with the objects as basis for the means matrix.

nClusters Number of clusters.

Select means derived from 1 = random (unity interval), 2 = maximum dismeansMatrix

tances, matrix [nClusters x nFeatures] = self-defined means (will be returned

unchanged). Default: 2 = maximum distances.

Value

Initial means matrix [nClusters x nFeatures].

Author(s)

M. Goetz, G. Peters, Y. Richter, D. Sacker, T. Wochinger.

initMeansC2D2a Two-dimensional dataset with two initial cluster means for the dataset

DemoDataC2D2a. See examples in the Help/Description of a func-

tion, e.g. for HardKMeansDemo().

Description

Two-dimensional dataset with two initial cluster means for the dataset DemoDataC2D2a. See examples in the Help/Description of a function, e.g. for HardKMeansDemo().

Usage

data(initMeansC2D2a)

Format

Rows: objects, columns: features

Examples

data(initMeansC2D2a)

initMeansC3D2a 7

initMeansC3D2a	Two-dimensional dataset with three initial cluster means for the
	dataset DemoDataC2D2a. See examples in the Help/Description of a function, e.g. for HardKMeansDemo().

Description

Two-dimensional dataset with three initial cluster means for the dataset DemoDataC2D2a. See examples in the Help/Description of a function, e.g. for HardKMeansDemo().

Usage

```
data(initMeansC3D2a)
```

Format

Rows: objects, columns: features

Examples

data(initMeansC3D2a)

initMeansC4D2a	Two-dimensional dataset with four initial cluster means for the dataset DemoDataC2D2a. See examples in the Help/Description of a func-
	tion, e.g. for HardKMeansDemo().

Description

Two-dimensional dataset with four initial cluster means for the dataset DemoDataC2D2a. See examples in the Help/Description of a function, e.g. for HardKMeansDemo().

Usage

```
data(initMeansC4D2a)
```

Format

Rows: objects, columns: features

Examples

data(initMeansC4D2a)

8 normalizeMatrix

initMeansC5D2a Two-dimensional dataset with five initial cluster means for the dataset DemoDataC2D2a. See examples in the Help/Description of a function, e.g. for HardKMeansDemo().

Description

Two-dimensional dataset with five initial cluster means for the dataset DemoDataC2D2a. See examples in the Help/Description of a function, e.g. for HardKMeansDemo().

Usage

```
data(initMeansC5D2a)
```

Format

Rows: objects, columns: features

Examples

data(initMeansC5D2a)

normalizeMatrix

Matrix Normalization

Description

normalizeMatrix delivers a normalized matrix.

Usage

```
normalizeMatrix(dataMatrix, normMethod, bycol)
```

Arguments

dataMatrix Matrix with the objects to be normalized.

normMethod 1 = unity interval, 2 = normal distribution (sample variance), 3 = normal dis-

tribution (population variance). Any other value returns the matrix unchanged.

Default: meansMatrix = 1 (unity interval).

bycol TRUE = columns are normalized, i.e., each column is considered separately

(e.g., in case of the unity interval and a column colA: max(colA)=1 and min(colA)=0). For bycol = FALSE rows are normalized. Default: bycol = TRUE (columns are

normalized).

plotRoughKMeans 9

Value

Normalized matrix.

Author(s)

M. Goetz, G. Peters, Y. Richter, D. Sacker, T. Wochinger.

plotRoughKMeans

Rough k-Means Plotting

Description

plotRoughKMeans plots the rough clustering results in 2D. Note: Plotting is limited to a maximum of 5 clusters.

Usage

plotRoughKMeans(dataMatrix, upperMShipMatrix, meansMatrix, plotDimensions, colouredPlot)

Arguments

dataMatrix Matrix with the objects to be plotted.

upperMShipMatrix

Corresponding matrix with upper approximations.

meansMatrix Corresponding means matrix.

plotDimensions An integer vector of the length 2. Defines the to be plotted feature dimensions,

i.e., $max(plotDimensions = c(1:2)) \le nFeatures$. Default: plotDimensions = c(1:2)

c(1:2).

colouredPlot Select TRUE = colouredPlot plot, FALSE = black/white plot.

Value

2D-plot of clustering results. The boundary objects are represented by stars (*).

Author(s)

G. Peters.

10 RoughKMeans_LW

RoughKMeans_LW Lingras & West's Rough k-Means

Description

RoughKMeans_LW performs Lingras & West's k-means clustering algorithm. The commonly accepted relative threshold is applied.

Usage

RoughKMeans_LW(dataMatrix, meansMatrix, nClusters, maxIterations, threshold, weightLower)

Arguments

dataMatrix	Matrix with the objects to be clustered. Dimension: [nObjects x nFeatures].
meansMatrix	Select means derived from $1 = \text{random (unity interval)}$, $2 = \text{maximum distances}$, matrix [nClusters x nFeatures] = self-defined means. Default: $2 = \text{maximum distances}$.
nClusters	Number of clusters: Integer in [2, nObjects). Note, nCluster must be set even when meansMatrix is a matrix. For transparency, nClusters will not be overridden by the number of clusters derived from meansMatrix. Default: nClusters=2.
maxIterations	Maximum number of iterations. Default: maxIterations=100.
threshold	Relative threshold in rough k-means algorithms (threshold ≥ 1.0). Default: threshold = 1.5.
weightLower	Weight of the lower approximation in rough k-means algorithms (0.0 \leq weight-Lower \leq 1.0). Default: weightLower = 0.7.

Value

\$upperApprox: Obtained upper approximations [nObjects x nClusters]. Note: Apply function createLowerMShipMatrix() to obtain lower approximations; and for the boundary: boundary = upperApprox - lowerApprox.

\$clusterMeans: Obtained means [nClusters x nFeatures].

\$nIterations: Number of iterations.

Author(s)

M. Goetz, G. Peters, Y. Richter, D. Sacker, T. Wochinger.

References

Lingras, P. and West, C. (2004) Interval Set Clustering of web users with rough k-means. *Journal of Intelligent Information Systems* **23**, 5–16. <doi:10.1023/b:jiis.0000029668.88665.1a>.

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RoughKMeans_PE 11

Lingras, P. and Peters, G. (2011) Rough Clustering. *WIREs Data Mining and Knowledge Discovery* **1**, 64–72. <doi:10.1002/widm.16>.

Lingras, P. and Peters, G. (2012) Applying rough set concepts to clustering. In: Peters, G.; Lingras, P.; Slezak, D. and Yao, Y. Y. (Eds.) *Rough Sets: Selected Methods and Applications in Management and Engineering*, Springer, 23–37. <doi:10.1007/978-1-4471-2760-4_2>.

Peters, G.; Crespo, F.; Lingras, P. and Weber, R. (2013) Soft clustering – fuzzy and rough approaches and their extensions and derivatives. *International Journal of Approximate Reasoning* **54**, 307–322. <doi:10.1016/j.ijar.2012.10.003>.

Peters, G. (2014) Rough clustering utilizing the principle of indifference. *Information Sciences* **277**, 358–374. <doi:10.1016/j.ins.2014.02.073>.

Peters, G. (2015) Is there any need for rough clustering? *Pattern Recognition Letters* **53**, 31–37. <doi:10.1016/j.patrec.2014.11.003>.

Examples

An illustrative example clustering the sample data set DemoDataC2D2a.txt RoughKMeans_LW(DemoDataC2D2a, 2, 2, 100, 1.5, 0.7)

RoughKMeans_PE

Peters' Rough k-Means

Description

RoughKMeans_PE performs Peters' k-means clustering algorithm.

Usage

RoughKMeans_PE(dataMatrix, meansMatrix, nClusters, maxIterations, threshold, weightLower)

Arguments

dataMatrix	Matrix with the objects to be clustered. Dimension: [nObjects x nFeatures].
meansMatrix	Select means derived from $1 = \text{random}$ (unity interval), $2 = \text{maximum}$ distances, matrix [nClusters x nFeatures] = self-defined means. Default: $2 = \text{maximum}$ distances.
nClusters	Number of clusters: Integer in [2, nObjects). Note, nCluster must be set even when meansMatrix is a matrix. For transparency, nClusters will not be overridden by the number of clusters derived from meansMatrix. Default: nClusters=2.
maxIterations	Maximum number of iterations. Default: maxIterations=100.
threshold	Relative threshold in rough k-means algorithms (threshold $>= 1.0$). Default: threshold = 1.5.
weightLower	Weight of the lower approximation in rough k-means algorithms (0.0 \leq weight-Lower \leq 1.0). Default: weightLower = 0.7.

12 RoughKMeans_PI

Value

\$upperApprox: Obtained upper approximations [nObjects x nClusters]. Note: Apply function
createLowerMShipMatrix() to obtain lower approximations; and for the boundary: boundary =
upperApprox - lowerApprox.

\$clusterMeans: Obtained means [nClusters x nFeatures].

\$nIterations: Number of iterations.

Author(s)

M. Goetz, G. Peters, Y. Richter, D. Sacker, T. Wochinger.

References

Peters, G. (2006) Some refinements of rough k-means clustering. *Pattern Recognition* **39**, 1481–1491. <doi:10.1016/j.patcog.2006.02.002>.

Peters, G.; Crespo, F.; Lingras, P. and Weber, R. (2013) Soft clustering – fuzzy and rough approaches and their extensions and derivatives. *International Journal of Approximate Reasoning* **54**, 307–322. <doi:10.1016/j.ijar.2012.10.003>.

Peters, G. (2014) Rough clustering utilizing the principle of indifference. *Information Sciences* **277**, 358–374. <doi:10.1016/j.ins.2014.02.073>.

Peters, G. (2015) Is there any need for rough clustering? *Pattern Recognition Letters* **53**, 31–37. <doi:10.1016/j.patrec.2014.11.003>.

Examples

An illustrative example clustering the sample data set DemoDataC2D2a.txt RoughKMeans_PE(DemoDataC2D2a, 2, 2, 100, 1.5, 0.7)

RoughKMeans_PI

PI Rough k-Means

Description

RoughKMeans_PI performs pi k-means clustering algorithm in its standard case. Therefore, weights are not required.

Usage

RoughKMeans_PI(dataMatrix, meansMatrix, nClusters, maxIterations, threshold)

RoughKMeans_PI 13

Arguments

dataMatrix Matrix with the objects to be clustered. Dimension: [nObjects x nFeatures].

meansMatrix Select means derived from 1 = random (unity interval), 2 = maximum distances, matrix [nClusters x nFeatures] = self-defined means. Default: 2 = maximum

distances.

nClusters Number of clusters: Integer in [2, nObjects). Note, nCluster must be set even

when meansMatrix is a matrix. For transparency, nClusters will not be overridden by the number of clusters derived from meansMatrix. Default: nClusters=2.

maxIterations Maximum number of iterations. Default: maxIterations=100.

threshold Relative threshold in rough k-means algorithms (threshold >= 1.0). Default:

threshold = 1.5.

Value

\$upperApprox: Obtained upper approximations [nObjects x nClusters]. Note: Apply function createLowerMShipMatrix() to obtain lower approximations; and for the boundary: boundary = upperApprox - lowerApprox.

\$clusterMeans: Obtained means [nClusters x nFeatures].

\$nIterations: Number of iterations.

Author(s)

M. Goetz, G. Peters, Y. Richter, D. Sacker, T. Wochinger.

References

Peters, G. (2006) Some refinements of rough k-means clustering. *Pattern Recognition* **39**, 1481–1491. <doi:10.1016/j.patcog.2006.02.002>.

Peters, G.; Crespo, F.; Lingras, P. and Weber, R. (2013) Soft clustering – fuzzy and rough approaches and their extensions and derivatives. *International Journal of Approximate Reasoning* **54**, 307–322. <doi:10.1016/j.ijar.2012.10.003>.

Peters, G. (2014) Rough clustering utilizing the principle of indifference. *Information Sciences* **277**, 358–374. <doi:10.1016/j.ins.2014.02.073>.

Peters, G. (2015) Is there any need for rough clustering? *Pattern Recognition Letters* **53**, 31–37. <doi:10.1016/j.patrec.2014.11.003>.

Examples

An illustrative example clustering the sample data set DemoDataC2D2a.txt RoughKMeans_PI(DemoDataC2D2a, 2, 2, 100, 1.5) RoughKMeans_SHELL

Rough k-Means Shell

Description

RoughKMeans_SHELL performs rough k-means algorithms with options for normalization and a 2D-plot of the results.

Usage

RoughKMeans_SHELL(clusterAlgorithm, dataMatrix, meansMatrix, nClusters, normalizationMethod, maxIterations, plotDimensions, colouredPlot, threshold, weightLower)

Arguments

clusterAlgorithm

Select 0 = classic k-means, 1 = Lingras & West's rough k-means, 2 = Peters' rough k-means, 3 = π rough k-means. Default: clusterAlgorithm = 3 (π rough k-means).

dataMatrix Matrix with the objects to be clustered. Dimension: [nObjects x nFeatures].

meansMatrix Select means derived from 1 = random (unity interval), 2 = maximum distances, matrix [nClusters x nFeatures] = self-defined means. Default: 2 = maximum

distances.

nClusters Number of clusters: Integer in [2, nObjects). Note, nCluster must be set even

when meansMatrix is a matrix. For transparency, nClusters will not be overridden by the number of clusters derived from meansMatrix. Default: nClusters=2.

Note: Plotting is limited to a maximum of 5 clusters.

normalizationMethod

1 = unity interval, 2 = normal distribution (sample variance), 3 = normal distribution (population variance). Any other value returns the matrix unchanged.

Default: meansMatrix = 1 (unity interval).

maxIterations Maximum number of iterations. Default: maxIterations=100.

plotDimensions An integer vector of the length 2. Defines the to be plotted feature dimensions,

i.e., $max(plotDimensions = c(1:2)) \le nFeatures$. Default: plotDimensions = c(1:2)

c(1:2).

colouredPlot Select TRUE = colouredPlot plot, FALSE = black/white plot.

threshold Relative threshold in rough k-means algorithms (threshold >= 1.0). Default:

threshold = 1.5. Note: It can be ignored for classic k-means.

weightLower Weight of the lower approximation in rough k-means algorithms $(0.0 \le \text{weight-}$

Lower <= 1.0). Default: weightLower = 0.7. Note: It can be ignored for classic

k-means and π rough k-means

Value

2D-plot of clustering results. The boundary objects are represented by stars (*).

\$upperApprox: Obtained upper approximations [nObjects x nClusters]. Note: Apply function createLowerMShipMatrix() to obtain lower approximations; and for the boundary: boundary = upperApprox - lowerApprox.

\$clusterMeans: Obtained means [nClusters x nFeatures].

\$nIterations: Number of iterations.

Author(s)

M. Goetz, G. Peters, Y. Richter, D. Sacker, T. Wochinger.

References

Lloyd, S.P. (1982) Least squares quantization in PCM. *IEEE Transactions on Information Theory* **28**, 128–137. <doi:10.1016/j.ijar.2012.10.003>.

Lingras, P. and West, C. (2004) Interval Set Clustering of web users with rough k-means. *Journal of Intelligent Information Systems* **23**, 5–16. <doi:10.1023/b:jiis.0000029668.88665.1a>.

Peters, G. (2006) Some refinements of rough k-means clustering. *Pattern Recognition* **39**, 1481–1491. <doi:10.1016/j.patcog.2006.02.002>.

Lingras, P. and Peters, G. (2011) Rough Clustering. *WIREs Data Mining and Knowledge Discovery* **1**, 64–72. <doi:10.1002/widm.16>.

Lingras, P. and Peters, G. (2012) Applying rough set concepts to clustering. In: Peters, G.; Lingras, P.; Slezak, D. and Yao, Y. Y. (Eds.) *Rough Sets: Selected Methods and Applications in Management and Engineering*, Springer, 23–37. <doi:10.1007/978-1-4471-2760-4 2>.

Peters, G.; Crespo, F.; Lingras, P. and Weber, R. (2013) Soft clustering – fuzzy and rough approaches and their extensions and derivatives. *International Journal of Approximate Reasoning* **54**, 307–322. <doi:10.1016/j.ijar.2012.10.003>.

Peters, G. (2014) Rough clustering utilizing the principle of indifference. *Information Sciences* **277**, 358–374. <doi:10.1016/j.ins.2014.02.073>.

Peters, G. (2015) Is there any need for rough clustering? *Pattern Recognition Letters* **53**, 31–37. <doi:10.1016/j.patrec.2014.11.003>.

Examples

An illustrative example clustering the sample data set DemoDataC2D2a.txt RoughKMeans_SHELL(3, DemoDataC2D2a, 2, 2, 1, 100, c(1:2), TRUE, 1.5, 0.7)

Index

```
* datasets
    DemoDataC2D2a, 3
    initMeansC2D2a, 6
    initMeansC3D2a, 7
    initMeansC4D2a, 7
    initMeansC5D2a, 8
createLowerMShipMatrix, 2
datatypeInteger, 2
DemoDataC2D2a, 3
HardKMeans, 3
HardKMeansDemo, 4
initializeMeansMatrix,5
initMeansC2D2a, 6
initMeansC3D2a, 7
initMeansC4D2a, 7
initMeansC5D2a, 8
normalizeMatrix, 8
{\tt plotRoughKMeans}, {\color{red} 9}
RoughKMeans_LW, 10
RoughKMeans_PE, 11
RoughKMeans_PI, 12
RoughKMeans_SHELL, 14
```