

(1)

P6) (a) $d_{prop} = \frac{m}{s}$ seconds

(b) $d_{trans} = \frac{L}{R}$ seconds

(c) $d_{end-to-end} = \frac{m}{s} + \frac{L}{R}$ seconds

(d) The last bit is just leaving the Host A.

(e) As $d_{prop} > d_{trans}$ at $t = d_{trans}$, the first bit is still in the link and has not reached the Host B.

(f) $d_{prop} < d_{trans}$ this implies the first bit has reached the Host B.

$$(g) m = \frac{Ls}{R} = \frac{1500}{10 \times 10^6} \times (2.5 \times 10^8) = 37500 \text{ m} \\ = 37.5 \text{ km}$$

P7) Bit generation time = $\frac{56 \times 8}{64 \times 10^3} = 7 \text{ ms}$

Transmission Delay = $\frac{56 \times 8}{10 \times 10^6} = 44.8 \mu\text{s}$

Propagation Delay = 10ms

Total time req = 7ms + 44.8μs + 10ms = 17.0448 ms

(2)

$$P8) (a) \frac{10 \times 10^6}{200 \times 10^3} = 50 \text{ people}$$

$$(b) p = 0.1$$

$$(c) \binom{120}{n} (0.1)^n (0.9)^{120-n}$$

$$(d) 1 - \sum_{n=0}^{50} \binom{120}{n} (0.1)^n (0.9)^{120-n}$$

$$P10) d_{end-to-end} = \frac{L}{R_1} + \frac{L}{R_2} + \frac{L}{R_3} + \frac{d_1}{s_1} + \frac{d_2}{s_3} + \frac{d_3}{s_3} + d_{proc} + d_{proto}$$

$$d_{end-to-end} = \frac{1500 \times 8}{2.5 \times 10^6} \times 3 + \frac{5000 \times 10^3}{2.5 \times 10^8} + \frac{4000 \times 10^3}{2.5 \times 10^8} + \frac{1000 \times 10^3}{2.5 \times 10^8} + 3ms \times 2$$

$$\Rightarrow 0.0144 + 8.04 + 0.006 = 0.06045 \\ = 60.4 \text{ ms}$$

$$P15) \text{ Total delay} = \frac{\frac{L}{R}}{1-I} = \frac{\frac{L}{R}}{1-\frac{\alpha L}{R}} = \frac{\frac{1}{\mu}}{1-\frac{\alpha}{\mu}} = \frac{1}{\mu-\alpha}$$

(3)

$$P16) \quad N = 100 + 1 = 101$$

$$N = ad \Rightarrow 101 = a \times \left(20 \text{ ms} + \frac{1}{100} \right)$$

$$a = 3366.67 \text{ packets/sec.}$$

$$P23) \text{ (a)} \quad \frac{L}{R_s}$$

(b) If bottlenecked, second packet arrives before second link finishes transmission of first packet.

$$\therefore \frac{L}{R_s} \times 2 + d_{\text{prop}} < \frac{L}{R_s} + d_{\text{prop}} + \frac{L}{R_c}$$

T seconds later we have; time must be greater:

$$\frac{L}{R_s} \times 2 + d_{\text{prop}} + T \geq \frac{L}{R_s} + d_{\text{prop}} + \frac{L}{R_c}$$

$$\therefore T \geq \frac{L}{R_c} - \frac{L}{R_s}$$

$$\Rightarrow T \text{ minimum value is } \frac{L}{R_c} - \frac{L}{R_s}.$$

(4)

$$P25)(a) R \cdot d_{prop} = 5 \times 10^6 \times \frac{20000 \times 10^3}{2.5 \times 10^8}$$

$$= 400000 \text{ bits}$$

~~(5)~~ $\frac{5 \times 10^6}{800,000} = 6.25 \text{ bits}$

~~(b) 400000 bits~~

(c) Maximum number of bits in a link.

~~(d) width = $\frac{20000 \times 10^3}{400000} = 50 \text{ m}$~~

$$(e) \text{ width} = \frac{\frac{MT}{S}}{R \cdot \frac{MT}{S}} = \frac{S}{R}$$

$$P29)(a) \text{ Distance} = 36000 \text{ km}$$

$$d_{prop} = \frac{36000 \times 10^3}{2.9 \times 10^8} = 0.15 \text{ s} = 150 \text{ ms}$$

~~(b) $R \cdot d_{prop} = 10 \times 10^6 \times 0.15 = 1500000 \text{ bits}$~~

~~(c) $10^7 \times 60 = 600,000,000 \text{ bits}$~~

(5)

P31)

(a) Source to first switch time = $\frac{10^6}{5 \times 10^6} = \frac{1}{5} = 0.2 \text{ sec}$

- For store-forward switching \Rightarrow

total time = ~~0.2 + 0.2 + 0.2~~ $0.2 \times 3 = 0.6 \text{ s}$

(b)

time 1st packet from source host to first switch

$$= \frac{10000}{5 \times 10^6} = \frac{1}{500} = 2 \text{ ms}$$

Time second packet fully received = $2 \times 2 \text{ ms}$
 $= 4 \text{ ms}$

(c) Time for first packet at dest host = $2 \text{ ms} \times 3$
 $= 6 \text{ ms}$

$\therefore 100^{\text{th}}$ packet received at = $6 \text{ ms} + 99 \times 2 \text{ ms}$
 $= 204 \text{ ms} = \cancel{2.04 \text{ s}} \\ 0.204 \text{ s}$

It can be seen store-forward switching is much ~~faster~~^{slower} at 0.6s vs ~~2.04s~~^{0.204s} for message segmentation.

(b)

(d)(i) W/out message segmentation, if bits errors are not tolerated, if there is a single bit error whole message has to retransmitted.

(ii) Huge packets need to be accommodated by routers, and suffer unfair delays.

(e)(i) Packets have to be put in sequence

(ii) Total number of bytes is more for message segmentation ~~since~~ since header size is constant.