PERFORMANCE METRICS

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Overview

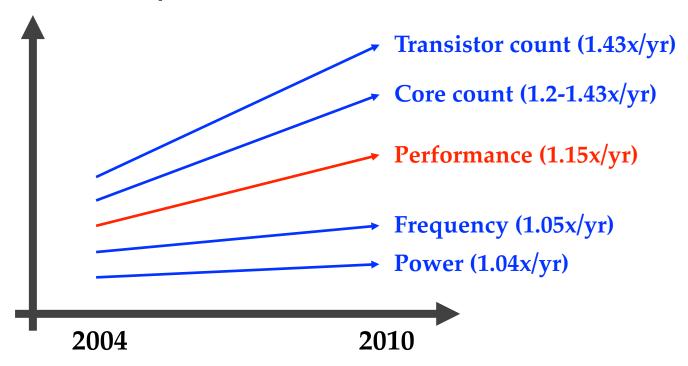
- Announcement
 - Jan. 17th: Homework 1 release (due on Jan. 30th)
- □ This lecture
 - Technology trends
 - Measuring performance
 - Principles of computer design
 - Power and energy
 - Cost and reliability

Technology Trends (Historical Data)

- IC logic Technology: on-chip transistor count doubles every 18-24 months (Moore's Law)
 - Transistor density increases by 35% per year
 - Die size increases 10-20% per year
- □ DRAM Technology
 - □ Chip capacity increases 25-40% per year
- □ Flash Storage
 - □ Chip capacity increases 50-60% per year

Technology Trends (Historical Data)

Recent Microprocessor Trends



Source: Micron University Symposium

Performance Trends

- □ How to measure performance?
 - Latency or response time: the time between start and completion of an event (e.g., milliseconds for disk access)
 - Bandwidth or throughput: the total amount of work done in a given time (e.g., megabytes per second for disk transfer)
- □ Which one grows faster?
 - Bandwidth, by at least the square of latency improvement rate.
- Which one is better? latency or throughput?

Measuring Performance

Which one is better (faster)?

Car

- Delay=10m
- Capacity=4p
- Throughput=0.4PPM

Bus

- Delay=30m
- Capacity=30p
- Throughput=1PPM

It really depends on your needs (goals).

Measuring Performance

- □ What program to use for measuring performance?
- □ Benchmarks Suites
 - A set of representative programs that are likely relevant to the user
 - Examples:
 - SPEC CPU 2006: CPU-oriented programs (for desktops)
 - SPECweb: throughput-oriented (for servers)
 - EEMBC: embedded processors/workloads

Summarizing Performance Numbers

 How to capture the behavior of multiple programs with a single number

| | Comp-A | Comp-B | Comp-C |
|--------|--------|--------|--------|
| Prog-1 | 10 | 5 | 25 |
| Prog-2 | 5 | 10 | 20 |
| Prog-3 | 25 | 10 | 25 |

AM: Arithmetic Mean (good for times and latencies)

$$\frac{1}{n}\sum_{i=1}^{n}x_{i}$$

Summarizing Performance Numbers

 How to capture the behavior of multiple programs with a single number

| | Comp-A | Comp-B | Comp-C |
|--------|--------|--------|--------|
| Prog-1 | 1/10 | 1/5 | 1/25 |
| Prog-2 | 1/5 | 1/10 | 1/20 |
| Prog-3 | 1/25 | 1/10 | 1/25 |

HM: Harmonic Mean (good for rates and throughput)

$$\frac{n}{\sum_{i=1}^{n} \frac{1}{x_i}}$$

Summarizing Performance Numbers

 How to capture the behavior of multiple programs with a single number

| | Comp-A | Comp-B | Comp-C |
|--------|--------|--------|--------|
| Prog-1 | 10/10 | 10/5 | 10/25 |
| Prog-2 | 5/5 | 5/10 | 5/20 |
| Prog-3 | 25/25 | 25/10 | 25/25 |

GM: Geometric Mean (good for speedups)

$$\left(\prod_{i=1}^n x_i\right)^{1/n}$$

The Processor Performance

- \Box Clock cycle time (CT = 1/clock frequency)
 - Influenced by technology and pipeline
- □ Cycles per instruction (CPI)
 - Influenced by architecture
 - IPC may be used instead (IPC = 1/CPI)
- □ Instruction count (IC)
 - Influenced by ISA and compiler
- \Box CPU time = IC x CPI x CT

 Find the average CPI of a load/store machine when running an application that results in the following statistics

| Instruction Type | Frequency | Cycles |
|------------------|-----------|--------|
| Load | 20% | 2 |
| Store | 20% | 2 |
| Branch | 20% | 2 |
| ALU | 40% | 1 |

$$CPI = 0.2x2 + 0.2x2 + 0.2x2 + 0.4x1 = 1.6$$

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\$ 50% of the branches can be combined with ALU instructions and executed as Branch-ALU fused in 2 cycles. What is the new average CPI?

 Find the average CPI of a load/store machine when running an application that results in the following statistics

| Instruction Type | Frequency | Cycles |
|------------------|-----------|--------|
| Load | 22% | 2 |
| Store | 22% | 2 |
| Branch | 11% | 2 |
| ALU | 33% | 1 |
| Branch-ALU | 12% | 2 |

* 80% of the branches can be combined with ALU instructions and executed as Branch-ALU fused in 2 cycles. What is the new average CPI? CPI = 1.67

The Processor Performance

- □ Points to note
 - Performance = 1 / execution time
 - \square AM(IPCs) = 1 / HM(CPIs)
 - \square GM(IPCs) = 1 / GM(CPIs)

$$\frac{1}{n} \sum_{i=1}^{n} x_i$$

$$\frac{n}{\sum_{i=1}^{n} \frac{1}{x_i}}$$

$$\left(\prod_{i=1}^n x_i\right)^{1/n}$$

Speedup vs. Percentage

- □ Speedup = old execution time / new execution time
- Improvement = (new performance old performance)/old performance
- My old and new computers run a particular program in 80 and 60 seconds; compute the followings
 - \square speedup = 80/60
 - percentage increase in performance = 33%
 - reduction in execution time = 20/80 = 25%

A new computer has an IPC that is 20% worse than the old one. However, it has a clock speed that is 30% higher than the old one. If running the same binaries on both machines. What speedup is the new computer providing? Speedup = 1/0.96 = 1.04

| | OLD | NEW |
|-----------|-----|--------------|
| IPC | 1 | 0.8 |
| Frequency | 1 | 1.3 |
| IC | 1 | 1 |
| CPI | 1/1 | 1/0.8 = 1.25 |
| СТ | 1/1 | 1/1.3 ~ 0.77 |
| CPU Time | 1 | ~0.96 |

Principles of Computer Design

- Designing better computer systems requires better utilization of resources
 - Parallelism
 - Multiple units for executing partial or complete tasks
 - Principle of locality (temporal and spatial)
 - Reuse data and functional units
 - Common Case
 - Use additional resources to improve the common case

Amdahl's Law

The law of diminishing returns

$$\begin{aligned} &\text{Execution time}_{\text{new}} = \text{Execution time}_{\text{old}} \times \left((1 - \text{Fraction}_{\text{enhanced}}) + \frac{\text{Fraction}_{\text{enhanced}}}{\text{Speedup}_{\text{enhanced}}} \right) \\ &\text{Speedup}_{\text{overall}} = \frac{\text{Execution time}_{\text{old}}}{\text{Execution time}_{\text{new}}} = \frac{1}{(1 - \text{Fraction}_{\text{enhanced}}) + \frac{\text{Fraction}_{\text{enhanced}}}{\text{Speedup}_{\text{enhanced}}}} \end{aligned}$$

Our new processor is 10x faster on computation than the original processor. Assuming that the original processor is busy with computation 40% of the time and is waiting for IO 60% of the time, what is the overall speedup?

f=0.4 s=10
Speedup = 1 /
$$(0.6 + 0.4/10) = 1/0.64 = 1.5625$$

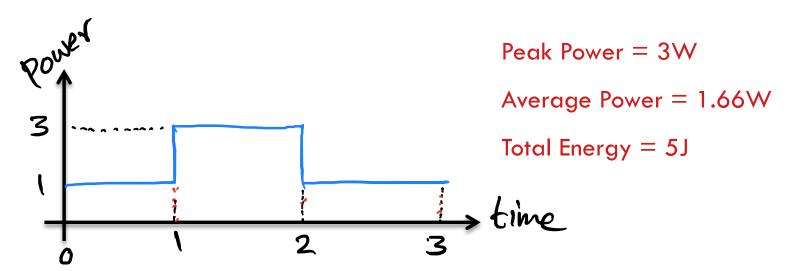
Power and Energy

Power and Energy

- \square Power = Voltage x Current (P = VI)
 - Instantaneous rate of energy transfer (Watt)
- \Box Energy = Power x Time (E = PT)
 - The cost of performing a task (Joule)

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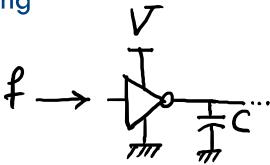


CPU Power and Energy

- All consumed energy is converted to heat
 - CPU power is the rate of heat generation
 - Excessive peak power may result in burning the chip
- Static and dynamic energy components
 - Energy = $(Power_{Static} + Power_{Dynamic}) \times Time$
 - Power_{Static} = Voltage x Current_{Static}
 - Power_{Dynamic} = Activity x Capacitance x Voltage² x Frequency

Power Reduction Techniques

- □ Reducing capacitance (C)
 - Requires changes to physical layout and technology
- Reducing voltage (V)
 - Negative effect on frequency
 - Opportunistically power gating (wakeup time)
 - Dynamic voltage and frequency scaling
- □ Reducing frequency (f)
 - Negative effect on CPU time
 - Clock gating in unused resources
- Points to note
 - Utilization directly effects dynamic power
 - Lowering power does NOT mean lowering energy



□ For a processor running at 100% utilization and consuming 60W, 30% of the power is attributed to leakage. What is the total power dissipation when the processor is running at 50% utilization?

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- @100%
 - \blacksquare Power = 18W + 42W = 60W

- **©50%**
 - \square Power = 18W + 21W = 39W

A processor consumes 80W of dynamic power and 20W of static power at 3GHz. It completes a program in 20 seconds. What is the energy consumption if frequency scales down by 20%?

- A processor consumes 80W of dynamic power and 20W of static power at 3GHz. It completes a program in 20 seconds. What is the energy consumption if frequency scales down by 20%?
- □ @3GHz
 - Energy = $(80W + 20W) \times 20s = 2000J$

- □ @2.4GHz
 - Energy = $(0.8x80W + 20W) \times 20/0.8 = 2100J$

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- What is the energy consumption if voltage and frequency scale down by 20%?

- □ @ 80%V and 80%f
 - Energy = $(80 \times 0.8^2 \times 0.8 + 20 \times 0.8) \times 20/0.8 = 1424$ J

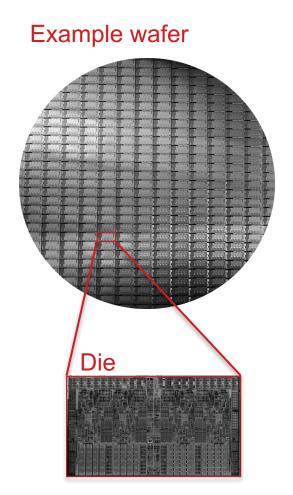
Cost and Reliability

Cost of Integrated Circuit

- □ Cost of die
 - $\blacksquare \frac{wafer\ cost}{dies\ per\ wafer \times die\ yield}$

- ☐ Yield of die

- □ N: process-complexity factor
 - Specified by chip manufacturer



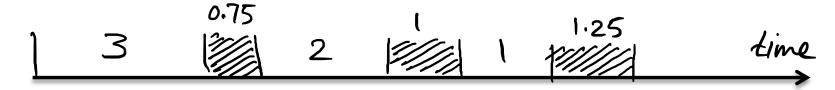
□ Defect rate for a 144mm² die is 0.5 per cm².
Assuming that we use a 40nm technology node
(N=11) with 100% wafer yield, find the die yield.

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 \square Die yield = $1/(1 + 0.5 \times 1.44)^{11}$

Dependability

- A measure of system's reliability and availability
- System reliability
 - A measure of continuous service (time-to-failure)
 - Mean Time To Failure (MTTF)
 - Mean Time To Repair (MTTR)



System availability

Dependability

- □ A measure of system's reliability and availability
- System reliability
 - A measure of continuous service (time-to-failure)
 - Mean Time To Failure (MTTF) = (3+2+1)/3 = 2
 - Mean Time To Repair (MTTR) = (0.75+1+1.25)/3 = 1

System availability

$$\frac{\text{MTTF}}{\text{MTTF} + \text{MTTR}} = 2/(2+1) = 0.67$$