Started on	Friday, 3 November 2023, 10:36 PM
State	Finished

Completed on Friday, 3 November 2023, 10:40 PM

**Time taken** 4 mins 17 secs

**Grade 10.00** out of 10.00 (**100**%)

Question **1** 

Correct

Mark 1.00 out of 1.00

Channel equalization refers to

## Select one:

- Making all the channel gains equal
- Removing the effect of ISI
- Making all the transmit powers equal
- Making the channels of different users equal

Your answer is correct.

The correct answer is: Removing the effect of ISI

Question **2** 

Correct

Mark 1.00 out of 1.00

▼ Flag question

Consider an Inter Symbol Interference channel  $y(k) = x(k) + \frac{1}{3}x(k-1) + v(k)$ . Let an r=2 tap channel equalizer be designed for this scenario based on symbols y(k), y(k+1) to detect x(k). Let the equalizer vector be denoted by  $\bar{\mathbf{c}}$ . The least squares problem for estimation of  $\bar{\mathbf{c}}$  is,

Select one:

Your answer is correct.

Question **3** 

Correct

Mark 1.00 out of 1.00

Consider an Inter Symbol Interference channel  $y(k) = x(k) + \frac{1}{3}x(k-1) + v(k)$ . Let an r=2 tap channel equalizer be designed for this scenario based on symbols y(k), y(k+1) to detect x(k). Let the equalizer vector be denoted by  $\bar{\mathbf{c}}$ . The zero-forcing (ZF) equalizer vector  $\bar{\mathbf{c}}$  is,

Select one:

- $\frac{3}{89}\begin{bmatrix} 1\\63 \end{bmatrix}$
- $\bigcirc \frac{9}{91} \begin{bmatrix} 1\\27 \end{bmatrix}$
- $= \frac{6}{91} \begin{bmatrix} 1 \\ 81 \end{bmatrix}$

Your answer is correct.

The correct answer is:  $\frac{3}{91} \begin{bmatrix} 1\\27 \end{bmatrix}$ 

Question 4

Correct

Mark 1.00 out of 1.00

▼ Flag question

Consider an Inter Symbol Interference channel y(k) = h(0)x(k) + h(1)x(k-1) + v(k). Let an r = 2 tap channel equalizer be designed for this scenario based on symbols y(k), y(k+1) to detect x(k). Let the equalizer vector be denoted by  $\mathbf{c}$  and the effective channel matrix by  $\mathbf{H}$ . The matrix  $\mathbf{H}$  for this scenario is

Select one:

- $\begin{bmatrix} h(0) & h(1) \\ h(1) & h(0) \end{bmatrix}$
- $\begin{bmatrix} h(1) & h(0) & 0 \\ 0 & h(1) & h(0) \end{bmatrix}$
- $\begin{bmatrix}
  h(0) & h(1) & 0 \\
  0 & h(0) & h(1)
  \end{bmatrix}
  \checkmark$
- $\begin{bmatrix} h(0) & h(1) \\ h(0) & h(1) \end{bmatrix}$

Your answer is correct.

The correct answer is:  $\begin{bmatrix} h(0) & h(1) & 0 \\ 0 & h(0) & h(1) \end{bmatrix}$ 

Question **5** 

Correct

Mark 1.00 out of 1.00

Consider an Inter Symbol Interference channel y(k) = h(0)x(k) + h(1)x(k-1) + v(k). Let an r=2 tap channel equalizer be designed for this scenario based on symbols y(k), y(k+1) to detect x(k). Let the equalizer vector be denoted by  $\bar{\mathbf{c}}$  and the effective channel matrix by  $\mathbf{H}$ . The least squares problem for estimation of  $\bar{\mathbf{c}}$  is,

Select one:

$$\bigcirc \quad \left\| \begin{bmatrix} 0 \\ 1 \end{bmatrix} - H \bar{c} \right\|^2$$

$$\qquad \left\| \begin{bmatrix} 0 \\ 1 \end{bmatrix} - \begin{bmatrix} h(0) & h(1) \\ h(0) & h(1) \end{bmatrix} \bar{\mathbf{c}} \right\|^2$$

Your answer is correct.

Question **6** 

Correct

Mark 1.00 out of 1.00

Consider an Inter Symbol Interference channel y(k) = h(0)x(k) + h(1)x(k-1) + v(k). Let an r=2 tap channel equalizer be designed for this scenario based on symbols y(k), y(k+1) to detect x(k). Let the equalizer vector be denoted by  $\bar{\mathbf{c}}$  and the effective channel matrix by  $\mathbf{H}$ . The zero-forcing (ZF) equalizer vector  $\bar{\mathbf{c}}$  is,

Select one:

$$(\mathbf{H}^T\mathbf{H})^{-1}\mathbf{H}^T \begin{bmatrix} 0 \\ 1 \\ 0 \end{bmatrix}$$

$$(\mathbf{H}^T\mathbf{H})^{-1}\mathbf{H}^T \begin{bmatrix} 0 \\ 0 \\ 1 \end{bmatrix}$$

$$\qquad \mathbf{H}^T(\mathbf{H}\mathbf{H}^T)^{-1} \begin{bmatrix} 0 \\ 1 \\ 0 \end{bmatrix}$$

Your answer is correct.

The correct answer is: 
$$(\mathbf{H}\mathbf{H}^T)^{-1}\mathbf{H}\begin{bmatrix}0\\1\\0\end{bmatrix}$$

Question 7

Correct

Mark 1.00 out of 1.00

♥ Flag question

Consider an Inter Symbol Interference channel $y(k) = h(0)x(k) + h(1)x(k-1) + v(k)$ . Let an $r = 2$ tap channel equalizer be designed for this scenario based on symbols $y(k)$ , $y(k+1)$ to detect $x(k)$ . Let the effective channel matrix for this scenario be denoted by <b>H</b> . The projection matrix $P_H$ of $H^T$ is,
Select one:
$\bigcirc$ (H <sup>T</sup> H) <sup>-1</sup>
$\mathbf{H}(\mathbf{H}^T\mathbf{H})^{-1}\mathbf{H}^T$
Your answer is correct.
The correct answer is: $\mathbf{H}^T(\mathbf{H}\mathbf{H}^T)^{-1}\mathbf{H}$
Question <b>8</b>
Correct
Mark 1.00 out of 1.00
▼ Flag question
Which of the following standards is not based on Orthogonal Frequency Division Multiplexing (OFDM)
Select one:
O 802.11n
WCDMA   ✓
○ LTE
○ WiMAX
Your answer is correct.
The correct answer is: WCDMA
Question <b>9</b>
Correct
Mark 1.00 out of 1.00
▼ Flag question
ISI in a wireless system results when
Select one:
Symbol duration is very large
<ul> <li>Velocity of the mobile is large</li> </ul>
Velocity of the mobile is small
Symbol duration is very small ✓
Your answer is correct.
The correct answer is: Symbol duration is very small

Question 10
Correct
Mark 1.00 out of 1.00
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In an OFDM system, after addition of the cyclic prefix, which of the following statements is true

## Select one:

- The output time-domain samples are a circular convolution between the channel filter and the time-domain transmit samples obtained after IFFT
- The output symbols across the subcarriers are a linear convolution between the channel filter and the time-domain transmit samples obtained after IFFT
- The output symbols across the subcarriers are a circular convolution between the channel filter and the transmit symbols loaded on the subcarriers
- The output time-domain samples are a multiplication of the FFT coefficients of the channel filter and the time-domain transmit samples obtained after IFFT

## Your answer is correct.

The correct answer is: The output time-domain samples are a circular convolution between the channel filter and the time-domain transmit samples obtained after IFFT

Save the state of the flags

Finish review