

EE 584: Machine Vision

2015-2016 Term Project

StereoSnakes: Contour Based Consistent Object Extraction For
Stereo Images



Bora Baydar

Volkan Okbay



ORTA DOĞU TEKNİK ÜNİVERSİTESİ
MIDDLE EAST TECHNICAL UNIVERSITY

Article Information

StereoSnakes: Contour Based Consistent Object Extraction For Stereo Images

Ran Ju, Tongwei Ren, Gangshan Wu

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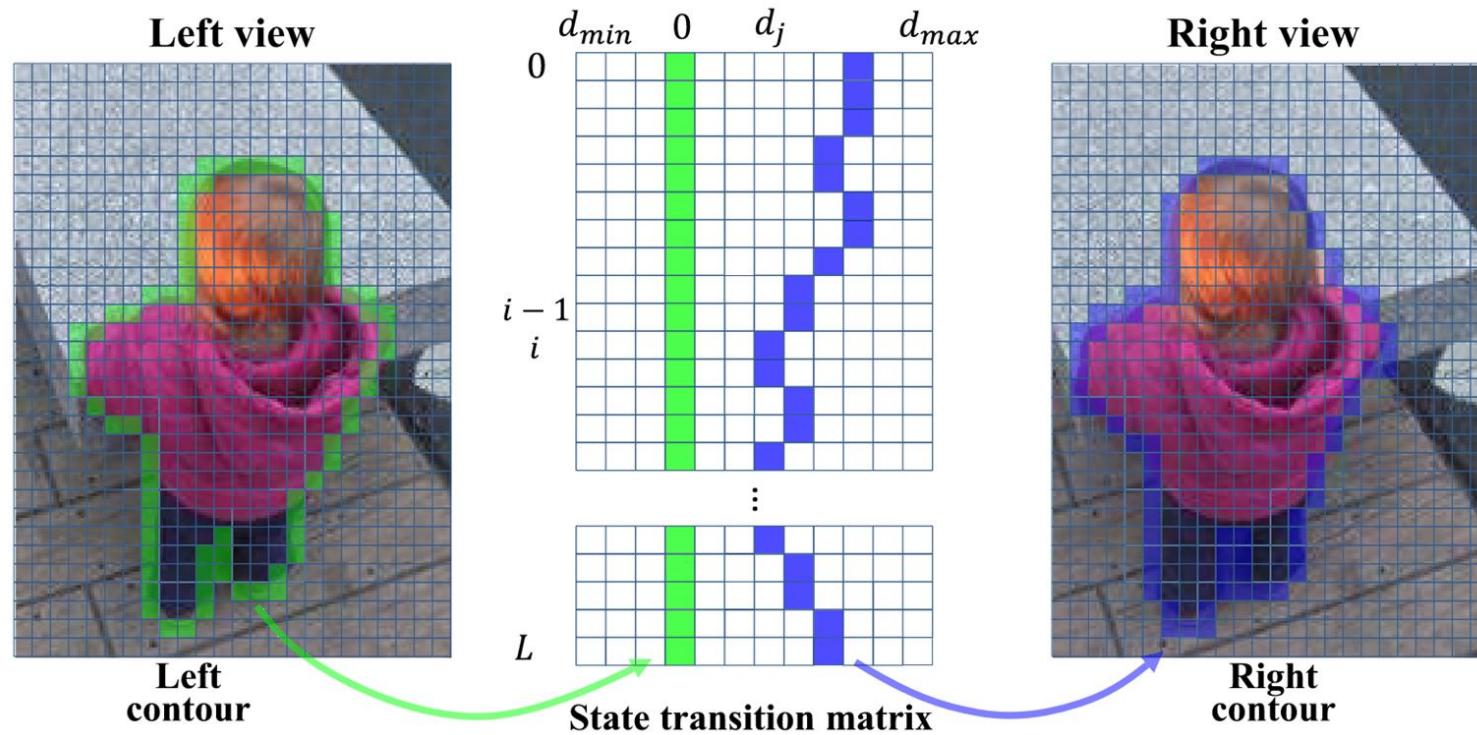
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Introduction

- Problem and Solution

- Applications



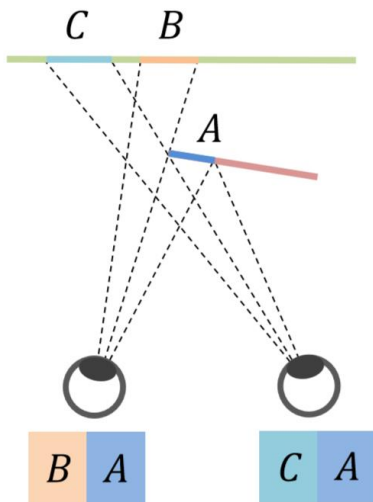
Main Energy Equation

- Left / right image -> segmentation -> mask -> contour !
- Snake energy equation

$$E(d) = \sum_{p_i \in \mathcal{C}_m} C_S(p_i, p_i - d(p_i)) \\ + \lambda_o C_O(p_i, p_i - d(p_i)) + \lambda_s N(p_i, p_{i-1})$$

Stereo Correspondence Cost (Cs)

.Background Occlusion



$$C_{AD}(p_i, p_j) = \sum_{h=\{R,G,B\}} |c_h(p_i) - c_h(p_j)|$$

$$C_S(p_i, p_j) = \sum_{p_x \in \Phi(p_i) \wedge K(p_x)=1} C_{AD}(p_x, p_y)$$



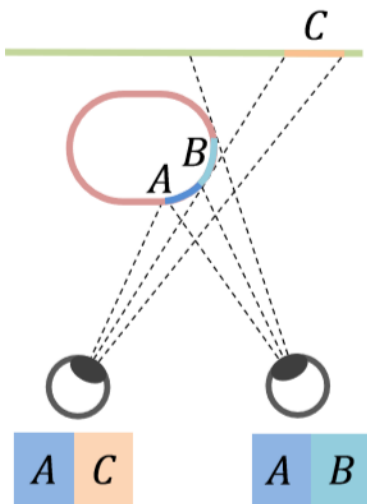






Object Boundary Cost (Co)

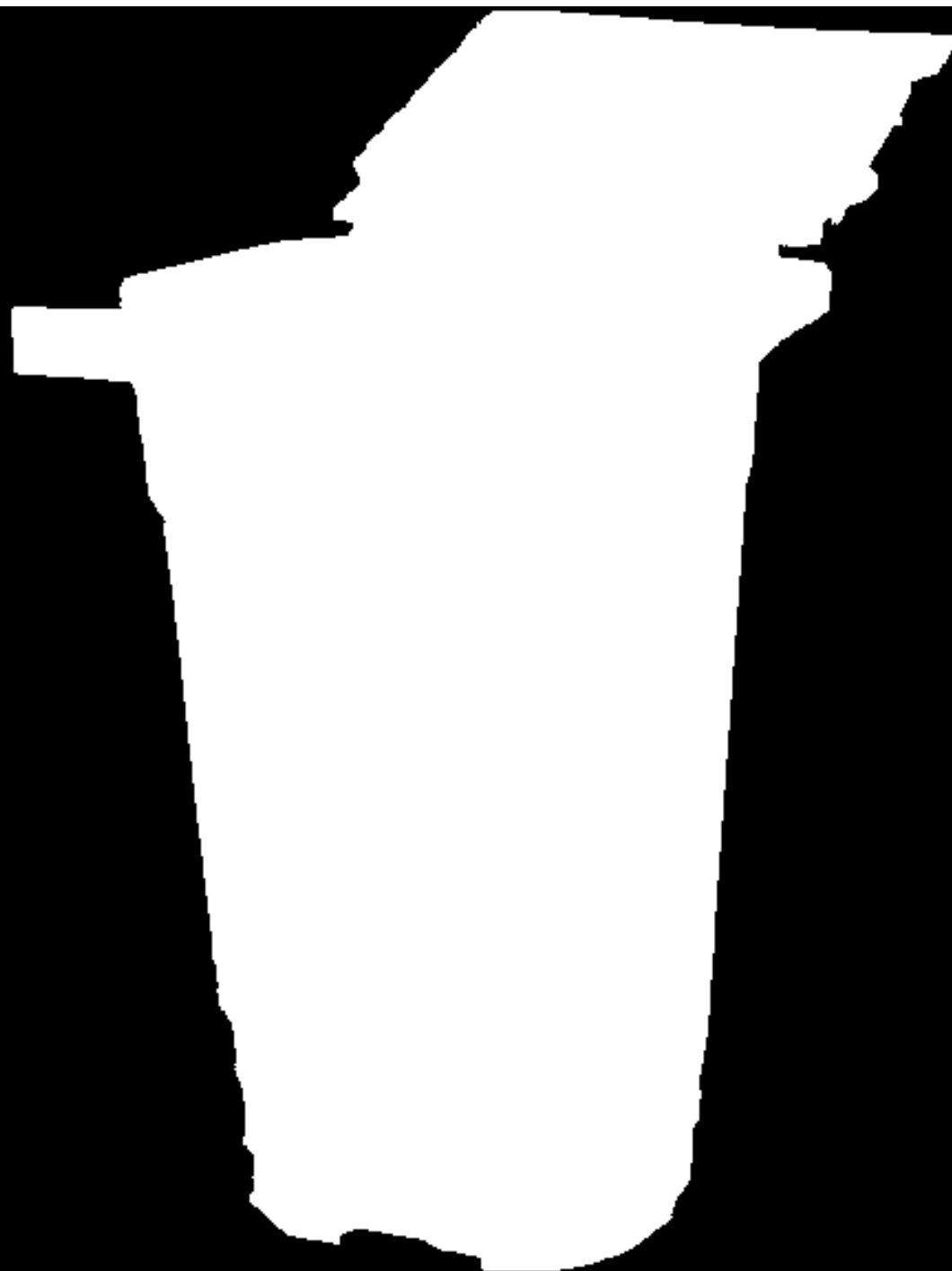
.Self-Occlusion



$$C_O(p_i, p_j) = \sum_{p_x \in \Phi(p_i)} |Pr(O|p_y) - K(p_x)|$$

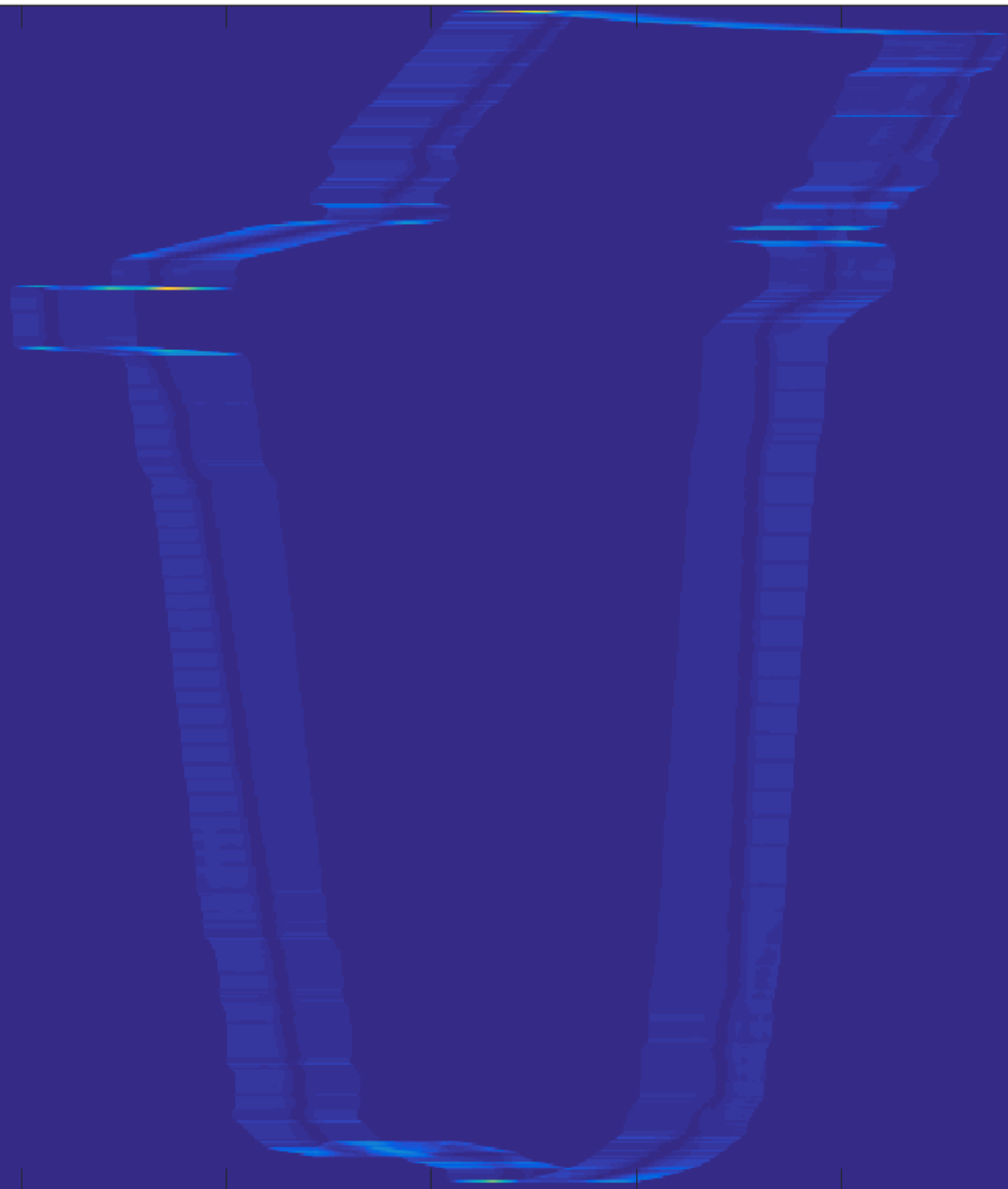
$$Pr(O|p_y) = \frac{H_O(c(p_y))}{H_O(c(p_y)) + H_B(c(p_y))}$$













Dynamic Optimization (N)

$$N(p_i, p_{i-1}) = \begin{cases} C_p, & \text{if } |d(p_i) - d(p_{i-1})| \leq \tau_d \\ \infty, & \text{otherwise} \end{cases}$$

.State Function

$$E_{stf}(i, j) = \begin{cases} E(p_i, d_j), & i = 1 \\ E(p_i, d_j) + \min_{t \in [j - \tau_d, j + \tau_d]} E_{stf}(i - 1, t), & \text{otherwise} \end{cases}$$

Algorithm Overview

•Complexity $O(LD)$

•Selection of contour start point matters

•This simple pseudo-code assumes $\tau = 1$.

Algorithm 1 Contour Correspondence

Input: $C = \{p_1, p_2, \dots, p_L\}$

Output: $C' = \{p_1', p_2', \dots, p_L'\}$

```
1: // State transition matrix calculation
2: for each cell  $(i, j)$  in  $M_{L \times D}$  do
3:    $M_{i,j} = E(p_i, d_j)$ 
4: end for
5: for  $i = 2$  to  $L$  do
6:   for  $j = 1$  to  $D$  do
7:      $M_{i,j} = \min(M_{i-1,j-1} + \lambda_s, M_{i-1,j},$ 
8:                   $M_{i-1,j+1} + \lambda_s) + M_{i,j}$ 
9:   end for
10: end for
11: // Minimum energy path traceback
12:  $d_L = \text{index}(\min(M_{L,1}, M_{L,2}, \dots, M_{L,D}))$ 
13:  $p_L' = p_L - d_L$ 
14: for  $i = L - 1$  to  $1$  do
15:    $d_i = \text{index}(\min(M_{i,d_{i+1}-1}, M_{i,d_{i+1}}, M_{i,d_{i+1}+1}))$ 
16:    $p_i' = p_i - d_i$ 
17: end for
```

Results

Left Stereo Image of a bin



Results

Estimated Right Stereo Contour with $\tau_d = 1$, $\lambda_o = 0.6$, $\lambda_s = 30$, $d = 10:70$



Results-2

Left Stereo Image of a bag



Results-2

Estimated Right Stereo Contour with $\tau_d = 1, \lambda_o = 0.6, \lambda_s = 30, d = 10:70$



Results-3

Left Stereo Image of a child



Estimated Right Stereo Contour with $\tau_d = 2, \lambda_o = 1, \lambda_s = 30, d = 10:70$



Results-4

Left Stereo Image of a shelf



Results-4

Estimated Right Stereo Contour with $\tau_d = 1, \lambda_o = 0.6, \lambda_s = 30, d = 150:200$



Results-5

Right Stereo Image of a lionstatue



Results-5

$d = -70:-10$

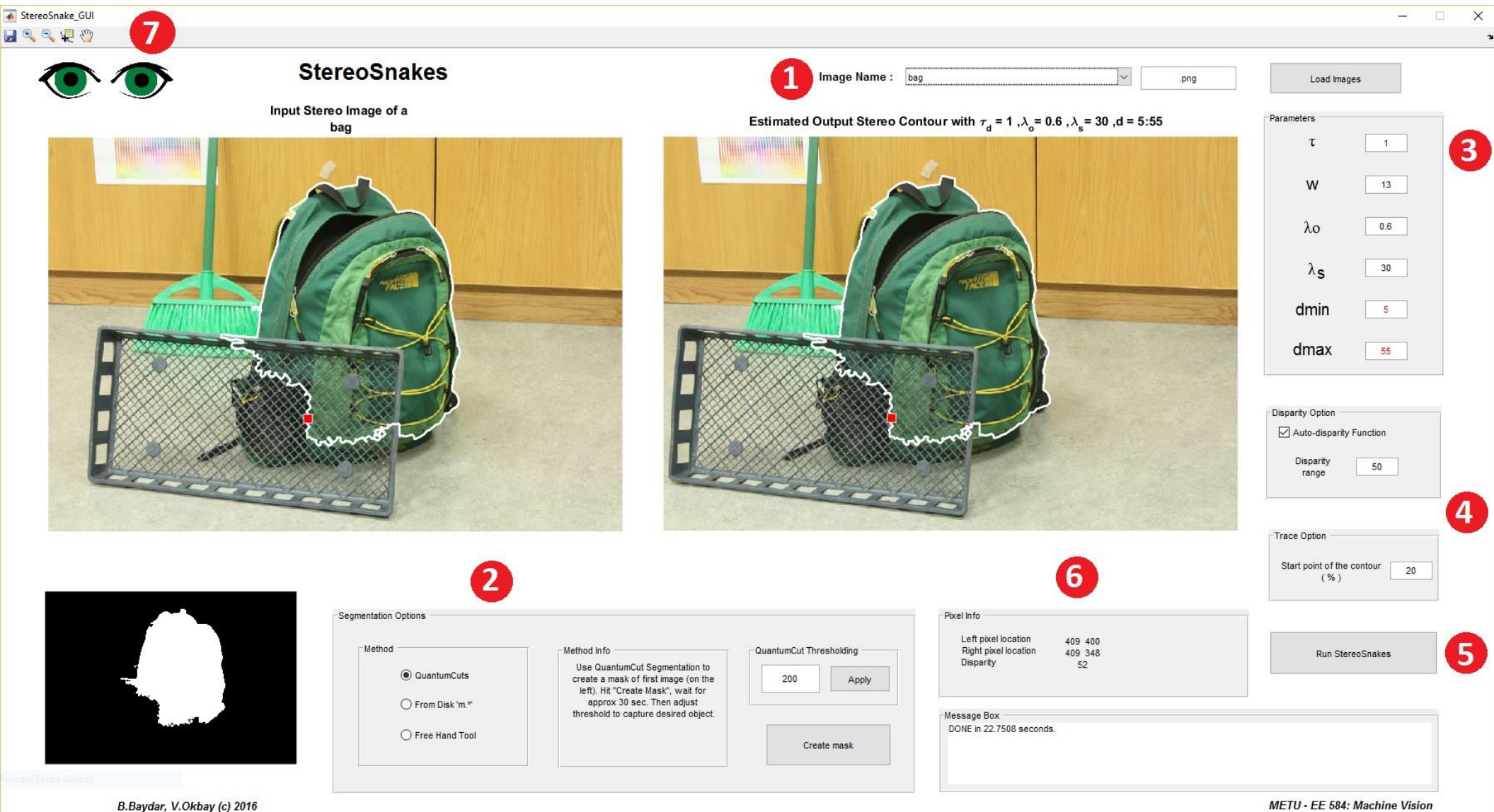
Estimated Left Stereo Contour with $\tau_d = 1, \lambda_o = 0.6, \lambda_s = 30, d = -70:-10$



Future Work

- How choose first point of the contour ?
- How to estimate d_{min} and d_{max} ?
- *Spatial dependent disparity range*: usually left half of the input object contour has more displacement (switching from left stereo to right stereo).

GUI



Thank you for your attention ...

