

ECON 717A: Problem Set 1

Alex von Hafften

February 11, 2022

1 Write-Up

Problem 1 - Dropping Miss Values

I drop observations with missing values for `HH_Income` as well as observations with indicators `miss_Client_Age`, `miss_Client_Married`, and `miss_Client_Education` equaling one. This filtering drops 65 observations.

Problem 2 - LPM

I estimate a linear probability model with homoskedastic standard errors of `taken_new` on `Client_Age`, `Client_Married`, `Client_Education`, `HH_Size`, `HH_Income`, `muslim`, `Hindu_SC_Kat`, and `Treated`.

VARIABLES	(1) taken_new
Client_Age	-2.83e-05 (0.00216)
Client_Married	0.0117 (0.0529)
Client_Education	-0.00369 (0.00412)
HH_Size	-0.0113 (0.00931)
HH_Income	3.14e-06 (3.68e-06)
muslim	-0.00756 (0.0367)
Hindu_SC_Kat	-0.0275 (0.0526)
Treated	0.0426 (0.0347)
Constant	0.199* (0.114)
Observations	532
R-squared	0.008
Standard errors in parentheses	
*** p<0.01, ** p<0.05, * p<0.1	

The difference between all coefficients and zero is statistically insignificant even at the 10 percent level; the constant is statistically significant at the 10 percent level. Consistent with the insignificant coefficients, the constant estimate is about 0.2, which roughly corresponds to the unconditional probability of taking up a new loan of about 17 percent.

Problem 3 - LPM with Robust SE

I estimated a linear probability model with comma robust standard errors of **taken_new** on the same set of covariates. In the first column, I report homoskedastic standard errors (exactly the same as the table in problem 1) and, in the second column, I report comma robust standard errors.

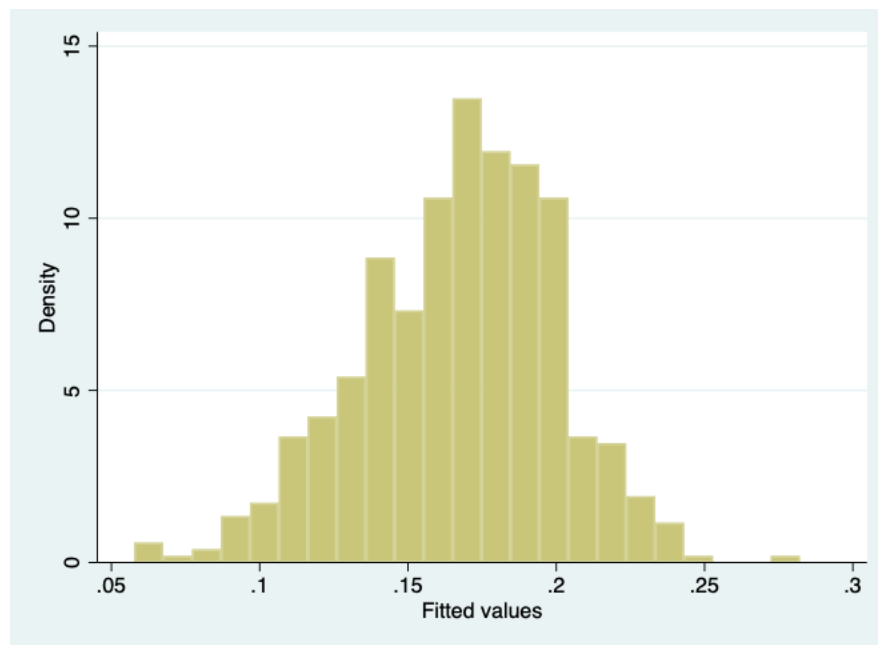
VARIABLES	(1) taken_new	(2) taken_new
Client_Age	-2.83e-05 (0.00216)	-2.83e-05 (0.00227)
Client_Married	0.0117 (0.0529)	0.0117 (0.0519)
Client_Education	-0.00369 (0.00412)	-0.00369 (0.00410)
HH_Size	-0.0113 (0.00931)	-0.0113 (0.00928)
HH_Income	3.14e-06 (3.68e-06)	3.14e-06 (3.71e-06)
muslim	-0.00756 (0.0367)	-0.00756 (0.0365)
Hindu_SC_Kat	-0.0275 (0.0526)	-0.0275 (0.0510)
Treated	0.0426 (0.0347)	0.0426 (0.0335)
Constant	0.199* (0.114)	0.199* (0.117)
Observations	532	532
R-squared	0.008	0.008
Comma Robust SEs	No	Yes

Standard errors in parentheses
 *** p<0.01, ** p<0.05, * p<0.1

Compared to the homoskedastic standard errors, the comma robust standard errors are larger only for **Client_Age**, **HH_Income**, and the constant. For all other covariates, the comma robust standard errors are smaller. Despite the smaller standard errors for these variables, the constant coefficient is still the only statistically significant coefficient (albeit at the 10 percent level).

Problem 4 - Predicted Probability

I predict the probabilities from the LPM and plot a histogram:



As seen in the histogram, all predicted probabilities are between zero and one.

Problem 5 - Weighted Least Squares

I tried running the baseline specification with using variance weighted least squares, but I get the following error: *no groups with sufficient observations*. I suspect this error occurs because we do not have enough observation to compute the by-group variances to weight observations. I am able to estimate a more parsimonious model using variance weighted least squares model by dropping religious/caste indicators, `muslim` and `Hindu_SC_Kat`, as well as `Client_Married` due to multicollinearity. Column (1) is the more parsimonious specification estimated using unweighted least squares and column (2) is that estimated using variance weighted least squares.

VARIABLES	(1) taken_new	(2) taken_new
Client_Age	-4.51e-05 (0.00224)	-0.000535 (0.0198)
Client_Education	-0.00325 (0.00400)	0.00214 (0.0184)
HH_Size	-0.0102 (0.00936)	0.00353 (0.0576)
Treated	0.0412 (0.0332)	-0.125 (0.373)
Constant	0.216** (0.107)	0.490 (0.877)
Observations	532	65
R-squared	0.006	
Weighted By	None	Variance

Robust standard errors in parentheses

*** p<0.01, ** p<0.05, * p<0.1

Coefficients in both regressions above are insignificant, which is consistent with the less parsimonious unweighted baseline linear probability estimates above. Without weighting, the coefficients on `Client_Education` and `HH_Size` are larger compared to their variance weighted counterparts while the other coefficients are smaller.

Problem 6 - Probit and Logit

In the table below, there are estimates for the LPM with comma robust SEs (column 1), probit (column 2), and logit (column 3).

VARIABLES	(1) taken_new	(2) taken_new	(3) taken_new
Client_Age	-2.83e-05 (0.00227)	0.000154 (0.00856)	-0.000382 (0.0157)
Client_Married	0.0117 (0.0519)	0.0495 (0.214)	0.0931 (0.388)
Client_Education	-0.00369 (0.00410)	-0.0146 (0.0166)	-0.0276 (0.0300)
HH_Size	-0.0113 (0.00928)	-0.0476 (0.0379)	-0.0854 (0.0694)
HH_Income	3.14e-06 (3.71e-06)	1.33e-05 (1.44e-05)	2.23e-05 (2.53e-05)
muslim	-0.00756 (0.0365)	-0.0326 (0.147)	-0.0533 (0.263)
Hindu_SC_Kat	-0.0275 (0.0510)	-0.110 (0.215)	-0.208 (0.395)
Treated	0.0426 (0.0335)	0.175 (0.142)	0.319 (0.259)
Constant	0.199* (0.117)	-0.853* (0.459)	-1.374 (0.835)
Observations	532	532	532
R-squared	0.008		
Model	LPM	Probit	Logit

Robust standard errors in parentheses

*** p<0.01, ** p<0.05, * p<0.1

The probit and the logit coefficients are not the same but they are similar, especially when comparing them to the LPM coefficients. These results make sense. The probit uses the standard normal cdf as its link function, the logit uses its logistic function as the link function, and the LPM uses $f(x) = x$ as its link function. The standard normal cdf and the logistic function are much closer to each other than they are to $f(x) = x$.

Problem 7 - Mean Partial Derivatives

I compute the mean partial derivative for `Client_Age` using six methods:

1. LPM coefficient.
2. `dprobit`
3. Analytically using a probit model. The mean partial derivative estimated as $\phi(x\beta')\beta_1$ where ϕ is the pdf of the standard normal.
4. Numerically using a probit model. Estimate the probit model and predict the probability: \hat{p}_i . Perturb `Client_Age` by $\varepsilon = 0.01$ and reestimate the probit model to predict the probability: \hat{p}_i^ε . Compute the partial derivative for each observations: $\frac{\hat{p}_i - \hat{p}_i^\varepsilon}{\varepsilon}$. Compute the average across observations.
5. `Margins` for probit.
6. `Margins` for logit.

Model	Approach	Mean Partial Derivative Estimate
LPM	-	-0.0000283
Probit	<code>dprobit</code>	0.0000382
Probit	Analytical	0.0000382
Probit	Numerical	0.0000000
Probit	<code>margins</code>	0.0000382
Logit	<code>margins</code>	-0.0000525

All the estimates are very close to zero, but some are positive and some are negative. The differences between the mean partial derivative estimates partially boil down to how noisy the estimate of the coefficients on `Client_Age` is. In every regression (LPM, probit, and logit), the coefficient is statistically indistinguishable from zero. Thus, the differences in the mean partial derivative estimates boil out to noise. For the probit-based estimates, all but the numerical estimates are the same. This must be due to `dprobit` and `margins` under the analytical derivative “under the hood.”

Problem 8 - LPM with Quartic Age

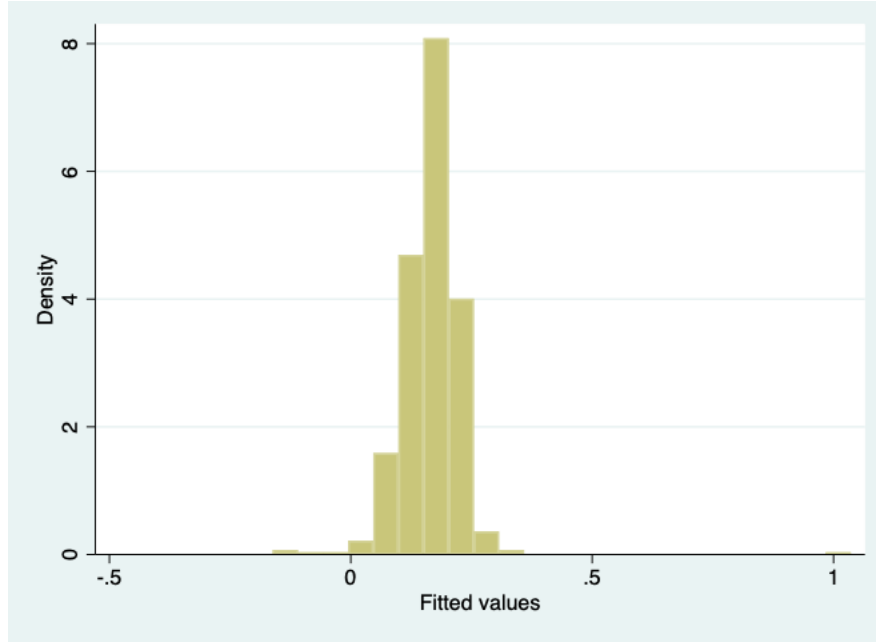
I add quadratic transformations of **Client_Age** to the regression. Column (1) is the baseline model and column (2) includes the additional terms.

VARIABLES	(1) taken_new	(2) taken_new
Client_Age		-0.493*** (0.168)
Client_Age_2		0.0199*** (0.00621)
Client_Age_3		-0.000336*** (9.68e-05)
Client_Age_4		2.01e-06*** (5.35e-07)
Client_Married	0.0117 (0.0518)	0.0152 (0.0552)
Client_Education	-0.00368 (0.00394)	-0.00315 (0.00411)
HH_Size	-0.0113 (0.00927)	-0.00889 (0.00924)
HH_Income	3.14e-06 (3.71e-06)	3.65e-06 (3.70e-06)
muslim	-0.00755 (0.0363)	-0.0128 (0.0361)
Hindu_SC_Kat	-0.0275 (0.0510)	-0.0333 (0.0507)
Treated	0.0426 (0.0335)	0.0465 (0.0334)
Constant	0.198** (0.0779)	4.518*** (1.605)
Observations	532	532
R-squared	0.008	0.031

Robust standard errors in parentheses

*** p<0.01, ** p<0.05, * p<0.1

By their statistical significance, it appears that it is important to include these higher-order polynomial transformations of **Client_Age**. I numerically computing the mean partial derivative with respect to **Client_Age** and get 2.32e-07. So yes, adding the quadratic terms “does better” in so much as the estimate is close to the probit model estimates. However, there are now six observations with predicted probabilities outside the unit interval (five less than zero and one greater than one).



Problem 9 - LRI

The log-likelihood of the baseline probit model is $\ln \hat{L} = -238.0747$ and the log-likelihood of a probit model with only a constant is $\ln L_0 = -240.2343$. Thus, the LRI is $LRI = 1 - \frac{\ln \hat{L}}{\ln L_0} = 0.0090$. This matches the Stata output for pseudo- R^2 . Since the LRI is low, this would suggest that the additional covariates do not explain more variation in outcome beyond what is captured by the constant.

Problem 10 - Correction Prediction Rates

First, I consider correct prediction rates based on a 50 percent cutoff. The idea behind the 50 percent cutoff is whether you're more likely to take out a loan than not. I get the following table:

	$\hat{p} < 0.5$	$\hat{p} > 0.5$
<code>taken_new = 1</code>	0.8327	0.0
<code>taken_new = 0</code>	0.1673	0.0

This table is due to having none of the predicted probabilities are over 50 percent. The correct prediction rate here is 0.41635 (i.e., 0.8327 times 50 percent). Second, I consider correct prediction rates based on a cutoff equal to unconditional probability of the outcome, 0.1673. The idea behind this cutoff is whether you're more likely than a randomly selected person from the sample to take out a loan. I get the following table:

	$\hat{p} < 0.1673$	$\hat{p} > 0.1673$
<code>taken_new = 1</code>	0.4267	0.4060
<code>taken_new = 0</code>	0.0602	0.1071

The correct prediction rate is now 0.2669 (i.e., 0.4267 times 50 percent plus 0.1071 times 50 percent).

Problem 11 - In-Sample vs. Out-of-Sample Correct Prediction Rates

My expectation is that in-sample correct prediction rates will be higher than out-of-sample correct prediction rates. First, based on a 50 percent cutoff, I get the following table for the estimation subsample:

	$\hat{p} < 0.5$	$\hat{p} > 0.5$
<code>taken_new = 1</code>	0.8383	0.0
<code>taken_new = 0</code>	0.1617	0.0

Thus, the correct prediction rate is 0.4191. I get the following table for the non-estimation subsample:

	$\hat{p} < 0.5$	$\hat{p} > 0.5$
<code>taken_new = 1</code>	0.8271	0.0
<code>taken_new = 0</code>	0.1729	0.0

Thus, the correct prediction rate is 0.4135. The higher correct prediction rate for the estimation sample has nothing to do with the accuracy of in-sample vs. out-of-sample prediction because all predicted values are less than 50 percent. The difference is only due to sample variation. Second, for a cutoff equal to unconditional probability of the outcome (0.1673), I get the following table for the estimation subsample:

	$\hat{p} < 0.1673$	$\hat{p} > 0.1673$
<code>taken_new = 1</code>	0.4812	0.3571
<code>taken_new = 0</code>	0.0827	0.0789

Thus, the correct prediction rate is 0.2801. I get the following table for the non-estimation subsample:

	$\hat{p} < 0.1673$	$\hat{p} > 0.1673$
<code>taken_new = 1</code>	0.4436	0.3835
<code>taken_new = 0</code>	0.1128	0.0602

Thus, the correct prediction rate is 0.2519. This difference may be a confirmation that the prediction rate in-sample is better than out-of-sample.

Problem 12 - Interaction Term

Below is the baseline probit model and the probit model with an interaction term for married and Muslim.

VARIABLES	(1) taken_new	(2) taken_new
Client_Age	0.000154 (0.00856)	0.000931 (0.00868)
Client_Married	0.0495 (0.214)	0.156 (0.281)
Client_Education	-0.0146 (0.0166)	-0.0154 (0.0167)
HH_Size	-0.0476 (0.0379)	-0.0502 (0.0381)
HH_Income	1.33e-05 (1.44e-05)	1.26e-05 (1.45e-05)
muslim	-0.0326 (0.147)	0.206 (0.421)
Hindu_SC_Kat	-0.110 (0.215)	-0.114 (0.215)
Treated	0.175 (0.142)	0.182 (0.142)
married_muslim		-0.271 (0.448)
Constant	-0.853* (0.459)	-0.959* (0.494)
Observations	532	532

Standard errors in parentheses
 *** p<0.01, ** p<0.05, * p<0.1

Problem 13 - Interaction Term Finite Differences

I compute the interaction effect both with and without the terms highlighted by Ai and Norton (2003). For the interaction effect without these terms, I use `margin` which automatically computes finite differences given a binary independent variable. The estimate of this interaction effect is -0.06719. To compute the interaction effect with the terms highlighted by Ai and Norton (2003), I compute the predicted index from the probit. Then I subtract the coefficient for each three dummies (married, Muslim, and married \times Muslim). This index, I_0 , corresponds to the predicted value conditional on being unmarried and not Muslim for all observations. Then I create a three variables based on this index: I_1 adds in the coefficient on married, I_2 adds in the coefficient on Muslim, and I_{12} adds in all three coefficients. Then the interaction affect for each observation is $\Phi(I_{12}) - \Phi(I_1) - \Phi(I_2) + \Phi(I_0)$. The average of these finite differences is -0.0657. So the Ai and Norton (2003) terms slightly attenuate the estimated interaction effect.

Problem 14 - Interaction Term Finite Differences Variance

I compute the variance of the finite differences for the interaction effect to be 0.00008. The small variance stems from all coefficient estimating being quite small.

Problem 15 - Heteroskedasticity Test

I compute the residuals from the baseline LPM, square them, and regress them on the usual covariates:

VARIABLES	(1) residuals_p_2
Client_Age	0.000168 (0.00142)
Client_Married	0.00774 (0.0348)
Client_Education	-0.00213 (0.00271)
HH_Size	-0.00786 (0.00612)
HH_Income	2.51e-06 (2.42e-06)
muslim	-0.00633 (0.0241)
Hindu_SC_Kat	-0.0168 (0.0346)
Treated	0.0282 (0.0228)
Constant	0.150** (0.0752)
Observations	532
R-squared	0.008
Standard errors in parentheses	
*** p<0.01, ** p<0.05, * p<0.1	

All coefficients are insignificant except for the constant. These results indicate that heteroskedasticity is not a concern.

Problem 16 - Probit with Heteroskedasticity

The probit model with heteroskedasticity of the error term as a function of `Client_Age` and `Client_Education` is below.

VARIABLES	(1) taken_new	(2) lnsigma
Client_Age	-0.112 (0.137)	0.0285 (0.0196)
Client_Married	0.129 (0.846)	
Client_Education	-0.311 (0.256)	0.0694 (0.0474)
HH_Size	-0.226 (0.197)	
HH_Income	6.93e-05 (7.23e-05)	
muslim	-0.179 (0.584)	
Hindu_SC_Kat	-0.344 (0.962)	
Treated	0.915 (0.787)	
Constant	1.715 (3.573)	
Observations	532	532
Standard errors in parentheses		
*** p<0.01, ** p<0.05, * p<0.1		

The critical value for the likelihood ratio test of `lnsigma=0` is 2.97 and it is distributed chi-squared with 2 degrees of freedom. The resulting p-value is 0.2267, so we fail to reject the null of homoskedasticity. This result confirms the finding in problem 15 of a lack of heteroskedasticity.

2 Stata Log File

```
name: <unnamed>
log: /Users/alexandervonhafften/Documents/UW Madison/problem_sets/econ_717a/ps1/analysis.smcl
log type: smcl
opened on: 11 Feb 2022, 16:57:29

.
. * Alex von Hafften
.
. * Problem set 1
.
. * ECON 717A: Applied Economics
.
. * clear workspace
.
. clear
.
. * install user defined functions (if needed)
.
. ssc install outreg2
checking outreg2 consistency and verifying not already installed...
all files already exist and are up to date.
.
. * change working directory
.
. cd "/Users/alexandervonhafften/Documents/UW Madison/problem_sets/econ_717a/ps1/"
/Users/alexandervonhafften/Documents/UW Madison/problem_sets/econ_717a/ps1
.
. * open dataset
.
. use "Field et al (2010) Analysis Sample"
(ATENTION: Type notes in the command line for information on this dataset)
```

```

. *****
. *****
. * problem #1 - drop missing values
. *****
. *****
.
. drop if missing(HH_Income)
(36 observations deleted)
.
. drop if miss_Client_Age == 1
(6 observations deleted)
.
. drop if miss_Client_Married == 1
(7 observations deleted)
.
. drop if miss_Client_Education == 1
(16 observations deleted)
.
. *****
. *****
. * problem #2 - estimate linear probability model with homoskedastic standard errors
. *****
. *****
. * define list of variable in usual_covariate
.
. local covariates " Client_Married Client_Education HH_Size HH_Income muslim Hindu_SC_Kat Treated"
.
. * estimate LPM
.
. regress taken_new Client_Age 'covariates'
-----+-----
Source |      SS      df      MS      Number of obs   =   532
              F(8, 523)      =   0.52

```

```

Model | .586701556      8 .073337695 Prob > F      = 0.8405
Residual | 73.5242007      523 .140581646 R-squared    = 0.0079
-----+-----
Total | 74.1109023      531 .139568554 Adj R-squared = -0.0073
                                         Root MSE   = .37494

```

```

-----+-----
taken_new | Coefficient Std. err.      t      P>|t|      [95% conf. interval]
-----+-----
Client_Age | -.0000283   .0021572    -0.01   0.990    -.004266   .0042095
Client_Married | .0117141   .0529309     0.22   0.825    -.0922693   .1156975
Client_Education | -.0036931   .0041228    -0.90   0.371    -.0117924   .0044062
  HH_Size | -.0113264   .0093055    -1.22   0.224    -.0296072   .0069544
  HH_Income | 3.14e-06   3.68e-06     0.85   0.393    -4.08e-06   .0000104
    muslim | -.0075629   .0366854    -0.21   0.837    -.0796318   .0645061
Hindu_SC_Kat | -.0274764   .0526227    -0.52   0.602    -.1308542   .0759015
  Treated | .0426031   .0346907     1.23   0.220    -.0255471   .1107532
    _cons | .1993902   .1142909     1.74   0.082    -.0251353   .4239158
-----+-----

```

```

.   outreg2 using p2_table, tex(frag) replace
p2_table.tex
dir : seeout

```

```

.   *****
.   *****

```

```

.   * problem #3 - estimate linear probability model with heteroskedastic standard errors

```

```

.   *****

```

```

.   regress taken_new Client_Age 'covariates'

```

```

-----+-----
Source |      SS      df      MS      Number of obs      =      532
-----+-----
Model | .586701556      8 .073337695      F(8, 523)      =      0.52
Residual | 73.5242007      523 .140581646      Prob > F      =      0.8405
-----+-----
Total | 74.1109023      531 .139568554      R-squared      =      0.0079
                                         Adj R-squared   =      -0.0073
                                         Root MSE       =      .37494

```

taken_new	Coefficient	Std. err.	t	P> t	[95% conf. interval]
Client_Age	-.0000283	.0021572	-0.01	0.990	-.004266 .0042095
Client_Married	.0117141	.0529309	0.22	0.825	-.0922693 .1156975
Client_Education	-.0036931	.0041228	-0.90	0.371	-.0117924 .0044062
HH_Size	-.0113264	.0093055	-1.22	0.224	-.0296072 .0069544
HH_Income	3.14e-06	3.68e-06	0.85	0.393	-4.08e-06 .0000104
muslim	-.0075629	.0366854	-0.21	0.837	-.0796318 .0645061
Hindu_SC_Kat	-.0274764	.0526227	-0.52	0.602	-.1308542 .0759015
Treated	.0426031	.0346907	1.23	0.220	-.0255471 .1107532
_cons	.1993902	.1142909	1.74	0.082	-.0251353 .4239158

```
. outreg2 using p3_table, tex(frag) replace addtext(Comma Robust SEs, No)
p3_table.tex
dir : seeout
```

16

```
. regress taken_new Client_Age 'covariates', robust
```

Linear regression

Number of obs = 532
F(8, 523) = 0.56
Prob > F = 0.8074
R-squared = 0.0079
Root MSE = .37494

taken_new	Coefficient	Robust std. err.	t	P> t	[95% conf. interval]
Client_Age	-.0000283	.0022749	-0.01	0.990	-.0044974 .0044409
Client_Married	.0117141	.0518841	0.23	0.821	-.0902127 .1136409
Client_Education	-.0036931	.0041013	-0.90	0.368	-.0117502 .0043641
HH_Size	-.0113264	.0092822	-1.22	0.223	-.0295613 .0069085
HH_Income	3.14e-06	3.71e-06	0.85	0.398	-4.15e-06 .0000104
muslim	-.0075629	.0365483	-0.21	0.836	-.0793625 .0642367
Hindu_SC_Kat	-.0274764	.0509678	-0.54	0.590	-.1276031 .0726504
Treated	.0426031	.0334686	1.27	0.204	-.0231463 .1083524


```

      _cons |   .1993902   .1168783   1.71   0.089   -.0302184   .4289989
-----+-----
. outreg2 using p3_table, tex(frag) append addtext(Comma Robust SEs, Yes)
p3_table.tex
dir : seeout

. *****
. *****

. * problem #4 - predicted probabilities

. *****
. *****

. predict taken_new_hat_lpm
(option xb assumed; fitted values)

. histogram taken_new_hat_lpm
(bin=23, start=.05766389, width=.00975825)

. graph export p4_figure.png, replace
file /Users/alexandervonhaftten/Documents/UW Madison/problem_sets/econ_717a/ps1/p4_figure.png saved as PNG format

. count if taken_new_hat_lpm > 1
0

. count if taken_new_hat_lpm < 0
0

. *****
. *****

. * problem #5 - weighted least squares

. *****
. *****

. vwlsl taken_new 'covariates'

```

note: Client_Married omitted because of collinearity
note: Hindu_SC_Kat omitted because of collinearity

```

Variance-weighted least-squares regression      Number of obs      =      12
Goodness-of-fit chi2(0)      =      .      Model chi2(5)      =      0.00
Prob > chi2      =      .      Prob > chi2      =      1.0000
-----
      taken_new | Coefficient Std. err.      z      P>|z|      [95% conf. interval]
-----+-----
      Client_Married |      0 (omitted)
      Client_Education |      0 .1234568      0.00      1.000      -.2419709      .2419709
              HH_Size |      0 .8894888      0.00      1.000      -1.743366      1.743366
              HH_Income |      0 .0010218      0.00      1.000      -.0020027      .0020027
              muslim |      0 1.007025      0.00      1.000      -1.973732      1.973732
      Hindu_SC_Kat |      0 (omitted)
      Treated |      0 1.302893      0.00      1.000      -2.553624      2.553624
      _cons |      .5 9.101962      0.05      0.956      -17.33952      18.33952
-----

```

```

. * Doesn't work due to small sample, but works for more parsimonious model

```

```

. regress taken_new Client_Age Client_Education HH_Size Treated, robust

```

```

Linear regression      Number of obs      =      532
                      F(4, 527)      =      0.73
                      Prob > F      =      0.5703
                      R-squared      =      0.0058
                      Root MSE      =      .37391

```

```

-----+-----
      taken_new | Coefficient      Robust      std. err.      t      P>|t|      [95% conf. interval]
-----+-----
      Client_Age | -.0000451      .0022433      -0.02      0.984      -.004452      .0043619
      Client_Education | -.00325      .0039959      -0.81      0.416      -.0110998      .0045997
              HH_Size | -.0101567      .0093619      -1.08      0.278      -.028548      .0082346
              Treated | .0412283      .0332486      1.24      0.216      -.0240878      .1065443
      _cons | .215995      .106784      2.02      0.044      .0062205      .4257696

```

```

-----
. outreg2 using p5_table, tex(frag) addtext(Weighted By, None) replace
p5_table.tex
dir : seeout

. vwls taken_new Client_Age Client_Education HH_Size Treated

Variance-weighted least-squares regression      Number of obs      =      65
Goodness-of-fit chi2(19) = 4.20      Model chi2(4) =      0.14
Prob > chi2      = 0.9998      Prob > chi2 =      0.9978
-----
      taken_new | Coefficient Std. err.      z      P>|z|      [95% conf. interval]
-----+-----
      Client_Age | -.0005351 .0197968     -0.03   0.978     -0.0393361   .038266
      Client_Education | .0021375 .0183518      0.12   0.907     -0.038314   .0381063
      HH_Size | .0035293 .0576289      0.06   0.951     -0.1094213   .1164798
      Treated | -.1251191 .3727442     -0.34   0.737     -0.8556843   .6054462
      _cons | .4895395 .8772291      0.56   0.577     -1.229798   2.208877
-----

. outreg2 using p5_table, tex(frag) addtext(Weighted By, Variance) append
p5_table.tex
dir : seeout

. *****
. *****
. * problem #6 - probit and logit
. *****
. *****

. regress taken_new Client_Age 'covariates', robust

Linear regression      Number of obs      =      532
                      F(8, 523)      =      0.56
                      Prob > F      =      0.8074
                      R-squared      =      0.0079

```

Root MSE = .37494

taken_new	Coefficient	Robust std. err.	t	P> t	[95% conf. interval]
Client_Age	-.0000283	.0022749	-0.01	0.990	-.0044974 .0044409
Client_Married	.0117141	.0518841	0.23	0.821	-.0902127 .1136409
Client_Education	-.0036931	.0041013	-0.90	0.368	-.0117502 .0043641
HH_Size	-.0113264	.0092822	-1.22	0.223	-.0295613 .0069085
HH_Income	3.14e-06	3.71e-06	0.85	0.398	-4.15e-06 .0000104
muslim	-.0075629	.0365483	-0.21	0.836	-.0793625 .0642367
Hindu_SC_Kat	-.0274764	.0509678	-0.54	0.590	-.1276031 .0726504
Treated	.0426031	.0334686	1.27	0.204	-.0231463 .1083524
_cons	.1993902	.1168783	1.71	0.089	-.0302184 .4289989

. outreg2 using p6_table, tex(frag) replace addtext(Model, LPM)
p6_table.tex
dir : seeout

. probit taken_new Client_Age 'covariates'

Iteration 0: log likelihood = -240.23429
Iteration 1: log likelihood = -238.07858
Iteration 2: log likelihood = -238.07469
Iteration 3: log likelihood = -238.07469

Probit regression

Number of obs = 532
LR chi2(8) = 4.32
Prob > chi2 = 0.8272
Pseudo R2 = 0.0090

Log likelihood = -238.07469

taken_new	Coefficient	Std. err.	z	P> z	[95% conf. interval]
Client_Age	.0001538	.0085639	0.02	0.986	-.0166311 .0169387
Client_Married	.0495006	.21405	0.23	0.817	-.3700297 .469031
Client_Education	-.0146394	.01661	-0.88	0.378	-.0471945 .0179157

```

HH_Size | -.047596 | .037897 | -1.26 | 0.209 | -.1218727 | .0266807
HH_Income | .0000133 | .0000144 | 0.92 | 0.356 | -.0000149 | .0000415
muslim | -.0325982 | .1467714 | -0.22 | 0.824 | -.3202648 | .2550683
Hindu_SC_Kat | -.1099977 | .2152225 | -0.51 | 0.609 | -.531826 | .3118307
Treated | .1751011 | .1418766 | 1.23 | 0.217 | -.1029719 | .4531741
_cons | -.8526965 | .4591759 | -1.86 | 0.063 | -1.752665 | .0472717
-----

```

```

. outreg2 using p6_table, tex(frag) append addtext(Model, Probit)
p6_table.tex
dir : seeout

```

```

. logit taken_new Client_Age 'covariates'

```

```

Iteration 0: log likelihood = -240.23429
Iteration 1: log likelihood = -238.09541
Iteration 2: log likelihood = -238.07838
Iteration 3: log likelihood = -238.07838

```

```

Logistic regression

```

```

Number of obs = 532
LR chi2(8) = 4.31
Prob > chi2 = 0.8280
Pseudo R2 = 0.0090

```

```

Log likelihood = -238.07838

```

```

-----+-----
taken_new | Coefficient | Std. err. | z | P>|z| | [95% conf. interval]
-----+-----
Client_Age | -.000382 | .0156578 | -0.02 | 0.981 | -.0310707 | .0303066
Client_Married | .0930805 | .3876506 | 0.24 | 0.810 | -.6667008 | .8528617
Client_Education | -.0275642 | .0299653 | -0.92 | 0.358 | -.0862951 | .0311666
HH_Size | -.0854032 | .0693938 | -1.23 | 0.218 | -.2214126 | .0506061
HH_Income | .0000223 | .0000253 | 0.88 | 0.377 | -.0000272 | .0000718
muslim | -.0532995 | .2633343 | -0.20 | 0.840 | -.5694252 | .4628263
Hindu_SC_Kat | -.2078404 | .39463 | -0.53 | 0.598 | -.981301 | .5656203
Treated | .3186872 | .2585782 | 1.23 | 0.218 | -.1881167 | .8254911
_cons | -1.374046 | .8354666 | -1.64 | 0.100 | -3.01153 | .2634387
-----

```

```

. outreg2 using p6_table, tex(frag) append addtext(Model, Logit)

```

```

p6_table.tex
dir : seeout
.
.
. *****
. * problem #7 - mean partial derivatives of Client_Age
. *****
. * LPM
. regress taken_new Client_Age 'covariates'

```

Source	SS	df	MS	Number of obs	F(8, 523)	Prob > F	R-squared	Adj R-squared	Root MSE
Model	.586701556	8	.073337695			0.8405			
Residual	73.5242007	523	.140581646			0.0079		-0.0073	
Total	74.1109023	531	.139568554						.37494

```

-----+-----
taken_new | Coefficient | Std. err. | t | P>|t| | [95% conf. interval]
-----+-----
Client_Age | -.0000283 | .0021572 | -0.01 | 0.990 | -.004266 | .0042095
Client_Married | .0117141 | .0529309 | 0.22 | 0.825 | -.0922693 | .1156975
Client_Education | -.0036931 | .0041228 | -0.90 | 0.371 | -.0117924 | .0044062
HH_Size | -.0113264 | .0093055 | -1.22 | 0.224 | -.0296072 | .0069544
HH_Income | 3.14e-06 | 3.68e-06 | 0.85 | 0.393 | -4.08e-06 | .0000104
muslim | -.0075629 | .0366854 | -0.21 | 0.837 | -.0796318 | .0645061
Hindu_SC_Kat | -.0274764 | .0526227 | -0.52 | 0.602 | -.1308542 | .0759015
Treated | .0426031 | .0346907 | 1.23 | 0.220 | -.0255471 | .1107532
_cons | .1993902 | .1142909 | 1.74 | 0.082 | -.0251353 | .4239158
-----+-----
. * mean partial derivative is just the LPM coefficient = -.0000283

```

```

. * probit
. * part a - using dprobit
. dprobit taken_new Client_Age 'covariates'

Iteration 0: log likelihood = -240.23429
Iteration 1: log likelihood = -238.07858
Iteration 2: log likelihood = -238.07469
Iteration 3: log likelihood = -238.07469

Probit regression, reporting marginal effects

Log likelihood = -238.07469      Number of obs = 532
                                LR chi2(8) = 4.32
                                Prob > chi2 = 0.8272
                                Pseudo R2 = 0.0090

-----+-----
taken_w | dF/dx Std. err. z P>|z| x-bar [ 95% C.I. ]
-----+-----
Client_ge | .0000382 .0021261 0.02 0.986 34.8947 -.004129 .004205
Cl~rried* | .0120563 .0511232 0.23 0.817 .892857 -.088143 .112256
Client~n | -.0036344 .0041208 -0.88 0.378 6.35338 -.011711 .004442
HH_Size | -.0118163 .0093894 -1.26 0.209 5.30827 -.030219 .006587
HH_Inc~e | 3.30e-06 3.57e-06 0.92 0.356 6096.04 -3.7e-06 .00001
muslim* | -.0080417 .035974 -0.22 0.824 .300752 -.07855 .062466
Hi~C_Kat* | -.0261864 .049033 -0.51 0.609 .116541 -.122289 .069917
Treated* | .0422445 .0331814 1.23 0.217 .665414 -.02279 .107279
-----+-----
obs. P | .1672932
pred. P | .1650313 (at x-bar)
-----+-----
(*) dF/dx is for discrete change of dummy variable from 0 to 1
z and P>|z| correspond to the test of the underlying coefficient being 0

. * mean partial is the value that dprobit outputs = .0000382
. * part b - analytical derivative

```

```
. probit taken_new Client_Age 'covariates'
```

```
Iteration 0: log likelihood = -240.23429
Iteration 1: log likelihood = -238.07858
Iteration 2: log likelihood = -238.07469
Iteration 3: log likelihood = -238.07469
```

```
Probit regression
```

```
Number of obs = 532
LR chi2(8) = 4.32
Prob > chi2 = 0.8272
Pseudo R2 = 0.0090
```

```
Log likelihood = -238.07469
```

	taken_new	Coefficient	Std. err.	z	P> z	[95% conf. interval]
Client_Age		.0001538	.0085639	0.02	0.986	-.0166311 .0169387
Client_Married		.0495006	.21405	0.23	0.817	-.3700297 .469031
Client_Education		-.0146394	.01661	-0.88	0.378	-.0471945 .0179157
HH_Size		-.047596	.037897	-1.26	0.209	-.1218727 .0266807
HH_Income		.0000133	.0000144	0.92	0.356	-.0000149 .0000415
muslim		-.0325982	.1467714	-0.22	0.824	-.3202648 .2550683
Hindu_SC_Kat		-.1099977	.2152225	-0.51	0.609	-.531826 .3118307
Treated		.1751011	.1418766	1.23	0.217	-.1029719 .4531741
_cons		-.8526965	.4591759	-1.86	0.063	-1.752665 .0472717

```
. * get the linear prediction based on probit
```

```
. predict taken_new_hat_xb, xb
```

```
. * using formula phi(xb)*b_j
```

```
. gen Client_Age_Partial_a = normalden(taken_new_hat_xb) * e(b) [1,1]
```

```
. summarize Client_Age_Partial_a
```

Variable		Obs	Mean	Std. dev.	Min	Max
-----+-----						


```
Client_Age~a |      532      .0000382      5.01e-06      .0000224      .0000546
```

```
. * mean partial derivative is the mean = .0000382
```

```
. * part c - numerically calculating marginal effects
```

```
. * predict probability based on probit
```

```
. probit taken_new Client_Age 'covariates'
```

```
Iteration 0: log likelihood = -240.23429
```

```
Iteration 1: log likelihood = -238.07858
```

```
Iteration 2: log likelihood = -238.07469
```

```
Iteration 3: log likelihood = -238.07469
```

```
Probit regression
```

```
Number of obs = 532  
LR chi2(8) = 4.32  
Prob > chi2 = 0.8272  
Pseudo R2 = 0.0090
```

```
Log likelihood = -238.07469
```

taken_new	Coefficient	Std. err.	z	P> z	[95% conf. interval]
Client_Age	.0001538	.0085639	0.02	0.986	-.0166311 .0169387
Client_Married	.0495006	.21405	0.23	0.817	-.3700297 .469031
Client_Education	-.0146394	.01661	-0.88	0.378	-.0471945 .0179157
HH_Size	-.047596	.037897	-1.26	0.209	-.1218727 .0266807
HH_Income	.0000133	.0000144	0.92	0.356	-.0000149 .0000415
muslim	-.0325982	.1467714	-0.22	0.824	-.3202648 .2550683
Hindu_SC_Kat	-.1099977	.2152225	-0.51	0.609	-.531826 .3118307
Treated	.1751011	.1418766	1.23	0.217	-.1029719 .4531741
_cons	-.8526965	.4591759	-1.86	0.063	-1.752665 .0472717

```
. predict taken_new_hat_probit, pr
```

```
. * perturb Client_Age by epsilon and rerun probit
```

```

. gen Client_Age_epsilon = Client_Age + 0.001

. probit taken_new Client_Age_epsilon 'covariates'

Iteration 0: log likelihood = -240.23429
Iteration 1: log likelihood = -238.07858
Iteration 2: log likelihood = -238.07469
Iteration 3: log likelihood = -238.07469

Probit regression
Number of obs = 532
LR chi2(8) = 4.32
Prob > chi2 = 0.8272
Pseudo R2 = 0.0090

Log likelihood = -238.07469
-----+-----
taken_new | Coefficient Std. err. z P>|z| [95% conf. interval]
-----+-----
Client_Age_epsilon | .0001538 .0085639 0.02 0.986 -.0166311 .0169387
Client_Married | .0495006 .21405 0.23 0.817 -.3700297 .469031
Client_Education | -.0146394 .01661 -0.88 0.378 -.0471945 .0179157
HH_Size | -.047596 .037897 -1.26 0.209 -.1218727 .0266807
HH_Income | .0000133 .0000144 0.92 0.356 -.0000149 .0000415
muslim | -.0325982 .1467714 -0.22 0.824 -.3202648 .2550683
Hindu_SC_Kat | -.1099977 .2152225 -0.51 0.609 -.531826 .3118307
Treated | .1751011 .1418766 1.23 0.217 -.1029719 .4531741
_cons | -.8526967 .4591818 -1.86 0.063 -1.752676 .0472831
-----+-----

. predict taken_new_hat_probit_epsilon, pr

. * compute numerical derivative

. gen Client_Age_Partial_n = (taken_new_hat_probit - taken_new_hat_probit_epsilon) / 0.001

. summarize Client_Age_Partial_n
Variable | Obs Mean Std. dev. Min Max

```

```

-----+-----
Client_Ag~_n |      532      0      0      0      0
.
. * mean partial derivative is the mean = 0
.
. * part d - using margins
.
. probit taken_new 'covariates'

Iteration 0:  log likelihood = -240.23429
Iteration 1:  log likelihood = -238.07872
Iteration 2:  log likelihood = -238.07485
Iteration 3:  log likelihood = -238.07485

Probit regression
                                     Number of obs =   532
                                     LR chi2(7)      =   4.32
                                     Prob > chi2     =  0.7424
                                     Pseudo R2       =  0.0090

Log likelihood = -238.07485

-----+-----
taken_new | Coefficient Std. err.      z      P>|z|      [95% conf. interval]
-----+-----
Client_Married | .0494511 .2140315      0.23      0.817      -.370043      .4689452
Client_Education | -.0147024 .0162362     -0.91      0.365      -.0465248      .01712
HH_Size | -.0475642 .0378571     -1.26      0.209      -.1217628      .0266343
HH_Income | .0000133 .0000144      0.93      0.355      -.0000149      .0000414
muslim | -.0326231 .1467642     -0.22      0.824      -.3202757      .2550295
Hindu_SC_Kat | -.1096493 .2143456     -0.51      0.609      -.529759      .3104604
Treated | .1748804 .1413406      1.24      0.216      -.1021422      .4519029
_cons | -.8470259 .3333622     -2.54      0.011      -1.500404      -.1936481
-----+-----

. margins , dydx(Client_Age) atmeans
invalid dydx() option;
Client_Age not found in list of covariates
r(322);

. * mean partial derivative is the mean = 0.0000382

```

```

. * logit
. logit taken_new 'covariates'

Iteration 0: log likelihood = -240.23429
Iteration 1: log likelihood = -238.09565
Iteration 2: log likelihood = -238.07868
Iteration 3: log likelihood = -238.07868

Logistic regression
Number of obs = 532
LR chi2(7) = 4.31
Prob > chi2 = 0.7433
Pseudo R2 = 0.0090

Log likelihood = -238.07868

-----+-----
taken_new | Coefficient Std. err. z P>|z| [95% conf. interval]
-----+-----
Client_Married | .0933263 .387527 0.24 0.810 -.6662126 .8528652
Client_Education | -.0273985 .0291845 -0.94 0.348 -.0845992 .0298021
HH_Size | -.0854613 .0693465 -1.23 0.218 -.2213779 .0504553
HH_Income | .0000223 .0000252 0.88 0.377 -.0000271 .0000716
muslim | -.0531028 .2632067 -0.20 0.840 -.5689784 .4627727
Hindu_SC_Kat | -.2085972 .3934071 -0.53 0.596 -.9796609 .5624665
Treated | .3191612 .2578518 1.24 0.216 -.186219 .8245414
_cons | -1.388376 .5942478 -2.34 0.019 -2.553081 -.2236721
-----+-----

. margins , dydx(Client_Age) atmeans
invalid dydx() option;
Client_Age not found in list of covariates
r(322);

. * mean partial derivative is the mean = -.0000525

.
. *****

```

```

. * problem #8 - LPM with quadratic age

. *****

. * baseline

. regress taken_new 'covariates', robust

Linear regression

Number of obs      =      532
F(7, 524)          =      0.64
Prob > F            =      0.7206
R-squared           =      0.0079
Root MSE           =      .37458

-----+-----
taken_new | Coefficient | Robust std. err. | t | P>|t| | [95% conf. interval]
-----+-----
Client_Married | .0117163 | .0518345 | 0.23 | 0.821 | -.0901127 | .1135453
Client_Education | -.0036812 | .003937 | -0.94 | 0.350 | -.0114154 | .004053
HH_Size | -.0113324 | .0092732 | -1.22 | 0.222 | -.0295496 | .0068847
HH_Income | 3.14e-06 | 3.71e-06 | 0.85 | 0.398 | -4.15e-06 | .0000104
muslim | -.0075461 | .0363378 | -0.21 | 0.836 | -.0789317 | .0638396
Hindu_SC_Kat | -.0275317 | .0509772 | -0.54 | 0.589 | -.1276765 | .0726131
Treated | .0426362 | .0335181 | 1.27 | 0.204 | -.02321 | .1084825
_cons | .1983494 | .0779066 | 2.55 | 0.011 | .0453018 | .351397
-----+-----

. outreg2 using p8_table, tex(frag) replace
p8_table.tex
dir : seeout

. * create quadratic transformations of age

. gen Client_Age_2 = Client_Age^2
. gen Client_Age_3 = Client_Age^3

```



```

. * check for observations outside 0, 1
. count if taken_new_hat_lpm_q > 1
1
. count if taken_new_hat_lpm_q < 0
5
. histogram taken_new_hat_lpm_q
(bin=23, start=-.16169128, width=.05206823)
. graph export p8_figure.png, replace
file /Users/alexandervonhafften/Documents/UW Madison/problem_sets/econ_717a/ps1/p8_figure.png saved as PNG format

. * create quadratic transformations with epsilon
. gen Client_Age_epsilon_2 = Client_Age_epsilon^2
. gen Client_Age_epsilon_3 = Client_Age_epsilon^3
. gen Client_Age_epsilon_4 = Client_Age_epsilon^4
. regress taken_new Client_Age_epsilon Client_Age_epsilon_2 Client_Age_epsilon_3 Client_Age_epsilon_4 'covariates'

```

Source	SS	df	MS	Number of obs	F(11, 520)	Prob > F	R-squared	Adj R-squared	Root MSE
Model	2.30782478	11	.209802252	532	1.52	0.1205	0.0311	0.0106	.37159
Residual	71.8030775	520	.138082841						
Total	74.1109023	531	.139568554						

taken_new	Coefficient	Std. err.	t	P> t	[95% conf. interval]
Client_Age_epsilon	-.4934055	.1790728	-2.76	0.006	-.8452005 -.1416105
Client_Age_epsilon_2	.0198737	.0068759	2.89	0.004	.0063657 .0333818
Client_Age_epsilon_3	-.0003363	.0001114	-3.02	0.003	-.0005552 -.0001174

```

Client_Age_epsilon_4 | 2.01e-06 6.40e-07 3.14 0.002 7.54e-07 3.27e-06
Client_Married | .0151682 .0553267 0.27 0.784 -.0935231 .1238596
Client_Education | -.0031541 .0041053 -0.77 0.443 -.0112191 .004911
HH_Size | -.0088907 .0093101 -0.95 0.340 -.0271807 .0093992
HH_Income | 3.65e-06 3.67e-06 0.99 0.321 -3.56e-06 .0000109
muslim | -.0128246 .03645 -0.35 0.725 -.084432 .0587828
Hindu_SC_Kat | -.0333433 .0522834 -0.64 0.524 -.1360559 .0693693
Treated | .0464549 .0344114 1.35 0.178 -.0211475 .1140573
_cons | 4.518247 1.655823 2.73 0.007 1.265323 7.771171
-----

. predict taken_new_hat_lpm_q_epsilon
(option xb assumed; fitted values)

. * numerically compute derivative

. gen Client_Age_Partial_q_n = (taken_new_hat_lpm_q - taken_new_hat_lpm_q_epsilon) / 0.001

. summarize Client_Age_Partial_q_n

Variable | Obs Mean Std. dev. Min Max
-----+-----
Client_A~q_n | 532 2.32e-07 .0004894 -.0016466 .0021122

. * mean is 2.32e-07

. *****

. * problem #9 - LRI

. *****

. * baseline probit

. probit taken_new Client_Age 'covariates'

```



```

Iteration 0: log likelihood = -240.23429
Iteration 1: log likelihood = -238.07858
Iteration 2: log likelihood = -238.07469
Iteration 3: log likelihood = -238.07469

```

Probit regression

```

Number of obs = 532
LR chi2(8) = 4.32
Prob > chi2 = 0.8272
Pseudo R2 = 0.0090

```

Log likelihood = -238.07469

	taken_new	Coefficient	Std. err.	z	P> z	[95% conf. interval]
Client_Age		.0001538	.0085639	0.02	0.986	-.0166311 .0169387
Client_Married		.0495006	.21405	0.23	0.817	-.3700297 .469031
Client_Education		-.0146394	.01661	-0.88	0.378	-.0471945 .0179157
HH_Size		-.047596	.037897	-1.26	0.209	-.1218727 .0266807
HH_Income		.0000133	.0000144	0.92	0.356	-.0000149 .0000415
muslim		-.0325982	.1467714	-0.22	0.824	-.3202648 .2550683
Hindu_SC_Kat		-.1099977	.2152225	-0.51	0.609	-.531826 .3118307
Treated		.1751011	.1418766	1.23	0.217	-.1029719 .4531741
_cons		-.8526965	.4591759	-1.86	0.063	-1.752665 .0472717

```

. * ll_hat is -238.07469

```

```

. * probit only with constant

```

```

. probit taken_new

```

```

Iteration 0: log likelihood = -240.23429
Iteration 1: log likelihood = -240.23429

```

Probit regression

```

Number of obs = 532
LR chi2(0) = 0.00
Prob > chi2 = .
Pseudo R2 = 0.0000

```

Log likelihood = -240.23429

```

-----
taken_new | Coefficient Std. err.      z      P>|z|      [95% conf. interval]
-----+-----
      _cons |   -.9649168   .0646097   -14.93   0.000   -1.091549   -.8382842
-----+-----

. * ll_0 is -240.23429

. * lri = 1 - ll_hat/ll_0 = 0.00898955765

. *****
. *****
. * problem #10 - Prediction rate
. *****
. *****

. * using cutoff of 50 percent

. gen predicted_over_50 = taken_new_hat_probit > .5

. tab taken_new predicted_over_50, nofreq cell

Has taken |
a new loan |
in the |
last 4 | predicted_
months | over_50
(midline) | 0 | Total
-----+-----
      0 | 83.27 | 83.27
      1 | 16.73 | 16.73
-----+-----
Total | 100.00 | 100.00

. * using unconditional probability as cutoff

```

```

. tab taken_new

Has taken a |
new loan in |
the last 4 |
months |
(midline) |   Freq.   Percent   Cum.
-----+-----
0 |         443      83.27    83.27
1 |          89      16.73   100.00
-----+-----
Total |         532     100.00

. * unconditional probability = .1673

. gen predicted_over_up = taken_new_hat_probit > .1673

. tab taken_new predicted_over_up, nofreq cell

Has taken |
a new loan |
in the |
last 4 |
months |
(midline) |   predicted_over_up   1 |   Total
-----+-----+-----
0 |         42.67    40.60 |    83.27
1 |          6.02    10.71 |    16.73
-----+-----+-----
Total |         48.68    51.32 |   100.00

.
. *****

. * problem #11 - In sample vs. out-of-sample prediction

. *****

```

```

. gen estimation_sample = imidlineid < 1400

.
. * estimate probit on subsample

. probit taken_new Client_Age 'covariates' if estimation_sample

Iteration 0: log likelihood = -117.67911
Iteration 1: log likelihood = -115.82624
Iteration 2: log likelihood = -115.80635
Iteration 3: log likelihood = -115.80635

Probit regression

Log likelihood = -115.80635

Number of obs = 266
LR chi2(8) = 3.75
Prob > chi2 = 0.8793
Pseudo R2 = 0.0159

-----+-----
taken_new | Coefficient Std. err. z P>|z| [95% conf. interval]
-----+-----
Client_Age | .0095479 .0132631 0.72 0.472 -.0164472 .0355431
Client_Married | .1217882 .317054 0.38 0.701 -.4996262 .7432027
Client_Education | .0020014 .0246685 0.08 0.935 -.0463478 .0503507
HH_Size | .0450808 .0526267 0.86 0.392 -.0580656 .1482272
HH_Income | 4.91e-06 .00002 0.25 0.806 -.0000342 .0000441
muslim | .0064283 .2123982 0.03 0.976 -.4098646 .4227212
Hindu_SC_Kat | -.5059869 .387024 -1.31 0.191 -1.26454 .2525661
Treated | .0434882 .2025915 0.21 0.830 -.353584 .4405603
_cons | -1.708002 .7275063 -2.35 0.019 -3.133888 -.282116
-----+-----

. predict taken_new_hat_probit_11, pr

.
. * using cutoff of 50 percent

. gen predicted_over_50_11 = taken_new_hat_probit_11 > .5

```

```
. tab taken_new predicted_over_50_11 if estimation_sample, cell nofreq
```

Has taken			
a new loan			
in the			
last 4 predicted_			
months over_50_11			
(midline) 0 Total			
-----+-----			
0 83.83 83.83			
1 16.17 16.17			
-----+-----			
Total 100.00 100.00			

```
. tab taken_new predicted_over_50_11 if !estimation_sample, cell nofreq
```

Has taken			
a new loan			
in the			
last 4 predicted_			
months over_50_11			
(midline) 0 Total			
-----+-----			
0 82.71 82.71			
1 17.29 17.29			
-----+-----			
Total 100.00 100.00			

```
. * using unconditional probability as cutoff
```

```
. gen predicted_over_up_11 = taken_new_hat_probit_11 > .1673
```

```
. tab taken_new predicted_over_up_11 if estimation_sample, cell nofreq
```

Has taken			
a new loan			
in the			
last 4			

months (midline)	predicted_over_up_11		Total
	0	1	
0	48.12	35.71	83.83
1	8.27	7.89	16.17
Total	56.39	43.61	100.00

```
. tab taken_new predicted_over_up_11 if !estimation_sample, cell nofreq
```

```
Has taken |
a new loan |
in the |
last 4 |
```

months (midline)	predicted_over_up_11		Total
	0	1	
0	44.36	38.35	82.71
1	11.28	6.02	17.29
Total	55.64	44.36	100.00

```
. *****
```

```
. * problem #12 - Interaction terms
```

```
. *****
```

```
. probit taken_new Client_Age 'covariates'
```

```
Iteration 0: log likelihood = -240.23429
Iteration 1: log likelihood = -238.07858
Iteration 2: log likelihood = -238.07469
Iteration 3: log likelihood = -238.07469
```

```
Probit regression
```

```
Number of obs = 532
LR chi2(8) = 4.32
```

```

Log likelihood = -238.07469                                Prob > chi2    = 0.8272
                                                         Pseudo R2     = 0.0090

-----+-----
      taken_new | Coefficient Std. err.      z    P>|z|    [95% conf. interval]
-----+-----
      Client_Age |   .0001538   .0085639     0.02   0.986   - .0166311   .0169387
      Client_Married |   .0495006   .21405     0.23   0.817   - .3700297   .469031
      Client_Education |  - .0146394   .01661    -0.88   0.378   - .0471945   .0179157
      HH_Size |  - .047596   .037897    -1.26   0.209   - .1218727   .0266807
      HH_Income |   .0000133   .0000144     0.92   0.356   - .0000149   .0000415
      muslim |  - .0325982   .1467714    -0.22   0.824   - .3202648   .2550683
      Hindu_SC_Kat |  - .1099977   .2152225    -0.51   0.609   - .531826   .3118307
      Treated |   .1751011   .1418766     1.23   0.217   - .1029719   .4531741
      _cons |  - .8526965   .4591759    -1.86   0.063   -1.752665   .0472717
-----+-----

. outreg2 using p12_table, tex(frag) replace
p12_table.tex
dir : seeout

.
. gen married_muslim = Client_Married * muslim
.
. probit taken_new Client_Age 'covariates' married_muslim

Iteration 0:  log likelihood = -240.23429
Iteration 1:  log likelihood = -237.89689
Iteration 2:  log likelihood = -237.89262
Iteration 3:  log likelihood = -237.89262

Probit regression                                Number of obs =   532
                                                LR chi2(9)      =   4.68
                                                Prob > chi2     =  0.8610
                                                Pseudo R2      =  0.0097

Log likelihood = -237.89262

-----+-----
      taken_new | Coefficient Std. err.      z    P>|z|    [95% conf. interval]
-----+-----

```

```

Client_Age | .0009312 .0086796 0.11 0.915 -.0160805 .0179429
Client_Married | .1556674 .2806756 0.55 0.579 -.3944468 .7057815
Client_Education | -.0153534 .0166616 -0.92 0.357 -.0480094 .0173027
HH_Size | -.0502379 .0381311 -1.32 0.188 -.1249735 .0244977
HH_Income | .0000126 .0000145 0.87 0.383 -.0000157 .000041
muslim | .2059269 .420573 0.49 0.624 -.6183811 1.030235
Hindu_SC_Kat | -.1142815 .2152731 -0.53 0.596 -.536209 .307646
Treated | .1819567 .1423657 1.28 0.201 -.0970751 .4609884
married_muslim | -.2709185 .4481227 -0.60 0.545 -1.149223 .6073858
_cons | -.9589165 .4938953 -1.94 0.052 -1.926934 .0091005
-----

```

```

. outreg2 using p12_table, tex(frag) append
p12_table.tex
dir : seeout

```

```

. *****
. *****

```

```

. * problem #13 - Interaction effects

```

```

. *****

```

```

. * compute interaction effect without accounting for terms in Ai and Norton (2003)

```

```

. margins , dydx(married_muslim)

```

```

Average marginal effects
Model VCE: OIM
Number of obs = 532

```

```

Expression: Pr(taken_new), predict()
dy/dx wrt: married_muslim

```

```

-----+-----
| | Delta-method | | | |
| | dy/dx std. err. | z | P>|z| | [95% conf. interval] |
-----+-----
married_muslim | -.0671875 .1110788 -0.60 0.545 -.284898 .1505229

```



```

-----
. * interaction effect estimate is -.0671875
.
. * compute interaction effect by hand accounting for terms in Ai and Norton (2003)
. * follows logic from lecture notes
. predict index_hat, xb
. * predicted index with both dummies zero
. gen index_hat_0 = index_hat - Client_Married * e(b)[1,2] - muslim * e(b)[1,6] - married_muslim * e(b)[1, 9]
. * predicted index with both married one and muslim zero
. gen index_hat_01 = index_hat_0 + e(b)[1,2]
. * predicted index with both muslim one and married zero
. gen index_hat_02 = index_hat_0 + e(b)[1,6]
. * predicted index with both dummies zero
. gen index_hat_012 = index_hat_0 + e(b)[1,2] + e(b)[1,6] + e(b)[1,9]
. gen finite_difference = (normal(index_hat_012) - normal(index_hat_02)) - (normal(index_hat_01) - normal(index_hat_0))
. summarize finite_difference

```

Variable	Obs	Mean	Std. dev.	Min	Max
finite_dif~e	532	-.0656881	.0090154	-.0940148	-.0364692

```

. * interaction effect estimate is -.0656881
.
. *****

```

```

. * problem #14 - Interaction effects variance
. *****
.
. * see summarize table from problem #13.
.
. *****
.
. * problem #15 - Heteroskedasticity test
. *****
.
. * compute residuals
.

```

```

. regress taken_new Client_Age 'covariates'

```

Source	SS	df	MS	Number of obs	
Model	.586701556	8	.073337695	F(8, 523)	= 0.52
Residual	73.5242007	523	.140581646	Prob > F	= 0.8405
				R-squared	= 0.0079
				Adj R-squared	= -0.0073
Total	74.1109023	531	.139568554	Root MSE	= .37494

taken_new	Coefficient	Std. err.	t	P> t	[95% conf. interval]
Client_Age	-.0000283	.0021572	-0.01	0.990	-.004266 .0042095
Client_Married	.0117141	.0529309	0.22	0.825	-.0922693 .1156975
Client_Education	-.0036931	.0041228	-0.90	0.371	-.0117924 .0044062
HH_Size	-.0113264	.0093055	-1.22	0.224	-.0296072 .0069544
HH_Income	3.14e-06	3.68e-06	0.85	0.393	-4.08e-06 .0000104
muslim	-.0075629	.0366854	-0.21	0.837	-.0796318 .0645061
Hindu_SC_Kat	-.0274764	.0526227	-0.52	0.602	-.1308542 .0759015
Treated	.0426031	.0346907	1.23	0.220	-.0255471 .1107532
_cons	.1993902	.1142909	1.74	0.082	-.0251353 .4239158

```

-----
. predict residuals_p, residuals
.
. * regress squared residuals on usual covariates.
. gen residuals_p_2 = residuals_p^2
. regress residuals_p_2 Client_Age 'covariates'

Source |      SS      df      MS      Number of obs      =      532
-----+-----
Model |  .271068132      8  .033833517      F(8, 523)      =      0.56
Residual | 31.8045385     523  .060811737      Prob > F      =      0.8130
-----+-----
Total | 32.0756066     531  .060406039      R-squared      =      0.0085
                                           Adj R-squared   =     -0.0067
                                           Root MSE       =      .2466

-----
residuals_p_2 | Coefficient Std. err.      t      P>|t|      [95% conf. interval]
-----+-----
Client_Age | .0001681 | .0014188 | 0.12 | 0.906 | -.002619 | .0029553
Client_Married | .0077442 | .0348128 | 0.22 | 0.824 | -.0606459 | .0761344
Client_Education | -.002132 | .0027116 | -0.79 | 0.432 | -.0074589 | .0031949
HH_Size | -.007861 | .0061203 | -1.28 | 0.200 | -.0198843 | .0041623
HH_Income | 2.51e-06 | 2.42e-06 | 1.04 | 0.299 | -2.24e-06 | 7.27e-06
muslim | -.0063261 | .0241281 | -0.26 | 0.793 | -.053726 | .0410738
Hindu_SC_Kat | -.0167612 | .0346101 | -0.48 | 0.628 | -.0847531 | .0512306
Treated | .0281959 | .0228161 | 1.24 | 0.217 | -.0166267 | .0730184
_cons | .1504638 | .0751694 | 2.00 | 0.046 | .0027929 | .2981348
-----

. outreg2 using p15_table, tex(frag) replace
p15_table.tex
dir : seeout
.
.
. *****

```

```

. * problem #16 - hetprob
. *****
.
. hetprob taken_new Client_Age 'covariates', het(Client_Age Client_Education)

Fitting probit model:

Iteration 0: log likelihood = -240.23429
Iteration 1: log likelihood = -238.07858
Iteration 2: log likelihood = -238.07469
Iteration 3: log likelihood = -238.07469

Fitting full model:

Iteration 0: log likelihood = -238.07469 (not concave)
Iteration 1: log likelihood = -237.99107
Iteration 2: log likelihood = -237.64163
Iteration 3: log likelihood = -237.57256
Iteration 4: log likelihood = -237.11403
Iteration 5: log likelihood = -236.9148
Iteration 6: log likelihood = -236.69574
Iteration 7: log likelihood = -236.60898
Iteration 8: log likelihood = -236.59195
Iteration 9: log likelihood = -236.59073
Iteration 10: log likelihood = -236.5907
Iteration 11: log likelihood = -236.5907

Heteroskedastic probit model

Number of obs      =      532
Zero outcomes      =      443
Nonzero outcomes   =       89

Wald chi2(8)       =       2.19
Prob > chi2        =      0.9745

Log likelihood = -236.5907

-----
taken_new | Coefficient Std. err.      z      P>|z|      [95% conf. interval]

```

```

-----+-----
taken_new |
  Client_Age | -.1123273 | .1374995 | -0.82 | 0.414 | -.3818214 | .1571668
  Client_Married | .1288146 | .8458704 | 0.15 | 0.879 | -1.529061 | 1.78669
  Client_Education | -.3106294 | .2555354 | -1.22 | 0.224 | -.8114697 | .1902108
    HH_Size | -.2261131 | .1970247 | -1.15 | 0.251 | -.6122744 | .1600482
    HH_Income | .0000693 | .0000723 | 0.96 | 0.338 | -.0000723 | .0002109
      muslim | -.1792461 | .5843143 | -0.31 | 0.759 | -1.324481 | .9659888
  Hindu_SC_Kat | -.3442778 | .9618559 | -0.36 | 0.720 | -2.229481 | 1.540925
    Treated | .9149664 | .7866622 | 1.16 | 0.245 | -.6268631 | 2.456796
      _cons | 1.71513 | 3.57286 | 0.48 | 0.631 | -5.287547 | 8.717807
-----+-----
lnsigma |
  Client_Age | .0285154 | .0196403 | 1.45 | 0.147 | -.0099788 | .0670096
  Client_Education | .0694184 | .047379 | 1.47 | 0.143 | -.0234426 | .1622795
-----+-----
LR test of lnsigma=0: chi2(2) = 2.97          Prob > chi2 = 0.2267

.   outreg2 using p16_table, tex(frag) replace
p16_table.tex
dir : seeout

.
. log close
  name: <unnamed>
  log: /Users/alexandervonhaften/Documents/UW Madison/problem_sets/econ_717a/ps1/analysis.smcl
  log type: smcl
  closed on: 11 Feb 2022, 16:57:45
-----+-----

```