

**Unit I**

1. The \_\_\_\_\_ domain approach views the investigation of lagged relationships as most important.  
**(a) Time** (b) Spatial (c) Temporal (d) Frequency
2. The \_\_\_\_\_ domain approach views the investigation of cycles as most important.  
(a) Time (b) Spatial (c) Temporal **(d) Frequency**
3. Which type time series is Johnson & Johnson's earning?  
(a) Annual (b) Bi-monthly **(c) Quarterly** (d) Half-yearly
4. \_\_\_\_\_ analysis can be used to produce a signature of this phrase that can be compared with signatures of various library syllables to look for a match.  
**(a) Spectral** (b) Numerical (c) temporal (d) Frequency
5. Which type of model is used for financial data analysis for Dow Jones' Average Data?  
(a) ARMA (b) SARIMA (c) ARIMA **(d) GARCH**
6. \_\_\_\_\_ function modeling can be applied for El-Nino and Fish Population.  
(a) Affine (b) Binary (c) unary **(d) Transfer**
7. The observed values of a stochastic process are referred to as a \_\_\_\_\_ of the stochastic process.  
**(a) realization** (b) rationalization (c) reaction (d) regression
8. The insufficient sample rate leads to distortion is called as \_\_\_\_\_.  
(a) anti-aliasing (b) aberration **(c) aliasing** (d) subsampling
9. The noise model that time series generated from uncorrelated variables is called \_\_\_\_\_ noise.  
(a) speckle **(b) white** (c) salt & pepper (d) impulse
10. If the stochastic behavior of all time series could be explained in terms of the \_\_\_\_\_ model.  
**(a) white noise** (b) Moving Average  
(c) Autoregression (d) random walk with drift
11. A linear combination of values in a time series is referred to as a \_\_\_\_\_ series.  
(a) Regression (b) Mean (c) variance **(d) filtered**
12. The moving average \_\_\_\_\_ the time series.  
(a) sharpens (b) speckles **(c) smooths** (d) straightens
13. The constant  $\delta$  is called the drift, and when  $\delta =$  \_\_\_\_\_ is called simply a random walk.

- (a) 1                      **(b) 0**                      (c) -1                      (d) 2
14. The ratio of the amplitude of the signal to  $\sigma_w$  is sometimes called the \_\_\_\_\_.  
**(a) signal-to-noise ratio**                      (b) signal-to-amplitude ratio  
(c) signal-to-peak ratio                      (d) signal-to-signal ratio
15. The \_\_\_\_\_ the SNR, the easier it is to detect the signal.  
(a) smaller                      (b) tiny                      (c) moderate                      **(d) larger**
16. An informative marginal descriptive measure is the \_\_\_\_\_ function.  
(a) median                      (b) mode                      **(c) mean**                      (d) maximum
17. A realization of a random walk with drift can be compared to its \_\_\_\_\_ function.  
(a) median                      (b) mode                      **(c) mean**                      (d) maximum
18. The lack of independence between two adjacent values  $x_s$  and  $x_t$  can be assessed using \_\_\_\_\_.  
(a) Covariance, Mean                      (b) Correlation, Mean  
**(c) Correlation, Covariance**                      (d) Mean, Median
19. The \_\_\_\_\_ measures the linear dependence between two points on the same series observed at different times.  
**(a) autocovariance** (b) autocorrelation                      (c) mean                      (d) median
20. The measure of association is between \_\_\_\_\_ and \_\_\_\_\_.  
(a) -2,2                      **(b) -1,1**                      (c) -1,0                      (d) 0,1
21. The ACF measures the \_\_\_\_\_ of the series at time  $t$ .  
**(a) linear predictability**                      (b) linear probability  
(c) non-linear predictability                      (d) non-linear probability
22. A \_\_\_\_\_ process with drift is not strictly stationary because its mean function changes with time  
(a) white noise                      **(b) random walk**                      (c) signal noise                      (d) impulse noise
23. If the white noise variates are also normally distributed or Gaussian, the series is also \_\_\_\_\_ stationary.  
(a) Weak                      **(b) strictly**                      (c) not strictly                      (d) jointly
24. The ACF is symmetric about \_\_\_\_\_.  
**(a) lag zero**                      (b) log zero                      (c) lag one                      (d) log one
25. A \_\_\_\_\_ is not stationary because its autocovariance function,  $\gamma(s, t) = \min\{s, t\}\sigma_w^2$ , depends on time.  
(a) white noise                      **(b) random walk**                      (c) signal noise                      (d) impulse noise

26. Two time series are said to be \_\_\_\_\_ stationary if they are each stationary, and the cross-covariance function.  
(a) Weak (b) strictly (c) not strictly **(d) jointly**
27. \_\_\_\_\_ over detrending is used to remove trend.  
**(a) differencing** (b) differentiate (c) integration (d) linearization
28. The first difference eliminates a \_\_\_\_\_ trend.  
**(a) linear** (b) quad (c) triple (d) quadratic
29. A second difference can eliminate a \_\_\_\_\_ trend.  
(a) linear (b) quad (c) triple **(d) quadratic**
30. \_\_\_\_\_ smoothing is a moving average smoother that uses a weight function, or kernel, to average the observations.  
(a) Lowess **(b) Kernel** (c) MA (d) Spline

Unit -II

- The \_\_\_\_\_ method for identifying ARIMA models along with techniques for parameter estimation and forecasting for these models.  
(a) Box-Cox                      **(b) Box–Jenkins**                      (c) Cox–Jenkins                      (d) AIC
- ARMA stands for \_\_\_\_\_.  
**(a) autoregressive moving average**                      (b) Autoregressive Model Average  
(c) autorecessive moving average                      (d) autoregressive method average
- In autoregression models, the current value is a particular \_\_\_\_\_ function of past values.  
(a) binary                      (b) Quadratic                      **(c) linear**                      (d) non linear
- The autoregressive operator is defined to be \_\_\_\_\_.  
**(a)  $\phi(B) = 1 - \phi_1 B - \phi_2 B^2 - \dots - \phi_p B^p$**                       (b)  $\phi(B) = 1 + \phi_1 B + \phi_2 B^2 + \dots + \phi_p B^p$   
(c)  $\phi(B) = 1 - \phi_1 B + \phi_2 B^2 - \dots + \phi_p B^p$                       (d)  $\phi(B) = \phi_1 B + \phi_2 B^2 + \dots + \phi_p B^p$
- When a process does not depend on the future, such as the AR(1) when  $|\phi| < 1$ , then the process is called \_\_\_\_\_.  
(a) Invertible                      (b) Invisible                      **(c) causal**                      (d) colt
- The sample path of AR(2) process is very \_\_\_\_\_.  
(a) strip                      **(b) choppy**                      (c) peak                      (d) low
- When the values of the time series quickly become large in magnitude, the processes are called \_\_\_\_\_.  
(a) **Explosive**                      (b) Exponential                      (c) Expensive                      (d) Extensive
- $\phi(B) =$  \_\_\_\_\_.  
(a)  $1 + \phi B$                       **(b)  $1 - \phi B$**                       (c)  $\phi B - 1$                       (d)  $\phi B + 1$
- The moving average process is \_\_\_\_\_ for any values of the parameters  $\theta_1, \dots, \theta_q$ .  
(a) Invertible                      **(b) stationary**                      (c) causal                      (d) explosion
- $|\rho(1)| \leq$  \_\_\_\_\_ for all values of  $\theta$ .  
(a) +1                      (b) -1                      **(c)  $\frac{1}{2}$**                       (d)  $-\frac{1}{2}$
- In MA(1) Process,  $x_t$  is correlated with \_\_\_\_\_.  
**(a)  $x_{t-1}$**                       (b)  $x_{t-2}$                       (c)  $x_{t-1} + x_{t-2}$                       (d)  $x_{t-1} - x_{t-2}$
- In ARMA(p,q), when  $q = 0$ , the model is called an/a \_\_\_\_\_ model of order p.  
(a) Moving Average                      (b) Autocovariance                      (c) Autocorrelation                      **(d) Autoregressive**
- In ARMA(p,q), when  $p = 0$ , the model is called an/a \_\_\_\_\_ model of order q.

(a) **Moving Average** (b) Autocovariance (c) Autocorrelation (d) Autoregressive

14.  $x_t$  is white noise because of the \_\_\_\_\_ redundancy.  
 (a) time series (b) data (c) average **(d) parameter**
15. The parameter redundancy is otherwise called \_\_\_\_\_.  
 (a) **over-parameterization** (b) under-parameterization  
 (c) extra-parameterization (d) normal-parameterization
16. If the ARMA model is parameter redundancy, then \_\_\_\_\_ and \_\_\_\_\_ have a common factor.  
 (a)  $\alpha(z)\beta(z)$  (b)  $\varepsilon(z)\lambda(z)$  (c)  $\xi(z)\zeta(z)$  **(d)  $\phi(z)\theta(z)$**
17. Which concept is addressed the problem of future dependent models?  
 (a) Invertible (b) stationary **(c) causality** (d) explosion
18.  $\rho(h)$  dampens to \_\_\_\_\_ exponentially fast as  $h \rightarrow \infty$ .  
**(a) 0** (b) 1 (c) -1 (d)  $\infty$
19. An ARMA process is causal only when the roots of  $\phi(z)$  lie \_\_\_\_\_ the unit circle.  
**(a) outside** (b) inside (c) boundary (d) center
20.  $\gamma(q)$  cannot be zero because \_\_\_\_\_.  
**(a)  $\theta q \neq 0$**  (b)  $\theta q \geq 0$  (c)  $\theta q \leq 0$  (d)  $\theta q = 0$
21. If all the roots are \_\_\_\_\_, then  $\rho(h)$  dampens exponentially fast to zero as  $h \rightarrow \infty$ .  
 (a) real or complex (b) complex **(c) real** (d) imaginary
22. In the case of complex roots, the time series will appear to be \_\_\_\_\_.  
 (a) acyclic (b) wave (c) linear **(d) cyclic**
23. An ARMA process is invertible only when the roots of  $\theta(z)$  lie \_\_\_\_\_ the unit circle.  
**(a) outside** (b) inside (c) boundary (d) center
24. the ACF of an AR(1) process is a sequence,  $\rho(h)$ , satisfying \_\_\_\_\_.  
**(a)  $\rho(h) - \phi\rho(h - 1) = 0, h = 1, 2, \dots$**  (b)  $\rho(h) - \phi\rho(h + 1) = 0, h = 1, 2, \dots$   
 (c)  $\rho(h+1) - \phi\rho(h - 1) = 0, h = 1, 2, \dots$  (d)  $\rho(h) - \alpha\rho(h - 1) = 0, h = 1, 2, \dots$
25.  $\gamma(h) =$  \_\_\_\_\_.  
**(a)  $\gamma(-h)$**  (b)  $\gamma(2h)$  (c)  $\gamma(\pm h)$  (d)  $\gamma(-2h)$
26. For a causal ARMA(p, q) model,  $\phi(B)x_t =$  \_\_\_\_\_.  
**(a)  $\theta(B)w_t$**  (b)  $\theta(B)x_t$  (c)  $-\phi(B)x_t$  (d)  $\phi(B)w_t$
27. The m-step-ahead predictor and its \_\_\_\_\_ based on the innovations algorithm.

(a) Entropy                      **(b) MSE**                      (c) RMSE                      (d) SSE

28. When  $n$  is large, \_\_\_\_\_ predictor is applied.

(a) innovations                      (b) m-step                      **(c) truncated**                      (d) long-range

29. To assess the precision of the forecasts, \_\_\_\_\_ intervals are typically calculated along with the forecasts.

**(a) prediction**                      (b) frequency                      (c) class                      (d) forecast

30. \_\_\_\_\_ measures the correlation between  $X$  and  $Y$  with the linear effect of  $Z$  removed.

(a)  $\rho_{YZ|X}$                       (b)  $\rho_{XZ|Y}$                       (c)  $\rho_{XY|X}$                       **(d)  $\rho_{XY|Z}$**

Unit III

1. ARIMA model is a broadening of the class of ARMA models to include \_\_\_\_\_.  
 (a) augmenting (b) differencing (c) Multiplying (d) Fractioning
2. The ARIMA(0,1,1), or IMA(1,1) model is best for \_\_\_\_\_ time series  
**(a) Economic** (b) Health (c) Earthquake (d) Fish Population
3. The new \_\_\_\_\_ is a linear combination of the old forecast and the new observation.  
 (a) backcast **(b) forecast** (c) prediction (d) regression
4. In EWMA, the parameter \_\_\_\_\_ is called the smoothing parameter  
**(a)  $1 - \lambda$**  (b)  $1 + \lambda$  (c)  $\lambda + 1$  (d)  $\lambda - 1$
5. \_\_\_\_\_ values of  $\lambda$  lead to smoother forecasts.  
 (a) meager (b) smaller (c) Moderate **(d) Larger**
6. \_\_\_\_\_ is called the return or growth rate.  
**(a)  $\nabla \log(x_t)$**  (b)  $\nabla \sin(x_t)$  (c)  $\nabla \cos(x_t)$  (d)  $\nabla \exp(x_t)$
7. \_\_\_\_\_ can help in indicating whether differencing is needed.  
 (a) AIC (b) BIC (c) BICc **(d) ACF**
8. A \_\_\_\_\_ decay in  $\rho(h)$  is an indication that differencing may be needed.  
 (a) Fast (b) Quick (c) Moderate **(d) Slow**
9. The ACF is cutting off at lag 2 and the PACF is \_\_\_\_\_ off.  
 (a) ahead (b) leading **(c) tailing** (d) behind
10. The ACF is tailing off and the PACF is cutting off at \_\_\_\_\_.  
 (a) lag 0 (b) lag 1 (c) lag 2 (d) lag 3
11. Which step is involved in the analysis of the residuals and model comparisons?  
 (a) parameter estimation **(b) diagnostics**  
 (c) model selection (d) Data Plotting
12. \_\_\_\_\_ can help in identifying departures from normality.  
 (a) Box Plot (b) Scatter Plot **(c) Q-Q plot** (d) Q-A plot
13. Which test is applied on residuals?  
 (a) t-test (b) z-test (c) f-test **(d) Run Test**
14. \_\_\_\_\_ leads to less-precise estimators.  
**(a) Overfitting** (b) underfitting (c) Estimation (d) Regression
15. The final step of model fitting is \_\_\_\_\_.  
 (a) parameter estimation (b) diagnostics  
 (c) model selection (d) Data Plotting
16. The AIC and AICc both prefer the \_\_\_\_\_ fit.  
 (a) AR(1) (b) AR(2) (c) MA(1) **(d) MA(2)**
17. \_\_\_\_\_ prefers the simpler AR(1) model  
 (a) AIC (b) AICc **(c) BIC** (d) BICc
18. The pure seasonal ARMA(P, Q)s is \_\_\_\_\_ only when the roots of  $\Phi P(z^s)$  lie outside the unit circle.  
**(a) Casual** (b) Invertible (c) Redundancy (d) Formal
19. Seasonal persistence occurs when the process is nearly \_\_\_\_\_ in the season.  
 (a) Constant (b) Consistent **(c) periodic** (d) non periodic

20. The ACF of stationary MA(1)12, and its will have a peak only at lag \_\_\_\_\_.

(a) 12

(b) 10

(c) 3

(d) 1



Unit IV

1. \_\_\_\_\_ is a frequency based measure of the correlation between two series at a given frequency.  
(a) Couple                      **(b) Coherency**                      (c) decouple                      (d) inheritance
2. What is the amplitude?  
**(a)  $A = \sqrt{U_1^2 + U_2^2}$**       (b)  $A = U_1 + U_2$                       (c)  $A = U_1^2 + U_2^2$                       (d)  $A = \sqrt[3]{U_1 + U_2}$
3. \_\_\_\_\_ is the determining the start point of the cosine function.  
(a) Frequency                      (b) Coherency                      **(c) Phase**                      (d) pass
4. The phase is  $\phi =$  \_\_\_\_\_.  
**(a)  $\tan^{-1}(-U_2/U_1)$**       (b)  $\sin^{-1}(-U_2/U_1)$                       (c)  $\cos^{-1}(-U_2/U_1)$                       (d)  $\tan^{-1}(U_2/U_1)$
5. The autocovariance function is the \_\_\_\_\_ of periodic components with weights proportional to the variances  $\sigma_k^2$ .  
**(a) sum**                      (b) minus                      (c) product                      (d) log
6. The \_\_\_\_\_ process is an essential tool, it is worthwhile investigating the spectrum of such a process.  
(a) non-linear                      **(b) linear**                      (c) log                      (d) stochastic
7. \_\_\_\_\_ is a complex-valued weighted average of the data  $d(j/n)$ .  
(a) FFT                      (b) DCT                      (c) DWT                      **(d) DFT**
8. In star time series data, the periodogram for frequencies less than \_\_\_\_\_.  
(a) 0.8                      (b) 8                      **(c) 0.08**                      (d) 0.008
9. This spectral density is the analogue of the \_\_\_\_\_ density function.  
(a) Normal                      (b) joint                      **(c) probability**                      (d) conditional
10. The sinusoid oscillating at a frequencies are called \_\_\_\_\_ frequencies.  
(a) fast                      (b) forward                      (c) folding                      **(d) Fourier**
11. In spectral density, the sum of squares associated with the residuals (SSE) is \_\_\_\_\_.  
(a) -1                      (b) 1                      **(c) 0**                      (d) <1
12. The scaled \_\_\_\_\_ is simply the sample variance at each frequency component  
(a) Frequency                      (b) Coherency                      (c) Phase                      **(d) periodogram**
13. The predominant period of the Johnson & Johnson series is \_\_\_\_\_ quarters per cycle.  
(a) 2                      **(b) 4**                      (c) 6                      (d) 8
14. \_\_\_\_\_ is one complete period of a sine or cosine function defined over a unit time interval.  
(a) Frequency                      (b) Coherency                      (c) Phase                      **(d) pass**
15. \_\_\_\_\_ index, defined in cycles per unit time with amplitude.  
**(a) Frequency**                      (b) Coherency                      (c) Phase                      (d) pass
16. \_\_\_\_\_ of a time series, is the number of points in a cycle.  
(a) Coherence                      (b) acyclic                      (c) cyclic                      **(d) period**
17. \_\_\_\_\_ frequency defines the highest frequency that can be seen in discrete sampling.  
(a) fast                      (b) forward                      **(c) folding**                      (d) footing
18. Under absolute \_\_\_\_\_ of  $\gamma(h)$ , the spectral density is the long-term average of the periodogram.  
**(a) summability**                      (b) productability                      (c) asymptotic                      (d) linearity
19. A/an \_\_\_\_\_ filter can isolate the variance in certain frequency intervals or bands.

- (a) non-linear      **(b) linear**      (c) median      (d) min  
20. The spectral distribution expresses the same information in terms of \_\_\_\_\_.  
(a) Frequency      (b) Coherency      (c) Phases      **(d) cycles**

Unit V

1. The Convergence rate of the EM algorithm compared with the \_\_\_\_\_ procedure is slow.  
(a) Jarque-Bera      **(b) Newton-Rapson**      (c) Whitney R      (d) Shapiro–Wilk
2. If the state process is \_\_\_\_\_, the state equation as a 2p-dimensional process.  
**(a) VAR(2)**      (b) VAR(1)      (c) VAR(0)      (d) VAR(3)
3. The state process is otherwise called \_\_\_\_\_ process.  
**(a) latent**      (b) lent      (c) gaussian      (d) impulse
4. The autocorrelation structure of  $y_t$  is identical to the autocorrelation structure of an \_\_\_\_\_ process.  
(a) ARMA(1,1)      (b) ARMA(1,0)      (c) ARMA(0,1)      (d) ARMA(0,0)
5. Which is the score vector?  
(a)  $\partial \ln LY(\Theta)/\partial \Theta$       (b)  $\ln LY(\Theta)/\partial \Theta$       (c)  $-\ln LY(\Theta)/\partial \Theta$       **(d)  $-\partial \ln LY(\Theta)/\partial \Theta$**
6. When \_\_\_\_\_, the problem is called smoothing.  
(a)  $s < t$       (b)  $s = t$       **(c)  $s > t$**       (d)  $s \leq t$
7. \_\_\_\_\_ algorithm gives us an iterative method for finding the MLEs of  $\Theta$  based on the incomplete data,  $y_{1:n}$ .  
(a) EM      (b) Maximization      (c) Minimization      (d) Expectation
8. The filtered estimator depends on the \_\_\_\_\_ and \_\_\_\_\_.  
**(a) present, past**      (b) present, future      (c) past, future      (d) future, current
9. Newton–Raphson algorithm can be used successively to update the \_\_\_\_\_ values.  
(a) lags      **(b) parameters**      (c)  $x_t$       (d)  $y_t$
10. The objective of log likelihood is \_\_\_\_\_.  
(a) stabilized      (b) increased      (c) Maximized      **(d) minimized**
11. The \_\_\_\_\_ rate of the EM algorithm compared with the Newton–Raphson procedure is slow.  
**(a) convergence**      (b) growth      (c) contrast      (d) divergence
12. \_\_\_\_\_ models is a good example of the model flexibility.  
(a) Gaussian      (b) binary      (c) Cosine      **(d) Structural**
13. When  $s = t$ , the problem is called \_\_\_\_\_.  
**(a) filtering**      (b) smoothing      (c) forecasting      (d) prediction
14. The filtered estimator depends on the \_\_\_\_\_.  
(a) present      (b) future      (c) past      **(d) past, future, present**
15. The likelihood is computed using the \_\_\_\_\_.  
(a) lags      **(b) innovations**      (c) returns      (d) processes
16. The convergence rate of the EM algorithm compared with the Newton–Raphson procedure is \_\_\_\_\_.  
(a) fast      (b) moderate      (c) very fast      **(d) slow**
17. The  $w_t$  are \_\_\_\_\_ independent and identically distributed, zero-mean normal vectors with covariance matrix Q.  
**(a)  $p \times 1$**       (b)  $1 \times 1$       (c)  $1 \times p$       (d)  $p \times p$
18. When \_\_\_\_\_, the problem is called forecasting or prediction.  
**(a)  $s < t$**       (b)  $s = t$       (c)  $s > t$       (d)  $s \leq t$
19.  $K_t$  is called Kalman \_\_\_\_\_.  
(a) filter      (b) smoother      **(c) gain**      (d) predictor

20. The forecast depends only on the \_\_\_\_\_.  
**(a) past**                      (b) present                      (c) future                      (d) current