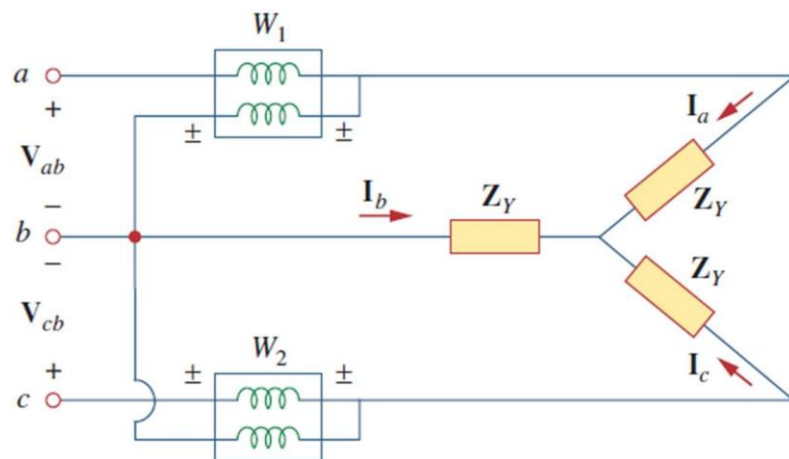


Three Phase Systems (Star-Star/Delta) and Power Measurement**Objectives:**

1. To understand three phase balanced system star-star and star-delta
2. To measure three phase power using two wattmeter method.

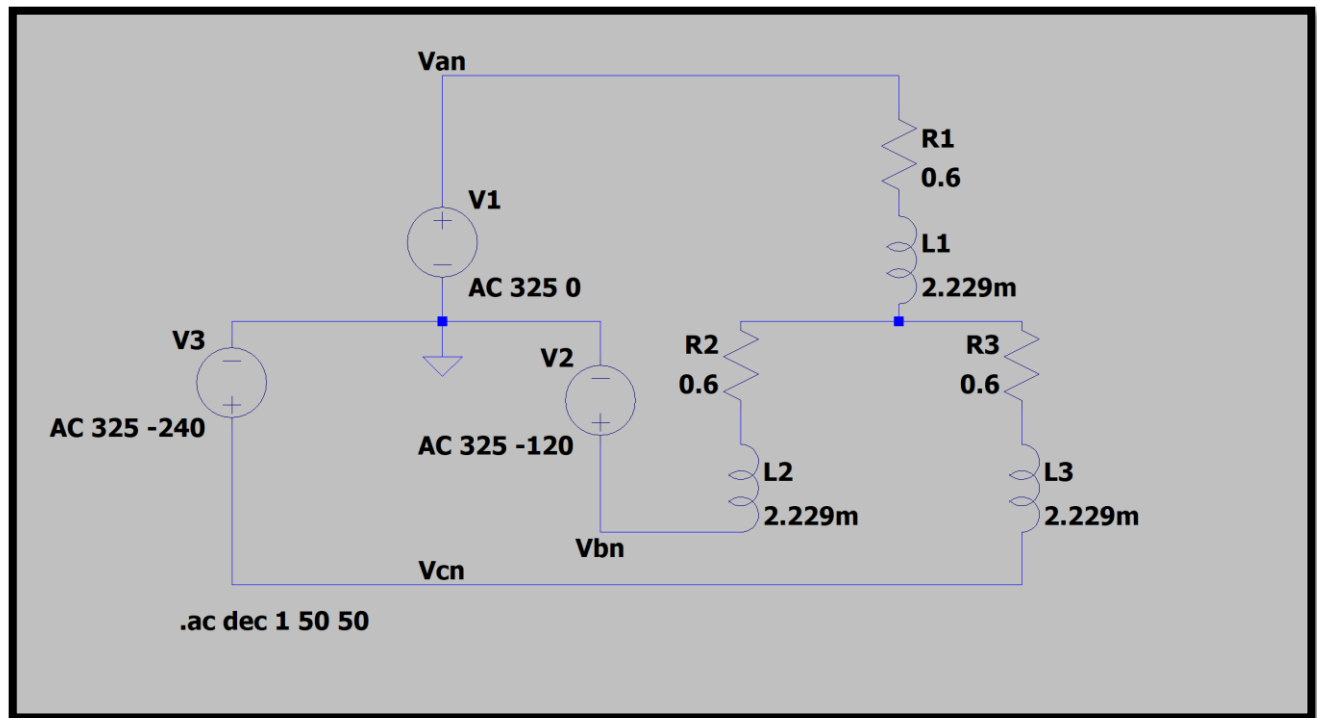
Circuit

1. R-Load:

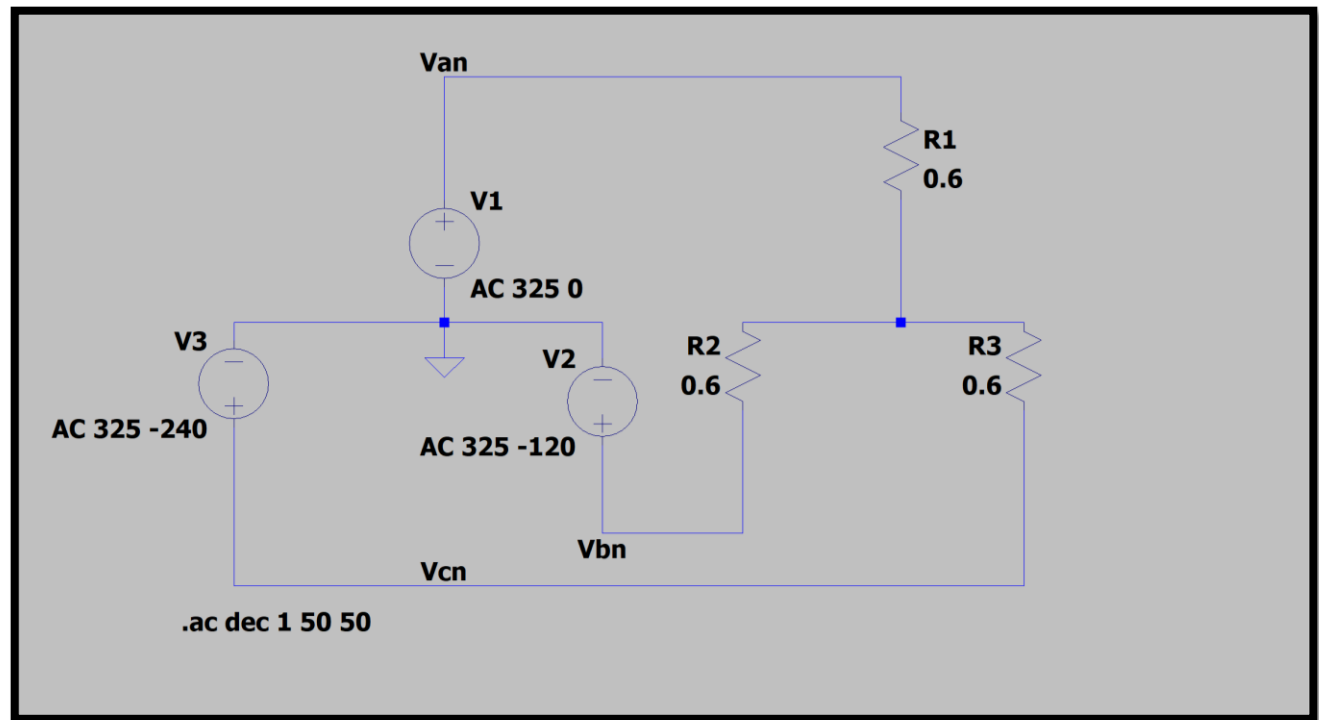
S. No	Parameter to be measured	Wattmeter 1 $P1=V_L I_L \cos \varphi 1$	Wattmeter 2 $P2=V_L I_L \cos \varphi 1$	Real Power $P=P1+P2$	Reactive Power $Q=\sqrt{3}(P2-P1)$	Power Factor $\cos\phi=\cos(\tan^{-1}(Q/P))$
1	Voltage (RMS)	398.04 30	398.04 90	264056.862	0	1
2	Current (RMS)	383.01 0	383.01 120			
3	Phase Angle difference	30	-30			
4	Power	132028.431	132028.431			
	$\varphi 1 = \varphi + 30^\circ$		$\varphi 2 = 30^\circ - \varphi$			

1. RL-Load:

S. No	Parameter to be measured	Wattmeter 1 $P1=V_L I_L \cos \varphi 1$	Wattmeter 2 $P2=V_L I_L \cos \varphi 1$	Real Power $P=P1+P2$	Reactive Power $Q=\sqrt{3}(P2-P1)$	Power Factor $\cos\phi=\cos(\tan^{-1}(Q/P))$
1	Voltage (RMS)	398.04 30	398.04 90	111801.58	130253.6	0.65(lag)
2	Current (RMS)	249.0 -49.36	383.01 120			
3	Phase Angle difference	79.36	-30			
4	Power	18299.78	93501.8			
	$\varphi 1 = \varphi + 30^\circ$		$\varphi 2 = 30^\circ - \varphi$			



--- AC Analysis ---				
frequency:	50	Hz		
V(van):	mag:	325	phase: 5.0106e-015°	voltage
V(vbn):	mag:	325	phase: -120°	voltage
V(vcn):	mag:	325	phase: 120°	voltage
V(n001):	mag:	246.624	phase: 40.5561°	voltage
V(n003):	mag:	211.313	phase: -169.362°	voltage
V(n002):	mag:	7.10543e-014	phase: -126.87°	voltage
V(n004):	mag:	211.313	phase: 70.6379°	voltage
I(L3):	mag:	352.188	phase: -109.362°	device_current
I(L2):	mag:	352.188	phase: 10.6379°	device_current
I(L1):	mag:	352.188	phase: -49.3621°	device_current
I(R3):	mag:	352.188	phase: 70.6379°	device_current
I(R2):	mag:	352.188	phase: -169.362°	device_current
I(R1):	mag:	352.188	phase: -49.3621°	device_current
I(V3):	mag:	352.188	phase: -109.362°	device_current
I(V2):	mag:	352.188	phase: 10.6379°	device_current
I(V1):	mag:	352.188	phase: 130.638°	device_current



```

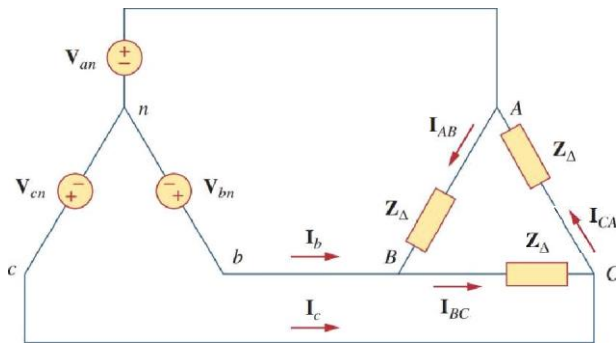
--- AC Analysis ---

frequency:      50          Hz
V(van) :      mag:      325 phase:      0°          voltage
V(vbn) :      mag:      325 phase:     -120°        voltage
V(vcn) :      mag:      325 phase:      120°        voltage
V(n001) :      mag: 3.69482e-014 phase:   -112.62°   voltage
I(R3) :      mag:      541.667 phase:      120°      device_current
I(R2) :      mag:      541.667 phase:     -120°      device_current
I(R1) :      mag:      541.667 phase: 6.01272e-015°  device_current
I(V3) :      mag:      541.667 phase:     -60°      device_current
I(V2) :      mag:      541.667 phase:      60°      device_current
I(V1) :      mag:      541.667 phase:   -180°      device_current

```

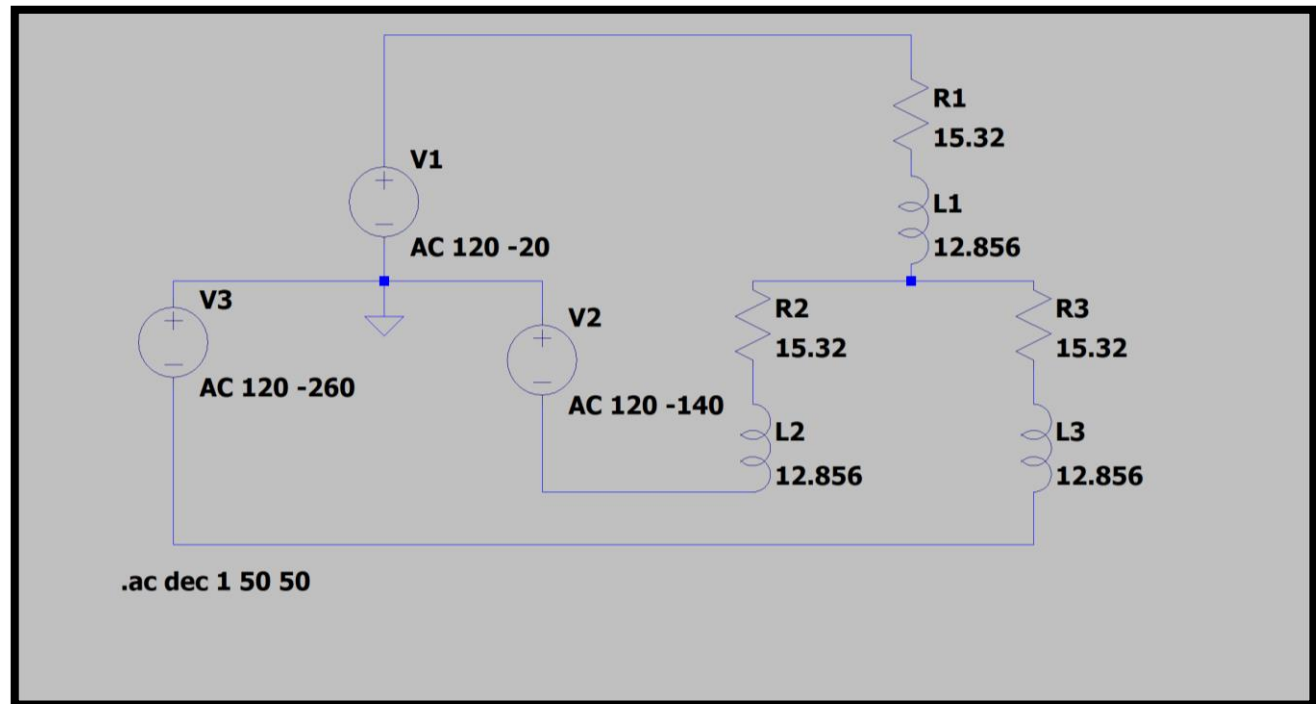
Do it yourself for practice:

- Measure the rms values of all the above listed parameters using spice directive .MEAS
- Measure the current through neutral wire



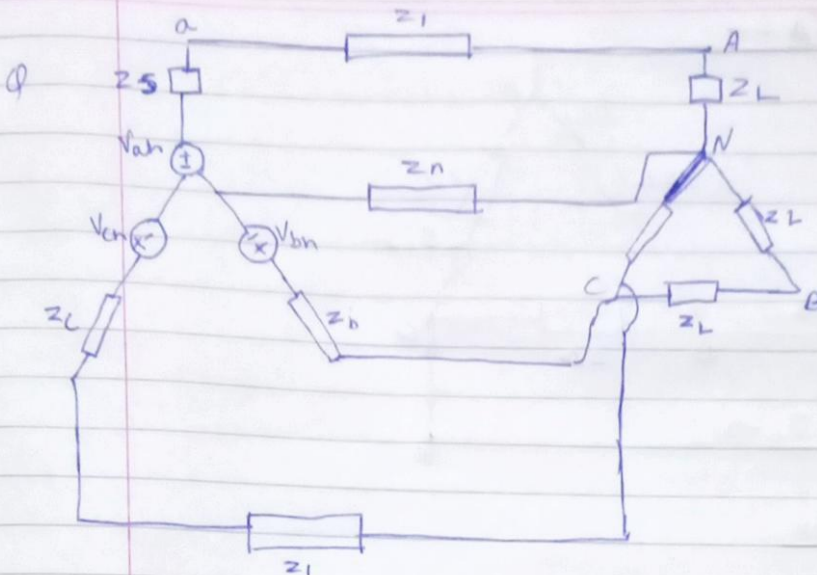
One line voltage of a balanced Y-connected source is $V_{AB} = 120 \angle -20^\circ$ V. If the source is connected to a Δ -connected load of $20 \angle 40^\circ \Omega$, find the phase and line currents. Assume the abc sequence.

Answer: $6 \angle -60^\circ$ A, $6 \angle -180^\circ$ A, $6 \angle 60^\circ$ A, $10.392 \angle -90^\circ$ A, $10.392 \angle 150^\circ$ A, $10.392 \angle 30^\circ$ A.



--- AC Analysis ---				
frequency:	50	Hz		
V(n001):	mag: 120	phase: -20°	voltage	
V(n006):	mag: 120	phase: 40°	voltage	
V(n007):	mag: 120	phase: -80°	voltage	
V(n002):	mag: 120	phase: -19.9276°	voltage	
V(n003):	mag: 80	phase: -20°	voltage	
V(n004):	mag: 80.3939	phase: -19.9449°	voltage	
V(n005):	mag: 79.6056	phase: -19.9465°	voltage	
I(L3):	mag: 0.0262029	phase: -30.676°	device_current	
I(L2):	mag: 0.0262029	phase: 171.111°	device_current	
I(L1):	mag: 0.00990378	phase: -109.783°	device_current	
I(R3):	mag: 0.0262029	phase: -30.676°	device_current	
I(R2):	mag: 0.0262029	phase: 171.111°	device_current	
I(R1):	mag: 0.00990378	phase: -109.783°	device_current	
I(V3):	mag: 0.0262029	phase: 149.324°	device_current	
I(V2):	mag: 0.0262029	phase: -8.88926°	device_current	
I(V1):	mag: 0.00990378	phase: 70.2173°	device_current	

Calculations:



$$V_{ab} = V_{an} - V_{bn}$$

$$= 120 \angle 30^\circ - 120 \angle -30^\circ$$

$$V_{ab} = 207.85 \angle 60^\circ \text{ V}$$

$$V_{bc} = V_{bn} - V_{cn}$$

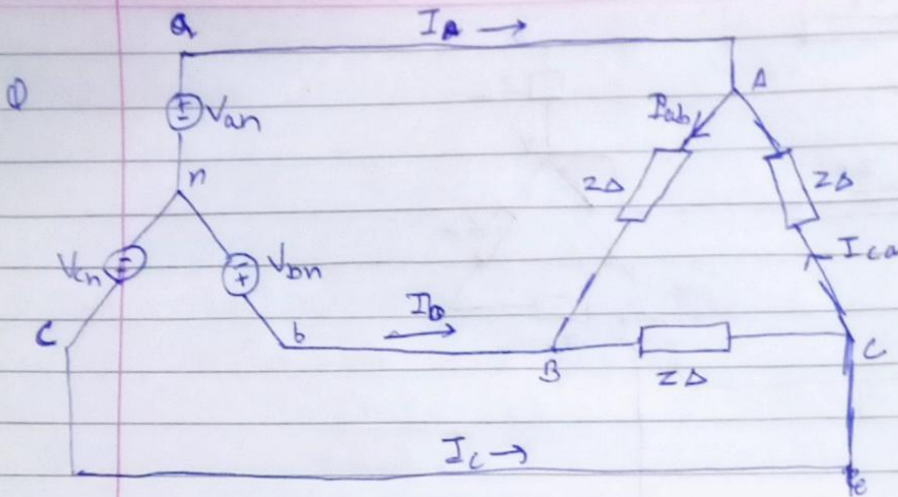
$$= 207.85 \angle 60^\circ \text{ V}$$

$$V_{ca} = 207.85 \angle 60^\circ \text{ V}$$

$$\therefore I_A = \frac{120 \angle 30^\circ}{28 + 20j} = 3.73 \angle -5.53^\circ \text{ A}$$

$$I_B = \frac{V_{bn}}{(25 + 20j)} = 3.73 \angle -128.66^\circ \text{ A}$$

$$I_C = \frac{V_{cn}}{26 + 20j} = 3.73 \angle 111.54^\circ \text{ A}$$



$$V_{ab} = 120 \angle -20^\circ \text{ V}$$

$$V_{bc} = 120 \angle 140^\circ \text{ V}$$

$$V_{ca} = 120 \angle -260^\circ \text{ V}$$

$$\therefore I_{ab} = 6 \angle -60^\circ \text{ A}$$

$$I_{bc} = 6 \angle -180^\circ \text{ A}$$

$$I_{ca} = 6 \angle 60^\circ \text{ A}$$

$$\therefore I_a = I_{ab} - I_{ba} = 10.392 \angle -90^\circ \text{ A}$$

$$I_b + I_{ab} = I_{bc}$$

$$\Rightarrow I_b = 10.392 \angle 180^\circ \text{ A}$$

$$I_c = I_{ca} - I_{bc}$$

$$\Rightarrow I_c = 10.392 \angle 30^\circ \text{ A}$$