





#### **Address Space Qualifiers**

- global
  - Accesibil de toate work-item-urile.
- \_\_local
  - Accesibil doar de work-item-urile unui work-group.
- \_\_private
  - Accesibil de un singur work-item.
- constant



#### **Synchronization**

- void barrier(cl\_mem\_fence\_flags flags)
- void work\_group\_barrier(cl\_mem\_fence\_flags flags)
  - Toate work-item-urile unui work-group trebuie să aștepte la barieră pentru a trece mai departe.
  - Dacă bariera în if toate să intre pe aceeași ramură a if-ului.
  - Dacă bariera în for toate să facă același număr de iterații ale for-ului.



#### **Built in Functions**

- uint get\_work\_dim()
  - Cu câte dimensiuni a fost rulat kernel-ul.
- size\_t get\_global\_size(uint dimindx)
  - Mărimea globală pentru dimensiunea dimindx.
- size\_t get\_global\_id(uint dimindx)
  - Locația în dimensiunea dimindx.
- size\_t get\_local\_size(uint dimindx)
  - Mărimea work-group-ului pe dimensiunea dimindx.
- size\_t get\_local\_id(uint dimindx)
  - Locația în work-group pe dimensiunea dimindx.

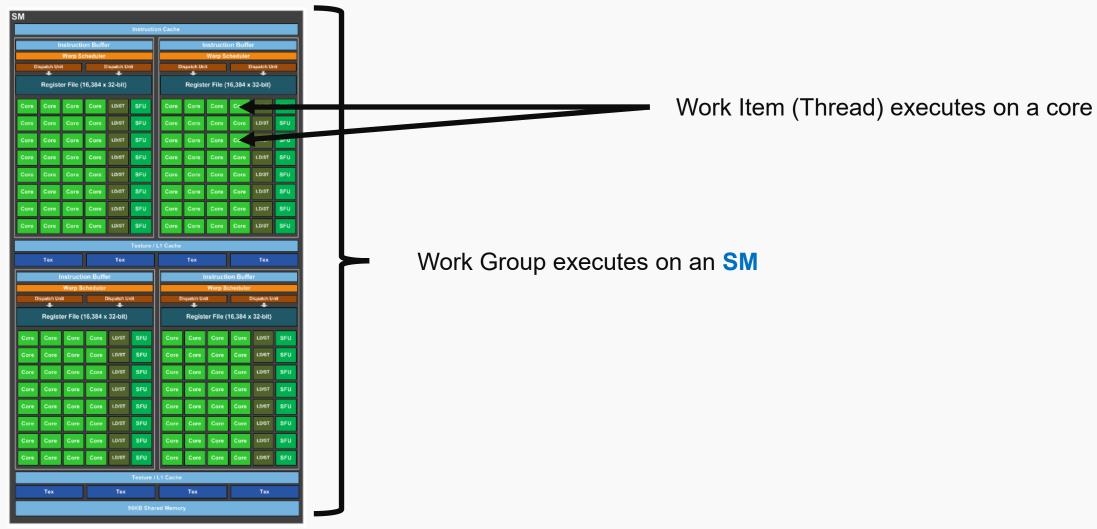


## **Synchronization**

- No mutex
- No semaphore
- Yes atomics... Tons of atomics.
  - atomic\_add
  - atomic\_sub
  - atomic\_xchg
  - atomic\_inc
  - atomic\_min
  - atomic\_and



#### **OpenCL Hardware vs Software**



GTX 1080 (Pascal) Streaming Multiprocessor (Compute Unit)



#### **Detalii Work Group**

#### Work Group

- Conţine mai mulţi work items (threads)
- Toate work items dintr-un work group împart Shared memory (\_\_local)
- Barieră din kernel există doar la nivel de work group
  - o Toate work items din work group trebuie să apeleze bariera
- Atomicele pot funcționa la nivel de work group
- Work items din acelaşi work group pot rula în lock step
- Unul (sau mai mulți depinde de implementare) work group pe SM
- MAX un SM pe work group



#### Barieră globală

- Default toate comenzile introduse într-un queue sunt executate în ordine și se așteaptă terminarea uneia ca să înceapă alta.
- Dacă avem nevoie de barieră globală, singura metodă e să separăm codul la acea barieră și să executăm porțiunea de după barieră printr-un nou apel clEnqueueNDRangeKernel (fie că e același kernel cu alți parametri sau altul)

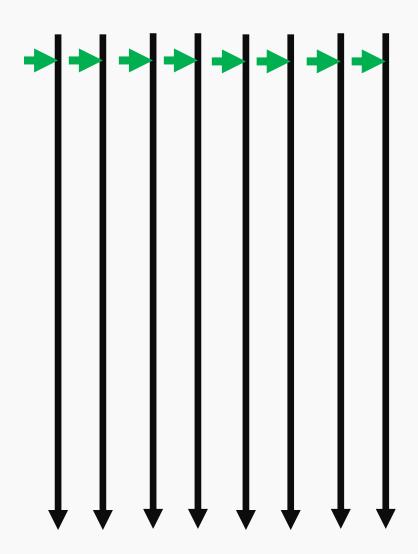


#### **OpenCL Hardware vs Software**

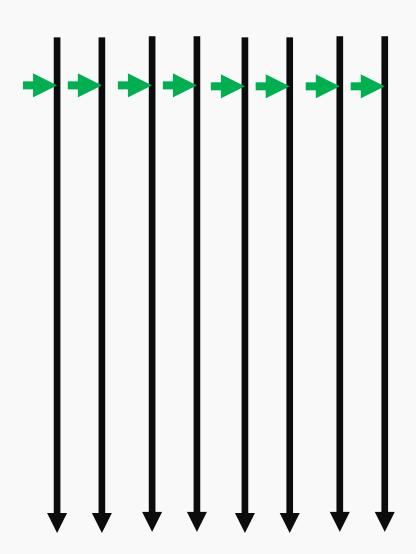
- GTX 1080
  - CUDA cores: 2560
  - Max Compute Units (raportat de OpenCL): 20
  - CUDA cores per SM: 128
  - Max Work Group Size (raportat de OpenCL): 1024
- i7-6800k
  - Cores: 6 (12 hyper-threaded)
  - Max Compute Units (raportat de OpenCL): 12
  - AVX2: operații pe vectori de 8 int
  - Max Work Group Size (raportat de OpenCL): 8192

Max Work Group Size poate să fie afectat de mărimea kernel-ului.

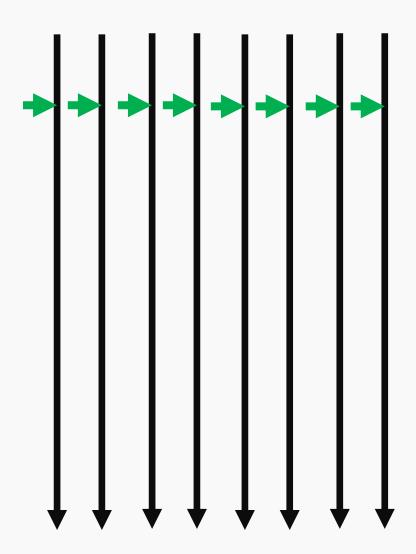




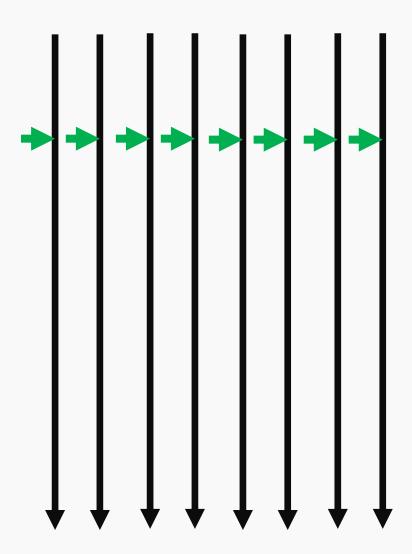






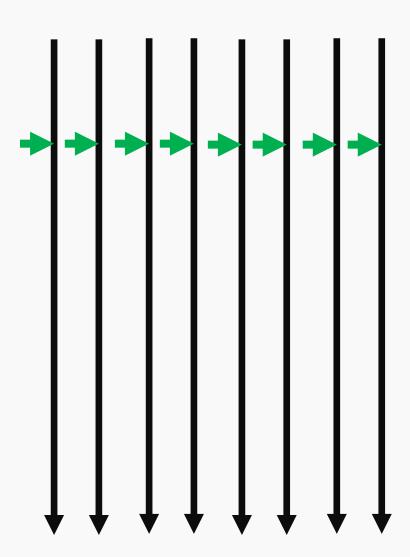






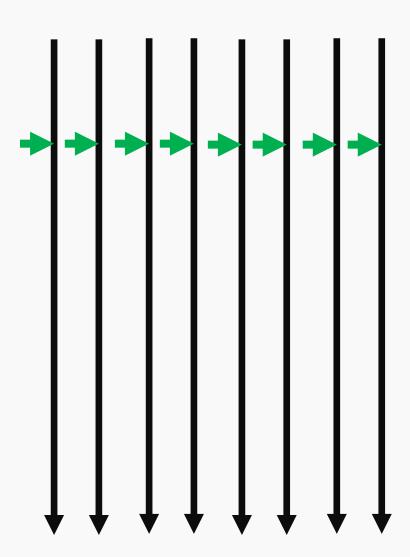


Dar la if?

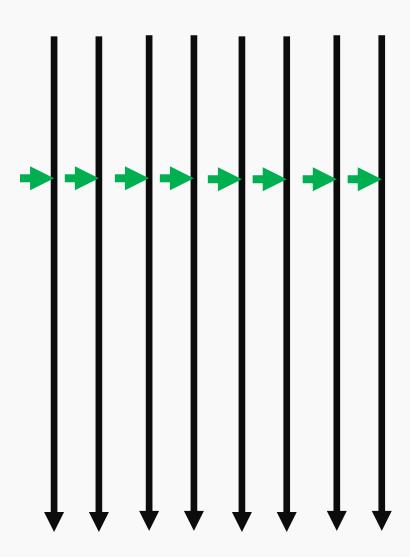




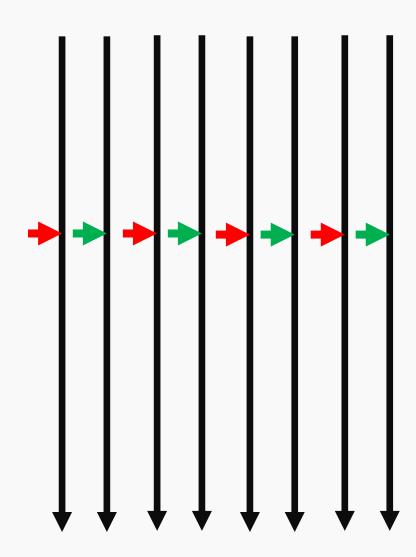
```
if(thread_id%i==1)
     do_something();
else
     do_somethingelse();
```





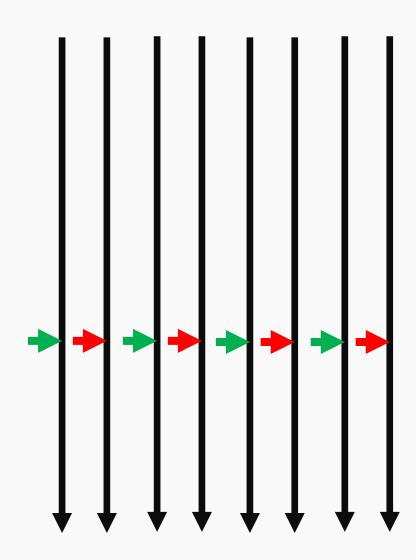




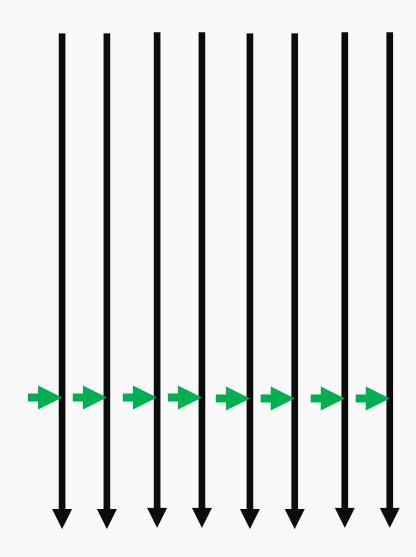




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if(thread_id%i==1)
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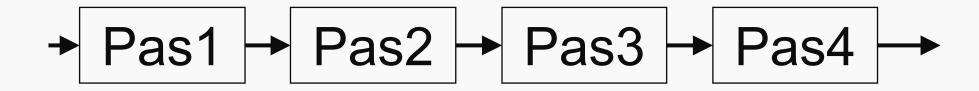








- Pipeline de instrucțiuni CPU
- Pipeline grafic (randare, antialiasting)
- Diferiți algoritmi



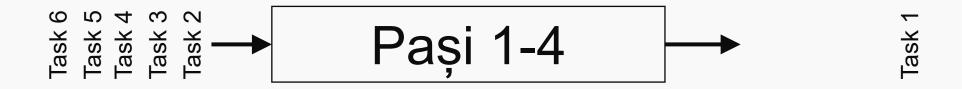
#### Un **pas** poate fi un:

- thread
- proces
- element hardware























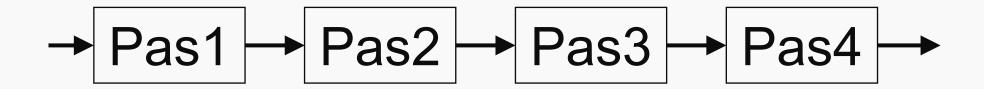


 $total\_execution\_time = task\_execution\_time * number\_of\_tasks$ 



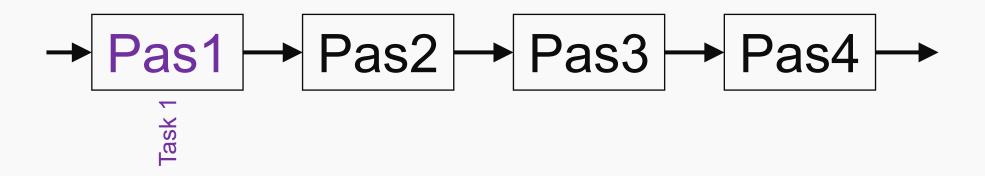


Task 6
Task 5
Task 4
Task 3
Task 2
Task 2
Task 1



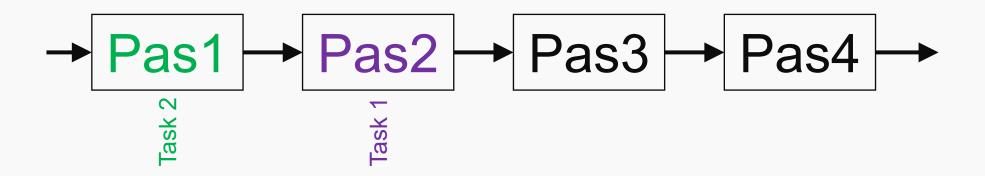


Task 6
Task 5
Task 4
Task 3
Task 2



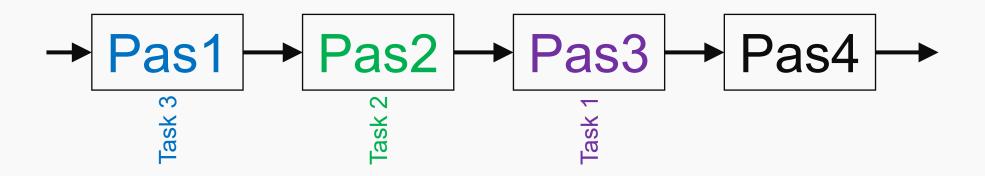


Task 6
Task 5
Task 4
Task 3



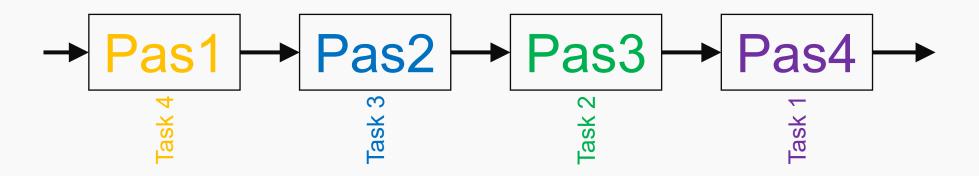


Task 6 Task 5 Task 4



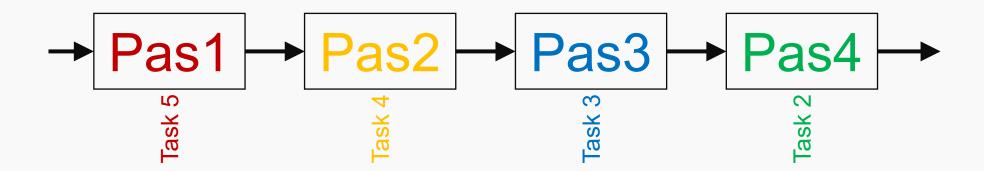


Task 6 Task 5



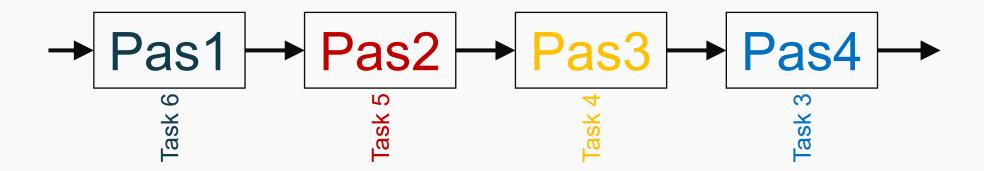


Task 6



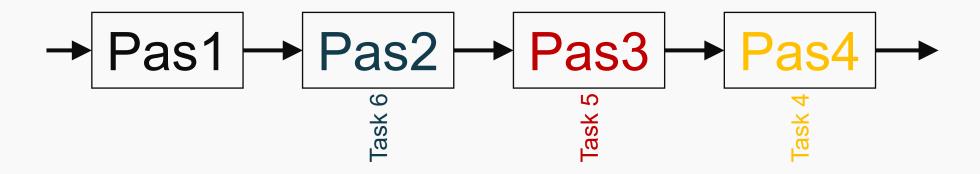
Task 1





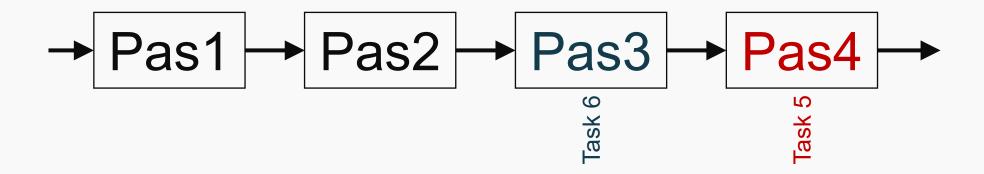
Task 2 Task 1





Task 3 Task 2 Task 1

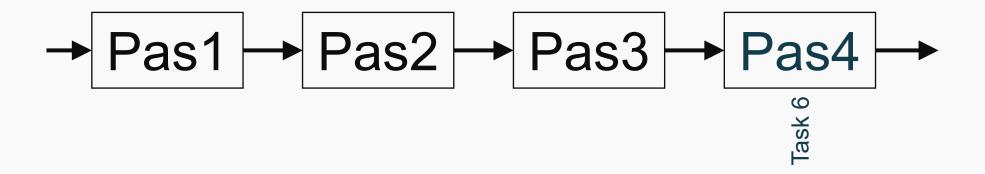




Task 4
Task 3
Task 2
Task 1



Ideal: 
$$step\_execution\_time = \frac{task\_execution\_time}{number\_of\_steps}$$



**După avem mai mult decât** *number\_of\_steps* tasks timpul devine:  $total\_execution\_time = number\_of\_tasks * step\_execution\_time$ 

Un task se termină la fiecare "step tick"





#### Pipeline – ghid programare

```
Pas i →
Inițializare
for(un număr de pași) {
      primește date de la Pas(i-1)
      procesează
     trimite date la Pas(i+1)
Finalizare
```



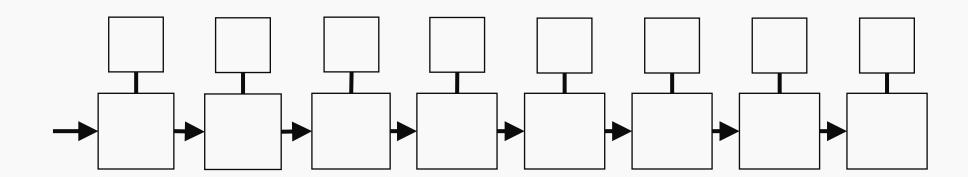


9 4 2 7 6 5 6 1

1 2 4 5 6 6 7 9

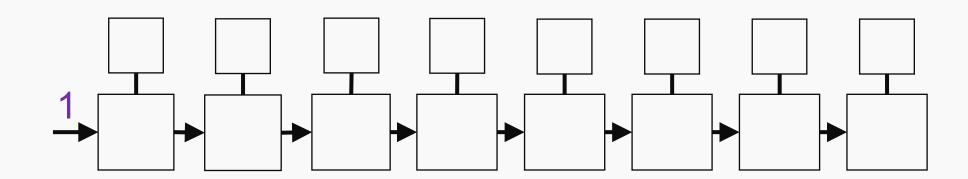


9 4 2 7 6 5 6 1





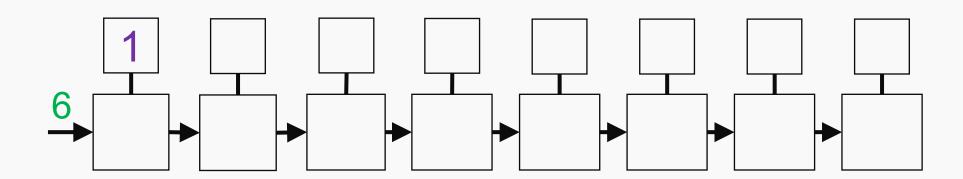
9 4 2 7 6 5 6





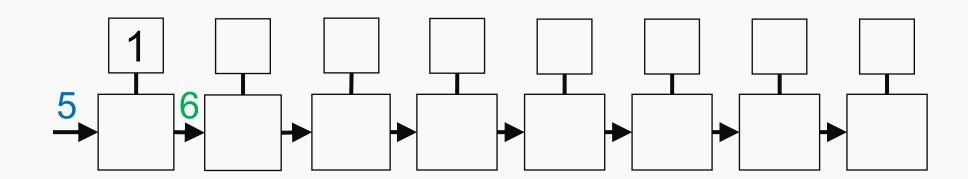
## Sorting with pipeline

9 4 2 7 6 5



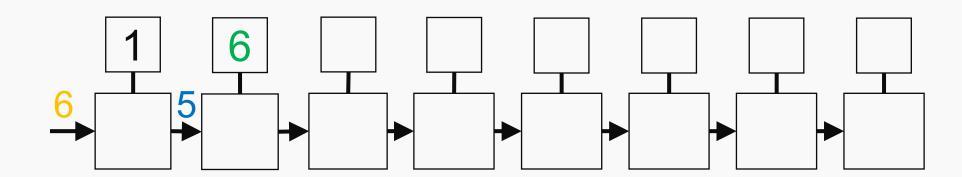


9 4 2 7 6



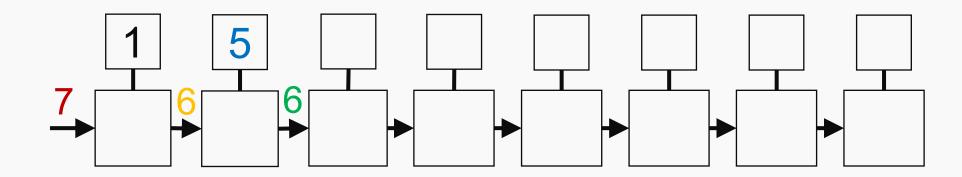


9 4 2 7



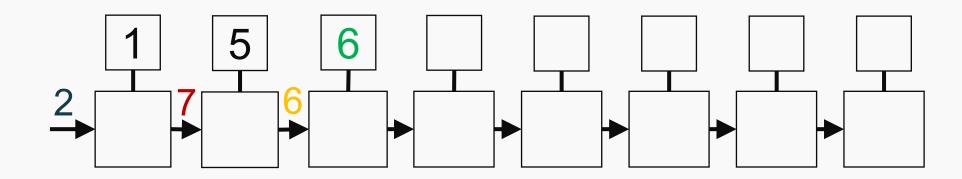


9 4 2



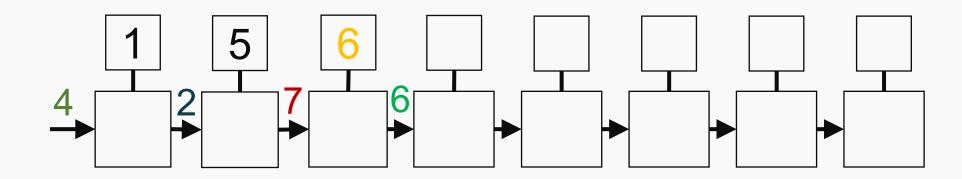


9 4

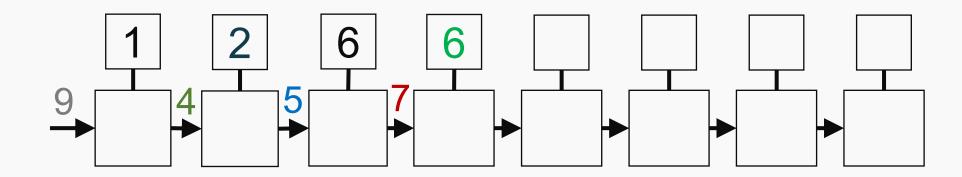




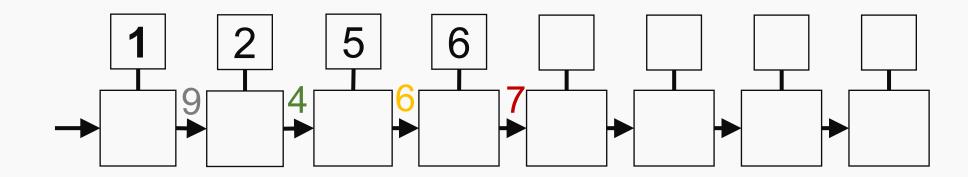
9



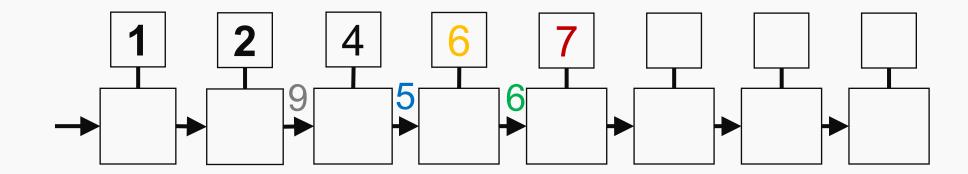




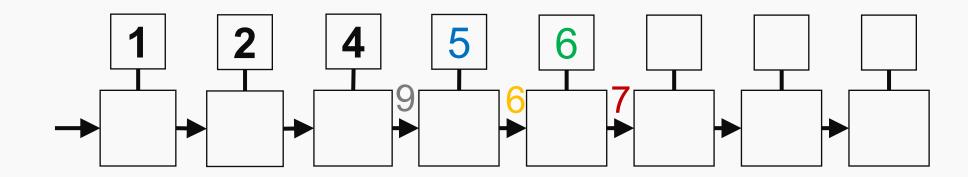




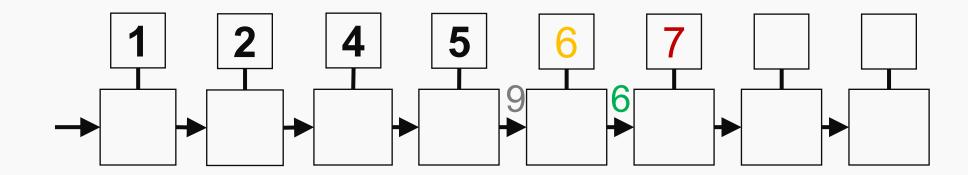




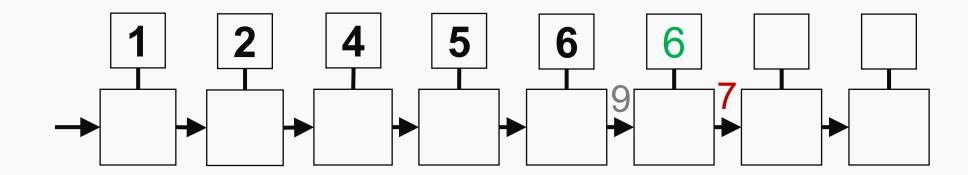




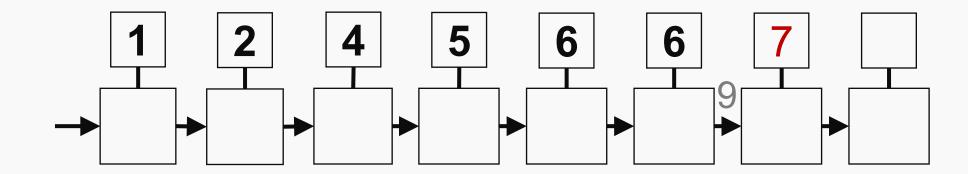




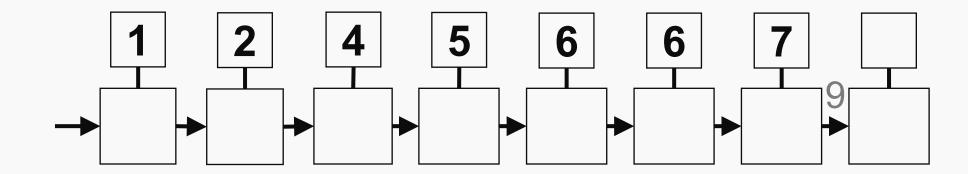




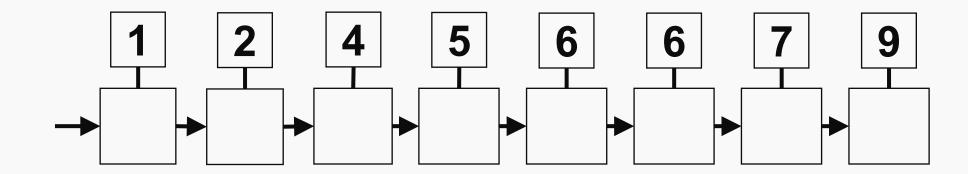














#### Sortare cu pipeline - complexitate

O(N) pentru P=N

Dar comunicația e foarte lentă



#### Pipeline – ghid programare

```
Pas i →
Inițializare
for(un număr de pași) {
      primește date de la Pas(i-1)
      procesează
     trimite date la Pas(i+1)
Finalizare
```



#### Sortare cu Pipeline – ghid programare



```
noop;
for(fiecare face cu o operație mai puțin decât pasul
precedent) {
      primește număr de la Pas(i-1)
      ține local numărul minim între cel primit sau cel
avut
      trimite numărul mai mare la Pas(i+1)
Scrie numărul la poziția i
```

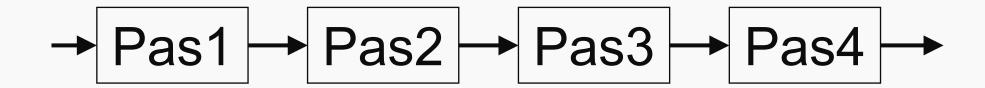




$$P(x) = \sum_{i=0}^{n} a_i x^i = a_0 x^0 + a_1 x^1 + a_2 x^2 + \dots + a_{n-1} x^{n-1} + a_n x^n, n \ge 0$$

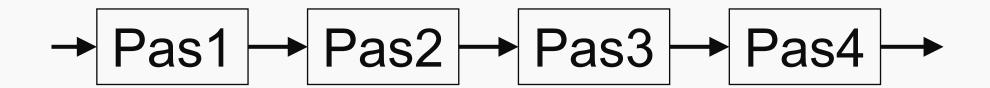
Se dorește să calculăm valoarea lui P pentru diverși x. Use case: desenarea graficului aferent polinomului.





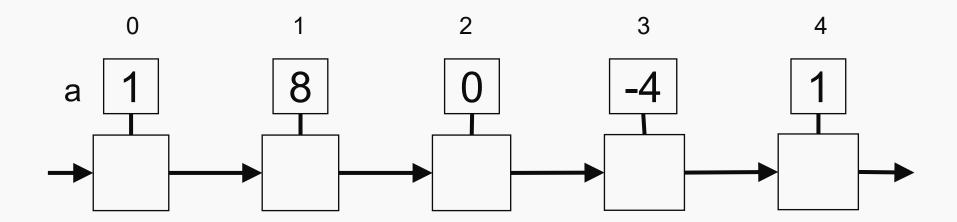


$$P(x) = 1 + 8x + (-4)x^3 + x^4$$



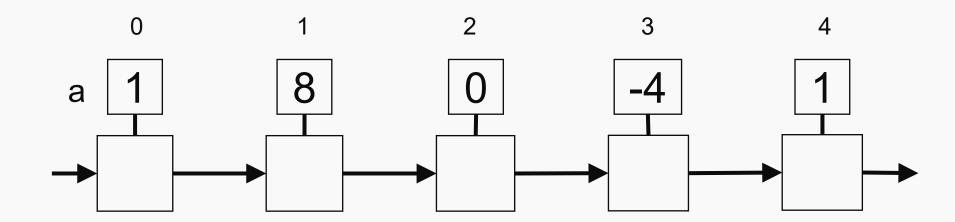


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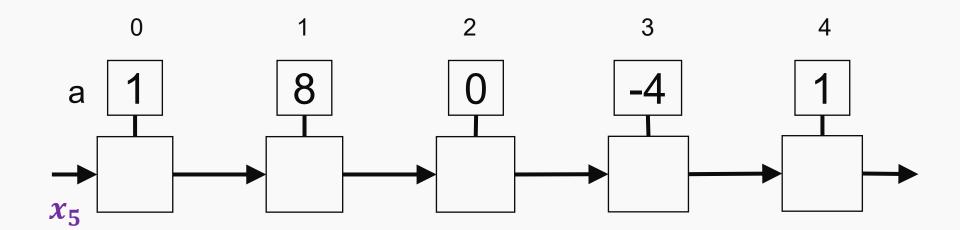


 $x_1 \ x_2 \ x_3 \ x_4 \ x_5$ 



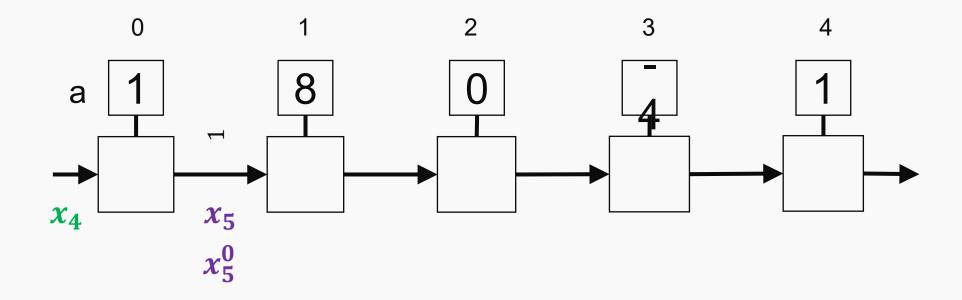


 $x_1$   $x_2$   $x_3$   $x_4$ 



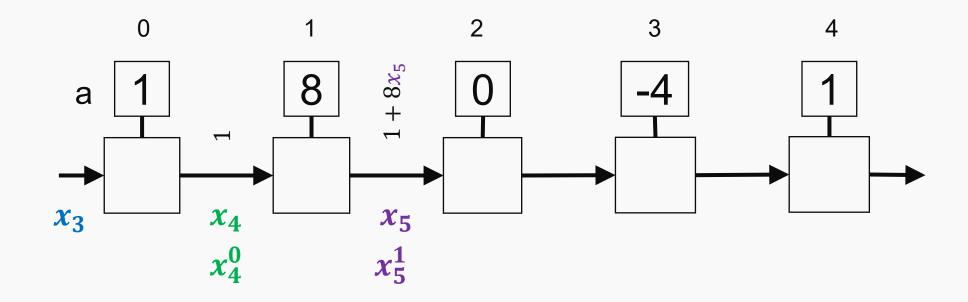


 $x_1$   $x_2$   $x_3$ 



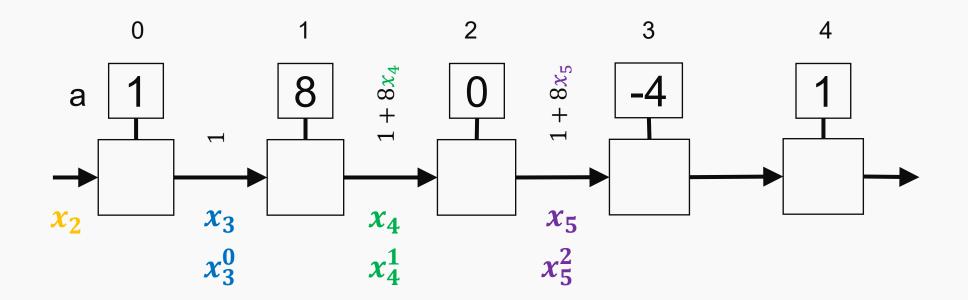


 $x_1 x_2$ 

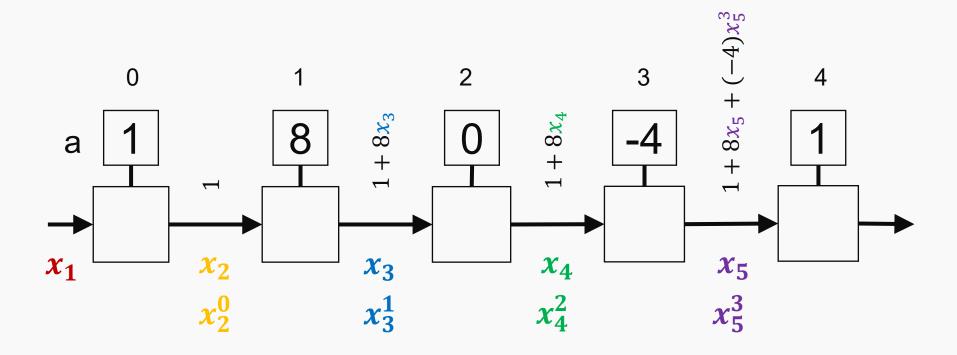




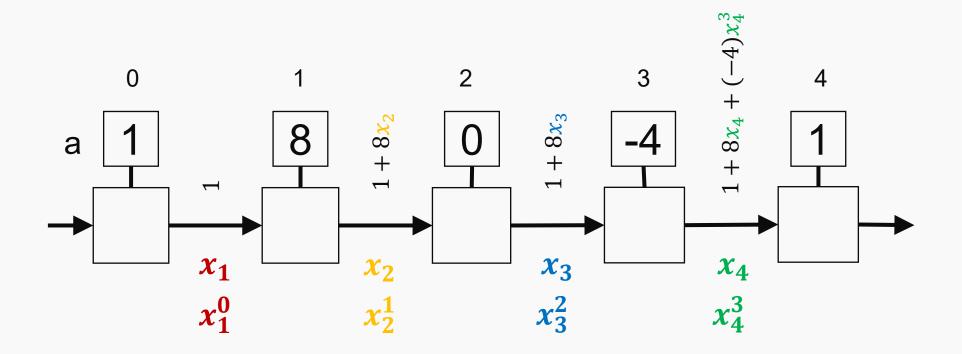
 $\boldsymbol{x_1}$ 





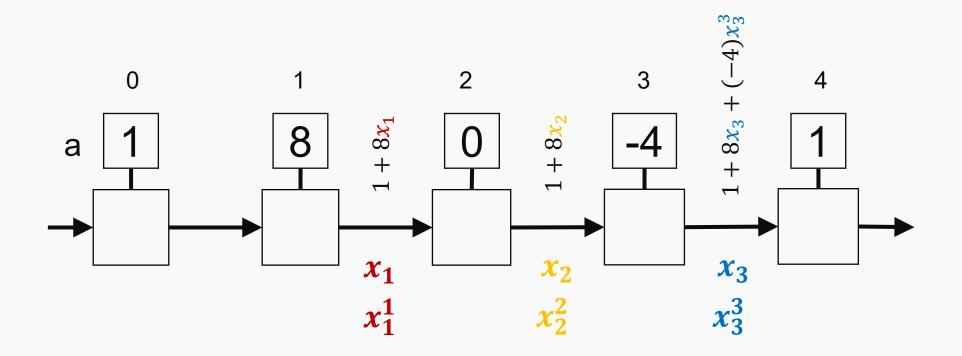






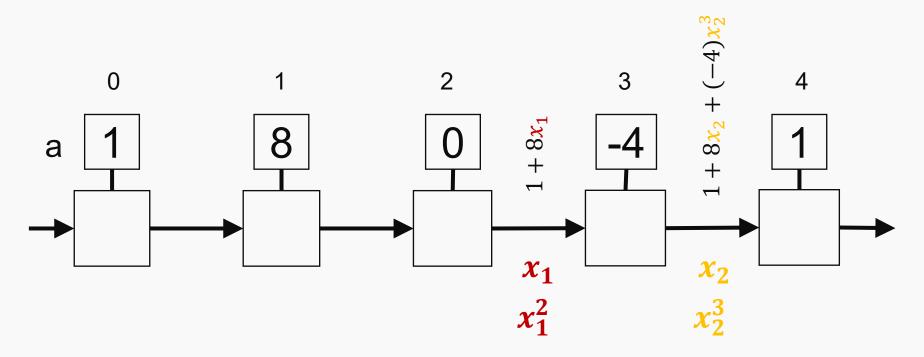
$$1 + 8x_5 + (-4)x_5^3 + x_5^4$$





$$1 + 8x_4 + (-4)x_4^3 + x_4^4$$
$$1 + 8x_5 + (-4)x_5^3 + x_5^4$$



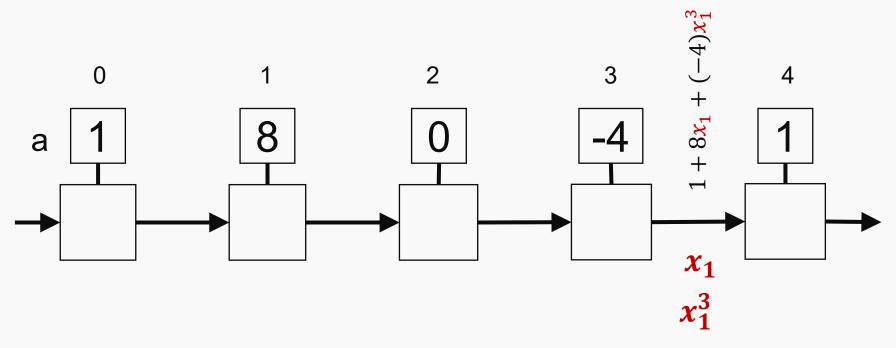


$$1 + 8x_3 + (-4)x_3^3 + x_3^4$$

$$1 + 8x_4 + (-4)x_4^3 + x_4^4$$

$$1 + 8x_5 + (-4)x_5^3 + x_5^4$$





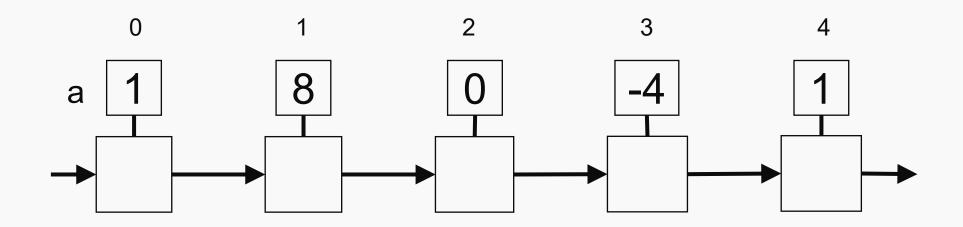
$$1 + 8x_3 + (-4)x_3^3 + x_3^4$$

$$1 + 8x_4 + (-4)x_4^3 + x_4^4$$

$$1 + 8x_2 + (-4)x_2^3 + x_2^4$$

$$1 + 8x_5 + (-4)x_5^3 + x_5^4$$





$$1 + 8x_3 + (-4)x_3^3 + x_3^4$$

$$1 + 8x_1 + (-4)x_1^3 + x_1^4$$

$$1 + 8x_4 + (-4)x_4^3 + x_4^4$$

$$1 + 8x_2 + (-4)x_2^3 + x_2^4$$

$$1 + 8x_5 + (-4)x_5^3 + x_5^4$$



#### Pipeline – ghid programare

```
Pas i →
Inițializare
for(un număr de pași) {
      primește date de la Pas(i-1)
      procesează
     trimite date la Pas(i+1)
Finalizare
```



#### Pipeline – ghid programare



```
Primește coeficientul potrivit pasului
for(un număr de pași egal cu numărul de valori) {
         primește de la Pas(i-1): polinom parțial calculat
                  valoarea originală
                  valoare originală ^ (i-1)
         Calculează (valoarea originală ^ i) și adaugă la polinom parțial calculat produsul dintre coeficient și aceasta.
         trimite spre Pas(i+1): noul polinom parțial calculat, valoarea originală și valoare originală ^ i)
```

