

- Normal forms are used to measure the “goodness” of a relation.
- 4 Types: 1NF , 2NF , 3NF and BCNF(Boyce-Codd Normal Form)
- **Conditions to check relation is in BCNF or not:**
  1. First find a minimum Fd’s set  $F_{min}$ .
  2. Then find key for the given Fd’s set.
  3. If in all Fd’s left side is a key then we say BCNF otherwise not.
- **Conditions to check relation is in 3NF or not:**
  1. First find a minimum Fd’s set  $F_{min}$ .
  2. Then find key for the given Fd’s set.
  3. If in all Fd’s left side is a key or right side is a prime attribute then we say 3NF otherwise not.
- **User Relation:**

User : ( User\_Id, Name, Gender, Date\_Of\_Birth, Area, City, State, Phone\_No, Email, password )

$F_{min}$  :

User\_Id -> Name

User\_Id -> Password

User\_Id -> Gender

User\_Id -> Phone\_No

User\_Id -> Date\_Of\_Birth

User\_Id -> State

User\_Id -> Area

User\_Id -> Email

User\_Id -> City

Let we choose  $X = \{ \text{User\_Id} \}$ . And find closure of X.

$X^+ = \{ \text{User\_Id}, \text{Name}, \text{Gender}, \text{Date\_Of\_Birth}, \text{Area}, \text{City}, \text{State}, \text{Phone\_No}, \text{Email}, \text{password} \}$

In here  $X^+$  contains all attributes of relation.

Thus, **Primary key** = {User\_Id }.

For every FD’s  $A \rightarrow B$  in  $F_{min}$  , A is a key.

So we say that User is in **BCNF**.

- **Movies Relation:**

Movies : ( Movie\_Name, Release\_Date , Movie\_Duration , Budget )

**F<sub>min</sub>** :

{ Movie\_Name, Release\_Date\_ } -> Movie\_Duration

{ Movie\_Name, Release\_Date\_ } -> Budget

Let we choose  $X = \{ \text{Movie\_Name, Release\_Date\_} \}$ . And find closure of X.

$X^+ = \{ \text{Movie\_Name, Release\_Date\_ , Movie\_Duration , Budget } \}$

In here  $X^+$  contains all attributes of relation.

Thus, **Primary key** = { Movie\_Name, Release\_Date\_ }.

For every FD's  $A \rightarrow B$  in  $F_{\min}$  , A is a key.

So we say that Movies is in **BCNF**.

- **Theatre Relation:**

Theatre : ( Theatre\_Id, Theatre\_Name, No\_Of\_Screens, Helpline\_NO, Theatre\_Owner\_Name, Area, City, State, Rating )

**F<sub>min</sub>** :

Theatre\_Id -> Theatre\_Name

Theatre\_Id -> Area

Theatre\_Id -> No\_Of\_Screens

Theatre\_Id -> City

Theatre\_Id  $\rightarrow$  Helpline\_NO

Theatre\_Id  $\rightarrow$  State

Theatre\_Id  $\rightarrow$  Theatre\_Owner\_Name

Theatre\_Id  $\rightarrow$  Rating

Let we choose  $X = \{ \text{Theatre\_Id} \}$ . And find closure of X.

$X^+ = \{ \text{Theatre\_Id}, \text{Theatre\_Name}, \text{No\_Of\_Screens}, \text{Helpline\_NO}, \text{Theatre\_Owner\_Name}, \text{Area}, \text{City}, \text{State}, \text{Rating} \}$

In here  $X^+$  contains all attributes of relation.

Thus **Primary key** =  $\{ \text{Theatre\_Id} \}$ .

For every FD's  $A \rightarrow B$  in  $F_{\min}$ , A is a key.

So we say that Theatre is in **BCNF**.

- **Artist Relation:**

Artist : ( Artist\_Id, Name, Gender, DOB, No\_Of\_Movies, Networth, Spouse )

**$F_{\min}$**  :

Artist\_Id  $\rightarrow$  Name

Artist\_Id  $\rightarrow$  No\_Of\_Movies

Artist\_Id  $\rightarrow$  Gender

Artist\_Id  $\rightarrow$  Networth

Artist\_Id  $\rightarrow$  DOB

Artist\_Id  $\rightarrow$  Spouse

Let we choose  $X = \{ \text{Artist\_Id} \}$ . And find closure of X.

$X^+ = \{ \text{Artist\_Id}, \text{Name}, \text{Gender}, \text{DOB}, \text{No\_Of\_Movies}, \text{Networth}, \text{Spouse} \}$

In here  $X^+$  contains all attributes of relation.

Thus **Primary key** = { Artist\_Id }.

For every FD's  $A \rightarrow B$  in  $F_{\min}$ , A is a key.

So we say that Artist is in **BCNF**.

- **Role Relation:**

Role: (Role\_Name, Movie\_Name, Release\_Date, Artist\_Id)

Let we choose  $X = \{ \text{Role\_Name, Movie\_Name, Release\_Date, Artist\_Id} \}$ . And find closure of X.

$X^+ = \{ \text{Role\_Name, Movie\_Name, Release\_Date, Artist\_Id} \}$

In here  $X^+$  contains all attributes of relation.

Thus **Primary key** = { Role\_Name, Movie\_Name, Release\_Date, Artist\_Id }.

There is **no FD** in this relation because **key contains all attributes** of the relation.

So we say that Role is in **BCNF**.

- **Genre Relation:**

Genre: (Movie\_Name, Release\_Date, Genre\_Type )

Let we choose  $X = \{ \text{Movie\_Name, Release\_Date, Genre\_Type} \}$ . And find closure of X.

$X^+ = \{ \text{Movie\_Name, Release\_Date, Genre\_Type} \}$

In here  $X^+$  contains all attributes of relation.

Thus **Primary key** = { Movie\_Name, Release\_Date, Genre\_Type }.

There is **no FD** in this relation because **key contains all attributes** of the relation.

So we say that Genre is in **BCNF**.

- **Language Relation:**

Language: (Movie\_Name, Release\_Date, Language\_Name)

Let we choose  $X = \{ \text{Movie\_Name}, \text{Release\_Date}, \text{Language\_Name} \}$ . And find closure of X.

$X^+ = \{ \text{Movie\_Name}, \text{Release\_Date}, \text{Language\_Name} \}$

In here  $X^+$  contains all attributes of relation.

Thus **Primary key** =  $\{ \text{Movie\_Name}, \text{Release\_Date}, \text{Language\_Name} \}$ .

There is **no FD** in this relation because **key contains all attributes** of the relation.

So we say that Language is in **BCNF**.

- **Show Relation:**

Show: (Show\_Id, Show\_Date, Show\_Time, Screen\_No, Movie\_Name, Release\_Date, Theatre\_Id, Cost\_Of\_Silver\_Class, Cost\_Of\_Gold\_Class, Cost\_Of\_Diamond\_Class)

**F<sub>min</sub>** :

Show\_Id -> Show\_Date

Show\_Id -> Show\_Time

Show\_Id -> Screen\_No

Show\_Id -> Movie\_Name

Show\_Id -> Release\_Date

Show\_Id -> Theatre\_Id

Show\_Id -> Cost\_Of\_Silver\_Class

Show\_Id -> Cost\_Of\_Gold\_Class

Show\_Id -> Cost\_Of\_Diamond\_Class

Let we choose  $X = \{ \text{Show\_Id} \}$ . And find closure of X.

$X^+ = \{ \text{Show\_Id, Show\_Date, Show\_Time, Screen\_No, Movie\_Name, Release\_Date, Theatre\_Id, Cost\_Of\_Silver\_Class, Cost\_Of\_Gold\_Class, Cost\_Of\_Diamond\_Class} \}$

In here  $X^+$  contains all attributes of relation.

Thus, **Primary key** = { Show\_Id }.

For every FD's  $A \rightarrow B$  in  $F_{\min}$ , A is a key.

So we say that Show is in **BCNF**.

- **Seat Relation:**

Seat: ( Seat\_No, Screen\_No, Theatre\_Id, Type\_Of\_Seat )

$F_{\min}$  :

{ Seat\_No, Screen\_No, Theatre\_Id }  $\rightarrow$  Type\_Of\_Seat

Let we choose  $X = \{ \text{Seat\_No, Screen\_No, Theatre\_Id} \}$ . And find closure of X.

$X^+ = \{ \text{Seat\_No, Screen\_No, Theatre\_Id, Type\_Of\_Seat} \}$

In here  $X^+$  contains all attributes of relation.

Thus Primary key = { Seat\_No, Screen\_No, Theatre\_Id }.

For every FD's  $A \rightarrow B$  in  $F_{\min}$ , A is a key.

So we say that Seat is in **BCNF**.

- **Screen Relation:**

Screen : ( Screen\_No, Theatre\_Id, Total\_No\_Of\_Silver\_Seats, Total\_No\_Of\_Gold\_Seats, Total\_No\_Of\_Diamond\_Seats )

**F<sub>min</sub>** :

{ Screen\_No, Theatre\_Id } -> Total\_No\_Of\_Silver\_Seats

{ Screen\_No, Theatre\_Id } -> Total\_No\_Of\_Diamond\_Seats

{ Screen\_No, Theatre\_Id } -> Total\_No\_Of\_Gold\_Seats

Let we choose  $X = \{ \text{Screen\_No, Theatre\_Id} \}$ . And find closure of X.

$X^+ = \{ \text{Screen\_No, Theatre\_Id, Total\_No\_Of\_Silver\_Seats, Total\_No\_Of\_Gold\_Seats, Total\_No\_Of\_Diamond\_Seats} \}$

In here  $X^+$  contains all attributes of relation.

Thus **Primary key** = { Screen\_No, Theatre\_Id }.

For every FD's  $A \rightarrow B$  in  $F_{\min}$ , A is a key.

So we say that Screen is in **BCNF**.

- **Reviews Relation:**

Reviews : ( User\_Id, Movie\_Name, Release\_Date, Rating, Comments )

**F<sub>min</sub>** :

{ User\_Id, Movie\_Name, Release\_Date } -> Rating

{ User\_Id, Movie\_Name, Release\_Date } -> Comments

Let we choose  $X = \{ \text{User\_Id, Movie\_Name, Release\_Date} \}$ . And find closure of X.

$X^+ = \{ \text{User\_Id, Movie\_Name, Release\_Date, Rating, Comments} \}$

In here  $X^+$  contains all attributes of relation.

Thus **Primary key** = { User\_Id, Movie\_Name, Release\_Date }.

For every FD's  $A \rightarrow B$  in  $F_{\min}$ , A is a key.

So we say that Reviews is in **BCNF**.

- **Booking Relation:**

Booking: ( Theatre\_Id, Screen\_No, Seat\_No, User\_Id, Show\_Id, User\_UPI\_ID, Theatre\_UPI\_ID )

**$F_{\min}$**  :

{ Theatre\_Id, Screen\_No, Seat\_No, User\_Id, Show\_Id }  $\rightarrow$  User\_UPI\_ID

{ Theatre\_Id, Screen\_No, Seat\_No, User\_Id, Show\_Id }  $\rightarrow$  Theatre\_UPI\_ID

{ Show\_Id }  $\rightarrow$  { Theatre\_Id }

{ Show\_Id }  $\rightarrow$  { Screen\_No }

Let we choose  $X = \{ \text{Theatre\_Id, Screen\_No, Seat\_No, User\_Id, Show\_Id} \}$ . And find closure of X.

$X^+ = \{ \text{Theatre\_Id, Screen\_No, Seat\_No, User\_Id, Show\_Id, User\_UPI\_ID, Theatre\_UPI\_ID} \}$

In here  $X^+$  contains all attributes of relation.

Thus **Primary key** = { Theatre\_Id, Screen\_No, Seat\_No, User\_Id, Show\_Id }.

There are total 4 FD's In  **$F_{\min}$** .

For **some** FD's  $A \rightarrow B$  in  $F_{\min}$ , A is a key.

Rest of the FD's  $A \rightarrow B$  where A is not a key then B is Prime attribute.

Prime attributes: { Theatre\_Id, Screen\_No, Seat\_No, User\_Id, Show\_Id }

In 3<sup>rd</sup> FD Theatre\_Id and 4<sup>th</sup> Screen\_No both are prime attributes.

So we say that Reviews is in **3NF**.



