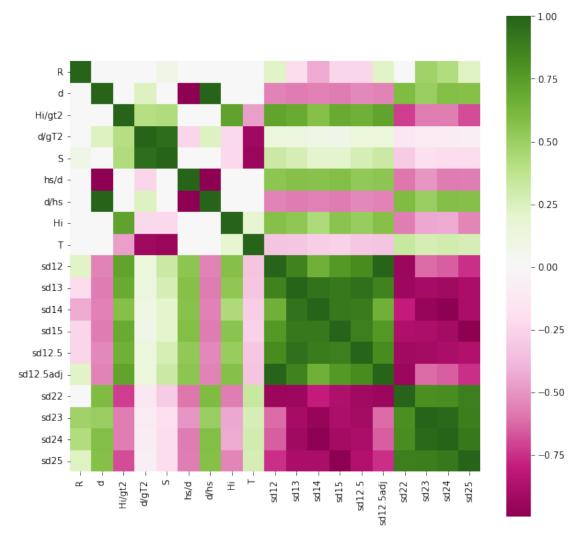
```
#sd12 sd13 sd14 sd15 sd12.5 sd12.5adj sd22 sd23 sd24 sd25
YY='sd12'
print(YY)
sd12
Value to be predicted is in the above cell
##Importing required libraries
import sys
sys.path.insert(1, '../input/algorithmwave/Wave/Program')
import myanfis
import pandas as pd
import sys
svs.maxsize
from sklearn.model selection import KFold
from sklearn.preprocessing import MinMaxScaler
import tensorflow as tf
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn.model selection import train test split
import warnings
warnings.filterwarnings("ignore")
epval=1000
# ------
##Read the data
df = pd.read csv("../input/algorithmwave/Wave/Program/odnew.csv.xls")
df.head(10)
                    d/gT2
                                      hs/d
                                                d/hs Hi
                                                           Т
     R
         d Hi/qt2
                               S
sd12
0 55.0
                                                         1.2
       45 2.1237 0.0319 0.0389 1.444444 0.692308
                                                      3
0.143440
1 55.0 45 4.2474 0.0319 0.0389 1.444444 0.692308
                                                         1.2
0.182160
2 55.0 45 6.3710 0.0319 0.0389 1.444444 0.692308
                                                         1.2
                                                      9
0.205304
3 55.0 45
           1.5603 0.0234 0.0286 1.444444 0.692308
                                                      3
                                                         1.4
0.146960
           3.1205
                   0.0234 0.0286 1.444444 0.692308
                                                         1.4
4 55.0 45
0.174240
5 55.0 45 4.6808 0.0234 0.0286 1.444444 0.692308
                                                      9
                                                         1.4
0.178640
6 55.0 45 6.2410 0.0234 0.0286 1.444444 0.692308
                                                     12
                                                         1.4
0.206360
7 55.0 45 1.1946 0.0179 0.0219 1.444444 0.692308
                                                         1.6
                                                      3
0.101562
```

```
2.3891
                     0.0179 0.0219 1.444444 0.692308
8 55.0 45
                                                          6
                                                             1.6
0.155926
9 55.0 45
             3.5837
                     0.0179
                             0.0219
                                     1.444444
                                               0.692308
                                                          9
                                                              1.6
0.178552
              sd14
                     sd15
                           sd12.5
                                   sd12.5adj
                                                             sd23
      sd13
                                                   sd22
sd24
     \
0 0.21550
            0.2680
                   0.286
                           0.1630
                                     0.13040
                                              0.989659
                                                        0.976504
0.963419
1
  0.24300
            0.2790
                    0.329
                           0.2070
                                     0.16560
                                              0.983269
                                                        0.970026
0.960291
                                     0.18664
2 0.26565
            0.2980
                   0.338
                           0.2333
                                              0.978698
                                                        0.964070
0.954566
  0.21150
            0.2560
                    0.277
                           0.1670
                                     0.13360
                                              0.989142
                                                        0.977378
0.966677
4 0.23100
            0.2640
                   0.297
                           0.1980
                                     0.15840
                                              0.984703
                                                        0.972954
0.964523
  0.24600
            0.2889
                    0.326
                           0.2030
                                     0.16240
                                              0.983915
5
                                                        0.969283
0.957359
6 0.26660
            0.2987
                    0.333
                           0.2345
                                     0.18760
                                              0.978476
                                                        0.963807
0.954347
7 0.18520
            0.2550
                   0.277
                           0.1154
                                     0.09230
                                              0.994829
                                                        0.982700
0.966941
   0.22160
            0.2660
                    0.286
                           0.1772
                                     0.14180
                                              0.987769
                                                        0.975139
0.963973
9 0.24550
            0.2880 0.299
                           0.2029
                                     0.16230
                                              0.983930
                                                        0.969409
0.957630
       sd25
  0.958230
0
1
  0.944330
2
  0.941146
3
   0.960870
4
  0.954877
5
  0.945370
6
  0.942927
7
  0.960870
8
   0.958230
9
  0.954253
df.info()
<class 'pandas.core.frame.DataFrame'>
```

RangeIndex: 252 entries, 0 to 251 Data columns (total 19 columns):

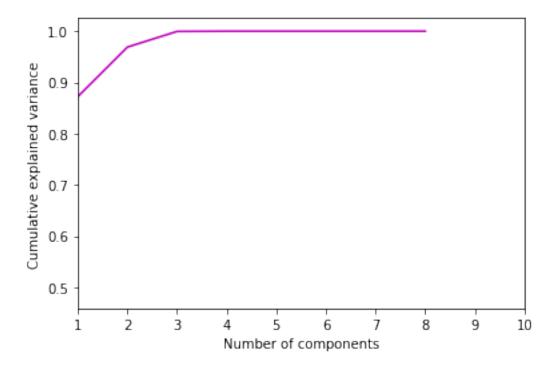
Non-Null Count Dtype # Column - - ------0 R 252 non-null float64 1 252 non-null int64 2 252 non-null float64 Hi/gt2

```
d/qT2
                252 non-null
                                 float64
 3
 4
     S
                252 non-null
                                 float64
 5
     hs/d
                252 non-null
                                 float64
 6
     d/hs
                252 non-null
                                 float64
 7
     Ηi
                252 non-null
                                 int64
                252 non-null
 8
     Т
                                 float64
 9
     sd12
                                 float64
                252 non-null
 10
    sd13
                252 non-null
                                 float64
 11
     sd14
                252 non-null
                                 float64
 12
    sd15
                252 non-null
                                 float64
 13
     sd12.5
                252 non-null
                                 float64
 14
     sd12.5adj
                252 non-null
                                 float64
 15
                252 non-null
     sd22
                                 float64
 16
     sd23
                252 non-null
                                 float64
 17
     sd24
                252 non-null
                                 float64
 18
     sd25
                252 non-null
                                 float64
dtypes: float64(17), int64(2)
memory usage: 37.5 KB
d=df.copy()
Heatmap
import seaborn as sns
import matplotlib.pyplot as plt
plt.figure(figsize=(10,10))
hm = sns.heatmap(df.corr(), vmax=1, square=True,annot=False,
cmap="PiYG")
plt.show()
```



```
plt.xlabel('Number of components')
plt.ylabel('Cumulative explained variance')
```

Text(0, 0.5, 'Cumulative explained variance')

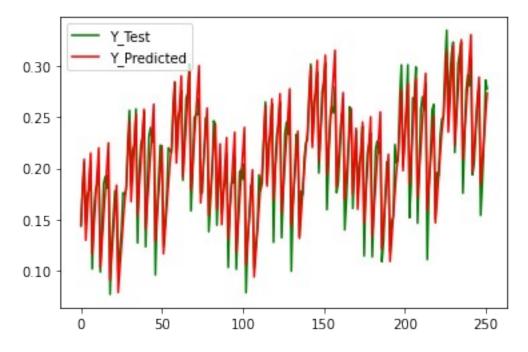


Select 5 Number of Components

```
nc=5
pca = PCA(n_components=nc)
fit = pca.fit(x)
print("Explained Variance:",fit.explained variance ratio )
Explained Variance: [4.84176308e-01 3.87983090e-01 9.68079745e-02
3.06220671e-02
 4.06947824e-04]
from sklearn.decomposition import PCA
model = PCA(n components=nc).fit(x)
X pc = model.\overline{t}ransform(x)
n pcs= model.components .shape[0]
most important = [np.abs(model.components [i]).argmax() for i in
range(n pcs)]
initial_feature_names = x.columns
ldf=[]
for i in most_important:
    if initial feature names[i] not in ldf:
        ldf.append(initial feature names[i])
```

```
ldf
#PCA Results (Columns to be selected for training)
['Hi', 'd', 'R', 'Hi/gt2', 'T']
df=d.copy()
x=df[ldf]
y=np.array(df[YY])
from sklearn.preprocessing import StandardScaler
scale = StandardScaler().fit(x)
x = scale.transform(x)
#print(x)
#print(y)
minmaxScaler = MinMaxScaler().fit(x)
x = minmaxScaler.transform(x)
#print(x)
#print(y)
X,Y,TT-Split
v1 = [[i] \text{ for } i \text{ in } v]
from sklearn.preprocessing import StandardScaler
data = y1
scaler = StandardScaler()
scaler.fit(data)
y1 = scaler.transform(data)
#print(y1)
X train, X test, y train, y test=train test split(x, y1, test size=0.2,
random state=47)
dop=pd.DataFrame()
dop["Actual"+YY]=list(y)
##Linear Regression
from sklearn.linear model import LinearRegression
model=LinearRegression().fit(X_train,y_train)
MTP=model.predict(X train)
mtp=model.predict(X test)
from sklearn.metrics import mean_squared_error
errorstr = mean squared error(y train,MTP)
errorste = mean_squared_error(y_test, mtp)
print('\nrmse(On train,On test)=',(errorstr**0.5,errorste**0.5))
from sklearn.metrics import mean absolute error
errorstr = mean absolute error(y train,MTP)
errorste = mean_absolute_error(y_test, mtp)
print('\nmae(On train,On test)=',(errorstr,errorste))
```

```
from sklearn.metrics import r2_score
r2tr = r2_score(y_train,MTP)
r2te = r2 score(y_test, mtp)
print(' \ NR2(0n \ train, 0n \ test) = ', (r2tr, r2te))
print("\nCOEF", model.coef_, "\nINTERCEPT", model.intercept_)
pred=model.predict(x)
rmse(0n train,0n test)= (0.32798846194322545, 0.31772423828146346)
mae(On train,On test)= (0.2647833184304276, 0.24741751710588583)
R2(0n train, 0n test) = (0.89440033658004, 0.8887241530070377)
COEF [[ 1.67793472 -1.39630129 0.56035397 0.69874654 -1.03883116]]
INTERCEPT [0.0356928]
# for inverse transformation
y2 = [i for i in pred]
#print(y2)
pred = scaler.inverse transform(y2)
pred = [i[0] for i in pred]
#print(pred)
line 1 = y
line_2 = pred
fig, ax = plt.subplots()
ax.plot(line 1, color = 'green', label = 'Y Test')
ax.plot(line_2, color = 'red', label = 'Y_Predicted')
ax.legend(loc = 'upper left')
plt.show()
```



dop['LR']= line_2;

from sklearn.svm import SVR

svm

```
model=SVR().fit(X train,y train)
MTP=model.predict(X train)
mtp=model.predict(X_test)
from sklearn.metrics import mean squared error
errorstr = mean_squared_error(y_train,MTP)
errorste = mean_squared_error(y_test, mtp)
print('\nrmse(On train,On test)=',(errorstr**0.5,errorste**0.5))
from sklearn.metrics import mean absolute error
errorstr = mean_absolute_error(y_train,MTP)
errorste = mean absolute error(y test, mtp)
print('\nmae(On train,On test)=',(errorstr,errorste))
from sklearn.metrics import r2 score
r2tr = r2 score(y train, MTP)
r2te = r2 score(y test, mtp)
print('\nR2(On train,On test)=',(r2tr,r2te))
pred=model.predict(x)
```

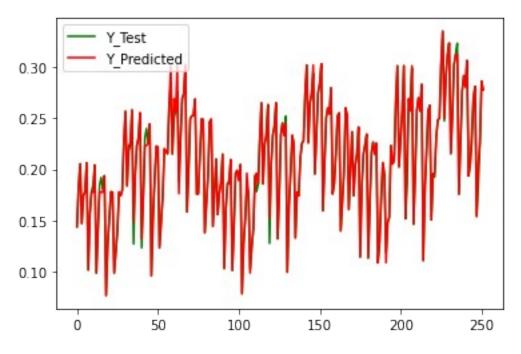
rmse(On train, On test) = (0.18645308957313303, 0.2505143124232388)

```
mae(On train, On test) = (0.1454867807966416, 0.20090211383896409)
R2(On train, On test) = (0.9658740641794606, 0.9308224303197782)
# for inverse transformation
y2 = [[i] for i in pred]
pred = scaler.inverse transform(y2)
pred = [i[0] for i in pred]
#print(pred)
line 1 = y
line 2 = pred
fig, ax = plt.subplots()
ax.plot(line 1, color = 'green', label = 'Y Test')
ax.plot(line_2, color = 'red', label = 'Y_Predicted')
ax.legend(loc = 'upper left')
plt.show()
             Y Test
  0.30
  0.25
  0.20
  0.15
  0.10
         0
                  50
                           100
                                     150
                                               200
                                                        250
dop['SVMR']= line 2;
##Decision Tree Regressor
```

```
from sklearn.tree import DecisionTreeRegressor
model=DecisionTreeRegressor().fit(X_train,y_train)
MTP=model.predict(X_train)
mtp=model.predict(X_test)

from sklearn.metrics import mean_squared_error
errorstr = mean_squared_error(y_train,MTP)
errorste = mean_squared_error(y_test, mtp)
```

```
print('\nrmse(0n train,0n test)=',(errorstr**0.5,errorste**0.5))
from sklearn.metrics import mean absolute error
errorstr = mean absolute error(y train,MTP)
errorste = mean_absolute_error(y_test, mtp)
print('\nmae(On train,On test)=',(errorstr,errorste))
from sklearn.metrics import r2 score
r2tr = r2 score(y train, MTP)
r2te = r2_score(y_test, mtp)
print('\nR2(On train,On test)=',(r2tr,r2te))
pred=model.predict(x)
rmse(On train, On test) = (0.0, 0.20831169457678395)
mae(0n train, 0n test) = (0.0, 0.15899471525651174)
R2(0n train, 0n test) = (1.0, 0.9521670112264253)
# for inverse transformation
y2 = [[i] for i in pred]
pred = scaler.inverse_transform(y2)
pred = [i[0] for i in pred]
#print(pred)
line 1 = y
line 2 = pred
fig, ax = plt.subplots()
ax.plot(line 1, color = 'green', label = 'Y Test')
ax.plot(line_2, color = 'red', label = 'Y_Predicted')
ax.legend(loc = 'upper left')
plt.show()
```

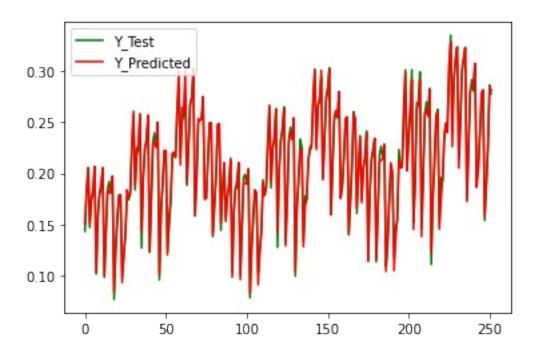


dop['DT']= line_2;

##Random Forest Regressor

```
X_train, X_test, y_train, y_test=train_test_split(x, y1, test_size=0.2,
random state=47)
from sklearn.ensemble import RandomForestRegressor
r2val=0
for i in [17,47,73]:
#for i in [0]:
    print(i,end=',')
    X_train,X_test,y_train,y_test=train_test_split(x,y, test_size=0.2,
random state=i)
    model=RandomForestRegressor(n estimators=12).fit(X train,y train)
    model Train pred=model.predict(X train)
    model pred=model.predict(X test)
    errorstr = r2_score(y_train,model_Train_pred)
    errorste = r2_score(y_test, model_pred)
    if r2val<errorste:</pre>
        r2val=errorste
        I=i
        modelfinal=model
        xtr,xte,ytr,yte=X_train,X_test,y_train,y_test
X_train,X_test,y_train,y_test=xtr,xte,ytr,yte
print("\n",I,"\n")
model=modelfinal
```

```
MTP=model.predict(X train)
mtp=model.predict(X test)
from sklearn.metrics import mean squared error
errorstr = mean squared error(y train,MTP)
errorste = mean squared error(y test, mtp)
print('\nrmse(On train,On test)=',(errorstr**0.5,errorste**0.5))
from sklearn.metrics import mean absolute error
errorstr = mean_absolute_error(y_train,MTP)
errorste = mean_absolute_error(y_test, mtp)
print('\nmae(On train,On test)=',(errorstr,errorste))
from sklearn.metrics import r2 score
r2tr = r2_score(y_train,MTP)
r2te = r2_score(y_test, mtp)
print('\nR2(On train,On test)=',(r2tr,r2te))
pred=model.predict(x)
17,47,73,
 47
rmse(On train, On test) = (0.004630038680181768, 0.009123450927145269)
mae(On train,On test)= (0.003347281721393033, 0.007118404549019605)
R2(On train, On test) = (0.9927928547890694, 0.9685755903451668)
line 1 = v
line 2 = pred
fig, ax = plt.subplots()
ax.plot(line 1, color = 'green', label = 'Y Test')
ax.plot(line_2, color = 'red', label = 'Y_Predicted')
ax.legend(loc = 'upper left')
plt.show()
```

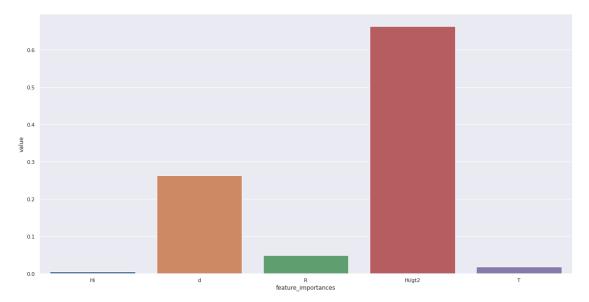


Feature Importance Graph

```
print(model.feature_importances_)
print(ldf)
sns.set(rc={'figure.figsize':(20,10)})
sns.barplot(ldf,model.feature_importances_)
plt.xlabel('feature_importances')
plt.ylabel('value')
#sns.figure(figsize=(30,10))

[0.00550265 0.26291764 0.04877673 0.66389423 0.01890875]
['Hi', 'd', 'R', 'Hi/gt2', 'T']

Text(0, 0.5, 'value')
```

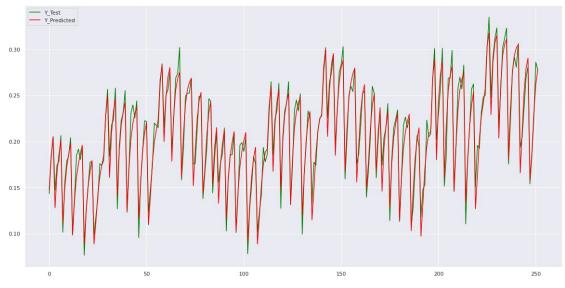


```
dop['RFpred']= line 2;
```

##ANNCG

```
X_train,X_test,y_train,y_test=train_test_split(x,y1, test_size=0.2,
random state=47)
from keras.models import Sequential
from keras.layers import Dense
model = Sequential()
model.add(Dense(units=5, activation='sigmoid'))
model.add(Dense(units=5, activation='relu'))
model.add(Dense(units=5, activation='sigmoid'))
model.add(Dense(1, kernel initializer='normal'))
# Compiling the model
model.compile(loss='mean squared error', optimizer='adam')
# Fitting the ANN to the Training set
model.fit(X_train, y_train ,batch_size = 5, epochs = epval, verbose=0)
<keras.callbacks.History at 0x7f64bc456f90>
MTP=model.predict(X train)
mtp=model.predict(X test)
from sklearn.metrics import mean squared error
errorstr = mean squared error(y train,MTP)
errorste = mean_squared_error(y_test, mtp)
print('\nrmse(On train,On test)=',(errorstr**0.5,errorste**0.5))
from sklearn.metrics import mean absolute error
```

```
errorstr = mean absolute error(y train,MTP)
errorste = mean_absolute_error(y_test, mtp)
print('\nmae(On train,On test)=',(errorstr,errorste))
from sklearn.metrics import r2 score
r2tr = r2 score(y train, MTP)
r2te = r2_score(y_test, mtp)
print('\nR2(On train,On test)=',(r2tr,r2te))
pred=model.predict(x)
rmse(0n train, 0n test) = (0.21440030697883364, 0.2389190629048324)
mae(On train, On test) = (0.16788292605091332, 0.18659815218873138)
R2(On train, On test) = (0.9548771827437837, 0.9370781012359362)
# for inverse transformation
y2 = [i for i in pred]
pred = scaler.inverse_transform(y2)
pred = [i[0] for i in pred]
#print(pred)
line 1 = y
line 2 = pred
fig, ax = plt.subplots()
ax.plot(line_1, color = 'green', label = 'Y_Test')
ax.plot(line_2, color = 'red', label = 'Y_Predicted')
ax.legend(loc = 'upper left')
plt.show()
```



```
dop['ANNCG']=line 2
##Function for LevenBerg
# Copyright (c) 2020 Fabio Di Marco
# Permission is hereby granted, free of charge, to any person
obtaining a copy
# of this software and associated documentation files (the
"Software"), to deal
# in the Software without restriction, including without limitation
the rights
# to use.
import tensorflow as tf
from tensorflow.python.keras.engine import data adapter
_____
class MeanSquaredError(tf.keras.losses.MeanSquaredError):
    """Provides mean squared error metrics: loss / residuals.
   Use mean squared error for regression problems with one or more
outputs.
   0.00
   def residuals(self, y_true, y_pred):
       y pred = tf.convert to tensor(y pred)
       y true = tf.cast(y true, y pred.dtype)
       return y_true - y pred
class ReducedOutputsMeanSquaredError(tf.keras.losses.Loss):
    """Provides mean squared error metrics: loss / residuals.
   Consider using this reduced outputs mean squared error loss for
regression
   problems with a large number of outputs or at least more then one
output.
    This loss function reduces the number of outputs from N to 1,
reducing both
   the size of the jacobian matrix and backpropagation complexity.
   Tensorflow, in fact, uses backward differentiation which
computational
```

```
complexity is proportional to the number of outputs.
    def init (self,
                 reduction=tf.keras.losses.Reduction.AUTO,
                 name='reduced outputs mean squared error'):
        super(ReducedOutputsMeanSquaredError, self). init (
            reduction=reduction.
            name=name)
    def call(self, y_true, y_pred):
        y pred = tf.convert_to_tensor(y_pred)
        y true = tf.cast(y true, y pred.dtype)
        sq diff = tf.math.squared difference(y true, y pred)
        return tf.math.reduce mean(sq diff, axis=1)
    def residuals(self, y true, y pred):
        y pred = tf.convert to tensor(y pred)
        y true = tf.cast(y true, y pred.dtype)
        sq diff = tf.math.squared difference(y true, y pred)
        eps = tf.keras.backend.epsilon()
        return tf.math.sqrt(eps + tf.math.reduce mean(sq diff,
axis=1)
    The gauss-newthon algorithm is obtained from the linear
approximation of the
    squared residuals and it is used solve least square problems.
    A way to use cross-entropy instead of mean squared error is to
compute
   residuals as the square root of the cross-entropy.
class
CategoricalCrossentropy(tf.keras.losses.CategoricalCrossentropy):
    """Provides cross-entropy metrics: loss / residuals.
    Use this cross-entropy loss for classification problems with two
or more
    label classes. The labels are expected to be provided in a
`one hot`
    representation.
    def residuals(self, y_true, y_pred):
        eps = tf.keras.backend.epsilon()
        return tf.math.sqrt(eps + self.fn(y true, y pred,
```

```
**self. fn kwargs))
class SparseCategoricalCrossentropy(
        tf.keras.losses.SparseCategoricalCrossentropy):
    """Provides cross-entropy metrics: loss / residuals.
    Use this cross-entropy loss for classification problems with two
or more
    label classes. The labels are expected to be provided as integers.
    def residuals(self, y_true, y_pred):
        eps = tf.keras.backend.epsilon()
        return tf.math.sqrt(eps + self.fn(y true, y pred,
**self. fn kwargs))
class BinaryCrossentropy(tf.keras.losses.BinaryCrossentropy):
    """Provides cross-entropy metrics: loss / residuals.
    Use this cross-entropy loss for classification problems with only
two label
    classes (assumed to be 0 and 1). For each example, there should be
a single
    floating-point value per prediction.
    def residuals(self, y true, y pred):
        eps = tf.keras.backend.epsilon()
        return tf.math.sqrt(eps + self.fn(y true, y pred,
**self. fn kwargs))
    Other experimental losses for classification problems.
0.00
class SquaredCategoricalCrossentropy(tf.keras.losses.Loss):
    """Provides squared cross-entropy metrics: loss / residuals.
    Use this cross-entropy loss for classification problems with two
or more
    label classes. The labels are expected to be provided in a
`one hot`
   representation.
```

```
def init (self,
                 from logits=False,
                 label smoothing=0,
                 reduction=tf.keras.losses.Reduction.AUTO,
                 name='squared categorical crossentropy'):
        super(SquaredCategoricalCrossentropy, self).__init__(
            reduction=reduction.
            name=name)
        self.from logits = from logits
        self.label smoothing = label smoothing
    def call(self, y true, y pred):
        return
tf.math.square(tf.keras.losses.categorical crossentropy(
            y true,
            y pred,
            self.from_logits,
            self.label smoothing))
    def residuals(self, y true, y pred):
        return tf.keras.losses.categorical crossentropy(
            y true,
            y_pred,
            self.from logits,
            self.label smoothing)
    def get config(self):
        config = {'from_logits': self.from logits,
                   'label smoothing': self. label smoothing}
        base config = super(SquaredCategoricalCrossentropy,
self).get config()
        return dict(base config + config)
class CategoricalMeanSquaredError(tf.keras.losses.Loss):
    """Provides mean squared error metrics: loss / residuals.
    Use this categorical mean squared error loss for classification
problems
    with two or more label classes. The labels are expected to be
provided in a
    one hot' representation and the output activation to be softmax.
    def init (self,
                 reduction=tf.keras.losses.Reduction.AUTO,
                 name='categorical mean squared error'):
        super(CategoricalMeanSquaredError, self). init (
            reduction=reduction,
```

```
name=name)
   def call(self, y_true, y_pred):
       y pred = tf.convert to tensor(y pred)
       y_true = tf.cast(y_true, y_pred.dtype)
       # Selects the y pred which corresponds to y true equal to 1.
       prediction = tf.reduce sum(tf.math.multiply(y true, y pred),
axis=1)
       return tf.math.squared difference(1.0, prediction)
   def residuals(self, y true, y pred):
       y_pred = tf.convert_to_tensor(y_pred)
       y true = tf.cast(y true, y pred.dtype)
       # Selects the y_pred which corresponds to y true equal to 1.
       prediction = tf.reduce sum(tf.math.multiply(y true, y pred),
axis=1)
       return 1.0 - prediction
_____
_____
class DampingAlgorithm:
    """Default Levenberg—Marquardt damping algorithm.
   This is used inside the Trainer as a generic class. Many damping
algorithms
   can be implemented using the same interface.
   def init (self,
                starting value=1e-3,
                dec factor=0.1,
                inc factor=10.0,
                min value=1e-10,
                max value=1e+10,
                adaptive scaling=False,
                fletcher=False):
       """Initializes `DampingAlgorithm` instance.
       Args:
         starting value: (Optional) Used to initialize the Trainer
internal
           damping factor.
         dec factor: (Optional) Used in the train step decrease the
           damping factor when new loss < loss.
         inc factor: (Optional) Used in the train step increase the
```

```
damping factor when new loss >= loss.
          min value: (Optional) Used as a lower bound for the
damping factor.
            Higher values improve numerical stability in the
resolution of the
            linear system, at the cost of slower convergence.
          max value: (Optional) Used as an upper bound for the
damping factor,
            and as condition to stop the Training process.
          adaptive scaling: Bool (Optional) Scales the damping factor
adaptively
            multiplying it with max(diagonal(JJ)).
          fletcher: Bool (Optional) Replace the identity matrix with
            diagonal of the gauss-newton hessian approximation, so
that there is
            larger movement along the directions where the gradient is
smaller.
            This avoids slow convergence in the direction of small
gradient.
        self.starting value = starting value
        self.dec factor = dec factor
        self.inc factor = inc factor
        self.min value = min value
        self.max value = max value
        self.adaptive scaling = adaptive scaling
        self.fletcher = fletcher
    def init_step(self, damping_factor, loss):
        return damping factor
    def decrease(self, damping factor, loss):
        return tf.math.maximum(
            damping factor * self.dec_factor,
            self.min value)
    def increase(self, damping factor, loss):
        return tf.math.minimum(
            damping_factor * self.inc_factor,
            self.max value)
    def stop training(self, damping factor, loss):
        return damping factor >= self.max value
    def apply(self, damping factor, JJ):
        if self.fletcher:
            damping = tf.linalg.tensor diag(tf.linalg.diag part(JJ))
        else:
            damping = tf.eye(tf.shape(JJ)[0], dtype=JJ.dtype)
```

```
scaler = 1.0
        if self.adaptive scaling:
            scaler = tf.math.reduce_max(tf.linalg.diag_part(JJ))
        damping = tf.scalar_mul(scaler * damping_factor, damping)
        return tf.add(JJ, damping)
#
class Trainer:
    """Levenberg—Marquardt training algorithm.
    def init (self,
                 model.
                 optimizer=tf.keras.optimizers.SGD(learning rate=1.0),
                 loss=MeanSquaredError(),
                 damping algorithm=DampingAlgorithm(),
                 attempts_per_step=10,
                 solve method='ar',
                 jacobian_max_num_rows=100,
                 experimental use pfor=True):
        """Initializes `Trainer` instance.
       Args:
          model: It is the Model to be trained, it is expected to
inherit
            from tf.keras.Model and to be already built.
          optimizer: (Optional) Performs the update of the model
trainable
            variables. When tf.keras.optimizers.SGD is used it is
equivalent
            to the operation w = w - learning rate * updates, where
updates is
            the step computed using the Levenberg-Marquardt algorithm.
          loss: (Optional) An object which inherits from
tf.keras.losses.Loss
          and have an additional function to compute residuals.
          damping algorithm: (Optional) Class implementing the damping
            algorithm to use during training.
          attempts per step: Integer (Optional) During the train step
when new
            model variables are computed, the new loss is evaluated
and compared
            with the old loss value. If new loss < loss, then the new
variables
            are accepted, otherwise the old variables are restored and
```

```
new ones are computed using a different damping-factor.
            This argument represents the maximum number of attempts,
after which
            the step is taken.
          solve method: (Optional) Possible values are:
            'gr': Uses QR decomposition which is robust but slower.
            'cholesky': Uses Cholesky decomposition which is fast but
may fail
                when the hessian approximation is ill-conditioned.
            'solve': Uses tf.linalq.solve. I don't know what algorithm
it
                implements. But it seems a compromise in terms of
speed and
                robustness.
          jacobian max num rows: Integer (Optional) When the number of
residuals
            is greater then the number of variables (overdetermined),
the
            hessian approximation is computed by slicing the input and
            accumulate the result of each computation. In this way it
is
            possible to drastically reduce the memory usage and
increase the
            speed as well. The input is sliced into blocks of size
less than or
            equal to the jacobian max num rows.
          experimental use pfor: (Optional) If true, vectorizes the
jacobian
            computation. Else falls back to a sequential while loop.
            Vectorization can sometimes fail or lead to excessive
memory usage.
            This option can be used to disable vectorization in such
cases.
        if not model.built:
            raise ValueError('Trainer model has not yet been built. '
                             'Build the model first by calling
`build()` or '
                             'calling `fit()` with some data, or
specify an '
                             '`input shape` argument in the first
layer(s) for '
                             'automatic build.')
        self.model = model
        self.loss = loss
        self.optimizer = optimizer
        self.damping algorithm = damping algorithm
        self.attempts per step = attempts per step
        self.jacobian max num rows = jacobian max num rows
```

```
# Define and select linear system equation solver.
        def gr(matrix, rhs):
            q, r = tf.linalg.qr(matrix, full matrices=True)
            y = tf.linalg.matmul(q, rhs, transpose a=True)
            return tf.linalg.triangular solve(r, y, lower=False)
        def cholesky(matrix, rhs):
            chol = tf.linalg.cholesky(matrix)
            return tf.linalg.cholesky_solve(chol, rhs)
        def solve(matrix, rhs):
            return tf.linalg.solve(matrix, rhs)
        if solve method == 'qr':
            self.solve function = qr
        elif solve method == 'cholesky':
            self.solve function = cholesky
        elif solve method == 'solve':
            self.solve function = solve
        else:
            raise ValueError('Invalid solve method.')
        # Keep track of the current damping factor.
        self.damping factor = tf.Variable(
            self.damping_algorithm.starting_value,
            trainable=False,
            dtype=self.model.dtype)
        # Used to backup and restore model variables.
        self._backup_variables = []
        # Since training updates are computed with shape
(num variables, 1),
        # self._splits and self. shapes are needed to split and
reshape the
        # updates so that they can be applied to the model
trainable variables.
        self._splits = []
        self. shapes = []
        for variable in self.model.trainable variables:
            variable shape = tf.shape(variable)
            variable size = tf.reduce prod(variable shape)
            backup variable = tf.Variable(
                tf.zeros like(variable),
                trainable=False)
```

self.experimental use pfor = experimental use pfor

```
self._backup_variables.append(backup variable)
            self. splits.append(variable size)
            self._shapes.append(variable_shape)
        self._num_variables =
tf.reduce sum(self. splits).numpy().item()
        self. num outputs = None
    @tf.function
    def _compute_jacobian(self, inputs, targets):
        with tf.GradientTape(persistent=True) as tape:
            outputs = self.model(inputs, training=True)
            residuals = self.loss.residuals(targets, outputs)
        jacobians = tape.jacobian(
            residuals,
            self.model.trainable variables,
            experimental use pfor=self.experimental use pfor,
            unconnected gradients=tf.UnconnectedGradients.ZERO)
        del tape
        num_residuals = tf.reduce_prod(tf.shape(residuals))
        jacobians = [tf.reshape(j, (num_residuals, -1)) for j in
jacobians]
        jacobian = tf.concat(jacobians, axis=1)
        residuals = tf.reshape(residuals, (num_residuals, -1))
        return jacobian, residuals, outputs
    def init gauss newton overdetermined(self, inputs, targets):
        # Perform the following computation:
        # J, residuals, outputs = self. compute jacobian(inputs,
targets)
        # JJ = tf.linalg.matmul(J, J, transpose_a=True)
        # rhs = tf.linalg.matmul(J, residuals, transpose a=True)
        # But reduce memory usage by slicing the inputs so that the
iacobian
        # matrix will have maximum shape (jacobian max num rows,
num variables)
        # instead of (batch size, num variables).
        slice size = self.jacobian max num rows // self. num outputs
        batch size = tf.shape(inputs)[0]
        num slices = batch size // slice size
        remainder = batch size % slice size
        JJ = tf.zeros(
            [self. num variables, self. num variables],
```

```
dtype=self.model.dtype)
        rhs = tf.zeros(
            [self. num variables, 1],
            dtype=self.model.dtype)
        outputs array = tf.TensorArray(
            self.model.dtype, size=0, dynamic size=True)
        for i in tf.range(num slices):
            tf.autograph.experimental.set loop options(
                shape invariants=[
                    (rhs, tf.TensorShape((self._num_variables,
None)))])
            inputs = inputs[i * slice size:(i + 1) * slice size]
            targets = targets[i * slice size:(i + 1) * slice size]
            J, residuals, outputs = self. compute jacobian( inputs,
targets)
            outputs array = outputs array.write(i, outputs)
            JJ += tf.linalg.matmul(J, J, transpose a=True)
            rhs += tf.linalg.matmul(J, residuals, transpose a=True)
        if remainder > 0:
            _inputs = inputs[num_slices * slice_size::]
            targets = targets[num slices * slice size::]
            J, residuals, outputs = self. compute jacobian( inputs,
targets)
            if num slices > 0:
                outputs = tf.concat([outputs array.concat(),
outputs], axis=0)
            else:
                outputs = outputs
            JJ += tf.linalg.matmul(J, J, transpose_a=True)
            rhs += tf.linalg.matmul(J, residuals, transpose a=True)
        else:
            outputs = outputs array.concat()
        return 0.0, JJ, rhs, outputs
    def init gauss newton underdetermined(self, inputs, targets):
        J, residuals, outputs = self. compute jacobian(inputs,
targets)
```

```
JJ = tf.linalg.matmul(J, J, transpose b=True)
        rhs = residuals
        return J, JJ, rhs, outputs
    def compute gauss newton overdetermined(self, J, JJ, rhs):
        updates = self.solve function(JJ, rhs)
        return updates
    def _compute_gauss_newton underdetermined(self, J, JJ, rhs):
        updates = self.solve function(JJ, rhs)
        updates = tf.linalg.matmul(J, updates, transpose a=True)
        return updates
    def train step(self, inputs, targets,
                    init gauss newton, compute gauss newton):
        # J: jacobian matrix not used in the overdetermined case.
        # JJ: gauss-newton hessian approximation
        # rhs: gradient when overdetermined, residuals when
underdetermined.
        # outputs: prediction of the model for the current inputs.
        J, JJ, rhs, outputs = init gauss newton(inputs, targets)
        # Perform normalization for numerical stability.
        batch size = tf.shape(inputs)[0]
        normalization factor = 1.0 / tf.dtypes.cast(
            batch size,
            dtype=self.model.dtype)
        JJ *= normalization factor
        rhs *= normalization factor
        # Compute the current loss value.
        loss = self.loss(targets, outputs)
        stop_training = False
        attempt = 0
        damping factor = self.damping algorithm.init step(
            self.damping factor, loss)
        attempts = tf.constant(self.attempts per step, dtype=tf.int32)
        while tf.constant(True, dtype=tf.bool):
            update computed = False
            try:
                # Apply the damping to the gauss-newton hessian
approximation.
                JJ damped =
self.damping algorithm.apply(damping factor, JJ)
```

```
# Compute the updates:
                # overdetermined: updates = (J'*J + damping)^-
1*J'*residuals
                # underdetermined: updates = J'*(J*J' + damping)^-
1*residuals
                updates = compute_gauss_newton(J, JJ_damped, rhs)
            except Exception as e:
                del e
            else:
                if tf.reduce all(tf.math.is finite(updates)):
                    update computed = True
                    # Split and Reshape the updates
                    updates = tf.split(tf.squeeze(updates, axis=-1),
self. splits)
                    updates = [tf.reshape(update, shape)
                                for update, shape in zip(updates,
self. shapes)]
                    # Apply the updates to the model
trainable variables.
                    self.optimizer.apply_gradients(
                        zip(updates, self.model.trainable variables))
            if attempt < attempts:</pre>
                attempt += 1
                if update computed:
                    # Compute the new loss value.
                    outputs = self.model(inputs, training=False)
                    new loss = self.loss(targets, outputs)
                    if new loss < loss:</pre>
                        # Accept the new model variables and backup
them.
                        loss = new loss
                        damping factor =
self.damping algorithm.decrease(
                             damping factor, loss)
                        self.backup variables()
                        break
                    # Restore the old variables and try a new
damping factor.
                    self.restore variables()
                damping factor = self.damping algorithm.increase(
                    damping factor, loss)
                stop training = self.damping algorithm.stop training(
```

```
damping_factor, loss)
                if stop training:
                    break
            else:
                break
        # Update the damping factor which will be used in the next
train step.
        self.damping factor.assign(damping factor)
        return loss, outputs, attempt, stop training
    def compute num outputs(self, inputs, targets):
        input shape = inputs.shape[1::]
        target shape = targets.shape[1::]
        inputs = tf.keras.Input(shape=input shape,
                                 dtype=inputs.dtype)
        targets = tf.keras.Input(shape=target shape,
                                  dtype=targets.dtype)
        outputs = self.model(_inputs)
        residuals = self.loss.residuals( targets, outputs)
        return tf.reduce prod(residuals.shape[1::])
    def reset damping factor(self):
self.damping factor.assign(self.damping algorithm.starting value)
    def backup variables(self):
        zip args = (self.model.trainable variables,
self. backup variables)
        for variable, backup in zip(*zip args):
            backup.assign(variable)
    def restore variables(self):
        zip args = (self.model.trainable variables,
self. backup variables)
        for variable, backup in zip(*zip args):
            variable.assign(backup)
    def train step(self, inputs, targets):
        if self. num outputs is None:
            self. num outputs = self. compute num outputs(inputs,
targets)
        batch size = tf.shape(inputs)[0]
        num residuals = batch size * self. num outputs
        overdetermined = num residuals >= self. num variables
        if overdetermined:
            loss, outputs, attempts, stop training = self. train step(
```

```
inputs,
                targets,
                self._init_gauss_newton_overdetermined,
                self._compute_gauss_newton_overdetermined)
        else:
            loss, outputs, attempts, stop_training = self._train_step(
                inputs,
                targets,
                self. init gauss newton underdetermined,
                self. compute gauss newton underdetermined)
        return loss, outputs, attempts, stop training
    def fit(self, dataset, epochs=1, metrics=None):
        """Trains self.model on the dataset for a fixed number of
epochs.
        Arguments:
            dataset: A `tf.data` dataset, must return a tuple (inputs,
targets).
            epochs: Integer. Number of epochs to train the model.
            metrics: List of metrics to be evaluated during training.
        self.backup variables()
        steps = dataset.cardinality().numpy().item()
        stop training = False
        if metrics is None:
            metrics = []
        pl = tf.keras.callbacks.ProgbarLogger(
            count mode='steps',
            stateful metrics=["damping factor", "attempts"])
        pl.set params(
            {"verbose": 1, "epochs": epochs, "steps": steps})
        pl.on train begin()
        for epoch in range(epochs):
            if stop training:
                break
            # Reset metrics.
            for m in metrics:
                m.reset states()
            pl.on_epoch_begin(epoch)
```

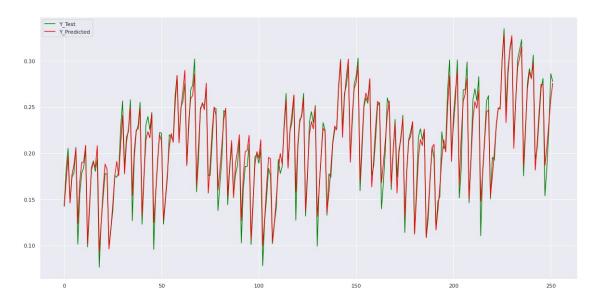
```
for step in range(steps):
               if stop training:
                   break
               pl.on_train_batch_begin(step)
               data = next(iterator)
               data = data adapter.expand 1d(data)
               inputs, targets, sample weight = \
                   data adapter.unpack x y sample weight(data)
               loss, outputs, attempts, stop training = \
                   self.train step(inputs, targets)
               # Update metrics.
               for m in metrics:
                   m.update state(targets, outputs)
               logs = {"damping factor": self.damping factor,
                       "attempts": attempts,
                       "loss": loss}
               logs.update({m.name: m.result() for m in metrics})
               pl.on train batch end(step, logs)
           pl.on epoch end(epoch)
       pl.on_train_end()
_____
class ModelWrapper(tf.keras.Sequential):
    """Wraps a keras model.
   When fit is called, the wrapped model is trained using Levenberg-
Marquardt.
   def __init__(self, model):
       if not model.built:
           raise ValueError('This model has not yet been built. '
                            'Build the model first by calling
```

iterator = iter(dataset)

```
`build()` or '
                             'calling `fit()` with some data, or
specify an '
                              '`input shape` argument in the first
layer(s) for '
                              'automatic build.')
        super(ModelWrapper, self). init ([model])
        self.model = model
        self.trainer = None
    def compile(self,
                optimizer=tf.keras.optimizers.SGD(learning rate=1.0),
                loss=MeanSquaredError(),
                damping algorithm=DampingAlgorithm(),
                attempts per step=10,
                solve method='qr',
                jacobian max num rows=100,
                experimental use pfor=True,
                metrics=None,
                loss weights=None,
                weighted metrics=None,
                **kwarqs):
        super(ModelWrapper, self).compile(
            optimizer=optimizer,
            loss=loss,
            metrics=metrics,
            loss weights=loss weights,
            weighted metrics=weighted metrics,
            run eagerly=True)
        self.trainer = Trainer(
            model=self.model,
            optimizer=optimizer,
            loss=loss,
            damping algorithm=damping algorithm,
            attempts per step=attempts per step,
            solve method=solve method,
            jacobian max num rows=jacobian max num rows,
            experimental use pfor=experimental use pfor)
    def train step(self, data):
        data = data adapter.expand 1d(data)
        inputs, targets, sample weight = \
            data adapter.unpack x y sample weight(data)
        loss, outputs, attempts, stop training = \
            self.trainer.train step(inputs, targets)
        self.compiled metrics.update state(targets, outputs)
```

```
logs = {"damping_factor": self.trainer.damping_factor,
                "attempts": attempts,
                "loss": loss}
        logs.update({m.name: m.result() for m in self.metrics})
        # BUG: In tensorflow v2.2.0 and v2.3.0 setting
model.stop training=True
        # does not stop training immediately, but only at the end of
the epoch.
        # https://github.com/tensorflow/tensorflow/issues/41174
        self.stop training = stop training
        return logs
    def fit(self,
            x=None,
            v=None,
            batch_size=None,
            epochs=1,
            verbose=1,
            callbacks=None,
            **kwarqs):
        if verbose > 0:
            if callbacks is None:
                callbacks = []
            callbacks.append(tf.keras.callbacks.ProgbarLogger(
                count mode='steps',
                stateful metrics=["damping factor", "attempts"]))
        return super(ModelWrapper, self).fit(
            x=x,
            y=y,
            batch size=batch size,
            epochs=epochs,
            verbose=verbose.
            callbacks=callbacks,
            **kwargs)
Levenberg
import tensorflow as tf
X_train,X_test,y_train,y_test=train_test_split(x,y1, test size=0.2,
random state=47)
xt,xte,yt,yte=X train,X test,y train,y test
from keras.models import Sequential
from keras.layers import Dense
model = Sequential()
```

```
model.add(Dense(units=5, activation='sigmoid'))
model.add(Dense(units=5, activation='relu'))
model.add(Dense(units=5, activation='sigmoid'))
model.add(Dense(units=5, activation='sigmoid'))
model.add(Dense(1, kernel initializer='normal'))
model.compile(loss='mean_squared_error', optimizer='adam')
model.fit(xt, yt ,batch size = 20, epochs = epval, verbose=0)
model wrapper = ModelWrapper(tf.keras.models.clone model(model))
model wrapper.compile(optimizer=tf.keras.optimizers.SGD(learning rate=
0.1), loss=MeanSquaredError(), solve method='solve')
print("\
                                                                    ")
n
print("Train using Levenberg-Marguardt")
model=model wrapper.fit(xt, yt, epochs=epval, verbose=0)
Train using Levenberg-Marquardt
v=model.model.predict(x)
lp=[]
for i in v:
  lp.append(i[0])
# for inverse transformation
# for inverse transformation
y2 = [[i] \text{ for } i \text{ in } lp]
pred = scaler.inverse transform(y2)
lp = [i[0] for i in pred]
line 1 = y
line 2 = lp
fig, ax = plt.subplots()
ax.plot(line 1, color = 'green', label = 'Y_Test')
ax.plot(line_2, color = 'red', label = 'Y_Predicted')
ax.legend(loc = 'upper left')
plt.show()
```



```
MTP=model.model.predict(X_train)
mtp=model.model.predict(X_test)

from sklearn.metrics import mean_squared_error
errorstr = mean_squared_error(y_train,MTP)
errorste = mean_squared_error(y_test, mtp)
print('\nrmse(0n train,0n test)=',(errorstr**0.5,errorste**0.5))
```

from sklearn.metrics import mean_absolute_error
errorstr = mean_absolute_error(y_train,MTP)
errorste = mean_absolute_error(y_test, mtp)
print('\nmae(On train,On test)=',(errorstr,errorste))

from sklearn.metrics import r2_score
r2tr = r2_score(y_train,MTP)
r2te = r2_score(y_test, mtp)
print('\nR2(On train,On test)=',(r2tr,r2te))

rmse(On train, On test) = (0.20103558189335954, 0.23418458989233176)

mae(0n train, 0n test) = (0.15373536524305179, 0.17909228347804967)

R2(On train,On test)= (0.9603273451400975, 0.9395471414349268)

dop['LB']=line_2

Anfis

Conversion for GBELL and Gaussian

ix=list(df.columns).index(YY)
ix

```
gbellmf
X_train,X_test,y_train,y_test=train_test_split(x,y1, test_size=0.3,
random state=47)
param = myanfis.fis parameters(
                                  # no. of Regressors
    n input=5,
    n_memb=2, # no. of fuzzy memberships
batch_size=4, # 16 / 32 / 64 / ...
memb_func='gbellmf', # 'gaussian' / 'gbellmf' / 'sigmoid'
optimizer='sgd', # sgd / adam / ...
    n memb=2,
                                 # no. of fuzzy memberships
    # mse / mae / huber loss / mean absolute percentage error / ...
    loss='mse',
    n epochs=epval
                                 # 10 / 25 / 50 / 100 / ...
)
fis = myanfis.ANFIS(n input=param.n input,
                       n memb=param.n memb,
                       batch_size=param.batch_size,
                       memb func=param.memb func,
                       name='myanfis'
                       )
# compile model
fis.model.compile(optimizer=param.optimizer,
                    loss=param.loss
                    # ,metrics=['mse'] # ['mae', 'mse']
# fit model
history = fis.fit(X train, y train,
                    epochs=param.n epochs,
                    batch size=param.batch size, verbose=0
                    # callbacks = [tensorboard callback] # for
tensorboard
print("\nSuccessful")
Successful
Ly=[]
for i in range (0, 252, 4):
  for j in history.model.predict(x[i:i+4]):
    Ly.append(j[0])
# for inverse transformation
y2 = [[i] \text{ for } i \text{ in } Ly]
pred = scaler.inverse transform(y2)
```

```
Ly = [i[0] \text{ for } i \text{ in } pred]
#print(Ly)
line 1 = v
line 2 = Ly
fig, ax = plt.subplots()
ax.plot(line_1, color = 'green', label = 'Y_Test')
ax.plot(line_2, color = 'red', label = 'Y_Predicted')
ax.legend(loc = 'upper left')
plt.show()
  0.30
  0.25
  0.10
y=line 1
MTP=line 2
from sklearn.metrics import mean squared error
errors = mean squared error(y,MTP)
print('\nrmse=',(errors**0.5))
from sklearn.metrics import mean_absolute_error
errors = mean absolute error(y,MTP)
print('\nmae=',(errors))
from sklearn.metrics import r2 score
r2 = r2\_score(y,MTP)
print('\nR2=',(r2))
rmse= 0.013636118345323836
mae= 0.011063351057648592
```

R2= 0.9363160260522254

```
dop['AnfisGBell']=line_2
Gaussian
X_train,X_test,y_train,y_test=train_test_split(x,y1, test_size=0.3,
random state=47)
param = myanfis.fis parameters(
                                  # no. of Regressors
    n input=5,
    n memb=2,
                                 # no. of fuzzy memberships
    n_memb=2, # no. of fuzzy membersnips
batch_size=4, # 16 / 32 / 64 / ...
memb_func='gaussian', # 'gaussian' / 'gbellmf' / 'sigmoid'
optimizer='sgd', # sgd / adam / ...
    # mse / mae / huber loss / mean absolute percentage error / ...
    loss='mse',
    n epochs=epval
                                 # 10 / 25 / 50 / 100 / ...
)
fis = myanfis.ANFIS(n input=param.n input,
                      n memb=param.n memb,
                      batch size=param.batch size,
                      memb func=param.memb func,
                      name='myanfis'
                       )
# compile model
fis.model.compile(optimizer=param.optimizer,
                    loss=param.loss
                    # ,metrics=['mse'] # ['mae', 'mse']
# fit model
history = fis.fit(X train, y train,
                    epochs=param.n epochs,
                    batch size=param.batch size, verbose=0
                    # callbacks = [tensorboard callback] # for
tensorboard
print("\nSuccessful")
Successful
Ly=[]
for i in range (0,252,4):
  for j in history.model.predict(x[i:i+4]):
    Ly.append(j[0])
# for inverse transformation
y2 = [[i] \text{ for } i \text{ in } Ly]
pred = scaler.inverse transform(y2)
```

```
Ly = [i[0] \text{ for } i \text{ in } pred]
#print(Ly)
line 1 = v
line 2 = Ly
fig, ax = plt.subplots()
ax.plot(line_1, color = 'green', label = 'Y_Test')
ax.plot(line_2, color = 'red', label = 'Y_Predicted')
ax.legend(loc = 'upper left')
plt.show()
  0.30
  0.25
  0.20
  0.15
  0.10
y=line 1
MTP=line 2
from sklearn.metrics import mean squared error
errors = mean squared error(y,MTP)
print('\nrmse=',(errors**0.5))
from sklearn.metrics import mean_absolute_error
errors = mean absolute error(y,MTP)
print('\nmae=',(errors))
from sklearn.metrics import r2 score
r2 = r2\_score(y,MTP)
print('\nR2=',(r2))
rmse= 0.012797564628313442
mae= 0.010228494278740374
```

R2= 0.9439076938910574

```
dop['AnfisGaussian']=line 2
Sigmoid
X_train,X_test,y_train,y_test=train_test_split(x,y1, test_size=0.3,
random state=47)
param = myanfis.fis parameters(
                                  # no. of Regressors
    n input=5,
    n_memb=2, # no. of fuzzy memberships
batch_size=4, # 16 / 32 / 64 / ...
memb_func='sigmoid', # 'gaussian' / 'gbellmf' / 'sigmoid'
optimizer='sgd', # sgd / adam / ...
    # mse / mae / huber loss / mean absolute percentage error / ...
    loss='mse',
    n epochs=epval
                                 # 10 / 25 / 50 / 100 / ...
)
fis = myanfis.ANFIS(n input=param.n input,
                      n memb=param.n memb,
                      batch size=param.batch size,
                      memb func=param.memb func,
                      name='myanfis'
                       )
# compile model
fis.model.compile(optimizer=param.optimizer,
                    loss=param.loss
                    # ,metrics=['mse'] # ['mae', 'mse']
# fit model
history = fis.fit(X train, y train,
                    epochs=param.n epochs,
                    batch size=param.batch size, verbose=0
                    # callbacks = [tensorboard callback] # for
tensorboard
print("\nSuccessful")
Successful
Ly=[]
for i in range (0,252,4):
  for j in history.model.predict(x[i:i+4]):
    Ly.append(j[0])
# for inverse transformation
y2 = [[i] \text{ for } i \text{ in } Ly]
pred = scaler.inverse transform(y2)
```

```
Ly = [i[0] \text{ for } i \text{ in } pred]
#print(Ly)
line 1 = v
line_2 = Ly
fig, ax = plt.subplots()
ax.plot(line_1, color = 'green', label = 'Y_Test')
ax.plot(line_2, color = 'red', label = 'Y_Predicted')
ax.legend(loc = 'upper left')
plt.show()
  0.30
  0.25
  0.20
  0.15
  0.10
y=line 1
MTP=line 2
from sklearn.metrics import mean squared error
errors = mean squared error(y,MTP)
print('\nrmse=',(errors**0.5))
from sklearn.metrics import mean_absolute_error
errors = mean absolute error(y,MTP)
print('\nmae=',(errors))
from sklearn.metrics import r2 score
r2 = r2\_score(y,MTP)
print('\nR2=',(r2))
rmse= 0.01318335836211942
mae= 0.010569535751656737
```

R2= 0.9404748158267525

```
dop['AnfisSigmoid']=line_2
##OP
dop.to_csv(YY+"-values.csv",index=False)
```