```
% Solve equation
% log(cos(y))dx+x*tan(y)dy=0
% dx/x+tan(y)*dy/log(cos(y))=0
% 1)
syms x y;
eq1=int(1/x,x)+int(tan(y)/log(cos(y)),y)
eq1 = log(x) - log(log(cos(y)))
% \log(\log(\cos(y))) = \log(x) + \log(C)
% \log(\cos(y)) = C*x
% y=acos(exp(C*x))
% 2)
% \log(\cos(y))dx+x*\tan(y)dy=0
% dy/dx = -\log(\cos(y))/(x*\tan(y))
syms x y(x);
eqn = diff(y(x)) == -\log(\cos(y))/(x*\tan(y))
 eqn(x) =
    \frac{\partial}{\partial x} y(x) = -\frac{\log(\cos(y(x)))}{x \tan(y(x))}
ySol(x) = dsolve(eqn)
ySol(x) =
    \left\{a\cos\left(e^{xe^{-C_{13}}}\right)\quad\text{if }e^{xe^{-C_{13}}}\in[-1,1]\right.
% acos(exp(C5*x))
% Checking
syms C5;
ySol=acos(exp(C5*x))
ySol = acos(e^{C_5x})
eq5=diff(y,x)+log(cos(y))/(x*tan(y))
eq5(x) =
    \frac{\partial}{\partial x} y(x) + \frac{\log(\cos(y(x)))}{x \tan(y(x))}
eq6=simplify(subs(eq5,y,ySol))
```

eq6(x) =

$$\frac{e^{C_5 x} \left(\log(e^{C_5 x}) - C_5 x \right)}{x \sqrt{1 - e^{2C_5 x}}}$$

% ?