

Logic Programming– Laboratory 2

Syntax and Data Structures

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1 Questions!

- What is Prolog? How does it work?
- What are the facts in Prolog? Give an example!
- What are the rules in Prolog? Give an example!

2 Short theoretical part

- Terms
- Constants
- Variables
- Structures
- Arithmetic operators
- Functors
- Lists
- Structures as Trees
- Representation as a Tree

3 Exercises

3.1 Constants

Constants are simple terms and integers.

Example of **atoms**:

`a, likes, ion_albulescu, =, -->, 'snow', 'Today';`

not atoms:

`A, George, _likes, 234white2, ion-albulescu.`

3.2 Anonymous variables, Variables

We use the anonymous variables when we do not want to know all the possible instantiations.

1)

```
logic(_).
```

```
?-logic(a).
```

```
?-logic(b).
```

```
?-logic(c).
```

```
?-logic(X).
```

2)

```
likes(ana,book).
```

```
likes(john,beer).
```

```
likes(marian,beer).
```

```
?-likes(_,beer). /* Does anyone like beer? */
```

```
?-likes(ana,_). /* Does ana like someone? */
```

```
?-likes(_,_). /* Does anyone like anyone? */
```

3)

```
r(a).
```

```
r(b).
```

```
s(X):-r(X).
```

```
?-s(a).
```

```
?-s(b).
```

```
?-s(c).
```

```
?-s(X).
```

```
?-r(X).
```

3.3 Structures

Examples:

4)

```
has(john,book(eminescu,poems)).
```

```
book(poems,author(mihai,eminescu)).
```

```
?- has(john,book(X,author(Y,eminescu))).
```

```
/* does john have a book X which has the author (Y,eminescu)? */
```

5)

```
point(1,4).
```

```
segment(point(1,2),point(5,3)).
```

`triangle(point(1,1),point(1,3),point(2,3)).`

6)
`+(1,*(2,3)).`

3.4 Arithmetic Operators

Operators do not cause evaluation in Prolog.

7)
`?- 5>2.`
`?- 2<3.`

Test for:

`<, >, =, =<, >=, =\=`

8)
`?- b == b.`
`?- p(a) == p(a).`
`?- p(X) == p(b).`
`?- 10 == 10.`
`?- 2 + 8 == 1 + 9.`

9)
`?- b ::= b.`
`?- p(a) ::= p(a).`
`?- p(X) ::= p(b).`
`?- 10 ::= 10.`
`?- 2 + 8 ::= 1 + 9.`

is forces the evaluation of the expression.

Test for:

10)
`E1 + E2`
`E1 - E2`
`E1 * E2`
`E1 / E2`
`E1 // E2` — **integer** division
`E1 rem E2`
`E1 ** E2`
`E1 /\ E2`
`E1 \/ E2`
`E1 ^ E2`
`E1 << E2`
`E1 >> E2`
`E1 =\= E2`
`E1 ::= E2`

+ in front of the expression means that it has to be instantiated;

- means that it has not be instantiated

Examples:

```
11)
?- X is 3+4.
?- X is +(1,*(2,3)).
```

```
12)
?- X is 32 mod 12.
?- X is 35 mod 10.
```

```
13)
?- X is abs(14.3).
?- X is abs(-3.4).
```

```
14)
?- X is max(56,12).
?- X is max(-56,-23.5).
```

```
15)
?- X is round(23.45).
?- X is round(-23.45).
?- X is round(-23).
?- X is round(-29.8).
```

```
16)
?- integer(-23.5).
?- integer(34).

?- X is integer(-32.5).
?- X is integer(32.5).
```

```

17)
?- X is rationalize(0.7).
?- X is rationalize(-0.1).

?- X is rationalize(12).

?- X is rdiv(5,10).
?- X is rdiv(5,15).
?- X is rdiv(7,9).

```

```

18)
    ?- X is log(32).
    ?- X is log10(1000).

```

```

19)
?- X is popcount(15).
?- X is popcount(13).

```

```

20)
?- between(12,17,X).
?- succ(X,Y).
?- succ(11,12).
?- plus(5,7,12).

```

Test for: inc(Expr), dec(Expr), sign(Expr), floor(Expr), ceiling(Expr), sqrt(Expr), exp(Expr), cos(Expr), sin(Expr), ...

3.5 Unification

The predicate for unification is =.

In general the unification procedure of two terms T1 and T2 takes place when:

1. T1,T2 are constants;
2. T1, T2 are uninstantiated variables;
3. T1 is an uninstantiated variable, T2 is a constant or a structure;
4. T1, T2 are uninstantiated variables;
5. T1, T2 are structures: $T1 = f(A_1, A_2, \dots, A_n)$, $T2 = f(B_1, B_2, \dots, B_n)$.

Exercises:

```

22)
?- X=12.
?- yesterday='yesterday'.
?- likes(X,Y)=likes(Z,T).
?- likes(X,Y)=likes(z,t).
?- likes(x,y)=likes(Z,t).

?- occurs(a,B,c(D,e,f,g(H)))=occurs(A,b,c(d,E,F,g(h))).

?- eats(paul,apricots)=X.

```

3.6 Representing as Trees

```

father(popescu, john).

Is represented as:
    father

    popescu      john

registration(popescu, john, date-of-birth(Day, Month, Year)).

Is represented by:
    registration

```

popescu	john	date-of-birth
	Day	Month
	18	October
		Year
		1989

3.7 Lists

Any data structure can be represented by lists. Inductive domain:

- []-the empty list;
- .(h,t) -generic list, where h=head, t=tail of the list. The tail of a list has to be a list.

```

23)

?- [H|T] = [a, b, c].

?- A = a, B = [b, c], C = [A|B].

```

```
?- [a] = [H|T].
?- [] = [H|T].
```

```
?- "abcd"=X.
?- "abcd" = [97, 98, 99, 100].
?- "abcd" = [H|T].
?- "X*(Y+Z)" = [H|T].
```

```
?- abcd = X.
?- abcd = [H|T]. /* It is not a list */
?- a+b = X.
?- 'a+b' = X.
?- "a+b" = X.
?- 'a+b' = [H|T].
?- "a+b" = [H|T].
```

24) Which one are the unifications? What is instantiated on the next cases?

```
?- [X,Y,Z]=[book,library,internet].

?- [cat]=[H|T].

?- [X, Y | Z] = [i, love, sea].

?- [open|X]=[open,mind].

?- [[mary,Y]|Z]=[[X,lives],[in,timisoara]].

?- [white|X]=[Y|horse].

?- X="i_love_Prolog".
```

25) Introduce the next fact:

```
test(.(a,.(b,.(c,[])))
```

Which one would be the instantiations of H and of T in the next situations?

```
?- test(.(H,T)).
?- test([H|T]).
```

26) Write a predicate is-list to define that a term is a list.

Example:

```
?- is_list([]).
true.

?- is_list([a,b,c]).
true.

?- is_list(green(snow)).
false.
```

3.8 Homework:

[Homework2.](#)

Deadline: Next laboratory.