Logic Programming – Laboratory 4 Accumulators, Open lists and Difference lists

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1 Questions

- What do you understand by inductive domain? How can we define a list?
- How do we define the recursion in Prolog? Give 2 examples!
- Write a predicate to append two lists $append_lists(+L1, +L2, ?Rez)$
- Write a predicate that calculates the factorial of a number factorial(+N,?F)

2 Concepts

- Operations with lists
- Accumulators
- The difference between programs with accumulator and without it
- Open lists
- Difference lists

3 Accumulators

The list is decomposed until we find the boundary condition, then we obtain the solution which is captured in the accumulators, then it takes place the reverse process of decomposing the list, and the result is the solution which was captured in the accumulator.

- 1) The reverse of a list:
- a) without accumulators:

```
 \begin{array}{c} reverse\_list\;(\;[\;]\;,\;[\;]\;)\,.\\ reverse\_list\;(\;[H|T]\;,\!X)\!:-\,reverse\_list\;(T,T1)\,,\\ append\_lists\;(T1\,,\![H]\;,\!X)\,. \end{array}
```

Explain what is happening when we ask Prolog: (use the trace command)

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?- reverse\_list([1,2,3],X).
```

b) with accumulators:

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reverse\_list2(L,R):-reverseAcc(L,[],R).
                                                   /* call the variant
                                                          with accumulator */
                              /* boundary condition */
reverseAcc([],R,R).
reverseAcc([H|T],A,R):-
              reverseAcc(T, [H|A], R). /* recursive call
                                                     with accumulator */
   Try trace of reverseAcc([1, 2, 3], [], R).
   And trace of reverse-list2([1,2,3],X). Compare the cost for reverse-list
and for reverse - list2.
   2) The predicate which calculates the n'th term from the Fibonacci sequence:
1,1,2,3,5,8,13,21,..., where f(n) = f(n-1) + f(n-2) for n > 2.
   (a) without accumulator:
fibonacci (1,1).
fibonacci (2,1).
fibonacci(N,F):-N>2,N1 is N-1,N2 is N-2,
                   fibonacci (N1, F1), fibonacci (N2, F2),
                   F is F1+F2.
   (b) with accumulator:
/* F=f(M). F1=f(M-2), F2=f(M-1). */
fibonac(N,F): -fib(2,N,1,1,F).
fib(M, N, _-, F2, F2): -M >= N.
fib(M, N, F1, F2, F): -M < N, M1 is M+1,
                     F1plusF2 is F1+F2,
                      fib (M1, N, F2, F1 plus F2, F).
   Use trace to see the difference between the two programs (without accumu-
lator and with accumulator).
   3) The predicate which returns the length of a list:
lengthList([],0).
lengthList([H|T],N):-lengthList(T,N1),N is 1+N1.
   Modify the predicate such that it will use accumulator.
   4) Modify the predicate which calculates n! using accumulator.
   5) Use the next predicates to see the running time for the reverse of the
list (using and not using accumulator), for factorial, for the length of a list, for
fibonacci:
current_time (Timestamp) :- get_time (Current),
stamp_date_time (Current, Date, local),
date_time_value(time, Date, Timestamp).
time_elapsed(time(H1,M1,S1),
time(H2, M2, S2),
```

Example for factorial:

?- $current_time(T1)$, factorial(50000, X),

?- current_time(T1), factAcc(50000, X),

current_time(T2), time_elapsed(T1,T2,T).

current_time(T2), time_elapsed(T1,T2,T).

Seconds) :- Seconds is 3600 * (H2 - H1) + 60 * (M2 - M1) + (S2 - S1).

Where factorial=the predicate without accumulators, and factAcc=the predicate with accumulators.

4 Open lists and Difference lists

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a) Example:
          6)
?- \ L = \left[ 1 \;, 2 \;, 3 \,|\, X \right] \;, \\ X = \left[ t \;, g \;, h \;\right] \;. \qquad /* \quad the \quad \text{``hole''} \; from \quad the \quad list \;\; L \quad is \quad fullfille \; derivative \; from \;\; the \;\; list \;\; L \;\; is \;\; fullfille \; derivative \;\; from \;\; the \;\; list \;\; L \;\; list \;\; fullfille \; derivative \;\; from \;\; the \;\; list \;\; L \;\; list \;\; fullfille \; derivative \;\; from \;\; list \;\; L \;\; list \;\; fullfille \; derivative \;\; from \;\; list \;\; L \;\; list \;\; fullfille \; derivative \;\; from \;\; list \;\; L \;\; list \;\;\; list \;\; list \;
                                                                                                                        in \ a \ single \ step \ with \ X */
L = [1, 2, 3, t, g, h],
X=[t,g,h]
?- L2=[s,d,a|T],T=[head|T2]. /* the ''hole'' is fullfilled with
                                                                                                                                           the\ open\ list\ */
L2 = [s, d, a, head | T2],
T=[head | T2]
 7)
 appendopenlists (L1,G,L2):-G=L2.
   ?- X=[a,b,c|G], appendopenlists (X,G,[d,e,f]).
X = [a, b, c, d, e, f]
          b) We represent the difference lists as the difference between the open list
and its "hole".
          Example: [1, 2, 3|Hole] - Hole
          8) Introduce the rule:
 appendOpen (DL-Hole, L2): - Hole=L2.
          Try for:
    ?-X=[m,n,p \mid Hole]-Hole, appendOpen(X,[1,2,3]).
          Write a rule such that you obtain X = [m, n, p, 1, 2, 3].
          9) The predicate append Diff 2/3:
 appendDiff2(DL1-Hole1, DL2-Hole2, DL1-Hole2):-Hole1=DL2.
?- X=[a, f | G]-G, appendDiff2(X, [p, l | G2]-G2, Answer).
?- X=[a, f | G]-G, appendDiff2(X, [p, 1 | G2]-G2, Answer - []).
          10) Test for appendDiff3.
 appendDiff3(DL1-Hole1, Hole1-Hole2, DL1-Hole2):-Hole1=DL2.
?- X=[a, f | G]-G, appendDiff3 (X, [p, 1 | G2]-G2, Answer).
   ?- X=[a, f | G]-G, appendDiff33 (X, [p, 1 | G2]-G2, Answer - []).
```

5 Homework:

Finish all the exercises from Homework 3 and implement queues with open lists. Deadline: next laboratory.