# Clustering: Votes Demo and Hierarchical Clustering

Data Mining
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#### **Outline**

1 Votes demo

2 Hierarchical Clustering

Open R, read in data: votes = dget(file = "C:/temp/votes.repub")

- Look at the votes data set by printing it to screen.
- We will group states according to their voting patterns; this dataset contains the % of republican votes in presidential elections.

- remove Alaska and Hawaii; they become states in 1959 so there are not as many observations for them
- Let's focus on 1916 & later elections, since the definitions of the two political parties has changed over time. Restrict the data to 1916 & later.

Call the kmeans function on the resulting data set. Start with "centers = 2" (two clusters). Instead of manually doing random restarts by repeatedly calling kmeans (like we did in lab), set "nstart = 200" so that the algorithm tries 200 different randomly generated sets of initial values.

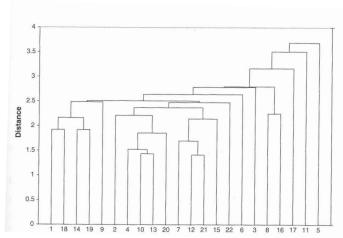
- The resulting object (e.g. votesClust) has a vector votesClust\$cluster giving the cluster number for each state.
- Print the names of all states in cluster 1. Same for cluster 2.

- Look at the states in the 2 clusters. Do the clusters make sense?
- Increase the # of clusters one at a time until you get to a set of clusters that seems most "reasonable" to you

We did not standardize the variables here; why is this reasonable?

- Hierarchical Clustering is another distance-based clustering method.
- It avoids having to select K
- It provides an easily interpretable tree-based graphical representation of the data

Example: "Dendrogram" (tree diagram) of the utilities (from SPB):

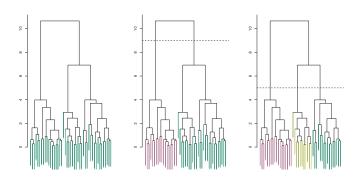


#### Interpretation of a dendrogram:

- Each leaf represents a single observation (here, one of the 22 utilities)
- As we move up the tree, some leaves begin to fuse into branches. These are observations that are similar to one another.
- As we move higher, branches fuse with each other or with leaves
- The lower in the tree a fusion occurs, the more similar the groups of observations are to one another
- Important: how close observations are on the x-axis does NOT indicate how similar they are
  - Ex:

How to get clusters from a dendrogram?

#### Example: Dendrogram of simulated data:

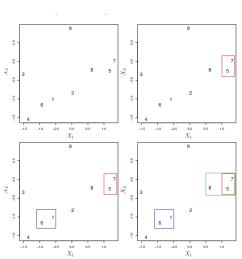


- Any number of clusters between 1 and n can be obtained in this way
- So the height of the cut serves the same role as K in K-means: controls the # of clusters
- "Hierarchical" means that the clusters obtained by cutting at a particular height are nested within the clusters obtained by cutting at a greater height

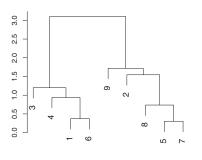
#### Hierarchical Clustering Algorithm:

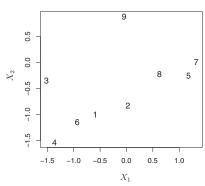
- Starting at the bottom of the dendrogram, each observation is in its own cluster
- The two closest observations (according to our selected distance measure) are **fused** to get n − 1 clusters
- Next the 2 clusters that are closest to each other are fused, giving n − 2 clusters
- This is repeated until there is only 1 cluster

A simple example with p=2 continuous variables, n=9, and using Euclidean distance:



On left is the dendrogram for this example:





#### Distance between clusters:

- But how did we decide to fuse the cluster {5,7} with the cluster {8}?