

Causal diagrams

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WTMC method track - Computational methods & modelling

11 February 2021



 $\textbf{1} \ \mathsf{Observing} \neq \mathsf{doing}$

2 d-separation simplified





Observing \neq doing



Predict future citations



- Predict future citations
 - ► Tweets predict future citations



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 - ► Tweets predict future citations
- Predict accept/reject decisions



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Observations \rightarrow prediction



Observation









Observing vs doing

Prediction

Observing x may make y more likely to be observed.



Observing vs doing

Prediction

Observing x may make y more likely to be observed.

Intervention

 $Doing \times may make y more likely to be observed.$



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- Predict future citations
 - ► Tweets predict future citations
 - ▶ Does tweeting your paper increase citations?

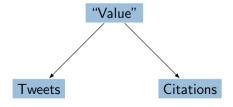


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Tweets — Citations



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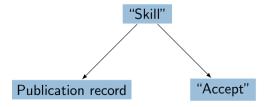


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Causality

- Causality is about doing something, about (hypothetical) interventions.
- Important for policy implications:
 - ▶ If you observe x and y are associated, but they are not causally related, then doing x does not change y, and x should not be advocated as a policy to achieve a change in y.



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Assume a causal model (background knowledge, earlier research, ...).



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 - ► Key to this is understanding *d*-separation.



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Causal inference

- Assume a causal model (background knowledge, earlier research, ...).
- ② Given causal model, under some conditions associations may reveal causal effects.
 - ► Key to this is understanding *d*-separation.
- Test whether implications of causal model hold in observations.
 - ▶ Different causal models may have same observational implications.



d-separation simplified





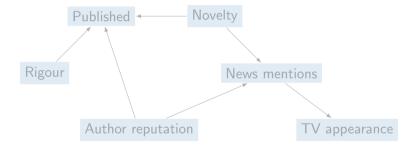




Technical term	Meaning	Implication
<i>d</i> -connected <i>d</i> -separated	there is an open undirected path there is no open undirected path	•

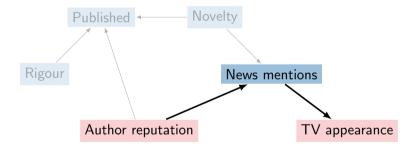


d-separation – Undirected paths



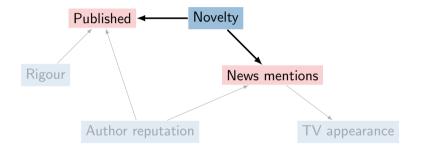


d-separation – Undirected paths



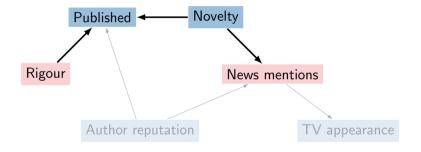


d-separation – Undirected paths





d-separation – Undirected paths





d-separation − Open paths & nodes

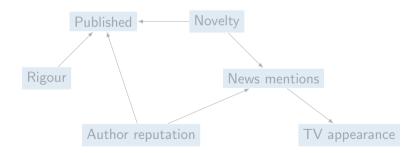
An undirected path is open if all nodes on the path are open .



d-separation − Open paths & nodes

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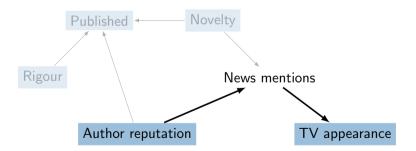






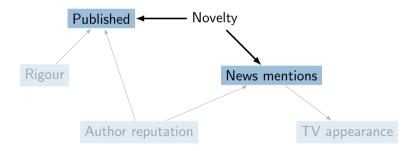
Mediator (causation) – Open

··· z -----



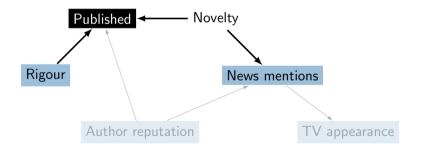


Confounder – Open











Conditioning on variables

Many possible ways to "condition" on a variable:

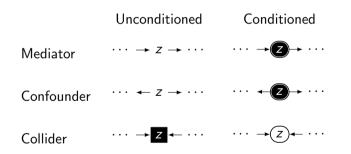
- Include only subset of cases in analysis.
- Perform analyses separately on different subsets of data.
- "Normalise" indicators (e.g field-normalise).
- Include variable in regression.



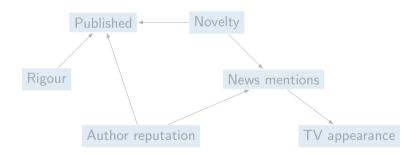
d-separation – Open nodes & conditioning

Conditioning on a variable "flips" the node on a path from open

to closed ■ and vice-versa.



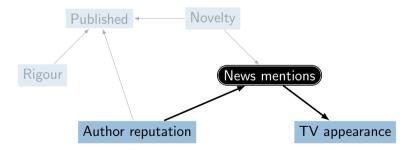








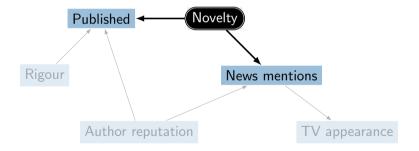






Condition on confounder - Closed

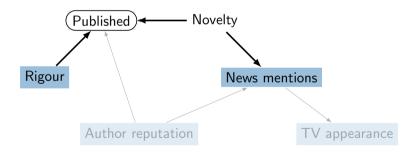




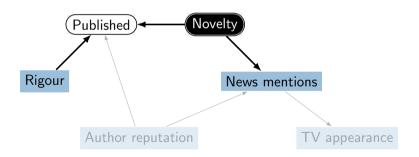


Condition on collider - Open



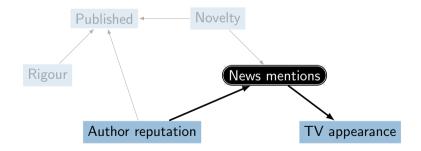






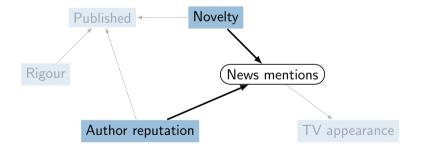


Conditioning may close one path but open another.





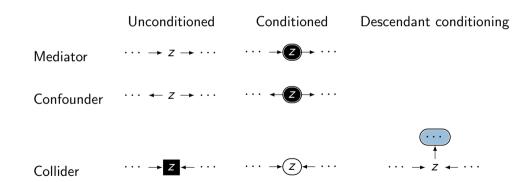
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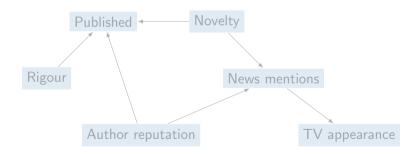
Conditioning on descendants and *d*-separation

Conditioning on descendant of collider opens it.





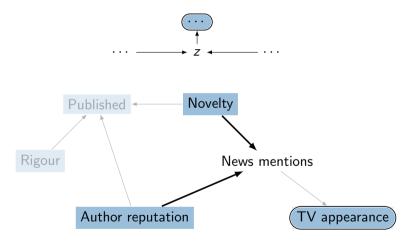
d-separation – Conditioning on descendants





d-separation – Conditioning on descendants

Condition on descendant of collider - Opens collider





d-separation summary

 \bullet x and y are associated if there is an open undirected path between them.



d-separation summary

- \bullet x and y are associated if there is an open undirected path between them.
- An undirected path is open if all nodes are open.



d-separation summary

- \bullet x and y are associated if there is an open undirected path between them.
- ② An undirected path is open if all nodes are open.
- **3** A node on a path is open \square or closed \blacksquare in the following situations
 - ► Conditioning on a variable "flips" nodes from open to closed and vice-versa.

	Unconditioned	Conditioned	Descendant conditioning
Mediator	$\cdots \rightarrow z \rightarrow \cdots$	· · · → Z → · · ·	
Confounder	$\cdots \leftarrow z \rightarrow \cdots$	··· (Z) • ···	
		_	
Collider	$\cdots \rightarrow Z \leftarrow \cdots$	· · · → Z ← · · ·	$\cdots \rightarrow z \leftarrow \cdots$



Further reading

JUDEA PEARL
WINNER OF THE TURING AWARD
AND DANA MACKENZIE

THE

BOOK OF WHY



THE NEW SCIENCE
OF CAUSE AND EFFECT



CAUSAL INFERENCE IN STATISTICS

A Primer

Judea Pearl Madelyn Glymour Nicholas P. Jewell

WILEY

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