# **Project 1: Implementing Algorithms**

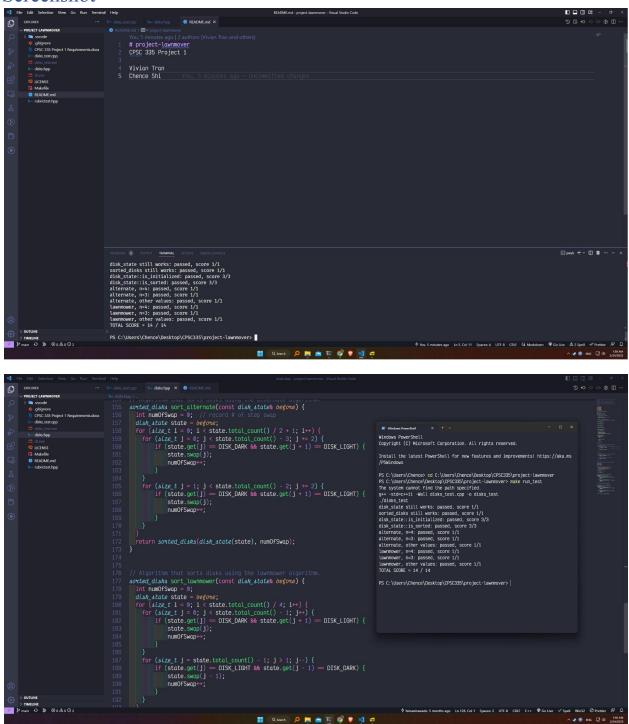
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Cal State Fullerton
CPSC 335 - Algorithm Engineering
March 19, 2023

## Screenshot



## Pseudocode

**Alternate Algorithms:** 

**ENDFOR** 

**ENDFOR** 

```
Lawnmower Algorithms:

FOR i = 1 to n/2

FOR j = 1 to 2n-1

IF disk in j == dark AND disk in j+1 == light THEN swap disk in j and j+1

ENDIF

ENDFOR

FOR j = 2n to 2 step -1

IF disk in j == light AND disk in j-1 == dark THEN Swap disk in j and j-1

ENDIF

ENDFOR

ENDFOR
```

```
FOR i = 1 to n+1

FOR j = 1 to 2n-3 step 2

IF disk in j == dark AND disk in j+1 == light THEN swap disk in j and j+1

ENDIF

ENDFOR

FOR j = 2 to 2n-2 step 2

IF disk in j == dark AND disk in j+1 == light THEN swap disk in j and j+1

ENDIF
```

# **Step Count**

$$\frac{2}{1} \left\{ \sum_{j=1}^{2N-1} \left( \frac{3+\max(1,0)}{3+\max(1,0)} \right) + \sum_{j=2}^{2N} \left( \frac{3+\max(1,0)}{3+\max(1,0)} \right) \right\}$$

$$= \sum_{j=1}^{2N} \left\{ \sum_{j=1}^{2N-1} 4 + \sum_{j=2}^{2N} 4 \right\}$$

$$= \sum_{j=1}^{2N} \left\{ 4 \cdot (2n-1) + 4 \cdot (2n-2+1) \right\}$$

$$= \sum_{j=1}^{2N} \left\{ 4 \cdot (2n-1) + 4 \cdot (2n-2+1) \right\}$$

$$= 8 \left\{ \sum_{j=1}^{2N} 2n - \sum_{j=1}^{2N} 1 \right\}$$

$$= 8 \left\{ \sum_{j=1}^{2N} 2n - \frac{n}{2} \right\}$$

$$= 8 \left\{ n^2 - \frac{n}{2} 2n - \frac{n}{2} \right\}$$

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Attends:

$$\frac{n+1}{\sum_{i=1}^{2n-3}} \left( \frac{1}{2^{n+2}} + \frac{1}{2^{n+2}} \right) + \sum_{j=2}^{2n-2} \left( \frac{1}{2^{n+2}} + \frac{1}{2^{n+2}} \right) + \sum_{j=2}^{2n-2} \left( \frac{1}{2^{n+2}} + \frac{1}{2^{n+2}} \right) + \sum_{j=2}^{n+1} \left( \frac{2n-3-1}{2} + 1 \right) + \left( \frac{2n-2-2}{2} + 1 \right) + 4 \right) = \sum_{i=1}^{n+1} \left[ (n-2+1) \cdot 4 + (n-2+1) \cdot 4 \right] = \sum_{i=1}^{n+1} \left[ (n-1) \cdot 4 + (n-1) \cdot 4 \right] = \sum_{i=1}^{n+1} \left[ (n-1) \cdot 4 + (n-1) \cdot 4 \right] = \sum_{i=1}^{n+1} \left[ (n+1) \cdot 4 + (n-1) \cdot 4 \right] = 3 \left[ \sum_{i=1}^{n+1} n - \sum_{i=1}^{n+1} 1 \right] = 3 \left[ (n+1)n - (n+1) \right] = 3 \left[ (n+1)n - (n+1) \right] = 3 n^{2} - 8$$

## **Proof Argument**

## **Lawnmower Algorithms:**

```
Proof Argument
Lawnmower's Algorithm
In this proof, we will be proving
 8n2-4n E O (n2)
Using Proof of Limits
f(n)=8n2-4n
g(n)=n2
= 8 - 0
By Irmits theorem,
   8 n 2 - 4 n E O ( n 2 )
```

#### **Alternate Algorithms:**

```
Proof Argument
Alternate Algorithm
In this proof, we will be proving
 8n2-8 E O(n2)
Using Proof of Limits
f(n)=8n2-8
g(n)=n2
= & - 8
           - 8-0
           = 8
By limits theorem,
   8n2-8 E O(n2)
```